6.7 SAMPLER: A MODULE FOR STATISTICAL UNCERTAINTY ANALYSIS WITH SCALE SEQUENCES

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ABSTRACT

Sampler is a "super-sequence" that performs general uncertainty analysis for SCALE sequences by statistically sampling the input data and analyzing the output distributions for specified responses. Among the input parameters that can be sampled are multigroup nuclear data, resonance self-shielding data (shielding factors and CENTRM pointwise cross sections), depletion data such as fission product yields and decay data, and model parameters such as nuclide concentrations, temperatures, and simple dimension specifications. Random perturbation factors for nuclear cross sections and depletion data are pre-computed with the XSUSA module Medusa by sampling covariance information and are stored in libraries read during the Sampler execution, while model parameters are sampled "on the fly". A wide variety of output response types for virtually all SCALE sequences can be specified for the uncertainty analysis, and correlations in uncertain parameters between multiple systems are also generated.

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Contributions from the Gesellschaft für Anlagen- und Reaktorsicherheit (GRS) in Germany are gratefully acknowledged. The development of the SCALE Sampler module is based on GRS's suggestion that their XSUSA code could be used in conjunction with SCALE for stochastic uncertainty calculations. The original Sampler sequence was developed based on the XSUSA sampling sequence as well as collaboration and knowledge exchange with GRS staff members. The GRS module Medusa is used to generate perturbations of the MG cross sections, fission yields, and decay data.

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6.7.1 Introduction

The SCALE nuclear analysis code system provides a unified set of computational tools and data libraries to address a wide range of applications, including criticality safety, reactor physics, spent fuel characterization, burnup credit, national security, and neutron/photon radiation shielding. In addition to determining the problem solutions, SCALE also provides tools to compute uncertainties in the results, arising from uncertainties in the data used for the calculations. Due to the diverse types of computational methods in SCALE, robust sensitivity/uncertainty (S/U) methods are necessary. Sampler implements stochastic sampling of uncertain parameters that can be applied to any type of SCALE calculation, propagating uncertainties throughout a computational sequence. Sampler treats uncertainties from two sources: 1) nuclear data and 2) input parameters. Sampler generates the uncertainty in any result generated by the computational sequence through stochastic means by repeating numerous passes through the computational sequence, each with a randomly perturbed sample of the requested uncertain quantities. The mean value and uncertainty in each parameter is reported along with the correlation in uncertain parameters where multiple systems are simultaneously sampled with correlated uncertainties.

Used in conjunction with nuclear data covariances available in SCALE, Sampler is a general, overarching sequence for obtaining uncertainties for many types of applications. SCALE includes covariances for multigroup neutron cross-section data, as well as for fission product yields and radioactive decay data, which allows uncertainty calculations to be performed for most multigroup (MG) computational sequences in SCALE. At the present time, nuclear data sampling cannot be applied to SCALE continuous energy (CE) Monte Carlo calculations (i.e., CE-KENO and CE-Monaco), although the fundamental approach is still valid.

Used in conjunction with uncertainties in input data, Sampler can determine the uncertainties and correlations in computed results due to uncertainties in dimensions, densities, distributions of material compositions, temperatures, or many other quantities that are defined in the user input for any SCALE computational sequence. This methodology was especially developed to produce uncertainties and correlations in criticality safety benchmark experiments, but it has a wide range of applications in numerous scenarios in nuclear safety analysis and design. The input sampling capabilities of Sampler also include a parametric capability to determine the response of a system to a systematic variation of an arbitrary number of input parameters.

6.7.1.1 Uncertainty analysis with stochastic versus perturbation methods

Two quite different approaches may be used for uncertainty analysis. One method uses first order perturbation theory expressions to compute sensitivity coefficients for a given response. This requires performing a forward transport calculation for the specified system and (sometimes) adjoint calculations for each response of interest. After the forward and adjoint transport solutions are obtained, sensitivity coefficients for all nuclear cross sections and material concentrations can be computed very efficiently with perturbation theory. The sensitivities may be folded with covariance matrices to obtain response uncertainties due to nuclear data. The TSUNAMI modules and sequences in SCALE use perturbation theory for S/U analysis in this manner (see TSUNAMI-1D, TSUNAMI-2D, and TSUNAMI-3D).

For some types of applications, the adjoint-based perturbation methodology is not adequate or is inefficient. These include:

(a) Cases requiring codes with no adjoint functionality. SCALE has capability for critical eigenvalue adjoint solutions and generalized adjoint calculations using XSDRN, NEWT or KENO, but adjoint methods are not currently available for coupled neutronics-depletion calculations.

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(b) Cases for which first order perturbation theory is not valid (i.e., problems with significant second order effects).

The Sampler module described in this section provides an alternative method for uncertainty analysis based on stochastic sampling (Monte Carlo) and does not require adjoint calculations. This approach samples joint probability density functions (PDFs) – such as given in the SCALE nuclear data covariance library-- to produce a random sample for the nuclear cross sections used a transport calculation. If PDFs are available for other parameters such as depletion data or model parameters, etc., then these too can be sampled and included in the perturbed input vector. The perturbed data vector can be input to any SCALE sequence or functional module to obtain a single forward solution for all desired perturbed responses. The process is repeated for the desired number of samples—typically a few hundred; and the output distributions of results are analyzed to obtain standard deviations and correlation coefficients for all responses. The stochastic sampling method is not restricted to current SCALE modules; any new sequences or codes can be used for the forward calculations, without having to develop the capability for adjoint calculations.

Output distributions from the SCALE sampling also may be propagated to downstream codes for follow-on uncertainty analysis. For example, input for the TRITON lattice physics sequence can be sampled to produce a random set of output assembly-averaged, two-group cross section libraries. The two-group libraries can be input to a 3D core simulator that performs steady-state or transient calculations, and statistical analysis of the simulator output provides response uncertainties (possibly time-dependent) due to the SCALE input data uncertainties. Response uncertainties computed with this approach are not limited to first order accuracy; i.e., they account for all non-linearities and discontinuities with the same accuracy as the original codes.

Thus there are several advantages to the statistical sampling method because it requires only forward calculations. The typical Sampler computational procedure perturbs the entire input data vector simultaneously, so that the total uncertainty in all responses, due to all data uncertainties, is obtained. This standard approach does not provide individual data sensitivity coefficients, unlike the perturbation theory method. In this sense, the statistical sampling method is complementary to the adjoint-based sensitivity method in the TSUNAMI modules. Computation of sensitivities using only forward calculations requires that each input parameter be varied individually, rather than collectively; and this may require a large number of simulations to obtain a full set of sensitivity coefficients.

6.7.2 Methodology

The main components of a Sampler calculation are the procedures for perturbing input data, obtaining the desired responses, and performing statistical analysis of the output distributions.

6.7.2.1 Definition of input data perturbations

The input data for a SCALE computation will generally be one of three types:

- (a) *Nuclear data for transport calculations*. This includes multigroup (MG) and continuous energy (CE) cross sections, multiplicities, secondary particle distributions, and data used for resonance self-shielding of MG cross sections.
- (b) *Nuclide transmutation data for depletion and burnup calculations*. This includes fission product yield data, decay constants, branching ratios to excited states, decay energies and distributions.
- (c) *Modeling parameters for the system*. This includes information for defining nuclide number densities (e.g., density, weight fractions, enrichment, void fraction, etc.), temperature, and dimensions.

In principle Sampler can perform uncertainty analysis for all the above types of input data if uncertainties and correlations are known. The main restriction at this time is that CE cross sections for Monte Carlo calculations are not sampled (although the continuous data used for self-shielding *are* treated), so data perturbation applications are limited to MG calculations. Perturbations to input number densities and model dimensions are not impacted by this data limitation.

6.7.2.1.1 Nuclear data perturbations for multigroup calculations

Input MG nuclear data for SCALE sequences are obtained from an AMPX Master formatted library, which contains infinitely-dilute one-dimensional (1D) cross sections, two-dimensional (2D) scattering distributions, and Bondarenko self-shielding factors for various types of reactions. Only the 1D data and Bondarenko factors are varied in Sampler because no covariance data are available for the 2D scattering distributions; however, the 2D data are renormalized to be consistent the perturbed 1D scattering cross sections.

The Medusa module of the XSUSA program² is used to generate perturbation factors for the 1D cross sections on the MG library, assuming that the probability density functions are multivariate normal distributions with covariances given in the SCALE nuclear data covariance library. The library covariance data are given as infinitely-dilute, relative values; therefore a random sample for cross section $\sigma_{x,y}$

corresponds to $\frac{\Delta \sigma_{x,g}}{\sigma_{x,g}}$, where subscript x defines the nuclide/reaction type and g is the group number. The

relative variations are transformed to multiplicative perturbation factors, defined by

$$Q_{x,g} = 1 + \frac{\Delta \sigma_{x,g}}{\sigma_{x,\sigma}}$$
(6.7.1)

that can be applied to the reference data to obtain the altered infinitely-dilute values. A master sample file containing perturbation factors for 1000 samples⁴ of the infinitely-dilute 1D data has been pre-computed and stored in the SCALE data directory. Each sample in the file contains perturbation factors for all groups and reactions in all materials. The master sample file is used for all cases, which avoids having to perform the data sampling during SCALE execution.

Because the 1D data in the MG library are infinitely-dilute (i.e., problem-independent), SCALE sequences include modules that compute resonance shielding corrections for the MG data. The self-shielding calculations generally require two additional types of input data: (a) Bondarenko self-shielding factors for the BONAMI module, which typically performs self-shielding calculations outside of the resolved resonance range; and (b) CE cross sections for the CENTRM/PMC modules, which compute pointwise (PW) flux spectra and process self-shielded cross sections for the resolved resonance range. Perturbations in the Bondarenko factors and CE cross sections used in self-shielding calculations must be consistent with perturbations made to the infinitely dilute 1D cross sections since all these data are based on the same fundamental ENDF/B information. It was shown in reference [3] that consistent perturbations can be obtained by using the same perturbation factors $Q_{x,g}$ in following expressions:

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⁴ The tradeoff of size on disk of the pre-calculated samples distributed with SCALE versus the maximum number of perturbations required in practice has lead to the current maximum of 1000 samples. Based on limited experience, correlation coefficients of near zero require the most samples to converge and typically about 1000 samples has been sufficient.

(a) infinitely-dilute MG cross sections $\sigma_{x,g}$:

$$\sigma'_{x,g} = Q_{x,g} \, \sigma_{x,g} \tag{6.7.2}$$

(b) Bondarenko factors $f(\sigma_0, T)$, at background cross section σ_0 and temperature T:

$$f'_{x,g}(\sigma_0, T) = f_{x,g}(\sigma'_0, T)$$
; where $\sigma'_0 = \sigma_0/Q_{x,g}$ (6.7.3)

(c) CE data $\sigma_{x}(E)$:

$$\sigma'_{x}(E) = Q_{xg} \sigma_{x}(E)$$
, for $E \in g$ (6.7.4)

In the above expressions, subscript x defines the nuclide/reaction type and g is the group number.

During Sampler execution the module ClarolPlus reads perturbation factors ($Q_{x,g}$) for a specified sample number from the master sample file, and evaluates Equations (6.7.2) and (6.7.3). ClarolPlus also writes a file containing perturbation factors only for the particular sample number used by the CrawdadPlus module, as described below.

6.7.2.1.2 Depletion data perturbations

Multiplicative perturbation factors for fission product yields have been generated with XSUSA by sampling the covariances for the independent yield uncertainties. The yield uncertainties are taken from ENDF/B VII.1, which in general are given by fissionable nuclide and for up to three energies: 0.025 eV, 0.5 MeV, and 14 MeV. The ENDF/B yield uncertainties do not include correlations between fission products, which may arise due to constraints such as (a) the sum of all yields must always be two (i.e., the uncertainty in the yield sum is zero), and (b) the uncertainties in independent yields should be consistent with uncertainties given for cumulative yields. The constraints generally introduce positive and negative correlations into the yields covariance matrix. A method developed by Pigni⁴ was used to determine the correlations in ²³⁵U yields. Correlations in yields from other fissionable nuclides are not available in SCALE at this time.

During Sampler execution the perturbation factors are read for a given data sample, compute a complete set of perturbed independent yields for all fissionable nuclides and energies, and renormalize the yields to ensure that they sum to two. An output file containing the perturbed yield data is written to an external file in the format read by ORIGEN. The perturbation factors are read once each time a sequence executed (i.e., for each data sample).

A set of 1,000 decay data perturbations has also been generated with XSUSA and stored in decay-only ORIGEN library files. Sampler automatically aliases the appropriate sample to the file "end7dec". **Note:** In order for decay data perturbations to be performed, the "end7dec" decay library must be used *directly*. Typical TRITON and Polaris calculations **do not use** "end7dec" directly, due to using the unperturbed decay data embedded in a special ORIGEN reaction library aliased to "transition.def" as the basis for all coupled transport/depletion calculations. Experience has been that decay data contributes very little additional uncertainty compared to yield data and cross section data.

6.7.2.1.3 Model data perturbations

An approach presented by Areva NP GmbH utilizes statistical sampling on uncertain parameters to assess the uncertainty in individual system as well as correlations between multiple systems.⁵ In this approach, values for individual parameters in the input model are randomly modified within the reported uncertainty and distribution function and a series of perturbed values are obtained. Where sufficient samples are made, the distribution of the perturbed values is used to determine the uncertainty in the computed quantity due to uncertainties in the input parameters. In cases where the same uncertain parameters influence multiple experiments the simultaneous perturbation of the parameter for multiple cases will provide the correlation in uncertainties between the different configurations.

