

Bloch-Messiah reduction on a two source HOM Dip

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Chapter 1

Todo List

Subprogram [makeopticalelements::abt](#) (i, j, ft, nspec)

check this

Subprogram [makeopticalelements::bbd](#) (i, j, ft, nspec)

check this

Chapter 2

Modules Index

2.1 Modules List

Here is a list of all modules with brief descriptions:

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Chapter 3

File Index

3.1 File List

Here is a list of all files with brief descriptions:

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Chapter 4

Module Documentation

4.1 makeopticalelements Module Reference

module for building symplectic matrices for optical elements

Functions/Subroutines

- subroutine [make_bs](#) (nspace, nspec, symp_mat, m1, m2, theta)
makes beamsplitter symplectic matrix takes in an allocated matrix for the beamsplitter matrix to be written to uses the private ident_spec, spatial_work, n_work arrays
- subroutine [make_sq](#) (nspace, nspec, symp_mat, m1, m2, alpha, beta)
make symplectic squeezing matrix from exponentiated JSA a lot is broken...
- complex(kind=dp) function, dimension(:, :), allocatable [make_squeezer](#) (nspace, nspec, mode1, mode2, jsa)
make sqq matrix from jsa function
- real(kind=dp) function, dimension(:, :), allocatable [gen_jsa](#) (f, w1_start, w1_steps, w1_incr, w2_start, w2_steps, w2_incr, sigma1, sigma2, outfile, w1offset, w2offset)
samples the given jsa for frequency ranges w1, w2
- complex(kind=dp) function [f_gauss](#) (w1, w2, sigma1, sigma2, w1off, w2off)
JSA function taking two freq.
- complex(kind=dp) function [f_sine](#) (w1, w2, sigma1, sigma2, w1off, w2off)
- real(kind=dp) function [g4](#) (ft, nspec)
calculates g4 using matrix elements sum
- real(kind=dp) function [amp](#) (a)
returns the absolute value squared $|a|^2$
- complex(kind=dp) function [abt](#) (i, j, ft, nspec)
*calculates matrix elements $\text{Alpha} \cdot \text{Beta}^{**T}$ for $M = (A \ B)$ ($B^* \ A^*$) computes AB^{**T} and returns the i,j -th element*
- complex(kind=dp) function [bbd](#) (i, j, ft, nspec)
*calculates the matrix elements $\text{Beta} \cdot \text{Beta}^{**H}$ for $M = (A \ B)$ ($B^* \ A^*$) computes $B \cdot B^{**H}$ (Hermitian conjg) and returns the i,j -th element*
- subroutine [alloc_temparrays](#) (nspace, nspec)
allocates temp arrays for matrices
- subroutine [dealloc_temparrays](#)

Variables

- real(kind=dp), public [ident](#)

4.1.1 Detailed Description

module for building symplectic matrices for optical elements

4.1.2 Function/Subroutine Documentation

4.1.2.1 `complex(kind=dp) function makeopticalelements::abt (integer i, integer j, complex(kind=dp), dimension(:,,:), intent(in), allocatable ft, integer nspec)`

calculates matrix elements Alpha-Beta^{**T} for $M = (A \ B) \ (B^* \ A^*)$ computes AB^{**T} and returns the i,j -th element

Parameters

<i>i</i>	input index 1
<i>j</i>	input index 2
<i>ft</i>	input symplectic transform matrix for the optical circuit
<i>nspec</i>	input number of spectral DOF

Todo check this

4.1.2.2 `subroutine makeopticalelements::alloc_temparrays (integer, intent(in) nspace, integer, intent(in) nspec)`

allocates temp arrays for matrices

Parameters

<i>nspace</i>	input
<i>nspec</i>	input allocates memory for ident_spec a spectral size matrix for tensor producting.

allocates mem for spatial_work, array size of spatial modes

allocates mem for n_work, work array size of alpha or beta in symplectic matrix

4.1.2.3 `real(kind=dp) function makeopticalelements::amp (complex(kind=dp) a)`

returns the absolute value squared $|a|^{**2}$

Parameters

<i>a</i>	input complex number to be $ a ^{**2}$
----------	--

4.1.2.4 `complex(kind=dp) function makeopticalelements::bbd (integer, intent(in) i, integer, intent(in) j, complex(kind=dp), dimension(:,,:), intent(in), allocatable ft, integer, intent(in) nspec)`

calculates the matrix elements $Beta * Beta^{**H}$ for $M = (A \ B) (B^* \ A^*)$ computes $B * B^{**H}$ (Hermitian conjg) and returns the *i,j*-th element

