

# The $\chi$ pod and gusT processing package

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# **Part I**

## **Calibration**

# **Chapter 1**

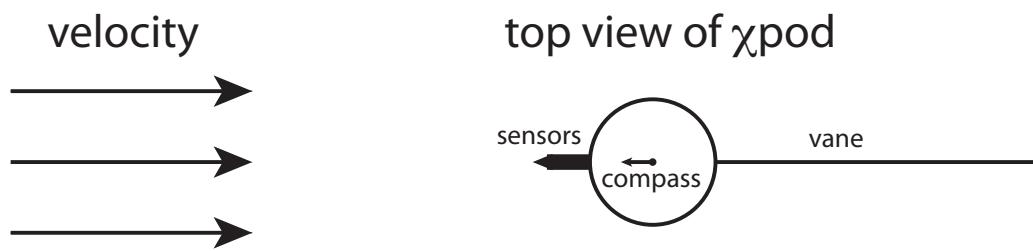
## **Compass**

It can be confusing how the angles from the compass in  $\chi$ pods compare to flow direction, and how to ensure correct compass calibration. This document will cover the following:

1. How the compass is orientated within the  $\chi$ pod
2. How to convert from  $\chi$ pod compass angle to flow angle
3. How to include a compass offset
4. How to include magnetic declinations
5. Checking compass calibration with Pitot and ADCP
6. Errors to be aware of

### **1.1 Compass orientation within the $\chi$ pod**

If the compass is placed correctly within the  $\chi$ pod, it will be orientated such that it points towards the sensor tips. Therefore, it will read  $0^\circ$  when the sensor tips are pointed northward. Figure 1.1 shows a diagram of how the compass is orientated within the  $\chi$ pod.

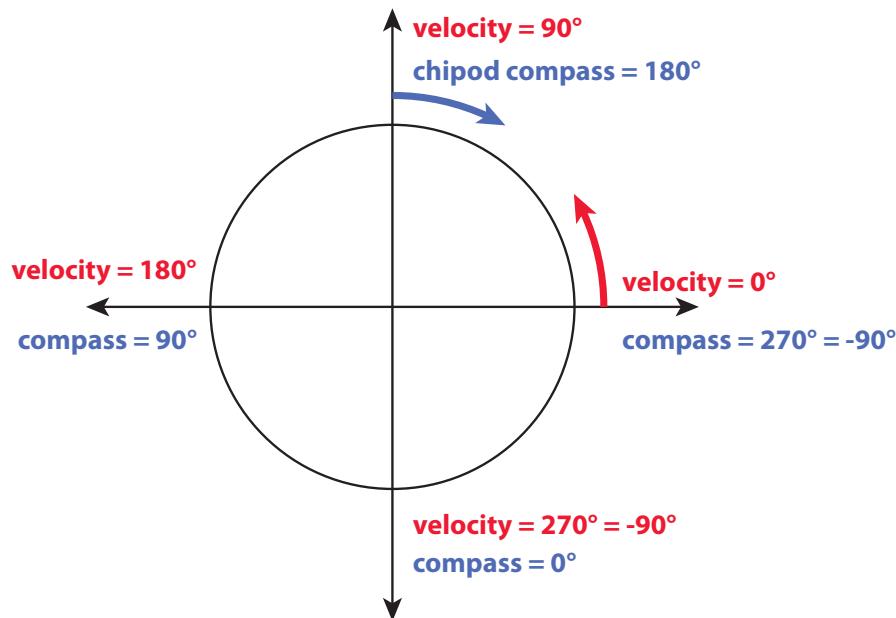


**Figure 1.1:** A perfectly installed compass should align with the sensors. The xpod vane will steer the sensors into the flow.

## 1.2 Converting from xpod compass to flow direction

Converting between compass angle and flow direction is confusing for 2 reasons:

- The compass uses heading orientation with north =  $0^\circ$ , and increasing clockwise such that east =  $90^\circ$ , south =  $180^\circ$ , and west =  $270^\circ = -90^\circ$ . This is different from velocity for which we typically use vector notation with east =  $0^\circ$ , and angles increasing counterclockwise such that north =  $90^\circ$ , west =  $180^\circ$ , and south =  $270^\circ = -90^\circ$ .
- Additionally, the sensors point *toward* the flow so they indicate the direction the flow is *coming from* not the direction to which it is going. Therefore, flow to the north would give a compass reading of  $180^\circ$  since the sensors would be pointed to the south. See Figure 1.2 for a complete comparison of angles.



**Figure 1.2:** Angles of flow direction in vector notation (red) and the corresponding compass readings within the xpod. This assumes, of course, that the xpod sensors are vaneed to face directly into the flow.

The formula that can be used to convert xpod compass angle to flow direction (in vector reference frame) is:

$$\theta_{flow} = -(\theta_{compass} + 90^\circ) \quad (1.1)$$

Alternatively, to convert from flow direction to compass:

$$\theta_{compass} = -(\theta_{flow} + 90^\circ) \quad (1.2)$$

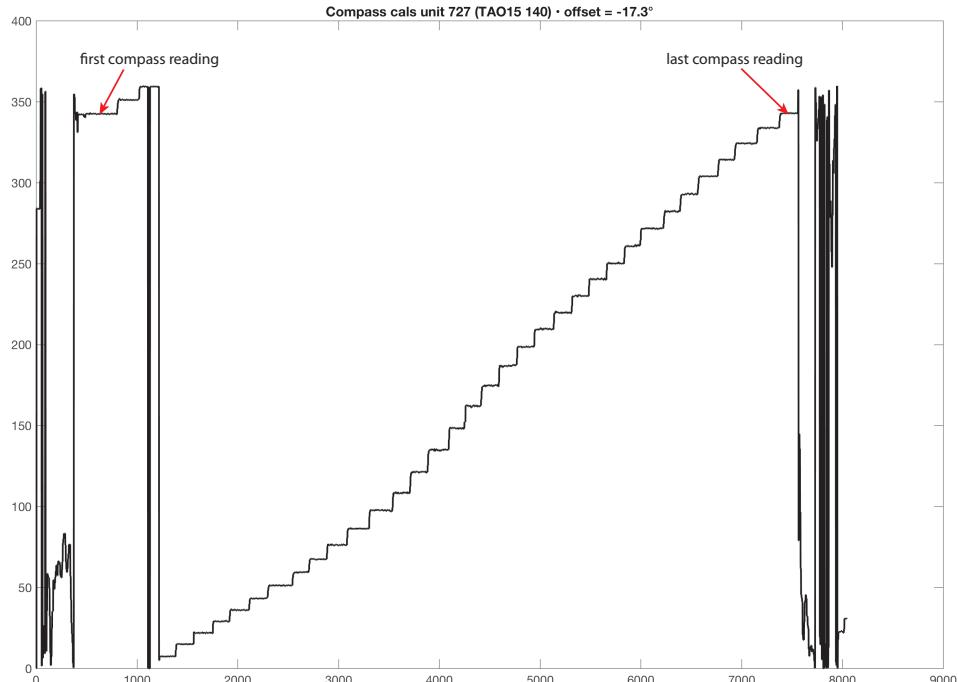
## 1.3 How to find the compass offset

When the  $\chi$ pods are built, the compass may not be put into the  $\chi$ pod casing precisely such that the compass points directly to the sensors. Therefore, the compass is calibrated prior to deployment so we know what the offset is between the sensor direction and the compass direction. To do this, the engineers take the  $\chi$ pod into the woods away from magnetic sources and point the sensors to the north. They wait a minute, then rotate the  $\chi$ pod  $10^\circ$  clockwise. They repeat this all the way around the circle until the  $\chi$ pod sensors are again pointing toward the north.