To obtain the uncertainty and correlation due to all uncertain parameters, all parameters are randomly perturbed for each calculation and the uncertainties and correlations are determined. Mathematically, the uncertainty in an individual output parameter k is determined as shown in Eq. (6.7.4).

$$\Delta k^{\exp}(i) = \hat{\mu}_i = \sqrt{\frac{1}{n-1} \sum_{a=1}^{n} \left(\left(k_{calc}^{MC}(i) \right)_a - \overline{k_{calc}^{MC}(i)} \right)^2} , \qquad (6.7.4)$$

where $\Delta k^{\text{exp}}(i)$ is the uncertainty (in terms of standard deviation) in system i due to uncertainties in the input parameters. $\left(k_{calc}^{MC}(i)\right)_a$ is the a^{th} Monte Carlo (MC) sample of system i, where all uncertain input parameters have been randomly varied within the specified distribution.

The covariance between two systems, i and j, is determined as shown in Eq. (6.7.4).

$$\hat{\Sigma}_{ij} = \sqrt{\frac{1}{n-1} \sum_{a=1}^{n} \left(\left(k_{calc}^{MC} \left(i \right) \right)_{a} - \overline{k_{calc}^{MC} \left(i \right)} \right) \left(\left(k_{calc}^{MC} \left(j \right) \right)_{a} - \overline{k_{calc}^{MC} \left(j \right)} \right)}. \tag{6.7.4}$$

The correlation coefficient between systems i and j can be determined from Eqs. (6.7.4) and (6.7.4) as shown in Eq. (6.7.4).

$$c_{ij} = \frac{\hat{\Sigma}_{ij}}{\hat{\mu}_i \hat{\mu}_j} \,. \tag{6.7.4}$$

The correlation coefficients determined with Eq. (6.7.4) are the values needed to perform the Generalized Least Linear Square (GLLS) analysis using TSURFER, which solves for a set of cross section data perturbations that would improve agreement between the computational simulations and experimental benchmark results.

6.7.2.2 General workflow

The overall workflow for Sampler is as follows:

- for each sample, pick the perturbation factors and generate geometry perturbations
 - o for each case, build SCALE input decks, which include:

- calls to the perturbation modules, which generate the perturbed data libraries (based on the perturbation factors for this sample)
- user sequence inputs
- output data retrieval
- insert each of the constructed input decks into the processing queue
- run all SCALE cases from the queue (serial or parallel, as available)
- perform data extraction (using the response mechanism) and statistical analysis
- print output and generate data files

The advantage of this workflow is that the individual SCALE runs are completely identified by the sample number (so they are reproducible) and they are independent. Each of the runs is executed within its own environment (with SCALE runtime as a subprocess), with its own decay data, fission yield and cross section library. This arrangement is very robust and, as there is no coupling between the runs, can be effectively parallelized.

6.7.2.3 File management

For every SCALE run, Sampler creates a subdirectory within its own temporary directory. Each subdirectory has a name in the form (case name)_pert_(sample number). Within this directory all the useful data for the particular run are stored: the input file, the output file, the message file, the terminal log file (which is a joint capture of SCALE both standard output and standard error stream) along with the saved data files (ft71, xfile016, PTP files etc.)

By retaining the temporary directory, the user can then examine and possibly reuse saved files for the individual SCALE runs.

6.7.2.4 Parallel execution

Since the Sampler calculations usually consist of several hundred mutually completely independent calculations, it is desirable to run the subcases in parallel.

Sampler supports both threading and MPI for parallel computing. No special settings are needed in the input deck; Sampler fully relies on the parallel capabilities of the SCALE runtime environment (ScaleRTE).

In order to run Sampler in parallel, use =\$sampler as the sequence declarator and specify either the -N (for MPI) or -I (for multi-threads) command line arguments to ScaleRTE. For serial and multi-threaded runs, the declaratory =sampler may be used to remove the warning about a parallel version not being available.

Note: Where MPI is used, the Sampler case temporary directory has to be accessible by all of the computing nodes. Therefore, use -T to place the temporary directory into a shared storage space.

6.7.2.5 Behavior when encountering errors

Any time a parameter within a SCALE input is perturbed, there is the possibility that the perturbation will cause unrealistic behavior (fuel pellet passing through cladding, etc.) that will cause SCALE to fail. The default behavior of Sampler is to finish all perturbed cases and check whether there are errors present for each case once all cases have been run. This behavior can be changed, so that the output of each case is checked as soon as the case has finished and exit immediately if there are errors present, by specifying the parameter "continue if errors=no".

It is advisable to use this parameter during the development of a Sampler input when a small number of samples are being made. Once there is confidence that the perturbed parameters will not cause errors in the SCALE sequences, this parameter can be returned to its default value and a larger number of samples can be taken.

Note: This parameter only has an effect in serial and multi-threaded mode. At the present time, if this parameter is declared as "no" in MPI mode there will be no change in behavior (Sampler will finish all cases and check for errors afterwards).

6.7.3 Input Description

This section describes the Sampler input file format.

6.7.3.1 Overall input structure

The order of the blocks is arbitrary, with the exception of dependent variables (see Sect. 6.7.3.7.3). Below is the layout of a typical sampler input.

```
=%sampler
read parameters
 (control flags)
end parameters
read parametric
  (parametric studies definitions)
end parametric
read case[casename]
  sequence=(sequence name)
    (sequence input)
  end sequence
  ... (more sequences) ...
  read variable[id1]
    (variable definition)
  end variable
  ... (more variables) ...
end case
... (more cases) ...
read response[name1]
  (response definition)
end response
... (more responses) ...
read save
  (file save definition)
end save
... (more saves) ...
```

Every Sampler input file has to contain the parameters block and at least one case block. Other input blocks are optional.

6.7.3.2 Cases and sequences

Within Sampler, multiple independent SCALE calculations, or *cases*, can be included. Since the same set of responses is extracted from each of the cases, these should have the same structure (i.e. produce the same kind of output files); the benefit of having multiple cases within one Sampler input deck is that it is possible to generate cross-correlations between cases as an output.

Every case contains one or more stacked sequences. The whole case is always run together.

Each case has an unique *identifier*. The identifier is a single word beginning with a letter followed by letters, numbers and underscores. Note that the dash "-" cannot be used in a case identifier.

Within the case block, the user can enter any number of sequences, which contain the actual user input. The format of each sequence block is:

```
sequence=(sequence name) (optional parm= setting)
  (sequence data)
end sequence
```

The sequence data is a SCALE input that is not processed by Sampler, except to substitute sampled values for variable placeholders (see Sect. 6.7.3.7.4 for more information). For parm= settings, no limit on column number is enforced.

6.7.3.2.1 Importing input data from external files

Instead of directly specifying the SCALE sequence input within the Sampler input file, the user can specify the path to a previously generated input file which can be imported for use within Sampler as:

```
read case[c1]
  import = "/home/usr/sampler_samples/sampler_1x_case.inp"
end case
```

In this case, absolute paths should be used (or a shell sequence before invoking Sampler, to copy the appropriate files into the temporary directory). This approach provides concise input files and is advantageous for quality assurance controlled input data.

6.7.3.3 Configuration parameters

In the parameters block the user can control the main workflow and output parameters for sampler. Valid keywords are shown in Table 6.7.1. Note that of the major perturbation modes, only "perturb geometry=yes" is on by default. (Bondarenko factor and pointwise data perturbation for CENTRM controls how "perturb xs=yes" is performed.)

Table 6.7.1. Parameter input for Sampler

KEYWORD	DESCRIPTION	DEFAULT
n_samples=N	Number of samples (1-1000 for nuclear data	none
	perturbations, unlimited for input file	
	perturbations)	
first_sample=N	Number of the first sample	1
perturb_geometry=(yes/no)	Perform input file/model data/geometry	yes
perturb xs=(yes/no)	perturbations (VS)	
_	Perform cross-section (XS) perturbation	no
perturb_yields=(yes/no)	Perform fission yield perturbation	no
perturb_decay=(yes/no)	Perform decay data perturbation	no
perturb_bondarenko=(yes/no)	When perturbing XS, perturb Bondarenko factors	yes
perturb_pointwise=(yes/no)	When perturbing XS, perturb pointwise data	yes
library=""	Name of the master XS library (in quotes), it is	none
	possible to use the filename or an alias (e.g. "	
	v7.1-252n")	
perturbed_library=""	Name of the perturbed library (in quotes); this is	(same as
	the perturbed XS library used by the actual	library)
	computational sequences	
mg_factors_library=""	Name of the multigroup XS perturbation factors	(blank)
	library (in quotes); if not given, built-in library is	
	used	
run_cases=(yes/no)	Actually run inputs through SCALERTE or just	yes
	generates them.	
force_run=(yes/no)	Enforce running SCALE even when the output	no
	files are present	
plt=(yes/no)	Produce plot file histograms (PTP format) with	yes
	response distributions that can be viewed with	
	Fulcrum	
csv=(yes/no)	Produce CSV files with individual tables	yes
<pre>print_data=(yes/no)</pre>	Print per-sample values in the main output	no
<pre>print_corr=(yes/no)</pre>	Print correlation matrices in the main output	no
<pre>print_cov=(yes/no)</pre>	Print covariance matrices in the main output	no
<pre>print_chi2=(yes/no)</pre>	Print chi-square normality test in the main output	no
<pre>continue_if_errors=(yes/no)</pre>	Complete all perturbed cases even if errors are	yes
	discovered in the output of perturbed case	

Notes on sample numbers:

The samples are selected from the perturbation factor libraries (except for geometry perturbation); it is up to the user to fit inside the range of samples available (i.e. n_samples+first_sample-1 must be less or equal to the number of samples). The built-in perturbation libraries based nuclear data covariances contain 1000 samples.

Note on perturbed library name:

The default behavior for Sampler is to set perturbed_library to the same name as library. Since Sampler creates a local file in the temporary directory, which is used by SCALE instead of the library in the lookup table, it in general results in the desired behavior. SCALE sequences only provide pre-defined

resonance self-shielding options for known libraries, so where perturbed_library differs from the name of a standard SCALE library, the type of resonance self-shielding calculation desired must be specified (via the *PARM*= setting). Please review the documentation of the specified sequence for available options, such as *PARM*=*CENTRM*.

Beware: The library name must result in a valid filename. In some cases the use of "xn252v7.1" instead of "v7.1-252" is recommended because the dash might result in improper links to the perturbed library. This guidance applies only to the cases when perturb_xs=yes is used; otherwise, Sampler does not generate a perturbed library.

See Sect. 6.7.3.8 for an example of properly referencing the perturbed library.

6.7.3.4 Sampler responses

For every case run within Sampler any number of responses can be extracted. A response can be a single number or a time-dependent series, which is assigned a name and optionally several parameters. The responses are entered once and shared across all the cases, i.e. every case returns the same set of responses. This allows Sampler to provide the user with inter-case comparisons and statistics (i.e. covariance and correlation matrices).

Sampler recognizes these kinds of responses:

- opus plt data from an OPUS-generated PLT file
- triton TRITON homogenized cross-sections (xfile016)
- stdcmp standard composition files
- £71 concentrations from the F71 ORIGEN dump
- grep general expression from the text output file
- variables the geometry perturbation sampled values

_

6.7.3.4.1 General response block format

The general format of the response block is:

```
read response[(response id)]
  type = (response type)
  (response parameters)
end response
```

The *(response id)* is an arbitrary identifier (a single word) by which the response is denoted in the results. The *(response type)* is one of the keywords opus_plt, triton, stdcmp, f71, variables and grep. Response parameters are different for each response type and are explained below.

6.7.3.4.2 OPUS PLT file responses

This response extracts any data from a PLT file generated by OPUS. The user specifies which PLT file should be used and which elements/nuclides should be used.

Parameter ndataset provides the number of the selected PLT file, i.e. ndataset=1 will read data from the file ending with .0000000000000001.plt (which is the second generated PLT file in the given case).

Parameter nuclides=...end specifies the list of nuclides (or elements) which are read from the PLT file; nuclides can be specified as alphanumeric identifiers (U-235, bal37m) or six-digit ZAI identifiers (922350). In addition to that, any other PLT file response identifiers (i.e. the character strings in the first column of the plot table) may be used, which allows for example the usage of total and subtotal keywords.

Example:

```
read response[fisrates]
  type = opus_plt
  ndataset = 1
  nuclides = u238 pu239 total end
end response
```

6.7.3.4.3 TRITON homogenized cross-section responses

This response extracts the homogenized cross-section data saved by TRITON on the xfile016.

Responses are retrieved for a selected homogenized mixture and all branches (which are then denoted by response name suffixes).

Using a data= ... end assignment specifies which data types are to be saved.

The available options for data entries are:

```
kinf sigma_total sigma_fission sigma_absorption sigma_capture sigma_transport_out sigma_transport_in sigma_transport sigma_elastic sigma_n2n nu_fission kappa fission nu chi flux diffusion
```

Example:

```
read response[xs]
  type = triton
  mixture = 1
  data = kinf sigma_absorption end
end response
```

6.7.3.4.4 Standard composition file responses

This response retrieves isotopic concentrations (in atoms/barn-cm) from the standard composition file. Parameter nuclides=...end specifies which nuclides should be retrieved. The parameter mixture specifies the number of the StdCmpMix file, so mixture=10 would load concentrations from the file StdCmpMix00010_* (for all time steps).

Example:

```
read response[mix10]
  nuclides = u-235 pu-239 end
  mixture = 10
```

6.7.3.4.5 ORIGEN concentration (F71) responses

This response retrieves the isotopic concentrations (in gram-atoms) from the ORIGEN concentration edit in the ft71f001 file.

