Cryptocurrency Prediction

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Project Background

In this project, we tackle the challenge of predicting cryptocurrency price movements. The approach began with a thorough exploratory data analysis to understand our dataset, followed by visualizations to identify trends. The data preparation phase involved segmenting the dataset into training and test subsets, handling missing values through median imputation, and normalizing the data for consistency.

Advancing to feature engineering, we crafted polynomial features to illuminate potential interactions that could influence price predictions. Our exploration of modeling techniques was comprehensive, starting with dense neural networks and advancing to include regularized versions and RNN layers, specifically LSTM and simpleRNN, to capture temporal dependencies. Conscious of class imbalance, we incorporated class weights and experimented with CNN layers to detect subtle patterns.

We adhered to a rigorous evaluation process, employing stratified k-fold cross-validation to ensure the models' generalizability and conducted a detailed performance assessment to identify the most accurate predictive approach.

Project Goal

The goal of this project is to predict whether the price of crypto currency will go up (1) or down (0) 2 weeks from the day of prediction, which is indicated by "Target" column by using the following information:

Exploratory Data Analysis

```
In []: #https://drive.google.com/file/d/1DaGuJYwKgAOH87HE7Rz7om34RgWB1IrI/view?usp=
!gdown 1DaGuJYwKgAOH87HE7Rz7om34RgWB1IrI

Downloading...
From: https://drive.google.com/uc?id=1DaGuJYwKgAOH87HE7Rz7om34RgWB1IrI
    To: /content/train.csv
    100% 1.43M/1.43M [00:00<00:00, 89.5MB/s]</pre>
In []: import pandas as pd
import numpy as np
import random
import matplotlib.pyplot as plt
```

```
import os
import tensorflow as tf
from tensorflow.keras import backend as K
import keras
from keras import layers
from keras import initializers
import seaborn as sns
os.environ['PYTHONHASHSEED'] = '0'
random.seed(0)
np.random.seed(0)
tf.random.set_seed(0)
from sklearn.preprocessing import MinMaxScaler
from sklearn.metrics import classification report,accuracy score
from tensorflow.keras import layers, Sequential
from tensorflow.keras.layers import Conv1D, MaxPooling1D
from tensorflow.keras.layers import Flatten, Dense, Dropout, SimpleRNN, GRU,
from tensorflow.keras.callbacks import EarlyStopping
from tensorflow.keras.optimizers import Adam
```

```
In []: data = pd.read_csv('train.csv')
In []: data.info()
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2660 entries, 0 to 2659
Data columns (total 78 columns):

# 	Column	Non-Null Count	Dtype
0	ID	2660 non-null	int64
1	TR_1_EventInd	73 non-null	float64
2	TR_2_EventInd	61 non-null	float64
3	TR_3_EventInd	97 non-null	float64
4	feature_10_A	2212 non-null	float64
5	feature_10_B	1843 non-null	float64
6	feature_10_F	2212 non-null	float64
7	feature_10_G	2212 non-null	float64
8	feature_1_A	1844 non-null	float64
9	feature_1_B	1844 non-null	float64
10	feature_1_C	1840 non-null	float64
11	feature_1_D	1840 non-null	float64
12	feature_1_E	1742 non-null	float64
13	feature_1_F	1844 non-null	float64
14	feature_1_G	1844 non-null	float64
15 16	feature_2_A	1844 non-null	float64
16 17	feature_2_B feature_2_C	1844 non-null 1840 non-null	float64 float64
18	feature_2_C	1840 non-null 1840 non-null	float64
19	feature_2_E	1742 non-null	float64
20	feature_2_F	1844 non-null	float64
21	feature_2_G	1844 non-null	float64
22	feature_3_A	1844 non-null	float64
23	feature_3_B	1844 non-null	float64
24	feature_3_C	1840 non-null	float64
25	feature_3_D	1840 non-null	float64
26	feature_3_E	1742 non-null	float64
27	feature_3_F	1844 non-null	float64
28	feature_3_G	1844 non-null	float64
29	feature_4_A	1915 non-null	float64
30	feature_4_B	1912 non-null	float64
31	feature_4_C	1884 non-null	float64
32	feature_4_E	1513 non-null	float64
33	feature_4_F	1915 non-null	float64
34	feature_4_G	1915 non-null	float64
35 36	feature_5_A	1843 non-null	float64
36 37	feature_5_B	1843 non-null 1839 non-null	float64 float64
38	feature_5_C feature_5_D	1839 non-null	float64
39	feature_5_E	1741 non-null	float64
40	feature_5_F	1843 non-null	float64
41	feature_5_G	1843 non-null	float64
42	feature_6_A	1844 non-null	float64
43	feature_6_B	1844 non-null	float64
44	feature_6_C	1840 non-null	float64
45	feature_6_D	1840 non-null	float64
46	feature_6_E	1742 non-null	float64
47	feature_6_F	1844 non-null	float64
48	feature_6_G	1844 non-null	float64
49	feature_7_A	1844 non-null	float64
50	feature_7_B	1844 non-null	float64

