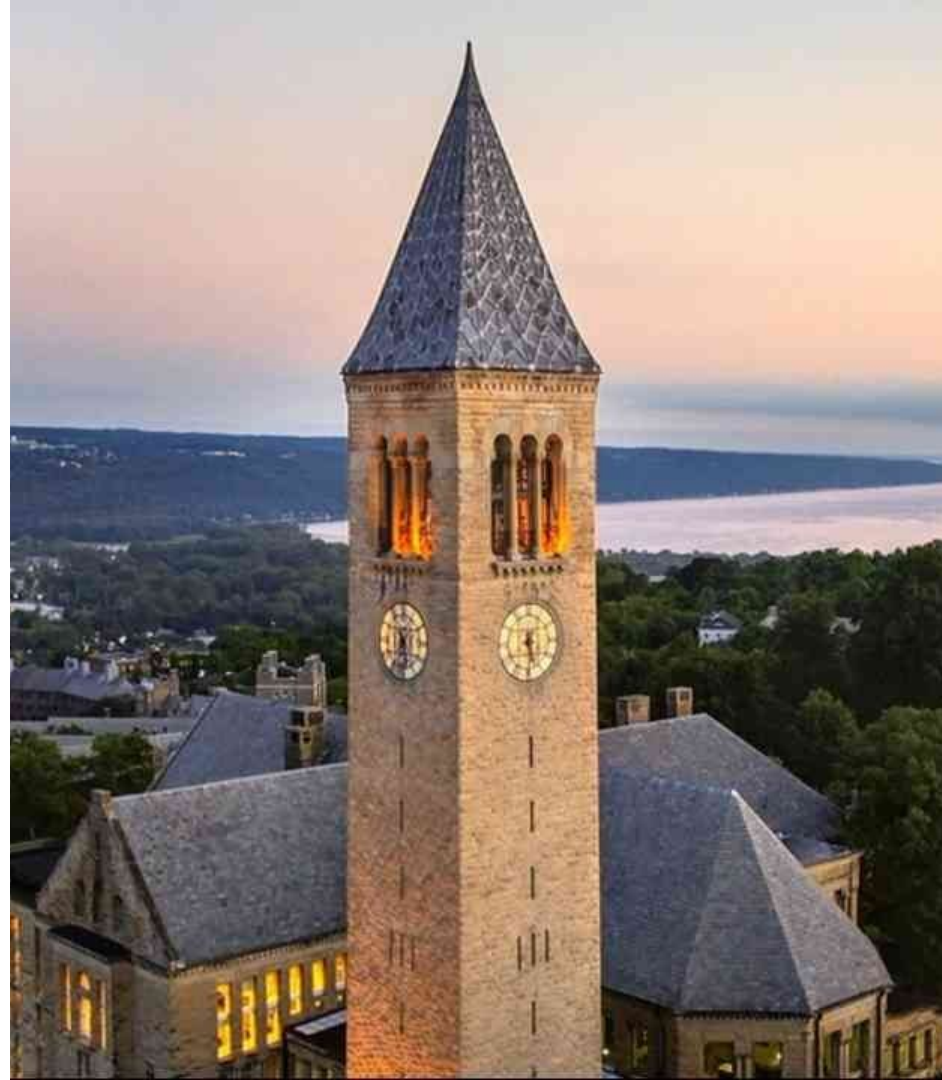


Explainable Machine Learning

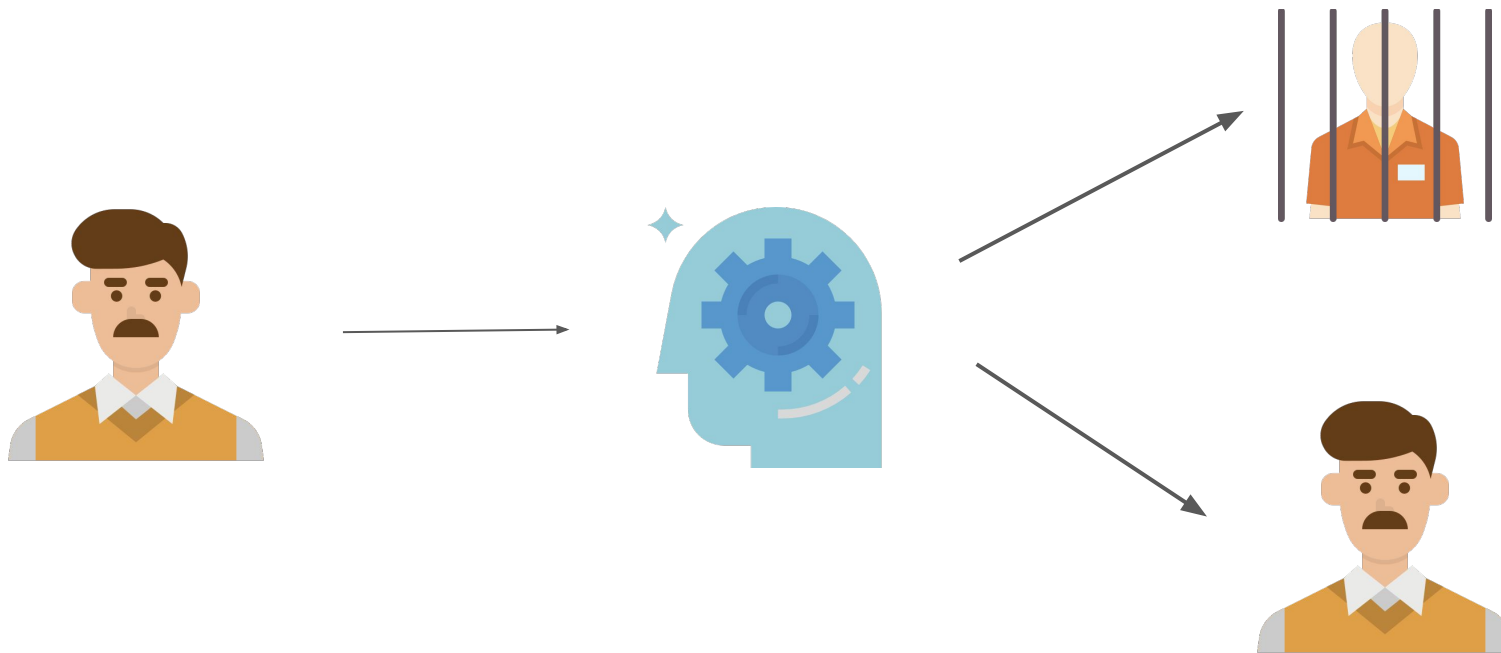
ORIE 4371
November 2, 2021



Why should we care about
interpreting machine learning
models?

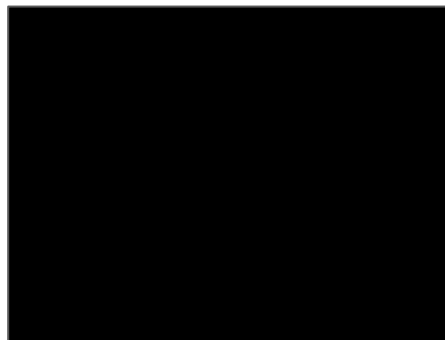


Socially Sensitive Machine Learning



Two Approaches

Un-interpretable



No Parole


Interpretable

$[(\text{Priors} \geq 3) \text{ and } (\text{Age} \leq 45) \text{ and } (\text{Score Factor} = \text{TRUE})]$
OR
 $[(\text{Priors} \geq 20) \text{ and } (\text{Age} \geq 45)]$


COMPAS



Legal Issues + Procedural Fairness

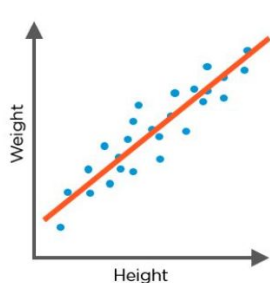


GDPR establishes a right for all individuals to obtain “*meaningful explanations of the logic involved*” when “*automated (algorithmic) individual decision-making*”, including profiling, takes place.

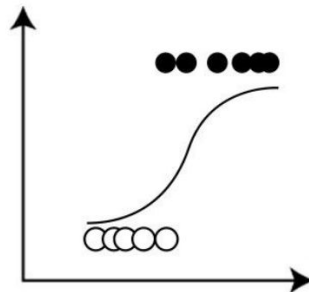


What are some strategies we've seen
to interpret a model before?

Simple Models



Linear Regression



Logistic Regression



Decision Tree

$[(\text{Priors} \geq 3) \text{ and } (\text{Age} \leq 45) \text{ and } (\text{Score Factor} = \text{TRUE})]$
 OR
 $[(\text{Priors} \geq 20) \text{ and } (\text{Age} \geq 45)]$