Parameter nuclides=...end specifies the list of nuclides (or elements) which are read from the F71 file; nuclides can be specified as alphanumeric identifiers (U-235, ba137m) or six-digit ZAI identifiers (922350).

Two options are available to choose the positions on the file from which data should be retrieved. Either step_from=start and step_to=end can be used to select a range of positions, or mixture=N can be used to choose either an ORIGEN case or a TRITON case mixture. This is convenient for TRITON cases where step numbers are usually not known in advance.

Example:

```
read response[concentrations]
  type=origen_nuclides
  nuclides = u-235 pu-239 pu-240 pu-241 end
  mixture = 10
end response
```

6.7.3.4.6 Generic regular expression (GREP) responses

In order to allow the user to collect other responses from the SCALE output, a generic regular expression (regexp) mechanism is provided by Sampler. For every response the user can enter one (or more) regular expressions, which are applied (using the "grep" system tool) to the main output file. "grep" is executed with the "-o" option, which returns only the matched portion of the line (and not the whole line). Usually it is necessary to use two expressions, one to find the line of interest and another to extract only the desired value. The POSIX character classes are supported in the grep used—the most commonly used are "[[:digit:]]" to match a single digit 0-9 and [[:space:]] to match a single space or tab. The "+" and "*" are used to match one or more and zero or more repeats, respectively. Note that as per standard regexp rules, "." matches any character and an escape is necessary, i.e. "\.", in order to match a period.

Each regular expression is defined by the keyword regexp="...". The result of the last regular expressions should be a single number (and is treated as such by Sampler).

The following example defines regular expression for extraction of k-effective from a CSAS5/6 output file:

```
read response[keff]
  type = grep
  regexp = "best estimate system k-eff[[:space:]]+[[:digit:]]+\.[[:digit:]]+"
  regexp = "[[:digit:]]+\.[[:digit:]]+"
end response
```

With the first regexp statement, a line containing "best estimate system k-eff" followed by a number is found, and then just the number part is extracted with the second regexp statement.

For ease of use, Sampler provides several regular expression shortcuts shown in Table 6.7.2.

Table 6.7.2. Regular expression shortcuts for SCALE sequences

U. 1 1 6.6 . U	1 600 1/17/105/00405
<pre>regexp = ":kenova.keff:"</pre>	k-eff from KENO5 / CSAS5 sequence
<pre>regexp = ":kenova.ealf:"</pre>	EALF from KENO5 / CSAS5 sequence
<pre>regexp = ":kenova.nubar:"</pre>	nu-bar from KENO5 / CSAS5 sequence
<pre>regexp = ":kenovi.keff:"</pre>	keff from KENO6 / CSAS6 sequence
<pre>regexp = ":xsdrn.lambda:"</pre>	lambda from XSDRN / CSAS1 sequence
<pre>regexp = ":scale.number:"</pre>	matches any number (e.g. "1", "1.0", "1.23e-7", "-0.3")

Thus, the previous example may be alternately rephrased as such:

```
read response[keff]
  type = grep
  regexp = ":kenova.keff:"
end response
```

In addition to this, the grep response also supports extraction of data with uncertainties. In order to get the response uncertainty, use the eregexp= keyword, which follows the same rules as regexp=. The same shortcuts as for regexp= may be used as well (for KENO V.a/VI multiplication coefficient). Therefore, to get KENO multiplication factor including the uncertainty, one might define the response like this:

```
read response[keff]
  type = grep
  regexp = ":kenova.keff:"
  eregexp = ":kenova.keff:"
end response
```

6.7.3.4.7 Sampled variable values

Using the variables response, the user can extract information from the sampled values of the geometry/material perturbation variables. The data= key contains the list of variable identifiers of interest.

This option is useful to generate the correlations between geometry/material perturbations and the responses of interest.

Example:

```
read variable[r1]
    ...
end variable
read response[r]
  type=variables
  data = r1 end
end response
```

6.7.3.4.8 Quick response definition overview

Table 6.7.3 summarizes the available options for the different response types. The nuclides specification can either be in terms of the standard alphanumeric identifier, e.g. "u235m" for ^{235m}U, or the IZZZAAA integer identifier, e.g. "1092235" for ^{235m}U.

Table 6.7.3. Response definition overview

Key	Description
response type opus_plt	
Ndataset	Number of the PTP file
Nuclides	List of nuclides (alphanumeric/IZZZAAA, terminated by end)
response type stdcmp	
Mixture	Number of the StdCmpMix file
Nuclides	List of nuclides (alphanumeric/IZZZAAA, terminated by end)
response type triton	
Mixture	Homogenized mixture index
Nuclides	List of nuclides (alphanumeric/IZZZAAA, terminated by end)
Data	List of homogenized data types (terminated by end)
response type f71	
Nuclides	List of nuclides (alphanumeric/IZZZAAA, terminated by end)
Mixture	ORIGEN case number / TRITON mixture number
step_from	Lower bound of position range
step_to	Upper bound
response type grep	
regexp	Regular expression for the response value (quoted)
eregexp	Regular expression for the response uncertainty (quoted)
response type variables	
data	List of variable names (terminated by end)

6.7.3.5 Saving files

By default, Sampler saves from each run the input, output, message and terminal log files. In addition to that, if respective responses are requested, it saves the ft71f001 as basename.f71, xfile016 as basename.x16 and the StdCmpMix* files.

The user might specify additional files to be saved into the sample subdirectory; this is achieved by defining one or more save blocks.

Each save block contains a file="..." parameter, which specifies the filename in the sample run temporary directory. Optionally, the user can specify name="..." to let Sampler rename the file to basename.extension, where extension is the value of the name parameter. If name is not specified, the file is not renamed and is just copied to the sample subdirectory. The name parameter cannot be used if wildcards are used in the file parameter.

The quotes for both name and file parameter values are mandatory.

Example 1:

```
read save
  name = "ft2"
  file = "ft71f002"
end save
```

Example 2:

```
read save
  file = "StdCmpMix*"
end save
```

6.7.3.6 Parametric studies

The Sampler infrastructure allows an efficient implementation of studies of parameter variation effects on various responses. This mode is activated by entering the read parametric ... end parametric block.

This block contains two arrays: variables = ... end and n_samples = ... end. The variables array lists the variables of the parametric study. The variables must have "distribution=uniform", and the minimum and maximum becomes the range for that variable in the parametric study. For each variable, the corresponding value in the n_samples = ... end array indicates the number of evenly spaced values to assume in that dimension. The total number of calculations is therefore the multiplication of all the n_samples values. Note that for a single sample with n_samples=1, only the minimum value is used. Below is as an example of the parametric block.

```
read parametric
  variables = density temperature end
  n_samples = 10 6 end
end parametric
```

The two variables are density and temperature, and there will be 10 evenly spaced density values (including the minimum and maximum) and 6 evenly spaced temperature values, for a total of $10 \times 6 = 60$ calculations. To perform the same number of samples in each dimension, the keyword n_samples in the parameters block may also be used.

Sampler generates a summary table of the parametric study, including values for which the minimum and maximum of each response occurs. Sampler also generates PTP plot files showing the dependency of each response on each variable.

6.7.3.7 Geometry and material perturbations

In addition to data perturbations, Sampler also allows the user to include geometry and material uncertainties in the calculation. This is achieved by defining variable blocks. Each variable may be linked to a particular value in the input and is associated either with a random variable distribution or with an arithmetic expression. The expression capability allows for dependent or derived parameters, such as $^{238}\mathrm{U}$ content depending on enrichment or outer clad radius depending on the inner radius.

For each sample, Sampler creates a perturbed input by generating a set of variable values and substituting them into the input. For every variable, the user has to define the variable and specify its distribution (using one of the predefined random variable distributions described in Sect. 0) or its dependence on other variables (using an arithmetic expression). If desired, the user can also specify which part of the input will be replaced by the variable. This can be achieved either by specifying a SCALE Input Retrieval Engine (SIREN) expression or by putting placeholders directly inside the input deck (see Appendix A for details on SIREN).

6.7.3.7.1 Variable definition

Variables are defined by a read variable..end variable block. The general format of the block is:

```
read variable[(variable id)]
  distribution = (distribution type)
  siren = "(siren expression)"
  (distribution-specific parameters)
  cases = (case list) end
end variable
```

The variable id is an arbitrary, single word consisting of letters, numbers and underscores (with number not being the first character). The variable id has to be unique and is case dependent. distribution is one of the distribution-type keywords (see Sect. 0) or expression for the dependent variable definition. The cases = specification applies only to the variables defined at the global scope (see below). The siren = specification is optional, see below.

The block can be placed either:

a) inside a case block. This variable applies only to this particular case.

In the following example, variable x applies to the case c1 and the variable y applies to the case c2.

```
read case[c1]
sequence=...
end sequence
read variable[x]
...
end variable
end case
read case[c2]
sequence=...
end sequence
read variable[y]
...
end variable
end case
```

b) at the global scope. The cases=... end has to be used to specify the cases to which this variable applies.

In this example, variable \times applies to the both cases c1 and c2 and the variable \times applies only to the case c1.

```
read case[c1]
  sequence=...
    ...
  end sequence
end case
read case[c2]
  sequence=...
    ...
  end sequence
end case
read variable[x]
    ...
  cases = c1 c2 end
end variable
read variable[y]
    ...
  cases = c1 end
end variable
```

6.7.3.7.2 Distribution types

Sampler supports three random distribution types, selected using the distribution= keyword.

1) uniform: uniform distribution over a (closed) interval.

Additional parameters for a uniform distribution are shown in Table 6.7.4.

Table 6.7.4. Parameters for uniform distributions

KEYWORD	DESCRIPTION	NOTE
value=	Base (unperturbed) value	required
minimum=	Lower bound value	required
maximum=	Upper bound value	required

Example:

```
read variable[rfuel]
  distribution=uniform
  minimum = 0.40
  value = 0.41
  maximum = 0.42
end variable
```

2) normal: normal (optionally truncated) distribution.

Additional parameters for normal distribution are shown in Table 6.7.5.

Table 6.7.5. Parameters for normal distributions

KEYWORD	DESCRIPTION	NOTE
value=	Mean value	required
stddev=	Standard deviation	required
minimum=	Lower cutoff value	optional
maximum=	Upper cutoff value	optional

The user can specify both minimum and maximum, one of them, or neither. If a cutoff is not specified, the distribution is not truncated on that side.

Example:

```
read variable[c1_u235]
  distribution=normal
  value=95.0
  stddev=0.05
end variable
```

3) beta: beta distribution.

Additional parameters for the beta distribution are shown in Table 6.7.5.

DESCRIPTION **KEYWORD NOTE** value= Mean value required minimum= Lower cutoff value required maximum= Upper cutoff value required beta a= First parameter for distribution required beta b= Second parameter for distribution required

Table 6.7.6. Parameters for beta distributions

The Beta distribution is defined in the standard way given by Eq. (6.7.8). The parameters for the distribution determine where the peak is located in the interval [minimum, maximum] and the variance of the distribution; the parameters α and β are required to be integer values. Note that value does not need to be the midpoint between minimum and maximum.

$$f(x;\alpha,\beta) = \frac{\Gamma(\alpha+\beta)}{\Gamma(\alpha)\Gamma(\beta)} x^{\alpha-1} (1-x)^{\beta-1},$$
(6.7.8)

Example:

```
read variable[rclad]
distribution=beta
value=0.47
minimum=0.45
maximum=0.50
beta_a=2
beta_b=6
end variable
```

6.7.3.7.3 Dependent variables (expressions)

Using distribution=expression allows the user to specify a variable using the values of other variables. Setting expression="(expression)" then specifies how to evaluate the variable. Sampler supports basic arithmetic operators and other variables can be used as well. However, Sampler currently provides no variable dependency resolution and therefore only variables that were defined (using the variable block) previously in the input deck can be referenced in an expression.

Example:

```
read variable[c1_u238]
  distribution = expression
  expression="100.0-c1_u235"
end variable
```

6.7.3.7.4 Using placeholders

Inside the sequence= blocks, a #{variable id} placeholder can be used. This will be replaced by a variable value when Sampler builds the particular input deck. Only a simple variable reference can be used; no expressions are allowed here.

Example:

```
sequence=csas5
...
uranium 1 den=18.76 1 300 92235 #{u235} 92238 #{u238} end
...
end sequence
read variable[u235]
...
end variable
read variable[u238]
...
end variable
```

In the input deck snippet the ²³⁵U and ²³⁸U content are inserted directly to the respective places (defined by variables u235 and u238).

Using placeholders is straightforward and simple; however, if for input deck quality assurance or other reasons it is not desirable to modify the input deck directly, SIREN expressions can be used.

6.7.3.7.5 Using SIREN expressions

SIREN is a package which provides an XPath-like interface to the SCALE input deck represented by a Document Object Model (DOM). In Sampler, the user can specify siren="path" to have the respective token(s) replaced by a variable value.

Please refer to Appendix A for more details on specifying the SIREN path expressions.

Example:

```
read variable[c1_u235]
  distribution=normal
  value=95.0
  stddev=0.05
  siren="/csas5/comps/stdcomp[decl='uranium']/wtpt_pair[id='92235']/wtpt"
end variable
```

The variable c1_u235 value is inserted as the weight percent of ²³⁵U in the basic standard composition declared as "uranium" in the CSAS5 sequence.

6.7.3.8 Converting a standard SCALE input deck to a Sampler input deck

In this section, a short walkthrough is provided on how to convert a "normal" SCALE input into a Sampler input for cross section uncertainty propagation.

