

28/04/2022 Data Structures And Algorithms.

classmate

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Data:- collection of raw facts and figures.
information:- process data

Important data

- Data Structure allow us to organise data in an efficient manner in your main memory or in primary memory.
- A data structure is a crucial part of data management.
- A data structure is basically a group of data elements that are put together under one name, and which defines a particular way of storing and organising data in a computer so that it can be used efficiently.
- It is not a programming language. It is set of algorithms which allow.

Data Structures

Primitive Data Structure

- int
- char
- float
- Double
- long double

Non- Primitive Data Structure

- #### Linear Data Structure
- Arrays
 - Stack
 - queue
 - linked list

Non- Linear Data Structure

- Tree
- Graphs

Linear Data Structure: If the elements are stored in a linear or sequential order, then it is a linear data structure.

Non-Linear Data Structure: If the elements of a data structure are not stored in a sequential order, then it is a non-linear data structure.

→ Operations in Data Structure:

- Insertion
- Update
- Sort
- Deletion
- Merge

Stack: follows LIFO (last in first Out)

Queue: follows FIFO (first in first Out)

Linked List: Data is stored in form of nodes

Tree: Stored in a hierarchical order.

Graphs: It is a collection of vertices and edges.
It is often viewed as a generalization of the tree structure, where instead of purely parent-to-child relationship between tree nodes, any kind of complex relationships between the nodes can exist.

Arrays: - collection of similar data elements.

- These data elements have same data type.
- The elements of the array are stored in consecutive memory locations and are referenced by an index (also known as the subscript).

Applications:

→ Storing information in linear fashion

→ Suitable for applications that require frequent searching

Advantages:

- Random access elements
- Easy sorting and iteration
- Replacement of multiple variables

Disadvantages:

- Size is fixed
- Difficult to insert and delete.

If capacity is more and occupancy less, most of the array gets wasted.
Needs contiguous memory

Operations On Array

- Traversing an array
- Inserting an element in an array
- Deleting an element from an array
- Sorting an array in ascending or descending order
- Searching an element in an array
- Merging two arrays.

Traversing an Array: Traversing an array means accessing each and every element of the array for a specific purpose.

Inserting an element in an array:

Insertion can be done at

- beginning - end - specific position.

→ To insert an element in an array, we first need to check if the array is full or not.

If the array is full or there is no space to insert an element then this condition is known as 'overflow' condition.

Insertion at Beginning

If we want to insert an element in beginning, we need to move each element to right.

10	12	11	9	8
				UB

10	12	11	9	8
				UB

10	12	11	9	8
				UB

10	12	11	9	8
				UB

LB → lower bound

UB → upper bound

10	12	11	9	8
				UB

10	12	11	9	8
				UB

10	12	11	9	8
				UB

↳ element to be inserted

condition for overflow: $UB = n - 1$

$LB = \text{lower bound} = 0$

Algorithm:

Step 1: Start. let 'a' be the array of size n.

Step 2: If $UB = n - 1$ then print overflow and exit.

Step 3: Read element

Step 4: $i = UB$

Step 5: Repeat step 6 until while ($i \geq LB$)

Step 6: $a[i+1] = a[i]$

$i = i - 1$

Step 7: $a[LB] = \text{element}$

Step 8: $n = n + 1$

Step 9: Stop

Insertion at End

LB		UB
10	5	6 4 3

Algorithm:

Step 1: Start

let 'a' be the array of size n.

If $UB = n - 1$ then print overflow and exit.

Step 3: Read element

Step 4: $UB = UB + 1$

Step 5: $a[UB] = \text{element}$

Step 6: $n = n + 1$

Step 7: Stop.

Insertion at specific position

LB		UB
10	5	3 2 4

$a[0] a[1] a[2] a[3] a[4] a[5]$

if at 3rd position i.e. at index 2.

10	5	3	2	4
10	5	3	2	4



10	5	3	2	4
10	5	3	2	4

number to

be inserted

Algorithm:

Step 1: Start

let 'a' be the array of size n.

Step 2: If $UB = n - 1$ then print overflow and exit.

Step 3: Read element

$i = UB$

Step 4: Enter position where to insert an element.

