

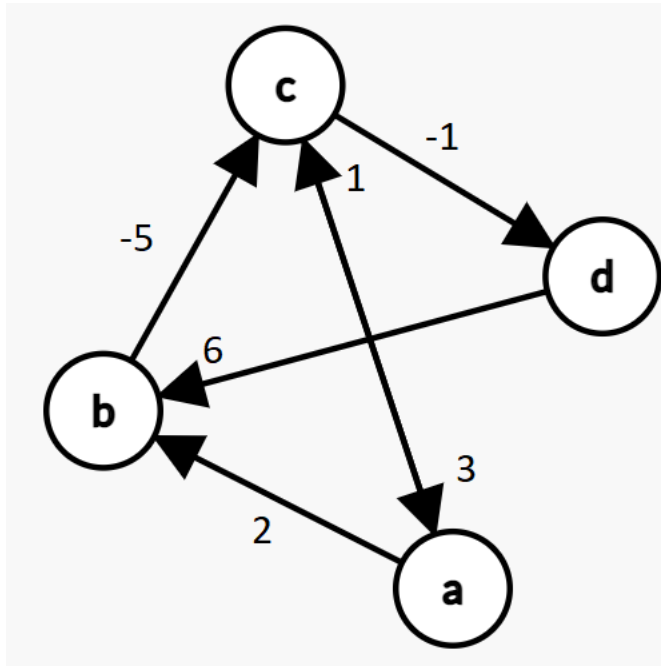
Homework #9

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Points: 20

For due date, please see Canvas.

Execute the Bellman Ford algorithm on the below network to provide the list of distances and previous nodes from the source. Assume node a is the source node.



Note that there are 4 nodes and 6 edges in the above graph. The link between c and a is bi-directional, so that counts as two edges. Also, to clarify because the above image may not be fully clear:

c→a has an edge weight of 3

a→c has an edge weight of 1

d→b has an edge weight of 6

To understand the type of work and final answer that I'm expecting, see the **Sample Bellman Ford Problem and Solution.pdf** document posted on Canvas.

Node	Distance from a	Previous Node
a	0 infinity	Nil
b	2 infinity	a Nil
c	-3 infinity	b Nil
d	-4 infinity	c Nil

Iteration 1:

a->b:

Is $\text{infinity} > 0+2$? Yes, so update b's distance entry to $0+2=2$. Update previous node to a.

b->c:

Is $\text{infinity} > 2+(-5)$? Yes, so update c's distance entry to $2+(-5)=-3$. Update previous node to b.

c->d:

Is $\text{infinity} > (-3) + (-1)$? Yes, so update d's distance entry to $(-3) + (-1) = -4$. Update previous node to c.

d->b:

Is $2 > (-4) + 6$? No, so don't update row b.

a->c:

Is $(-3) > 0 + 1$? No, so don't update row c.

c->a:

Is $0 > (-3) + 3$? No, so don't update row a.

Iteration 2:

a-> b: $0+2 = 2$, so no update

a-> c: $0+1 > -3$, so no update

b-> c: $2+(-5) = -3$, so no update

c-> a: $-3+ 3 = 0$, so no update

c-> d: $-3 + (-1) = -4$, so no update

d-> b: $-4 + 6 = 2$, so no update.

Iteration 3:

a->b: $0+2 = 2$, so no update

a->c: $0+1 > -3$, so no update

b->c: $2+(-5) = -3$, so no update

c->a: $-3+3 = 0$, so no update

c->d: $-3 + (-1) = -4$, so no update

d-> b: $-4+6 = 2$, so no update