

ECE 220-203

Lab 1

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Objective

The objective of this lab is to review how sinusoidal signals are calculated in MATLAB and how to plot these signals in MATLAB.

MATLAB code

See Appendix A.

Results

Figure 1

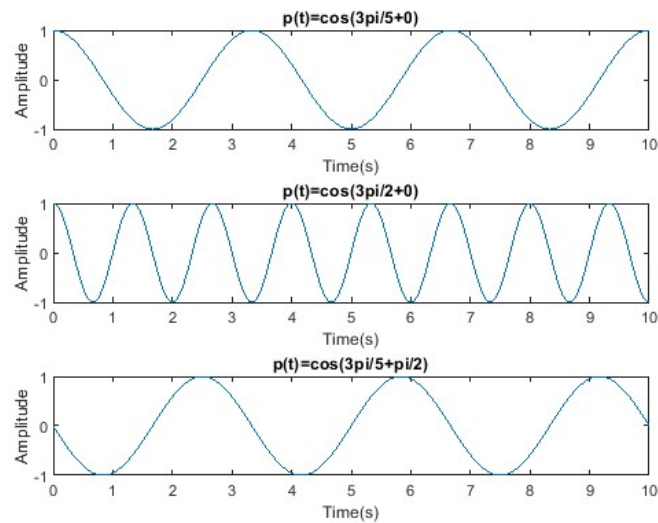


Figure 2

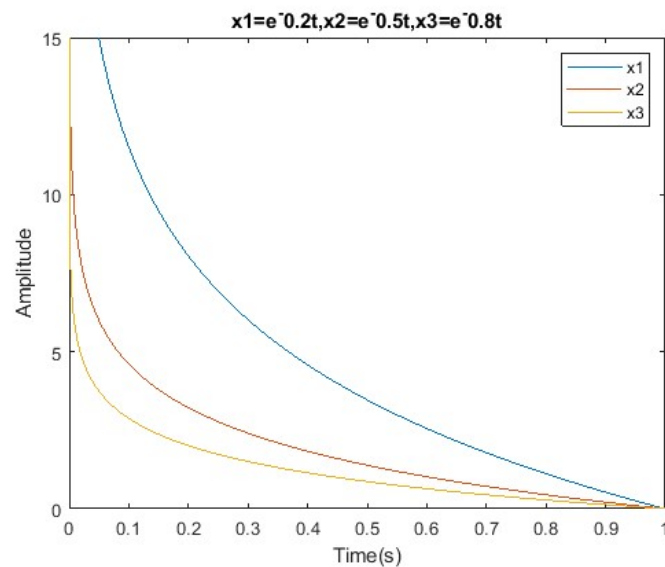


Figure 3

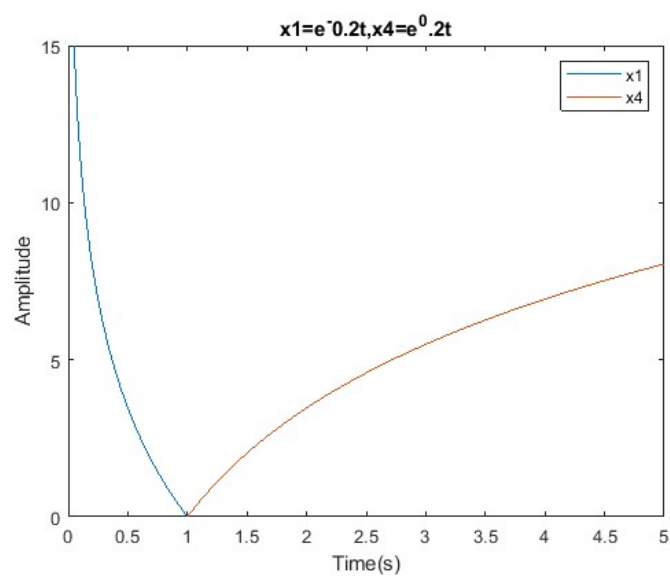


Figure 4

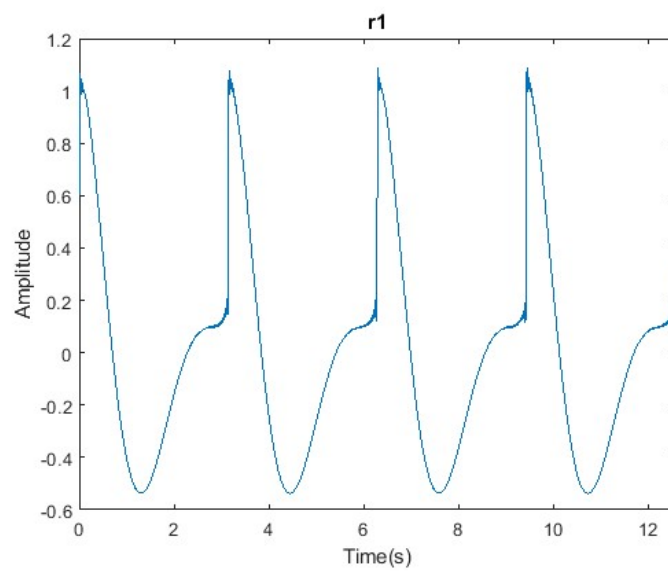


Figure 5

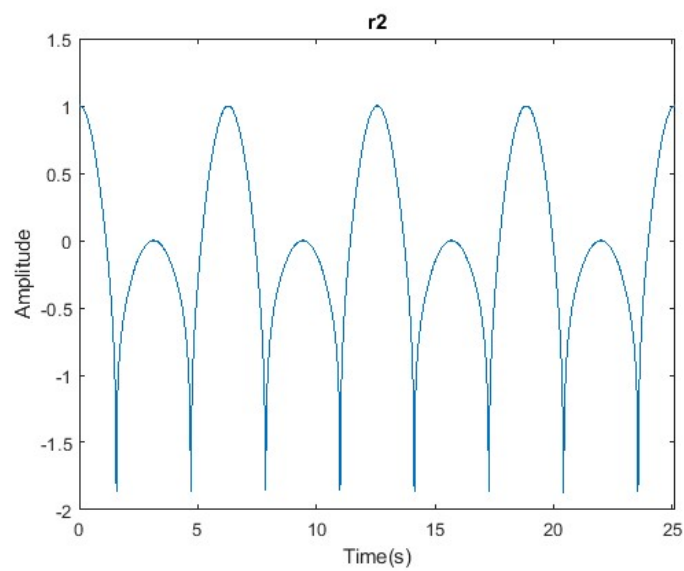
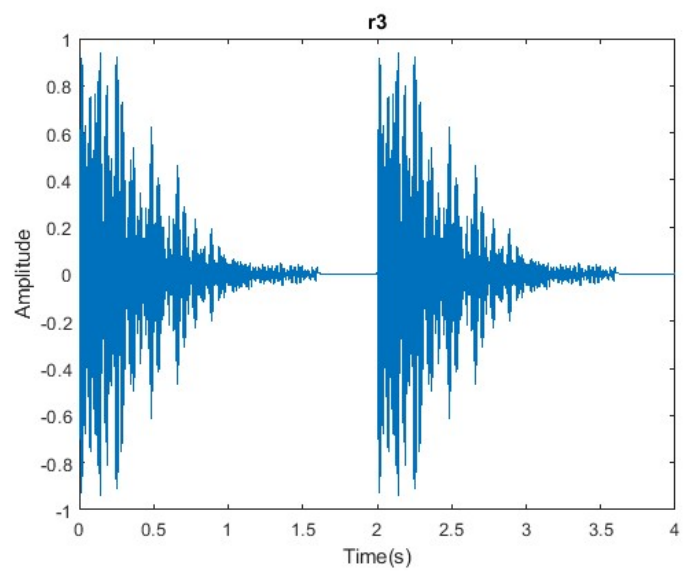


