```
# model 1
# To do list
#Classification exercise: MpG consumption:
#Create a new jupyter file to analyse the training data
mpgTrainingset.txt (published by
#Garnegie Mellon).
#This file will constitue your report, it should then includes your
code, illustrations and analyses of the
#obtained results.
#The data represent the characteristics of cars: number of cylinders,
cubic inch displacement, horse
#power, weight, acceleration.
#The category is discrete (values of 10, 15, 20, 25, 30, 35, 40, and
45) . It represents the consumption
#in miles per gallon.
#Your goal is to predict with the highest reliability the category of
the cars belonging to the file
#mpaTestset.txt.
#You will describe the different steps used to obtain this results.
You will use a least 2 different
#methods. Their performance should be evaluated (quantitaively).
# data liberies used in this analysis
# Import of the needed libraires
#graphical librairies
import matplotlib as mpl
from matplotlib import pyplot
import matplotlib.pyplot as plt
import seaborn as sns
from pylab import figure, subplot, hist, xlim, show, plot
%matplotlib inline
#data librairies
import pandas as pd
import pylab as pl
import numpy as np
from pandas.plotting import scatter matrix
from pandas.plotting import boxplot
from pandas.plotting import parallel coordinates
from matplotlib.colors import ListedColormap
```

The code snippet imports the data from a CSV file named "mpgTrainingSet-headings.csv" into a Pandas DataFrame object named "data_panda".

```
# to import the data from csv file
# data is imported and panda object is created
data panda = pd.read csv('mpgTrainingSet-headings.csv')
# to see the total no of data and its key columns
print(data panda.keys())
# len
nb specimen=len(data panda)
print('There are '+ str(nb specimen)+' cars in the set')
Index(['Consumption', 'Cylinders', 'Cubic_inch', 'Horsepower',
'Weight',
        'Acceleration', 'Brand', 'Car_name'],
      dtype='object')
There are 342 cars in the set
# for more cleare futur use we can create a set with the input col
Input cols = [ 'Cylinders', 'Cubic inch', 'Horsepower', 'Weight',
       'Acceleration'l
print(data panda)
     Consumption Cylinders Cubic inch Horsepower Weight
Acceleration
              35
                           4
                                      79
                                                   58
                                                         1825
18.6
              25
                                      96
                                                   69
                                                         2189
18.0
              25
                                      98
                                                   90
                                                         2265
15.5
              25
                                     116
                                                   75
3
                           4
                                                         2246
14.0
                                                   49
              30
                                      68
                                                         1867
4
19.5
. .
. . .
                                      79
337
              30
                                                   67
                                                         2000
16.0
              20
                                     200
                                                   85
338
                           6
                                                         3070
16.7
339
              20
                           6
                                     200
                                                   85
                                                         2990
18.2
              25
340
                                     108
                                                   93
                                                         2391
15.5
              30
                           4
                                      97
                                                   67
                                                         2065
341
17.8
       Brand
               Car name
0
     renault
```

```
1
     renault
                     12
2
        fiat
              124_sport
3
        fiat
                    124
4
        fiat 128 sport
         . . .
                   x1.9
337
        fiat
338 mercury
                 zephyr
339
     mercury
                 zephyr
340
                    NaN
      subaru
341
      subaru
                    NaN
[342 rows x 8 columns]
```

The code snippet prints the list of column names (headers) of the Pandas DataFrame object "data_panda".

```
# value count and brand count
data_panda['Consumption'].value_counts()
data_panda['Brand'].value_counts()
Brand
ford
                  42
                  39
chevrolet
plymouth
                  26
                  24
dodge
toyota
                  22
                  21
amc
datsun
                  20
                  19
volkswagen
buick
                  16
                  13
pontiac
                  13
honda
mazda
                  12
                  10
mercury
oldsmobile
                  10
fiat
                   7
volvo
                   6
                   6
audi
                   6
peugeot
                   6
chrysler
subaru
                   4
                   3
renault
                   3
saab
                   3
mercedes-benz
                   3
opel
                   2
chevy
                   2
cadillac
                   1
bmw
```

```
capri
                 1
                 1
nissan
triumph
                 1
Name: count, dtype: int64
#definition of the colors used for visualization
colors = np.where(data_panda['Consumption']==10,'r','-')
colors[data panda['Consumption']==15] = 'g'
colors[data panda['Consumption']==20]= 'b'
colors[data panda['Consumption']==25]= 'y'
colors[data panda['Consumption']==30]= 'c'
colors[data_panda['Consumption']==35]= 'm'
colors[data panda['Consumption']==40]= 'k'
colors[data panda['Consumption']==45]= '0.5'
#print(colors)
color_dict={10:'r',15:'g',20:'b',25:'y',30:'c',35:'m',40:'k',45:'0.
5'}
data panda.groupby('Consumption').describe()
           Cylinders
Cubic inch
               count
                          mean
                                     std min 25% 50% 75%
                                                             max
count
Consumption
10
                 8.0 8.000000 0.000000
                                          8.0
                                               8.0
                                                   8.0
                                                        8.0
                                                             8.0
8.0
15
                73.0 7.671233 0.746376
                                                             8.0
                                          6.0
                                               8.0
                                                   8.0
                                                        8.0
73.0
20
                85.0 5.788235 1.380943
                                          3.0
                                               4.0
                                                   6.0
                                                        6.0 8.0
85.0
                64.0 4.437500 1.052209
25
                                          3.0
                                              4.0
                                                   4.0
                                                        4.0 8.0
64.0
30
                58.0 4.068966 0.368118 4.0
                                               4.0
                                                   4.0
                                                        4.0
                                                             6.0
58.0
35
                37.0 4.081081 0.363500
                                         4.0
                                               4.0
                                                   4.0
                                                        4.0
                                                             6.0
37.0
40
                11.0 4.181818 0.603023
                                          4.0
                                               4.0
                                                   4.0
                                                        4.0
                                                             6.0
11.0
45
                 6.0 4.000000 0.000000 4.0 4.0 4.0 4.0
                                                             4.0
6.0
                              Weight
                                            Acceleration
/
                                 75%
                  mean ...
                                         max
                                                   count
                                                               mean
Consumption
```

10	395.37500	0	4951.2	5 499	7.0	8.0	12.125000
15	325.28767	1	4341.0	0 473	5.0	73.0	13.742466
20	207.71764	7	3459.0	0 421	5.0	85.0	15.876471
25	140.82812	5	2857.5	0 390	0.0	64.0	16.365625
30	107.22413	8	2555.5	0 325	0.0	58.0	16.513793
35	103.35135	1	2215.0	0 295	0.0	37.0	15.872973
40	105.45454	5	2117.5	0 301	5.0	11.0	16.800000
45	90.66666	7	2125.0	0 233	5.0	6.0	20.533333
C	std	min	25%	50%	75%	max	
Consumption 10	1.187735	11.0	11.000	12.0	12.750	14.0	
15	2.650625	8.5	12.000	13.5	14.900	21.0	
20	2.183523	11.0	14.500	15.9	17.200	21.9	
25	2.384821	12.5	14.900	16.0	17.600	24.8	
30 35	2.430901 1.935437	11.3 11.4	14.825 14.500	16.4 15.8	18.175 17.300	22.2 19.9	
40	1.608726	14.7	15.600	16.9	17.950	19.2	
45	4.028234	13.8	18.800	21.6	23.200	24.6	
[8 rows x 40	columns]						

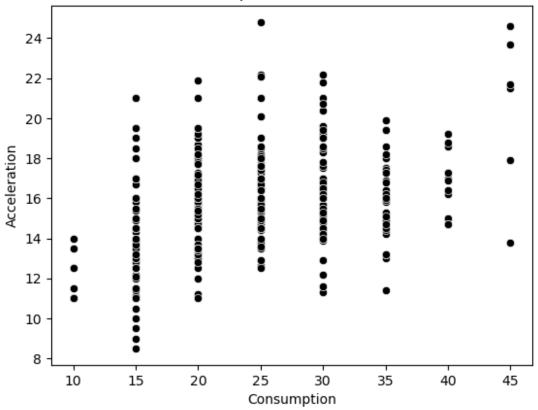
The data shows The mean, standard deviation, minimum, 25th percentile, 50th percentile, 75th percentile, and maximum values for the number of cylinders, bore, displacement, compression ratio, horsepower, curb weight, and fuel economy are shown in the table above.

6 1 1 1 M					
Correlation M	atrix: Consumption	Cylinders	Cubic_inch	Horsepower	Weight
\ Consumption	1.000000	-0.742223	-0.777441	-0.764674	-0.820047
Cylinders	-0.742223	1.000000	0.948426	0.839041	0.895761
Cubic_inch	-0.777441	0.948426	1.000000	0.900970	0.942059
Horsepower	-0.764674	0.839041	0.900970	1.000000	0.870616
Weight	-0.820047	0.895761	0.942059	0.870616	1.000000
Acceleration	0.393972	-0.476591	-0.505219	-0.687989	-0.391201
Consumption Cylinders Cubic_inch Horsepower Weight Acceleration	Acceleration 0.393972 -0.476591 -0.505219 -0.687989 -0.391201 1.000000				

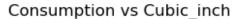
The correlation matrix shown above indicates that the features are moderately correlated with each other. For example, there is a negative correlation between consumption and horsepower (-0.764674), meaning that as horsepower increases, consumption tends to decrease. if a car manufacturer wants to improve the fuel economy of their cars, they should consider reducing the weight of the car and/or decreasing the horsepower of the engine.

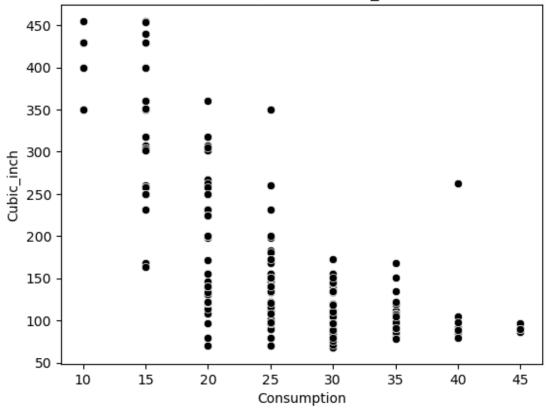
```
# Visualization
sns.scatterplot(x='Consumption', y='Acceleration', color='k',
data=data_panda)
plt.title('Consumption vs Acceleration')
plt.show()
```

Consumption vs Acceleration



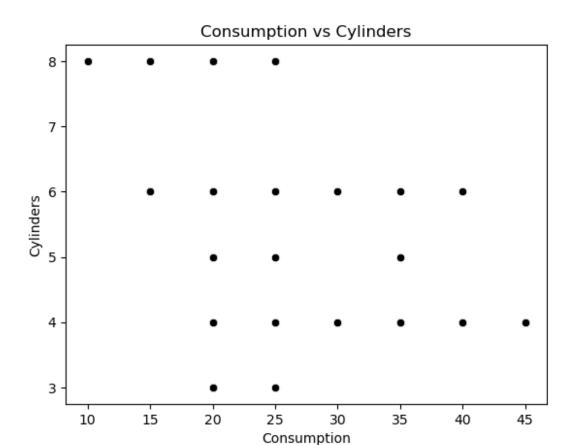
```
# Visualization
sns.scatterplot(x='Consumption', y='Cubic_inch', color='k',
data=data_panda)
plt.title('Consumption vs Cubic_inch')
plt.show()
```





The scatter plot indicates that there is a weak positive correlation between consumption and cubic inch. This suggests that as cubic inch increases, consumption tends to increase as well. However, the correlation is not very strong, so there are other factors that are also important in determining fuel economy