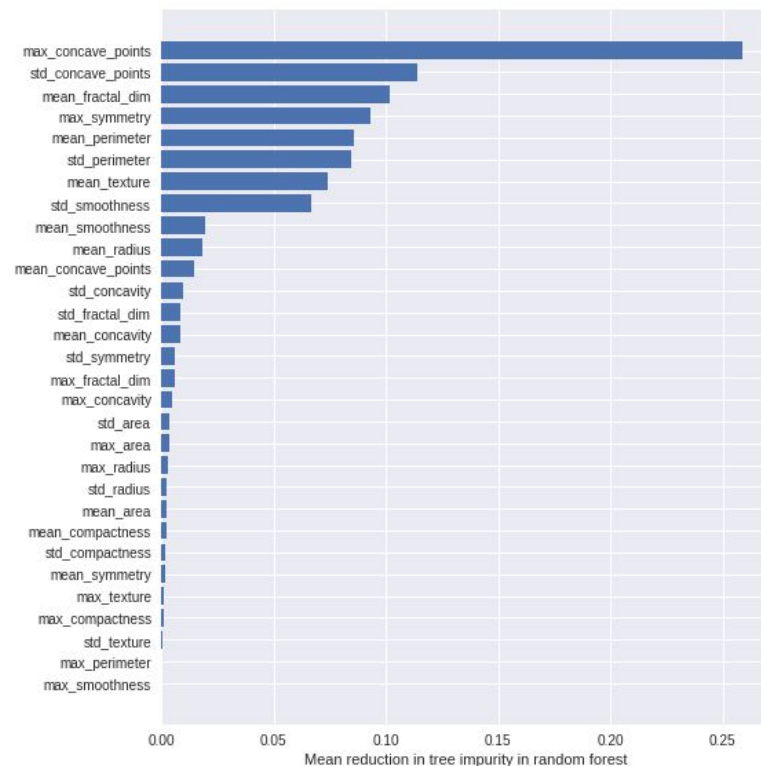
Rule Sets and Scorecards

PREDICT PATIENT HAS OBSTRUCTIVE SLEEP APNEA IF SCORE > 1

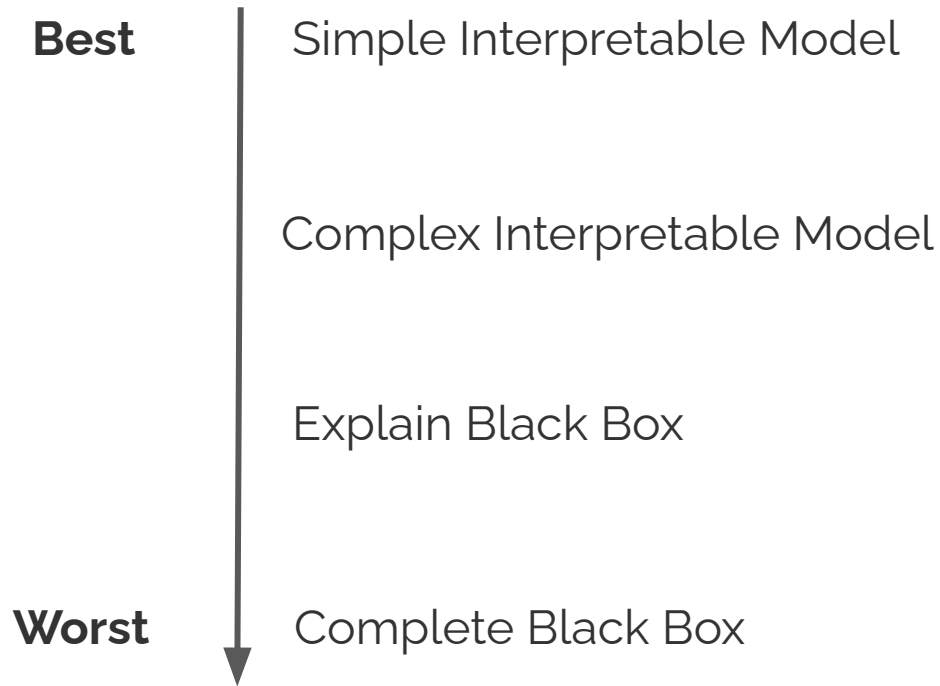
1. <i>Age</i> ≥ 60	4 points	...
2. <i>Hypertension</i>	4 points	+ ...
3. <i>BMI</i> ≥ 30	2 points	+ ...
4. <i>BMI</i> ≥ 40	2 points	+ ...
5. <i>Female</i>	-6 points	+ ...
ADD POINTS FROM ROWS 1 - 5		SCORE = ...

Sparse Linear Models

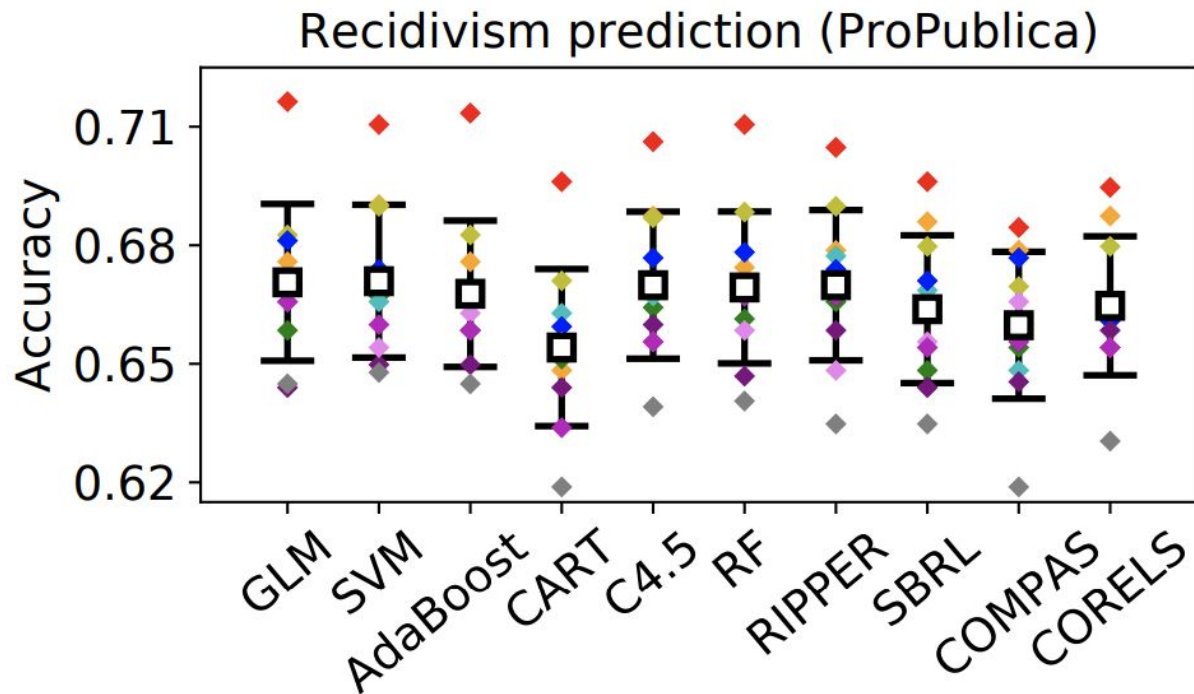
Feature Importance



Hierarchy of Interpretability



Why not always use simple models?



*Learning Certifiably Optimal Rule Sets. Angelino et al. (2016)

Revisiting Simple Models

Researchers are working on using modern optimization approaches to find better simple models for practical datasets!