Beginning with a simple CSAS5 input deck:

```
=csas5
  sample problem 1 case 2c8 bare
 v7.1-252
 read comp
   uranium 1 den=18.76 1 300 92235 93.2 92238 5.6 92234 1.0 92236 0.2 end
 end comp
 read geometry
   unit 1
     cylinder 1 1 5.748 5.3825 -5.3825
     cuboid 0 1 6.87 -6.87 6.87 -6.87 6.505 -6.505
  end geometry
   read array
     gbl=1 ara=1 nux=2 nuy=2 nuz=2 fill f1 end fill
   end array
  end data
end
```

First, wrap the given input in sequence and case blocks and assign the case an arbitrary identifier (c1). It is also recommended to change the library alias to the actual filename.

```
=sampler
read case[c1]
  sequence=csas5
   sample problem 1 case 2c8 bare
   xn252v7.1
   read comp
     uranium 1 den=18.76 1 300 92235 93.2 92238 5.6 92234 1.0 92236 0.2 end
   end comp
   read geometry
     unit 1
       cylinder 1 1 5.748 5.3825 -5.3825
       cuboid 0 1 6.87 -6.87 6.87 -6.87 6.505 -6.505
    end geometry
     read array
       gbl=1 ara=1 nux=2 nuy=2 nuz=2 fill f1 end fill
     end array
   end data
 end sequence
end case
end
```

Second, add the parameters block to identify the base cross-section library used for building the perturbed ones. Note that this is the only SCALE module that uses the plural form of parameters and that the reference to the library matches exactly the one inside the CSAS5 input.

```
=sampler
read parameters
  library="xn252v7.1"
end parameters
read case[c1]
```

```
sequence=csas5
   sample problem 1 case 2c8 bare
   xn252v7.1
   read comp
     uranium 1 den=18.76 1 300 92235 93.2 92238 5.6 92234 1.0 92236 0.2 end
   end comp
   read geometry
     unit 1
       cylinder 1 1 5.748 5.3825 -5.3825
       cuboid 0 1 6.87 -6.87 6.87 -6.87 6.505 -6.505
   end geometry
     read array
       gbl=1 ara=1 nux=2 nuy=2 nuz=2 fill f1 end fill
     end array
   end data
 end sequence
end case
end
```

Finally, set up the perturbations (number of samples and what to perturb):

```
=sampler
read parameters
 library="xn252v7.1"
 n \text{ samples} = 40
 perturb_xs = yes
end parameters
read case[c1]
  sequence=csas5
   sample problem 1 case 2c8 bare
   xn252v7.1
   read comp
     uranium 1 den=18.76 1 300 92235 93.2 92238 5.6 92234 1.0 92236 0.2 end
   end comp
   read geometry
     unit 1
        cylinder 1 1 5.748 5.3825 -5.3825
        cuboid 0 1 6.87 -6.87 6.87 -6.87 6.505 -6.505
   end geometry
      read array
       gbl=1 ara=1 nux=2 nuy=2 nuz=2 fill f1 end fill
      end array
   end data
 end sequence
end case
end
```

6.7.4 Example Problems and Output Description

This section describes output files created by Sampler and provides several sample cases.

6.7.4.1 Output description

This section describes the contents of the main Sampler output file, as well as the other files generated by Sampler.

All of the CSV, PTP and SDF files are, for convenience, copied into a separate directory called \${OUTBASENAME}.samplerfiles, where \${OUTBASENAME} is the base name of the main SCALE output file, e.g. "my" in "my.out".

6.7.4.1.1 Main text output

The main text output summarizes the Sampler run progress and presents the most important results.

6.7.4.1.1.1 Sampler banner

The program verification information banner shows the program version and the main execution information (date and time, user name, computer name).

```
program verification information

code system: SCALE version: 6.2

program: sampler

version: 6.2.0

username: usr

hostname: nodell.ornl.gov

date of execution: 2013-04-04

time of execution: 14:40:01
```

6.7.4.1.1.2 Input parameters echo

Input echo table summarizes the user selected parameters and options.

6.7.4.1.1.3 SCALE run overview

The run overview table displays the list of SCALE calculations processed by Sampler, i.e. for each case the baseline calculation (sample 0) and the requested number of samples.

* Sampling *

sample directo	running?	sample	run	case
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00000	sample #1 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00001	sample #2 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00002	sample #3 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00003	sample #4 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00004	sample #5 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00005	sample #6 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00006	sample #7 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00007	sample #8 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00008	sample #9 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00009	sample #10 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00010	sample #11 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00011	sample #12 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00012	sample #13 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00013	sample #14 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00014	sample #15 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00015	sample #16 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00016	sample #17 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00017	sample #18 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00018	sample #19 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00019	sample #20 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00020	sample #21 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00021	sample #22 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00022	sample #23 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00023	sample #24 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00024	sample #25 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00025	sample #26 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00026	sample #27 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00027	sample #28 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00028	sample #29 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00029	sample #30 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00030	sample #31 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00031	sample #32 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00032	sample #33 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00033	sample #34 / 41	ise00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00034	sample #35 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00035	sample #36 / 41	ase00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00036	sample #37 / 41	ise00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00037	sample #38 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00038	sample #39 / 41	se00001
/home/usr/sampler_samples/sampler_3_tmp/case00001_pert_000	yes	#00039	sample #40 / 41	ase00001
/home/usr/sampler samples/sampler 3 tmp/case00001 pert 000	ves	#00040	sample #41 / 41	se00001

The table shows case name, sample index, sample number (i.e. the number in the perturbation factor library), whether the case has to be executed (if not it means that the results were already available in the samplerfiles directory) and the full path to the run subdirectory.

6.7.4.1.1.4 Response tables

--- Master process needs to run 41 SCALE runs.

According to the print flags set by the user in the parameters block, Sampler prints the following tables:

- values of all responses for all samples (printed if print data=yes)
- average values and standard deviation over the samples population (always printed)
- comparison of average and baseline value (always printed)
- chi-square normality test (printed if print chi2=yes)
- covariance matrices (printed if print cov=yes)
- correlation matrices (printed if print corr=yes)
- case- and response- specific tables

The case-specific tables contain only responses for a given case (so it is possible to explore correlations only within a given case). The response-specific tables are, on the other hand, contain responses across all cases, so they are useful for case cross-correlation analysis.

All of the tables are, regardless of the print flags, saved in the CSV files (see the following section).

6.7.4.1.2 CSV tables

Every table produced by Sampler is (regardless of whether it has been selected for the main text output) saved also in the CSV (comma separated values) format, which makes it convenient to process Sampler results with a spreadsheet program, plotting package, or any scripting workflow.

These types of tables are created:

- values for every sample for time-independent responses (response table.static.val.all.csv)
- correlation matrix for time-independent responses (response table.static.corr.all.csv)
- covariance matrix for time-independent responses (response table.static.cov.all.csv)
- values for every sample for time-independent responses for each case (response table.static.val.case-*.csv)
- correlation matrix for time-independent responses for each case (response table.static.corr.case-*.csv)
- covariance matrix for time-independent responses for each case (response table.static.cov.case-*.csv)
- values for every sample for time-independent responses for each response (response_table.static.val.response-*.csv)
- correlation matrix for time-independent responses for each response (response_table.static.corr.response-*.csv)
- covariance matrix for time-independent responses for each response (response_table.static.cov.response-*.csv)
- values for every sample for time-dependent responses (response_table.*.csv)
- average values for time-dependent responses (response table.*.avg.csv)
- standard deviations for time-dependent responses (response_table.*.stddev.csv)
- correlation matrices for every time step for time-dependent responses (response_table.*.corr.step*.csv)
- covariance matrices for every time step for time-dependent responses (response_table.*.cov.step*.csv)

6.7.4.1.3 Sampling histograms and running averages

In order to provide information on sampling convergence, Sampler provides two plots for each response at every time step:

- histogram plot distribution of the response values in directory \${OUTBASENAME}.samplerfiles/histogram
- running average plot average and standard deviation for first N samples of the population in directory \${OUTBASENAME}.samplerfiles/running_averages

Both plots are in the PTP format and can be plotted by Fulcrum, as shown in Figure 6.7.1 and Figure 6.7.2.

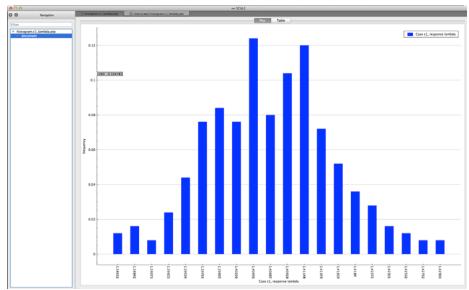


Figure 6.7.1. Example histogram viewed in Fulcrum

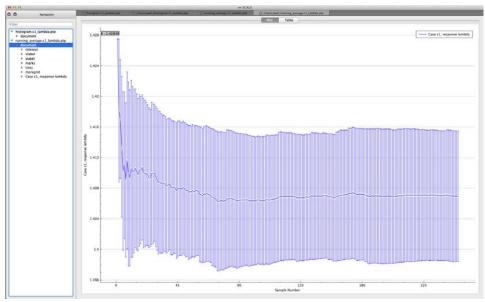


Figure 6.7.2. Example running average viewed in Fulcrum

6.7.4.1.4 Response histories

For time-dependent responses, Sampler produces two plots with time-dependent summary data.

• standard deviation plot – time-dependent average response with 1-sigma uncertainty bars in directory \${OUTBASENAME}.samplerfiles/histories/history.avg.*

• min/max plot – time-dependent average response with min/max error bars in directory \${OUTBASENAME}.samplerfiles/ histories/history.min_max.*

An example of the standard deviation plot is shown Figure 6.7.3 and the min/max plot in Figure 6.7.4.

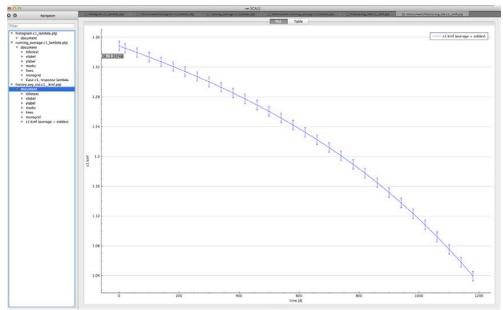


Figure 6.7.3. Time-dependent average plus standard deviation plot

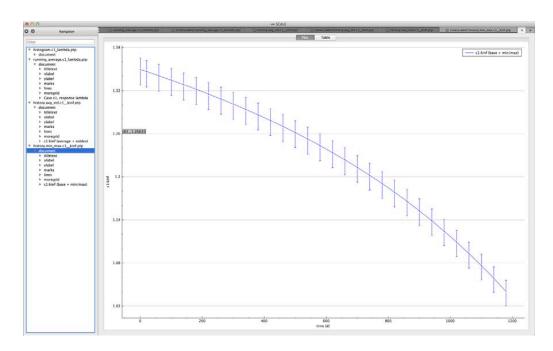


Figure 6.7.4. Time-dependent average plus min/max plot

6.7.4.2 Sample problems

The following sample problems demonstrate various computational and output capabilities of Sampler in various situations, for both uncertainty and parametric calculations.

Input files for those sample problems can be found in the samples/input directory of the SCALE installation. The naming convention for the inputs is $sampler_N.inp$, where N is the sample problem number. The number of samples (n_samples) shown here may vary from the number included in the sample inputs.

6.7.4.2.1 Sample problem 1

This simple, single-case problem, evaluates uncertainty in eigenvalue for a T-XSDRN calculation of a MOX pincell. Only the cross-sections are perturbed.

```
=%sampler
read parameters
  n_samples=250
library="xn238v7"
  perturb_xs = yes
end parameters
read case[c1]
                                   parm=2region
  sequence=t-xsdrn
    pin-cell model with MOX
    xn238v7
    read comp
      uo2 1 0.95 900 92235 4.5 92238 95.5 end
zirc2 2 1 600 end
h2o 3 den=0.75 0.9991 540 end
     end comp
     read cell
       latticecell squarepitch pitch=1.3127 3 fuelr=0.42 1 cladd=0.9500 2 end
    end cell
     read model
    pin-cell model with MOX
       sn=16
     end parm
     read materials
      mix=1 com='fuel' end
mix=2 com='clad' end
       mix=3 com='moderator' end
     end materials
    read geom
geom=cylinder
       rightBC=white
       zoneIDs 1 2 3 end zoneids
       ZONELUS 1 2 3 enu zonerus zoneDimensions 0.42 0.475 0.7406117 end zoneDimensions zoneIntervals 3r10 end zoneIntervals
     end geom
    end model
  end sequence
end case
read response[lambda]
  type = grep
regexp = ":xsdrn.lambda:"
end response
end
```

The distribution of lambda (k-eff) from sample problem 1 is shown in Figure 6.7.5.

