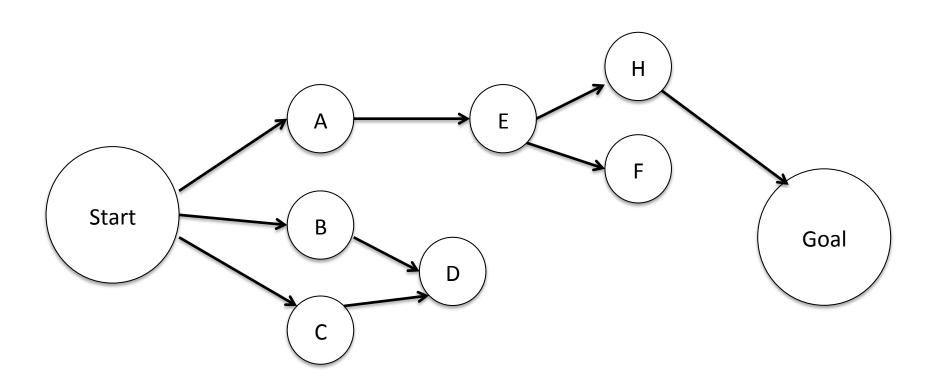
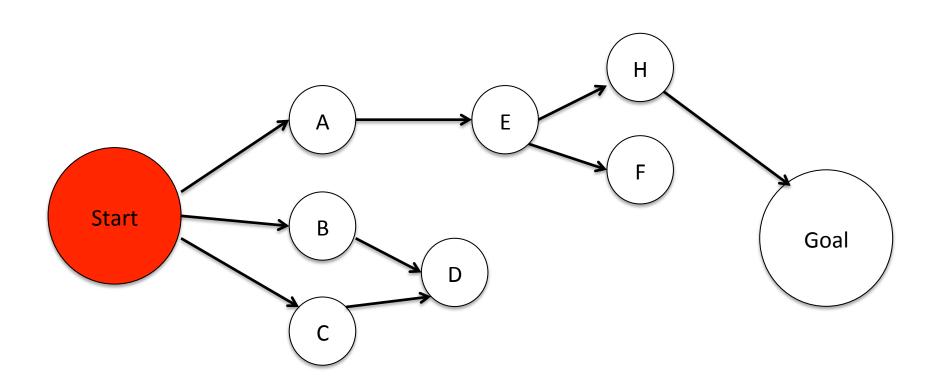
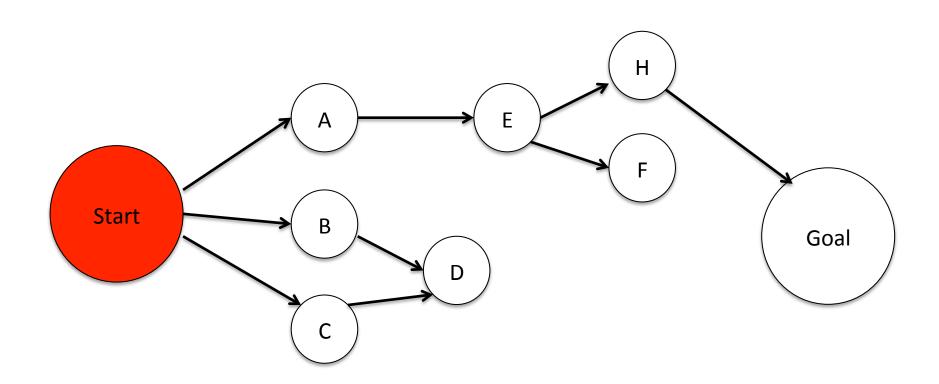
**Todo list: Start** 



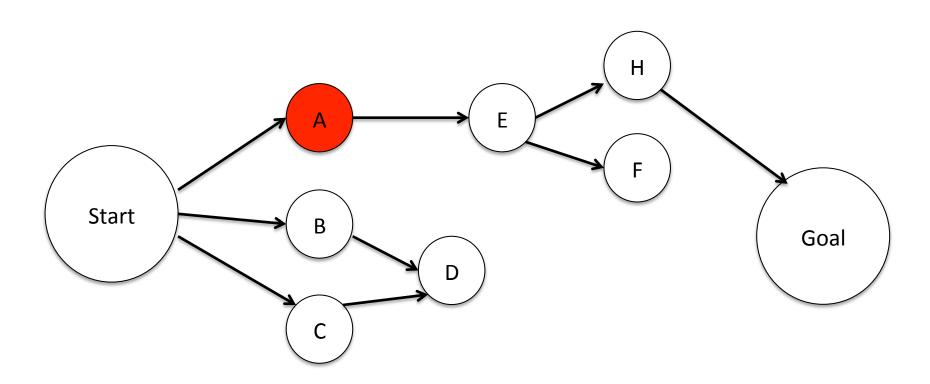
Todo list:



