https://github.com/t-o-k/Maxima-bezier/rational bezier curves 2d.wxmx

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## Resources:

"Drawing Circles with Rational Quadratic Bezier Curves" https://ctan.uib.no/macros/latex/contrib/lapdf/rcircle.pdf

"Graphics with MAXIMA" http://www.austromath.at/daten/maxima/zusatz/Graphics with Maxima.pdf

```
(%i1) kill(all)$
(%i2) load("draw")$
        load("bezier")$
(%i3) tau: 2*%pi$
(%i4) no of segments: 3$
(%i5) angle: tau/no of segments/2;
(angle) \frac{\pi}{3}
(%i6) r2: r1/cos(angle);
(r2)
        2 r1
(%i7) points evn x: r1*[cos(0*angle), cos(2*angle), cos(4*angle)];
(points_evn_x) [r1, -\frac{r1}{2}, -\frac{r1}{2}]
(%i8) points evn y: r1*[sin(0*angle), sin(2*angle), sin(4*angle)];
(points_evn_y) [0, \frac{\sqrt{3} r1}{2}, -\frac{\sqrt{3} r1}{2}]
(%i9) points odd x: r2*[cos(1*angle), cos(3*angle), cos(5*angle)];
(points_odd_x) [r1, -2 r1, r1]
(%i10) points odd y: r2*[sin(1*angle), sin(3*angle), sin(5*angle)];
(points_odd_y) \sqrt{3} r1.0. - \sqrt{3} r11
```

- (%i12) points1\_x: [ points\_evn\_x[1], points\_odd\_x[1], points\_evn\_x[2] ]\$
  points1 y: [ points evn y[1], points odd y[1], points evn y[2] ]\$
- (%i14) points2\_x: [ points\_evn\_x[2], points\_odd\_x[2], points\_evn\_x[3] ]\$ points2 y: [ points evn y[2], points odd y[2], points evn y[3] ]\$
- (%i16) points3\_x: [ points\_evn\_x[3], points\_odd\_x[3], points\_evn\_x[1] ]\$ points3 y: [ points evn y[3], points odd y[3], points evn y[1] ]\$
- (%i17) weights: matrix([ 1, cos(angle), 1 ]);

(weights) 
$$\left(1 \quad \frac{1}{2} \quad 1\right)$$

(%i18) define(f1\_x(s), rational\_bezier\_function\_1a(matrix(points1\_x), weights, s));

(%018) 
$$fl_X(s) := \frac{-\frac{r1s^2}{2} + r1(1-s)s + r1(1-s)^2}{s^2 + (1-s)s + (1-s)^2}$$

(%i19) define(f1\_y(s), rational\_bezier\_function\_1a(matrix(points1\_y), weights, s));

(%019) 
$$f1_y(s) := \frac{\frac{\sqrt{3} r1 s^2}{2} + \sqrt{3} r1 (1-s) s}{s^2 + (1-s) s + (1-s)^2}$$

(%i20) define(f2\_x(s), rational\_bezier\_function\_1a(matrix(points2\_x), weights, s));

$$(\%020) \ f2_{\chi}(s) := \frac{-\frac{r1 s^{2}}{2} - 2 r1 (1-s) s - \frac{r1 (1-s)^{2}}{2}}{s^{2} + (1-s) s + (1-s)^{2}}$$

(%i21) define(f2\_y(s), rational\_bezier\_function\_1a(matrix(points2\_y), weights, s));

(%021) 
$$f2_y(s) := \frac{\sqrt{3} r1 (1-s)^2}{2} - \frac{\sqrt{3} r1 s^2}{2}$$

$$s^2 + (1-s) s + (1-s)^2$$

(%i22) define(f3\_x(s), rational\_bezier\_function\_1a(matrix(points3\_x), weights, s));

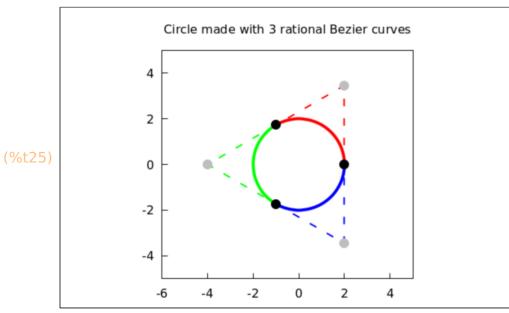
(%022) 
$$f3_{x}(s) := \frac{r1 s^{2} + r1 (1-s) s - \frac{r1 (1-s)^{2}}{2}}{s^{2} + (1-s) s + (1-s)^{2}}$$

(%i23) define(f3\_y(s), rational\_bezier\_function\_1a(matrix(points3\_y), weights, s));

(%023) 
$$f3_y(s) := \frac{-\sqrt{3} r1 (1-s) s - \frac{\sqrt{3} r1 (1-s)^2}{2}}{s^2 + (1-s) s + (1-s)^2}$$

(%i24) r1: 2\$

```
(%i25) wxdraw2d(
         title = "Circle made with 3 rational Bezier curves",
         proportional axes = xy,
         xrange = [-6, +5],
         yrange = [-5, +5],
         line width = 4,
         color = red,
         parametric(f1_x(s), f1_y(s), s, 0, 1),
         color = green,
         parametric(f2_x(s), f2_y(s), s, 0, 1),
         color = blue,
         parametric(f3 x(s), f3 y(s), s, 0, 1),
         line width = 2,
         line type = dashes,
         point type = none,
         points joined = true,
         color = red,
         points("points1_x, "points1_y),
         color = green,
         points("points2 x, "points2 y),
         color = blue,
         points("points3_x, "points3_y),
         point size = 2,
         point type = filled circle,
         points joined = false,
         color = black,
         points("points_evn_x, "points_evn_y),
         color = gray,
         points("points odd x, "points odd y)
       );
```



(%025)