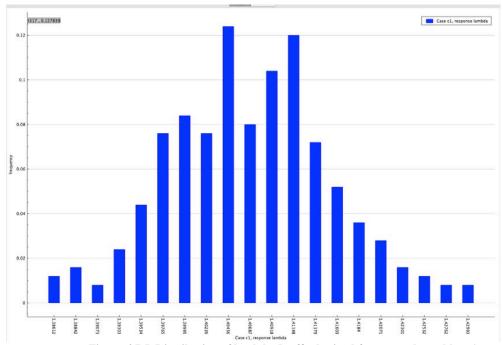


Figure 6.7.5. Distribution of lambda (k-eff) obtained from sample problem 1

6.7.4.2.2 Sample problem 2

This problem demonstrates a two-dimensional parametric study (using inline placeholders) for two pincell systems.

```
=%sampler
read parametric
  variables = temp rho end
n_samples = 3 5 end
end parametric
read case[c1]
  sequence=t-xsdrn
pin-cell model with MOX
                                       parm=2region
     xn238v7
     read comp

uo2 1 0.95 #{temp} 92235 4.5 92238 95.5

zirc2 2 1 600 end

h2o 3 den=#{rho} 0.9991 540 end
     end comp
        latticecell squarepitch pitch=1.8127 3 fuelr=0.45 1 cladd=0.9500 2 end
     end cell
     read model
     \verb|pin-cell| model with MOX|\\
     read parm
sn=16
     end parm
     read materials
mix=1 com='fuel' end
mix=2 com='clad' end
       mix=3 com='moderator' end
     end materials
     read geom
        geom=cylinder
```

```
rightBC=white
       zoneIDs 1 2 3 end zoneids
       zoneDimensions 0.45 0.475 1.0006117 end zoneDimensions zoneIntervals 3r10 end zoneIntervals
     end geom
    end model
  end sequence
end case
read case[c2]
    _____sdrn parm=2region pin-cell model with MOX xn238v7
  sequence=t-xsdrn
    xn238v7
      uo2 1 0.95 #{temp} 92235 4.5 92238 95.5 end
zirc2 2 1 600 end
h2o 3 den=#{rho} 0.9991 540 end
    end comp
    read cell
       latticecell squarepitch pitch=1.9127 3 fuelr=0.45 1 cladd=0.9500 2 end
    end cell
    read model
    pin-cell model with MOX
    read parm
      sn=16
    end parm read materials
      mix=1 com='fuel' end
mix=2 com='clad' end
mix=3 com='moderator' end
     end materials
    read geom
      geom=cylinder
       rightBC=white
       zoneIDs 1 2 3 end zoneids zoneDimensions 0.45 0.475 1.0406117 end zoneDimensions
       zoneIntervals 3r10 end zoneIntervals
    end geom
    end model
  end sequence
end case
read variable[rho]
  distribution=uniform
  minimum = 0.5
  value = 0.65
  maximum = 0.8
cases = c1 c2 end
end variable
read variable[temp]
  distribution=uniform
  minimum = 700
  value = 900
  maximum = 1100
  cases = c1 c2 end
end variable
read response[lambda]
  type = grep
regexp = ":xsdrn.lambda:"
end response
```

The dependency of eigenvalue on coolant density for the two systems is printed to the output file, as shown in Figure 6.7.6.

		-		etric study)	
index \ variable	temp	rho	Case c1,	response lambd	a Case c2, response lambo
1	7.00000e+02	5.00000e-01		1.47588e+0	0 1.48621e+0
2	7.00000e+02	5.75000e-01		1.48958e+0	0 1.49665e+0
3	7.00000e+02	6.50000e-01		1.49781e+0	0 1.50179e+0
4	7.00000e+02	7.25000e-01		1.50193e+0	0 1.50300e+0
5	7.00000e+02	8.00000e-01		1.50290e+0	0 1.50123e+0
6	9.00000e+02	5.00000e-01		1.47007e+0	0 1.48073e+0
7	9.00000e+02	5.75000e-01		1.48422e+0	0 1.49162e+0
8	9.00000e+02	6.50000e-01		1.49284e+0	0 1.49714e+0
9	9.00000e+02	7.25000e-01		1.49730e+0	0 1.49867e+0
10	9.00000e+02	8.00000e-01		1.49856e+0	0 1.49718e+0
	1.10000e+03			1.46398e+0	0 1.47499e+0
· ·	1.10000e+03			1.47860e+0	
	1.10000e+03			1.48763e+0	
14	1.10000e+03	7.25000e-01		1.49244e+0	0 1.49414e+0
15	1.10000e+03	8.00000e-01		1.49402e+0	0 1.49295e+0
· · * * * * * * * * * * * * * * * * * *	******	Parametric	study mi	nimum ******	********
resp	oonse	min	temp	rho	
resp Case c1, response la Case c2, response la	mbda 1.4	5398e+00 1.1	.0000e+03	5.00000e-01	
Case c1, response la Case c2, response la	mbda 1.4	5398e+00 1.1 7499e+00 1.1 ***********************************	.0000e+03 .0000e+03 	5.00000e-01 5.00000e-01 ************************************	***********************
Case c1, response la Case c2, response la	mbda 1.4	5398e+00 1.1 7499e+00 1.1 ***********************************	.0000e+03 .0000e+03 	5.00000e-01 5.00000e-01 ************************************	

Figure 6.7.6. Dependency of lambda (k-eff) on coolant density and fuel temperature for sample problem 2.

6.7.4.2.3 Sample problem 3

This sample problem demonstrates enrichment variation using SIREN expressions and dependent variables.

```
=%sampler

read parameters
n_samples=50
perturb_geometry=yes
end parameters

read case[sphere]
sequence=csas5 parm=bonami
sample problem 14 u metal cylinder in an annulus
xn238v7
read comp
uranium 1 den=18.69 1 300 92235 94.4 92238 5.6 end
end comp
read geom
global unit 1
cylinder 1 1 8.89 10.109 0.0 orig 5.0799 0.0
cylinder 0 1 13.97 10.109 0.0
```

```
cylinder 1 1 19.05 10.109 0.0
  end geom
  end data
  end sequence
  read variable[u235]
   distribution=uniform
   minimum=91.0
   value=94.4
   maximum=95.0
   siren="/csas5/comps/stdcomp/wtpt_pair[id='92235']/wtpt"
  read variable[u238]
   distribution=expression
    expression="100.0-u235"
   siren="/csas5/comps/stdcomp/wtpt_pair[id='92238']/wtpt"
  end variable
end case
read response[keff]
 type=grep
regexp=":kenovi.keff:"
end response
```

The distribution of the multiplication factor with the specified enrichment distribution is shown in Figure 6.7.7.

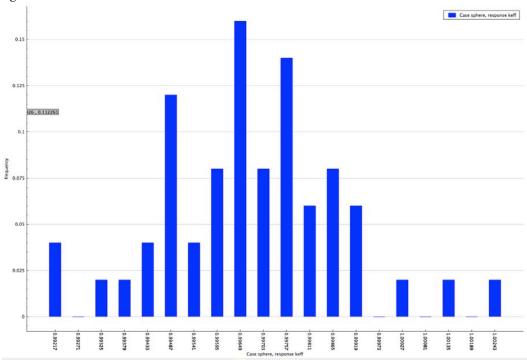


Figure 6.7.7. Distribution of multiplication factor with sampled enrichment distribution for sample problem 3

6.7.4.2.4 Sample problem 4

Sample problem 4 demonstrates sampling with covariance data for neutron cross sections and fission product yields. Note that decay sampling does not work with TRITON at this time due to not using the

perturbed ORIGEN decay libraries *directly*. Additionally, it demonstrates how to extract reaction rates from a TRITON case, combining an additional OPUS run with the opus plt response.

```
=%sampler
read parameters
  n_samples=100
library="xn238v7"
  perturb_xs = yes
perturb_decay = no
perturb_yields = yes
end parameters
read case[c1]
  sequence=t-depl parm=(bonami,addnux=0)
pincell model
    xn238v7
     read composition
                10 0.95 900 92235 3.6 92238 96.4 end
20 1 600 end
      uo2
      zirc2
                    30 den=0.75 0.9991 540 end
     end composition
    read celldata
       latticecell squarepitch pitch=1.2600 30 fuelr=0.4095 10 cladr=0.4750 20 end
    end celldata read depletion
     end depletion
    read burndata
      power=25 burn=1200 nlib=30 end
     end burndata
     read model
    read materials
      mix=10 com="4.5 enriched fuel" end
mix=20 com="cladding" end
mix=30 com="water" end
     end materials
     read geom
       global unit 1
         cylinder 10 0.4095
          cylinder 20 0.4750
         cuboid 30 4p0.63 media 10 1 10
         media 20 1 20 -10
         media 30 1 30 -20
       boundary 30 3 3
     end geom
    read collapse
150rl 88r2
     end collapse
    read homog
500 mini 10 20 30 end
    end homog
    read bounds
      all=refl
    end bounds
     end model
  end sequence
  sequence=opus
     typarams=nuclides
    units=fissions
    symnuc=u238 pu239 end
library="ft33f001.cmbined"
     case = 10
  end sequence
  sequence=opus
     typarams=nuclides
    units=captures
symnuc=u238 pu239 end
     library="ft33f001.cmbined"
    case = 10
  end sequence
end case
read response[hmgxs]
  type = triton
  mixture = 1
data = kinf end
end response
```

```
read response[concentrations]
  type=origen_nuclides
  nuclides = u-235 pu-239 pu-240 pu-241 nd-148 sm-149 sm-150 sm-151 cs-133 cs-134 cs-137 end
  mixture = 10
end response

read response[fisrates]
  type = opus_plt
  ndataset = 1
  nuclides = u238 pu239 end
end response

read response[caprates]
  type = opus_plt
  ndataset = 2
  nuclides = u238 pu239 end
end response
```

Plots of various isotopic uncertainties as a function of time are shown in Figure 6.7.8 for ²³⁵U, Figure 6.7.9 for ²³⁹Pu, Figure 6.7.10 for ²⁴⁰Pu, Figure 6.7.11 for ²⁴¹Pu, Figure 6.7.12 for ¹⁴⁸Nd, Figure 6.7.13 for ¹⁵⁰Sm, and Figure 6.7.14 for ¹⁵¹Sm in terms of the unperturbed with error bars for the *minimum* and *maximum*, that is over the 100 samples performed, the minimum value at that time and the maximum value at that time. Note that most isotopes accumulate uncertainty over time, but this is not always the case, e.g. for ¹⁵¹Sm. Two common burnup indicators (measured in spent fuel to infer/confirm burnup) ¹⁴⁸Nd and ¹⁵⁰Sm show linear increase with time (as expected for a burnup indicator).