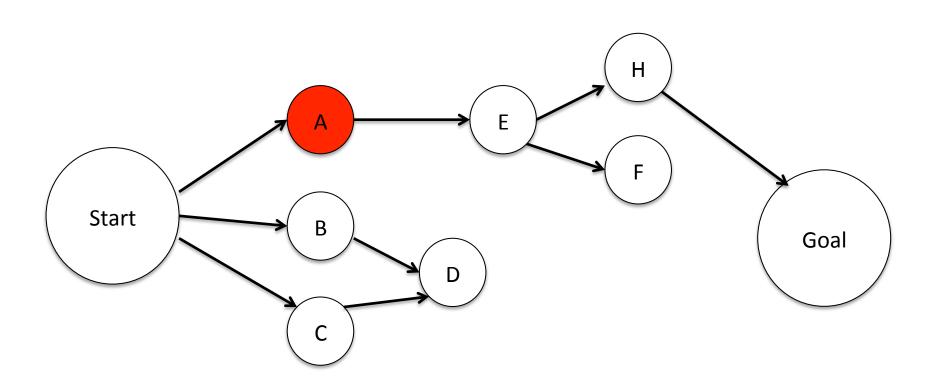
Todo list: A, B, C



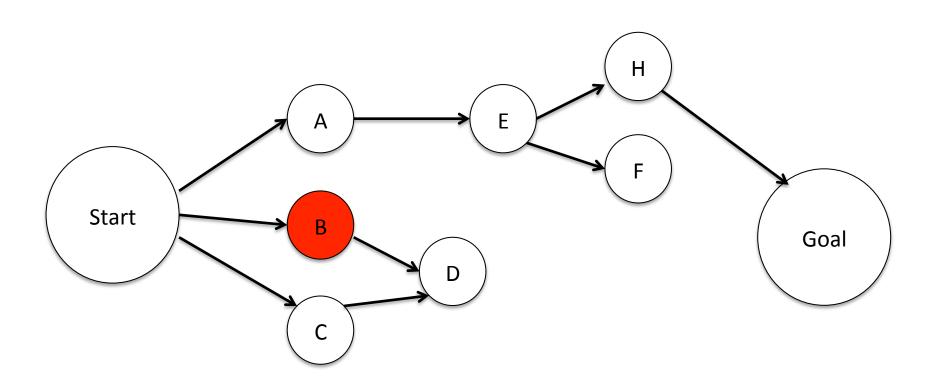
Todo list: B, C



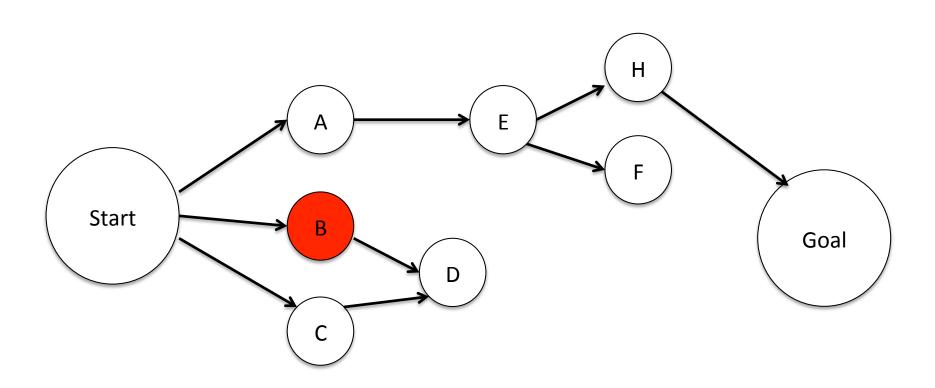
Todo list: B, C, E



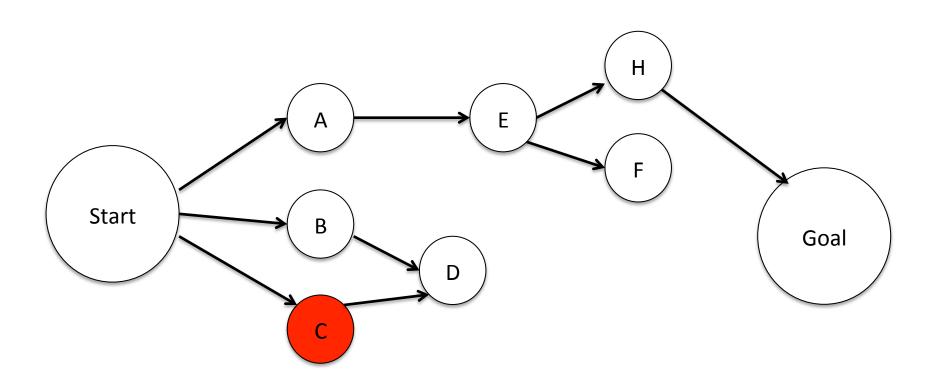
Todo list: C, E



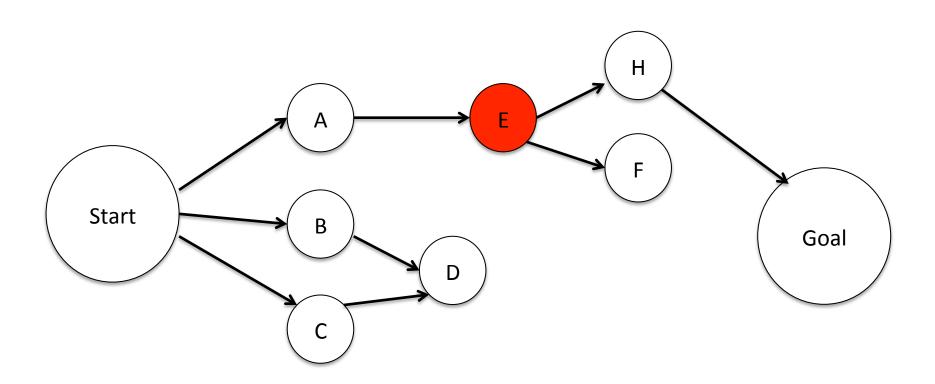
Todo list: C, E, D



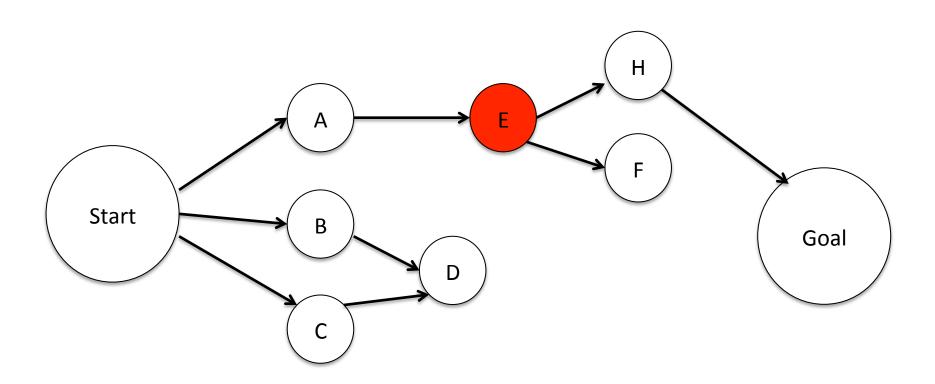
Todo list: E, D



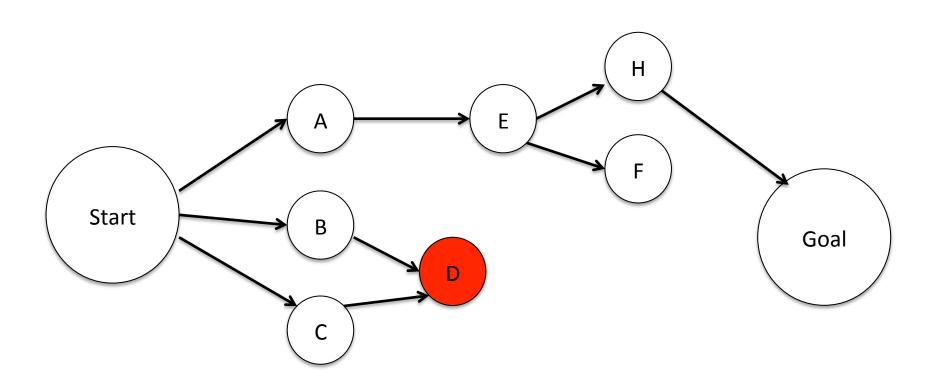
Todo list: D



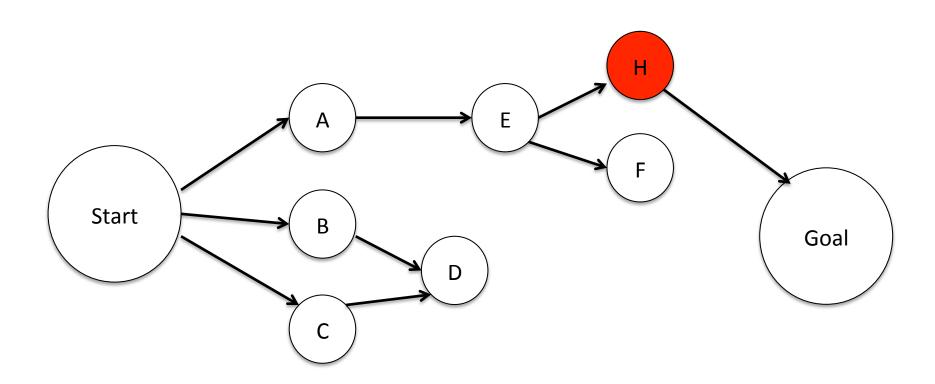
Todo list: D, H, F