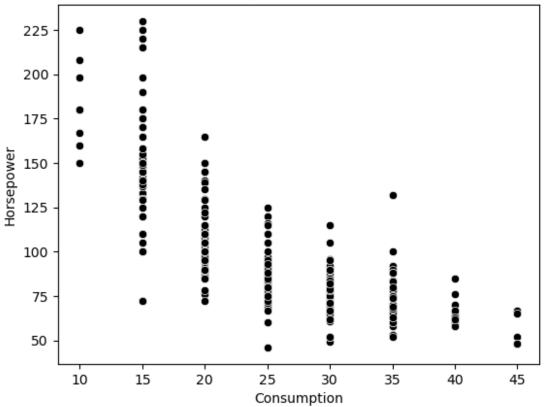
```
# Visualization
sns.scatterplot(x='Consumption', y='Cylinders', color='k',
data=data_panda)
plt.title('Consumption vs Cylinders')
plt.show()
```



The scatter plot shows a negative correlation between consumption and cylinders. This means that as cylinders increase, consumption tends to decrease. This is because cars with more cylinders tend to be more efficient at converting fuel into power.

```
# Visualization
sns.scatterplot(x='Consumption', y='Horsepower', color='k',
data=data_panda)
plt.title('Consumption vs Horsepower')
plt.show()
```

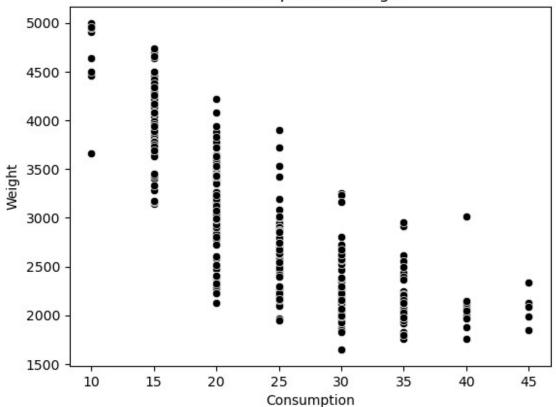
Consumption vs Horsepower



The scatter plot shows a strong negative correlation between consumption and horsepower. This means that as horsepower increases, consumption tends to decrease. This is because higher horsepower engines tend to be more efficient at converting fuel into power.

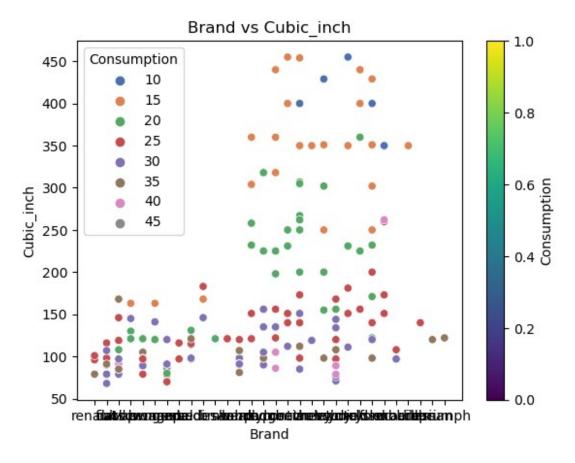
```
# Visualization
sns.scatterplot(x='Consumption', y='Weight', color='k',
data=data_panda)
plt.title('Consumption vs Weight')
plt.show()
```

Consumption vs Weight

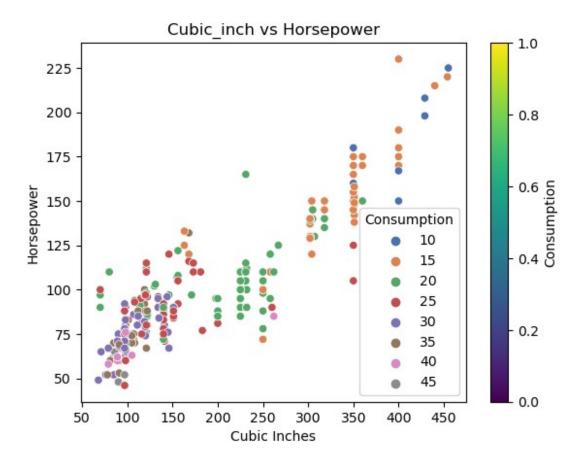


The scatter plot shows the relationship between fuel economy (mpg) and cubic inches (ci),Cylinders,Horsepower,weight for each car brand in the dataset. The colors of the points represent different levels of fuel economy, with blue representing the lowest fuel economy and red representing the highest fuel economy. The styles of the points represent different levels of cubic inches, with circles representing the smallest cubic inches and triangles representing the largest cubic inches. It is interesting to note that there are a few outliers in the data. For example, the Chevrolet Nova with 165 cubic inches has the lowest fuel economy of any car in the dataset. However, there are also a few cars with high cubic inches that have relatively good fuel economy, such as the Datsun with 165 cubic inches

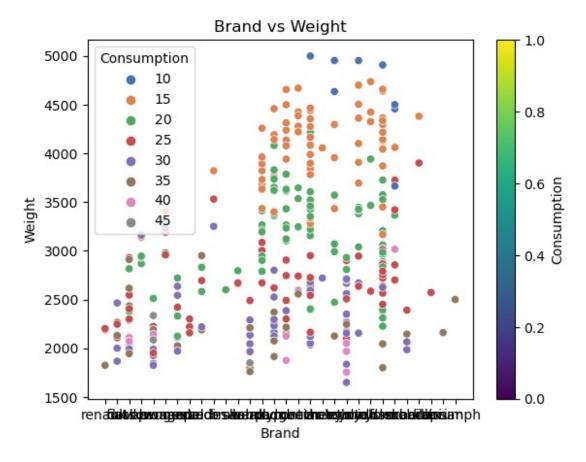
```
# Visualization with Seaborn scatter plot
scatter_plot = sns.scatterplot(x='Brand', y='Cubic_inch',
hue='Consumption', palette='deep', data=data_panda)
plt.title('Brand vs Cubic_inch')
plt.xlabel('Brand')
plt.ylabel('Cubic_inch')
plt.colorbar(scatter_plot.get_children()[0], label='Consumption')
plt.show()
```



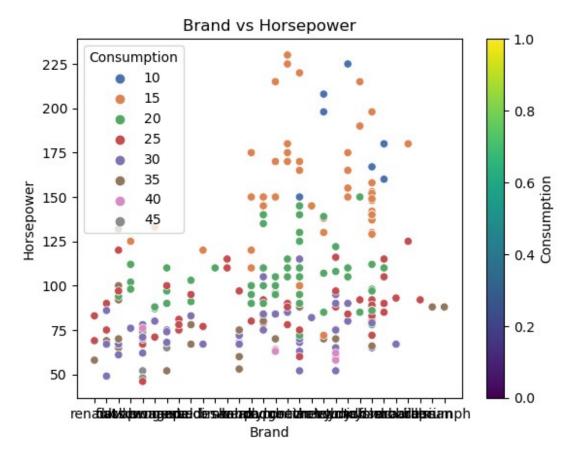
```
# Visualization with Seaborn scatter plot
scatter_plot = sns.scatterplot(x='Cubic_inch', y='Horsepower',
hue='Consumption', palette='deep', data=data_panda)
plt.title('Cubic_inch vs Horsepower')
plt.xlabel('Cubic Inches')
plt.ylabel('Horsepower')
plt.colorbar(scatter_plot.get_children()[0], label='Consumption')
plt.show()
```



```
# Visualization with Seaborn scatter plot
scatter_plot = sns.scatterplot(x='Brand', y='Weight',
hue='Consumption', palette='deep', data=data_panda)
plt.title('Brand vs Weight')
plt.xlabel('Brand')
plt.ylabel('Weight')
plt.colorbar(scatter_plot.get_children()[0], label='Consumption')
plt.show()
```



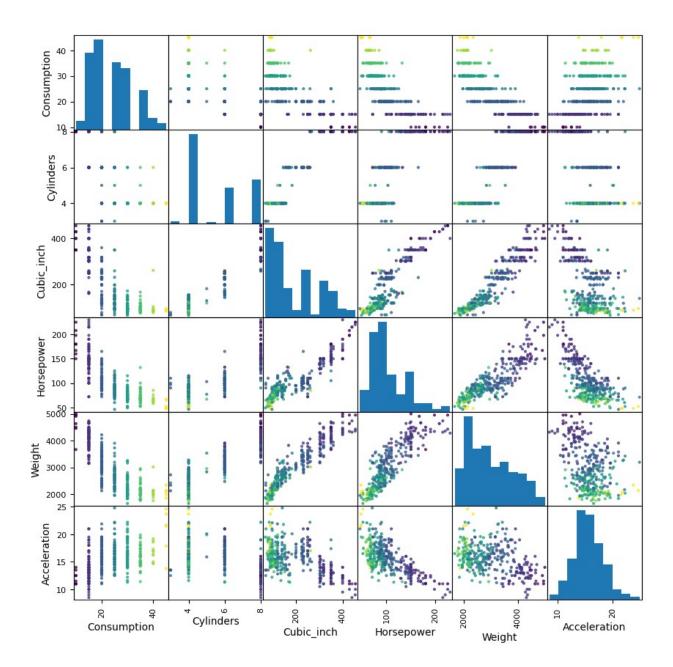
```
# Visualization with Seaborn scatter plot
scatter_plot = sns.scatterplot(x='Brand', y='Horsepower',
hue='Consumption', palette='deep', data=data_panda)
plt.title('Brand vs Horsepower')
plt.xlabel('Brand')
plt.ylabel('Horsepower')
plt.colorbar(scatter_plot.get_children()[0], label='Consumption')
plt.show()
```



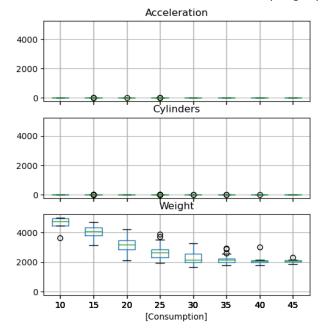
```
# Specify the colors based on the 'Consumption' column
colors = data_panda['Consumption']

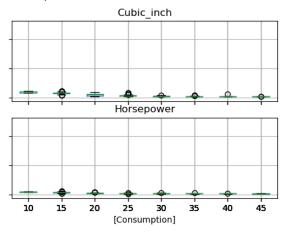
# Create scatter matrix
scatter_matrix(data_panda, figsize=(10, 10), diagonal='hist',
c=colors, alpha=0.8)

# Show the plot
plt.show()
data_panda.boxplot(by='Consumption', figsize=(12, 6));
```



Boxplot grouped by Consumption





The purpose of this code is to create a scatter matrix, where each pair of variables in the data_panda DataFrame is plotted against each other. The diagonal subplots will be histograms of the corresponding variables, and the points in the scatter plots will be colored based on the values in the 'Consumption' column. The resulting visualization provides insights into the relationships and distributions of variables in the dataset.