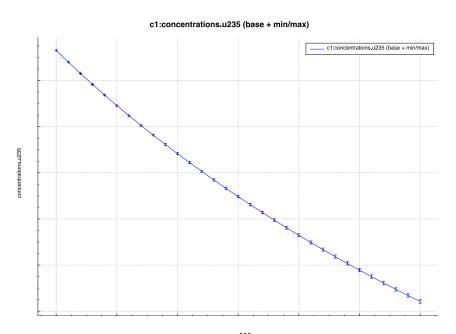


Figure 6.7.8. Uncertainty in ²³⁵U concentration for problem 4

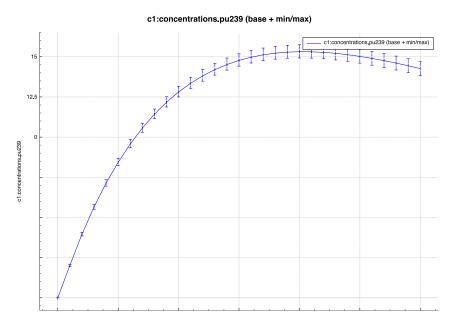


Figure 6.7.9. Uncertainty in ²³⁹Pu concentration for problem 4

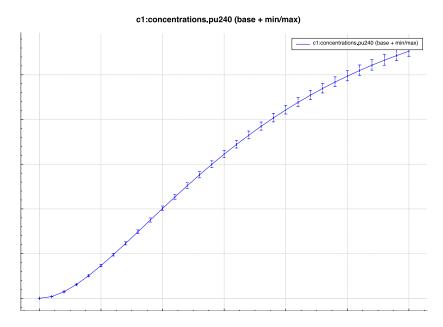


Figure 6.7.10. Uncertainty in ²⁴⁰Pu concentration for problem 4

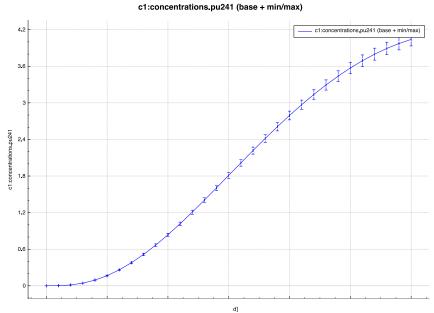


Figure 6.7.11. Uncertainty in ²⁴¹Pu concentration for problem 4

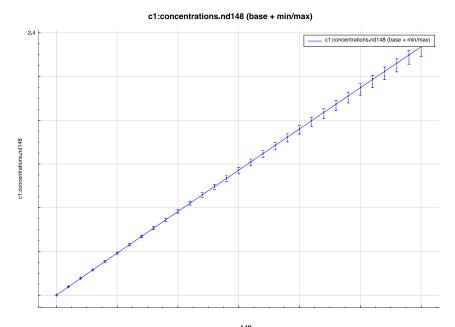


Figure 6.7.12. Uncertainty in ¹⁴⁸Nd concentration for problem 4

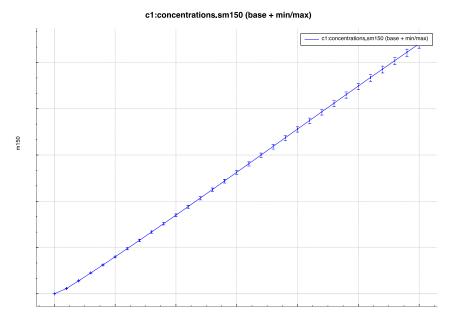


Figure 6.7.13. Uncertainty in $^{150}\mathrm{Sm}$ concentration for problem 4

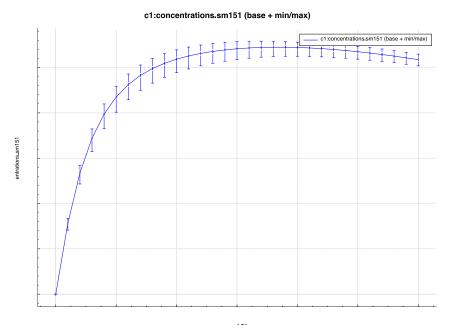


Figure 6.7.14. Uncertainty in ¹⁵¹Sm concentration for problem 4

6.7.4.2.5 Sample problem 5

This problem provides an example of two correlated depletion cases. The second "c2" case has a larger pitch and lower enrichment fuel. All data libraries are perturbed.

```
=%sampler
read parameters
 ead parameters
n_samples = 100
library = "xn238v7"
perturb_xs = yes
perturb_yields = yes
perturb_decay = yes
end parameters
read case[c1]
  sequence=t-depl parm=(bonami,addnux=0)
    pincell model
     xn238v7
     read composition
                    10 0.95 900 92235 3.6 92238 96.4 end
20 1 600 end
30 den=0.75 0.9991 540 end
      uo2
      zirc2
      h2o
    end composition
    read celldata
      latticecell squarepitch pitch=1.2600 30 fuelr=0.4095 10 cladr=0.4750 20 end
    end celldata read depletion
       10
    end depletion
    read burndata
       power=25 burn=1200 nlib=30 end
     end burndata
    read model
    read materials
      mix=10 com="4.5 enriched fuel" end
mix=20 com="cladding" end
       mix=30 com="water" end
     end materials
    read geom global unit 1
         cylinder 10 0.4095
         cylinder 20 0.4750 cuboid 30 4p0.63 media 10 1 10
         media 20 1 20 -10
         media 30 1 30 -20
       boundary 30 3 3
     end geom
    read collapse
150rl 88r2
     end collapse
    read homog
500 mini 10 20 30 end
     end homog
     read bounds
      all=refl
    end bounds
    end model
  end sequence
end case
read case[c2]
  sequence=t-depl parm=(bonami,addnux=0)
    pincell model
     xn238v7
    read composition
                   10 0.95 900 92235 3.6 92238 96.4 end
                    20 1 600 end
30 den=0.75 0.9991 540 end
      zirc2
     h2o
    end composition
    read celldata
latticecell squarepitch pitch=1.6600 30 fuelr=0.4095 10 cladr=0.4750 20 end
    end celldata
    read depletion
       10
    end depletion
     read burndata
```

```
power=25 burn=1200 nlib=30 end
    end burndata
    read model
    read materials
      mix=10 com="3.6 enriched fuel" end
mix=20 com="cladding" end
      mix=30 com="water" end
    end materials
    read geom
      global unit 1
        cylinder 10 0.4095
         cylinder 20 0.4750
        cuboid 30 4p0.83
        media 10 1 10
        media 20 1 20 -10
media 30 1 30 -20
      boundary 30 3 3
    end geom
    read collapse
150rl 88r2
    end collapse
    read homog
      500 mini 10 20 30 end
    end homog
    read bounds
      all=refl
    end bounds
    end model
  end sequence
end case
read response[concentrations]
  type=origen_nuclides
  nuclides = u-235 pu-239 pu-240 pu-241 nd-148 sm-149 sm-150 sm-151 cs-133 cs-134 cs-137 end
  mixture = 10
end response
end
```

The correlation matrix for concentrations at 1200 days of irradiation is shown in Figure 6.7.15, post-processed with Excel to show high and low correlation coefficients. The bold and underline entries indicate that the each extracted isotope shows a correlation coefficient of 1.0 between the two cases. This means that the two cases are the same in terms of their isotopic response to data perturbations.

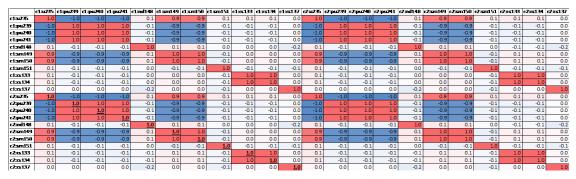


Figure 6.7.15. Correlation matrix for concentrations in sample problem 5

6.7.4.2.6 Sample problem 6

Sample problem 6 provides an example of fission yield and decay data sampling. First, COUPLE is run to assemble an ORIGEN library (on file ft33f001) from the perturbed yields and decay data libraries. Burst fission with long decay is then performed by ORIGEN and OPUS is used to extract the fission product decay heat.

=%sampler

```
read parameters
n_samples = 500
perturb_yields = yes
perturb_decay = yes
end parameters
read case[heat]
sequence=couple
0$$ a3 80 21 0 33 e
1$$ a4 1 a18 238 e 1t
9**
  13z 1.25 0.3 223z
2t
done
end sequence
sequence=origens
3$$ 1 1 e t
ft33f001
56$$ 40 1 1 0 -1 a9 0 1 2 1 1 e
u235 thermal fission energy release
u235 thermal fission energy release
59** 3.08617e12 f0 e
60** le-10 1 1.5 2 4 6 8 10 15 20 40 60 80 100
150 200 400 600 800 1000 1500 2000 4000 6000 8000 1e4
1.5e4 2e4 4e4 6e4 8e4 1e5
le6 le7 le8 le9 le10 le11 le12 le13 61** fle-14 67$$ a47 1 0 1 e
68$$ a2 1 e
73$$ 922350
74** 1
75$$ 2
80$$ 0 f1
ft71f001
end sequence
sequence=opus
library="ft33f001"
   units=watts
libtype=fiss
minposition=2
end sequence
end case
read response[heat]
   type=opus_plt
ndataset=0
   nuclides=total end
end response
```

The total decay heat with the uncertainty is shown in Table 6.7.7 and Figure 6.7.16.

Table 6.7.7. Decay heat and uncertainties from sample problem 6

time(d)	1			heat:he	at.tot	al
1 157- 05	-+	1 0140- 10		2 0016- 15		
1.157e-05	!					웅)
1.736e-05				2.9969e-15	(3.02	%)
2.315e-05		8.3928e-14	+/-	2.4300e-15	(2.90	웅)
4.63e-05		5.1608e-14	+/-	1.4609e-15	(2.83	%)
6.944e-05	1	3.6960e-14	+/-	1.0879e-15	(2.94	%)
9.259e-05	1	2.8512e-14	+/-	8.6135e-16	(3.02	%)
0.0001157	1	2.2994e-14	+/-	6.9746e-16	(3.03	%)
0.0001736		1.5095e-14	+/-	4.3161e-16	(2.86	%)
0.0002315		1.1001e-14	+/-	2.8176e-16	(2.56	%)
0.000463		5.2027e-15	+/-	9.0060e-17	(1.73)	%)
0.0006944		3.4356e-15	+/-	5.4710e-17	(1.59)	%)
0.0009259		2.5257e-15	+/-	3.9155e-17	(1.55)	%)
0.001157		1.9598e-15	+/-	2.9796e-17	(1.52)	%)
0.001736		1.1987e-15	+/-	1.8264e-17	(1.52)	%)
0.002315		8.3627e-16	+/-	1.3203e-17	(1.58)	%)
0.00463	1	3.6871e-16	+/-	6.2511e-18	(1.70	웅)
0.006944	1	2.4236e-16	+/-	4.1269e-18	(1.70	웅)
0.009259	1	1.8288e-16	+/-	3.0774e-18	(1.68	웅)
0 01157	1	1 4736e-16	+/-	2 4348e-18	(1 65	٤١

```
9.8626e-17 +/- 1.5627e-18 (1.58 %)
7.2605e-17 +/- 1.1389e-18 (1.57 %)
3.1264e-17 +/- 5.2287e-19 (1.67 %)
    0.01736 |
    0.02315 I
      0.0463
                                         1.8331e-17 +/- 3.0385e-19 (1.66 %)
1.2509e-17 +/- 2.0081e-19 (1.61 %)
9.2818e-18 +/- 1.4529e-19 (1.57 %)
    0.06944
    0.09259
      0.1157
      0.1736
                                         5.3469e-18 +/- 8.1244e-20 (1.52
                                         3.6169e-18 +/- 5.8170e-20 (1.61 %)
1.4917e-18 +/- 3.6486e-20 (2.45 %)
8.7255e-19 +/- 2.8013e-20 (3.21 %)
      0.2315
      0.463
                                         5.8177e-19 +/- 2.2155e-20 (3.81 %)
4.2181e-19 +/- 1.7675e-20 (4.19 %)
2.5565e-20 +/- 4.7089e-22 (1.84 %)
       0.9259
        1.157
11.57
                                        2.5050e-20 +/- 4.7089e-22 (1.84 %)

1.5359e-21 +/- 4.5476e-23 (2.96 %)

3.6294e-23 +/- 7.3235e-25 (2.02 %)

6.3719e-24 +/- 2.3433e-25 (3.68 %)

8.0163e-27 +/- 2.8253e-28 (3.52 %)
        1157
11570
       115700
                                       1.1225e-28 +/- 1.7662e-29 (15.73 %)
1.0367e-28 +/- 1.6144e-29 (15.57 %)
1.157e+06
1.157e+07 |
```

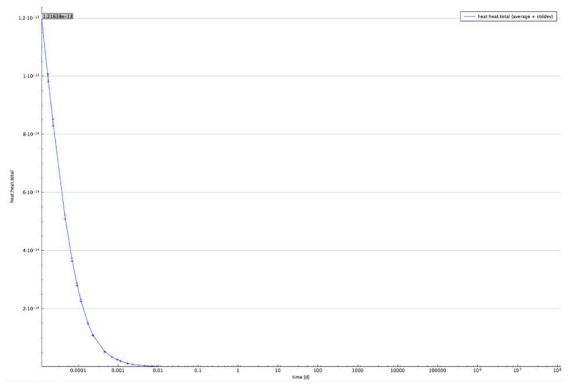


Figure 6.7.16. Decay heat and uncertainties from sample problem 6

6.7.4.2.7 Sample problem 7

Sample problem 7 illustrates an example of a shielding parametric study with MAVRIC. It also demonstrates usage of the grep response for both response value and uncertainty.

=%sampler

read parameters
 n_samples = 50
end parameters

```
read parametric
  variables = thick end
end parametric
read case[graphite]
sequence=mavric
Monaco/MAVRIC Training - Exercise 3. Graphite Shielding Measurements Revisited
v7-27n19q
' Composition Block - standard SCALE input
    para(h2o) 3 1.0 293.0 end carbon 4 den=1.7 1.0 300.0 end
end composition
' Geometry Block - SCALE standard geometry package (SGGP)
read geometry
    global unit 1
         cuboid 1
                       25.0 -25.0 25.0 -25.0 25.0 -25.0
         cone 2 10.35948 25.01 0.0 0.0 rotate a1=-90 a2=-90 a3=0 cuboid 3 #{x90} 70.0 40.0 -40.0 40.0 -40.0 cuboid 99 120.0 -30.0 50.0 -50.0 50.0 -50.0
         media 3 1 1 -2
media 0 1 2
         media 4 1
         media 0 1 99 -1 -2 -3
    boundary 99
end geometry
' Definitions Block
read definitions
    location 1
         position 110 0 0
     end location
    response 5
         title="ANSI standard (1977) neutron flux-to-dose-rate factors"
         specialDose=9029
     end response
    distribution 1
         title="Cf-252 neutrons, Watt spectrum a=1.025 MeV and b=2.926/MeV"
         special="wattSpectrum"
    parameters 1.025 2.926 end end distribution
    gridGeometry 7
title="large meshes in paraffin, 5 cm mesh for shield thicknesses"
         xLinear 15 -25 25
xLinear 12 30 #{x90}
xplanes 100 110 120 -30 end
yplanes -50 -40 40 50 end
         yLinear 7 -35 35
zplanes -50 -40 40 50 end
zLinear 7 -35 35
     end gridGeometry
end definitions
' Sources Block
    Cf-252 neutrons, Watt fission spectrum model with a=1.025 MeV and b=2.926/MeV
read sources
    src 1
         title="Cf-252 neutrons, Watt fission spectrum model"
         strength=4.05E+07
         cuboid 0.01 0.01 0 0 0
         neutrons
         eDistributionID=1
    end src
end sources
' Tallies Block
read tallies
```

```
pointDetector 1
    title="center of detector"
          neutron
          locationID=1
    responseID=5
end pointDetector
meshTally 1
title="example mesh tally"
         neutron
gridGeometryID=7
          responseID=5
          noGroupFluxes
     end meshTally
end tallies
' Parameters Block
      ._____
read parameters
     randomSeed=00003ecd7b4e3e8b
     library="v7-200n47g"
perBatch=10000 batches=10
fissionMult=0 noPhotons
end parameters
' Importance Map Block
read importanceMap
    adjointSource 1
         locationID=1
     responseID=5
end adjointSource
gridGeometryID=7
mmTolerance=0.01 end importanceMap
end data
end sequence
read variable[thick]
 value = 20
minimum = 10
maximum = 30
distribution = uniform
end variable
read variable[x90]
  distribution = expression
expression = "thick+70"
end variable
read response[flux]
  type = grep
regexp = "total flux[[:space:]]+:scale.number:"
regexp = ":scale.number:"
end response
```

Flux dependence on the shielding thickness is shown in Figure 6.7.17.

end

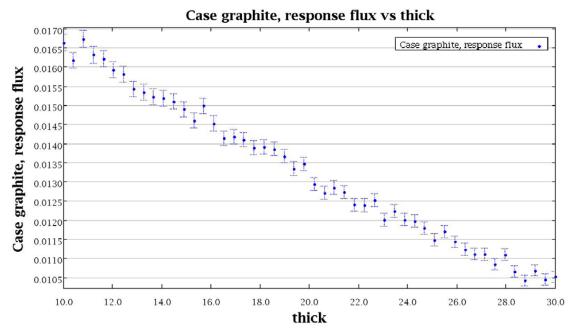


Figure 6.7.17. Flux as a function of shielding thickness for sample problem 7

6.7.5 References

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APPENDIX 6.7 A – SCALE Input Retrieval Engine (SIREN)

SIREN (SCALE Input Retrieval ENgine) provides a hierarchical representation of SCALE input and enables access to individual input components or sets of related input parameters. SIREN sorts the contents of supported SCALE input sequences into a tree structure so that every component in a SCALE input can be accessed using an *XPath* designation. The SIREN package is used by the SCALE supersequence Sampler to select individual components within an input file, perturb the parameter in memory, and write the perturbed input to a new file. In this way, components within an input file can be perturbed without modification to the original input file, which can be maintained as a read-only file under configuration control for quality assurance purposes.