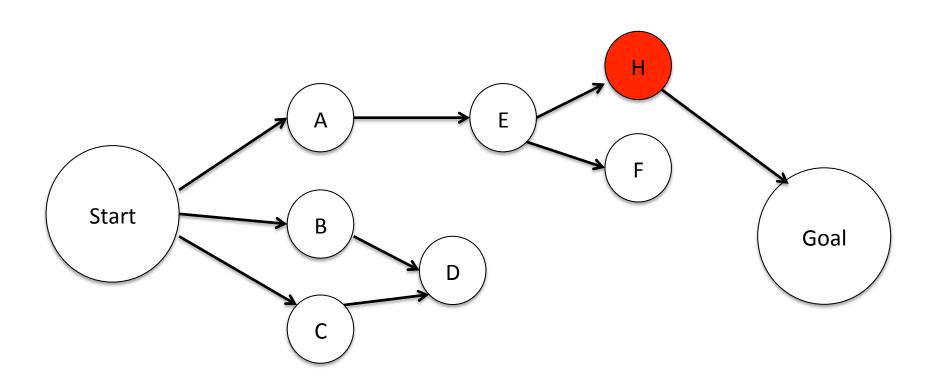
Todo list: H, F



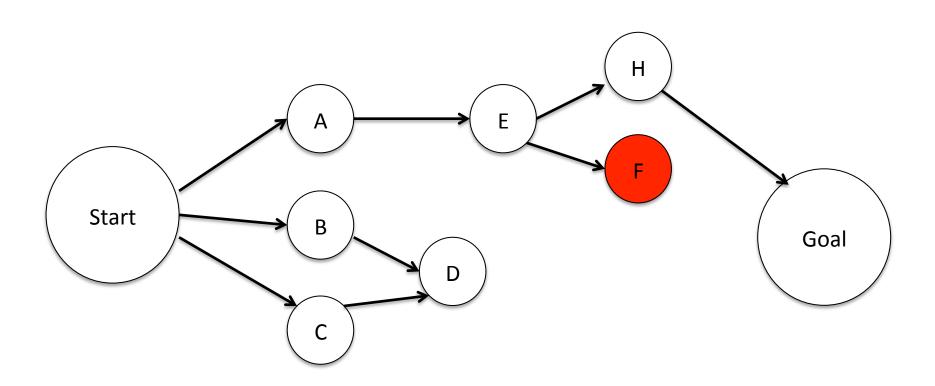
Todo list: F



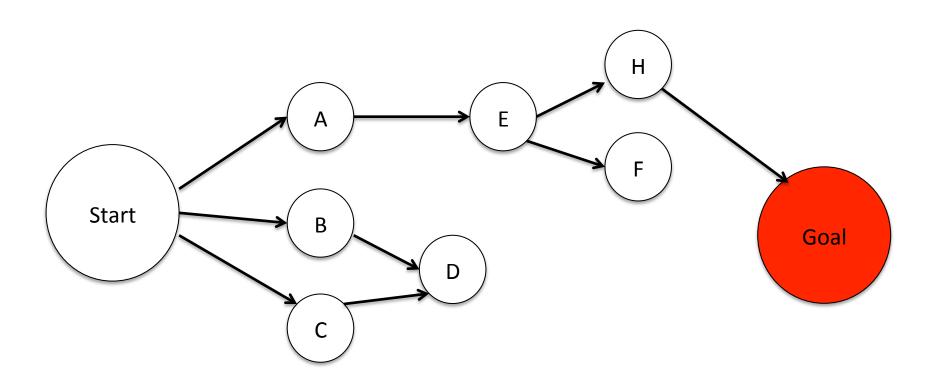
Todo list: F, Goal



Todo list: Goal



Todo list: Victory!!



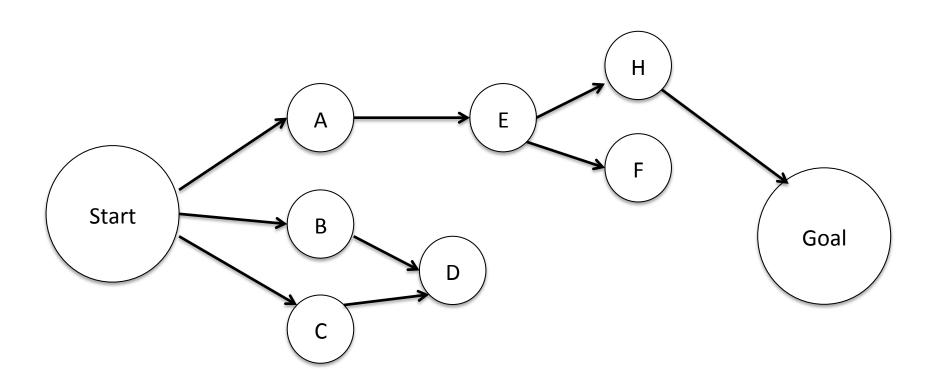
#### **Breadth First Search**

- Guaranteed to find shortest (in number of steps path to the goal)
- To recover the path just requires some additional bookkeeping
- How many operations does it take to complete?

