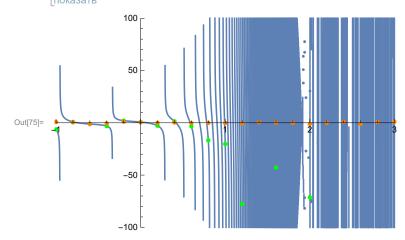
```
//п[∗]:= (*Лабораторная работа №5*)
          (*Kрутько Андрей 251004 вариант 15*)
          (*Задание 1*)
          f[x_] = Sqrt[x^2 + Sqrt[x^2 + x]]; x0 = 7.17;
                      квадратный квадратный корень
          (*Пункт a*)
          D[f[x], x]
          дифференциировать
          D[f[x], \{x, 2\}]
          дифференциировать
  Out[s]=  \frac{2 x + \frac{1+2 x}{2 \sqrt{x+x^2}}}{2 \sqrt{x^2 + \sqrt{x+x^2}}} 
 \textit{Out[s]} = -\frac{\left(2\,x + \frac{1 + 2\,x}{2\,\sqrt{x + x^2}}\right)^2}{4\,\left(x^2 + \sqrt{x + x^2}\,\right)^{3/2}} + \frac{2 - \frac{(1 + 2\,x)^2}{4\,\left(x + x^2\right)^{3/2}} + \frac{1}{\sqrt{x + x^2}}}{2\,\sqrt{x^2 + \sqrt{x + x^2}}}
   ln[\cdot]:= D1 = D[f[x], x] /. x \rightarrow x0
                 дифференциировать
          D2 = D[f[x], \{x, 2\}] /. x \rightarrow x0
                  дифференциировать
  Out[ • ]= 0.998158
  Out[ ]= 0.000442529
   In[•]:= (∗Πункт б∗)
          h1 = 0.1;
          delta1 = f[x0 + h1] - f[x0];
          delta2 = (f[x0 + 2 h1] - f[x0 + h1]) - delta1;
          delta3 = f[x0 + 3 h1] - f[x0 + 2 h1] - (f[x0 + 2 h1] - f[x0 + h1]) - delta2;
   In[*]:= Dif1 = \frac{1}{h1} * \left( delta1 - \frac{1}{2} delta2 + \frac{1}{3} delta3 \right)
Out[ • ]//NumberForm=
          0.998158452549858
  ln[\cdot]:= Dif2 = \frac{1}{h1^2} * (delta2 - delta3)
  Out[*]= 0.000441887
          (* для шага 0.01*)
   ln[-]:= h2 = 0.01;
          delta1 = f[x0 + h2] - f[x0];
          delta2 = (f[x0 + 2 h2] - f[x0 + h2]) - delta1;
          delta3 = f[x0 + 3 h2] - f[x0 + 2 h2] - (f[x0 + 2 h2] - f[x0 + h2]) - delta2;
  ln[*]:= Dif1 = \frac{1}{h2} * \left( delta1 - \frac{1}{2} delta2 + \frac{1}{3} delta3 \right)
Out[ • ]//NumberForm=
```

0.998158435155657

оранже… стиль графика размер точки

## In[75]:= Show[graphic1, graphic2, graphic3] показать



```
ln[42] = Table[{a + h * i, por1[a + h * i]}, {i, 0, n}]
                                 таблица значений
Out[42] = \{\{-1., 0.711052\}, \{-0.8, 0.41597\}, \{-0.6, -1.13075\}, \{-0.4, -0.527047\}, \{-0.6, -1.13075\}, \{-0.4, -0.527047\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.8, 0.41597\}, \{-0.
                                          \{-0.2, 1.10769\}, \{0., 0.4276\}, \{0.2, 0.0463707\}, \{0.4, 0.283203\}, \{0.6, -0.329449\},
                                           \{0.8, -0.118711\}, \{1., -0.236963\}, \{1.2, -0.498591\}, \{1.4, 0.576031\},
                                           \{1.6, 0.242311\}, \{1.8, 0.0172506\}, \{2., -1.19877\}, \{2.2, 0.00282127\},
                                           \{2.4, 0.845545\}, \{2.6, -1.10382\}, \{2.8, 0.712905\}, \{3., 0.981881\}\}
```

In[\*]:= (\*Ричардсон\*)

Out[\*]= 0.341942

Int = Int2 +  $\frac{8^2}{(10^2 - 8^2)} * (Int2 - Int1)$ 

-0.1523051947050158

```
(*задание 4*)
       X = \{\{0.292, 0.3799\}, \{0.38, 0.399\}, \{0.468, 0.4055\}, \{0.556, 0.4319\},
           {0.644, 0.4449}, {0.732, 0.48}, {0.82, 0.5004}, {0.908, 0.5458}, {0.996, 0.5748},
           \{1.084, 0.6326\}, \{1.172, 0.6714\}, \{1.26, 0.7438\}, \{1.348, 0.7937\},
           {1.436, 0.8829}, {1.524, 0.9447}, {1.612, 1.0524}, {1.7, 1.1261}};
       Arr = Table[X[[i]], {i, 1, 17, 2}]
              таблица значений
  ln[*] = n = 8; a = Arr[[1, 1]]; b = Arr[[9, 1]]; h = (b - a) / n;
         \frac{h}{3} * (Arr[[1, 2]] + Arr[[9, 2]] + 4 * Sum[Arr[[i+1, 2]], {i, 1, n - 1, 2}] + | cymma
            2 * Sum[Arr[[i+1, 2]], \{i, 2, n-2, 2\}])
 Out[ ]= 0.892954
       n = 16; h = (X[[17, 1]] - X[[1, 1]]) / n;
       Answer2 = \frac{h}{3} * (X[[1, 2]] + X[[17, 2]] +
            4 * Sum[X[[i+1, 2]], \{i, 1, n-1, 2\}] + 2 * Sum[X[[i+1, 2]], \{i, 2, n-2, 2\}])
 Out[ • ]= 0.904945
  In[*]:= (*Задание 5*)
       f[x_{-}] = \frac{Log[3x^2]}{x^2+1}; n = 7; a = 0.2; b = 1;
       s1 = NSolve[LegendreP[n, t] == 0, t]
             числе… Р-функция Лежандра первого рода
       tt = t /. sl
 Outf = \{-0.949108, -0.741531, -0.405845, 0., 0.405845, 0.741531, 0.949108\}
  I_{n[\cdot]} = MatrixForm[T = Table[If[i == 1, 1, (tt[[j]])^(i-1)], \{i, n\}, \{j, n\}]]
       матричная форма табл... условный оператор
  In[*]:= A = LinearSolve[T, B]
           решить линейные уравн
  Out[*]= {0.129485, 0.279705, 0.38183, 0.417959, 0.38183, 0.279705, 0.129485}
  ln[a]:= PaddedForm[int = \frac{b-a}{c}\sum_{i\neq 1}^{n}\left(A[[i]]*f[\frac{b+a}{2}+\frac{b-a}{2}*tt[[i]]]\right), {19, 18}] форма числа с заполнением i\neq 1Я
Out[ • ]//PaddedForm=
       -0.152304984223679200
  ln[\bullet]:=\int_a^b f[x] dx
```