Parameters

<i>i</i>	input index 1
<i>j</i>	input index 2
<i>ft</i>	input symplectic transform matrix for the optical circuit
<i>nspec</i>	input number of spectral DOF

Todo check this

4.1.2.5 `subroutine makeopticalelements::dealloc_temparrays ()`

4.1.2.6 `complex(kind=dp) function makeopticalelements::f_gauss (real(kind=dp), intent(in) w1, real(kind=dp), intent(in) w2, real(kind=dp), intent(in) sigma1, real(kind=dp), intent(in) sigma2, real(kind=dp), intent(in) w1off, real(kind=dp), intent(in) w2off)`

JSA function taking two freq.

Parameters

<i>w1</i>	input signal freq
<i>w2</i>	input idler freq
<i>sig</i>	input variance

4.1.2.7 `complex(kind=dp) function makeopticalelements::f_sine (real(kind=dp), intent(in) w1, real(kind=dp), intent(in) w2, real(kind=dp), intent(in) sigma1, real(kind=dp), intent(in) sigma2, real(kind=dp), intent(in) w1off, real(kind=dp), intent(in) w2off)`

4.1.2.8 `real(kind=dp) function makeopticalelements::g4 (complex(kind=dp), dimension(:,,:), intent(in), allocatable ft, integer, intent(in) nspec)`

calculates g4 using matrix elements sum

Parameters

<i>ft</i>	input is the full symplectic transform
<i>nspec</i>	input spectral DOF

4.1.2.9 `real(kind=dp) function, dimension (:,:), allocatable makeopticalelements::gen_jsa (complex(kind=dp) f, real(kind=dp), intent(in) w1_start, integer w1_steps, real(kind=dp), intent(in) w1_incr, real(kind=dp), intent(in) w2_start, integer w2_steps, real(kind=dp), intent(in) w2_incr, real(kind=dp), intent(in) sigma1, real(kind=dp), intent(in) sigma2, integer outfile, real(kind=dp), optional w1offset, real(kind=dp), optional w2offset)`

samples the given jsa for frequency ranges w1, w2

Parameters

<i>f_mat</i>	allocatable Jsa matrix values out
<i>w_start</i>	

4.1.2.10 `subroutine makeopticalelements::make_bs (integer nspace, integer nspec, complex(kind=dp), dimension(:,:), allocatable symp_mat, integer m1, integer m2, real(kind=dp) theta)`

makes beamsplitter symplectic matrix takes in an allocated matrix for the beamsplitter matrix to be written to uses the private ident_spec, spatial_work, n_work arrays

Parameters

<i>nspace</i>	is number of total spatial modes
<i>nspec</i>	is number of total spectral modes
<i>m_bs</i>	allocated n*n matrix for beamsplitter
<i>m1</i>	is spatial mode 1 for beam splitter
<i>m2</i>	is spatial mode 2 for beam splitter

4.1.2.11 `subroutine makeopticalelements::make_sq (integer nspace, integer nspec, complex(kind=dp), dimension(:,:), allocatable symp_mat, integer m1, integer m2, complex(kind=dp), dimension(:,:), intent(inout) alpha, complex(kind=dp), dimension(:,:), intent(inout) beta)`

make symplectic squeezing matrix from exponentiated JSA a lot is broken...

Note

only works if modes are consecutive

Note

alpha & beta are 2 spatial modes and all spectral modes dim 2*nspace*nspec

loop for alpha

check this is legal... full diag sq symp_mat(m1s:m1s+nspec, m1s+n:m1s+nspec+n)=beta(1:nspec, 1+nspec↵:2*nspec)

probably not legal symp_mat(m2s:m2s+nspec, m2s+n:m2s+nspec+n)=beta(nspec+1:2*nspec, 1:nspec)

loop for beta, offset to col+n

4.1.2.12 `complex(kind=dp) function, dimension(:, :), allocatable makeopticalelements::make_squeezer (integer, intent(in) nspace, integer, intent(in) nspec, integer, intent(in) mode1, integer, intent(in) mode2, complex(kind=dp), dimension(:, :), intent(in), allocatable jsa)`

make sqq matrix from jsa function

Note

to make off diagonal for fmatrix $m_sq=0.0_dp$! top right $m_sq(1:1*f_size, 3*f_size+1:4*f_size)=1$! mid right $m_sq(1*f_size+1:2*f_size, 2*f_size+1:3*f_size)=2$! mid left $m_sq(2*f_size+1:3*f_size, 1*f_size+1:2*f_size)=3$! bot left $m_sq(3*f_size+1:4*f_size, 1:1*f_size)=4$
 $lh=0.0$ F_JSA F_JSA^*T 0.0