Step 5: $i = UB$

Repeat step-6 while $i \geq pos$

Step 6: $a[i+1] = a[i]$

$i = i - 1$

Step 7: $a[pos] = \text{element}$

Step 8: Stop.

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Traversing an Array:

Algorithm:

Step 1: Start

Step 2: Declare array

Step 3: $i = 0$

Step 4: Repeat step 5 until while ($i \leq n$)

Step 5 :- Processing array element.
 $i = i + 1$

Step 6 :- Stop

Complexity

i) Time complexity :-

→ Time complexity of an algorithm is basically the running time of a program as a function of the input size.

→ The number of machine instructions which a program executes is called its time complexity.

ii) Space complexity :-

The space complexity of an algorithm is the amount of computer memory that is required during the program execution as a function of the input size.

Cases for time complexity :-

Best case :- The 'best-case performance' is used to analyse an algorithm under optimal conditions.

Eg:- To insert an element at the end.

Average case :- The average-case running time of an algorithm is an estimate of the running time for an 'average' input.

Average case running time assumes that all inputs of a given size are equally likely.

Eg:- To insert an element at a specific position.

Worst case :- This denotes the behaviour of an algorithm with respect to the worst-possible case of the input instance. The worst-case running time of an algorithm is an upper bound on the running time for any input.

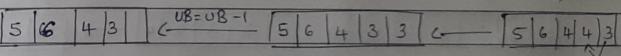
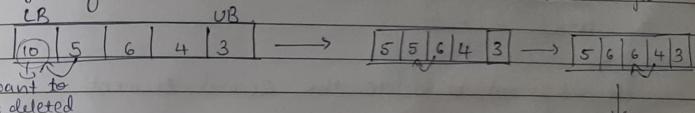
Eg:- To insert an element at end the beginning.

Deleting an element from an array :-
Deletion can be done at
- beginning
- end
- specific position.

→ To delete an element from an array, we first need to check if the array is empty or not. If the array is empty or there is no element present in the array to be deleted then this condition is known as 'underflow' condition.

Deletion at Beginning

If we want to delete an element from an array in beginning, we need to move each element to left.



Here, deletion means we are not deleting an element instead we are copying it. Or say overwriting it.

Algorithm :-

Step 1 :- Start

Step 2 :- Let A be the array of size max.

Step 3 :- If $UB = 0$ then print underflow and exit.

Step 4 :- $i = LB$

Step 5 :- Repeat step-6 until

while ($i < UB$)

Step 6 :- $a[i] = a[i+1]$

$i = i + 1$

Step 7 :- $a[UB] = NULL$

$UB = UB - 1$

Step 9 :- Stop

Deletion at End

LB	UB
10 5 6 4 3	

Algorithm:

Step 1: Start

Step 2: let A be the array of size max.

Step 3: if UB=0 then print underflow and exit

Step 4: a[UB] = NULL

Step 5: UB = UB - 1

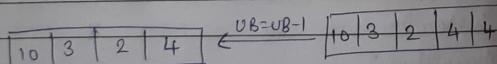
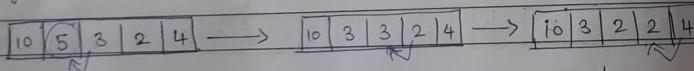
Step 6: Stop

Deletion at specific position

LB	UB
10 5 3 2 4	

a[0] a[1] a[2] a[3] a[4]

If we want to delete the second element.



Algorithm:

Step 1: Start

Step 2: let A be the array of size max.

Step 3: if UB=0 then print underflow and exit.

Step 4: Read element.

Step 5: $i = LB$.

Step 6: Repeat step-7

while ($i \neq pos$)

$i = i + 1$

Step 8: Repeat step-9 until

Step 9:

while ($i < UB$)

$a[i] = a[i+1]$

$i = i + 1$

Step 10:

$a[UB] = NULL$

Step 11:

$UB = UB - 1$

Step 12:

Stop

Insertion at beginning, end and specific position

Algorithm:

Step 1: Insert (value, pos)

Step 2: Set $i = UB + 1$

Step 3: Repeat step-4 to while ($i > pos$)

Step 4: $A[i] = A[i-1]$

Step 5: Set $i = i - 1$

[End of loop]

Step 6: $A[pos] = value$.