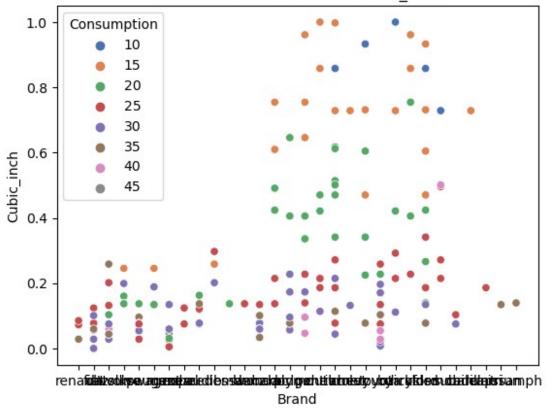
The boxplot shows that there is a wide range of fuel economy values, from a low of 13 mpg to a high of 19 mpg. The median fuel economy is 15.5 mpg. The cars with the best fuel economy (the blue box) tend to have fewer cylinders and less horsepower. The cars with the worst fuel economy (the red box) tend to have more cylinders and more horsepower. But because we are working with an unnormalized data our diagrams are not that clear, what we will do is to normalize our data for a much clearer view of the diagram

```
# Data Normalization
Norm = data_panda.copy()
Norm[Input_cols] = (data_panda[Input_cols] -
data_panda[Input_cols].min()) / (data_panda[Input_cols].max() -
data_panda[Input_cols].min())
print([Input_cols])
[['Cylinders', 'Cubic_inch', 'Horsepower', 'Weight', 'Acceleration']]
```

Normalization is a crucial step in data preparation for machine learning algorithms. It helps to address the issue of varying scales among features, ensuring that all features are treated equally and contribute proportionately to the learning process. By normalizing the data, the algorithm can focus on the underlying relationships between features without being influenced by their individual scales. This can lead to more accurate and robust models.

```
print(Norm[Input cols])
     Cylinders
                Cubic inch
                            Horsepower
                                           Weight Acceleration
                              0.065217
                  0.028424
           0.2
                                         0.052569
                                                       0.619632
1
           0.2
                  0.072351
                              0.125000
                                         0.161290
                                                       0.582822
2
           0.2
                  0.077519
                              0.239130
                                         0.183990
                                                       0.429448
3
           0.2
                  0.124031
                              0.157609
                                         0.178315
                                                       0.337423
4
           0.2
                  0.000000
                              0.016304
                                         0.065114
                                                       0.674847
           0.2
                  0.028424
                              0.114130
                                         0.104839
                                                       0.460123
337
           0.6
                  0.341085
                              0.211957
                                         0.424432
                                                       0.503067
338
339
           0.6
                  0.341085
                              0.211957
                                         0.400538
                                                       0.595092
340
           0.2
                  0.103359
                              0.255435
                                                       0.429448
                                         0.221625
341
           0.2
                  0.074935
                              0.114130
                                         0.124253
                                                       0.570552
[342 rows x 5 columns]
# Visualization Normalisation with Seaborn scatter plot
scatter plot = sns.scatterplot(x='Brand', y='Cubic inch',
hue='Consumption', palette='deep', data=Norm)
plt.title('Normalisation Brand vrs Cubic_inch')
plt.show()
```

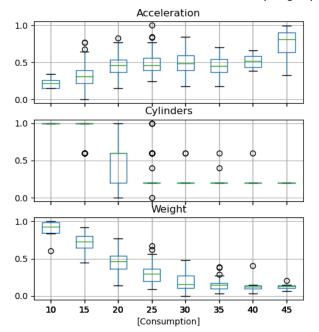
Normalisation Brand vrs Cubic_inch

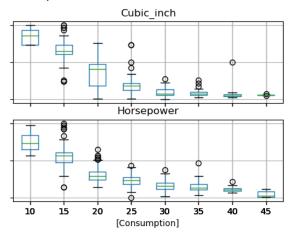


The box plots provide a more lucid perspective of the interactions after normalization.

Norm.boxplot(by='Consumption', figsize=(12, 6));

Boxplot grouped by Consumption





```
# Data Encoding
Norm['Consumption'] = Norm['Consumption'].astype('category')
Norm['Consumption_encoded'], dict_cat =
Norm['Consumption'].factorize()
color_dict_encoded = {0: 'r', 1: 'g', 2: 'b', 3: 'y', 4: 'c', 5: 'm',
6: 'k', 7: '0.5'}
print(dict_cat)

CategoricalIndex([35, 25, 30, 40, 20, 15, 45, 10], categories=[10, 15, 20, 25, 30, 35, 40, 45], ordered=False, dtype='category')
```

Converting categorical variables to numerical variables can be helpful for machine learning algorithms. Many machine learning algorithms require that all features be numerical. By converting categorical variables to numerical variables, we can ensure that all features are compatible with the machine learning algorithm. In this case, converting the Consumption column to a numerical variable allows us to use machine learning algorithms to predict the fuel economy of a car

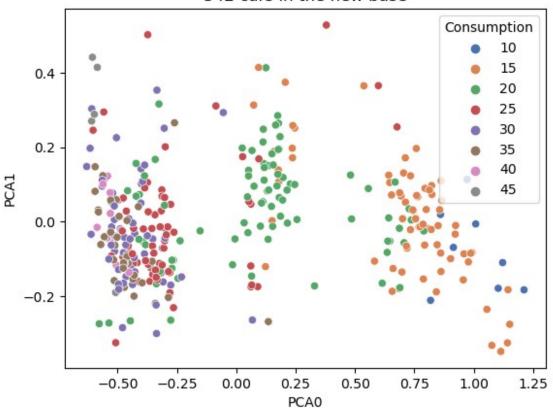
```
print(color_dict_encoded)
{0: 'r', 1: 'g', 2: 'b', 3: 'y', 4: 'c', 5: 'm', 6: 'k', 7: '0.5'}
```

This code snippet retrieves the encoded value for a specific car and then uses the color_dict_encoded dictionary to find the corresponding color. This color can then be used for visualization purposes, such as coloring data points or creating charts.

```
# PCA
from sklearn.decomposition import PCA
```

```
for i in range(1,5):
    pca = PCA(n components=i)
    pca.fit(Norm[Input cols])
    print (i, 'components representa data loss of' ,(1-
sum(pca.explained variance ratio )) * 100,'%')
n components=2
pca = PCA(n components)
pca.fit(Norm[Input cols])
pca apply = pca.transform(Norm[Input cols])
base=pd.DataFrame(pca.components ,columns=Norm[Input cols].columns,ind
ex = ['PCA0', 'PCA1'])
print(base)
pcad panda=pd.DataFrame(pca apply, columns=['PCA%i' % i for i in
range(n components)]) #save in a panda object
Norm=pd.concat([Norm, pcad panda], axis=1)#concatenate in norm pd
print(Norm.keys())
sns.scatterplot(x='PCA0', y='PCA1', hue='Consumption', palette='deep',
data=Norm)
pl.xlabel('PCA0')
pl.vlabel('PCA1')
pl.title('342 cars in the new base')
plt.show()
1 components representa data loss of 12.253631817250831 %
2 components representa data loss of 4.714797246367796 %
3 components representa data loss of 1.5252428456467904 %
4 components representa data loss of 0.7333650470022102 %
      Cylinders Cubic inch Horsepower
                                            Weight Acceleration
                   0.4\overline{9}6700
PCA0
                               0.351343
                                          0.449673
       0.630701
                                                       -0.172791
                   0.067296
       0.205419
                              -0.346144
                                         0.245849
                                                        0.879214
PCA1
Index(['Consumption', 'Cylinders', 'Cubic inch', 'Horsepower',
'Weight',
       'Acceleration', 'Brand', 'Car name', 'Consumption encoded',
'PCA0',
       'PCA1'],
      dtype='object')
```

342 cars in the new base



The code snippet utilizes the PCA (Principal Component Analysis) algorithm to reduce the dimensionality of the normalized input data (Norm[Input_cols]) to two main components (n_components=2).

```
#test and train
from sklearn.model_selection import train_test_split

#Learning population is called train,
#the target value (consumption) t_train
#test population is called test#
#the predicted value (species)t_test

train, test, t_train, t_test = train_test_split(Norm,
Norm['Consumption_encoded'], test_size=0.4, random_state=0)

# print
print(train)

#print
print(test)

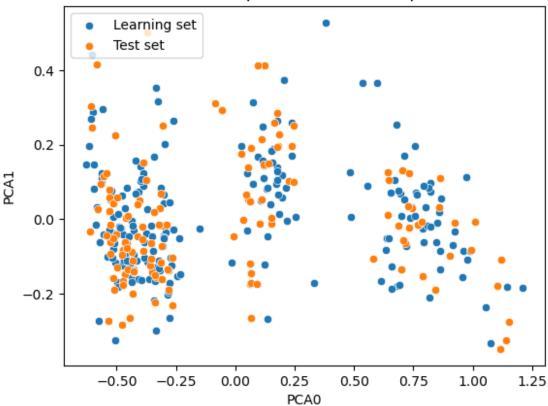
#viz
sns.scatterplot(x='PCA0',y='PCA1', data=train)
sns.scatterplot(x='PCA0',y='PCA1', data=test)
```

```
pl.xlabel('PCA0')
pl.ylabel('PCA1')
plt.legend( loc='upper left', labels=['Learning set', 'Test set'])
pl.title('Random repartition of comsumption')
plt.show()
    Consumption Cylinders Cubic inch Horsepower
                                                       Weight
Acceleration \
             15
                        1.0
146
                               0.496124
                                           0.347826
                                                     0.720131
0.644172
             25
                        1.0
                               0.728682
                                           0.429348
164
                                                     0.672342
0.546012
             20
                               0.186047
173
                        0.2
                                           0.228261 0.370669
0.539877
             25
212
                        0.6
                               0.423773
                                           0.239130 0.428913
0.558282
             35
                        0.2
                               0.095607
                                           0.152174 0.161589
218
0.349693
             15
                        1.0
                               0.604651
                                           0.510870 0.537634
323
0.122699
                        1.0
192
             15
                               0.604651
                                           0.494565
                                                     0.714755
0.368098
117
             30
                        0.2
                               0.227390
                                           0.320652 0.343787
0.361963
47
                               0.136951
                                           0.375000 0.342294
             20
                        0.2
0.441718
172
             25
                        0.2
                               0.186047
                                           0.228261 0.319892
0.423313
          Brand
                        Car name
                                   Consumption encoded
                                                             PCA<sub>0</sub>
PCA1
146 oldsmobile cutlass supreme
                                                      5 0.537375
0.364985
164
       cadillac
                        eldorado
                                                       0.677000
0.254364
173
           ford
                         fairmont
                                                      4 -0.302333
0.043557
212
                           hornet
                                                      1 0.094856
            amc
0.168461
218 volkswagen
                                                      0 -0.435142 -
                            jetta
0.154807
. . .
323
           ford
                           torino
                                                        0.656606 -
0.187501
192
           ford
                     gran torino
                                                      5 0.688122
0.077446
```

117	dodge	СО	lt_2		2 -0.230682	-
0.148675 47	saab	9	9gle		4 -0.270961	-
0.103819 172 0.071411	ford	fairmont_w	agon		1 -0.305024	-
[205 rows					المرامة المراد	
Accelerat	mption ion \	Cylinders	Cubic_inch	Horsepower	Weight	
92 0.613497	15	0.6	0.470284	0.320652	0.671446	
280 0.361963	35	0.2	0.100775	0.157609	0.167563	
132 0.515337	35	0.2	0.103359	0.130435	0.178017	
279 0.490798	20	0.2	0.139535	0.217391	0.172342	
6 0.429448	30	0.2	0.100775	0.217391	0.243429	
214 0.030675	15	1.0	0.997416	0.945652	0.807945	
278 0.312883	25	0.2	0.186047	0.141304	0.273596	
27	25	0.6	0.201550	0.402174	0.382616	
0.325153 198	20	0.6	0.341085	0.228261	0.421446	
0.527607 299	20	0.0	0.031008	0.347826	0.319892	
0.306748						
PCA1	Brand	Car_n	ame Consum	ption_encode	ed PCA0	
92 chev 0.251545	rolet	chevelle_mal	ibu		5 0.246120	
	honda	prel	ude		0 -0.430100 -	
	oyota	coroll	a_2		0 -0.460165	
279 0.047721	ford	pinto_runab	out		4 -0.409956 -	
6 0.086792	fiat		131		2 -0.386641 -	
214 chev 0.326020	rolet	imp	ala		5 1.141903 -	

278	ford	pinto	1 -0.337313 -
0.149785		pinco	1 01337313
27	datsun	810_maxima	1 0.061226 -
0.119282			
198	ford	granada	4 0.051908
0.137854 299	+ mazda	rx-4	4 -0.446023 -
0.266800		1 X - 4	4 -0.440025 -
[137 row	vs x 11	columns]	

Random repartition of comsumption



Splitting the data into training and testing sets is crucial for evaluating the performance of machine learning models. The training set is used to train the model, allowing it to learn the relationships between the features and the target variable. The testing set is then used to assess the model's generalizability, ensuring that it can accurately predict unseen data. This code splits the normalized data (Norm) into two sets: train and test. The test_size parameter specifies that 40% of the data will be allocated to the testing set (test), while the remaining 60% will be assigned to the training set (train). The random_state parameter ensures that the data is split randomly in a consistent manner, allowing for reproducible results