Compass calibrations will be saved in a folder called something like “/Calibrations/compass/” within each  $\chi$ pod deployment folder. To view the compass calibrations:

```
% load compass calibration file, which would have a name like CMP_00000000.UNT
[data, head] = raw_load_chipod('CMP_00000000.UNT');
figure
plot(data.CMP/10)
```

This will create a figure that shows the compass calibrations (see Fig. 1.3 for an example). There should be 37 steps of  $10^\circ$  increments. Use `ginput` to select the first and last values to get the offset between the sensor tips and the compass.



**Figure 1.3:** Data from  $\chi$ pod compass calibration. Compass angle in degrees between  $0^\circ$  and  $360^\circ$  on y-axis, unimportant time steps on x-axis. Use `ginput` to get first and last value. In this case, the offset was found to be  $342.7^\circ = -17.3^\circ$ .

To apply this offset to the header.mat calibration file, use the following commands in MATLAB. UNT is the unit number, DIR is the directory of the xpod processing which contains folders like calib, mfiles, input, proc, raw, etc., and OFFSET is the angle found using ginput from the compass calibration file. It is important to include the negative offset in the header file (head.mat) because this is the value that is *added* to all of the compass readings.

```
% move to the correct directory
cd DIR
% load the header file that includes all of the calibrations
load calib/header.mat
% display the compass calibration which should be [0; 1; 0; 0; 0]
head.coef.CMP
% add the offset to the header. **Input the NEGATIVE of OFFSET**
head.coef.CMP(1) = -OFFSET
% save the updated header
save calib/header.mat head
```

## 1.4 How to include magnetic declinations

Magnetic declination arises because the magnetic field of the earth is not uniform. This is especially important in the Pacific Northwest: a compass pointing directly north will give a reading of about  $15^\circ$  east of north due to the large mass of the Cascade mountains to the east. Note that the magnetic declination changes slowly over time. This needs to be included in the compass calibrations!

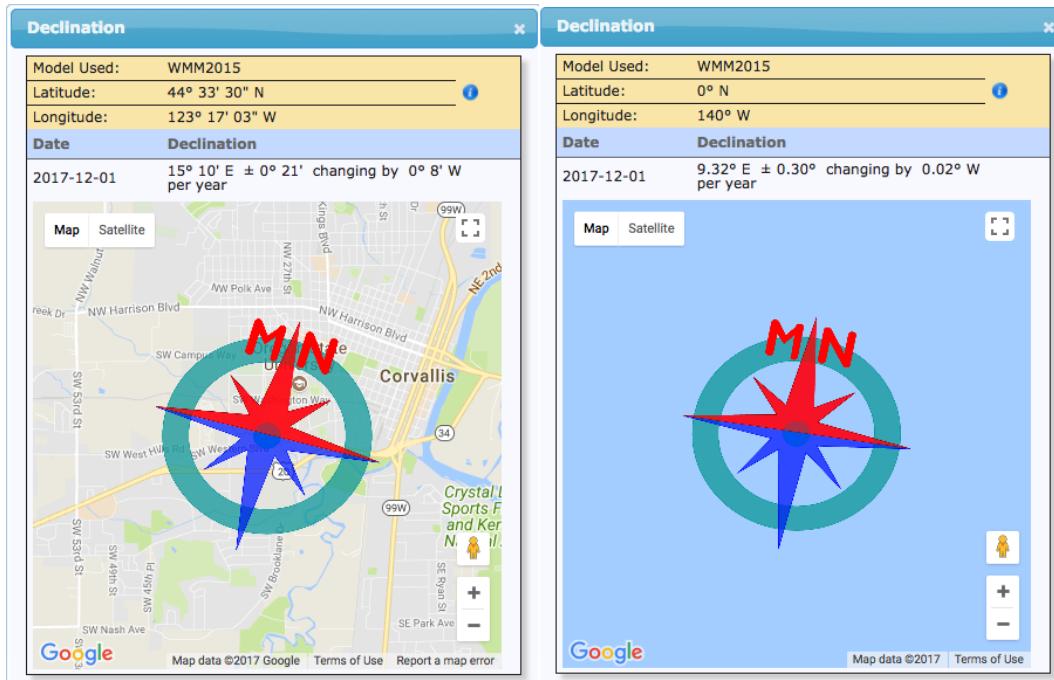
Look up the magnetic declinations in Corvallis where the instrument was calibrated and at the deployment location on the following website:

<https://www.ngdc.noaa.gov/geomag-web/#declination>

In 2017, the magnetic declination in Corvallis was about  $15^\circ$ E (Fig. 1.4). The magnetic declination at  $0^\circ$ ,  $140^\circ$ W, where many xpods are deployed is  $9.3^\circ$ .

Now, instead of just inputting the OFFSET into the header calibrations, you'll want to include the declinations. Repeat the steps in the previous section, but include the declinations:

```
% add the offset and declinations to the header
head.coef.CMP(1) = -OFFSET - DECL_CORVALLIS + DECL_DEPLOYMENT
% don't forget to save the updated header
save calib/header.mat head
```



**Figure 1.4:** The magnetic declination in Corvallis and at  $0^\circ$ ,  $140^\circ W$  on December 1, 2017.

For our example, the offset was  $-17.3^\circ$ , the magnetic declination in Corvallis was  $15.2^\circ$ , and the magnetic declination at the deployment location was  $9.3^\circ$ . Therefore, we set the header coefficient to be  $11.4^\circ$  ( $-17.3 - 15.2 + 9.3 = 11.4$ ).

