

## Informatics II Exercise 7

April 01, 2019

## Abstract Data Types (ADT)

Task 1. Create a new datatype stack of positive integers that is able to store an arbitrary number of elements. You should implement stack using dynamic array, which initial size is INITIAL\_STACK\_SIZE, a constant equal to 5. When stack becomes full, increase the size of stack array for INITIAL\_STACK\_SIZE elements. You don't have to take care of stack size when removing elements from stack. A stack is of the following type:

```
1 typedef struct stackADT {
2    int *elements;
3    int size;
4    int count;
5 } stack;
```

Along with the above datatype create the following functions:

- void initialize(stack \*s) which initializes stack s.
- int isEmpty(stack \*s) which checks if stack s is empty or not.
- int push(stack \*s, int value) which inserts element value into s and returns the position where it was added in the elements array.
- $int\ pop(stack\ *s)$  which removes an element from s and returns its value. In case of an error, -1 should be returned.
- $int\ compareStack(stack\ *sA,\ stack\ *sB)$  which returns 1 if sA and sB are equal and 0 in any other case.
- int printStack(stack \*s) which prints the values of the stack starting from the top element of s.

Test your implementation by performing the following operations:

- 1. Create and initialize stacks sA, sB.
- 2. Insert 1, 2, 3, 4, 5, 6, 7, 8 into sA, remove two elements and print the values of the removed elements.



- 3. Insert 10, 11, 12, 13 into sB
- 4. Print sB
- 5. Remove one element of sB and print the value of the removed element.
- 6. Insert 8 and 9 into sB.
- 7. Compare sA with sA and print the result.
- 8. Compare sA with sB and print the result.
- 9. Remove 4 elements from sA and print the values of the removed elements.
- 10. Delete the stacks.

**Task 2.** Consider having a stack implementation from the Task 1. What does the function *void func(stack \*s, int n, int curr)* do? What is the output of the following program?

```
Algo: MAIN()

initialize(s);
push(s, 1);
push(s, 2);
push(s, 3);
push(s, 4);
push(s, 5);
push(s, 5);
push(s, 6);
push(s, 7);
push(s, 8);
push(s, 9);
curr = 0;
n = 9; //Stack size
func(s, 9, curr);
printStack(s);
```

Task 3. Consider a datatype queue corresponding to a queue of positive integers able to store QUEUE\_SIZE elements, where QUEUE\_SIZE is defined as a constant. A queue is of the following structure:

```
1 typedef struct queueADT {
2     int elements[QUEUE_SIZE];
3     int head;
```



- 4 int count;
- 5 } queue;

Considering the **queue** datatype write the pseudocode for the following functions:

- void initialize(queue \*q) which initializes the head and the count of q.
- int enqueue(queue \*q, int value) which inserts the element value in q and returns the position it was added in the elements array. In case of an error, -1 should be returned.
- int dequeue(queue \*q) which removes an element from q and returns its value. In case of an error, -1 should be returned.
- int compareQueue(queue \*qA, queue \*qB) that returns 1 if qA and qB are equal and 0 in any other case.

Task 4. The LIFO behaviour of a stack can be simulated using two FIFO queues. The elements of the stack are moved from one queue to another to properly perform the *push* and *pop* operations. After the completion of a *push* and *pop* operation, all elements are stored in only one of the two queues. Assume that a stack is implemented using two queues of identical size. Initially the queues, and thus the stack, are empty. Make a table to illustrate the sequence of queue operations needed to simulate the following sequence of stack operations: push(4); push(5); push(6); pop(); pop(); push(7); Draw the state of the queues after each stack operation.

Queue A Queue B Stack Op Queue Op