## ECE2036

# Fall Semester, 2016

# Lab 4 – Dynamic Matrix Objects

Assigned: October 24, 2016 Due Before: Nov 7, 2016 @ 11:59PM

In this lab I would like for you to provide a set of libraries that your client can use to manipulate matrices of complex numbers. The concepts that I would like for you to explore in this lab are ones we have been developing in class, which are:

- 1. Class Composition: You will make a Matrix class, and have as data members information about number of rows, number of columns, and a 1-D array of complex numbers that are the values in your matrix. You will also construct your Complex class similar to what we did in class. You will need to make sure that your Complex class has a default constructor to use it correctly in this lab.
- 2. new and delete Operators: The user will dynamically specify the size of the matrix; therefore, you will need to dynamically allocate the array that holds the data. You will need to manage this data accordingly, which includes preventing memory leaks.
- 3. The Rule of Three: Because you are dealing with dynamic memory allocation you will need to overload the assignment operator, the destructor, and the copy constructor.
- 4. Operator Overloading: In addition to overloading the \*, +, and operators for matrices, I would like for you to overload the insertion stream operator for printing matrices and the parenthesis operator (i.e. ()) for accessing matrix elements. You can read about this in Chapter 10.5 in the textbook. You will also overload the ~ operator to produce the transpose of a matrix, and & unary operator to produce the conjugate transpose (see wikipedia for definition).
- 5. Use of the 'this' Pointer: You will need to make some explicit calls to the 'this' pointer in the lab, which will help you understand its use.
- 6. The use of inclusion guards in header files. Make sure that you have separate file structures for the class interface and the member function implementation as discussed in Chapter 9 of Deitel and Deitel.

For this lab, you will need to develop a basic Complex class to work with your Matrix Class. Therefore, you will have to manage files matrix.cc, matrix.h, complex.cc, complex.h, and main.cc. You will need to link these files together using the following command on deepthought.

g++ -std=c++0x main.cc matrix.cc complex.cc -o test\_matrix

For this lab, I am going to give you the client test code, which will be in the main.cc file. I will also give you *part* of the class interface for Matrix class as well. You must create your objects to be compatible with the client code and produce the desired output. You are not allowed to change the client code.

## **Complex Class**

I would like for you to call your class Complex. It should adhere to the following guidelines:

- 1. All data members need to be private. Also, I would like for you to have variables of type double that store the real and imaginary associated with the complex number object. I would also like for you to have a bool variable NaN (i.e. not a number) that is true if the client tries to store the result of a divide by zero.
- 2. Please have "set" and "get" functions for each data member in your class. Please use the naming convention that we have used in class (i.e. setVaribleName or getVariableName).
- **3.** I would like for you to have three different constructors.
  - a. One that has no arguments and sets all data members to zero or false.
  - **b.** One that has two double arguments that are the real and the imaginary component in rectangular format.
  - **c.** One that has one double argument that is just the real component. It is assumed that if the client uses this constructor that the number is purely real and the imaginary component is zero.
- **4.** Finally, in this lab I would like for you to start with a key concept in C++, which is "Overloading Operators."

Please notice in the client code in main.cc code that the '+' operator, for example, is sometimes used between complex objects and sometimes between matrix objects. Normally, you cannot do this automatically because the complex class, for example, is not a fundamental data type in C++; however, we can write a special member function that explicitly tells the compiler that we would like to use the '+' operator (or other operators) with our complex numbers. We might have an expression that looks like:

```
result = lhs + rhs;
```

The member function that is called with the above syntax is given below. Notice the keyword operator in the function signature.

```
Complex Complex::operator+(Complex RHS)
{
    Complex sum;
    //I am showing this for variety, but
    //I would like you to use set and get functions instead
    sum.real = getReal()+RHS.real;
    sum.imag = getImag()+RHS.imag;
    return(sum);
}
```

In addition, I would like for you to overload the '-', '\*', and '/' operator for your Complex class as well. Make sure that you handle special cases (e.g. divide by zero, etc..). I will assume that your ECE2026 knowledge will help you write these operator member functions accordingly.

In the class interface, you need to specify the operator function in the following way:

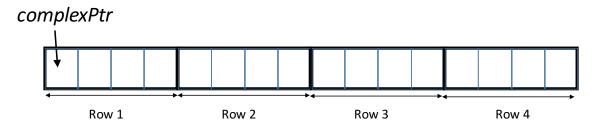
Complex operator+(Complex);

Please extend out example for the '+' operator to the other operators that you must create.

### **Matrix Class**

Please see the header file on the last page (before Appendix A) of this for some specifications for the Matrix class. You must adhere to the following guidelines:

1. I would like for you have at least one constructor that takes as arguments the number of rows and number of columns in the matrix. You will need to use the new operator to allocate memory accordingly for the matrix. Even though the matrix is a 2-D array, I would like for you to store the contents in a one-dimensional C++ dynamically allocated array. You will need to "unroll" the matrix into a linear array by storing the first row, then the second row, then the third row, etc.. For a 4x4 matrix might look something like the following...