Step 7: So, $UB = UB + 1$

Step 8: Exit.

Searching an element in an array:

There are two types of searching —

• Linear search

• Binary search

• Linear search :-

Algorithm:

Step 1: Start

Step 2: Declare array.

Step 3: Read what to search (Let it be x)

Step 4: $i = 0$

Step 5: Repeat step-6 while ($i \leq n$)

Step 6: If $x = a[i]$ $i++$

return success

else

return failure.

Step 7:

Stop.

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- Binary Search :-

index no:-	0	1	2	3	4	5	6	7
	10	15	20	30	35	40	56	70
low			mid-1	mid	mid+1			High

element to be searched, $x = 35$

$L=0$

$H=n-1$

$$mid = \frac{(L+H)}{2} = \frac{0+7}{2} = 3$$

if $x == a[mid]$

success

else if $x > a[mid]$

search on right side of array.

else

search on left side of array.

Algorithm:

Step 1: Start

Step 2: let A be the array

Step 3: Read element to be searched, say x

Step 4: $L=0, H=n-1$

Step 5: Repeat step-6 until while ($L < H$)

$$mid = \frac{(L+H)}{2}$$

if $x == a[mid]$

return success;

else if $x > a[mid]$

$$L = mid + 1$$

else

$$H = mid - 1$$

Step 7: if not found return failure.

Step 8: Stop.

Stack

- Stack is an important data structure which stores its elements in an ordered manner.
- A stack is a linear data structure which uses the same principle, i.e., the elements in a stack are added and removed only from one end, which is called the top.
- Hence, a stack is called a LIFO (Last In - First Out) data structure, as the element that was inserted last is the first one to be taken out.

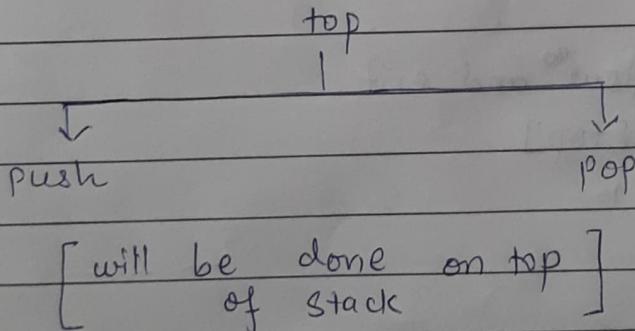
Operations On A Stack.

A stack supports three basic operations:

- push - pop - peek

- The push operation adds an element to the top of the stack and the pop operation removes the element from the top of the stack.
- The peek operation returns the value of the topmost element of the stack.

Stack can be implemented using arrays and linked lists.



PUSH

- The push operation is used to insert an element into the stack.
- The new element is added at the topmost position of the stack.
- However, before inserting the value, we must first check if $TOP = MAX - 1$, because if that is the case, then the stack is full and

no more insertions can be done.

Algorithm:

Step 1: Start

Step 2: Let A be the stack of size max.

Step 3: Read element to insert.

Step 4: If $\text{TOP} = \text{MAX} - 1$

Point overflow and exit.

Step 5: Set $\text{top} = \text{top} + 1$

Step 6: Set $\text{stack}[\text{top}] = \text{element}$.

Step 7: Stop

[P.P]

→ The pop operation is used to delete the topmost element from the stack.

→ However, before deleting the value, we must first check if $\text{TOP} = \text{NULL}$ because if that is the case, then it means the stack is empty and no more deletions can be done.

Algorithm:

Step 1: Start

Step 2: Let A be the stack of size max.

Step 3: If $\text{top} = \text{null}$.

point "underflow" and exit.

Step 4: Set $\text{val} = \text{stack}[\text{top}]$

Step 5: Set $\text{top} = \text{top} - 1$

Step 6: Stop

[Peek]

→ Peek is an operation that returns the value of the topmost element of the stack without deleting it from the stack.

→ However, the peek operation first checks if the stack is empty, i.e., if $\text{top} = \text{null}$, then an appropriate message is

printed, else the value is returned.

Algorithm:

Step 1: Start

Step 2: Let A be the stack of size max.

Step 3: Read element to insert.

Step 3: If $\text{top} = \text{null}$

print "stack is empty" and exit.