Learning Optimal and Fair Decision Trees for Non-Discriminative Decision-Making

Sina Aghaei, Mohammad Javad Azizi, Ph
CAIS Center for Artificial Intelligence in S
University of Southern California, Los Angeles

Journal of Machine Learning Research 20 (2019) 1-10

Submitted 9/18; Revised 4/19; Published 6/19

Learning Optimized Risk Scores

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Learning Certifiably Optimal Rule Lists for Categorical Data

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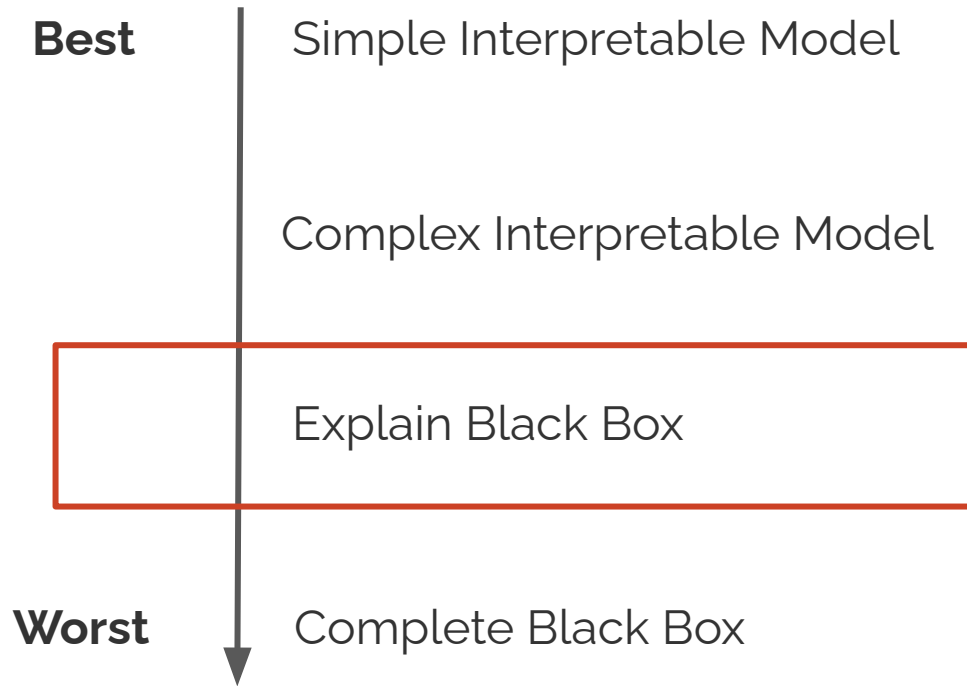
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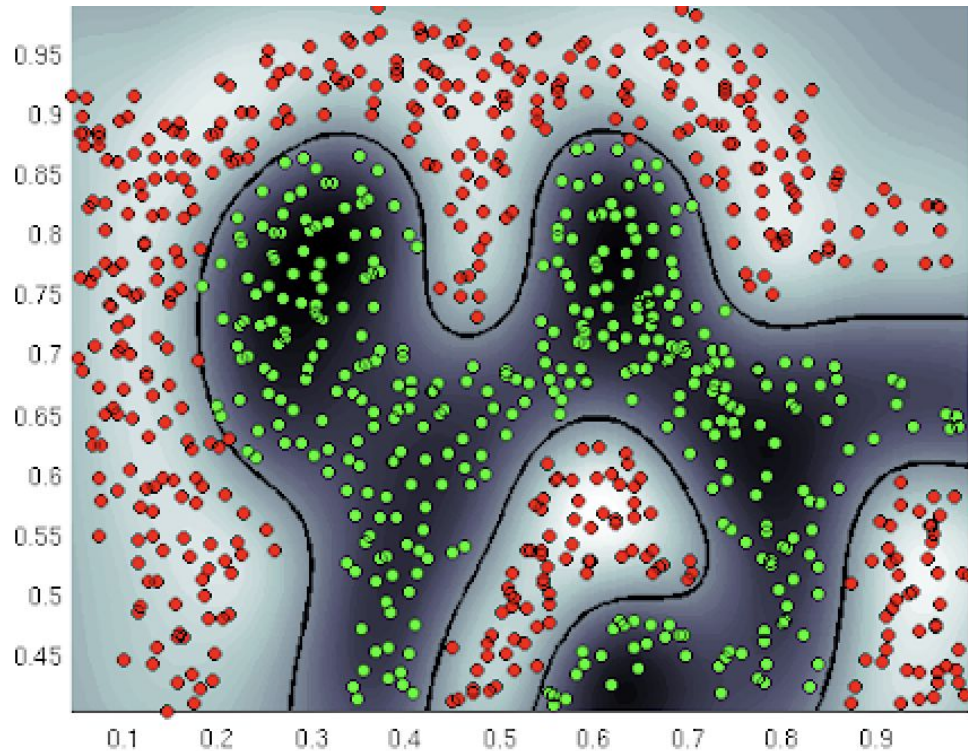
*puter Science and Department of Electrical and Computer Engineering
rham, NC 27708*

