## R instructions for the 1st seminar

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download R : http://www.r-project.org/
user interface for R: http://www.rstudio.com/
An R Introduction to Statistics: http://www.r-tutor.com/
```

1)set working directory, 2)check files in working directory, 3)load the data, 4)find out the names of variables, 5)check variable classes

- 1) setwd("C:/.../seminars/1\_seminar")
- 2) dir()
- 3) load("Movies.RData")
- 4) names (Movies)
- 5) lapply(Movies, class)

```
R Instructions for the problem 1:
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boxplot(Movies\$Movie~Movies\$fMan)

```
•Frequency tables
absolute frequencies for the variable fMovie: table(Movies$fMovie)
absolute frequencies for all variables lapply (Movies, table)
relative frequencies for the variable fMovie: prop.table(table(Movies$fMovie))
relative frequencies for all variables: lapply(Movies,function(my){prop.table(table(my))})
absolute frequencies for the variable fMovie separately for man and woman:
  tapply(Movies$fMovie,Movies$fMan,table)
relative frequencies for the variable fMovie separately for man and woman:
  tapply(Movies$fMovie,Movies$fMan,FUN=function(my)prop.table(table(my)))
• Descriptive statistics
common descriptive statistics for the variable Movie:
mean(Movies$Movie, na.rm=TRUE)
median(Movies$Movie, na.rm=TRUE)
quantile(Movies$Movie, probs=c(0, 0.25, 0.5, 0.75, 1), na.rm=TRUE)
sd(Movies$Movie, na.rm=TRUE)
var(Movies$Movie, na.rm=TRUE)
the mean for variables Movie and Man:
lapply(Movies[,1:2],mean, na.rm=TRUE)
common descriptive statistics for variable fMovie:
summary(Movies$fMovie)
common descriptive statistics for all variables; notice the function summary gives different
results for numeric and factor variables:
summary(Movies)
common descriptive statistics for the variable Movie categorized by variable fMan:
tapply(Movies$Movie, Movies$fMan, summary, na.rm=T)
A package "lattice" allows handy way to produce graphs like histograms, boxplots, scat-
terplots, etc. Firstly, this package should be installed; secondly it should be loaded
every session user intends to use commands associated with this package.
ad1) install.packages("lattice") ad2) library(lattice).
!library(lattice)
•Histograms
create a histogram for variable Movie:
histogram(Movies$Movie,type="count",breaks=seq(0.5,5.5,1),col=24)
create a histogram for variable Movie categorized by variable fMan:
histogram(~Movies$Movie | Movies$fMan, type="percent",breaks=seq(0.5,5.5,1))
(TODO rozmyslet oba grafy do jednoho obrazku jinak, nez pres "hist"; arg "'groups"' u histogram nefachci)
Assess the skewness - can the mean be used insted of the median?
•Box plots
create a boxplot for variable Movie:
bwplot(Movies$Movie)
create a boxplot for variable Movie categorized by variable fMan:
bwplot(~Movies$Movie|Movies$fMan)
create a boxplot for variable Movie categorized by variable fMan, both graphs in one pic-
```

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R Instructions for the problem 2:
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...analogously, e.g.:
summary(Household.marriage)
lapply(Household.marriage,function(my){m=mean(my);s=sd(my);v=var(my);return(c(m,s,v))})
histogram(Household.marriage$getmar ,type = "percent")
histogram(Household.marriage$ownhh ,type = "percent")
```

Notice that the shape of histogram of variable ownhh is skewed positively whereas getmar is "symetric". Thus using of the mean in case of the ownhh is unacceptable whereas in case of the *qetmar* it can be accepted.

(TODO rozmyslet oba grafy do jednoho obrazku, par(mfrow(c(1,2)) nefachci

### R Instructions for the problem 3:

There are 1322 cases in a sample, so according to the large sample size, t-test is acceptable.

Have a look at categorized histograms, descriptive statistics,... histogram(~Movies\$Movie| Movies\$fMan)

bwplot(~Movies\$Movie| Movies\$fMan)

tapply(Movies\$Movie, Movies\$fMan, function(my) {m=mean(my); v=var(my); return(c(m,v))})

Before running t-test it is necessary to assess the assumption of equal sigmas which is done via F-test:

var.test(Movies\$Movie[Movies\$fMan=="man"],Movies\$Movie[Movies\$fMan=="woman"],ratio=1, alternative="two.sided")

As the F-test did not rejected equality of sigmas (p-value = 0.4058) we can proceed with two-sample t-test:

t.test(Movies\$Movie[Movies\$fMan=="man"],Movies\$Movie[Movies\$fMan=="woman"], mu=0,var.equal=T)

(Notice, p-value of the t-test (p-value = 0.0001746) can be supplemented by Cohen's d for effect size. Code for calculating *Cohen's d* is at the end of this file.)

- •Wilcoxon rank sum test
- A) Exact test

!library(exactRankTests)

wilcox.exact(Movies\$Movie[Movies\$fMan=="man"],Movies\$Movie[Movies\$fMan=="woman"],mu=0,ex This exact test is feasiable only for small sample sizes, so considered sample "Movies" can not be processed by this test.

B) Asymptotical test without continuity correction

wilcox.test(Movies\$Movie[Movies\$fMan=="man"],Movies\$Movie[Movies\$fMan=="woman"],mu=0, exact=FALSE, correct=FALSE)

C) Asymptotical test with continuity correction.

wilcox.test(Movies\$Movie[Movies\$fMan=="man"],Movies\$Movie[Movies\$fMan=="woman"],mu=0, exact=FALSE, correct=TRUE)

Firstly we have to create contingency tables of categorial variables fMovie and FMan:

t<-table(Movies\$fMovie,Movies\$fMan); t table of absolute frequences

addmargins(t) absolute frequences with margins

prop.table(t) relative frequences (cell percentages)