$f_jsa = f_mat$

$M_sq = \exp(i \begin{pmatrix} 0 & H \end{pmatrix} (-H^* \ 0))$

$M_sq = \exp(i \begin{pmatrix} 0 & 0 & 0 & F_JSA \\ 0 & 0 & F_JSA^{**}T & 0 \\ 0 & -conjg(F_JSA) & 0 & 0 \\ -F_JSA^{**}H & 0 & 0 & 0 \end{pmatrix})$

Note

alpha beta are top left and top right of M $M = \begin{pmatrix} A & B \end{pmatrix} \begin{pmatrix} B^* & A^* \end{pmatrix}$

Parameters

<i>alpha_size</i>	is $2*f_size$ as all spectral modes for 2 spatial
-------------------	--

Note

allocate for sq on modes 1&2

4.1.3 Variable Documentation

4.1.3.1 `real(kind=dp), public makeopticalelements::ident`

4.2 olis_f90stdlib Module Reference

Functions/Subroutines

- subroutine [alloc_complex_eigenvects](#) (matrix, eigenvals, u, v)
allocates eigenvals, u & v arrays for eigenvals & eigenvects
- subroutine [alloc_complex_svd](#) (matrix, sigma, u, vt)
allocates sigma (singular vals), u and vt for complexSVD allocates temp work arrays too
- subroutine [randseed](#) (seed)
generates random seed
- subroutine [printvectors](#) (vect, desc, f)
print formatted matrices can take optional args for labels or write directly to a file
- `complex(kind=dp) function, dimension(2, 2) outerproduct (a, b)`
outerproduct of two complex vectors, returns a complex matrix

- complex(kind=dp) function, dimension(n, n) `c_identity` (n)
makes complex identity matrix dim (n x n)
- complex(kind=dp) function, dimension(:, :), allocatable `tprod` (a, b)
tensor product for complex matrices aXb
- complex(kind=dp) function `complextrace` (a)
computes the trace of a complex matrix
- subroutine `complex_eigenvects` (a, w, vl, vr)
computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack
- subroutine `complex_svd` (a, sigma, u, vt)
computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack
- complex(kind=dp) function, dimension(2, 2) `c_inv2` (m_in)
inverse for a complex 2x2 matrix
- real(kind=dp) function `matrixnorm` (c)
computed Frobenius matrix norm of complex matrix using lapack zlange
- complex(kind=dp) function, dimension(size(matrix, 1), size(matrix, 2)) `expmatrix` (matrix, n)
- recursive complex(kind=dp) function, dimension(size(x, 1), size(x, 2)) `matrixmul` (x, n)
- recursive real(kind=dp) function `factorial` (n)
- real(kind=dp) function `sinc` (x)
sinc function

Variables

- real(kind=dp), parameter `pi` =4.0_dp*atan(1.0)
- complex(kind=dp), parameter `imaginary` =(0.0_dp, 1.0_dp)

4.2.1 Function/Subroutine Documentation

4.2.1.1 subroutine `olis_f90stdlib::alloc_complex_eigenvects` (complex(kind=dp), dimension(:, :), intent(in) *matrix*, complex(kind=dp), dimension(:), intent(inout), allocatable *eigenvals*, complex(kind=dp), dimension(:, :), intent(inout), allocatable *u*, complex(kind=dp), dimension(:, :), intent(inout), allocatable *v*)

allocates eigenvals, u & v arrays for eigenvals & eigenvects

allocated temp work arrays also

Author

Oliver Thomas August 2018

Parameters

<i>matrix</i>	input complex matrix
<i>eigenvals</i>	1d array for eigenvalues, is overwritten on exit
<i>u</i>	2d array of left eigenvectors
<i>v</i>	3d array of right eigenvectors

4.2.1.2 subroutine `olis_f90stdlib::alloc_complex_svd` (`complex(kind=dp)`, `dimension(:, :)`, `intent(in)` *matrix*, `real(kind=dp)`, `dimension(:, :)`, `intent(inout)`, allocatable *sigma*, `complex(kind=dp)`, `dimension(:, :)`, `intent(inout)`, allocatable *u*, `complex(kind=dp)`, `dimension(:, :)`, `intent(inout)`, allocatable *vt*)

allocates sigma (singular vals), u and vt for complexSVD allocates temp work arrays too

