



Useful Links

Main site: <https://coq.inria.fr/>
 Install: <https://github.com/coq/platform>
 Sources: <https://github.com/coq/coq>

Installing coq with opam

```
opam init
eval $(opam env)
opam switch create with-coq 4.05.0
opam pin add coq ${VERSION}
opam install coqide
opam repo add coq-released https://coq.inria.fr/opam/released
opam install coq-sudoku
```

Executables

```
coqc --help    Coq compiler
coqtop --help  Coq toplevel
coqide --help  Coq IDE
```

Vernacular Commands

Check <i>expression</i> .	Check the type of expression
Locate " <i>_</i> " <= " <i>_</i> ".	Find definition of identifier
Compute <i>expression</i> .	Compute an expression
Definition <i>ident</i> := <i>exp</i> .	Definition
Definition <i>f args</i> := <i>exp</i> .	Function definition
Reset <i>ident</i> .	Forget definition
Require Import <i>Library</i> .	Import a library
SearchPattern <i>pattern</i> .	Search for a pattern (type)
Search <i>patterns</i> .	Search a combination of patterns
Search (<i>_</i> <= <i>_</i>) (<i>_</i> + <i>_</i>).	Search example
Print <i>ident</i> .	Print more information on <i>ident</i>
Fixpoint <i>f args</i> := <i>exp</i> .	Recursive definition requires <i>structural recursion</i>
Theorem <i>ident</i> : <i>exp</i> .	Theorem definition
Lemma <i>ident</i> : <i>exp</i> .	Lemma definition

Expressions

True, False	Prop
1	nat
1,1	nat * nat
1=1 / textbackslash1<=2	Prop
nat -> Prop	Type
forall A: Prop, ~A	Prop
fun x : nat => x = 3	nat -> Prop
forall x:nat, x<3 \/ exists y:nat, x=y+3	Prop
let x := 1 in x+x	nat
A -> B -> C	A implies (B implies C)
if cond then e1 else e2	Conditional
(match e with 0 => true S p => false end)	Pattern-matching

Libraries

Bool	Booleans
Arith	Natural Numbers: 0, 1 = S 0
List	Lists: nil, 1::nil, [1;2], map f l, l++l
Omega	Provide tactic omega
ArithRing	Provide tactic ring
ZArith	Integer Numbers

Tactics Table

	Hypothesis H	Conclusion
\Rightarrow	apply H [with x:=E]	intros H
\neg	elim H case H	intros H
False	elim H case H	intros H
\forall	apply H	intros H
\exists	elim H case H destruct H as [x H1]	exists v
\wedge	elim H case H destruct H as [H1 H2]	split
\vee	elim H case H destruct H as [H1 H2]	left right
=	rewrite H [with x:=E] rewrite <- H [with x:=E]	reflexivity ring

New Datatypes

```
Inductive bin : Type :=
  L : bin
| N : bin -> bin -> bin.
```

Tactics

assumption	Search goal in assumptions
intuition, tauto	Auto use of conj, disj and neg
firstorder	tauto with exist and forall
Qed	Proof finished, to be saved
t1;t2	Use t1, then t2
apply le_trans with (m:=1)	Apply, with free-var subst
unfold <i>ident</i>	Substitute with definition
assert (H : P)	introduce hypoth. H as P
auto, eauto	Use user-provided theorems
ring	equalities, add and mult
omega	linear inequations
induction n	induction on a natural number
simpl	substitute recursive call
discriminate	remove self-contradictory goals
injection H	instantiate H before goal
rewrite H	Use left-to-right rewrite of equality
rewrite <- H	Use right-to-left rewrite of equality
case H	Split between H and ~H
exact H	?
inversion H	?

```
Theroem t1: forall x1 ... xk, A1 x1 ... xk
-> A2 x1 ... xk -> ... -> C x1 ... xk
=====
C a1 ... ak
use: apply t1
=====
A1 a1 ... ak, ..., An a1 ... ak
```