Step 4: Return $\text{stack}[\text{top}]$

Step 5: Stop

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→ Types of Expression

Infix, postfix and prefix notations are three different but equivalent notations of writing algebraic expressions.

infix → a+b

postfix → ab+

prefix → +ab

Conversion of an Infix Expression into a Postfix Expression

$$1 (A+B) * C$$

$$AB+ * C$$

$$AB+ C *$$

$$2 (A+B) / (C+C+D) - (D+E)$$

$$AB+ / CC+D) - (D+E)$$

$$AB+ / CD+ - (D+E)$$

$$AB+ / CD+ - DE*$$

$$AB+ CD+ / - DE*$$

$$AB+ CD+ / DE* -$$

$$\begin{aligned}
 3. & A+B - C*D * E^F G \\
 & A+B - C*D * F^E G^A \\
 & A+B - C*D * EFG^M \\
 & A+B - CD ** EFG^M \\
 & A+B - CD * EFG^M \\
 & AB + - CD * EFG^M \\
 & AB + CD * EFG^M \\
 \end{aligned}$$

$$\begin{aligned}
 4. & a+b*(cnd - c)^(f+g*h) - i \\
 & a+b*(cd^e)^(f+g*h) - i \\
 & a+b*cde - f+g*h - i \\
 & a+b*cd^e - fgh - i \\
 & abcd^e - fgh - i \\
 & abcd^e - fgh - i
 \end{aligned}$$

$$\begin{aligned}
 6. & A - (B|C + (D%/(E*F)|G)*H) \\
 & A - (B|C + (D%/*EF|G)*H) \\
 & A - (B|C + (DEF%/*|G)*H) \\
 & A - (B|C + DEF%/*G/*H) \\
 & A - (BC| + DEF%/*G H*) \\
 & A - BC|DEF%/*GH*+ \\
 & ABC|DEF%/*GH*+
 \end{aligned}$$

Conversion of an infix expression into a ^{prefix} postfix expression

$$\begin{aligned}
 1. & a+b-*cd \\
 & +ab-*cd \\
 & +ab*cd
 \end{aligned}$$

$$\begin{aligned}
 2. & (A+B)/(C+D) - (D*E) \\
 & +AB/(C+D) - (D*E) \\
 & +AB/ +CD - (D*E) \\
 & +AB/ +CD - *DE \\
 & /+AB+CD - *DE \\
 & /+AB+CD *DE
 \end{aligned}$$

$$\begin{aligned}
 3. & A+B-C*D*E^F G \\
 & A+B - C*D*E^M FG \\
 & A+B - C*D * E^A FG \\
 & A+B - C**D * E^A FG \\
 & A+B - **CD * E^A FG \\
 & +AB - **CD * E^A FG \\
 & -AB **CD * E^A FG
 \end{aligned}$$

$$\begin{aligned}
 4. & a+b*(cnd - e)^(f+g*h) - i \\
 & a+b*(cnd - e)^(f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i \\
 & a+b* - ^cde ^ (f+g*h) - i
 \end{aligned}$$

$$\begin{aligned}
 6. & A - (B|C + (D%/(E*F)|G)*H) \\
 & A - (B|C + (D%/*EF|G)*H) \\
 & A - (B|C + (%/D*EF|G)*H) \\
 & A - (B|C + (%/D*EFG *H) \\
 & A - (%/BC + (%/D*EGFH) \\
 & A - + /BC * (%/D*EGFH \\
 & +A + /BC * (%/D*EGFH
 \end{aligned}$$

- **Priorty:** It represents the evaluation of expression starting from "what operator".
- **Associativity:** It represents which operator should be evaluated first if an expression is containing more than one operator with same priority.