Parameters

<i>matrix</i>	input complex matrix
<i>sigma</i>	real vector of singular values sorted in descending order
<i>u</i>	unitary matrix
<i>vt</i>	unitary matrix returns $V^{**}H$ NOT v

4.2.1.3 `complex(kind=dp)` function, `dimension(n,n)` `olis_f90stdlib::c_identity` (`integer`, `intent(in)` *n*)

makes complex identity matrix dim (nxn)

Parameters

<i>n</i>	input dimension
----------	-----------------

4.2.1.4 `complex(kind=dp)` function, `dimension(2,2)` `olis_f90stdlib::c_inv2` (`complex(kind=dp)`, `dimension(2,2)`, `intent(in)` *m_in*)

inverse for a complex 2x2 matrix

Parameters

<i>m_{in}</i>	is input complex 2x2 matrix
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4.2.1.5 subroutine `olis_f90stdlib::complex_eigenvecs` (`complex(kind=dp)`, `dimension(:, :)`, allocatable *a*, `complex(kind=dp)`, `dimension(:, :)`, allocatable *w*, `complex(kind=dp)`, `dimension(:, :)`, allocatable *vl*, `complex(kind=dp)`, `dimension(:, :)`, allocatable *vr*)

computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack

Parameters

<i>a</i>	input allocatable complex matrix to be diagonalised
<i>w</i>	output allocatable complex 1d array containing eigenvals
<i>vl</i>	output allocatable complex 2d array containing left eigenvectors
<i>vr</i>	output allocatable complex 2d array containing right eigenvectors

Note

need to check this is optimised

4.2.1.6 subroutine `olis_f90stdlib::complex_svd` (`complex(kind=dp), dimension(:,:), intent(inout) a`, `real(kind=dp), dimension(:)` *sigma*, `complex(kind=dp), dimension(:,:)` *u*, `complex(kind=dp), dimension(:,:)` *vt*)

computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack

Parameters

<i>a</i>	input allocatable complex matrix to be SVD'd
<i>sigma</i>	output allocatable complex 1d array containing ordered singular values
<i>u</i>	output allocatable complex 2d array containing u
<i>vt</i>	output allocatable complex 2d array containing v**H

Note

need to check this is optimised

4.2.1.7 `complex(kind=dp)` function `olis_f90stdlib::complextrace` (`complex(kind=dp), dimension(:,:)` *a*)

computes the trace of a complex matrix

Parameters

<i>a</i>	is the complex matrix in
----------	--------------------------

4.2.1.8 `complex(kind=dp)` function, `dimension(size(matrix,1),size(matrix,2))` `olis_f90stdlib::expmatrix` (`complex(kind=dp), dimension(:,:)` *matrix*, `integer` *n*)

Parameters

<i>n</i>	is the number of terms in taylor expansion to consider
----------	--

4.2.1.9 recursive `real(kind=dp)` function `olis_f90stdlib::factorial` (`integer` *n*)

4.2.1.10 recursive `complex(kind=dp)` function, `dimension(size(x,1),size(x,2))` `olis_f90stdlib::matrixmul` (`complex(kind=dp), dimension(:,:)` *x*, `integer` *n*)

4.2.1.11 `real(kind=dp)` function `olis_f90stdlib::matrixnorm` (`complex(kind=dp), dimension(:,:)` *c*)

computed Frobenieus matrix norm of complex matrix using lapack zlange

Parameters

<i>c</i>	input complex matrix
----------	----------------------

4.2.1.12 `complex(kind=dp) function, dimension(2,2) olis_f90stdlib::outerproduct (complex(kind=dp), dimension(:), intent(in) a, complex(kind=dp), dimension(:), intent(in) b)`

outerproduct of two complex vectors, returns a complex matrix

Parameters

<i>a</i>	is input vector 1, $ \text{ket}\rangle$
<i>b</i>	is input vector 2, $\langle\text{bra} $

4.2.1.13 `subroutine olis_f90stdlib::printvectors (complex(kind=dp), dimension(:, :), intent(in) vect, character(len=*), intent(in), optional desc, integer, intent(in), optional f)`

print formatted matrices can take optional args for labels or write directly to a file

Parameters

<i>vect</i>	is the input complex matrix
<i>desc</i>	is the optional string to be written above the matrix
<i>f</i>	is the optional file output unit to write to, default is console