***Come chat with Connor if you're interested about this!**

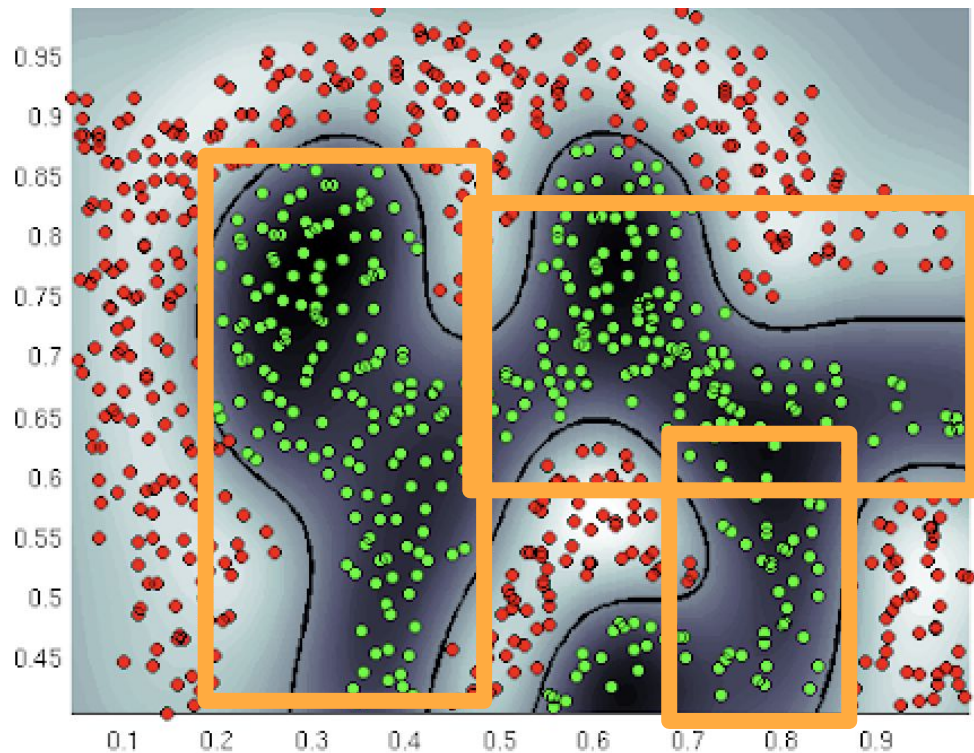
Hierarchy of Interpretability



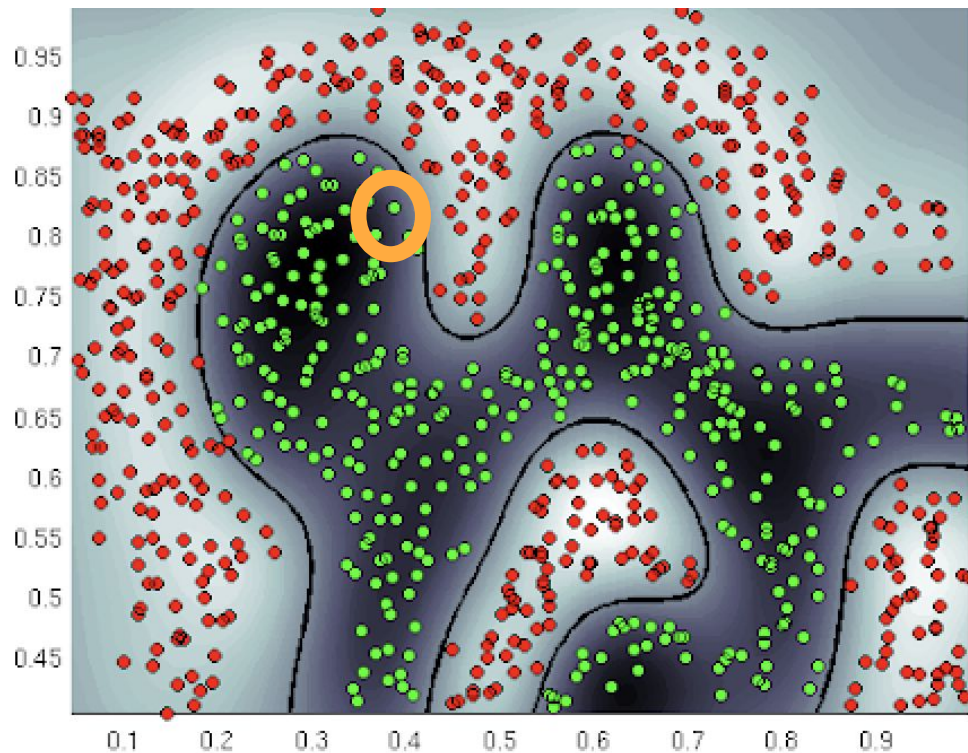
Global vs. Local Explanations



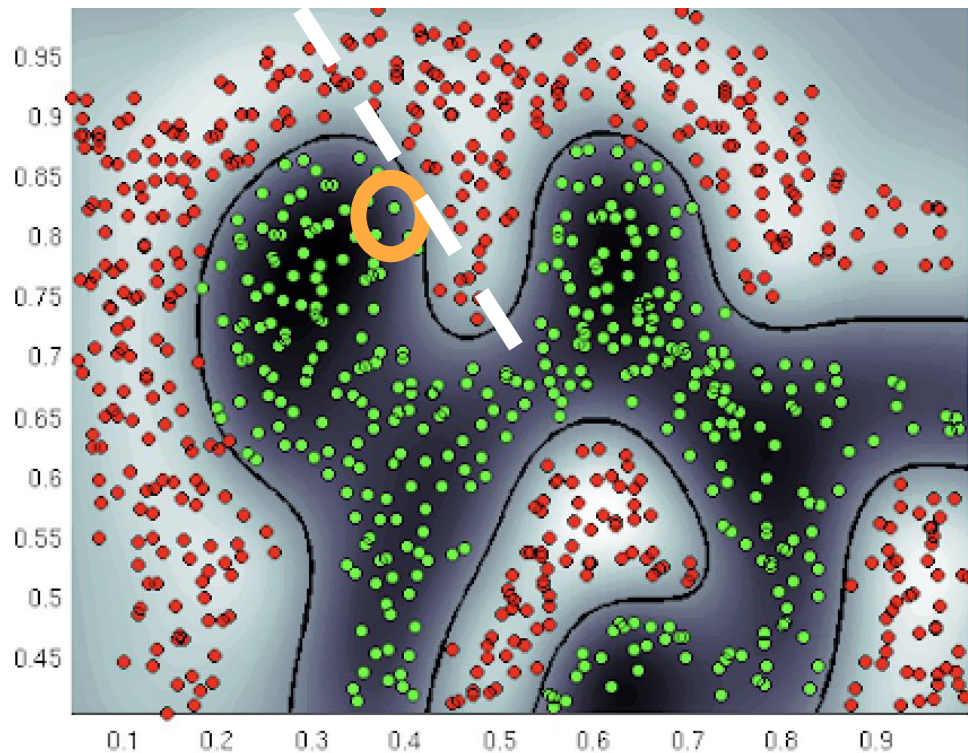