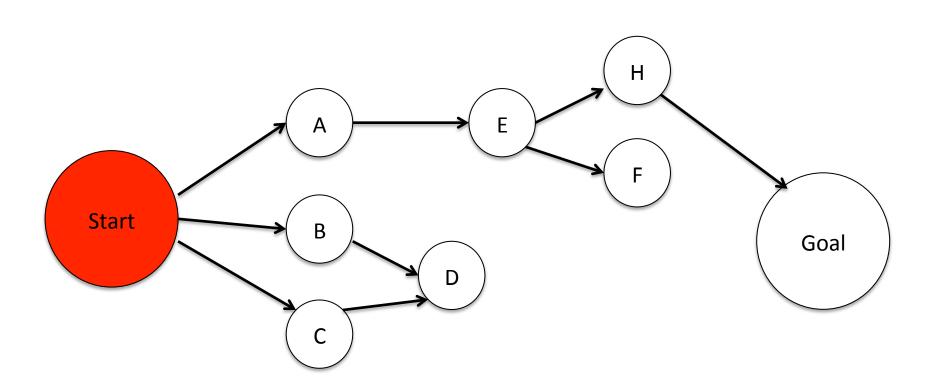
#### Depth-First Search

Same as breadth first search, but we structure our todo list differently to prioritize visiting children (i.e. connected by an arrow) of the node we are processing

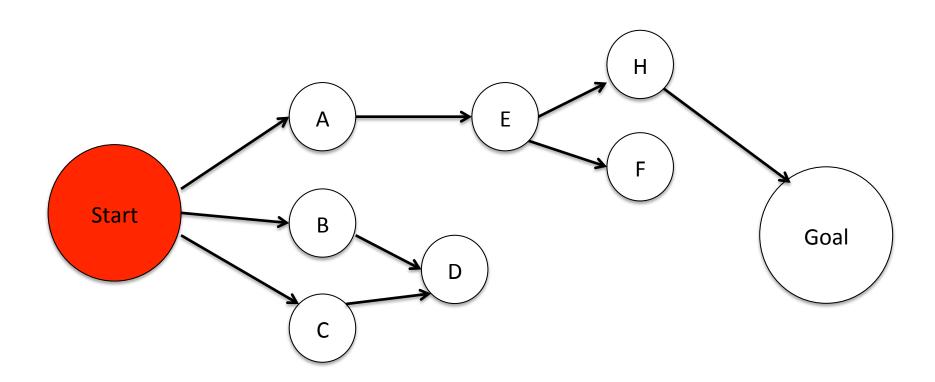
**Todo list: Start** 



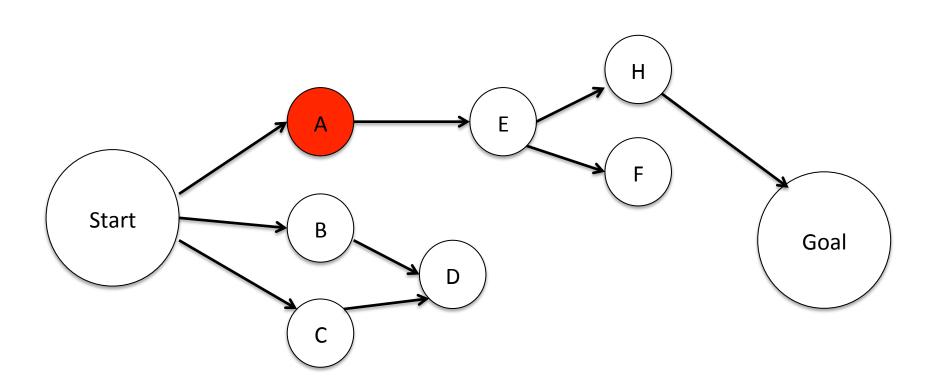
Todo list:



