

# Lab1-Sage-rulat

February 20, 2021

```
[1]: 1-2
```

```
[1]: -1
```

```
[2]: 1./2
```

```
[2]: 0.5000000000000000
```

```
[3]: numerical_approx(exp(1))
```

```
[3]: 2.71828182845905
```

```
[4]: numerical_approx(pi)
```

```
[4]: 3.14159265358979
```

```
[5]: x=var('x')  
a=(x+1)^2  
a.expand()
```

```
[5]: x^2 + 2*x + 1
```

```
[6]: a
```

```
[6]: (x + 1)^2
```

```
[7]: a=var('a')
```

```
[8]: a
```

```
[8]: a
```

```
[9]: expand((x+1)^2)
```

```
[9]: x^2 + 2*x + 1
```

```
[10]: factor(x^8-1)
```

[10]:  $(x^4 + 1)(x^2 + 1)(x + 1)(x - 1)$

```
[11]: c=sin(x)^2+cos(x)^2
```

```
[12]: c.trig_simplify()
```

[12]: 1

```
[13]: factor(1/x+1/(x+1))
```

[13]:  $(2x + 1)/((x + 1)x)$

```
[14]: x
```

[14]: x

```
[15]: y=var('y')
```

```
[16]: eq2=x^2*y+2*y-x==0  
solve(eq2,y)
```

[16]:  $[y == x/(x^2 + 2)]$

```
[17]: solve(x-cos(x)==0,x)
```

[17]:  $[x == \cos(x)]$

```
[18]: find_root(x-cos(x)==0,-1,1)
```

[18]: 0.7390851332151607

```
[19]: solve(x^5-3*x^3-1,x)
```

[19]:  $[0 == x^5 - 3x^3 - 1]$

```
[20]: find_root(x^5-3*x^3-1,-2,-1)
```

[20]: -1.6687775925403805

```
[21]: find_root(x^5-3*x^3-1,-1,0)
```

[21]: -0.7418139304867688

```
[22]: find_root(x^5-3*x^3-1,0,2)
```

[22]: 1.782308780045884

```
[23]: solve(x^2*y+2*y-x==0,y)
```

```
[23]: [y == x/(x^2 + 2)]
```

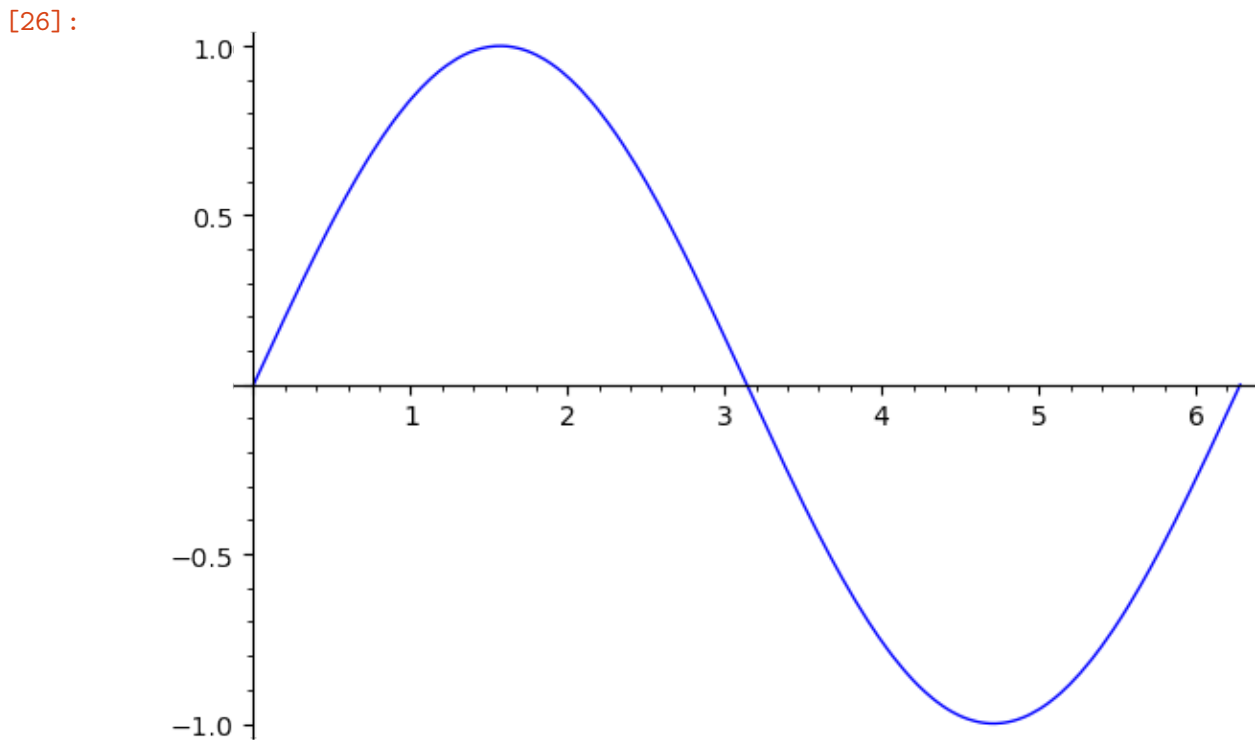
```
[24]: syst=[x+2*y==1,x-y==3]
solve(syst,x,y)
```

```
[24]: [[x == (7/3), y == (-2/3)]]
```

```
[25]: solve([x+2*y==1,x-y==3],x,y)
```