Global vs. Local Explanations



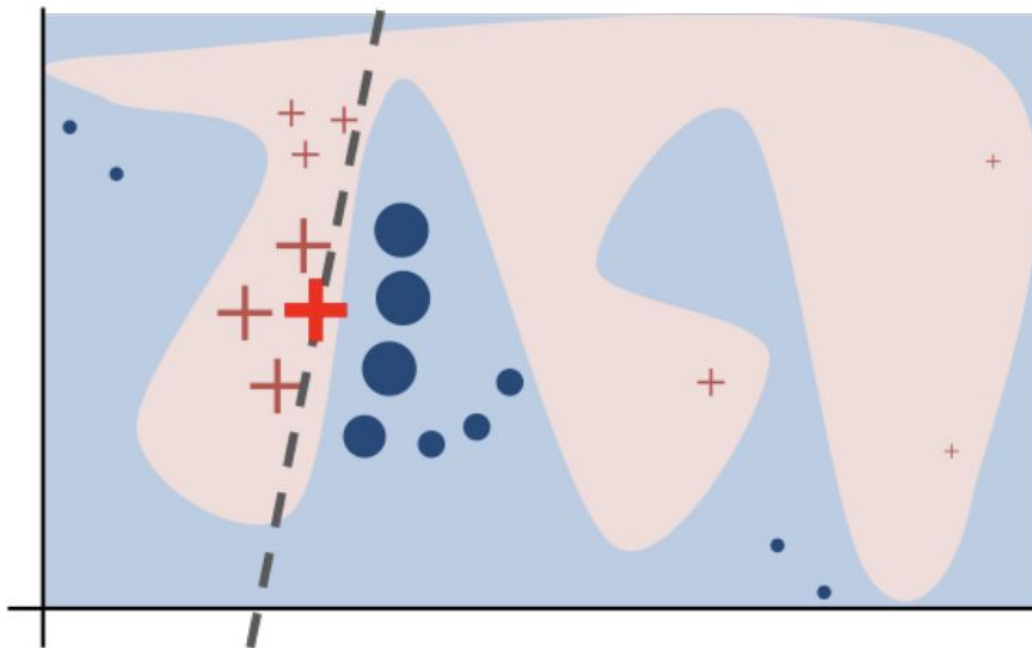
Global vs. **Local** Explanations



Global vs. **Local** Explanations



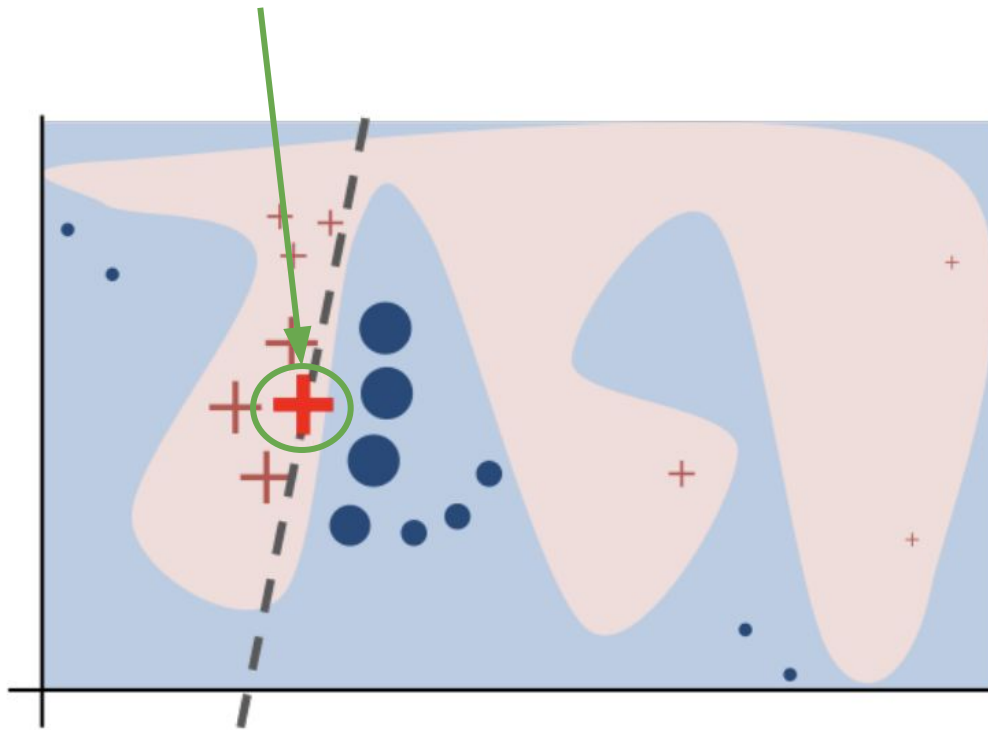
Local Interpretable Model-Agnostic Explanations