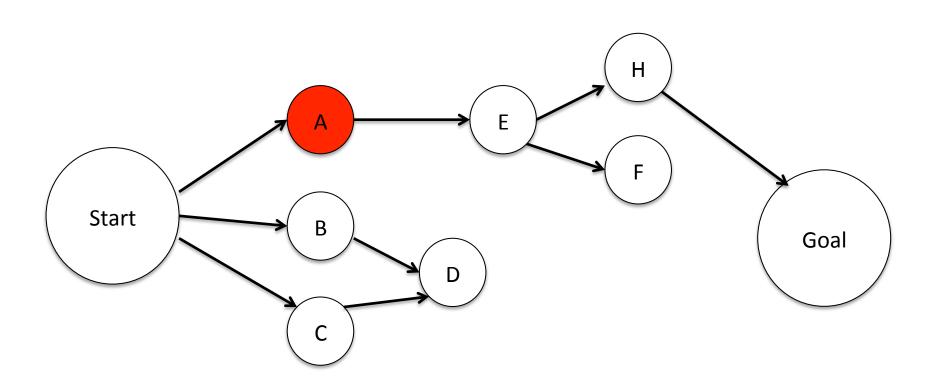
Todo list: A, B, C



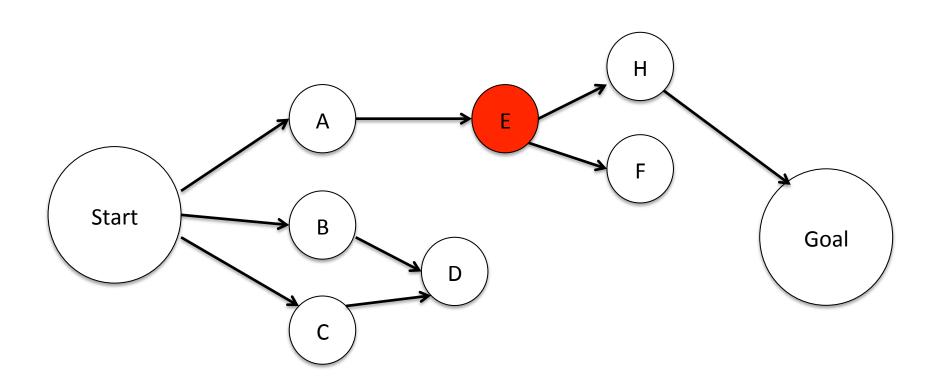
Todo list: B, C



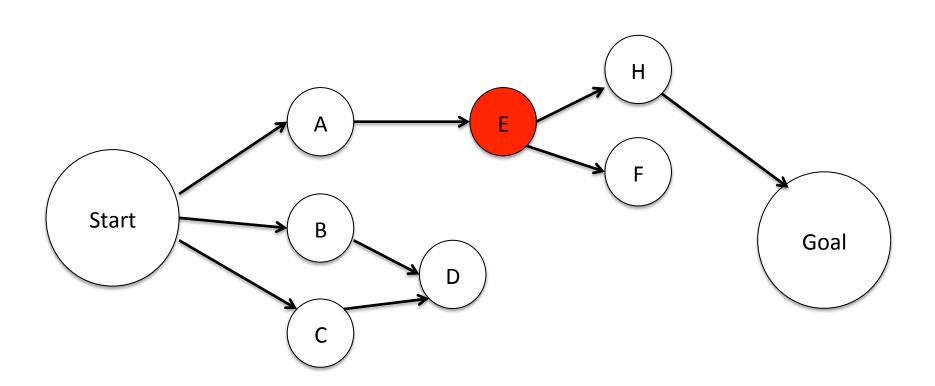
Todo list: E, B, C



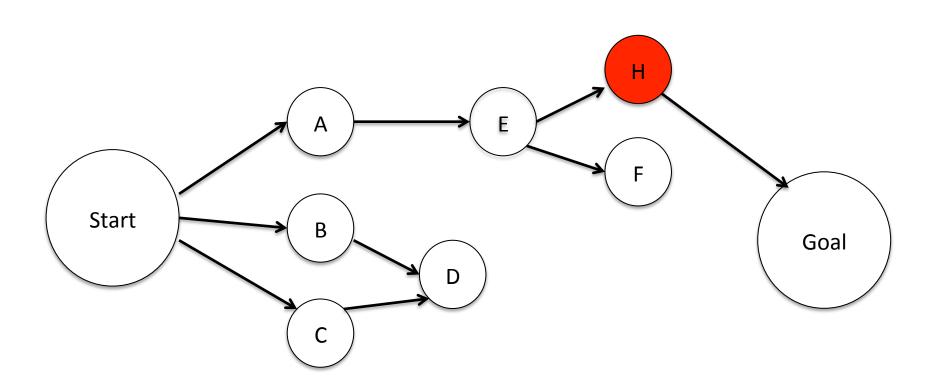
Todo list: B, C



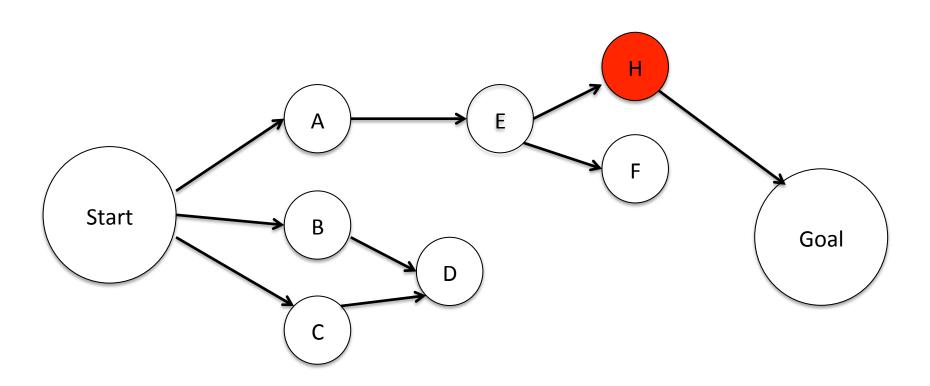
Todo list: H, F, B, C



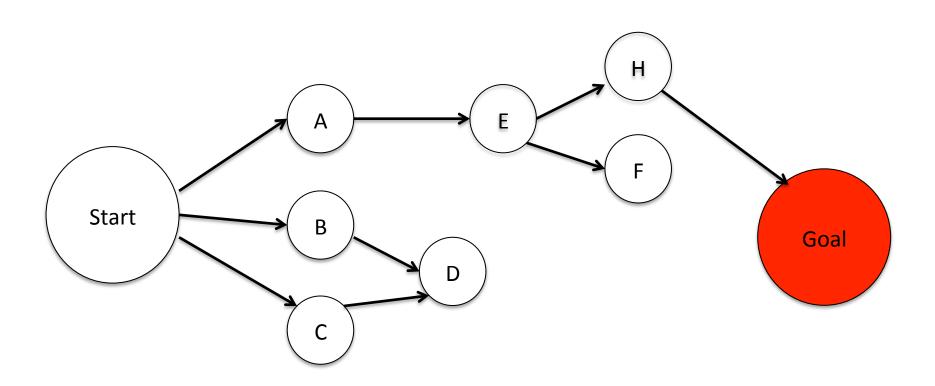
Todo list: F, B, C



Todo list: Goal, F, B, C



Todo list: F, B, C Victory!!



#### **Similarities**

- Both algorithms are very similar, except for the storage of the todo list
- Connects very nicely to data structures (BFS uses FIFO todo list, DFS uses LIFO todo list)
- FIFO = queue, LIFO = stack
- Next, we will define a more general formulation of graph search that will help us learn two more algorithms for path planning

#### General Approach to Graph Search

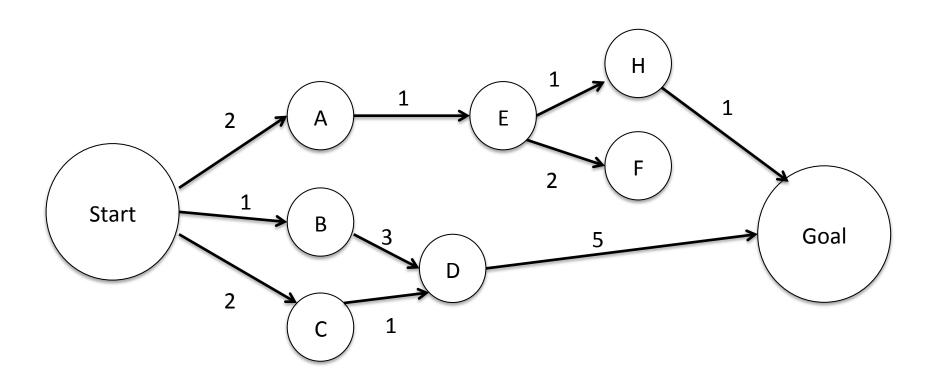
```
to_visit = [(x_0, priority=1)]
dead_nodes = []
while not(to_visit.is_empty())
   (n, priority) = to_visit.get_highest_priority()
   if n = x_{\alpha} then terminate
   for m in n.neighbors()
      if m not in dead_nodes
         to_visit.update_priority(m, calcpriority(m))
   to_visit.remove(n)
   dead_nodes.add(n)
```

#### Dijkstra's Algorithm

- Considers edge costs (not done in BFS or DFS)
- Guaranteed to find optimal path (minimum sum of costs)
- Key idea: store a tentative cost to each node in the todo list, update if possible (example will clarify)