```
\label{eq:addmargins} $$\operatorname{addmargins}(\operatorname{prop.table}(t))$ relative frequences with margins $$\operatorname{prop.table}(t,1)$ row percentages $$\operatorname{prop.table}(t,2)$ column percentages $$\operatorname{margin.table}(t,1)$ row margins $$\operatorname{margin.table}(t,2)$ column margins $$\operatorname{Performing} \chi^2$-test: $$ \operatorname{chisq.test}(t)$ provides p-value and the test-statistic $$ \operatorname{chisq.test}(t)$ expected $$ \operatorname{chisq.test}(t)$ observed $$ \operatorname{chisq.test}(t)$ residuals $$
```

# R Instructions for the problem 4:

# $\bullet$ ANOVA

As there are 1322 values in a data set ANOVA is acceptable.

a) Categorised boxplots in one picture:

boxplot(Household.education\$ownhh~Household.education\$fdegree4)

b) Descriptive statistics:

```
tapply(Household.education$ownhh, Household.education$fdegree4, mean)
tapply(Household.education$ownhh, Household.education$fdegree4, sd)
tapply(Household.education$ownhh, Household.education$fdegree4, summary)
```

c) Categorized histograms in separate pictures:

histogram(~Household.education\$ownhh|Household.education\$fdegree4) (Categorized QQ-plots can be supplemented. A code for it is at the end of this ?le.)

d) Assumption of equality of variances:

!library(DescTools)

LeveneTest(Household.education\$ownhh~Household.education\$fdegree4,center=mean)

(For our data equality of variances was rejected and ANOVA should not be performed. Following steps are just to demonstrate the R functions related to ANOVA method. However, R offers also function for performing ANOVA with unequal variances, this test is only asymptotical and not included in basic textbooks.

oneway.test(Household.education\$ownhh~Household.education\$fdegree4, var.equal

= FALSE))

e) ANOVA test:

```
model<-lm(Household.education$ownhh~Household.education$fdegree4)
Attention! The factor variable in a model definition must be of class "factor". Otherwise, e.g class "numeric" for variable "degree" will lead to false results.
anova(model)
or aov(Household.education$ownhh~Household.education$fdegree4)
summary(aov(Household.education$ownhh~Household.education$fdegree4))
```

#### f) Post-hoc tests:

```
Firstly package "agricolae" has to be installed and downloaded. !library(agricolae) scheffe.test(aov(ownhh~fdegree4,data=Household.education), "fdegree4", group=TRUE,
```

```
console=TRUE,alpha=0.104)
     (This function does not provide p-values, only shows whether or not means are sig-
     nificantly different at the \alpha level. When \alpha = 0.05, no pair is for our data significantly
     different; here contrast can be significant.)
     TukeyHSD test is appropriate for balanced design (which is not our case), thus fol-
     lowing R function is just to demonstrate a syntax.
     TukeyHSD(aov(Household.education$ownhh~Household.education$fdegree4))
     (Performed p-values are smaller then true p-values, as the test assumes balanced
     groups.)
     Another option in base package is Bonferroni Multipl comparisons method:
     pairwise.t.test(Household.education$ownhh,Household.education$fdegree4,
     p.adjust.method="bonferroni")
  f) Analyzing residuals:
     shapiro.test(residuals(lm(Household.education$ownhh~Household.education$fdegree4)))
     (As the sample size is large it is no surprise that the normality was rejected.
     qqnorm(residuals(lm(Household.education$ownhh~Household.education$fdegree4)))
     qqline(residuals(lm(Household.education$ownhh~Household.education$fdegree4)))
•Kruskal-Walis test
histogram(~Household.education$ownhh|Household.education$fdegree4, type="percent")
kruskal.test(Household.education$ownhh~Household.education$fdegree4)
\bullet \chi^2 test
t<-table(Household.education$ownhh , Household.education$fdegree4); t
chisq.test(t)
script for Cohen's d:
......
cohens_d <- function(x, y) {</pre>
   lx \leftarrow length(x) - 1
   ly \leftarrow length(y) - 1
   md \leftarrow abs(mean(x) - mean(y))
                                       ## mean difference (numerator)
   csd \leftarrow lx * var(x) + ly * var(y)
   csd \leftarrow csd/(lx + ly)
   csd <- sqrt(csd)</pre>
                                        ## common sd computation
   cd <- md/csd
                                        ## cohen's d
> res <- cohens_d(Movies$Movie[Movies$fMan=="man"],Movies$Movie[Movies$fMan=="woman"])</pre>
> res
script for normal Q-Q plot:
......
```

```
useful:
!library(DescTools)
Freq(Household.marriage$ownhh )
PercTable(Household.marriage$ownhh , Household.marriage$getmar)
```