

## Exp\_13\0\_1Knapsack\_DP\_Greedy.c

```
1  #include <stdio.h>
2  #include <stdlib.h>
3
4  // Structure to represent an item
5  typedef struct {
6      int weight;
7      int value;
8      double ratio; // value-to-weight ratio for greedy approach
9  } Item;
10
11 // Function to find maximum of two integers
12 int max(int a, int b) {
13     return (a > b) ? a : b;
14 }
15
16 // Dynamic Programming approach for 0/1 Knapsack
17 int knapsackDP(int weights[], int values[], int n, int capacity) {
18     int dp[n + 1][capacity + 1];
19
20     // Build table dp[][] in bottom-up manner
21     for (int i = 0; i <= n; i++) {
22         for (int w = 0; w <= capacity; w++) {
23             if (i == 0 || w == 0)
24                 dp[i][w] = 0;
25             else if (weights[i - 1] <= w)
26                 dp[i][w] = max(values[i - 1] + dp[i - 1][w - weights[i - 1]],
27                                 dp[i - 1][w]);
28             else
29                 dp[i][w] = dp[i - 1][w];
30         }
31     }
32
33     return dp[n][capacity];
34 }
35
36 // Comparison function for qsort (descending order of ratio)
37 int compare(const void *a, const void *b) {
38     Item *item1 = (Item *)a;
39     Item *item2 = (Item *)b;
40     if (item2->ratio > item1->ratio)
41         return 1;
42     else if (item2->ratio < item1->ratio)
43         return -1;
44     return 0;
45 }
46
47 // Greedy approach for 0/1 Knapsack (approximation)
48 int knapsackGreedy(int weights[], int values[], int n, int capacity) {
49     Item items[n];
50
51     // Create items array with value-to-weight ratio
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52     for (int i = 0; i < n; i++) {
53         items[i].weight = weights[i];
54         items[i].value = values[i];
55         items[i].ratio = (double)values[i] / weights[i];
56     }
57
58     // Sort items by ratio in descending order
59     qsort(items, n, sizeof(Item), compare);
60
61     int totalValue = 0;
62     int currentWeight = 0;
63
64     // Pick items based on greedy choice
65     for (int i = 0; i < n; i++) {
66         if (currentWeight + items[i].weight <= capacity) {
67             currentWeight += items[i].weight;
68             totalValue += items[i].value;
69         }
70     }
71
72     return totalValue;
73 }
74
75 int main() {
76     int n, capacity;
77
78     printf("Enter the number of items: ");
79     scanf("%d", &n);
80
81     int weights[n], values[n];
82
83     printf("Enter the weights of items:\n");
84     for (int i = 0; i < n; i++) {
85         printf("Item %d: ", i + 1);
86         scanf("%d", &weights[i]);
87     }
88
89     printf("Enter the values of items:\n");
90     for (int i = 0; i < n; i++) {
91         printf("Item %d: ", i + 1);
92         scanf("%d", &values[i]);
93     }
94
95     printf("Enter the knapsack capacity: ");
96     scanf("%d", &capacity);
97
98     // Dynamic Programming approach
99     int dpResult = knapsackDP(weights, values, n, capacity);
100    printf("\n--- Dynamic Programming Approach ---\n");
101    printf("Maximum value (DP): %d\n", dpResult);
102
103    // Greedy approach
104    int greedyResult = knapsackGreedy(weights, values, n, capacity);
105    printf("\n--- Greedy Approach ---\n");

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```
106     printf("Maximum value (Greedy): %d\n", greedyResult);
107
108     printf("\nNote: Greedy approach may not always give optimal solution for 0/1
Knapsack.\n");
109
110     return 0;
111 }
```