## A / A\*

```
gi_h^f
```

f = función evaluación

g = coste (diferencia) de ir desde el estado inicial hasta el actual

h = heurística: estimación del costo de ir del estado actual a la solución

$$C = \{\}$$
  
 $F = \{_0 i_4^4 \}$ 

$$C = \{_0 i_4^4 \}$$

$$F = \{_1A_3^4(i), _1B_5^6(i)\}$$

$$C = \{_0i_4^4, _1A_3^4(i)\}$$

$$F = \{{}_{1}B_{5}{}^{6}(i), {}_{3}C_{2}{}^{5}(A), {}_{3}D_{4}{}^{7}(A)\}$$

$$C = \{_0i_4^4, _1A_3^4(i), _3C_2^5(A)\}$$

$$F = \{{}_{1}B_{5}^{6}(i), {}_{3}D_{4}^{7}(A)\}$$

$$C = \{_0i_4^4, _1A_3^4(i), _3C_2^5(A), _1B_5^6(i)\}$$

$$F = {_3D_4}^7(A), {_3E_4}^7(B), {_3F_6}^9(B)}$$

$$C = \{_0i_4^4, _1A_3^4(i), _3C_2^5(A), _1B_5^6(i), _3D_4^7(A)\}$$

$$F = {}_{3}E_{4}{}^{7}(B), {}_{3}F_{6}{}^{9}(B), {}_{4}G_{3}{}^{7}(D)$$

$$C = \{_0i_4^{\ 4}, \ _1A_3^{\ 4}(i), \ _3C_2^{\ 5}(A), \ _1B_5^{\ 6}(i), \ _3D_4^{\ 7}(A), \ _3E_4^{\ 7}(B)\}$$

$$F = {}_{3}F_{6}{}^{9}(B), {}_{4}G_{3}{}^{7}(D), {}_{5}H_{5}{}^{10}(E)$$

$$C = \{_0i_4^4, _1A_3^4(i), _3C_2^5(A), _1B_5^6(i), _3D_4^7(A), _3E_4^7(B), _4G_3^7(D)\}$$

$$F = \{{}_{3}F_{6}{}^{9}(B), {}_{5}H_{5}{}^{10}(E), {}_{5}I_{2}{}^{7}(G)\}$$

$$C = \{_0i_4{}^4, _1A_3{}^4(i), _3C_2{}^5(A), _1B_5{}^6(i), _3D_4{}^7(A), _3E_4{}^7(B), _4G_3{}^7(D), _5I_2{}^7(G)\}$$

$$\mathsf{F} = \{{}_{3}\mathsf{F}_{6}{}^{9}(\mathsf{B}), \, {}_{5}\mathsf{H}_{5}{}^{10}(\mathsf{E}), \, {}_{6}\mathsf{J}_{3}{}^{9}(\mathsf{I}), \, {}_{7}\mathsf{K}_{1}{}^{8}(\mathsf{I})\}$$

$$C = \{_0i_4{}^4, \, _1A_3{}^4(i), \, _3C_2{}^5(A), \, _1B_5{}^6(i), \, _3D_4{}^7(A), \, _3E_4{}^7(B), \, _4G_3{}^7(D), \, _5I_2{}^7(G), \, _7K_1{}^8(I)\}$$

$$F = {}_{3}F_{6}{}^{9}(B), {}_{5}H_{5}{}^{10}(E), {}_{6}J_{3}{}^{9}(I), {}_{8}L_{2}{}^{10}(K), {}_{9}e_{0}{}^{9}(K)}$$

$$C = \{_0i_4{}^4, \ _1A_3{}^4(i), \ _3C_2{}^5(A), \ _1B_5{}^6(i), \ _3D_4{}^7(A), \ _3E_4{}^7(B), \ _4G_3{}^7(D), \ _5I_2{}^7(G), \ _7K_1{}^8(I), \ _3F_6{}^9(B)\}$$

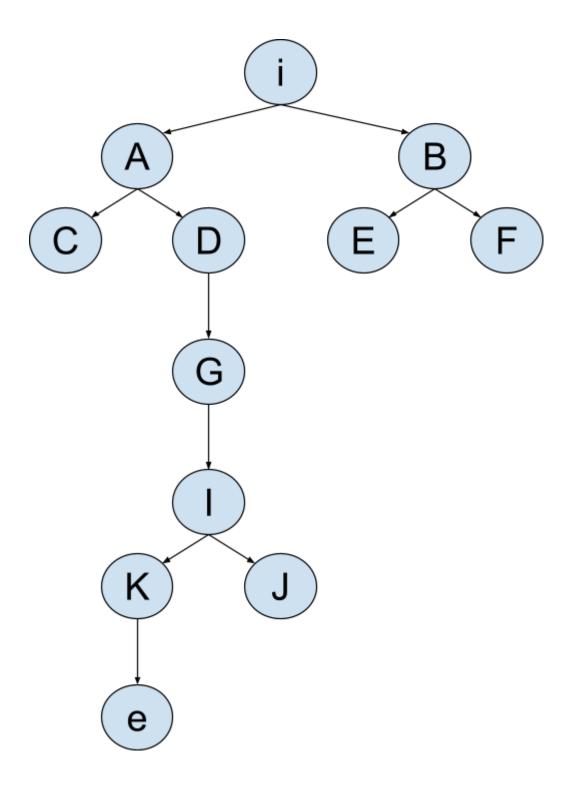
$$\mathsf{F} = \{{}_5\mathsf{H}_5{}^{10}(\mathsf{E}), \, {}_6\mathsf{J}_3{}^9(\mathsf{I}), \, {}_8\mathsf{L}_2{}^{10}(\mathsf{K}), \, {}_9\mathsf{e}_0{}^9(\mathsf{K})\}$$

$$C = \{_0i_4{}^4, _1A_3{}^4(i), _3C_2{}^5(A), _1B_5{}^6(i), _3D_4{}^7(A), _3E_4{}^7(B), _4G_3{}^7(D), _5I_2{}^7(G), _7K_1{}^8(I), _3F_6{}^9(B), _6J_3{}^9(I)\}$$

$$F = \{{}_{5}H_{5}^{10}(E), {}_{8}L_{2}^{10}(K), {}_{9}e_{0}^{9}(K)\}$$

$$C = \{_{0}i_{4}^{4}, {}_{1}A_{3}^{4}(i), {}_{3}C_{2}^{5}(A), {}_{1}B_{5}^{6}(i), {}_{3}D_{4}^{7}(A), {}_{3}E_{4}^{7}(B), {}_{4}G_{3}^{7}(D), {}_{5}I_{2}^{7}(G), {}_{7}K_{1}^{8}(I), {}_{3}F_{6}^{9}(B), {}_{6}J_{3}^{9}(I), {}_{9}e_{0}^{9}(K)\}$$

		L	J
	е	K	I
			G
	С	А	D
		i	
Н	E	В	F



## Solución:

## Ejercicio 2:

La heurística utilizada en el algoritmo A es admisible, ya que el valor de la heurística para todos los estados es inferior al coste mínimo real para alcanzar e desde i. Por tanto, podemos decir que el algoritmo es A\*.