4.2.1.14 `subroutine olis_f90stdlib::randseed (integer, dimension(:), allocatable seed)`

generates random seed

Parameters

<i>seed</i>	is input allocatable 1d array
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4.2.1.15 `real(kind=dp) function olis_f90stdlib::sinc (real(kind=dp) x)`

sinc function

4.2.1.16 `complex(kind=dp) function, dimension(:, :), allocatable olis_f90stdlib::tprod (complex(kind=dp), dimension (:, :), intent(in) a, complex(kind=dp), dimension (:, :), intent(in) b)`

tensor product for complex matrices $a \times b$

Parameters

<i>a</i>	complex matrix in
<i>b</i>	complex matrix in

4.2.2 Variable Documentation

4.2.2.1 `complex(kind=dp), parameter olis_f90stdlib::imaginary=(0.0_dp, 1.0_dp)`

4.2.2.2 `real(kind=dp), parameter olis_f90stdlib::pi=4.0_dp*atan(1.0)`

4.3 schmidt_decomp Module Reference

program to calculate occupied Schmidt-modes of a JSA

Functions/Subroutines

- subroutine, public [schmidt_modes](#) (*f_mat*, *svf*, *uf*, *vtf*, *writeout*)

4.3.1 Detailed Description

program to calculate occupied Schmidt-modes of a JSA

4.3.2 Function/Subroutine Documentation

4.3.2.1 subroutine, public `schmidt_decomp::schmidt_modes (complex(kind=dp), dimension(:,:) f_mat, real(kind=dp), dimension(:) svf, complex(kind=dp), dimension(:,:) uf, complex(kind=dp), dimension(:,:) vtf, integer, dimension(:) writeout)`

Parameters

<i>uf</i>	uf1 is u matrix from <i>f_mat</i> 1 svd
<i>vtf1</i>	is vt matrix from <i>f_mat</i> 1 svd
<i>vtf</i>	uf1 is u matrix from <i>f_mat</i> 1 svd
<i>vtf1</i>	is vt matrix from <i>f_mat</i> 1 svd
<i>svf</i>	svf1 singular values for <i>f_mat</i> 1

Note

files to write to

jsa 1

jsa 2

Note

returns the w1,w2 element from the Jsa

after doing svd $\text{Unitary} = \exp(\text{SUM}_k r_k * A^H_k * B^H_k - \text{h.c.}) = X_k \exp(r_k * A^H_k * B^H_k - \text{h.c.}) = X_k S^{ab}_k(-r_k)$

$A_k \rightarrow \cosh(r_k)A_k + \sinh(r_k)B^H_k B_k \rightarrow \cosh(r_k)B_k + \sinh(r_k)A^H_k$

Chapter 5

File Documentation

5.1 makeopticalelements.f90 File Reference

Modules

- module [makeopticalelements](#)
module for building symplectic matrices for optical elements

Functions/Subroutines

- subroutine [makeopticalelements::make_bs](#) (nspace, nspec, symp_mat, m1, m2, theta)
makes beamsplitter symplectic matrix takes in an allocated matrix for the beamsplitter matrix to be written to uses the private ident_spec, spatial_work, n_work arrays
- subroutine [makeopticalelements::make_sq](#) (nspace, nspec, symp_mat, m1, m2, alpha, beta)
make symplectic squeezing matrix from exponentiated JSA a lot is broken...
- complex(kind=dp) function, dimension(:, :), allocatable [makeopticalelements::make_squeezer](#) (nspace, nspec, mode1, mode2, jsa)
make sqq matrix from jsa function
- real(kind=dp) function, dimension(:, :), allocatable [makeopticalelements::gen_jsa](#) (f, w1_start, w1_steps, w1_incr, w2_start, w2_steps, w2_incr, sigma1, sigma2, outfile, w1offset, w2offset)
samples the given jsa for frequency ranges w1, w2
- complex(kind=dp) function [makeopticalelements::f_gauss](#) (w1, w2, sigma1, sigma2, w1off, w2off)
JSA function taking two freq.
- complex(kind=dp) function [makeopticalelements::f_sine](#) (w1, w2, sigma1, sigma2, w1off, w2off)
- real(kind=dp) function [makeopticalelements::g4](#) (ft, nspec)
calculates g4 using matrix elements sum
- real(kind=dp) function [makeopticalelements::amp](#) (a)
returns the absolute value squared $|a|^2$
- complex(kind=dp) function [makeopticalelements::abt](#) (i, j, ft, nspec)
*calculates matrix elements $\text{Alpha-Beta}^{**}T$ for $M = (A \ B) \ (B^* \ A^*)$ computes $AB^{**}T$ and returns the i,j -th element*
- complex(kind=dp) function [makeopticalelements::bbd](#) (i, j, ft, nspec)
*calculates the matrix elements $\text{Beta}^{**}\text{Beta}^{**}H$ for $M = (A \ B) \ (B^* \ A^*)$ computes $B^*B^{**}H$ (Hermitian conjg) and returns the i,j -th element*
- subroutine [makeopticalelements::alloc_temparrays](#) (nspace, nspec)
allocates temp arrays for matrices
- subroutine [makeopticalelements::dealloc_temparrays](#)