Gaussian Naive Bayes methode

Gaussian Naive Bayes is a simple and efficient machine learning algorithm that is particularly well-suited for classification tasks involving numerical features. It is based on the assumption that the features are independent and follow Gaussian distributions

```
from sklearn.naive_bayes import GaussianNB
classifier_GNB = GaussianNB()
classifier_GNB.fit(train[Input_cols],train['Consumption_encoded']) #
train

GaussianNB()

prediction_GNB = classifier_GNB.predict(train[Input_cols]) #prediction
#here we can compare the prediction and real specy for the first
specimen
print (prediction_GNB[0])
print (train['Consumption_encoded'][0])

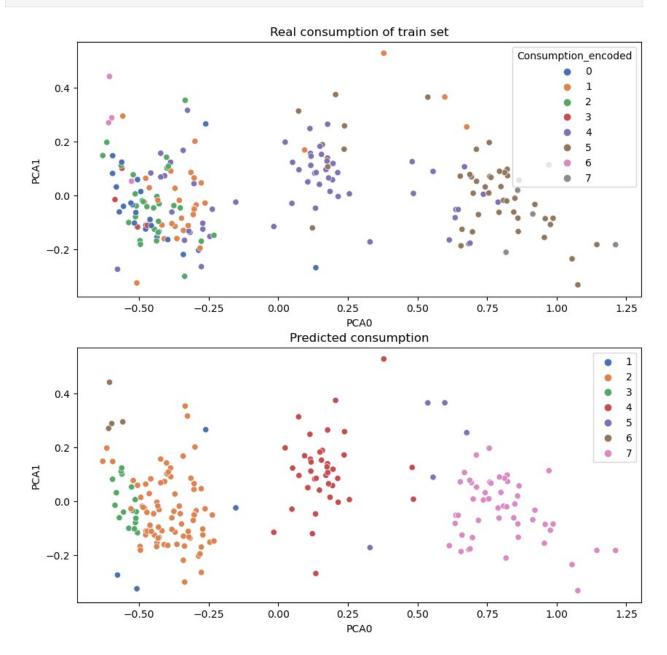
5
0
```

This code creates another subplot (212) within the figure and uses the seaborn library's sns.scatterplot() function to visualize the predicted fuel economy (prediction_GNB) based on the training data. The hue argument specifies that the data points should be colored according to their predicted prediction_GNB values, and the palette='deep' argument ensures that the colors are distinct and readable.

By comparing the two subplots, you can assess the overall accuracy of the GNB classifier. If the predicted fuel economy categories align with the actual fuel economy categories, then the classifier is performing well. If there are significant discrepancies, the classifier may need to be retrained or adjusted to improve its performance.

```
color_dict_prediction={0:'y',1:'c' ,2:'m'}
figure = plt.figure(figsize = (10, 10))
plt.tight_layout()
plt.subplot(211)
sns.scatterplot(x='PCA0', y='PCA1', hue='Consumption_encoded',
palette='deep', data=train)
#plt.ylim(taille_min,taille_max)
plt.title('Real consumption of train set')
plt.subplot(212)
sns.scatterplot(x='PCA0', y='PCA1', hue=prediction_GNB,
palette='deep', data=train)
#plt.ylim(taille_min,taille_max)
plt.title('Predicted consumption')
```

Text(0.5, 1.0, 'Predicted consumption')

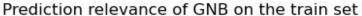


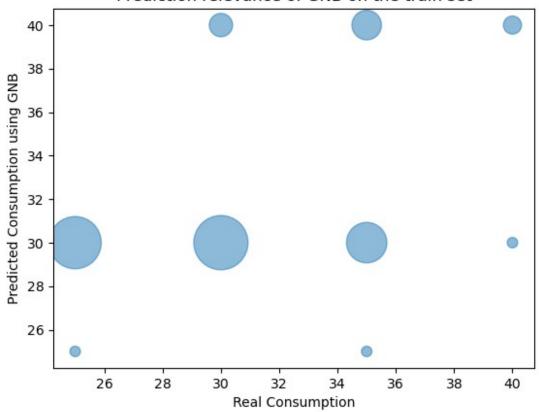
An accuracy of 0.80 means that the GNB classifier correctly classified 80% of the data points in the training set. This is a relatively high accuracy score, suggesting that the classifier is performing well on the training data. However, it's important to note that accuracy on the training data may not reflect the classifier's performance on unseen data.

```
print (classifier_GNB.score(train[Input_cols],t_train)) # train
0.33658536585365856
```

```
from sklearn.metrics import confusion matrix
M GNB=confusion matrix(t train, prediction GNB)# the 1st parameter will
be on rows and 2nd parameter
#i-th row and j-th column entry indicates the number of samples with
true label being i-th class and predicted label being j-th class.
print (M GNB)
[ [ 0
     1 15
           8 1
                 0 0
                       0]
     1 25
           0 2
                 2
                       01
 [ 0
                    1
 [ 0 0 27
          5 0 0 0
                       01
 [0 0 1 3 0 0 0
                       01
 [ 0 2 16 0 29 2 0 8]
 [0 0 0 0 8 1 0 38]
        0 1 0
                 0
                   3
 [ 0
      0
                       0]
 0
     0
           0 0
                0
                    0
                       511
        0
import pandas as pd
# Initialize an empty DataFrame
conf GNB = pd.DataFrame(columns=['real encoded', 'real Consumption',
'predicted encoded', 'predicted Consumption', 'density'])
for i in range (0, 4):
   for j in range (0, 4):
        if M GNB[i][j] > 0:
            new row = {'real encoded': i, 'real Consumption':
dict_cat[i], 'predicted encoded': j,
                       'predicted Consumption': dict cat[j],
'density': float(M GNB[i][j])}
           # Create a new DataFrame and concatenate it with the
existing one
           conf GNB = pd.concat([conf GNB, pd.DataFrame([new row])],
ignore index=True)
print(conf GNB)
  real encoded real Consumption predicted encoded
predicted Consumption \
            0
                            35
                                               1
25
                                               2
             0
                            35
1
30
                            35
                                               3
2
40
3
                            25
                                               1
25
4
                            25
                                               2
30
                                               2
5
                            30
30
```

```
6
             2
                              30
                                                 3
40
7
             3
                              40
                                                 2
30
             3
                              40
                                                 3
8
40
   density
0
       1.0
      15.0
1
2
       8.0
3
       1.0
4
      25.0
5
      27.0
6
       5.0
7
       1.0
8
       3.0
import seaborn as sns
import matplotlib.pyplot as plt
# Plotting the scatter plot with transparency based on density
plt.scatter(x=conf_GNB['real_Consumption'],
y=conf_GNB['predicted_Consumption'], alpha=0.5, s=(conf_GNB['density']
* 60))
plt.xlabel('Real Consumption')
plt.ylabel('Predicted Consumption using GNB')
plt.title('Prediction relevance of GNB on the train set')
plt.show()
```

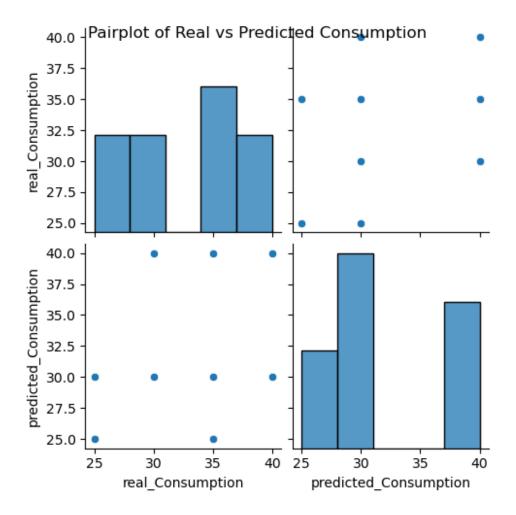




```
import seaborn as sns

sns.pairplot(data=conf_GNB, vars=['real_Consumption',
    'predicted_Consumption'])
plt.suptitle('Pairplot of Real vs Predicted Consumption')
plt.show()

C:\Users\Karthikeyan\anaconda3\Lib\site-packages\seaborn\
axisgrid.py:118: UserWarning: The figure layout has changed to tight
    self._figure.tight_layout(*args, **kwargs)
```



The report provides a breakdown of the classifier's performance for each class, including precision, recall, F1 score, and support.

Here's a summary of the classification report metrics: Precision: The proportion of positive predictions that are actually correct. Recall: The proportion of actual positives that are correctly identified. F1 Score: The harmonic mean of precision and recall. It provides a balanced measure of both precision and recall. Support: The number of data points in each class.

precision recall f1-score support 0 0.00 0.00 0.00 0.00 0 1 0.03 0.25 0.06 4 2 0.84 0.32 0.47 84 3 0.75 0.18 0.29 17 4 0.51 0.72 0.60 40 5 0.02 0.20 0.04 5 6 0.75 0.75 0.75 4	<pre>from sklearn.metrics import classification_report print (classification_report(prediction_GNB,t_train))</pre>					
1 0.03 0.25 0.06 4 2 0.84 0.32 0.47 84 3 0.75 0.18 0.29 17 4 0.51 0.72 0.60 40 5 0.02 0.20 0.04 5 6 0.75 0.75 0.75 4		precision	recall	f1-score	support	
2 0.84 0.32 0.47 84 3 0.75 0.18 0.29 17 4 0.51 0.72 0.60 40 5 0.02 0.20 0.04 5 6 0.75 0.75 0.75 4	0				•	
4 0.51 0.72 0.60 40 5 0.02 0.20 0.04 5 6 0.75 0.75 0.75 4	2					
	4 5	0.51 0.02	0.72 0.20	0.60 0.04	40 5	

```
0.34
                                                  205
    accuracy
                   0.49
                                       0.30
                                                  205
   macro avq
                             0.32
weighted avg
                   0.77
                             0.34
                                       0.39
                                                  205
C:\Users\Karthikeyan\anaconda3\Lib\site-packages\sklearn\metrics\
classification.py:1469: UndefinedMetricWarning: Recall and F-score
are ill-defined and being set to 0.0 in labels with no true samples.
Use `zero_division` parameter to control this behavior.
   warn_prf(average, modifier, msg_start, len(result))
C:\Users\Karthikeyan\anaconda3\Lib\site-packages\sklearn\metrics\
classification.py:1469: UndefinedMetricWarning: Recall and F-score
are ill-defined and being set to 0.0 in labels with no true samples.
Use `zero division` parameter to control this behavior.
   warn prf(average, modifier, msg start, len(result))
C:\Users\Karthikeyan\anaconda3\Lib\site-packages\sklearn\metrics\
classification.py:1469: UndefinedMetricWarning: Recall and F-score
are ill-defined and being set to 0.0 in labels with no true samples.
Use `zero_division` parameter to control this behavior.
  warn prf(average, modifier, msg start, len(result))
```

Cross-validation helps to assess the generalization performance of the GNB classifier by evaluating its performance on unseen data, reducing the risk of overfitting to the training data. The average accuracy across the folds provides a more reliable indication of the classifier's overall performance.