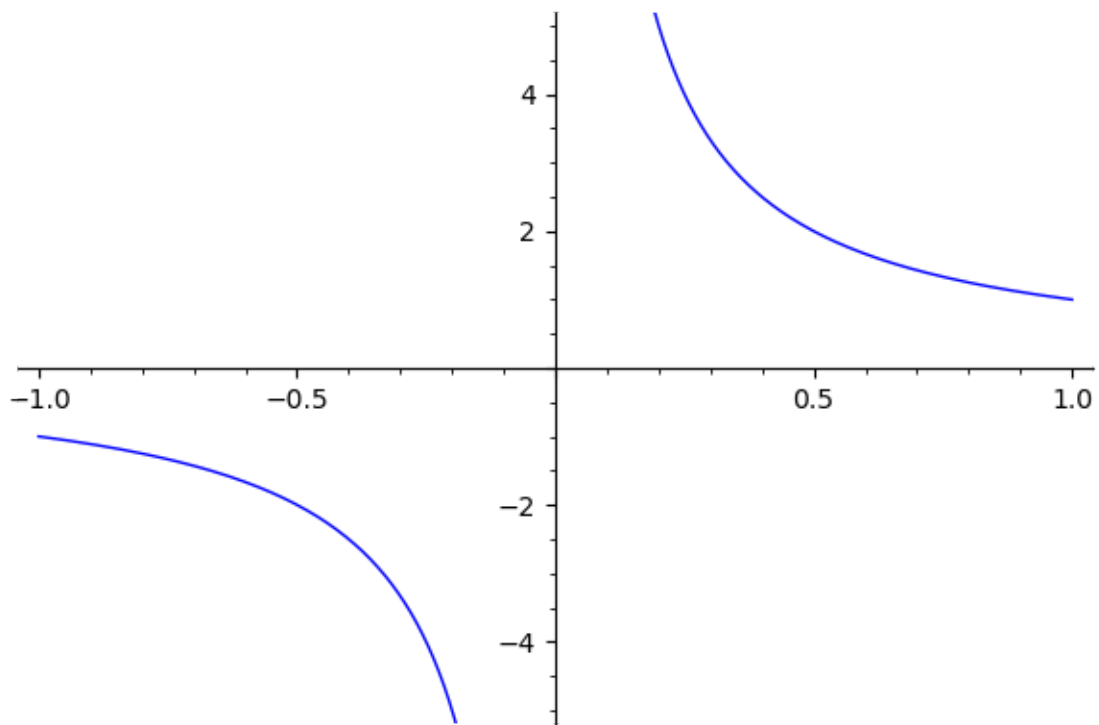
```
[25]: [[x == (7/3), y == (-2/3)]]
```

```
[26]: x=var('x')
plot(sin(x),0,2*pi)
```



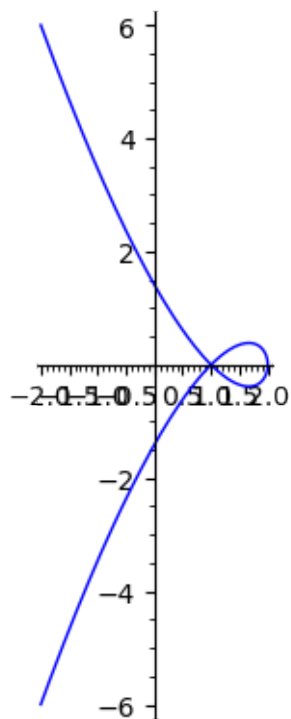
```
[27]: plot(1/x,-1,1,detect_poles=True,ymin=-5,ymax=5)
```

```
[27]:
```



```
[28]: t=var('t')
      parametric_plot((2-t^2,t-t^3),(t,-2,2))
```

[28]:



```
[29]: x=var('x')  
      y=var('y')  
      plot3d(x^2+y^2,(x,-2,2),(y,-2,2))
```

[29]: Graphics3d Object

```
[ ]:
```