1NT – dealing with interference

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$$1nt - (2 - ?)$$

$$2 \clubsuit = \clubsuit$$

• \times = Stayman

SYSTEM ON

$$1nt - (2^{A}) - ?$$

$$2 = 5/4$$

- $\times = 8+$
- $2 \checkmark$, $2 \spadesuit$, $3 \spadesuit$ = to play
- 2NT = minors

$$1$$
nt $-(2
ightharpoonup) - ?$

$2 \blacklozenge = \blacklozenge$

- \times = negative
- $2 \checkmark$, $2 \spadesuit$ = to play
- 2NT = Lebensohl
- $3 = 5 + \forall$, inv+
- $3 \blacklozenge = 1 \blacklozenge$, inv+
- $3 \lor = 5 + \spadesuit$, inv+

- 3 = 5 + 4, inv+
- 3NT = no stopper
- $4 \blacklozenge$, $4 \blacktriangledown = \text{Texas}$

$$1nt - (2^{\spadesuit A}) - ?$$

$$2 > 6 +$$

- $\times = 8+$
- $2 \checkmark$, $2 \spadesuit$ = to play
- 2NT = Lebensohl
- $3\clubsuit = 5+•$, inv+
- $3 \stackrel{\bullet}{\bullet} = 5 + \stackrel{\blacktriangledown}{\blacktriangledown}$, inv+
- $3 \lor = 5 + \spadesuit$, inv+
- 3 = 5/5
- 3NT = to play
- $4 \blacklozenge$, $4 \blacktriangledown = \text{Texas}$

$$1nt - (2) - ?$$

- \times = negative
- $2 \spadesuit = \text{to play}$
- 2NT = Lebensohl
- 3 = 5 +, inv+
- $3 \stackrel{\bullet}{\bullet} = 5 + \stackrel{\bullet}{\bullet}$, inv+
- $3 \lor = 1 \lor$, inv+
- 3 = 55 , GF
- 3NT = no stopper
- 4 = Texas

1nt - (2) - ?

- \times = negative
- 2NT = Lebensohl
- $3 \clubsuit = 5 + \blacklozenge$, inv+
- $3 \stackrel{\bullet}{\bullet} = 5 + \stackrel{\blacktriangledown}{\blacktriangledown}$, inv+
- 3 = 55 , GF
- $3 \spadesuit = 1 \spadesuit$, inv+
- 3NT = no stopper
- $4 \rightarrow = \text{Texas}$

$$1nt - (2nt^{\frac{A}{}}) - ?$$

2NT = minor

- $\times = 10+$
- 3 = Stayman
- $3 \blacklozenge = 5 + \blacktriangledown$, inv+
- $3 \lor = 5 + \spadesuit$, inv+

- \times = negative
- $3 \bullet = 5 + \heartsuit$, inv+
- $3 \lor = 5 + \spadesuit$, inv+
- $3 \spadesuit = 5 + \blacklozenge$, inv+
- 3NT = to play

1nt - (3) - ?

- \times = negative
- $3 \checkmark = 5 + \spadesuit$, inv+
- 3♠ = 5+♥, **GF**
- 3NT = to play

 $1nt - (\mathbf{x}^{\mathbf{A}}) - ?$

 \times artificial SYSTEM ON

 $1nt - (\times) - ?$

- \times = penalty
 - PASS = forces $\times \times$
 - $\times \times = \text{forces } 2 \clubsuit$
 - $2\mathbf{x} = \text{forces } \mathbf{x+1}$

 $\begin{array}{l} \mathbf{1nt} - (\mathbf{\times}) - \mathbf{P^A} - (\mathbf{P}) \\ \times \times - (\mathbf{P}) - ? \end{array}$

- Pass = penalty
 - 2 = 4 + 4x or 4333 or any other edge case
 - $2 \bullet = 4 \bullet + 4$
 - $2 \checkmark = 4 \checkmark + 4 \spadesuit$