The mean cross-validation score indicates the overall accuracy of the GNB classifier on unseen data. A high mean score suggests that the classifier generalizes well and is able to accurately predict the fuel consumption classes for new data points.

```
prediction_test_GNB =classifier_GNB.predict(Norm[Input_cols])
#prediction
#We store the K-means results in a dataframe
prediction_test_GNB_pd = pd.DataFrame(prediction_test_GNB)
prediction_test_GNB_pd.columns = ['Prediction_GNB']
```

```
#we merge this dataframe with df
Norm= pd.concat([Norm,prediction_test_GNB_pd], axis = 1)
```

This code demonstrates the use of a trained GNB classifier to make predictions for new data points and incorporates the predictions into a comprehensive DataFrame that includes both the actual and predicted fuel consumption classes. This DataFrame facilitates further analysis and evaluation of the GNB classifier's performance.

```
import pandas as pd
#print(Norm)
M GNB total = confusion matrix(Norm['Consumption encoded'],
prediction test GNB)
print(M GNB total)
conf GNB total = pd.DataFrame(columns=['real encoded',
'real Consumption', 'predicted encoded', 'predicted Consumption GNB',
'density'])
for i in range(0, 7):
   for j in range (0, 7):
        if M GNB total[i][j] > 0:
           new_row = {'real_encoded': i, 'real_Consumption':
dict_cat[i], 'predicted_encoded': j, 'predicted_Consumption GNB':
dict_cat[j], 'density': float(M_GNB_total[i][j])}
            conf GNB total = pd.concat([conf GNB total,
pd.DataFrame([new_row])], ignore_index=True)
print(conf GNB total)
[ 0
     1 24 11 1
                 0
                        01
 [ 0
     1 48 1 10 2
                    2
                        01
     1 46 9 1 0
  0
                    1
                        01
     0 3 6 1 0 1
 0
                        01
 [ 0 4 19 0 48 2 0 12]
 [ 0 0 0 0 12 1
                   0 601
                    3
        1 2 0 0
 [ 0
     0
                        01
       0
           0 0 0 0
                       8]]
   real encoded real Consumption predicted encoded
predicted_Consumption GNB
0
                              35
                                                 1
25
1
              0
                              35
                                                 2
30
2
              0
                              35
                                                 3
40
3
                              35
20
4
                              25
25
```

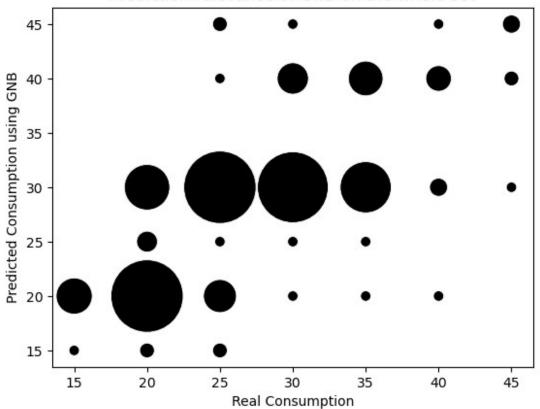
5		1	25	2
30				
6		1	25	3
40		1	25	4
7 20		1	25	4
8		1	25	5
15		±	25	5
9		1	25	6
45				
10		2	30	1
25				
11		2	30	2
30		2	20	2
12 40		2	30	3
13		2	30	4
20		_	30	-
14		2	30	6
45				
15		3	40	2
30				
16		3	40	3
40		2	40	4
17 20		3	40	4
20 18		3	40	6
45		5	1 0	U
19		4	20	1
25				
20		4	20	2
30				
21		4	20	4
20 22		1	20	5
15		4	20	5
23		5	15	4
20		_		
24		5	15	5
15 25				
25		6	45	2
30		C	45	2
26 40		6	45	3
40 27		6	45	6
45			7.5	J
	density			
0	1.0			

```
1
        24.0
2
        11.0
3
         1.0
4
         1.0
5
        48.0
6
         1.0
7
        10.0
8
         2.0
9
         2.0
10
         1.0
        46.0
11
12
         9.0
13
         1.0
14
         1.0
15
         3.0
16
         6.0
17
         1.0
18
         1.0
19
         4.0
20
        19.0
21
        48.0
22
         2.0
23
        12.0
24
         1.0
25
         1.0
         2.0
26
27
         3.0
```

This code effectively evaluates the performance of the GNB classifier on the entire dataset by calculating the confusion matrix, summarizing the results in a DataFrame, and visualizing the performance using a scatter plot. This analysis provides a comprehensive understanding of the classifier's ability to accurately predict fuel consumption classes

```
sns.scatterplot(x='real_Consumption', y='predicted_Consumption_GNB',
s=(conf_GNB_total.density)*60, data=conf_GNB_total, color='k')
pl.xlabel('Real Consumption')
pl.ylabel('Predicted Consumption using GNB')
pl.title('Prediction relevance of GNB on the whole set')
plt.show()
```

Prediction relevance of GNB on the whole set

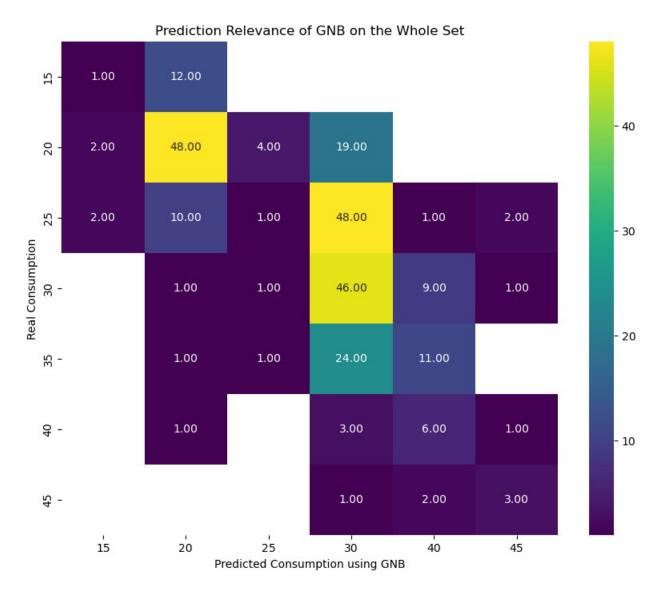


```
import seaborn as sns
import matplotlib.pyplot as plt

# Create a heatmap
heatmap_data = conf_GNB_total.pivot_table(index='real_Consumption',
columns='predicted_Consumption_GNB', values='density')

plt.figure(figsize=(10, 8)) # Adjust the figure size as needed
sns.heatmap(data=heatmap_data, cmap='viridis', annot=True, fmt=".2f")

plt.xlabel('Predicted Consumption using GNB')
plt.ylabel('Real Consumption')
plt.title('Prediction Relevance of GNB on the Whole Set')
plt.show()
```



print('Using Gaussian Naive Bayes, the predicted Consumption of the 35th Consumption is '+ str(dict_cat[Norm.iloc[35]['Prediction_GNB']]))

The code snippet attempts to predict the fuel consumption class for a new car using the trained Gaussian Naive Bayes (GNB) classifier. It creates a new DataFrame (panda_New_specimen) containing the input features of the new car and then makes a prediction using the classifier_GNB model. Finally, it prints the predicted fuel consumption class which is 20

```
New_specimen = {
  'Cylinders':[0.5],
  'Cubic_inch': [0.5],
  'Horsepower': [0.5],
  'Weight': [0.5],
  'Acceleration':[0.5]
}
panda_New_specimen = pd.DataFrame(New_specimen)
```

```
D=classifier_GNB.predict(panda_New_specimen)
print('Using kmeans, the predicted Consumption of such a car is '+
str(dict_cat[D[0]]))
Using kmeans, the predicted Consumption of such a car is 20

# neural_network
from sklearn.neural_network import MLPClassifier
classifier_NN= MLPClassifier(solver='lbfgs', alpha=le-5,
hidden_layer_sizes=(5, 2), random_state=1)
```

This code snippet defines a Multi-Layer Perceptron (MLP) classifier and initializes it with specific parameters. The MLP classifier is a type of artificial neural network that can learn complex nonlinear relationships between input and output data. These parameters represent a common setting for an MLP classifier using the lbfgs solver for solving gradient descent optimization. The number of neurons in each hidden layer is chosen to balance complexity and computational efficiency. The random state ensures that the same training data is split into training and validation sets during cross-validation, which helps to prevent overfitting.

The code compares the predicted fuel consumption class for the first data point in the training set with its actual fuel consumption class. It first makes a prediction using the trained Multi-Layer Perceptron (MLP) classifier and then retrieves the actual fuel consumption class from the training data. This comparison allows for a direct evaluation of the MLP classifier's ability to accurately predict the fuel consumption class for the first data point. If the predicted and actual classes match, it suggests that the classifier is performing well for this particular data point. However, a mismatch might indicate that the classifier needs further tuning or that the data point is an outlier

```
prediction_NN=classifier_NN.predict(train[Input_cols]) #prediction
#here we can compare the prediction and real specy for the first
specimen
print (prediction_NN[0])
print (train['Consumption_encoded'][0])
5
0
```

The code snippet calculates and prints the accuracy of the Multi-Layer Perceptron (MLP) classifier on the training data. Accuracy is a common metric for evaluating the performance of classification models, indicating the proportion of data points that are correctly classified.

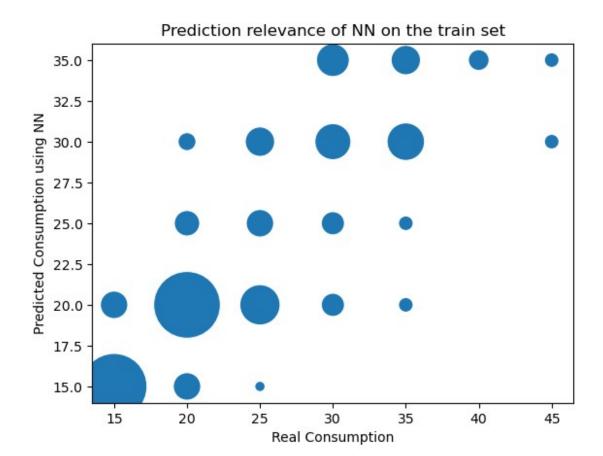
```
print('The performance of the Neuron Netwok prediction is')
print (classifier NN.score(train[Input cols], t train)) # test
The performance of the Neuron Netwok prediction is
0.526829268292683
M NN=confusion matrix(t train, prediction NN)
print (M NN)
[[8 2 13 0 2 0 0
                        01
     7 8 0 15 1 0
                        01
 [ 0
 [10 5 12 0 5 0 0
                        0]
 [4000000
                        01
 [ 0 6 3 0 41 7 0
                       01
 [ 0 0 0 0 7 40 0
                        0]
 [2020000
                        01
 0
      0 0 0 0 5 0 011
import pandas as pd
conf NN = pd.DataFrame(columns=['real encoded', 'real Consumption',
'predicted encoded', 'predicted Consumption GNB', 'density'])
for i in range (0, 7):
    for j in range (0, 7):
        if M NN[i][i] > 0:
            new_row = {'real_encoded': i, 'real_Consumption':
dict_cat[i], 'predicted_encoded': j, 'predicted_Consumption_GNB':
dict_cat[j], 'density': float(M_NN[i][j])}
            conf_NN = pd.concat([conf_NN, pd.DataFrame([new_row])],
ignore index=True)
print(conf NN)
```

	real_encode	ed real_Consumpt	ion	predicted_encode	d	
		umption_GNB \	25		0	
0 35		0	35		ט	
33 1		0	35		1	
25		U	22		1	
23		0	35		2	
30		U	22	•	2	
3		0	35		4	
20		U	23	•	+	
4		1	25		1	
25		1	23		1	
5		1	25		2	
30		1	23	•	2	
6		1	25		4	
20		-	23			
7		1	25	1	5	
, 15		_				
8		2	30		0	
35		_	50		-	
9		2	30		1	
25		_			_	
10		2	30		2	
30						
11		2	30	•	4	
20						
12		3	40		0	
35						
13		4	20		1	
25						
14		4	20		2	
30						
15		4	20	•	4	
20						
16		4	20		5	
15						
17		5	15		4	
20		_				
18		5	15		5	
15						
19		6	45		0	
35		•	4 =		2	
20		6	45		2	
30						
	donaitu					
0	density					
1	8.0 2.0					
Т	12.0					
0 1 2 3	13.0					
2	2.0					

```
4
         7.0
5
         8.0
6
        15.0
7
         1.0
8
        10.0
9
         5.0
10
        12.0
11
         5.0
12
         4.0
13
         6.0
         3.0
14
15
        41.0
16
         7.0
17
         7.0
18
        40.0
19
         2.0
20
         2.0
```