- 2. If there is an error in matrix operations, for example the matrices may not agree in a multiplication, addition, or subtraction, then you can return a matrix with both rows and cols be equal to zero. The complexPtr for this "not-a-matrix" should just point to null.
- **3.** You will need to overload the ( ) operator so that you can access different elements in the matrix. The function prototype in the class interface would look like:

Complex & operator()(int,int);

You will also need to figure out how to overcome the zero indexing issue. For example, I would refer to each element in a 2x2 matrix, called A, in the following way.

A(1,1) = Complex(3,0); A(1,2) = Complex(3,7); A(2,1) = Complex(4,0);A(2,2) = Complex(7,10);

**4.** You will need to overload the \*, +, and – operator for matrix operations. You will also need to overload the unary operator ~ to indicate the regular transpose of the matrix and & to indicate the conjugate transpose. Just like in the book, I would like for you to overload the << operator. You will notice in the output code that if the number is real then this operator just prints out the real number only. In addition, if the number is pure imaginary this operator just prints out

the imaginary number only. Finally, I would also like for you to overload the \* operator with a complex number on *either* size of a matrix object.

- **5.** I would like for you to also have transpose and printMatrix non-operator member functions. These are a little redundant with the operators, but I would like for you to implement them nonetheless. Note, however, that this transpose member function will actually change object when called. Applying the ~ operator will not change the operand, but instead it will return a copy of an object that contains the transposed matrix.
- **6.** Make sure you have no memory leaks. Be careful in the assignment operator! Also make sure your destructor deallocates memory accordingly.

# Accessing DeepThought System

Instructions on accessing the deepthought system can be found in previous labs.

### **Source Code Text File**

On the deepthought system you will have to create a text file that contains your C++ code. We would recommend that you use emacs, vi, or pico to create your file.

Please make a directory (i.e. "folder") called Lab4 where you keep your files. To make this directory use the following command in your home directory:

#### mkdir Lab4

To go into this directory from your home directory, you can use the following command:

### cd Lab4

#### Turning in Lab4

The system administrator for the deepthought cluster has created a script that you are to use to turn in your project. The scripts are found in /usr/local/bin, which should be in the search path for everyone. From your home directory enter the following command at your prompt:

### turnin-ece2036a Lab4

This automatically copies everything in your Lab4 directory to a place that we can access (and grade) it.

```
Code in main.cc (Also provided to you on t-square in main.cc)
#include <iostream>
#include <iomanip>
#include "matrix.h"
#include "complex.h"
using namespace std;
int main()
//first let's declare an array of complex numbers
Complex a[5];
Complex result[5];
Complex test1(4.5,6.5);
Complex test2(8.0);
cout << "Testing test2 : " << test2 << endl;</pre>
//I will fill these with data
a[0].setComplex(3,4);
a[1].setComplex(-1,3);
a[2].setComplex(-1.23,-9.83);
a[3].setComplex(3.14,-98.3);
a[4].setComplex(2.71,1.61);
//Now print the data in polar format
cout << "\nPrint Array of Complex Numbers in Polar Format" << endl;</pre>
for (int i = 0; i < 5; i++)
 a[i].displayPolar();
}
//Now test the add function
cout << "\nTesting add operator a[0] + a[1]" << endl;
result[0] = a[0] + a[1];
result[0].displayRect();
//Now test the sub function
cout << "\nTesting subtract operator a[1] - a[2]" << endl;
result[1] = a[1] - a[2];
cout << result[1] << endl;</pre>
//Now test the multiply function
cout << "\nTesting multiply operator a[2] * a[3]" << endl;</pre>
result[2] = a[2] * a[3];
cout << result[2] << endl;
result[2].displayRect();
//Now test the divide function
cout << "\nTesting divide operator a[3] / a[4]" << endl;
result[3] = a[3] / a[4];
result[3].displayRect();
```

```
//Now test the divide by zero
cout << "\nTesting divide by zero a[4] / (0)" << endl;
result[4] = a[4] / Complex(0,0);
cout << result[4] << endl;</pre>
//Now display the results array in polar format
cout << "\nNow display the results array in polar format" << endl;</pre>
for (int i = 0; i < 5; i++)
{
    result[i].displayPolar();
}
Matrix A(3,3);
Matrix C(4,4);
Complex num(1,1);
int counter =0;
for (int i = 1; i <= 3; i++)
 for (int j = 1; j <= 3; j++)
    { A(i,j) = Complex(counter++,0); }
Matrix B(A);
cout << "A Matrix" << endl;</pre>
A.printMatrix();
cout << endl;
cout << "B transpose" << endl;</pre>
B.transpose();
cout << B << endl;
cout << endl;
cout << "The C matrix " << endl;</pre>
C(1,1) = num;
C(2,2) = Complex(4,2);
C(3,3) = Complex(1,1);
C(4,4) = Complex(0,1);
cout << C << endl;
A = B * B:
cout << "The A = B*B matrix is " << endl;</pre>
cout << A << endl;
cout << endl;
cout << "The transpose of A is then" << endl;</pre>
(~A).printMatrix();
cout << endl;
```

```
cout << "The matrix A is still the following" << endl;</pre>
cout << A << endl;
B = B + B;
cout << "The B = B+B matrix is " << endl;</pre>
cout << B << endl;
B = Complex(6,7)*B;
cout << "The B = (6+7j)*B gives B as " << endl;
cout << B << endl;
B = B*Complex(7,7);
cout << "The B = B*(7+7j) gives B as " << endl;
cout << B << endl;
B = &B;
cout << "The conjugate transpose of B is " << endl;
cout << B << endl;
A = C;
cout << "The A = A-A matrix is " << endl;</pre>
A = A - A;
cout << A << endl;
cout << "Try multiplying mismatched matrices" << endl;</pre>
C = A * B;
cout << C << endl;
cout << "Try adding mismatched matrices" << endl;</pre>
A = A + B;
cout << A << endl;
cout << "Try subtracting mismatched matrices" << endl;</pre>
A = A-B;
cout << A << endl;
return 0;
```