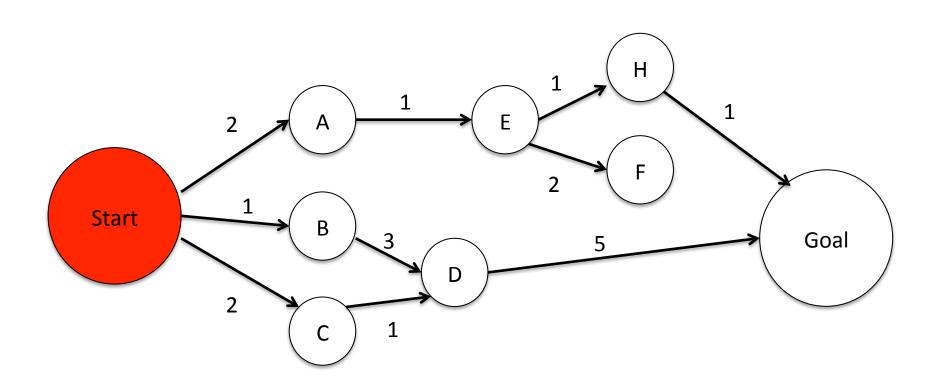
Todo list: (Start, 0)

Dead nodes:



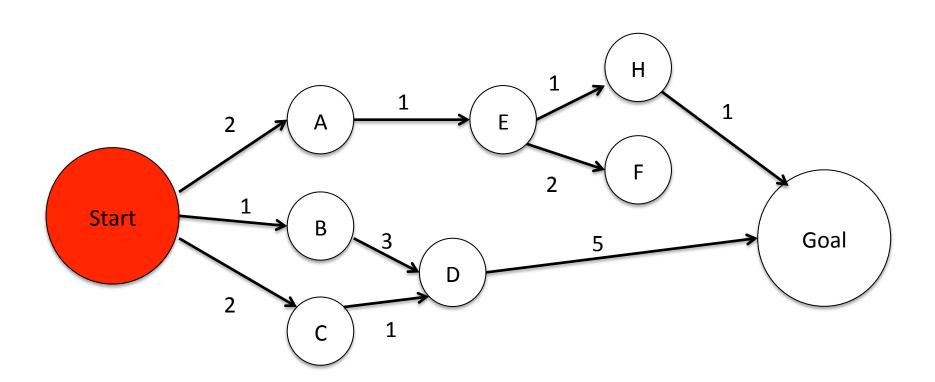
Todo list:

Dead nodes:



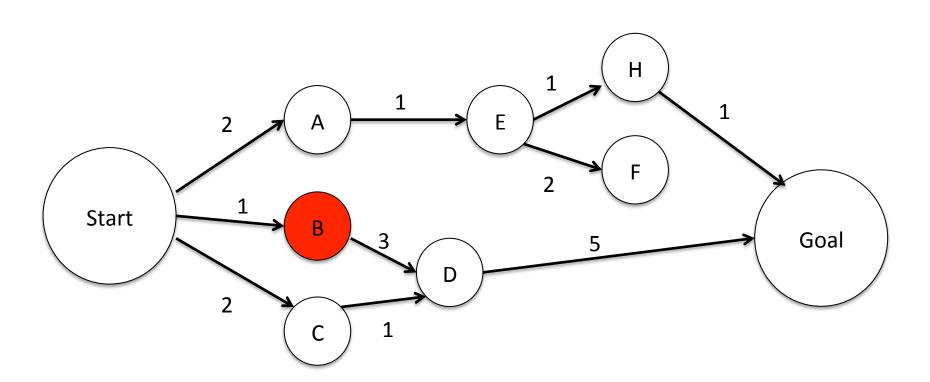
Todo list: (B,-1), (A,-2), (C, -2)

Dead nodes: (Start)



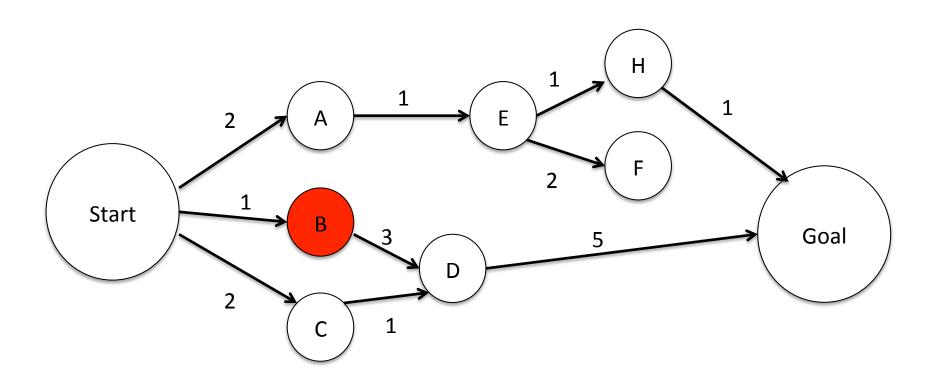
Todo list: (A,-2), (C, -2)

Dead nodes: (Start)



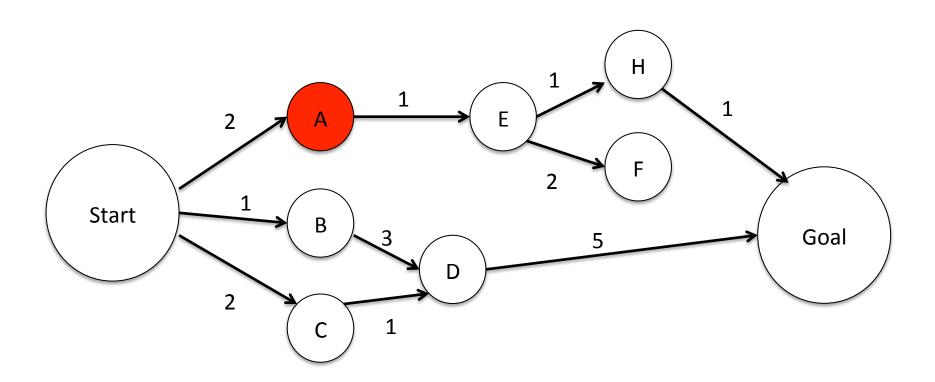
Todo list: (A,-2), (C, -2), (D,-4)

Dead nodes: (Start, B)



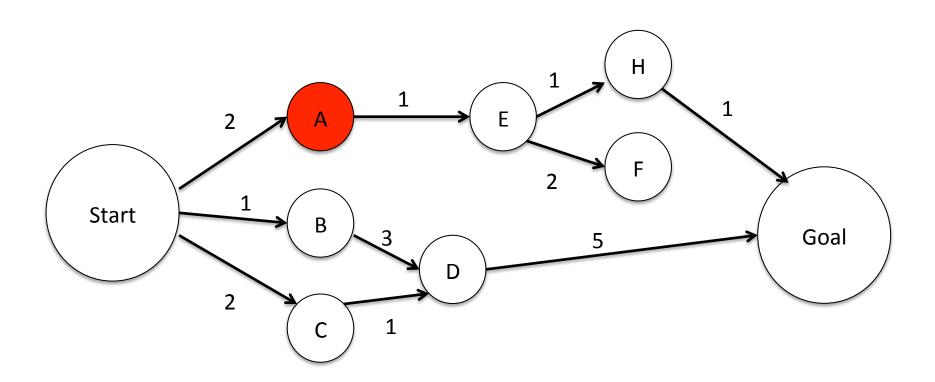
Todo list: (C, -2), (D,-4)

