



Matrix-

$$A = [a_{ij}]_{m \times n}$$



$$A = [a_{ij}]_{m \times n} = \begin{bmatrix} a_{11} & a_{12} & \dots & a_{1n} \\ a_{21} & a_{22} & \dots & a_{2n} \\ \dots & \dots & \dots & \dots \\ \dots & \dots & \dots & \dots \\ a_{m1} & a_{m2} & \dots & a_{mn} \end{bmatrix}$$

Special Types of Matrices:-

- Square Matrix ($m = n$)
- Diagonal Matrix ($a_{ij} = 0$ where $i \neq j$)
- Scalar Matrix ($a_{ij} = b$ where $i = j$)
- Unit Matrix or Identity Matrix (I) ($a_{ij} = 1$ where $i=j$
 $a_{ij} = 0$ where $i \neq j$)
- Null Matrix ($a_{ij} = 0$)
- Upper Triangular Matrix ($a_{ij} = 0$, $i > j$)
- Lower Triangular Matrix ($a_{ij} = 0$, $i < j$)
- Idempotent Matrix ($A^2 = A$)
- Involuntary Matrix ($A^2 = I$)
- Nilpotent Matrix $A^x = 0$ ($x \rightarrow \text{lowest}$) ($x \rightarrow \text{Index}$)
- Singular Matrix $|A| = 0$
- Row Matrix $m = 1$ (No. of Rows)
- Column Matrix $n = 1$ (No. of Columns)



EXPLANATION

Equality of Two Matrices :-

Two matrices $A = [a_{ij}]$ and $B = [b_{ij}]$ are said to be equal if,



1. They are of same size.
2. The elements in the corresponding places of two matrices are the same i.e. $a_{ij} = b_{ij}$ for each pair of subscripts i and j .