ELEN-0060: Information and Coding Theory

Project 2 - Source coding, data compression and channel coding

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# 1 Channel coding

## 1.1 Question 16

In order to implement a function to read and display the given image, we used the methods imread and imshow provided by OpenCV.

### 1.2 Question 17

To encode the image signal, we used a fixed-length binary code of 8 bits. We have chosen 8 bits because there are 256 (from 0 to 255) possible values, so we need  $\lceil log_2(256) \rceil = 8$ . The code is the binary representation of the grayscale value of each pixel.

### 1.3 Question 18

By simulating the channel effect on the binary signal of the image, we get the following image:



Figure 1: Image after simulating the channel effect

As we can see in the picture, after simulating the channel effect, there are a lot of small dots<sup>1</sup> that are pixels with different grayscale values compared to their very close neighbors. This is due to the fact that we are simulating a potential loss bit by bit and we are not using any sort of redundancy. Thus, if one of the most significant bits is modified, it completely changes the grayscale value for the pixel.

### 1.4 Question 19

In order to compute the Hamming(7,4) code for the binary image signal, we need to add 3 redundancy bits for every 4 bits. The 3 redundancy bits are:

- Bit  $1 = (bit0 + bit1 + bit2) \mod 2$
- Bit  $2 = (bit1 + bit2 + bit3) \mod 2$

<sup>&</sup>lt;sup>1</sup>Zoom in the image to see them better.

• Bit  $3 = (bit0 + bit2 + bit3) \mod 2$ 

where bit 0, bit 1, bit 2, and bit 3 are, respectively, the first, second, third, and fourth bits for which we want to add redundancy.

By applying this principle on each block of 4 bits from the binary image signal, we get the Hamming(7,4) code for the entire binary image signal.