Variables

- `real(kind=dp), public makeopticalelements::ident`

5.2 num_hom.f90 File Reference

Functions/Subroutines

- program `num_hom`
program to compute matrix of a JSA
- subroutine `matrixexp`
jsa 1

5.2.1 Function/Subroutine Documentation

5.2.1.1 subroutine num_hom::matrixexp ()

jsa 1

Note

files to write to jsa 2 allocates the singular values, u and vt matrices for svd
call `schmidt_modes(jsa_func, sv, u, vt, units)`
this is wrong...

5.2.1.2 program num_hom ()

program to compute matrix of a JSA

5.3 olis_f90stdlib.f90 File Reference

Modules

- module `olis_f90stdlib`

Functions/Subroutines

- subroutine [olis_f90stdlib::alloc_complex_eigenvects](#) (matrix, eigenvals, u, v)
allocates eigenvals, u & v arrays for eigenvals & eigenvects
- subroutine [olis_f90stdlib::alloc_complex_svd](#) (matrix, sigma, u, vt)
allocates sigma (singular vals), u and vt for complexSVD allocates temp work arrays too
- subroutine [olis_f90stdlib::randseed](#) (seed)
generates random seed
- subroutine [olis_f90stdlib::printvectors](#) (vect, desc, f)
print formatted matrices can take optional args for labels or write directly to a file
- complex(kind=dp) function, dimension(2, 2) [olis_f90stdlib::outerproduct](#) (a, b)
outerproduct of two complex vectors, returns a complex matrix
- complex(kind=dp) function, dimension(n, n) [olis_f90stdlib::c_identity](#) (n)
makes complex identity matrix dim (nxn)
- complex(kind=dp) function, dimension(:, :), allocatable [olis_f90stdlib::tprod](#) (a, b)
tensor product for complex matrices aXb
- complex(kind=dp) function [olis_f90stdlib::complextrace](#) (a)
computes the trace of a complex matrix
- subroutine [olis_f90stdlib::complex_eigenvects](#) (a, w, vl, vr)
computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack
- subroutine [olis_f90stdlib::complex_svd](#) (a, sigma, u, vt)
computes the complex eigenvalues and eigenvectors overwrites matrix in, input eigenvalue array and eigenvector arrays uses the zgeev subroutine from lapack
- complex(kind=dp) function, dimension(2, 2) [olis_f90stdlib::c_inv2](#) (m_in)
inverse for a complex 2x2 matrix
- real(kind=dp) function [olis_f90stdlib::matrixnorm](#) (c)
computed Frobenius matrix norm of complex matrix using lapack zlange
- complex(kind=dp) function, dimension(size(matrix, 1), size(matrix, 2)) [olis_f90stdlib::expmatrix](#) (matrix, n)
- recursive complex(kind=dp) function, dimension(size(x, 1), size(x, 2)) [olis_f90stdlib::matrixmul](#) (x, n)
- recursive real(kind=dp) function [olis_f90stdlib::factorial](#) (n)
- real(kind=dp) function [olis_f90stdlib::sinc](#) (x)
sinc function

Variables

- real(kind=dp), parameter [olis_f90stdlib::pi](#) =4.0_dp*atan(1.0)
- complex(kind=dp), parameter [olis_f90stdlib::imaginary](#) =(0.0_dp, 1.0_dp)

5.4 schmidt_decomp.f90 File Reference

Modules

- module [schmidt_decomp](#)
program to calculate occupied Schmidt-modes of a JSA

Functions/Subroutines

- subroutine, public [schmidt_decomp::schmidt_modes](#) (f_mat, svf, uf, vtf, writeout)

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