OPERATORS

[] . ++ (postfix)	-- (postfix)	ASSOCIATIVITY L to R
++ (prefix)	-- (prefix)	
+ (unary)	- (unary)	! (sizeof (type))
* (indirection)	& (address)	
*	/	%
+	-	
<<	>>	
<	<=	>
= =	!=	
&		
^		
!		
??		
? :		
=	+=	- = * = /= % = >> = << = & = ^ = !=
		(comma operator)

ASSOCIATIVITY

L to R

R to L

L to R

L to R

L to R

L to R

R to L

L to R

L to R

L to R

L to R

R to L

L to R

I to R

top of stack then print the top.

if the incoming symbol has equal precedence with top of stack use the associativity.

iii) If you come to the end of the expression, pop and print all the operators of the stack.

$$a + b * (c \& d - e) ^ (f + g * h) - i$$

Scanned element

Stack

Postfix Expression

a

+

a

b

+

ab

*

+

ab

(

+(

ab

c

+(

abc

^

+(^

abc

d

+(^

abcd

-

+(^-

abcd

e

+(^-

abcd^e

)

+(^

abcd^e -

^

+(^

abcd^e -

(

+(^ (

abcd^e - f

f

+(^ (

abcd^e - f

+

+(^ (+

abcd^e - fg

g

+(^ (+

abcd^e - fg

*

+(^ (+ *

abcd^e - fg

h

+(^ (+ *

abcd^e - fgh

)

+(^

abcd^e - fgh * + ^ * +

-

+(^ -

abcd^e - fgh * + ^ * +

?

-

abcd^e - fgh * + ^ * +

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- * Conversion of an infix expression to postfix expression using stack
 - Algorithm:-
 - i) If stack is empty or it contains left parenthesis on top, push the incoming operator on to the stack.
 - ii) If the incoming symbol is opening bracket, push into the stack.
 - iii) If incoming symbol is closing bracket pop the stack and print the operators until left parenthesis is found.
 - iv) If the incoming symbol has higher precedence than top of the stack, push it into the stack.
 - v) If the incoming symbol has a lower precedence than

Q. $A + (B * C - (D / E) ^ F) + G * H$.

Scanned element	Stack	Postfix Expression
A.		A
+	+	A
(+()	A
B	+()	AB
*	+(*)	AB
C	+(*)	ABC
-	+(-)	ABC*
(+(-()	ABC*
D	+(-()	ABC*D
/	+(-(/	ABC*D
E	+(-(/	ABC*DE
^	+(-(/^	ABC*DE
F	+(-(/^	ABC*DEF
)	+(-	ABC*DEF^/
+	+(-+	ABC*DEF^/
G	+(-+)	ABC*DEF^/G
)	+(-+)	ABC*DEF^/G+-
*	+*	ABC*DEF^/G+-
H	+*	ABC*DEF^/G+-H**
		ABC*DEF^/G+-H**

+	+	AB^C/
(+()	AB^C/
D	+()	AB^C/D
*	+(*)	AB^C/D
E	+(*)	AB^C/DE
)	+(*)	AB^C/DE*
^	+^	AB^C/DE*
F	+^	AB^C/DE**
-	-	AB^C/DE**F
(-()	AB^C/DE**F^+
G	-()	AB^C/DE**F^+
+	-(+)	AB^C/DE**F^+G
H	-(+)	AB^C/DE**F^+GH
)	-	AB^C/DE**F^+GH+ -
		AB^C/DE**F^+GH+-

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Q. $A \wedge B \mid C + (D * E) \wedge F - (G + H)$
Convert infix to postfix using stack.

Scanned element	Stack	Postfix Expression
A		A
^	^	A
B	^	AB
/	/	AB^
C	/	AB^C

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Queue

- A queue is a linear data structure.
- A queue is a first-in, first-out (FIFO) data structure in which the element that is inserted first is the first one to be taken out.
- The elements in a queue are added at one end called the rear and removed from the other end called the front.
- Like stacks, queue can be implemented by using either arrays or linked lists.

Operations in Queues

A queue supports two basic operations:

- Enqueue - Dequeue.

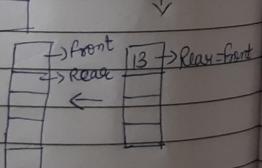
→ Every queue has front and rear variables that point to the position from where deletions and insertions can be done, respectively.

If $\text{front} = -1$ } then queue is empty
 $\text{rear} = -1$ i.e. underflow condition.

$\text{front} > \text{rear}$ → underflow condition.



$\text{rear} = \text{max} - 1 \rightarrow$ overflow condition.



Enqueue

Algorithm:

Step 1:- Start

Let A be the queue of size max.

Step 2:- If $\text{rear} = \text{max} - 1$ print "overflow" and exit.