To explore the use of SIREN expressions, two utilities are available in the SCALE bin directory. The utilities are the executables "InputViewer" and "InputSelector." The InputViewer utility accepts a SCALE input file and outputs the *XPath* designation for each component of that input file. The InputSelector utility accepts a SCALE input file and a SIREN select statement and then outputs the part of the input file specified by the SIREN select statement. The remainder of this section provides practical examples in the use of SIREN select statements to designate specific components of a SCALE input.

A simple CSAS6 input file, which models a sphere of HEU, is used to show how to use SIREN select statements to access specific portions of a SCALE input. The contents of the example CSAS6 input file are shown below.

```
sample problem 6 bare 93.2% U sphere, eighth sphere w/ mirror albedo
v7-238
read comp
  uranium 1 den=18.76 1 293 92235 93.2 92238 5.6 92234 1.0 92236 0.2 end
end comp
read geometry
  global unit 1
    sphere 10 8.741 chord +x=0.0 chord +y=0.0 chord +z=0.0 cuboid 20 8.741 0.0 8.741 0.0 8.741 0.0
    media 1 1 10 vol=2797.5121 media 0 1 20 -10 vol=2545.3424
    boundary 20
end geometry
read bounds
  -fc=mirror
end bounds
end data
end
```

The InputViewer utility is used to view the contents of the example input file with their respective *XPath* designations. The utility accepts the path to the input file as an argument so that the usage is:

```
$ InputViewer inputfile
```

A portion of the output from InputViewer is shown below; this portion corresponds to the material definition in the example input file. Notice that each component of the composition has a specific *XPath* designation. For instance, the "wtptPair" has several pieces of information (ids for each component and the weight percent for that component). To gain access to a specific component, the InputSelector utility is introduced below.

```
/csas6/comps
/csas6/comps/decl(read comp)
/csas6/comps/stdcomp
/csas6/comps/stdcomp/name(uranium)
/csas6/comps/stdcomp/mixture(1)
```

```
/csas6/comps/stdcomp/roth
/csas6/comps/stdcomp/roth/decl(den)
/csas6/comps/stdcomp/roth/assign(=)
/csas6/comps/stdcomp/roth/value(18.76)
/csas6/comps/stdcomp/vf(1)
/csas6/comps/stdcomp/temp(293)
/csas6/comps/stdcomp/wtpt pair
/csas6/comps/stdcomp/wtpt_pair/id(92235)
/csas6/comps/stdcomp/wtpt_pair/wtpt(93.2)
/csas6/comps/stdcomp/wtpt_pair
/csas6/comps/stdcomp/wtpt pair/id(92238)
/csas6/comps/stdcomp/wtpt_pair/wtpt(5.6)
/csas6/comps/stdcomp/wtpt_pair
/csas6/comps/stdcomp/wtpt pair/id(92234)
/csas6/comps/stdcomp/wtpt_pair/wtpt(1.0)
/csas6/comps/stdcomp/wtpt_pair
/csas6/comps/stdcomp/wtpt pair/id(92236)
/csas6/comps/stdcomp/wtpt_pair/wtpt(0.2)
/csas6/comps/stdcomp/term(end)
/csas6/comps/term(end comp)
```

To explore how SIREN select statements are used, the InputSelector utility is used for a few cases with the example CSAS6 input file. Suppose the ²³⁵U weight percent needed to be accessed for perturbation; the SIREN expression to access the ²³⁵U weight percent is as follows:

Long form:

```
'/csas6/comps/stdcomp/wtpt pair[id="92235"]/wtpt'
```

Short form:

```
'///wtpt pair[id="92235"]/wtpt'
```

This statement tells SIREN to look for the weight percent with an ID of 92235 in the weight percent pair. A short form of the select statement (designated by the triple slash) can be used when there are unique qualities about a component; for instance, there is only a single material with an ID of 92235, so the weight percent pair must belong to that material. There are many combinations of select statements that can point to a specific input component, and the developers suggest using the InputSelector utility to familiarize oneself with this capability. The usage of InputSelector is:

```
$ InputSelector inputfile quoted Select Statement
```

Below is the screen output from the InputSelector with the example CSAS6 input file and the select statement for the ²³⁵U weight percent.

```
---- 1 nodes selected with statement '///wtpt_pair[id='92235']/wtpt' ----
1) /csas6/comps/stdcomp/wtpt_pair/wtpt
93.2
```

The output from InputSelector shows that the select statement points to a single component in the SCALE input, which is indeed the value for the 235 U weight percent. There are cases where a select statement points to a portion of the input that has multiple components and the select statement may need to be refined to point to a specific component. For instance, the cuboid defined in the geometry section of the input has multiple dimensions (+x, -x, +y, -y, etc.). By using the select statement below, the dimensions of the cuboid are shown

^{&#}x27;//cuboid/[id="20"]/dimensions'

The output from using InputSelector with this select statement is shown below.

```
---- 1 nodes selected with statement '//cuboid/[id="20"]/dimensions' ----
1) /csas6/geometry/global_unit/cuboid/dimensions
8.741 0.0 8.741 0.0 8.741 0.0
```

The output from InputSelector shows six values, which correspond to the dimensions of the cuboid (+x, -x, +y, -y, +z, -z faces). To select a single dimension, the select statement should include which component is desired. For instance, to select the height of the cuboid the select statement becomes:

```
'//cuboid/[id="20"]/dimensions/plus z'
```

In the same way, the radius of the sphere can be selected using the SIREN expression that identifies the radius of a sphere with an ID of 10:

```
'//sphere/[id="10"]/dimensions/r'
```

The output from InputSelector is shown below.

```
---- 1 nodes selected with statement '//sphere/[id="10"]/dimensions/r' ----
1) /csas6/geometry/global_unit/sphere/dimensions/r
8.741
```

There are scenarios where there is no unique or obvious identifier for a component. As an example, the media volume can utilize an array index to retrieve the volume value.

```
'//media/volume/value'
```

The output from InputSelector illustrates both media's volume value are selected below.

```
---- 2 nodes selected with statement '//media/volume/value' ----
1) /csas6/geometry/global_unit/media/volume/value
2797.5121
2) /csas6/geometry/global_unit/media/volume/value
2545.3424
```

The printed index (1) can be utilized to narrow the selection.

```
'//media[1]/volume/value'
```

Here the first media is selected and subsequently, the media's volume value, removing the selection of the second media entirely. The output from InputSelector is shown below.

```
---- 1 nodes selected with statement '//media[1]/volume/value' ---- 1) /csas6/geometry/global_unit/media/volume/value 2797.5121
```

For the sake of completeness, the following example illustrates selection of the media's volume value via the mixture's value comparator.

```
'//media[mixture="1"]/volume/value'
```

This illustrates the first media's unique mixture component can be used to select the volume for the first media. The output from InputSelector is shown below.

```
---- 1 nodes selected with statement '//media[mixture="1"]/volume/value' ----
1) /csas6/geometry/global_unit/media/volume/value
2797.5121
```

The above examples were intended to provide users with an idea of how to use SIREN select statements to access specific components within a SCALE input. The select statements are primarily used in cases where the input is to be perturbed by the Sampler super-sequence, but modification to the original input is not desirable. The recommended way to ensure that the select statements are correct is to use the InputSelector utility to check that a select statement points to the correct input component.

For viewing the input paths, an alternative to the InputViewer command line utility is available within the Fulcrum graphical user interface (GUI). By clicking on the Run Button drop-down and selecting "Input Listing" as shown in Figure 6.7.18, the full listing of the current input file is displayed in the "Messages" box. Also, notice the path is displayed in the bottom left corner for the input component located at the cursor.

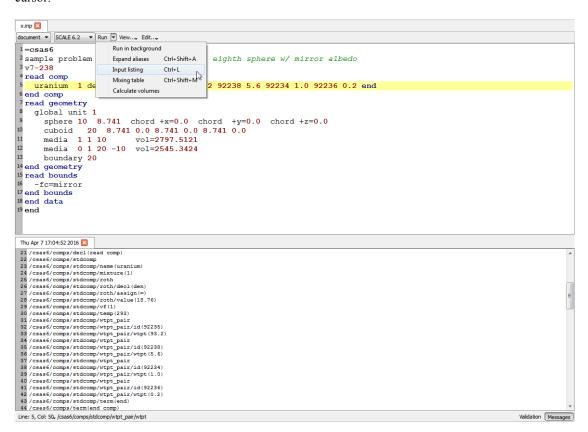


Figure 6.7.18. Input Listing in Fulcrum

A table of SIREN expressions are as follows.

Table 6.7.2. Expressions for SIREN

Expressions	Description	Examples
component	Component match.	csas6
/	Component separator.	csas6/xslib
	When the expression begins	/
	with this, it selects the root of	
	the document.	
//	This expression is the 'Any	csas6//uranium
	Child' select.	//
[index]	Array index selector. When	csas6/ geometry/global_unit/media[1]
	an array of objects has been	
	selected, this expression	
	selects the object at the given	
	index.	
[sindex:eindex]	Subarray index selector.	csas6/ comps/stdcomp/uranium/wtpt_pair[2:3]
	When an array of objects has	
	been selected, this expression	
	selects a subarray.	
[sindex:eindex:stride]	Subarray index selector.	csas6/comps/stdcomp/uranium/wtptPair[1:4:2]
	When an array of objects has	
	been selected, this expression	
	selects a subarray and	
	subsequently components	
	stride apart.	
*	Component wild card. This	csas6/read comp/*
	can only be used in place of a	csas6/read comp/ur*
	component or to wild card the	
	remainder of a component.	

APPENDIX 6.7 B - Expression Operators and Functions for Sampler

The expression engine utilized by Sampler supports all basic mathematical and logical operators, as well as a number of functions. Logical expressions and functions evaluate to the number 1 for true, and the number 0 for false.