Alternately, within the `xpod_gust` software, you can include the compass offset and magnetic declinations in `pre_driver.m` (shown with example values input into code):

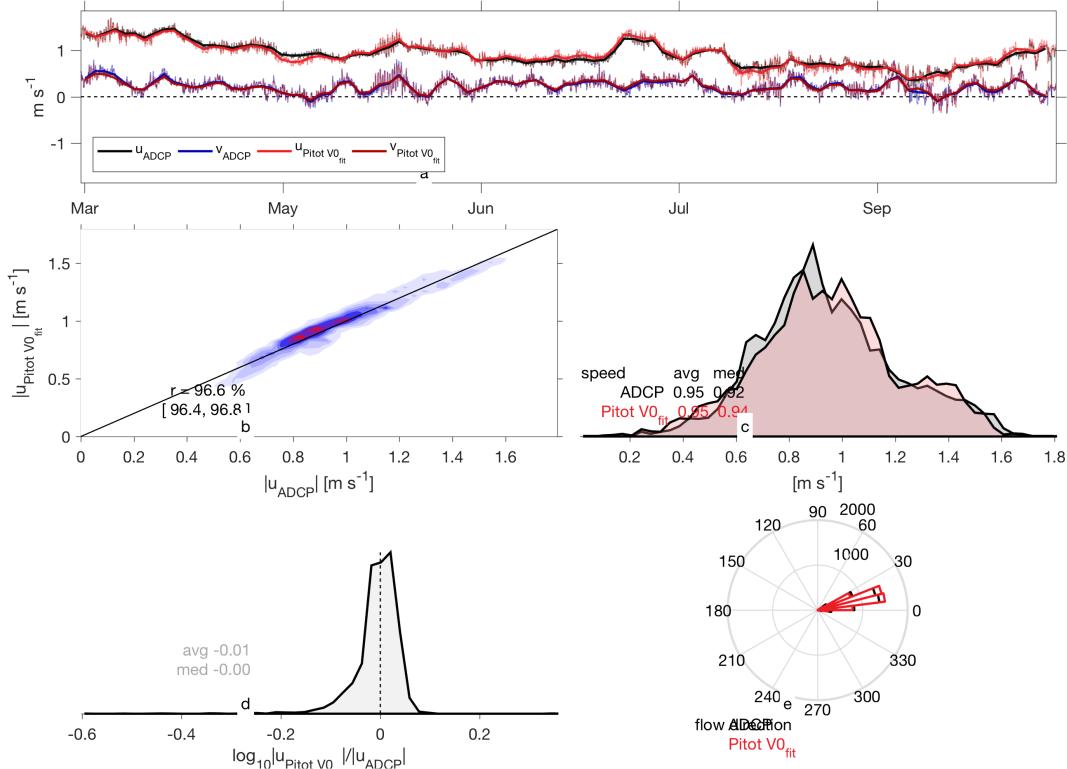
```

LINE 24     modify_header = 1;      % if 1, specify header corrections below
LINE 25                           % (e.g. declination)
LINE 26
LINE 27     % get declination: https://www.ngdc.noaa.gov/geomag-web/#declin
LINE 28     CompassOffset = -17.3; % exact value from calibration file
LINE 29                           % (no sign changes!)
LINE 30     DeployDecl = 9.3;   % at deployment location
LINE 31     CorvallisDecl = 15+10/60; % at corvallis
...
LINE 81     head.coef.CMP(1) = -CompassOffset - CorvallisDecl + DeployDecl;

```

## 1.5 Checking compass calibrations with Pitot and ADCP

If you have ADCP data and the compass has been calibrated correctly, pitot derived velocities should match up very well with ADCP velocities. Fig. 1.5 shows the output from `calibrate_pitot`. Additionally, when `calibrate_pitot` is run, an angle offset between the ADCP and pitot is printed to the screen. This should be small (i.e.  $< 5^\circ$ ).



**Figure 1.5:** Output of `calibrate_pitot` when the compass has been correctly calibrated. ADCP and pitot velocities match closely.

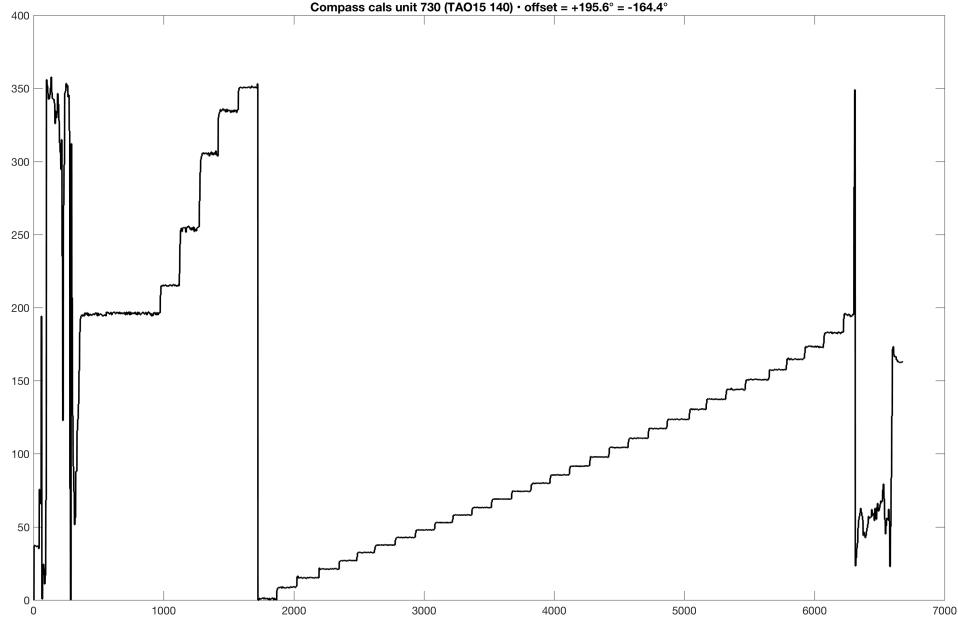
## 1.6 Errors to be aware of

There are a few problems that can arise.

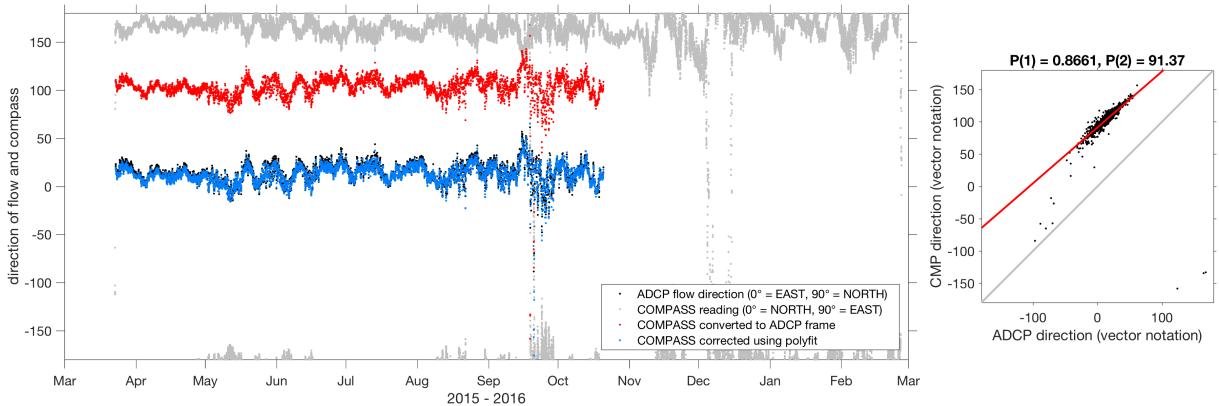
### 1.6.1 Nonlinear compass calibrations

There have been a few cases where the compass calibrations look very nonlinear (e.g. Fig. 1.6). In other words, the compass steps during the calibration are not all  $10^\circ$ . Some are as big as  $50^\circ$ , and many are  $< 5^\circ$ .