*“Why Should I Trust You?” Explaining output of any classifier. Ribeiro et al. 2016

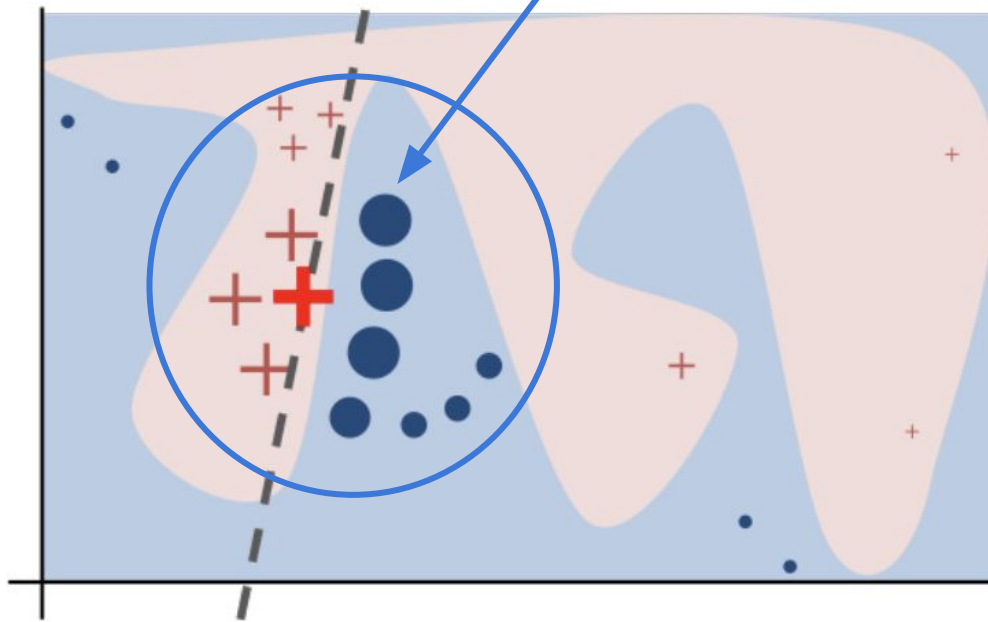
LIME

High-Level Idea: *Pick point to explain*, sample points around it, and construct a linear classifier.



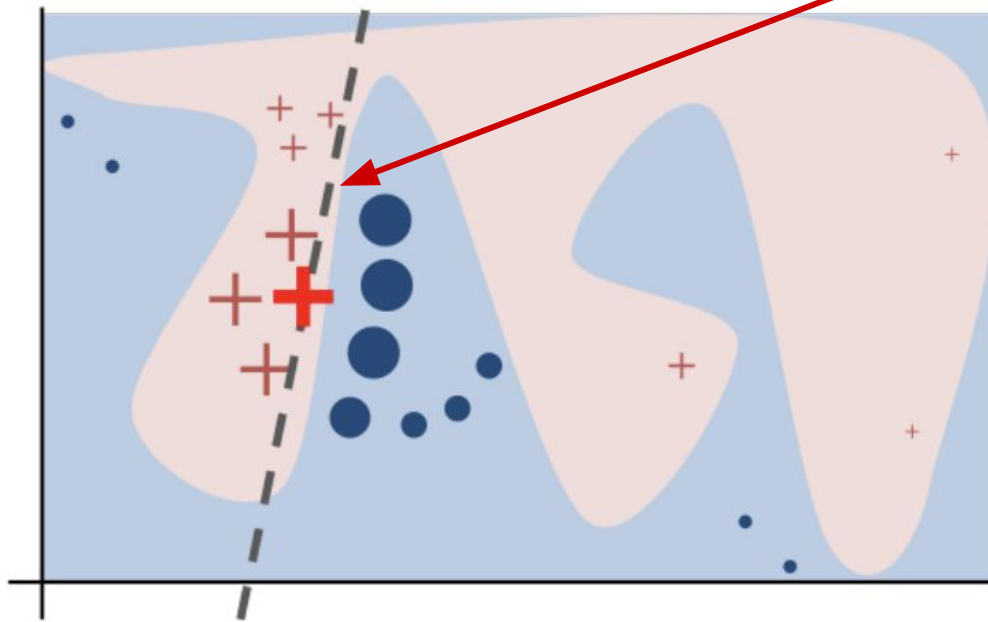
LIME

High-Level Idea: Pick point to explain, *sample points around it*, and construct a linear classifier.



LIME

High-Level Idea: Pick point to explain, sample points around it, and **construct a linear classifier**.



LIME 'Formally'

The diagram illustrates the LIME formal equation:
$$\operatorname{argmin}_{g \in G} \mathcal{L}(f, g, \pi_x) + \Omega(g)$$
 Annotations with arrows pointing to the equation components:

- 'Black Box'* points to f .
- Locality Kernel* points to π_x .
- 'Explanation' Loss* points to $\mathcal{L}(f, g, \pi_x)$.
- Complexity Loss* points to $\Omega(g)$.
- Interpretable Model Class* points to G .

What could be a pick for our
'complexity' loss if G is linear models?