Dead nodes: (Start, B)



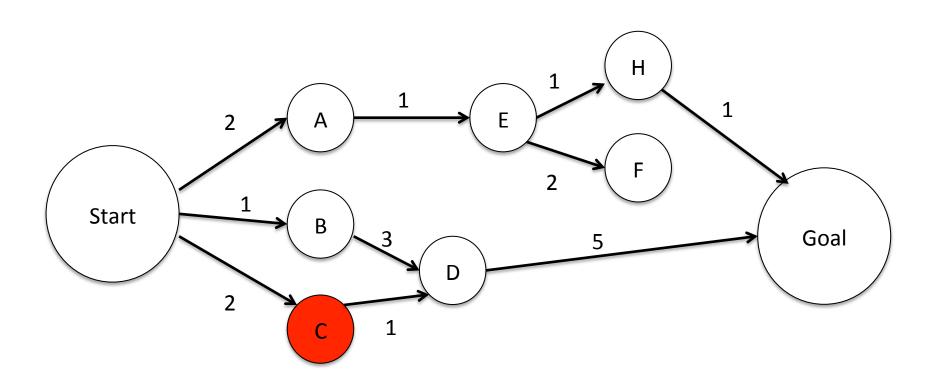
Todo list: (C, -2), (E,-3), (D,-4)

Dead nodes: (Start, B, A)



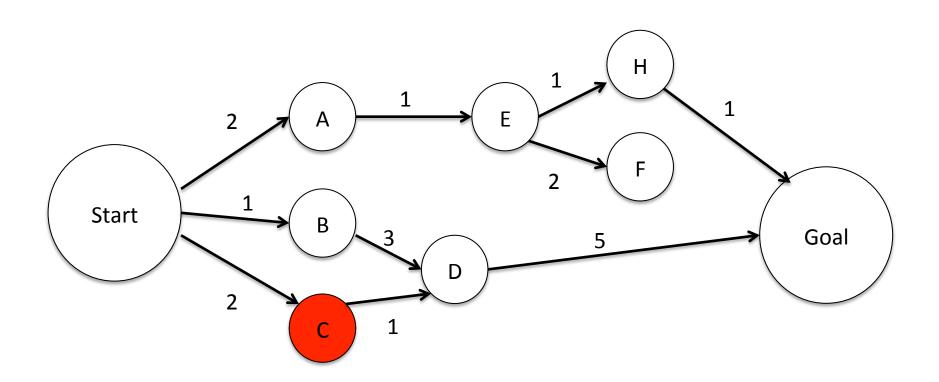
Todo list: (E,-3), (D,-4)

Dead nodes: (Start, B, A)



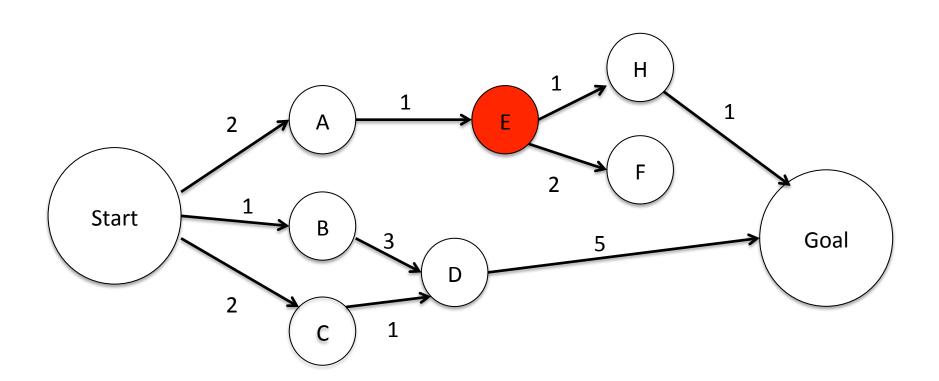
Todo list: (E,-3), (D,-3)

Dead nodes: (Start, B, A, C)



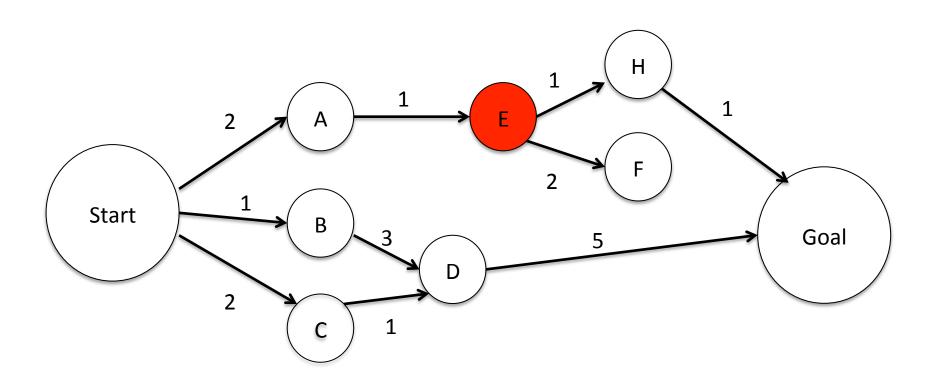
Todo list: (D,-3)

Dead nodes: (Start, B, A, C)



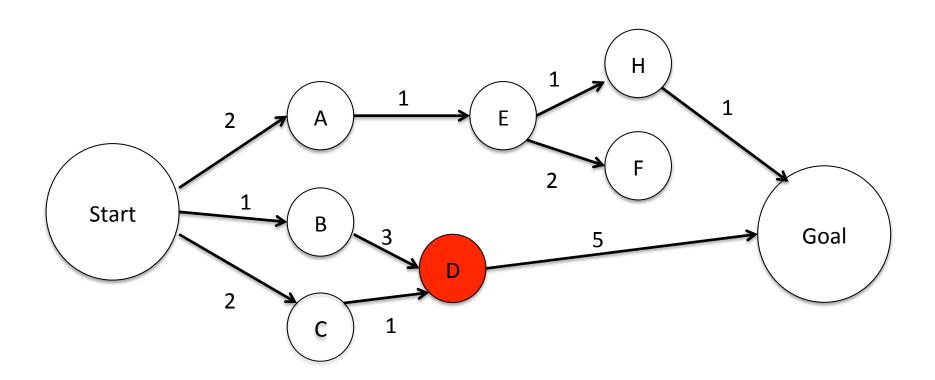
Todo list: (D,-3), (H,-4), (F,-5)

Dead nodes: (Start, B, A, C, E)