To fix this, we did not use the compass calibration from Fig. 1.6, which was  $195.6^\circ$ . Instead, we manually found the offset that got the compass direction to match the flow direction as measured by the ADCP (Fig. 1.7). The new offset is found to be  $91.4^\circ$ . A big difference! This would not work as well in cases where the current was not uniformly flowing in one direction as it was for this xpod.



**Figure 1.6:** Example of bad compass calibrations. Not all steps are equal.



**Figure 1.7:** Manually finding the compass offset that makes the compass match the ADCP. Flow direction from ADCP (black dots), compass readings in heading coordinates (gray dots), compass readings converted to vector coordinates (red), compass readings in vector coordinates with an offset of  $91.37^\circ$  applied.

### 1.6.2 Bad comparison between ADCP and Pitot

Sometimes, the comparison between the ADCP and the pitot are just plain bad. This is somewhat hard to diagnose. Maybe the pitot goes bad. Try doing the calibration over a

shorter period of time and look for jumps in the signal. Maybe the compass calibrations are bad, in which case trust the angle given in the ADCP vs pitot comparison.

You can ignore the compass in the  $\chi$ pod processing by setting

```
pflag.master.use_compass = 0;
```

in `main_driver.m`. This will assume that the  $\chi$ pod is always perfectly vaned directly into the flow. When the compass is bad, the pitot will be able to give speed but not direction unless there is an ADCP to compare to.

### 1.6.3 Declinations already included in the calibration

There were some cases where the magnetic declination was being included in the compass calibrations. I'm not sure how this was being done. It's impossible to know whether they were or weren't included unless a note is added in the calibration folder. If you suspect this may be the case, (1) ask Pavan if he remembers how the compass was calibrated, (2) try adding and subtracting the declination in Corvallis to see if that helps, or just (3) use the ADCP to pitot comparisons to get the compass offset.

# **Chapter 2**

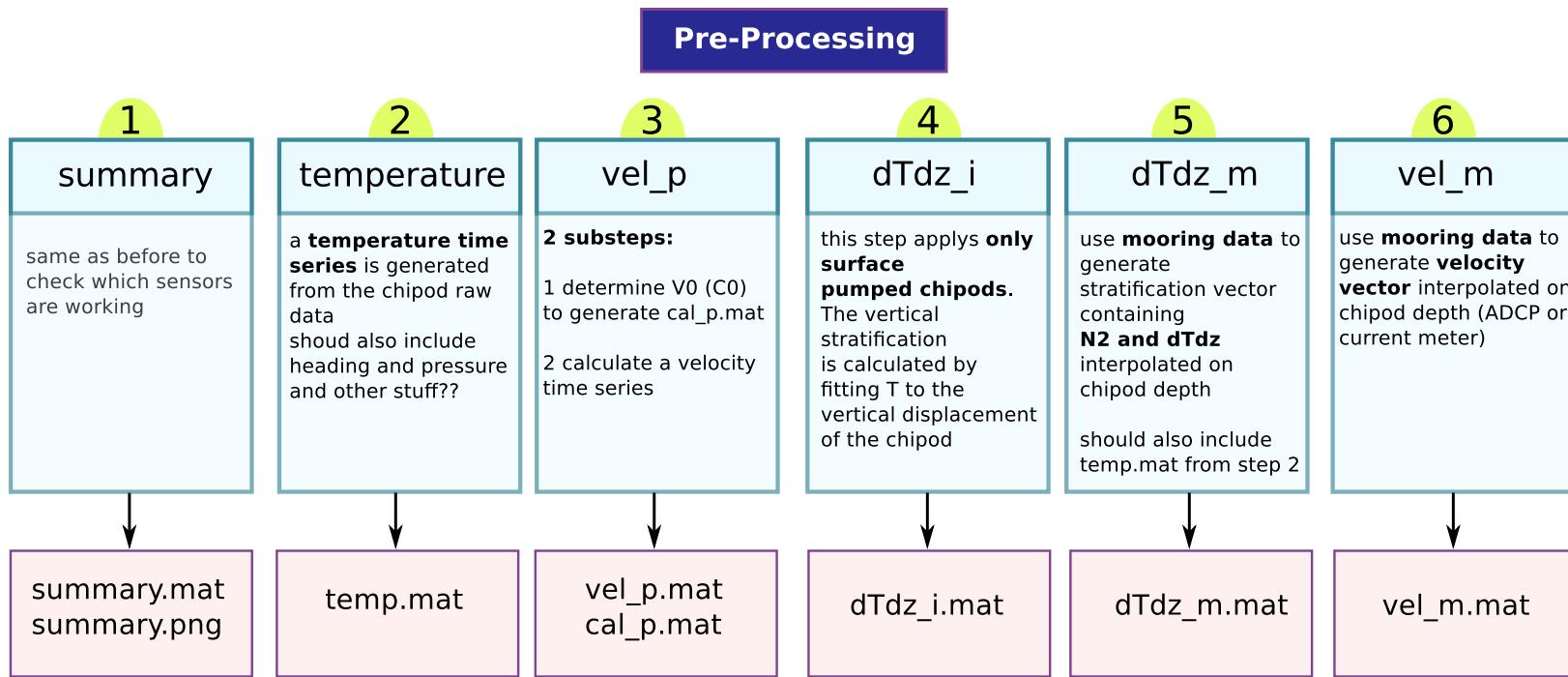
## **Pitot-static tubes**

## **Part II**

## **Processing**

# **Chapter 3**

**pre\_driver**



# **Chapter 4**

**main\_driver**

# Chapter 5

## **combine\_turbulence**

This is the final step.