LIME Algorithm

Algorithm 1 Sparse Linear Explanations using LIME

Require: Classifier f , Number of samples N

Require: Instance x , and its interpretable version x'

Require: Similarity kernel π_x , Length of explanation K

$\mathcal{Z} \leftarrow \{\}$

for $i \in \{1, 2, 3, \dots, N\}$ **do**

$z'_i \leftarrow \text{sample_around}(x')$

$\mathcal{Z} \leftarrow \mathcal{Z} \cup \langle z'_i, f(z_i), \pi_x(z_i) \rangle$

end for

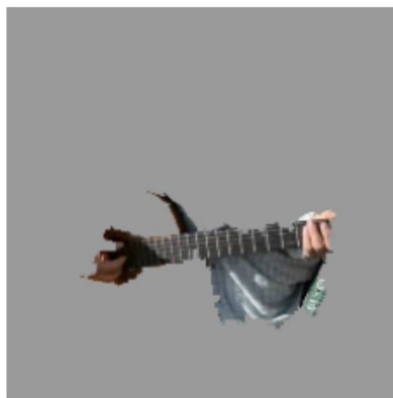
$w \leftarrow \text{K-Lasso}(\mathcal{Z}, K) \triangleright$ with z'_i as features, $f(z)$ as target

return w

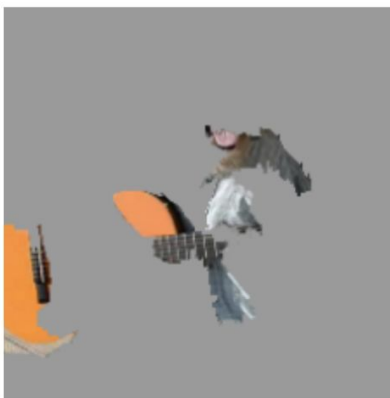
Image Classification Example



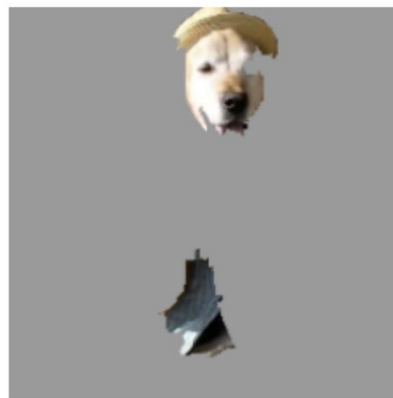
(a) Original Image



(b) Explaining *Electric guitar*



(c) Explaining *Acoustic guitar*



(d) Explaining *Labrador*

Figure 4: Explaining an image classification prediction made by Google's Inception neural network. The top 3 classes predicted are "Electric Guitar" ($p = 0.32$), "Acoustic guitar" ($p = 0.24$) and "Labrador" ($p = 0.21$)

SHapley Additive exPlanation

Shapely values are a tool from game theory to **distribute payout from a collaborative game 'fairly'**. In our context, the **'payout'** is going to be our final prediction.

Payout for player i

$$\phi_i = \sum_{S \subseteq F \setminus \{i\}} \frac{|S|!(|F| - |S| - 1)!}{|F|!} [f_{S \cup \{i\}}(x_{S \cup \{i\}}) - f_S(x_S)]$$

All possible subsets of players

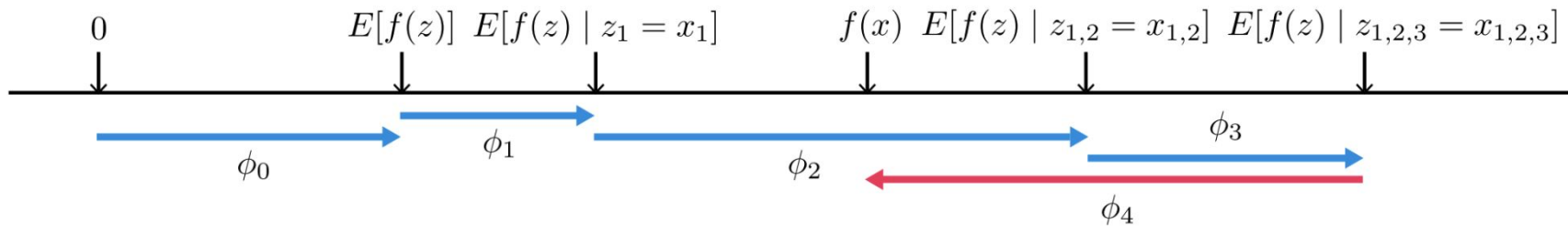
Value for including 'player' i

*Value without
'player' i*

What's a good pick for our function f ?

SHapley Additive exPlanation


We'll use the conditional expectation! Note that the order of features we consider matters when our classifier is non-linear, so we 'average' the ϕ for each ordering.



Permutation Importance

A final simple tool, we can use is just shuffle a column and see how it impacts performance.

Height at age 20 (cm)	Height at age 10 (cm)	...	Socks owned at age 10
182	155	...	20
175	147	...	10
...
156	142	...	8
153	130	...	24



Permutation Importance

Positive numbers mean shuffling a column decreased performance (i.e. is important), small or negative numbers mean less.

Weight	Feature
0.1750 ± 0.0848	Goal Scored
0.0500 ± 0.0637	Distance Covered (Kms)
0.0437 ± 0.0637	Yellow Card
0.0187 ± 0.0500	Off-Target
0.0187 ± 0.0637	Free Kicks
0.0187 ± 0.0637	Fouls Committed
0.0125 ± 0.0637	Pass Accuracy %
0.0125 ± 0.0306	Blocked
0.0063 ± 0.0612	Saves
0.0063 ± 0.0250	Ball Possession %
0 ± 0.0000	Red
0 ± 0.0000	Yellow & Red
0.0000 ± 0.0559	On-Target
-0.0063 ± 0.0729	Offsides
-0.0063 ± 0.0919	Corners
-0.0063 ± 0.0250	Goals in PSO
-0.0187 ± 0.0306	Attempts
-0.0500 ± 0.0637	Passes