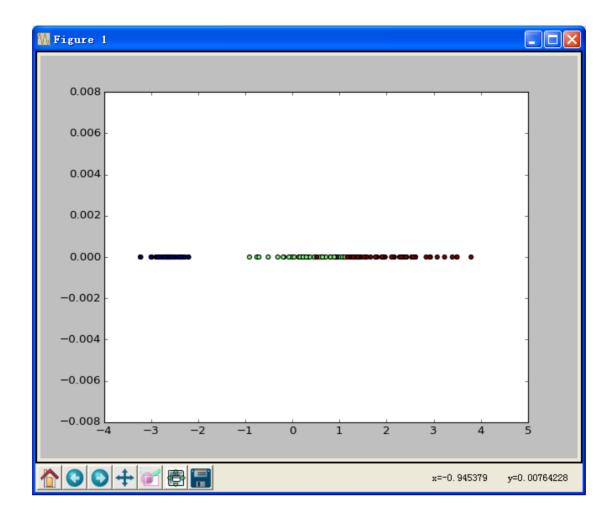
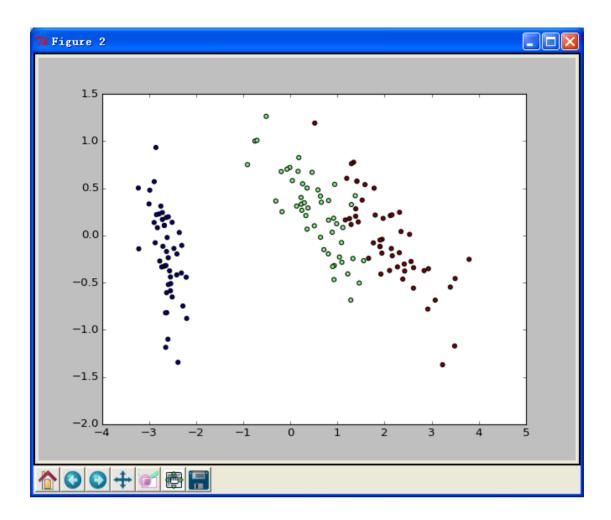
```
PCA 降维案例: iris
1. 手动实施 PCA
>>> iris = datasets.load iris()
>>> col mean = np.mean(iris.data,axis=0)
>>> col mean
array([5.84333333, 3.054 , 3.75866667, 1.19866667])
>>> centered data = iris.data - col mean
>>> cov data = np.cov(centered data.T)
>>> cov data
array([[ 0.68569351, -0.03926846, 1.27368233, 0.5169038 ],
      [-0.03926846, 0.18800403, -0.32171275, -0.11798121],
      [1.27368233, -0.32171275, 3.11317942, 1.29638747],
      [0.5169038, -0.11798121, 1.29638747, 0.58241432]])
>>> w,v = np.linalg.eig(cov data)
array([4.22484077, 0.24224357, 0.07852391, 0.02368303])
>>> v
array([[ 0.36158968, -0.65653988, -0.58099728, 0.31725455],
      [-0.08226889, -0.72971237, 0.59641809, -0.32409435],
      [0.85657211, 0.1757674, 0.07252408, -0.47971899],
      [0.35884393, 0.07470647, 0.54906091, 0.75112056]])
>>> np.dot(cov data,v[:,0])
array([ 1.52765881, -0.34757296, 3.61888075, 1.51605845])
>>> w[0] * v[:,0]
array([ 1.52765881, -0.34757296, 3.61888075, 1.51605845])
>>> data pca2c = np.dot(centered data,v[:,0:2])
2. 利用 sklearn 实施 PCA
from sklearn.decomposition import PCA
保持4维
pca4c = PCA(n components=4)
data pca4c = pca4c.fit transform(iris.data)
print data pca4c.shape
(150, 4)
```

print pca4c.explained variance ratio .sum()

```
1.0
print pca4c.components
[[ 0.36158968 -0.08226889 0.85657211 0.35884393]
 [-0.65653988 -0.72971237 0.1757674 0.07470647]
 [ 0.58099728 -0.59641809 -0.07252408 -0.54906091]
 [ 0.31725455 -0.32409435 -0.47971899 0.75112056]]
降至3维
pca3c = PCA(n components=3)
data pca3c = pca3c.fit transform(iris.data)
print data pca3c.shape
(150, 3)
print pca3c.explained variance ratio .sum()
0.9948169145498101
print pca3c.components
[[ 0.36158968 -0.08226889  0.85657211  0.35884393]
 [-0.65653988 -0.72971237 0.1757674 0.07470647]
 [ 0.58099728 -0.59641809 -0.07252408 -0.54906091]]
降至2维
pca2c = PCA(n components=2)
data pca2c = pca2c.fit transform(iris.data)
print data pca2c.shape
(150, 2)
print pca2c.explained variance ratio .sum()
0.9776317750248033
print pca2c.components
[[ 0.36158968 -0.08226889  0.85657211  0.35884393]
 [-0.65653988 -0.72971237 0.1757674 0.07470647]]
降至1维
pca1c = PCA(n components=1)
data pcalc = pcalc.fit transform(iris.data)
print data pcalc.shape
(150, 1)
print pcalc.explained_variance_ratio_.sum()
0.9246162071742683
print pcalc.components
[[ 0.36158968 -0.08226889  0.85657211  0.35884393]]
plt.scatter(data pca1c[:,0],np.zeros(data pca1c.shape),c=iris.targ
et)
```

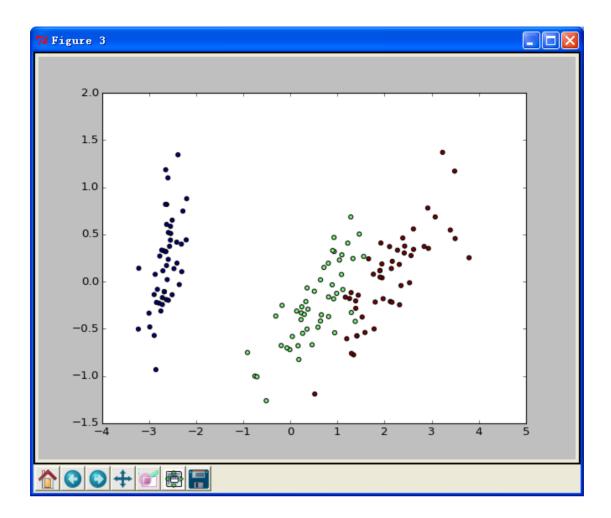


plt.figure(2)
plt.scatter(data\_pca2c[:,0],data\_pca2c[:,1],c=iris.target)



## 3. Randomi zedPCA 适合于大数据集

```
rpca2c = RandomizedPCA(n_components=2)
data_rpca2c = rpca2c.fit_transform(iris.data)
print rpca2c.explained_variance_ratio_.sum()
0.977631775024804 # 随机:每次运行略有不同
plt.figure(3)
plt.scatter(data_rpca2c[:,0],data_rpca2c[:,1],c=iris.target)
```



plt.show()