### **5.1 Masking criteria/thresholds**

#### **5.1.1 Background stratification: min\_dTdZ, min\_N2, additional\_mask\_dTdZ**

Minimum  $dT/dz, N^2$  required for valid computation of  $\chi, K_T, J_q^t$

The Seabird SBE-37 datasheet says (<http://www.seabird.com/sbe37si-microcat-ctd>)

- T is accurate to  $2 \times 10^{-3} \text{ }^\circ\text{C}$
- conductivity is accurate to  $3 \times 10^{-3} \text{ psu}$  (approx!)

i.e.,

- $dT/dz$  is accurate to  $(2 \times 2 \times 10^{-3})/dz$
- $dS/dz$  is accurate to  $(2 \times 3 \times 10^{-3})/dz$

**5.1.2 Sensor deaths: `T1death, T2death; nantimes{1, 2, 3}`**

**5.1.3 Averaging: `avgwindow, avgvalid`**

**5.1.4 Orientation / sensed-volume-flushing**

**5.1.5 Background flow speed: `min_inst_spd, min_spd, additional_mask_*`**

**5.1.6 Maximum thresholds on  $\epsilon, \chi, K_T, J_q^t$**

**5.1.7 Deglitching: `deglitch_window, deglitch_nstd`**

## 5.2 Useful Functions

**5.2.1 ChooseEstimates**

**5.2.2 chiohd (variable)**

combine\_turbulence saves the *unmasked* chi structure as chiohd after calculating Kt, Jqt but before doing any processing. Useful in checking masking.

**5.2.3 TestMask**

Lets you quickly iterate through various thresholds for a particular criterion.

Throws up a figure with histograms of counts to compare.

Example usage:

```
TestMask(chi, abs(chi.dTdZ), '<', [1e-4, 3e-4, 1e-3], 'Tz'); \\
```

This will iterate and mask using chi.dTdZ < 1e-4, then chi.dTdZ < 3e-4 and finally chi.dTdZ < 1e-3. Each iteration is **independent** of the previous one.

### 5.2.4 DebugPlots

Usually, you want to see the effect of different masking thresholds in a small subset of the time series of  $\chi, \varepsilon$  etc.

Example usage:

```
chi = chiold; \% reset to unmasked structure\\
 \% apply 3 different thresholds\\
chi1 = ApplyMask(chi, abs(chi.dTdz), '<', 1e-4, 'T\(_{\text{z}}\)\_<\_1e-4');\\
chi2 = ApplyMask(chi, abs(chi.dTdz), '<', 1e-3, 'T\(_{\text{z}}\)\_<\_1e-3');\\
chi3 = ApplyMask(chi, abs(chi.dTdz), '<', 2e-3, 'T\(_{\text{z}}\)\_<\_2e-3');\\
\vspace*{1em}
t0 = datetime(2016, 12, 10);\\
t1 = datenum(2016, 12, 12);\\
tavg = 600;\\
\vspace*{1em}
hf = figure;\\
 \% plot 10 minute averages (tavg) of quantities in structure chi\\
 \% between [t0, t1] and label them as 'raw' in figure window hf\\
DebugPlots(hf, t0, t1, chi, 'raw', tavg);\\
\vspace*{1em}
 \% compare different masking; label appropriately\\
DebugPlots(hf, t0, t1, chi1, '1e-4', tavg);\\
DebugPlots(hf, t0, t1, chi2, '1e-3', tavg);\\
DebugPlots(hf, t0, t1, chi3, '2e-3', tavg);\\
```

### 5.2.5 DebugRawData

The idea is to connect Turb.() to the raw-ish data.

Requires structure T from temp.mat.

### 5.2.6 Histograms2D

# **Part III**

# **Appendix**

# Appendix A

## Winters & D'Asaro (1996): $K_T$ , $J_q^t$ from $\chi$

### A.1 Theory

Osborn & Cox:

$$J_q^t \sim \frac{\langle \chi \rangle}{\langle \frac{\partial T}{\partial z} \rangle} \quad (\text{A.1})$$

These angle brackets are interpreted as a time average for  $\chi$ pods and a depth-bin average for profilers like Chameleon.

The Osborn & Cox formulation is not well behaved when stratification is low. It gets worse in places with large salinity influence: large enough that  $T_z < 0$  some of the time. When  $T_z$  crosses through zero, the estimates of  $K_T$ ,  $J_Q^t$  blow up. In these cases, getting “reasonable” values for  $K_T$  and  $J_q^t$  requires masking out estimates when  $T_z$  is less than some ill-defined threshold.

Winters & D'Asaro derive the continuous form:

$$J_q^t = \frac{dz^*}{dT} \langle \chi \rangle_{z^*} \quad (\text{A.2})$$

$z^*$  being the “reference” state — usually a fully sorted 3D scalar field. In practice, we approximate this by Thorpe sorting single vertical profiles. The angle brackets represent averaging in “isoscalar” (isothermal) space.

The Winters & D'Asaro formulation has the advantage that it can be well-defined for low gradients — by thinking about distances between isoscalar surfaces. The idea is that the averaging occurs in a volume between two isothermal surfaces. The required

gradient is then the average spacing between these two surfaces. Doing this requires treating the  $\chi$  pod as a profiler, being pumped by surface waves. We can keep track of the isotherms seen by the  $\chi$  pod in a chunk of data; and estimate the average distance between those isotherms as the  $\chi$  pod is pumped up and down. For dense enough sampling this average distance should ideally converge to the distance between the isotherms in the fully sorted field (this being the necessary gradient). Note that the  $\chi$  pod densely samples approximately 1-2 metres of the water column.

Why is the gradient of the (full 3D) sorted field the right gradient to use?

- Mixing acts to change the background potential energy of the fluid — the BPE is determined by computing the PE of the 3D-sorted density field.
- We want to infer the heat flux that goes into changing this BPE i.e. a sensible definition of heat flux is that which changes BPE by a given amount.
- The way to do this is to locate our  $\chi$  observations in the *sorted reference state* and then compute heat flux — the appropriate gradient being that of the sorted state.

In practice, we approximate the gradient of the full 3D sorted state by differencing mooring CTDs, fitting a straight line to 50Hz temperature measurements (internal estimate) or sorting 1D profiles (as we do here).