Table 6.7.2. Expression operators and functions for Sampler

$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Operator	Description	Example		
- Subtraction 3-3, x-y - Unary Minus -3, -(3+3), -x * Multiplication 3*3, x*y / Division 3/3, x/y % Modulo 3%3, x%y % Power 3^3, x^9y - Power 3^3, x^9y - Power 3^3, x-y = Equal to 3=3, x=y != Not equal to 3!=3, x!=y != Not equal to 3!=3, x!=y		Addition	3+3, x+y		
Unary Minus	+	Unary Plus			
* Multiplication 3*3, x*y / Division 3/3, x/y % Modulo 3%3, x%y ^ Power 3^3, x*y = Equal to 3=3, x=y != Not equal to 3!=3, x!=y <	-	Subtraction	, , , , ,		
* Multiplication 3*3, x*y / Division 3/3, x/y % Modulo 3%3, x%y ^ Power 3^3, x*y = Equal to 3=3, x=y != Not equal to 3!=3, x!=y <	-	Unary Minus	-3, -(3+3), -x		
% Modulo 3%3, x%y ^ Power 3^3, x^y == Equal to 3=3, x=y != Not equal to 3!=3, x!=y <	*	Multiplication			
% Modulo 3%3, x%y ^ Power 3^3, x^y == Equal to 3=3, x=y != Not equal to 3!=3, x!=y <	/	Division			
^ Power 3^3, x^y == Equal to 3=3, x=y != Not equal to 3!=3, x!=y Less than 3<3, x <y< th=""> > Greater than 3>3, x>y <= Less than or equal to 3<3, x>=y and Left is true and right is true 1 and 1, x=y and y=z or Left is true or right is true 1 or 1, x=y or y=z nand Not and 1 nand 1, 1 nand 0, x nand y xor Exclusive or 1 xor 1, 1 xor 0, x xor y nor Not or 1 nor 1, 1 nor 0, x nor y abs(x) Absolute value abs(1),abs(-1),abs(x),abs(x),abs(y) min(x,n) Minimum of values min(1),min(1,2,3,4,5,x,y),etc max(x,n) Average of values avg(1),avg(1,2,3,4,5,x,y),etc sum(x,n) Average of values sum(1),sum(1,2,3,4,5,x,y),etc sum(x,n) Multiply values mul(1),mul(1,2,3,4,5,x,y),etc floor(x) Floor of the value ceil(x) ceil(x) ceil(x) ceil(x) ceil(x) roundn(1.15,1)=-1</y<>	%	Modulo			
Equal to 3=3, x=y	٨	Power			
Less than 3<3, x <y< td=""> > Greater than 3>3, x>y <=</y<>	==	Equal to			
Solution Solution	!=	Not equal to			
<=	<	Less than			
<=	>	Greater than	3>3, x>y		
andLeft is true and right is true1 and 1, x=y and y=zorLeft is true or right is true1 or 1, x=y or y=znandNot and1 nand 1, 1 nand 0, x nand yxorExclusive or1 xor 1, 1 xor 0, x xor ynorNot or1 nor 1, 1 nor 0, x nor yabs(x)Absolute valueabs(1),abs(-1),abs(x),abs(y)min(x,n)Minimum of valuesmin(1),min(1,2,3,4,5,x,y),etcmax(x,n)Maximum of valuesmax(1),max(1,2,3,4,5,x,y),etcavg(x,n)Average of valuesavg(1),avg(1,2,3,4,5,x,y),etcSum(x,n)Summation of valuessum(1),sum(1,2,3,4,5,x,y),etcmul(x,n)Multiply valuesmul(1),mul(1,2,3,4,5,x,y),etcfloor(x)Floor of the valuefloor(1)=1, floor(-1.0)=-1.0, floor(1.1)=-2.0ceil(x)Ceiling of the valueceil(1)=1,ceil(-1.1)=-1round(x)Round the value to nearest integerround(1.1)=1,round(1.5)=2,round(1.9)=roundn(x,n)Round the value to the nth decimal positionroundn(1.15,1)= 1.2, roundn(1.519,2)cos(x)Cosine of the valuecos(0.0)=1	<=	Less than or equal to			
andLeft is true and right is true1 and 1, x==y and y==zorLeft is true or right is true1 or 1, x==y or y==znandNot and1 nand 1, 1 nand 0, x nand yxorExclusive or1 xor 1, 1 xor 0, x xor ynorNot or1 nor 1, 1 nor 0, x nor yabs(x)Absolute valueabs(1),abs(1),abs(x),abs(y)min(x,n)Minimum of valuesmin(1),min(1,2,3,4,5,x,y),etcmax(x,n)Maximum of valuesmax(1),max(1,2,3,4,5,x,y),etcavg(x,n)Average of valuesavg(1),avg(1,2,3,4,5,x,y),etcSum(x,n)Summation of valuessum(1),sum(1,2,3,4,5,x,y),etcmul(x,n)Multiply valuesmul(1),mul(1,2,3,4,5,x,y),etcfloor(x)Floor of the valuefloor(1)=1, floor(-1.0)=-1.0, floor(1.1)=-2.0ceil(x)Ceiling of the valueceil(1)=1,ceil(-1.1)=-1round(x)Round the value to nearest integerround(1.1)=1,round(1.5)=2,round(1.9)=roundn(x,n)Round the value to the nth decimal positionroundn(1.15,1)= 1.2, roundn(1.519,2)cos(x)Cosine of the valuecos(0.0)=1	>=	Greater than or equal to	3>=3, x>=y		
orLeft is true or right is true1 or 1, x==y or y==znandNot and1 nand 1, 1 nand 0, x nand yxorExclusive or1 xor 1, 1 xor 0, x xor ynorNot or1 nor 1, 1 nor 0, x nor yabs(x)Absolute valueabs(1),abs(-1),abs(x),abs(y)min(x,n)Minimum of valuesmin(1),min(1,2,3,4,5,x,y),etcmax(x,n)Maximum of valuesmax(1),max(1,2,3,4,5,x,y),etcavg(x,n)Average of valuesavg(1),avg(1,2,3,4,5,x,y),etcSum(x,n)Summation of valuessum(1),sum(1,2,3,4,5,x,y),etcmul(x,n)Multiply valuesmul(1),mul(1,2,3,4,5,x,y),etcfloor(x)Floor of the valuefloor(1)=1, floor(-1.0)=-1.0, floor(1.1)=-2.0ceil(x)Ceiling of the valueceil(1)=1,ceil(-1.1)=-1round(x)Round the value to nearest integerround(1.1)=1,round(1.5)=2,round(1.9)=roundn(x,n)Round the value to the nth decimal positionroundn(1.15,1)= 1.2, roundn(1.519,2)cos(x)Cosine of the valuecos(0.0)=1	and	Left is true and right is true			
nand Not and 1 nand 1, 1 nand 0, x nand y xor Exclusive or 1 xor 1, 1 xor 0, x xor y nor Not or 1 nor 1, 1 nor 0, x nor y abs(x) Absolute value abs(1),abs(-1),abs(x),abs(y) min(x,n) Minimum of values min(1),min(1,2,3,4,5,x,y),etc max(x,n) Maximum of values max(1),max(1,2,3,4,5,x,y),etc sum(x,n) Average of values sum(1),aum(1,2,3,4,5,x,y),etc sum(x,n) Multiply values mul(1),mul(1,2,3,4,5,x,y),etc mul(x,n) Multiply values mul(1),mul(1,2,3,4,5,x,y),etc floor(x) Floor of the value floor(1)=1, floor(-1.0)=-1.0, floor(-1.1)=-2.0 ceil(x) Ceiling of the value ceil(1)=1,ceil(-1.1)=-1 round(x) Round the value to nearest integer round(1.1)=1,round(1.5)=2,round(1.9)= roundn(x,n) Round the value to the nth nth decimal position 1.52 cos(x) Cosine of the value cos(0.0)=1	or				
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norNot or1 nor 1, 1 nor 0, x nor yabs(x)Absolute valueabs(1),abs(-1),abs(x),abs(y)min(x,n)Minimum of valuesmin(1),min(1,2,3,4,5,x,y),etcmax(x,n)Maximum of valuesmax(1),max(1,2,3,4,5,x,y),etcavg(x,n)Average of valuesavg(1),avg(1,2,3,4,5,x,y),etcSum(x,n)Summation of valuessum(1),sum(1,2,3,4,5,x,y),etcmul(x,n)Multiply valuesmul(1),mul(1,2,3,4,5,x,y),etcfloor(x)Floor of the valuefloor(1)=1, floor(-1.0)=-1.0, floor(1.1)=-2.0ceil(x)Ceiling of the valueceil(1)=1,ceil(-1.1)=-1round(x)Round the value to nearest integerround(1.1)=1,round(1.5)=2,round(1.9)=roundn(x,n)Round the value to the nth decimal position1.52cos(x)Cosine of the valuecos(0.0)=1	xor	Exclusive or	1 xor 1, 1 xor 0, x xor y		
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$\begin{array}{cccccccccccccccccccccccccccccccccccc$	abs(x)	Absolute value	abs(1),abs(-1),abs(x),abs(y)		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	min(x,n)	Minimum of values	min(1), min(1,2,3,4,5,x,y), etc		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Maximum of values	$\max(1), \max(1,2,3,4,5,x,y), \text{etc}$		
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	avg(x,n)	Average of values	avg(1),avg(1,2,3,4,5,x,y),etc		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Summation of values	sum(1),sum(1,2,3,4,5,x,y),etc		
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	mul(x,n)	Multiply values	mul(1),mul(1,2,3,4,5,x,y),etc		
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	floor(x)	Floor of the value	floor(1)=1, floor(-1.0)=-1.0, floor(-		
round(x)Round the value to nearest integerround(1.1)=1,round(1.5)=2,round(1.9)=roundn(x,n)Round the value to the nth decimal positionroundn(1.15,1)= 1.2, roundn(1.519,2)= $cos(x)$ Cosine of the value $cos(0.0)=1$			1.1)=-2.0		
roundn(x,n) Round the value to the nth decimal position Round the value to the nth roundn(1.15,1)= 1.2, roundn(1.519,2)= 1.52 cos(x) Cosine of the value cos(0.0)=1	ceil(x)		ceil(1)=1,ceil(-1.1)=-1		
$\begin{array}{c cccc} & decimal position & 1.52 \\ \hline cos(x) & Cosine of the value & cos(0.0)=1 \end{array}$	round(x)		round(1.1)=1,round(1.5)=2,round(1.9)=2		
cos(x) Cosine of the value $cos(0.0)=1$	roundn(x,n)	Round the value to the nth	roundn(1.15,1)= 1.2, roundn(1.519,2)=		
		decimal position	1.52		
$\sin(x)$ Sine of the value $\sin(0.0)=0$	cos(x)	Cosine of the value	$\cos(0.0)=1$		
Sin(x) Sin(v.v) v	sin(x)	Sine of the value	$\sin(0.0)=0$		
tan(x) Tangent of the value $tan(0.0)=0$	tan(x)	Tangent of the value	$\tan(0.0)=0$		
sec(x) Secant of the value $sec(0.0)=1$	sec(x)	Secant of the value			
csc(x) Cosecant of the value $csc(1.0)=1.1884$		Cosecant of the value	` /		
$\cot(x)$ Cotangent of the value $\cot(1.0) = 0.642093$		Cotangent of the value	$\cot(1.0) = 0.642093$		
$\sinh(x)$ Hyperbolic sine of the value $\sinh(1.0)=1.1752$. /				
cosh(x) Hyperbolic cosine of the value $cosh(1.0)=1.54308$		21			

tanh(x)	Hyperbolic tangent of the value	tanh(1.0)= 0.761594	
log(x)	Natural log of the value	log(2.7182818)=1	
log10(x)	Common log of the value	log10(10.0)=1	
exp(x)	Exponential of the value	exp(1)=2.7182818	
clamp(l,x,u)	Clamp the value x between lowerbound l and upperbound u	clamp(-1,1,+1)=1,clamp(-1,-5,+1)=-1	
inrange(l,x,u)	Determine if value x is greater than or equal to lowerbound l, and less than or equal to upperbound u	inrange(-1,1,+1)=1,inrange(-1,-5,+1)=0	
sgn(x)	Determine the sign of x.	sgn(+1)=1,sgn(-1)=- 1,sgn(0)=0,sgn(5)=1	
sqrt(x)	Square Root of the value	sqrt(1)=1,sqrt(4)=2	
root(x,y)	Root of x given y	root(4,2)=2,root(8,3)=2	
true	Constant true value	true	
false	Constant false value	False	
if(condition,true,false)	If function that evaluates the condition. If true, the true value is substituted, else the false value is substituted	if(x > y, x, y) = x	

APPENDIX 6.7 C – Guidelines for Running Sampler in Parallel

Sampler calculations consist of three basic steps:

- 1. generate N perturbed input files and libraries,
- 2. run N independent SCALE jobs, and
- 3. analyze *N* results sets.

At this time, the preferred way of performing Sampler calculations is to use $run_cases=no$ (in the parameters block) and perform step 2 above outside of Sampler, i.e. using scripting or your system's queuing system to launch the N SCALE jobs. The "\${OUTBASENAME}.samplerfiles" directory that Sampler creates in step 1 will contain all the perturbed input files. Each of these input files should be run as a separate SCALE job. When all jobs are complete, Sampler should be run again (still with $run_cases=no$). Sampler will see that all jobs have completed, and perform the analysis in step 3. The Sampler sample problem 8 is a quick-running calculation that can be used to test and, if necessary adjust, the manual 3-step scheme described above on your system.

The internal frameworks for launching SCALE jobs in parallel are experimental in this release. Users must accept all responsibility for using these parallel capabilities on their systems. The following information is provided for different platforms on which the parallel capability has been tested.

OpenMP Thread-based Parallelism

The recommended parallel capability is based on parallel threads with OpenMP. This capability is available on all platforms SCALE supports (e.g. Windows, Mac, and Linux) and allows scaling up to the number of threads on a personal computer/workstation (typically 4 or more on current machines) or a single node of a Linux cluster (typically 8 to 16 on current machines). To launch a Sampler calculation with 5 parallel threads, one would issue the following from the command line:

```
scalerte -r -I 5 -m sample 8.inp
```

This will perform all 3 steps of the Sampler process in sequence, first generating all the inputs, then using 5 parallel threads to launch jobs (1 for the main "master" process that organizes the workers, and 4 worker processes that actually perform the perturbed calculations).

MPI-based Parallelism

The main limitation of OpenMP's thread-based parallelism is that it is limited to a single node in a Linux cluster environment, a common platform for modern scientific computing. The MPI-based parallelism requires building SCALE from source with MPI enabled. There is one workaround necessary with the MPI-enabled Sampler. MPI-enabled Sampler cannot call another MPI-enabled SCALE module, such as *kenovi* or *xkba*. For this reason, if *kenovi* or *xkba* (or any other MPI-parallel sequence) is required in the Sampler calculation, the user must make the **serial** versions of these executables available to Sampler during calculations, e.g. by copying them into the temporary directories via a =shell command in the input file.

To launch a Sampler calculation with 32 parallel calculations on two nodes with 16 cores each, one would issue the following from the command line:

```
scalerte -T temp -M machine.txt -N 32 -m sample 8.inp
```

where the machine.txt file contains:

nodeA slots=16
nodeB slots=16

where "nodeA" and "nodeB" are the names of nodes recognized by the system. Note that the temporary directory "temp" must be available to all nodes, such that the saved results can be copied back after execution. This requires the temp directory be on a "shared filesystem", which in turn means that some input/output (I/O) will be performed over this shared filesystem. If too many parallel jobs are requested, the system I/O may be swamped by the Sampler file transfer requests, impacting all users on the system. For modest sized Linux clusters, a maximum number of parallel jobs of 50 (i.e. –N 50) is recommended, although for I/O intensive sequences such as TRITON, this may still be too much. The maximum number of jobs per node should take into account not only the number of cores on that node, but the memory demands of the SCALE sequences to be called by Sampler. Ensuring sufficient memory is available may limit the number of cores per node ("slots") that should be requested.

Finally, some experience suggests that using the utility "nohup" to detach the main Sampler calculation, e.g. to logout of ssh and have the job continue to run, can cause runs to fail. It is recommended to use alternatives to "nohup" such as "screen" or "disown" to detach the main Sampler calculation from the user's login session.