Figure 6

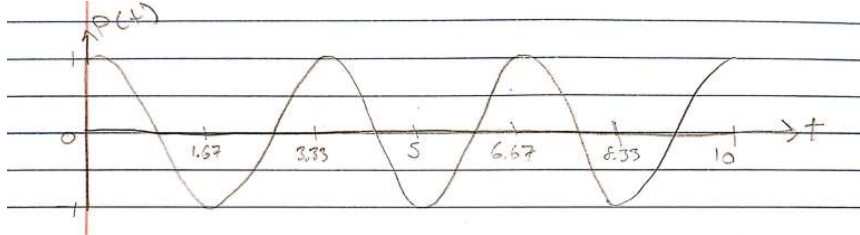


Questions

1.1

a)

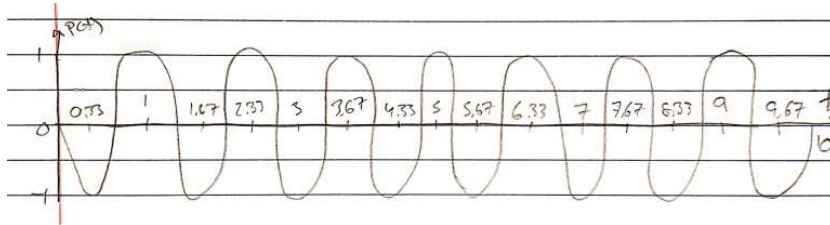
i)



Frequency: $f = 0.3\text{Hz}$

Period: $T = 3.33\text{s}$

ii)



Frequency: $f = 0.75\text{Hz}$

Period: $T = 1.33\text{s}$

c) Period: $T = 3.33\text{s}$

d) Period: $T = 1.33\text{s}$

e) Period: $T = 3.33\text{s}$

f) Increasing ω_0 makes the signal oscillate more, thus making more waves in the same amount of time compared to a lower ω_0 .

Decreasing ω_0 does the opposite; it makes less waves in the same amount of time compared to a higher ω_0 .

The variable ω_0 is the angular frequency of a signal, so $\omega_0 = 2\pi * f$.

In order to get the period T , we get the inverse of f . First, we need to get f from ω_0 .

Using the above formula, we derive $f = \frac{\omega_0}{2\pi}$. Then we calculate T by finding the inverse of the frequency, so $T = \frac{1}{f}$.

1.2

- d) As α varies, the plots (Figure 2, 3) can change dramatically. When α is negative, it loses amplitude as time passes. The plot is focused more vertically and loses much more in amplitude over a shorter period than if α would gain if it were positive. When α is positive, it gains amplitude as time passes. The plot is focused more horizontally and gains much less in amplitude over a longer period than if α would lose if it were negative. Both negative and positive α converge to the point (1,0), which is to be expected as $e^0 = 1$. The large or smaller effects how rapidly each plot gains or loses amplitude depending on if α is positive or negative respectively.

Discussion/Conclusion

This lab went smoothly, and I had no issues completing it. It has been awhile since I last used MATLAB, so it took some time before I became re-adjusted. All the calculations dealing with period, frequency, angular frequency, and $\exp()$ are familiar to me and I am confident my results are accurate. All the formulas used in this lab were already known, so no new formulas were discovered. I never figured out how to properly multiply the matrices together, which is the ideal and most efficient method of calculating sinusoidal signals; I instead used a for loop. I am still interested to figure out the method if time permits.