An objection is that we know  $T$  at 100Hz and  $\chi$  at 1Hz; and we want to sort  $T$  at the highest possible frequency. Consider however the discrete form of  $J_q^t$  defined in Winters & D'Asaro (1996). Let  $A_S$  is the surface-area of an extremely warped (stirred) temperature surface  $S$  and  $A$  be the area of that surface when it is flattened out so that  $g$  is normal to it (Figure A.1).  $J_q^t$  is the diffusive flux normal to the warped surface  $S$  i.e.  $\kappa \nabla T \cdot \hat{n}$  integrated over  $S$  —  $\kappa$  is molecular diffusivity and  $\nabla T \cdot \hat{n} = |\nabla T| \approx \Delta T / \Delta n$ .

$$AJ_q^t = \kappa \int_S \nabla T \cdot \hat{n} dS \quad (\text{A.3})$$

$$J_q^t = \frac{1}{A} \int_S \kappa |\nabla T| \frac{\Delta T}{\Delta n} \frac{\Delta n}{\Delta T} \frac{\Delta z_*}{\Delta z_*} dS \quad (\text{A.4})$$

$$= \frac{1}{A \Delta z_*} \int_S \chi \frac{\Delta z_*}{\Delta T} \Delta n dS \quad (\text{A.5})$$

$\Delta z_*/\Delta T$ , a property of the sorted background state, is independent of the instantaneous shape of the isothermal surface  $S$ . So we can write

$$J_q^t = \frac{\Delta z_*}{\Delta T} \frac{1}{A \Delta z_*} \int_S \chi \Delta n dS = \frac{\Delta z_*}{\Delta T} \frac{1}{\Delta V} \int_{\Delta V} \chi dV, \quad (\text{A.6})$$

since  $z_*$  is defined such that

$$A\Delta z_* = \int_S \Delta n \, dS = \Delta V = \text{volume of fluid between surfaces separated by } \Delta z_* \text{ or } \Delta T. \quad (\text{A.7})$$

$J_q^t$  is the product of  $\Delta z_*/\Delta T$  and the *volume-averaged*  $\chi$  between those two surfaces separated by  $\Delta T$ ,  $\Delta z_*$ . In low stratification, estimating the spacing requires high-resolution temperature measurements but that is exactly what the  $\chi$ pod does.

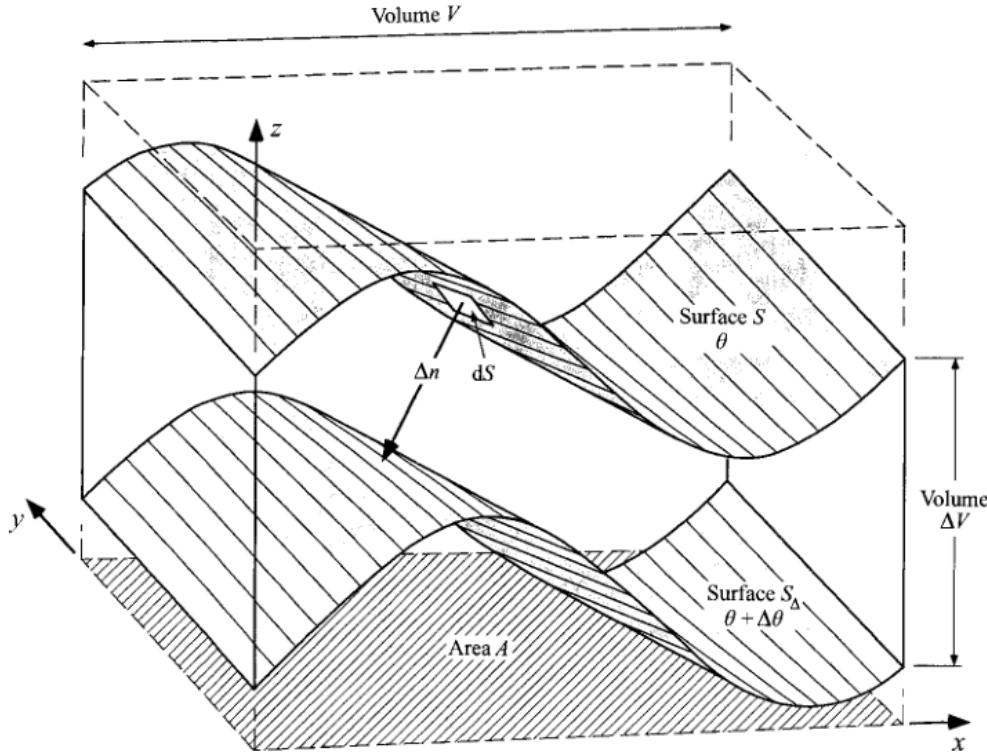


FIGURE 1. Schematic of two isoscalar surfaces in a volume  $V$  with cross-sectional area  $A$ . Diascalar flux changes  $\Delta V$ , the volume of fluid between the surfaces  $S$  and  $S_\Delta$  defined by the scalar values  $\theta$  and  $\theta + \Delta\theta$ .

Figure A.1: Figure reproduced from Winters & D'Asaro (1996).

## A.2 Algorithm

Consider a 1 minute (configurable parameter) chunk of data.

- Once  $\chi$  has been estimated, we have  $\chi \equiv \chi(t) \equiv \chi(T_1)$ ,  $T_1$  is the 1-second averaged temperature time series.
- We can divide the temperature time series into  $N$  quantiles, bin the  $\chi$  estimates in these temperature bins and then average them to get  $\langle \chi \rangle \equiv \chi(\Delta T_{\text{bins}})$ .  $\Delta T_{\text{bins}}$

represents the bins between bin edges  $T_{\text{bins}}$ . This is what Winters & D'Asaro (1996) call “isoscalar averaging” — every  $\chi$  estimate made between 2 isothermal surfaces is averaged together.

- Next, we need to determine the average distance between the isothermal surfaces  $T_{\text{bins}}$ .
  - Determine the start and end of “up-” and “down-”casts using the intergrated accelerometer. Discard those that aren't sufficiently long enough.
  - Sort the temperature associated with each “up-” and “down-cast” individually.
  - Find the location of the chosen isotherms ( $T_{\text{bins}}$ ) in the sorted profiles and difference them to get  $\Delta z(\Delta T_{\text{bins}})$  in each profile.
  - Average  $\Delta z(\Delta T_{\text{bins}})$  in isothermal space to get  $\langle \Delta z \rangle$ ; i.e. average every  $\Delta z$  measurement for each bin.  $\langle \Delta z \rangle$  is the average distance between the isotherms represented by the bin edges  $T_{\text{bins}}$ .
  - $\langle \Delta z \rangle / \Delta T_{\text{bins}}$  is the necessary gradient for each bin.
- 

$$J_q^t = -\frac{1}{2} \frac{\langle \Delta z \rangle}{\Delta T_{\text{bins}}} \langle \chi \rangle \quad (\text{A.8})$$

We now have a  $J_q^t$  estimate for each temperature bin. Depth-average this value to get the *volume-average  $J_q^t$  in the volume sampled by the  $\chi$ pod in the 60 second chunk of data*

## A.3 Some considerations

### A.3.1 Minimum recoverable $dz_*/dT +$ noise floors

We use the method of Mudge & Lueck (1994) to combine the 50Hz temperature time-series  $T$  (resolution  $\approx 1\text{mK}$ ) and the 100Hz  $T'$  to obtain an “enhanced” time-series (resolution  $\approx 0.01\text{mK}$ )<sup>1</sup>. The code was copied over from `mixingsoftware/marlcham/combine_ttc.m`. The temperature noise floor is not a problem then.