# Target Output (Also provided on t-square as output.txt)

```
[]esting test2 : 8.000000 + 0.000000j
Print Array of Complex Numbers in Polar Format
5.000000 < 0.927295
3.162278 < 1.892544
9.906654 < -1.69274
9.8.350138 < -1.538864
3.152174 < 0.536067
 Testing add operator a[0] + a[1]
2.000000 + 7.000000j
 Testing subtract operator a[1] - a[2]
0.230000 + 12.830000j
Testing multiply operator a[2] * a[3] -970.151439 + 90.040226j -970.151439 + 90.040226j
 Testing divide operator a[3] / a[4]
-15.071516 + -27.319136j
Testing divide by zero a[4] / (0)
Now display the results array in polar format
7.280110 < 1.292497
12.832061 < 1.552872
974.320818 < 3.049045
31.200734 < -2.074928
 11.20073
NaN
A Matrix
0.000000
3.000000
6.000000
                                                                                                                              2.000000
5.000000
8.000000
                                                               1.000000
4.000000
7.000000
B transpose
0.000000
1.000000
2.000000
                                                               3.000000
4.000000
5.000000
 The C matrix
1.000000 + 1.000000j
                                                              0.000000
                                                                                                                             0.000000
                                                                                                                                                                                             0.000000
0.000000
                                                               4.000000 + 2.000000.j
                                                                                                                             0.000000
                                                                                                                                                                                             0.000000
0.000000
                                                               0.000000
                                                                                                                              1.000000 + 1.000000j
                                                                                                                                                                                             0.000000
0.000000
                                                              0.000000
                                                                                                                             0.000000
                                                                                                                                                                                             1.000000j
The A = B*8 matrix is
15.000000
18.000000
21.000000
                                                                42.000000
54.000000
66.000000
                                                                                                                                69.000000
90.000000
111.000000
 The transpose of A is then 15.000000 42.000000 69.000000
                                                                18.000000
54.000000
90.000000
                                                                                                                                21.000000
66.000000
111.000000
 The matrix A is still the following
15.000000 42.000000
18.000000 54.000000
21.000000 66.000000
                                                                                                                                69.000000
90.000000
111.000000
 The B = B+B matrix is
0.000000
2.000000
4.000000
                                                                6.000000
8.000000
10.000000
                                                                                                                                12.000000
14.000000
16.000000
 The B = (6+7j)*B gives B as
0.000000
12.000000 + 14.000000j
24.000000 + 28.000000j
                                                                36.000000 + 42.000000j
48.000000 + 56.000000j
60.000000 + 70.000000j
                                                                                                                                72.000000 + 84.000000j
84.000000 + 98.000000j
96.000000 + 112.000000j
 The B = B*(7+7j) gives B as
0.000000
-14.000000 + 182.000000j
-28.000000 + 364.000000j
                                                                -42.000000 + 546.000000j
-56.000000 + 728.000000j
-70.000000 + 910.000000j
                                                                                                                                 -84.000000 + 1092.000000j
-98.000000 + 1274.000000j
-112.000000 + 1456.000000j
 The conjugate transpose of B is 0.000000 -14.000000 + -182.000000j -56.000000 + -728.000000j -84.000000 + -1092.000000j -98.000000 + -1274.000000j
                                                                                                                                 -28.000000 + -364.000000j
-70.000000 + -910.000000j
-112.000000 + -1456.000000j
 The A = A-A matri\times is 0.000000
                                                                0.000000
                                                                                                                                0.000000
                                                                                                                                                                                                0.000000
 0.000000
                                                                0.000000
                                                                                                                                0.000000
                                                                                                                                                                                                0.000000
 0.000000
                                                                0.000000
                                                                                                                                0.000000
                                                                                                                                                                                                0.000000
                                                                0.000000
 0.000000
                                                                                                                                0.000000
                                                                                                                                                                                                0.000000
Try multiplying mismatched matrices
Matrix Mismatch Error!
This matrix has zero elements
Try adding mismatched matrices
Matrix Mismatch Error!
This matrix has zero elements
Try subtracting mismatched matrices
Matrix Mismatch Error!
This matrix has zero elements
```