Step 3:- Read element . (x)

Step 4:- If $\text{front} = -1$ and $\text{rear} = -1$
 Set $\text{front} = \text{rear} = 0$.

else

$\text{rear} = \text{rear} + 1$

Step 5:- $\text{queue}[\text{rear}] = x$

Step 6:- Stop.

Dequeue

Algorithm:

Step 1:- Start

Step 2:- Let A be the queue of size n.

Step 3:- If $\text{front} = -1$ or $\text{front} > \text{rear}$
 print underflow and exit.

Step 4:- value = $\text{queue}[\text{front}]$

Step 5:- $\text{front} = \text{front} + 1$

Step 6:- Stop

* 4 Types of queue:-

- Linear queue

- Circular queue

- Priority queue

- Multiple queue.

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Circular Queue

→ In linear queues, insertions can be done only at one end called the rear and deletions are always done from the other end called the front.

54	9	7	18	14	36	45	21	99	72
0	1	2	3	4	5	6	7	8	9

Now, if we want to insert another value, it will not be

possible because the queue is completely full
there is no empty space where the value can be inserted.

- Consider a scenario in which two successive deletions are made.
the queue will be -

	7	18	14	36	45	21	99	72
0	1	2	3	4	5	6	7	8

Here, $\text{front} = 2$ and $\text{rear} = 9$

Suppose we want to insert a new element.

- Even though there is space available, the overflow condition still exists because the condition $\text{rear} = \text{max} - 1$ will hold true. This is a major drawback of a linear queue.

Enqueue :-

For insertion, we now have to check for the following three conditions:-

- If $\text{front} = 0$ and $\text{rear} = \text{max} - 1$, the circular queue is full.
- If $\text{rear} = \text{max} - 1$, then rear will be incremented and the value will be inserted.
- If $\text{front} \neq 0$ and $\text{rear} = \text{max} - 1$, then it means that the queue is not full. So, set $\text{rear} = 0$ and insert the new element.

Algorithm :-
 front=0
 rear=max-1] the queue is overflow.

Algorithm :-

Step 1 :- Start

Let A be the queue of size max.

Step 2 :- If $\text{front} = 0$ & $\text{rear} = \text{max} - 1$
 print "overflow" and exit.

Step 3 :- Read element.

B	3	10	R	7
	↓			↑

front=0

rear=7

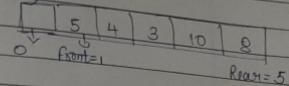
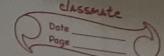
Step 4 :- If $\text{front} = -1$ & $\text{rear} = -1$
 set $\text{front} = \text{rear} = 0$.

Step 5 :- Else if ($\text{front} \neq 0$ & $\text{rear} = \text{max} - 1$)
 set $\text{rear} = 0$

Step 6 :- Else, $\text{rear} = \text{rear} + 1$

Step 7 :- $Q[\text{Rear}] = \text{element}$.

Step 8 :- Stop.



Dequeue :-

To delete an element, again we check for three conditions:-

- If $\text{front} = -1$, then there are no elements in the queue. So, an underflow condition will be reported.

	1	2	3	4	5	6	7	8	9
↓	0								

front=Rear=-1

- If the queue is not empty and $\text{front} = \text{rear}$, then after deleting the element at the front the queue becomes empty and so front and rear are set to -1.

	1	2	3	4	5	6	7	8	9
↓	0								

Front=Rear=9

↓
 Delete this element and $\text{Set Rear} = \text{front} = -1$

- If the queue is not empty and $\text{front} = \text{max} - 1$, then after deleting the element at the front, front is set to 0.

72	63	9	18	27	39			81
0	1	2	3	4	rear=5	6	7	8

↓
 Front=9

↓
 Delete the element and
 Set front=0

Deque

Algorithms:-

Step 1:-

start .

Step 2:- let A be the queue of size max .

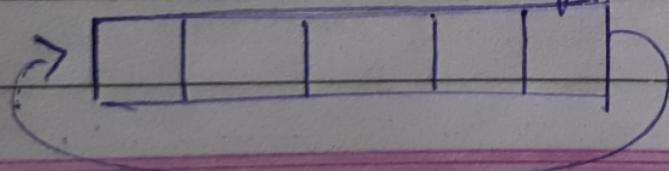
Step 3:- if front = -1

point "underflow" and exit .