When  $T'$  is at its noise floor, that means there's no temperature fluctuations and we are either passing through a fully homogeneous patch or a non-turbulent patch. For these

---

<sup>1</sup>The differentiator uses the analog signal from the temperature sensor as input; so the noise floor in  $T'$  and  $T$  are different.

time instants, the enhanced temperature time series is set to the last valid observation (using `fillmissing(..., 'previous')`). Note that  $\chi$  will be set to 0 for the same time instants in `do_combine_turbulence`.

The mean temperature gradient time series in `chi().wda.dTdZ` will *never recover a zero gradient* i.e. there is a lower bound to detectable mean gradients. The easy way to see this is that in homogeneous fluid there are no temperature surfaces to form bins and so we cannot infer a gradient (also  $J_q^t = 0$  which we recover by setting  $\chi = 0$  when  $T'$  is at noise floor). As long as we choose a long enough time chunk within which to sort profiles, the `xpod` will sense some temperature fluctuations which can then be sorted to yield finite gradients (the sensed  $\Delta T$  is a function of time chunk  $\Delta t$  for smallish  $\Delta t$ ). The lower bound on detectable gradient seems to be around  $2 \times 10^{-3} \text{ }^\circ\text{C m}^{-1}$ .

### A.3.2 Sign of vertical heat flux

When salinity controls density, it is possible that  $dT/dz < 0$  for extended periods of time. Thorpe sorting cannot preserve this sign (unless there are coincident measurements of salinity, in which case you would sort density). The only sensible thing to do is to determine the sign of the mean (or “large-scale”) gradient from other sources such as nearby CTDs on the mooring, if available.

# **Appendix B**

## **Using the CEOAS MATLAB servers**

### **B.1 SSH configuration**

### **B.2 Usage**

1. login in to matlab server 1) open terminal 2) type: mats
2. logout type twice: exit
3. open matlab on server type: mat or : matno #(for no display)
4. How to copy from ganges to server-ganges cd /ganges/ sh pullFromGanges data/(dir you want to copy)/ otherwise use scp

# Appendix C

## Useful references

Becherer & Moum (2017) : Data reduction for IC schemes.

Moum & Nash (2009) : General  $\chi$ pod paper

Moum (2015) : Pitot tube paper

Perlin & Moum (2012) : Among others, this paper systematically compares estimates after turning off angular rate sensors, accelerometers, pressure sensors and compass in sequence. It also compares  $\chi$ pod estimates with nearby Chameleon estimates. Things look good!

Zhang & Moum (2010) : Initial IC estimate paper

## References

- Becherer, Johannes, & Moum, James N. 2017. An Efficient Scheme for Onboard Reduction of Moored  $X$ pod Data. *Journal of Atmospheric and Oceanic Technology*, **34**(11), 2533–2546.
- Moum, J. N., & Nash, J. D. 2009. Mixing Measurements on an Equatorial Ocean Mooring. *Journal of Atmospheric and Oceanic Technology*, **26**(2), 317–336.
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- Mudge, Todd D., & Lueck, Rolf G. 1994. Digital Signal Processing to Enhance Oceanographic Observations. *Journal of Atmospheric and Oceanic Technology*, **11**(3), 825–836.
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- Zhang, Yanwei, & Moum, James N. 2010. Inertial-Convective Subrange Estimates of Thermal Variance Dissipation Rate from Moored Temperature Measurements. *Journal of Atmospheric and Oceanic Technology*, **27**(11), 1950–1959.

## **Appendix D**

### **git commands and workflows**

# Appendix E

## Sensor orientations

E.1  $\chi_{\text{pod}}$

E.2 Pitot

from Moum (2015)

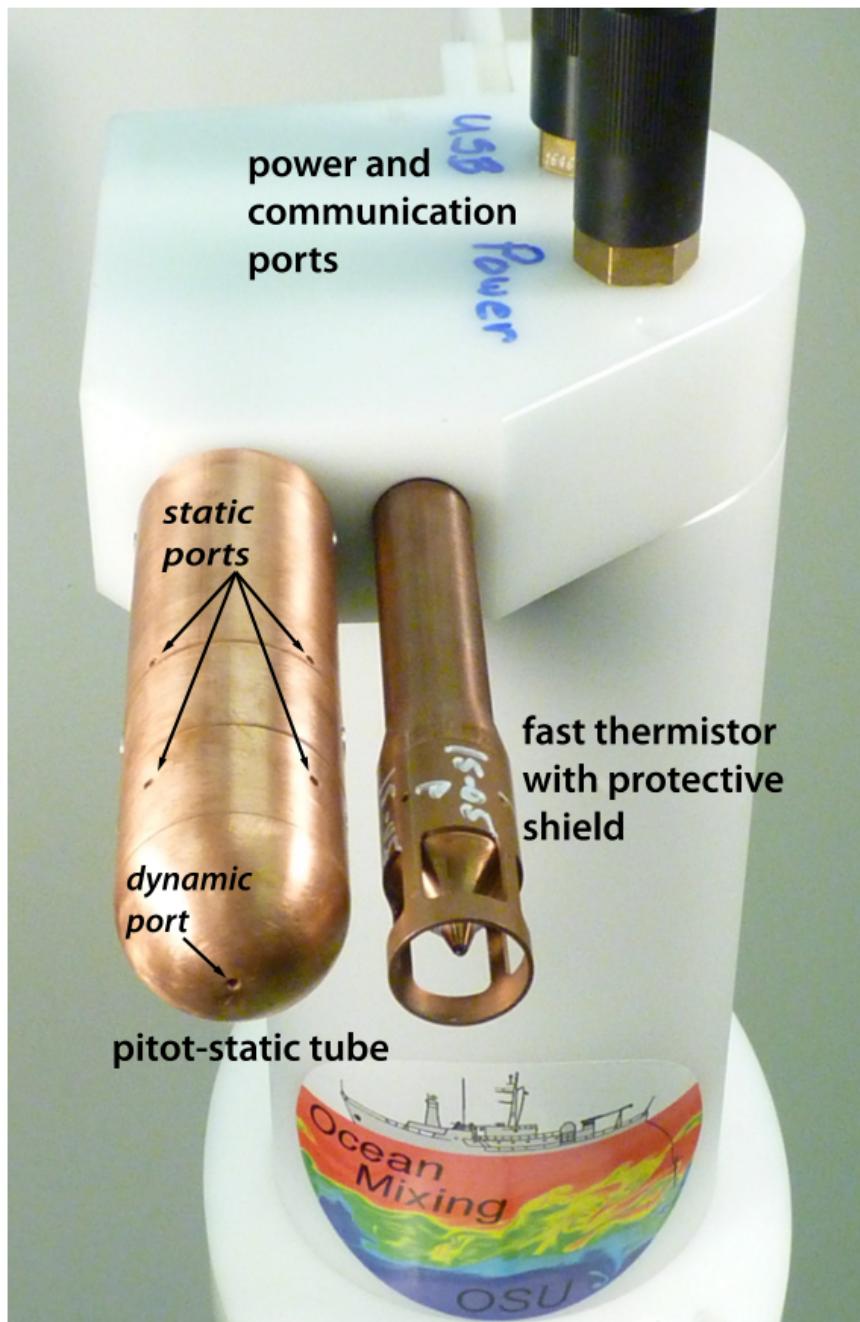


FIG. 1. Pitot-static tube mounted beside fast thermistor on  $\chi$ pod. Each is plugged into a connector in the end cap of the pressure case that houses electronics and batteries. For reference, the visible length of the pitot-static tube extending from the  $\chi$ pod end cap is 10.6 cm. (Photo courtesy of Craig Van Appeldorn.)