The code creates a DataFrame summarizing the confusion matrix for the Multi-Layer Perceptron (MLP) classifier's predictions on the training data and visualizes the relationship between actual and predicted fuel consumption values using a scatter plot. This analysis provides a comprehensive evaluation of the MLP classifier's performance on the training data by visualizing the confusion matrix and the relationship between actual and predicted fuel consumption values. It highlights the classifier's strengths and weaknesses, allowing for further refinement and improvement

```
sns.scatterplot(x='real_Consumption', y='predicted_Consumption_GNB',
s=(conf_NN.density) * 60, data=conf_NN)
plt.xlabel('Real Consumption')
plt.ylabel('Predicted Consumption using NN')
plt.title('Prediction relevance of NN on the train set')
plt.show()
```



```
prediction_test_NN =classifier_NN.predict(Norm[Input_cols])
#prediction
#We store the K-means results in a dataframe
prediction_test_NN_pd = pd.DataFrame(prediction_test_NN)
prediction_test_NN_pd.columns = ['Prediction_NN']
#we merge this dataframe with df
Norm= pd.concat([Norm,prediction_test_NN_pd], axis = 1)
```

Calculates the confusion matrix for the Multi-Layer Perceptron (MLP) classifier's predictions on the entire dataset, including both training and test data. It then summarizes the confusion matrix in a DataFrame and visualizes the relationship between actual and predicted fuel consumption values using a scatter plot

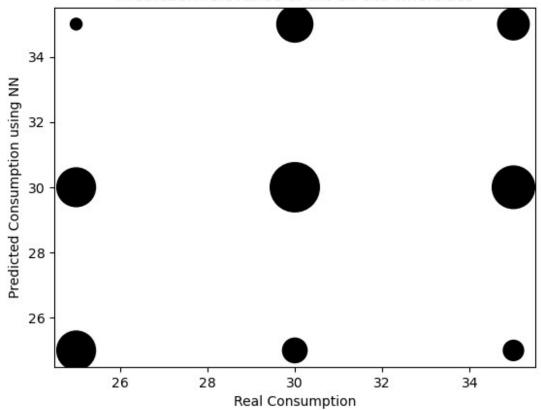
```
import pandas as pd

M_NN_total = confusion_matrix(Norm['Consumption_encoded'],
    prediction_test_NN_pd)
    print(M_NN_total)

conf_NN_total = pd.DataFrame(columns=['real_encoded',
    'real_Consumption', 'predicted_encoded', 'predicted_Consumption_NN',
    'density'])
    dataframes_to_concat = []
```

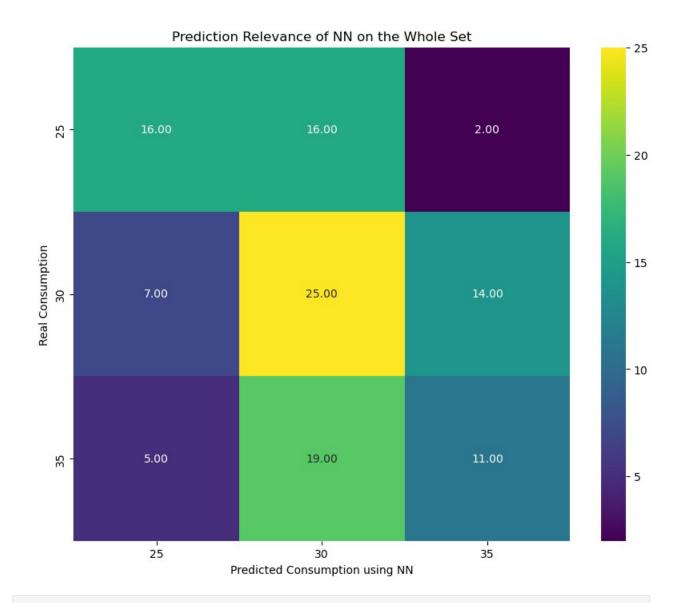
```
for i in range(0, 3):
    for j in range(0, 3):
        if M NN total[i][j] > 0:
            new_row = {'real_encoded': i, 'real_Consumption':
dict_cat[i], 'predicted_encoded': j, 'predicted_Consumption_NN':
dict_cat[j], 'density': float(M_NN_total[i][j])}
            dataframes to concat.append(pd.DataFrame([new row]))
conf NN total = pd.concat(dataframes to concat, ignore index=True)
print(conf NN total)
[[11 5 19
            0 2
                  0
                         0]
 [ 2 16 16
            0 29
                  1
                         0]
            1 11
     7 25
                  0
                         01
 [14
 <sup>7</sup>
      0
           0 1 0 0
                         01
 8 0 ]
        4 0 62 11 0
                         01
 [ 0 0 0 0 12 61
                     0
                         0]
 [ 3 0
        3
            0 0
                 0
                     0
                         01
 [ 0
              0 8
      0
         0
            0
                     0
                         011
                 real_Consumption predicted_encoded
   real_encoded
0
              0
                                35
1
              0
                                35
                                                     1
2
              0
                                35
                                                     2
3
              1
                                25
                                                     0
4
              1
                                25
                                                     1
5
                                                     2
              1
                                25
6
              2
                                30
                                                     0
7
              2
                                                     1
                                30
8
              2
                                30
   predicted Consumption NN
                              density
0
                          35
                                 11.0
1
                          25
                                  5.0
2
                          30
                                 19.0
3
                          35
                                 2.0
4
                          25
                                 16.0
5
                          30
                                 16.0
6
                                 14.0
                          35
7
                          25
                                 7.0
8
                          30
                                 25.0
sns.scatterplot(x='real Consumption', y='predicted Consumption NN',
s=(conf NN total.density)*60, data=conf_NN_total,color='k')
pl.xlabel('Real Consumption')
pl.ylabel('Predicted Consumption using NN')
pl.title('Prediction relevance of NN on the whole set')
plt.show()
```





```
import seaborn as sns
import matplotlib.pyplot as plt

# Create a heatmap
heatmap_data = conf_NN_total.pivot_table(index='real_Consumption',
columns='predicted_Consumption_NN', values='density')
plt.figure(figsize=(10, 8)) # Adjust the figure size as needed
sns.heatmap(data=heatmap_data, cmap='viridis', annot=True, fmt=".2f")
plt.xlabel('Predicted Consumption using NN')
plt.ylabel('Real Consumption')
plt.title('Prediction Relevance of NN on the Whole Set')
plt.show()
```



print('Using Neuron Network, the predicted Consumption of the 34th car
is ' + str(dict_cat[Norm.iloc[34]['Prediction_NN'].astype(int)]))
Using Neuron Network, the predicted Consumption of the 34th car is 20
KMeans

The provided code snippet makes predictions for the fuel consumption classes of the training data using the trained K-means clustering algorithm, stores the predictions in a DataFrame, and merges this DataFrame with the original DataFrame to create a comprehensive DataFrame that includes both actual and predicted fuel consumption classes for all data points. By storing the

predictions in a separate DataFrame and merging it with the original DataFrame, it allows for further analysis and comparison with the predictions made by other classification models.

```
from sklearn import cluster
from sklearn.cluster import KMeans
from sklearn.metrics import completeness score, homogeneity score
Nombre clusters=3#cluster nombers matching rhe numbers of species
kmeans = KMeans(n clusters=Nombre clusters, init='random') #
initialization
#K-means training
kmeans.fit(train[Input cols] )
labels = kmeans.labels
centroids = kmeans.cluster centers
print('Coordinates of the 15 centroids')
print(centroids)
C:\Users\Karthikeyan\anaconda3\Lib\site-packages\sklearn\cluster\
kmeans.py:1412: FutureWarning: The default value of `n init` will
change from 10 to 'auto' in 1.4. Set the value of `n_init` explicitly
to suppress the warning
  super(). check params vs input(X, default n init=10)
C:\Users\Karthikeyan\anaconda3\Lib\site-packages\sklearn\cluster\
kmeans.py:1436: UserWarning: KMeans is known to have a memory leak on
Windows with MKL, when there are less chunks than available threads.
You can avoid it by setting the environment variable
OMP NUM THREADS=1.
 warnings.warn(
Coordinates of the 15 centroids
             0.69785575 0.57742182 0.72266763 0.29071144]
 [0.61025641 0.40800371 0.31103679 0.48414668 0.49614598]
             0.10952279 \ 0.17924811 \ 0.20906087 \ 0.49518771]]
 [0.2
```

Calculates the completeness score to evaluate the performance of the K-means clustering algorithm's predictions on the training data. The completeness score measures the proportion of data points within each cluster that are correctly classified as belonging to that cluster. A higher completeness score suggests that the K-means clustering algorithm effectively groups data points with similar fuel consumption characteristics, resulting in more accurate predictions for the majority of the data points in each cluster.

```
#actual prediction
y_pred_kmean = kmeans.predict(train[Input_cols])
#We store the K-means results in a dataframe
pred = pd.DataFrame(y_pred_kmean)
pred.columns = ['Prediction_kmean']
```

```
print
(completeness_score(train['Consumption_encoded'],pred['Prediction_kmea
n']))
0.5202417309033802
```

Calculates the homogeneity score to assess the performance of the K-means clustering algorithm's predictions on the training data. The homogeneity score measures the extent to which data points in a cluster share similar fuel consumption characteristics

```
print
(homogeneity_score(train['Consumption_encoded'],pred['Prediction_kmean
']))
0.2961201640996512
```

calculates the confusion matrix to evaluate the performance of the K-means clustering algorithm's predictions on the training data. Each cell in the matrix represents the number of data points that were correctly or incorrectly classified. The diagonal elements represent correctly classified data points, while off-diagonal elements represent misclassified data points.

```
M_kmean=confusion_matrix(train['Consumption_encoded'],pred['Prediction
kmean'])
print (M kmean)
[ 0
     1 24
          0
             0
                0
                  0
                     01
 [ 2 2 27
          0 0 0 0
                     01
 [ 0 0 32 0 0 0 0
                     01
 [ 0 0
      4 0 0 0 0
                     0]
 [11 28 18 0 0 0 0
                     01
 [39 8 0 0 0 0
                  0
                     01
          0 0 0
 [ 0
     0 4
                  0
                     01
 [ 5
     0
        0
          0
             0
                0
                  0
                     0]]
```