Appendix A

```
%1.1
figure(1)
t=0:0.01:10;
subplot(311)
p1=cos(3*pi/5*t);
plot(t,p1)
xlabel('Time(s)')
ylabel('Amplitude')
title('p(t)=cos(3pi/5+0)')
subplot(312)
p2=cos(3*pi/2*t);
plot(t,p2);
xlabel('Time(s)')
ylabel('Amplitude')
title('p(t)=cos(3pi/2+0)')
subplot(313)
p3=cos(3*pi/5*t+pi/2);
phase=pi/2
plot(t,p3)
xlabel('Time(s)')
ylabel('Amplitude')
title('p(t)=cos(3pi/5+pi/2)')
%%
%1.2b
figure(2)
t=0:0.01:15;
x1=exp(-0.2.*t);
with power of -0.2
x2=exp(-0.5.*t);
with power of -0.5
x3=exp(-0.8.*t);
with power of -0.8
plot(x1,t,x2,t,x3,t)
graph with labels and a legend
xlabel('Time(s)')
ylabel('Amplitude')
title('x1=e^-0.2t,x2=e^-0.5t,x3=e^-0.8t')
legend('x1','x2','x3')
%%
%1.2c
figure(3)
t=0:0.01:15;
x1=exp(-0.2.*t);
with power of -0.2
x4=exp(0.2.*t);
with power of 0.2
plot(x1,t,x4,t)
graph with labels and a legend
xlabel('Time(s)')
ylabel('Amplitude')
xlim([0 5])
title('x1=e^-0.2t,x4=e^0.2t')
legend('x1','x4')
%%
%2b
```

%designates plot as figure 1
%sets t as 1001 long vector
%sets plot as 1x3 grid of subplots
%calculates sinusoidal wave with $w=3\pi/5$
%plots waveform vs t and labels it

%shifts down 1 subplot
%calculates sinusoidal wave with $w=3\pi/2$
%plots new waveform and labels it

%shifts down 1 subplot
%calculates sinusoidal wave with $w=3\pi/5$ and
%plots new waveform and labels it

%designates plot as figure 2
%sets t as 1501 long vector
%calculates x1 as an exponential

%calculates x2 as an exponential

%calculates x3 as an exponential

%plots x1, x2, and x3 on the same

%designates plot as figure 3
%sets t as 1501 long vector
%calculates x1 as an exponential

%calculates x4 as an exponential

%plots x1 and x4 on the same

```

figure(4)
figure 4
load('parameterSetOne.mat')
from .mat file
tmax=8*pi/w0;
periods of the signal
t=0:Tsample:tmax;
r1 = 0;
for n=0:length(Cn)-1
    for loop
        r1=(Cn(n+1)*cos((n+1)*w0*t+thetan(n+1)))+r1;
    end
plot(t,r1)
xlim([0,tmax])
xlabel('Time(s)')
ylabel('Amplitude')
title('r1')
%%
%2c
figure(5)
figure 5
load('parameterSetTwo.mat')
from .mat file
tmax=8*pi/w0;
periods of the signal
t=0:Tsample:tmax;
r2 = 0;
for n=0:length(Cn)-1
    for loop
        r2=(Cn(n+1)*cos((n+1)*w0*t+thetan(n+1)))+r2;
    end
plot(t,r2)
labels
xlim([0,tmax])
xlabel('Time(s)')
ylabel('Amplitude')
title('r2')
%%
%2d
figure(6)
figure 6
load('parameterSetThree.mat')
from .mat file
tmax=4*pi/w0;
periods of the signal
t=0:Tsample:tmax;
r3 = 0;
for n=0:length(Cn)-1
    for loop
        r3=(Cn(n+1)*cos((n+1)*w0*t+thetan(n+1)))+r3;
    end
plot(t,r3)
labels
xlim([0,tmax])
xlabel('Time(s)')
ylabel('Amplitude')
title('r3')

```

%designates plot as

%loads variables

%calculates tmax as 4

%generates time vector

%initializes r1

%calculates signal r1 via

%plots r1 vs with labels

%designates plot as

%loads variables

%calculates tmax as 4

%generates time vector

%initializes r2

%calculates signal r2 via

%plots r2 vs t with

%designates plot as

%loads variables

%calculates tmax as 2

%generates time vector

%initializes r3

%calculates signal r3 via

%plots r3 vs t with


```
soundsc(r3)  
sound
```

```
%plays signal r3 as a
```