

Overflow flag

1.Signed

2.Unsigned

Signed number that can be positive or negative.

Unsigned number that can only be Positive

For 8 Bit register

Signed number: -128 to -1 AND 0 to 127

Unsigned number: 0 to 255

		53=0 0 1 1 0 1 0 1
		25=0 0 0 1 1 0 0 1
		0 1 1 0 0 0 1
DEC	hex	0 0 1 1 0 1 0 1
53	35	0 0 0 1 1 0 0 1
+25	+19	<u>0 0 0 1 1 0 0 1</u>
78	4E	0 1 0 0 1 1 1 0 (78)

CF=0 (no carry bit 6 to 7 and 7 to c)

OF=0 (78 is between -128 to +127)

.
 DEC
 53
+91
 144

hex
 35
+5B
 90

53=0 0 1 1 0 1 0 1
 91=0 1 0 1 1 0 1 1

1 1 1 1 1 1 1

0 0 1 1 0 1 0 1

0 1 0 1 1 0 1 1

1 0 0 1 0 0 0 0 (144) [NEGATIVE]

CF=0 (no carry bit 6 to 7 and 7 to c) {carry
 from bit 6 to 7 but no carry
 from 7 to c}

OF=1 (we add two positive number but
 result negative, so OF =1 because 144 is
 outside of -128 to +127)

.

DEC	hex
53	35
-45	D3 (ignore carry)
<hr/> 8	<hr/> 108

53= 0 0 1 1 0 1 0 1

45= 1 1 0 1 0 0 1 1

1 1 1 0 1 1 1

0 0 1 1 0 1 0 1

1 1 0 1 0 0 1 1

1 0 0 0 0 1 0 0 0

CF =1 (carry bit 6 to 7 and 7 to c)

OF=0 (we add two positive number got positive, so OF =0 because result 8 is between -128 to +127) {carry from bit 6 to 7 and carry from bit 7 to C
OVERFLOW always 0 }

.

DEC

-98

-45

-143

hex

9E

+D3 (ignore carry)

171

0 0 1 1 1 1 0

1 0 0 1 1 1 1 0

1 1 0 1 0 0 1 1

1 0 1 1 1 0 0 0 1

CF=1 (no carry bit 6 to 7 but there is a carry from bit 7 to C)

OF=1 (we add two negative number got positive !!! That must not be correct. so OF set to 1, because result 171 is outside the range 128 to +127) {no carry from bit 6 to 7 and carry from bit 7 to C OVERFLOW always 1 }

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Parity Flag (PF)

.... 1 1 0 0 1 1 0  7 bit ascii code

 1 parity bit

Even parity: even number of 1 the parity bit is 1

Odd parity: odd number of 1 the parity bit is 0

26 (11010) parity = 0 {number of 1 odd }

102 (1100110) parity = 1 {number of 1 even }

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Auxiliary Flag (AX)

BCD → Binary coded number

Auxiliary Flag (AX)

No carry

3 1	31= 0 0 1 1 0 0 0 1
<u>+3 4</u>	34= 0 0 1 1 0 1 0 0
6 5	

0 0 1 1 0 0 0 1
<u>0 0 1 1 0 1 0 0</u>
0 1 1 0 0 1 0 1 (65)

Not defined

3 4	34= 0 0 1 1 0 1 0 0
<u>+3 7</u>	37= 0 0 1 1 0 1 1 1
7 1	

1 1 0 1 0 0 0
0 0 1 1 0 1 0 0
<u>0 0 1 1 0 1 1 1</u>
0 1 1 0 1 0 1 1 (6B)

1 to 9 . B is not recognize

Difference 06

Auxiliary Flag (AX)

$$\begin{array}{r} 28 \\ +29 \\ \hline 57 \end{array}$$

0 1 0 1 0 0 0 0

0 0 1 0 1 0 0 0

0 0 1 0 1 0 0 1

0 1 0 1 0 0 0 1 (51)

$$28 = 0010 \quad 1000$$

$$29 = 0010 \quad 1001$$

Difference 06

Auxiliary Flag (AX)

When AC=1 we should add 06 to the result

We will need to add 6.

How compiler do this ?

Auxiliary Flag (AX)

DAA → Decimal Adjust Accumulator

If it AC= 1 ;then compiler add 06 to the answer

when AC=0 ;then compiler do not add 06 to the answer

when nibble is > 09 it again add 06 to the answer

DAA only works on ADD,ADDC

Not works in SUB,SUBB,MUL,DIV

AX = 1 when there is a carry out from bit number 3 to bit number 4 on addition or borrow into bit number 3 during subtraction

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Zero flag

The zero flag is used to show us whether the:

- . Value of the indicated operation is zero
- .A subtraction resulted in a zero,
- .A decrement ended up being zero,
- .Or there was zero difference between the two values compared

Sign Flag (SF)

SF = 1 when the MSB of a signed number is 1.

10000001

here SF = 1

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2's compliment

Equation	binary	signed
2	= 0 0 0 0 0 0 1 0	2
1's compliment	1 1 1 1 1 1 0 1	
ADD 1	0 0 0 0 0 0 0 1	
2's compliment	1 1 1 1 1 1 1 0	-2

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A 16 bit number system can be used to create 65536 combinations (from 0 to 65535):
the first 32768 combinations (0 to 32767) represent positive numbers and next 32768 combinations (32768 to 65536) represent negative numbers.