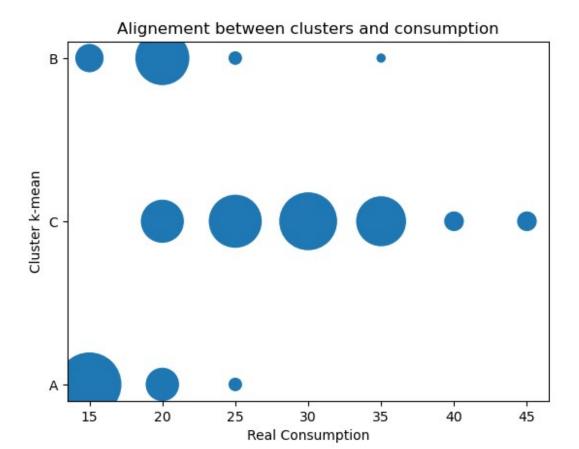
This visualization provides a visual representation of how well the K-means clustering algorithm aligns with the actual fuel consumption classes. The scatter plot shows that the algorithm generally assigns data points with similar fuel consumption values to the same cluster, indicating that the clusters are well-defined and distinct.

```
import pandas as pd

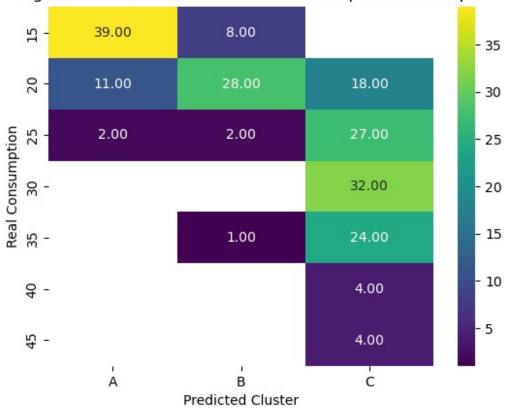
dict_cluster = {0: 'A', 1: 'B', 2: 'C'}
conf_kmean = pd.DataFrame(columns=['real', 'real_Consumption',
'predicted', 'predicted_cluster', 'density'])
dataframes_to_concat = []

for i in range(0, 7):
    for j in range(0, 7):
        if M_kmean[i][j] > 0:
```

```
new_row = {'real': i, 'real_Consumption': dict_cat[i],
'predicted': j, 'predicted_cluster': dict_cluster[j], 'density':
float(M kmean[i][j])}
            dataframes to concat.append(pd.DataFrame([new row]))
conf_kmean = pd.concat(dataframes_to_concat, ignore_index=True)
print(conf kmean)
                             predicted predicted cluster
    real
          real Consumption
                                                            density
0
       0
                         35
                                                                1.0
                                      2
                                                         C
1
       0
                         35
                                                               24.0
2
                         25
                                      0
       1
                                                         Α
                                                                2.0
3
       1
                         25
                                      1
                                                         В
                                                                2.0
4
                                      2
       1
                         25
                                                         C
                                                               27.0
5
       2
                         30
                                      2
                                                         C
                                                               32.0
6
       3
                                      2
                         40
                                                         C
                                                                4.0
7
       4
                         20
                                      0
                                                         Α
                                                               11.0
8
       4
                                      1
                                                         В
                         20
                                                               28.0
9
       4
                                      2
                                                         C
                         20
                                                               18.0
10
       5
                         15
                                      0
                                                         Α
                                                               39.0
       5
                                      1
11
                         15
                                                         В
                                                                8.0
                                      2
12
       6
                         45
                                                         C
                                                                4.0
sns.scatterplot(x='real_Consumption', y='predicted_cluster',
s=(conf kmean.density)*60, data=conf kmean)
pl.xlabel('Real Consumption')
pl.ylabel('Cluster k-mean')
pl.title('Alignement between clusters and consumption')
plt.show()
```







```
!pip install import-ipynb
import import_ipynb
import Matching cluster
```

Requirement already satisfied: import-ipynb in c:\users\karthikeyan\ anaconda3\lib\site-packages (0.1.4) Requirement already satisfied: IPython in c:\users\karthikeyan\ anaconda3\lib\site-packages (from import-ipynb) (8.15.0) Requirement already satisfied: nbformat in c:\users\karthikeyan\ anaconda3\lib\site-packages (from import-ipynb) (5.9.2) Requirement already satisfied: backcall in c:\users\karthikeyan\ anaconda3\lib\site-packages (from IPython->import-ipynb) (0.2.0) Requirement already satisfied: decorator in c:\users\karthikeyan\ anaconda3\lib\site-packages (from IPython->import-ipynb) (5.1.1) Requirement already satisfied: jedi>=0.16 in c:\users\karthikeyan\ anaconda3\lib\site-packages (from IPython->import-ipynb) (0.18.1) Requirement already satisfied: matplotlib-inline in c:\users\ karthikeyan\anaconda3\lib\site-packages (from IPython->import-ipynb) (0.1.6)Requirement already satisfied: pickleshare in c:\users\karthikeyan\

anaconda3\lib\site-packages (from IPython->import-ipynb) (0.7.5)

```
Requirement already satisfied: prompt-toolkit!=3.0.37,<3.1.0,>=3.0.30
in c:\users\karthikeyan\anaconda3\lib\site-packages (from IPython-
>import-ipynb) (3.0.36)
Requirement already satisfied: pygments>=2.4.0 in c:\users\
karthikeyan\anaconda3\lib\site-packages (from IPython->import-ipynb)
(2.15.1)
Requirement already satisfied: stack-data in c:\users\karthikeyan\
anaconda3\lib\site-packages (from IPython->import-ipynb) (0.2.0)
Requirement already satisfied: traitlets>=5 in c:\users\karthikeyan\
anaconda3\lib\site-packages (from IPython->import-ipynb) (5.7.1)
Requirement already satisfied: colorama in c:\users\karthikeyan\
anaconda3\lib\site-packages (from IPython->import-ipynb) (0.4.6)
Requirement already satisfied: fastjsonschema in c:\users\karthikeyan\
anaconda3\lib\site-packages (from nbformat->import-ipynb) (2.16.2)
Requirement already satisfied: jsonschema>=2.6 in c:\users\
karthikeyan\anaconda3\lib\site-packages (from nbformat->import-ipynb)
(4.17.3)
Requirement already satisfied: jupyter-core in c:\users\karthikeyan\
anaconda3\lib\site-packages (from nbformat->import-ipynb) (5.3.0)
Requirement already satisfied: parso<0.9.0,>=0.8.0 in c:\users\
karthikeyan\anaconda3\lib\site-packages (from jedi>=0.16->IPython-
>import-ipynb) (0.8.3)
Requirement already satisfied: attrs>=17.4.0 in c:\users\karthikeyan\
anaconda3\lib\site-packages (from jsonschema>=2.6->nbformat->import-
ipynb) (22.1.0)
Requirement already satisfied: pyrsistent!=0.17.0,!=0.17.1,!
=0.17.2,>=0.14.0 in c:\users\karthikeyan\anaconda3\lib\site-packages
(from jsonschema>=2.6->nbformat->import-ipynb) (0.18.0)
Requirement already satisfied: wcwidth in c:\users\karthikeyan\
anaconda3\lib\site-packages (from prompt-toolkit!
=3.0.37, <3.1.0, >=3.0.30->IPython->import-ipynb) (0.2.5)
Requirement already satisfied: platformdirs>=2.5 in c:\users\
karthikeyan\anaconda3\lib\site-packages (from jupyter-core->nbformat-
>import-ipynb) (3.10.0)
Requirement already satisfied: pywin32>=300 in c:\users\karthikeyan\
anaconda3\lib\site-packages (from jupyter-core->nbformat->import-
ipynb) (305.1)
Requirement already satisfied: executing in c:\users\karthikeyan\
anaconda3\lib\site-packages (from stack-data->IPython->import-ipynb)
Requirement already satisfied: asttokens in c:\users\karthikeyan\
anaconda3\lib\site-packages (from stack-data->IPython->import-ipynb)
(2.0.5)
Requirement already satisfied: pure-eval in c:\users\karthikeyan\
anaconda3\lib\site-packages (from stack-data->IPython->import-ipynb)
(0.2.2)
Requirement already satisfied: six in c:\users\karthikeyan\anaconda3\
lib\site-packages (from asttokens->stack-data->IPython->import-ipynb)
```

```
(1.16.0)
importing Jupyter notebook from Matching_cluster.ipynb
acc,y_pred,dict_map_cluster
=Matching_cluster.remap_labels(pred['Prediction_kmean'],train['Consump tion_encoded'])
print(dict_map_cluster)
#We store the K-means results in a dataframe
pred_1 = pd.DataFrame(y_pred)
pred_1.columns = ['Prediction_kmean_mapped']
#we merge this dataframe with df
pred= pd.concat([pred,pred_1], axis = 1)
{0: 5, 1: 4, 2: 2, 3: 0, 4: 1, 5: 3, 6: 6, 7: 7}
```

The confusion matrix shows that the K-means algorithm performs well in classifying data points into their respective fuel consumption classes, with high accuracy for most classes. However, it is important to note that performance on the training data may not necessarily translate to performance on unseen data.

```
M_kmeanmapped=confusion_matrix(train['Consumption_encoded'],pred['Pred
iction kmean mapped'l)
print (M kmeanmapped)
[ [ 0
     0 24 0 1
                0
                     0]
 [ 0
     0 27
          0 2
                2
                   0
                     0]
 [ 0 0 32 0 0 0 0
                     01
     0 4 0 0 0 0
 [ 0
                     01
 [ 0 0 18 0 28 11 0
                     0]
 [0 0 0 0 8 39 0
                     0]
     0 4 0 0 0 0
 [ 0
                     0]
        0
          0 0 5
                     0]]
 [ 0
     0
```

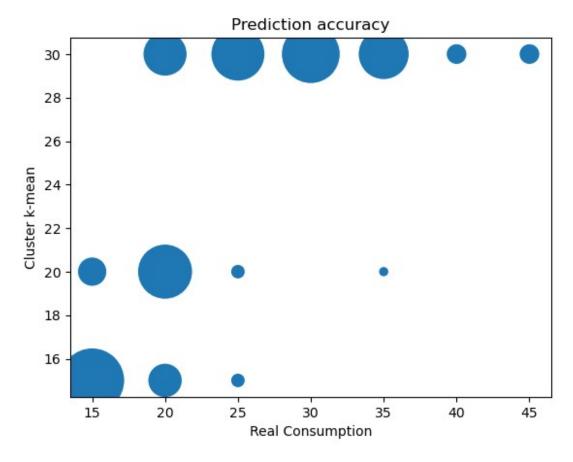
Summarizes the confusion matrix after mapping the cluster labels, visualizes the relationship between actual and predicted fuel consumption values using a scatter plot, and prints the summary of the accuracy of the K-means predictions after mapping the cluster labels. it appears that the K-means clustering algorithm has been able to effectively group the data points into clusters based on their fuel consumption. The clusters are represented by the predicted values, and the density column indicates the number of data points in each cluster

```
import pandas as pd

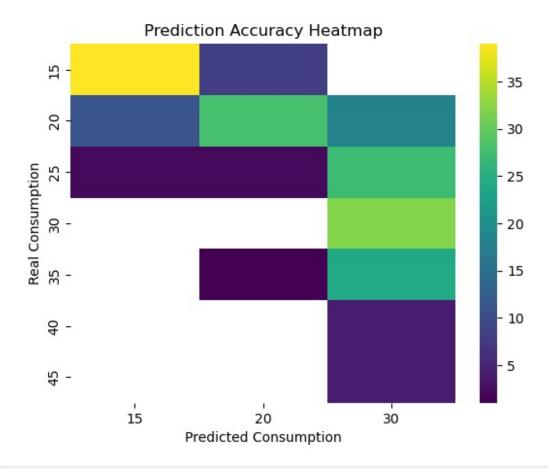
conf_kmeanmapped = pd.DataFrame(columns=['real', 'real_Consumption', 'predicted', 'predicted_Consumption', 'density'])
dataframes_to_concat = []

for i in range(0, 7):
    for j in range(0, 7):
```

```
if M kmeanmapped[i][j] > 0:
            new row = {'real': i, 'real Consumption': dict cat[i],
'predicted': j, 'predicted_Consumption': dict_cat[j], 'density':
float(M kmeanmapped[i][i])}
            dataframes to concat.append(pd.DataFrame([new row]))
conf_kmeanmapped = pd.concat(dataframes_to_concat, ignore_index=True)
print(conf kmeanmapped)
    real
          real Consumption predicted predicted Consumption
                                                                 density
                                                                    24.0
0
       0
                         35
       0
                         35
                                      4
                                                             20
1
                                                                     1.0
2
       1
                         25
                                      2
                                                                    27.0
                                                             30
3
       1
                         25
                                      4
                                                             20
                                                                     2.0
                                      5
4
       1
                         25
                                                             15
                                                                     2.0
5
                                      2
       2
                         30
                                                             30
                                                                    32.0
                                      2
6
       3
                         40
                                                             30
                                                                     4.0
7
       4
                                      2
                         20
                                                             30
                                                                    18.0
8
       4
                                      4
                                                             20
                         20
                                                                    28.0
9
       4
                         20
                                      5
                                                             15
                                                                    11.0
       5
                                      4
10
                         15
                                                             20
                                                                     8.0
       5
11
                         15
                                      5
                                                             15
                                                                    39.0
                                      2
12
       6
                         45
                                                             30
                                                                     4.0
sns.scatterplot(x='real Consumption', y='predicted Consumption',
s=(conf kmeanmapped.density)*60, data=conf kmeanmapped)
pl.xlabel('Real Consumption')
pl.ylabel('Cluster k-mean')
pl.title('Prediction accuracy')
plt.show()
```