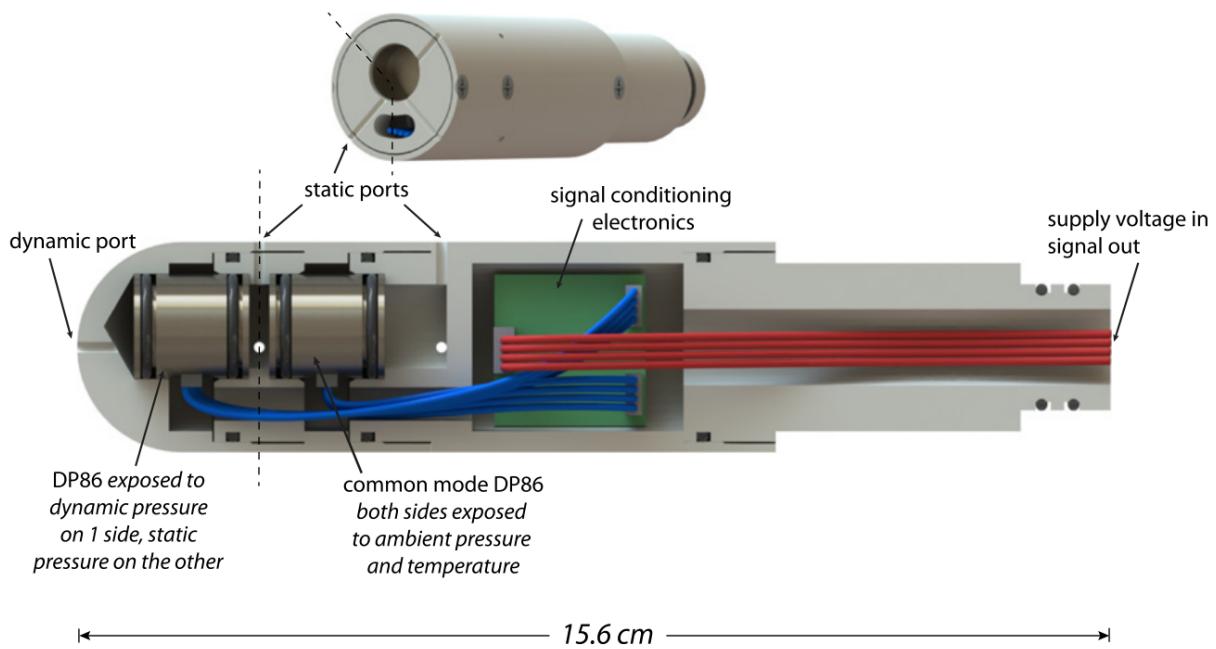
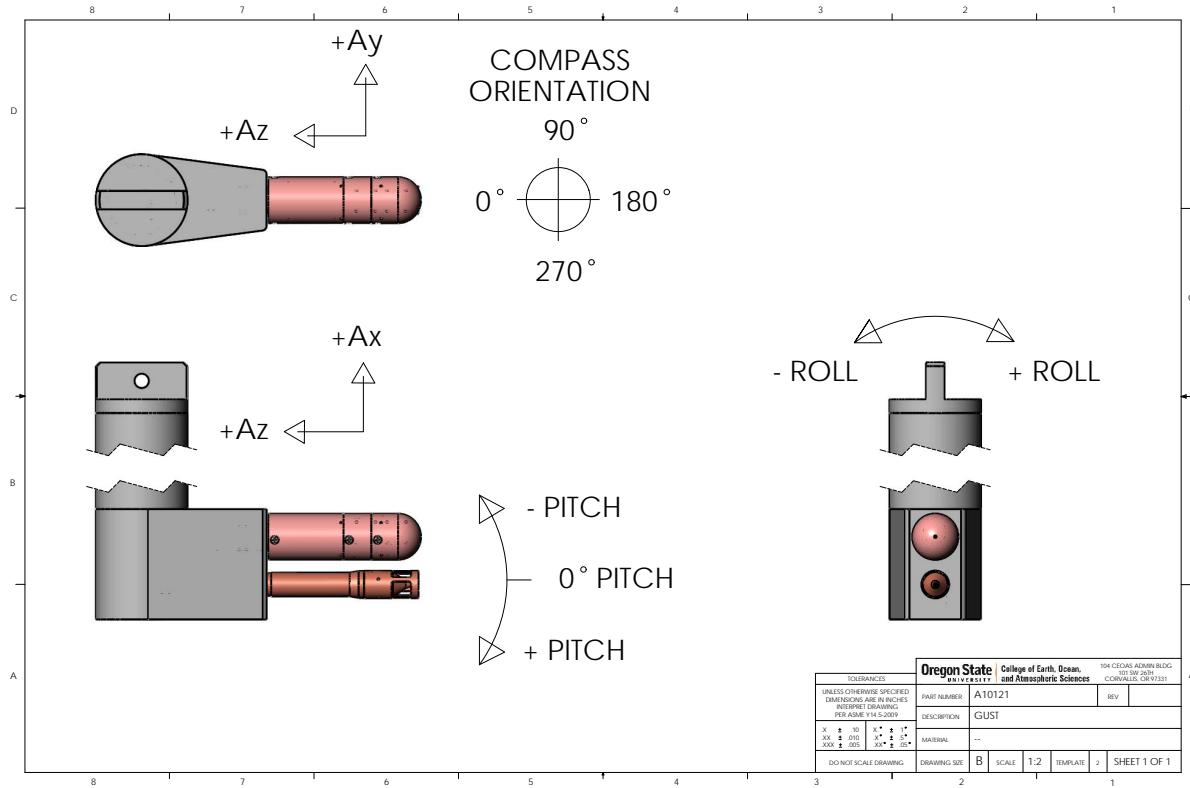


FIG. 2. Cross section of pitot-static tube showing details of the positioning of pitot-static and common mode differential pressure sensors. The cross sections ahead of the signal conditioning electronics are aligned with the dashed lines. The perspective is stylized to provide a clear view of components. (SOLIDWORKS drawing courtesy of Craig Van Appeldorn.)

### E.3 gusT



## E.4 Multi gusT

