

## New approach of Valuation Generation

### Notation of Parameters:

**T:** the length of Time Epoch

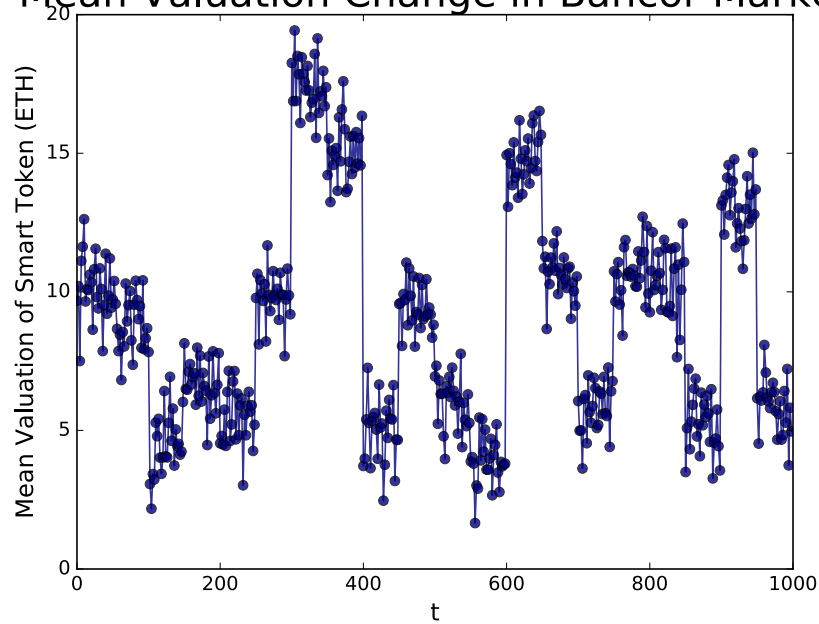
**R:** the bouncing range of mean valuation per time epochs

**N:** customer number

**sig:** the sigma in Gaussian function. Smaller the sigma is, closer valuations are.

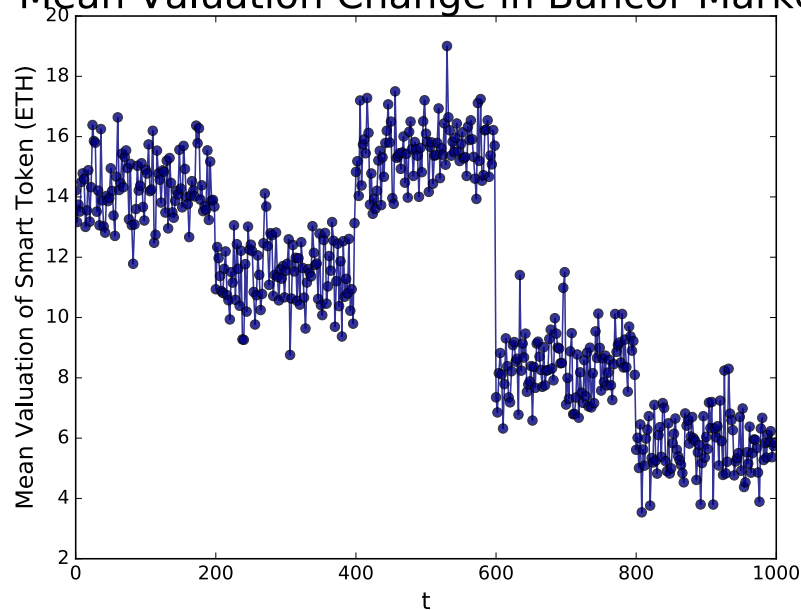
Case 1: **T** = 50 time slots, **R** = 2.0