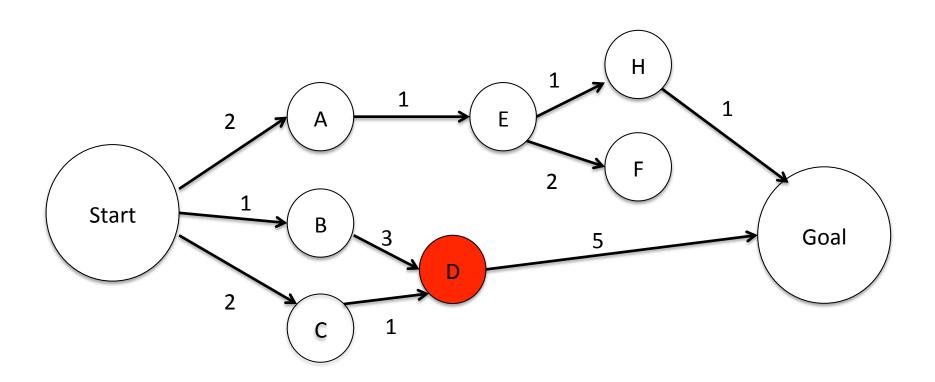
Todo list: (H,-4), (F,-5)

Dead nodes: (Start, B, A, C, E)



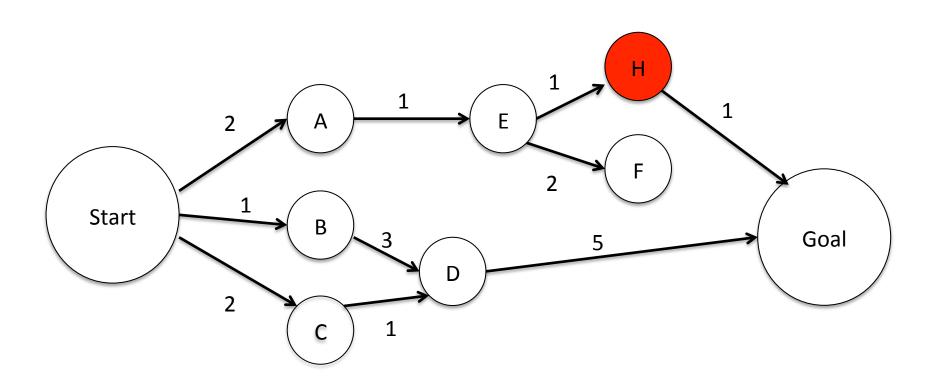
Todo list: (H,-4), (F,-5), (Goal,-8)

Dead nodes: (Start, B, A, C, E, D)



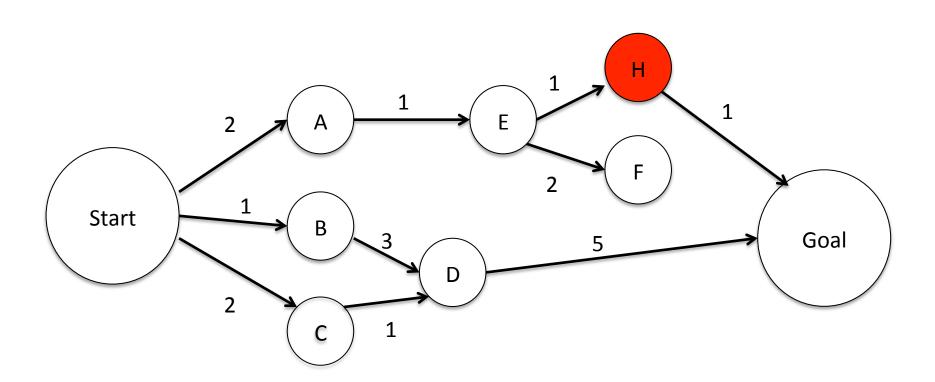
Todo list: (F,-5), (Goal,-8)

Dead nodes: (Start, B, A, C, E, D)



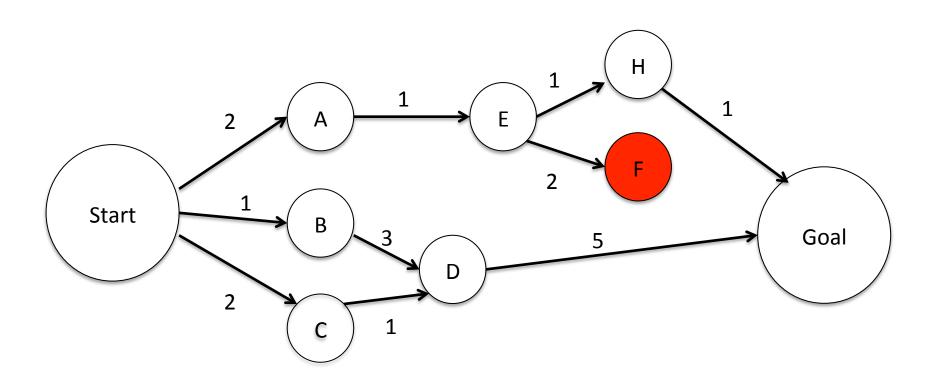
Todo list: (F,-5), (Goal,-5)

Dead nodes: (Start, B, A, C, E, D, H)



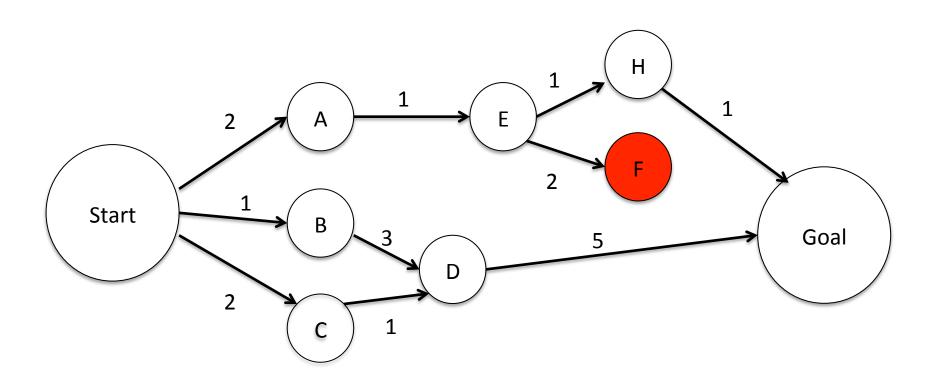
Todo list: (Goal,-5)

Dead nodes: (Start, B, A, C, E, D, H)



Todo list: (Goal,-5)

Dead nodes: (Start, B, A, C, E, D, H, F)



Todo list:

Dead nodes: (Start, B, A, C, E, D, H, F)

Victory!!