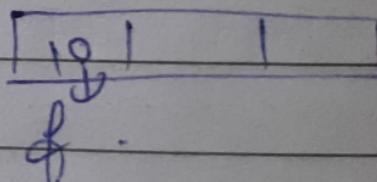
~~Step 4:~~

element = q [front]

f=R



- Queue is empty
- initial



//queue is having a single element switch queue
then queue is
to initial state = -1

if front = rear

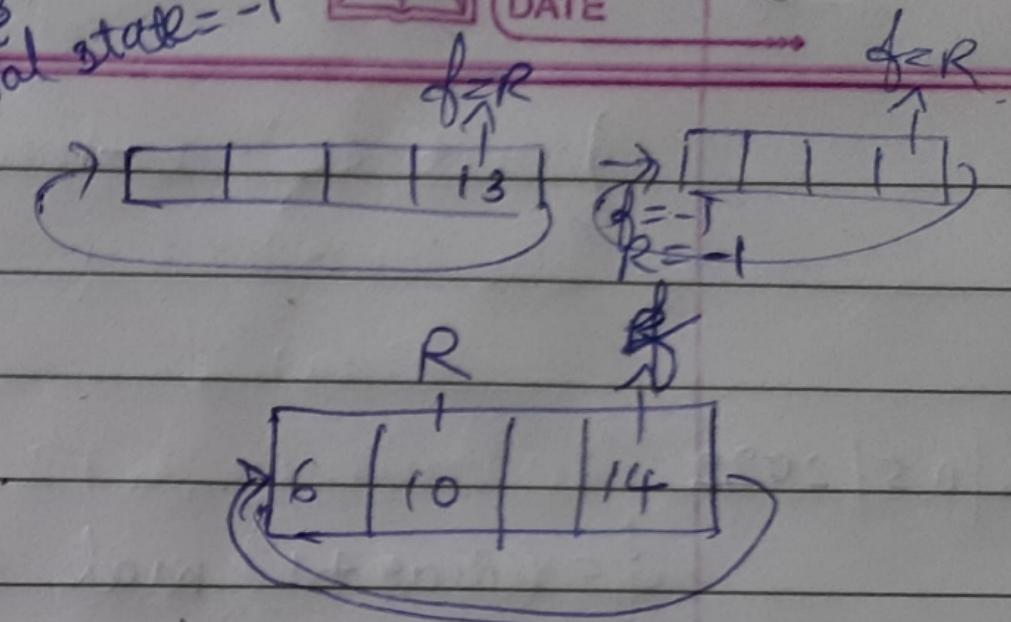
front = rear = -1

else if front = max - 1

Set front = 0.

else

front = front + 1

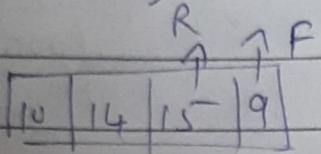


front = max - 1

front = 0.

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$f = (\text{Rear} + 1) \bmod \text{max size} \rightarrow \text{overflow}$



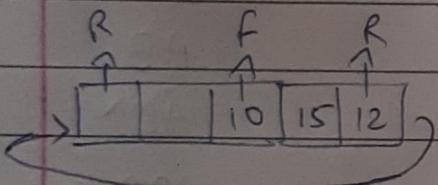
if $\text{front} = (\text{Rear} + 1) \bmod \text{max size}$

$\text{front} = 0$ and $\text{Rear} = \text{max} - 1$

print "overflow" and exit.

if $\text{front} = \text{Rear} = -1$

set $\text{front} = \text{Rear} = 0$.



{ If $\text{front} \neq 0 \ \&\ \text{Rear} = \text{max} - 1$
Set $\text{rear} = 0$.

else if $\text{front} \neq 0 \ \&\ \text{Rear} = \text{max} - 1$

set $\text{rear} = 0$.

else

$\text{rear} = \text{rear} + 1$.

* Stack

Expression Evaluation using Stack :

Postfix \rightarrow Reverse polished notation.