Performs K-means clustering on the normalized data using the kmeans.predict() method. The Norm[Input_cols] part indicates that the clustering is performed on the subset of the Norm DataFrame containing the columns specified in the Input_cols list.



```
y_pred_kmean = kmeans.predict(Norm[Input_cols])
#We store the K-means results in a dataframe
pred = pd.DataFrame(y_pred_kmean)
pred.columns = ['Prediction_kmean_mapped']
mapping=pred['Prediction_kmean_mapped'].map(dict_map_cluster)
print(mapping)
Norm = pd.concat([Norm,mapping], axis = 1)
print(Norm)
0
       2
       2
1
       2
2
3
       2
       2
4
       2
337
338
       4
       4
339
340
       2
341
Name: Prediction_kmean_mapped, Length: 342, dtype: int64
    Consumption Cylinders Cubic inch Horsepower
```

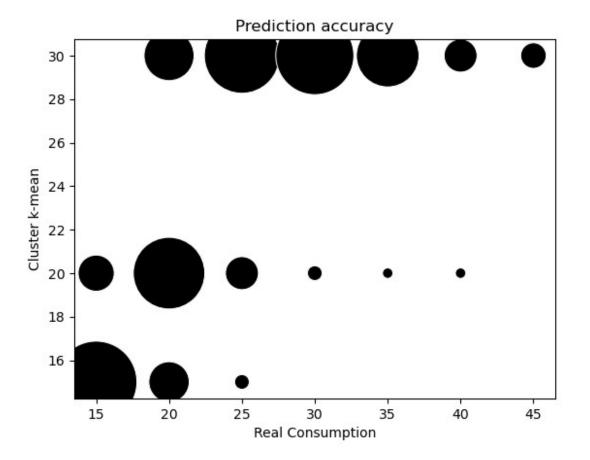
Acceleration 0	\ 35	0.2	0.028424	0.065217	0.052569	
0.619632						
1	25	0.2	0.072351	0.125000	0.161290	
0.582822 2	25	0.2	0.077519	0.239130	0.183990	
0.429448	25	0.0	0 104001	0 157600	0 170215	
3 0.337423	25	0.2	0.124031	0.157609	0.178315	
4	30	0.2	0.000000	0.016304	0.065114	
0.674847						
337	30	0.2	0.028424	0.114130	0.104839	
0.460123	20	0.6	0.341085	0 211057	0.424432	
338 0.503067	20	0.6	0.341083	0.211957	0.424432	
339	20	0.6	0.341085	0.211957	0.400538	
0.595092 340	25	0.2	0.103359	0.255435	0.221625	
0.429448	23	0.2	0.105559	0.233433	0.221025	
341	30	0.2	0.074935	0.114130	0.124253	
0.570552						
Brand 0 renault 1 renault 2 fiat 3 fiat 4 fiat	Car_name 124_sport 124_sport 124_sport	5 2 t 4	umption_enco	0 -0.594 1 -0.496 1 -0.417 1 -0.409	CAO PCA1 \ 730 0.081303 658 0.057931 282 -0.110495 473 -0.161451 933 0.147951	
339 mercury	x1.9 zephy	9 r r		4 0.051 4 0.025	796 -0.105147	
Predict: 0 1 2 3 4 337 338 339 340 341	ion_GNB P	redictio	on_NN Predia 0 2 2 2 0 0 4 4 1 2	ction_kmea	n_mapped 2 2 2 2 2 2 4 4 2 2 2	

```
[342 rows x 14 columns]
M kmeanmapped total=confusion matrix(Norm['Consumption encoded'],Norm[
'Prediction kmean mapped'])
print (M kmeanmapped total)
[ 0
     0 36
           0 1
           0 10
     0 52
                 2
                       01
 0
                    0
 [ 0
     0 56
          0 2
                0
                    0
                       0]
     0 10
           0 1
                 0
                       01
  0
                    0
 [ 0
     0 23
          0 47 15
                    0
                       01
 [ 0 0 0 0 12 61
                       0]
                    0
 [ 0
     0 6
           0 0 0
                   0
                       01
 [ 0
           0 0 8
     0
        0
                    0
                       011
```

Summarizing the confusion matrix after mapping the cluster labels back to the original fuel consumption classes and visualizes the relationship between actual and predicted fuel consumption values using a scatter plot.

```
import pandas as pd
conf kmeanmapped total = pd.DataFrame(columns=['real',
'real_Consumption', 'predicted', 'predicted_Consumption', 'density'])
dataframes_to_concat = []
for i in range(0, 7):
    for j in range (0, 7):
        if M kmeanmapped total[i][j] > 0:
            new row = {'real': i, 'real Consumption': dict cat[i],
'predicted': j, 'predicted_Consumption': dict_cat[j], 'density':
float(M kmeanmapped total[i][j])}
            dataframes to concat.append(pd.DataFrame([new row]))
conf kmeanmapped total = pd.concat(dataframes to concat,
ignore index=True)
print(conf kmeanmapped total)
    real
          real Consumption predicted
                                        predicted Consumption
                                                                 density
0
       0
                         35
                                      2
                                                             30
                                                                     36.0
1
       0
                         35
                                      4
                                                             20
                                                                      1.0
2
       1
                         25
                                      2
                                                             30
                                                                     52.0
3
                                      4
       1
                         25
                                                             20
                                                                     10.0
4
       1
                         25
                                      5
                                                             15
                                                                      2.0
5
       2
                                      2
                         30
                                                             30
                                                                     56.0
       2
6
                                      4
                         30
                                                             20
                                                                      2.0
7
       3
                                      2
                         40
                                                             30
                                                                     10.0
8
       3
                                      4
                         40
                                                             20
                                                                     1.0
9
       4
                         20
                                      2
                                                                     23.0
                                                             30
```

10	4	20	4	20	47.0			
11	4	20	5	15	15.0			
12	5	15	4	20	12.0			
13	5	15	5	15	61.0			
14	6	45	2	30	6.0			
<pre>sns.scatterplot(x='real_Consumption', y='predicted_Consumption', s=(conf_kmeanmapped_total.density)*60, data=conf_kmeanmapped_total, color='k') pl.xlabel('Real Consumption') pl.ylabel('Cluster k-mean') pl.title('Prediction accuracy') plt.show()</pre>								

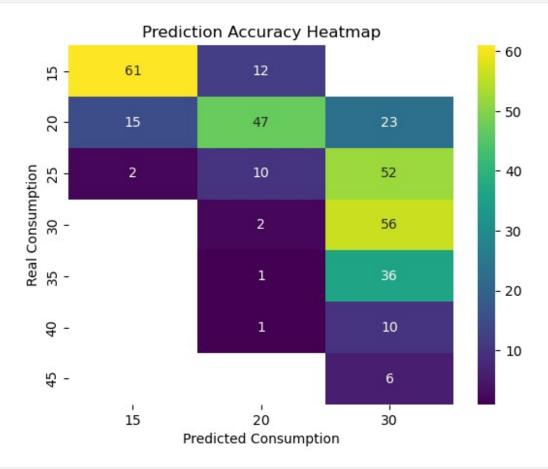


Predicts the fuel consumption class for a new car with the given specifications using the K-means clustering model.

```
import seaborn as sns
import matplotlib.pyplot as plt

# Assuming conf_kmeanmapped_total contains the necessary data

# Create a heatmap
```



```
New_specimen = { 'Cylinders':[0.5],
   'Cubic_inch': [0.5],
   'Horsepower': [0.5],
   'Weight': [0.5],
   'Acceleration':[0.5]
}
panda_New_specimen = pd.DataFrame(New_specimen)
D=kmeans.predict(panda_New_specimen)
print('Using kmeans, the predicted Consumption of such a car is '+
str(dict_cat[dict_map_cluster[D[0]]]))
Using kmeans, the predicted Consumption of such a car is 20
```

```
# Import necessary libraries for Dash
import dash
from dash import dcc, html, Input, Output
import plotly.express as px
import plotly.graph_objects as go
# Initialize the Dash app
app = dash.Dash( name )
# Define the layout of the dashboard
app.layout = html.Div([
    html.H1("Car Consumption Dashboard"),
    # Dropdown for X-axis selection for scatter plot
    dcc.Dropdown(
        id='x-axis-dropdown-scatter',
        options=[{'label': col, 'value': col} for col in
data panda.columns],
        value='Cubic inch',
        multi=False,
        style={'width': '50%'}
    ),
    # Dropdown for Y-axis selection for scatter plot
    dcc.Dropdown(
        id='y-axis-dropdown-scatter',
        options=[{'label': col, 'value': col} for col in
data_panda.columnsl,
        value='Horsepower',
        multi=False,
        style={'width': '50%'}
    ),
    # Dropdown for X-axis selection for line chart
    dcc.Dropdown(
        id='x-axis-dropdown-line',
        options=[{'label': col, 'value': col} for col in
data panda.columns],
        value='Cubic inch',
        multi=False,
        style={'width': '50%'}
    ),
    # Dropdown for Y-axis selection for line chart
    dcc.Dropdown(
        id='y-axis-dropdown-line',
        options=[{'label': col, 'value': col} for col in
data_panda.columns],
```

```
value='Horsepower',
        multi=False,
        style={'width': '50%'}
    ),
    # Scatter plot
    dcc.Graph(id='scatter-plot'),
    # Line chart
    dcc.Graph(id='line-chart'),
    # Pie chart
    dcc.Graph(id='pie-chart')
])
# Callback to update scatter plot based on dropdown selection
@app.callback(
    Output('scatter-plot', 'figure'),
    [Input('x-axis-dropdown-scatter', 'value'),
     Input('y-axis-dropdown-scatter', 'value')]
def update scatter plot(x column, y column):
    scatter fig = px.scatter(
        data panda, x=x_column, y=y_column,
        color='Consumption', title=f'{x_column} vs. {y column}',
        labels={x column: x column, y column: y column, 'Consumption':
'Consumption'},
        template='plotly dark'
    return scatter fig
# Callback to update line chart based on dropdown selection
@app.callback(
    Output('line-chart', 'figure'),
    [Input('x-axis-dropdown-line', 'value'),
  Input('y-axis-dropdown-line', 'value')]
def update line chart(x column, y_column):
    line_fig = px.line(
        data_panda, x=x_column, y=y_column, title=f'{y_column} vs.
{x column}'
        labels={x column: x column, y column: y column},
        template='plotly dark'
    return line fig
# Callback to update pie chart based on dropdown selection
@app.callback(
    Output('pie-chart', 'figure'),
    [Input('x-axis-dropdown-scatter', 'value')]
```

```
def update pie chart(x column):
    # Calculate consumption distribution
    consumption_counts = data_panda['Consumption'].value counts()
    consumption percentage = (consumption counts / len(data panda)) *
100
    # Create a list to store hover text strings
    hover texts = []
    for consumption, count, percentage in
zip(consumption counts.index, consumption counts,
consumption percentage):
        # Get the car names for the current consumption category
        car names = data panda[data panda['Consumption'] ==
consumption]['Brand'].tolist()
        # Create hover text with car names
        hover text = f"{percentage:.1f}% cars ({count})\nCar Names:\
n{', '.join(car names)}"
        hover_texts.append(hover_text)
    # Create pie chart using Plotly
    pie fig = go.Figure(data=[go.Pie(labels=consumption counts.index,
                                      values=consumption counts,
                                      textinfo='label+percent',
                                      hole=0.3,
                                      hoverinfo='text',
                                      text=hover texts)])
    pie fig.update layout(title='Consumption Distribution')
    return pie fig
# Run the app
app.run server(mode='external', port=8067)
<IPython.lib.display.IFrame at 0x1fad4b2a110>
```