# Partial Class Interface in matrix.h

```
#ifndef MATRIX_H
#define MATRIX_H
#include <iostream>
#include "complex.h"
#include <string>
#define MATRIX_FIELD 30
//This is a class prototype to let the compiler know
//that I intend to define a class Matrix. It is needed
//for the global function definition that I put before
//the class Matrix as an example in this lab.
class Matrix;
std::ostream& operator<< (std::ostream &, const Matrix &);
Matrix operator*(Complex, Matrix &);
class Matrix
friend std::ostream& operator<< (std::ostream &, const Matrix &);
friend Matrix operator*(Complex, Matrix &);
//you put stuff in here!
};
#endif
```

# **APPENDIX A: ECE 2036 Lab Grading Rubric**

If a student's program runs correctly and produces the desired output, the student has the potential to get a 100 on his or her lab; however, TA's will **randomly** look through this set of "perfect-output" programs to look for other elements of meeting the lab requirements. The table below shows typical deductions that could occur.

In addition, if a student's code does not compile, then he or she will have an automatic 30% deduction on the lab. Code that compiles, but does not match the sample output can incur a deduction from 10% to 30% depending on how poorly the output matches the output specified by the lab. This is in addition to the other deductions listed below or due to the student not attempting the entire assignment.

## **AUTOMATIC GRADING POINT DEDUCTIONS**

Element	Percentage Deduction	Details
Does Not Compile	30%	Program does not compile on deepthought cluster!
Does Not Match Output	10%-30%	The program compiles but doesn't match all output exactly

## ADDITIONAL GRADING POINT DEDUCTIONS FOR RANDOMLY SELECTED PROGRAMS

Element	Percentage Deduction	Details
Correct file structure	10%	Does not use both .cc and .h files, implementing class prototype correctly
Encapsulation	10%	Does not use correct encapsulation in object-oriented objects
Setters/Getters	10%	Does not use setters and getters for each data member.
Constructors	10%	Does not implement constructors with the correct functionality.
Member or Global Function Specifications	10%	Does not implement each member function or global function specified in the lab assignment
Clear Self-Documenting Coding Styles	5%-15%	This can include incorrect indentation, using unclear variable names, unclear comments, or compiling with warnings. (See next page)

## **LATE POLICY**

Element	Percentage Deduction	Details
First Day	15%	This is within 24 hours of program due date
Each Additional Day	20% per day	The weekend (Sat/Sun) will count as one day

# **Appendix B: Good Programming Practices**

### Indentation

When using *if/for/while* statements, make sure you indent 2 to 4 spaces for the content inside those. For example...

```
for(int i; i < 10; i++)
j = j + i;
```

If you have nested statements, you should use multiple indentions. Your *if/for/while* statement brackets {} can follow two possible conventions. Each both getting their own line (like the *for* loop) OR the open bracket on the same line as the statement (like for the *if/else* statement) and closing bracket its own line. If you have *else* or *else* if statements after your if statement, they should be on their own line.

```
for(int i; i < 10; i++)
{
    if(i < 5) {
        counter++;
        k -= i;
    }
    else {
        k += i;
    }
    j += i;
}</pre>
```

## Camel Case (Suggested But Not Required)

This is simply the naming convention of each new word in a variable should be capitalized: firstSecondThird. This applies for functions and member functions as well! The main exception to this is class names, where the first letter should also be capitalized.

### Variable and Function Names

Your variable and function names should be clear about what that variable or function is. Do not use one letter variables, but use abbreviations when it is appropriate (for example: "imag" instead of "imaginary"). The more descriptive your variable and function names are, the more readable your code will be. This is an idea of self-documenting code.

#### Clear Comments

Some good opportunities to use comments are...

- Introducing a member function or class
- Introducing a section of code in a long function implementation
- Your name, class information, etc. at the beginning of the file

Some bad times to use comments are...

- To clarify what a variable represents (double x // imaginary component)
- To explain confusing code (you should probably rewrite it instead!)