

## Problem Set 8 for lecture Distributed Systems I (IVS1)

Due: 18.12.2018, 14:00 Uhr

### Exercise 1

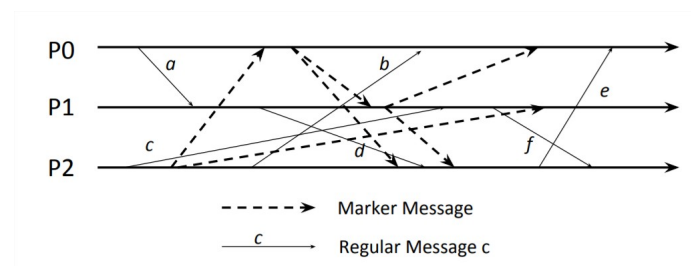
(1 Point)

The Chandy-Lamport global snapshot algorithm works under certain number of assumptions of the underlying distributed systems. List all assumptions and explain which are unlikely to hold on a real distributed system's network.

### Exercise 2

(2 Points)

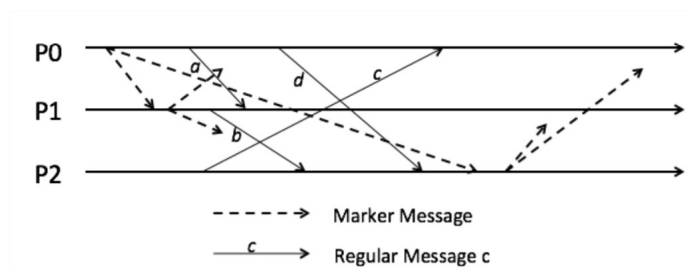
Using the system described below, present the global state recorded when the Chandy-Lamport snapshot algorithm has terminated.



### Exercise 3

(1 Point)

In the system below,  $P_0$  initiates the snapshot algorithm, but Chandy-Lamport algorithm can not create a consistent snapshot of the system. Find the reason and explain why a consistent global state cannot be found with Chandy-Lamport algorithm.



### Exercise 4

(2 Points)

Two processes  $P$  and  $Q$  are connected in a ring using two channels, and they constantly rotate a message  $m$ . At any one time, there is only one copy of  $m$  in the system. Each process's state consists of the number of times it has received  $m$ , and  $P$  sends  $m$  first. At a certain point,  $P$  has the message and its state is 101. Immediately after sending  $m$ ,  $P$  initiates the snapshot algorithm. Explain the operation of the algorithm in this case, giving the possible global state(s) reported by it.

The Dijkstra mutual exclusion algorithm proposed in 1974<sup>1</sup> is one of the first self-stabilizing algorithms, responsible of bootstrapping the self-stabilizing research subfield of fault-tolerance algorithms. In this exercise, you will implement a simulation of the Dijkstra token ring for an arbitrary number  $N$  nodes and  $K$  states, and evaluate how long it takes for the algorithm to stabilize.

- To simulate the nodes, you can use an array/list with  $N$  positions, each containing a valid state  $s = [0, \dots, K - 1]$  with  $K > N$ .
- Initialize each node of the system with a unique and randomized state. This is the worst case scenario where all nodes have a token.
- On each step of your program, select a random node to perform an action. The action must follow Dijkstra's algorithm, that is, a node can only change its state if it has the privilege, and the state transition needs to comply with Dijkstra rules.
- Record both the number of steps your program take until the stabilization and the amount of states changed in the process.

Test your code with multiple configurations  $N = [2, \dots, 20]$  and  $K = N + 1$ , and run each configuration at least 10 times. For this exercise, submit your code into Moodle and the answers of the following assignments:

1. Plot a chart with the average number of steps needed to reach a stable state per  $N$ . How many steps in average are necessary to stabilize the algorithm?
2. Plot a chart with the average number of states changed per  $N$ , until a stable state is reached. On average, how many times a node changes until the algorithm has stabilized?
3. What happens to the stabilization property of Dijkstra's algorithm if  $K \leq N$ ?  
**Hint:** Run your code with high values of  $N = [100, \dots, 1000]$  and low values such as  $K = [2, 3, 4]$ .

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<sup>1</sup>Available at <https://www.cs.utexas.edu/users/EWD/ewd04xx/EWD426.PDF>