The postfix expression is used to evaluate expression.

$$Q. \quad 934 * 8 + 4 / -$$

Scanning

9

3

4

*

8

+

4

/

-

stack

9

93

934

9 12

9 12 8

9 12 0

9 20 4

9 5

4

Operation



Q. $AB + CD * EF G \sim \sim -$

$A=2, B=3, C=1, D=2, E=2, F=2, G=2$

$2 \ 3 + 1 \ 2 * 2 \ 2 \ 2 \sim \sim -$

Scanning stack.

2 2

3 2 3

+

5

C 5 1

2 5 1 2

*

5 2

2 5 2 2

2 5 2 2 2

2 5 2 2 2 2

^ 5 2 2 2 4

~ 5 2 8 2 16

*

5 2 3 2

-

5 2 7

Linked List

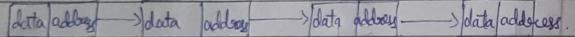
Limitations of Array:

- Sequential access
- Size specify

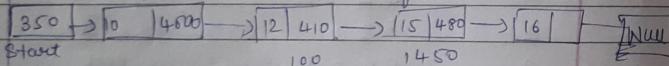
~~Even~~ Every node in linked list is the collection of nodes.

Every linked list has two elements: data and address.

[data address]



(Start) node will store the base address i.e. address of first node



- The array is the linear collection of data elements in which the elements are stored in consecutive memory locations.

- While declaring arrays, we have to specify the size of the array which will restrict the number of elements that the array can store.

- To make efficient use of memory the elements must be stored randomly at any location. So there must be a data structure that removes the restriction on the maximum number

of elements & the storage condition. So, Linked List is a data structure that removes this restriction.

* Limitation of linked list:

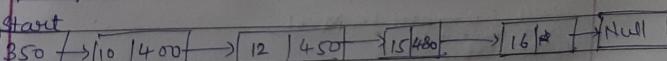
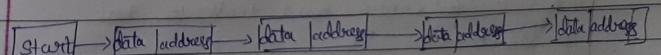
A linked list does not allow random access of data elements.

The elements in the linked list can be only be accessed in sequential manner.

- A linked list is a linear collection of data elements. These data elements are called as nodes.

- Every node in a linked list is having two parts. One is the data and second is the pointer to the next node.

- The last node will have no next node connected to it. So, it will store a special value called as null.



Struct node

{

int data;

struct node *next;

}

*link

Ex:-

[name]	[marks]	[id]	[next]
--------	---------	------	--------

Struct node

{

char name[10];

float

marks;

int id;

struct node * next;

}

→ Declare a pointer, start = Null

To indicate the linked list is initially empty

start = Null.

Link list is empty can't traverse till
count = 0
p = start

while (p → next != NULL)
count = count + 1
p = p → next.

Linked List* Traversing of linked list :-

Step 1: start

Step 2: if (start=NULL)

print "link is empty" and exit

Step 3: p=start

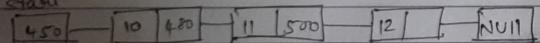
Step 4: while (p->link!=NULL) ok while (p!=NULL)

Display the data part.

p=p->next link.

Step 5: Stop

start

* Counting number of elements in linked list

Step 1: Start

Step 2: if (start=NULL)

print "link is empty" and exit

Step 3: count = 0
p = start

Step 4: while (p->link!=NULL)

Count the no. of elements in linked list.

count = count + 1;

p = p->link

Display count.

Step 5: Stop

* Insertion in linked list :-→ Insert node at beginning OR create a node
→ if start=NULL,

node = only node in linked list.

→ Node will be inserted at first position when we create node.

* Create node

newnode = (struct node *)malloc(sizeof(struct node))

Get Data from user.

newnode->link = NULL;

node
will be
the only
element
start=NULL

if (start=NULL)

{

newnode->link = NULL

start = newnode



else

{

newnode->link = start

newnode

newnode = start

start

* Insertion at end- Create new node

newnode = (struct node *)malloc(sizeof(struct node))

Get Data from user.

newnode->link = NULL;

if (start = NULL)

{

newnode->link = NULL

start = newnode

y

else

{
p = start ;

while (p -> link != null)

{

p = p -> link

}

p -> link = newnode .

{

pos = 0 .

* Insertion at specific position .