### Mean Valuation Change in Bancor Market

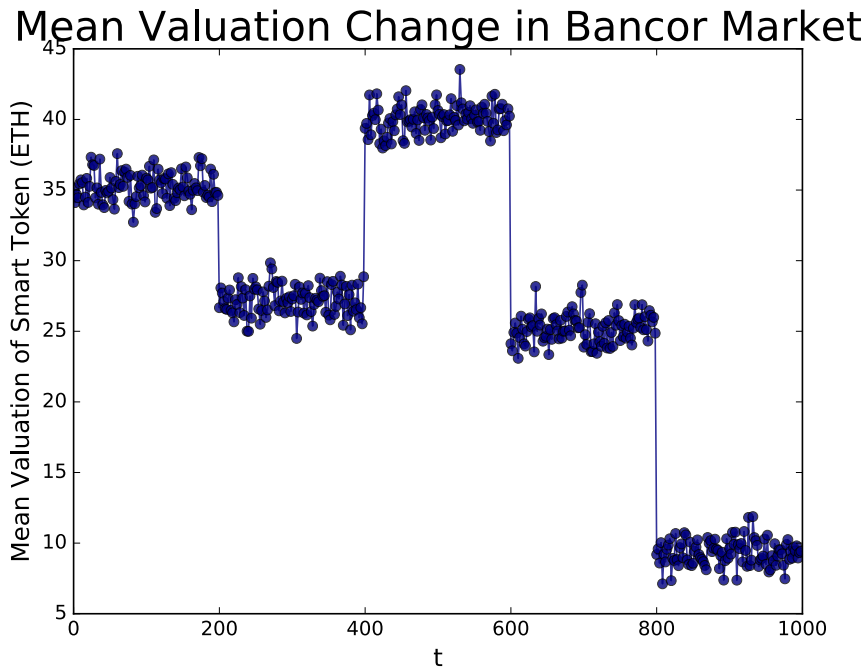


Case 2: **T** = 200 time slots, **R** = 2.0 (1000/200 = 5, therefore only five "stairs")

### Mean Valuation Change in Bancor Market



Case 3:  $T = 200$  time slots,  $R = 5.0$  (the market valuation of smart token per time epoch is bouncing more significantly due to larger  $R$ )



#### Details about Mean Valuation Generation:

To begin with, based on the price of smart token, we generate the market valuation of smart token per time epoch as  $V_{tp}$ , by which the mean valuations  $V_t$ , i.e., blue point in above figures can be generated. After we get  $V_t$ , every customer's valuation is generated based on  $V_t$  ( $\mu$  in Gaussian) and  $\sigma$  (sigma in Gaussian).

For instance, we first generate  $V_{tp} = 20$  ETH, which indicates in this time epoch, customers generally regard the smart tokens' value as 20 ETH; while in different time slots of this time slot, the specific valuation  $V_t$  can be 19.2, 21.4, 20.8, 19.5 and so on. Then, in every time slot,  $N$  customers' valuations are made by  $V_t$ , such as 19.2, 21.4, 20.8, and etc.

The reason we use the price of smart token  $P$  to generate  $V_{tp}$  is that we try to simulate the equal chance for market craze and market crisis, i.e., 50% probability of  $V_{tp} < P \rightarrow V_{tp}$  selected from  $(P/R, P)$ , and 50% probability of  $V_{tp} > P \rightarrow V_{tp}$  selected from  $(P, P \cdot R)$ .

## The Selection of $V_{tp}$ & the Generation of $V_t$ and every customers' valuation:

```
for j in range(TimeSlotNum):
    ...

    First of all, we randomize mean valuations in time epochs from (P/R, P*R),
    and save in valuation_Epoch list.
    For instance, 0-49 time slot comprise the first time epoch.
    If the mean valuation is 20 ETH, in 0 - 49 time slots,
    customers generate their orders based on 19.4 ETH, 21.2 ETH ...
    ...

    #
    P = KennyCoin.getPrice()
    if j % T == 0: # T is the length of time epoch
        valuation_Epoch = []
        if bool(random.getrandbits(1)):
             $V_{tp}$  = random.uniform(P/R, P)
        else:
             $V_{tp}$  = random.uniform(P, P*R)
        # generate a random series of valuations in timeEpoch
         $V_t$ _temp = np.random.normal( $V_{tp}$ , 1, T).tolist()
         $V_t$ _list.extend( $V_t$ _temp)

    valuation_mu =  $V_t$ _list[j % T]
    custValuation_list = np.random.normal(valuation_mu, sigma, custNum)
    for i in range(custNum):
        # launching transaction orders based on custVuation_list[i]
        ...
```

Basically, what we do is to randomly select  $V_{tp}$  from (P/R, P\*R), and then based on  $V_{tp}$  generate  $V_t$ s for every time slot and save them in  $V_t$ \_list. After we get  $V_t$ , every customer's valuation of smart tokens can be generated.

Exp for  $V_t$ \_temp = np.random.normal( $V_{tp}$ , 1, T).tolist()

Assuming  $V_{tp}$  = 20 ETH, T = 5 time slots:

```
>>  $V_t$ _temp = [20.801, 20.978, 20.161, 19.074, 19.756]
```