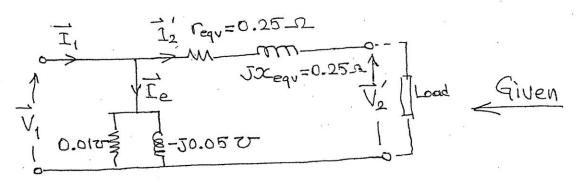
Example A 10-KVA, 220/110V, 50-Hz Simple-phase transformer delivers rated power (operates at full-load) to its load at routed secondary voltage and 0.8 pf Lagging. Compute

- a. Primary voltage (use approximate equivalent circuit),
- b. Efficiency,
- C. Voltage regulation.



Soln

Voltage and current phasors should be expressed as complex numbers on complex plane.

Rectangular Form

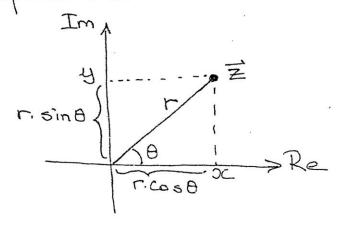
$$\frac{1}{2} = x + Jy$$

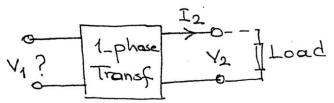
Polar or Steinmetz Form : Z = r LB

Trigonometric Form

$$\vec{Z} = \Gamma(Cos\theta + Jsin\theta)$$

Exponential Form





Rated power, Stated = Sout Sload = 10000 YA delivered to load

At rated secondary, $V_2 = V_{2} rated = V_{load} = 110 \text{ V}$

At 0.8 pf lagging,

 $\frac{V_2}{V_2}$ $\frac{V_2}{V_2}$ $\frac{1}{1}$ $\frac{1}{1}$

Secondary current, I2=Iload=Sout/2=10000/=90.90A

Since equivalent cret is given on the primary side, secondary voltage and current should be referred to primary side.

 $V_2 = n \cdot V_2 = 2.110 = 220 \ \text{where}, \ n = (220/10) = 2$ $I_2 = I_2/n = 90.90/2 = 45.45 \ \text{A}$

V2 can be chosen as the reference phasor!

Kirchhoff's Voltage Law:

 $\vec{V}_1 = \vec{V}_2 + (\Gamma_{eqv} + J \propto_{eqv}) \vec{I}_2$

 $\sqrt{1} = 220 + (0.25 + 50.25)45.\overline{45}(0.8 - 50.6)$

= 220 + 45.45(0.35 + J0.05)

= 235.90+ J 2.27

V1 = 236 40.6 Volto rms //

Im $V_2 = 220 + J0$ $V_2 = 220 + J0$ $V_3 = V_2$ $V_4 = V_1 V_2$ $V_4 = V_1 V_5$ $V_4 = V_1 V_5$ $V_4 = V_1 V_5$

2/3

Efficiency = $\frac{\text{Output tower}}{\text{Output Power + Losses}}$ Output Power, Pout = $\frac{1}{2}$ Cooper Loss, $\frac{1}{2}$ Coqv = $\frac{45.45}{2}$. 0.25 = 516.5 W Corp loss, $\frac{1}{2}$ Corp loss, $\frac{1}{2}$ Corp loss, $\frac{1}{2}$ Corp $\frac{1}{2}$

C) In this problem, voltage regulation is the change in secondary terminal voltage from no-load to full-load;

No-load voltage, $V_2 = V_1 = 236$ Volts rms (Since $I_2 = 0$ at no-load)

Full-load voltage, V2 = V2 rated = 220 V rms

It is usually expressed as a percentage of no-load value:

Voltage Repulation = 236-220 ×100 = + 6.8 % //

Drooping terminal Voltage characteristic because of the inductive Character of the load. EX A 10 MVA 13.8/79.7 kV step-up transformer has a total leakage reactionce of X = 1.9 D referred to primary. Neolecting all transformer losses and magnetizing current, find the primary voltage when transformer is supplying the rated MVA at rated voltage and 0.8 pf lagging.

 $I_2 = 10 \times 10^6 / 13.8 \times 10^3 = 725 \text{ A}$

 $I_2 = 725 \times (13.8/79.7) = 125 A$ ($I_2 < I_2$ because transformer)

 $\vec{l}_1 = \vec{l}_2$ Phasor di

$$\vec{V}_{1} = \vec{V}_{2} + \vec{J}\vec{I}_{2} \times \vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$$

Teference phasor

 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{1} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{2} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}1.9 \times \cancel{727}(0.8 - \cancel{J}0.6)$
 $\vec{V}_{3} = (13.8 + \cancel{J}0.0) \times 10^{3} + \cancel{J}0.0 \times 10^{$

$$\vec{V}_{1} = 13800 + J1102 + 826.5$$

$$\vec{V}_{1} = 14626.5 + J1102$$

$$\vec{V}_{1} = 14668 / 4.3$$

$$|\vec{V}_{1}| = 14.7 \text{ kV}$$

Reg =
$$\frac{V_1 - V_2'}{V_2'} \times 100$$

= $\frac{14.7 - 13.8}{13.8} \times 100$

solve the same problem for the leading loan

$$\vec{\hat{I}}_{1} = \vec{\hat{I}}_{2}$$

$$\vec{\hat{I}}_{2} = \vec{\hat{I}}_{2}$$

$$\vec{\hat{I}}_{36} = \vec{\hat{I}}_{2} \times \vec{\hat{I}}_{2} \times$$

17,1= 13 KY

leading Pt

less than 13.8 kV because of the

Reg =
$$\frac{13-13.8}{13.8} \times 100 = \frac{4}{5.7}\%$$
 because of the capacitive load