```
51 feature_7_C
                   1840 non-null
                                   float64
52
   feature_7_D
                  1840 non-null
                                   float64
53
   feature 7 E
                  1742 non-null
                                   float64
54 feature_7_F
                  1844 non-null
                                  float64
55 feature_7_G
                  1844 non-null
                                  float64
56
   feature_8_A
                  1844 non-null
                                  float64
                                  float64
57
   feature_8_B
                  1844 non-null
58 feature_8_C
                  1840 non-null
                                  float64
59 feature 8 D
                  1840 non-null
                                  float64
60 feature_8_E
                  1742 non-null
                                  float64
61 feature_8_F
                  1844 non-null
                                  float64
62 feature_8_G
                  1844 non-null
                                  float64
   feature 9 A
                  1843 non-null
                                  float64
63
64 feature 9 B
                  1843 non-null
                                  float64
65 feature 9 C
                  1839 non-null
                                  float64
   feature_9_D
                  1839 non-null
                                  float64
66
67
   feature_9_E
                  1741 non-null
                                  float64
68 feature_9_F
                  1843 non-null
                                   float64
69 feature 9 G
                  1843 non-null
                                  float64
70 feature_X_A
                  2660 non-null
                                   int64
71 feature_X_B
                  2660 non-null
                                  float64
72 feature_X_C
                  2660 non-null
                                  float64
73 feature_X_D
                  2660 non-null
                                   float64
74 index_1
                  95 non-null
                                   float64
75
   index 2
                  95 non-null
                                   float64
                                  float64
76
   index 3
                  95 non-null
77 Target
                  2660 non-null
                                   int64
```

dtypes: float64(75), int64(3)

memory usage: 1.6 MB

In []: data.head()

Out[

[]:		ID	TR_1_EventInd	TR_2_EventInd	TR_3_EventInd	feature_10_A	feature_10_B	fe
	0	1	NaN	NaN	NaN	0.0	NaN	
	1	2	NaN	NaN	NaN	0.0	NaN	
	2	3	NaN	NaN	NaN	0.0	0.023	
	3	4	NaN	NaN	NaN	1.0	0.019	
	4	5	NaN	NaN	1.0	1.0	0.023	

5 rows × 78 columns

```
In []: data.drop('ID', axis=1, inplace=True)
In []: # Statistical summary of numerical features
    data.describe()
```

Out[]:		TR_1_EventInd	TR_2_EventInd	TR_3_EventInd	feature_10_A	feature_10_B	fe
	count	73.0	61.0	97.0	2212.000000	1843.000000	
	mean	1.0	1.0	1.0	0.394213	0.027890	
	std	0.0	0.0	0.0	0.488792	0.024328	
	min	1.0	1.0	1.0	0.000000	0.000000	
	25%	1.0	1.0	1.0	0.000000	0.015000	
	50%	1.0	1.0	1.0	0.000000	0.022000	
	75%	1.0	1.0	1.0	1.000000	0.033000	
	max	1.0	1.0	1.0	1.000000	0.419000	

8 rows × 77 columns

```
In [ ]: # Count of missing values in each column
        data.isnull().sum()
Out[]: TR 1 EventInd
                          2587
        TR_2_EventInd
                          2599
        TR_3_EventInd
                          2563
        feature 10 A
                          448
        feature 10 B
                           817
         feature_X_D
                             0
         index 1
                          2565
         index 2
                          2565
         index 3
                          2565
        Target
        Length: 77, dtype: int64
```

Visualizations

```
In []: # Selecting a subset of features for detailed visualization
    selected_features = ['feature_X_A', 'feature_X_B', 'feature_X_C', 'feature_X'

# Plotting histograms for the selected features
fig, axes = plt.subplots(nrows=2, ncols=2, figsize=(14, 10))
fig.suptitle('Histograms of Selected Features')

for i, feature in enumerate(selected_features):
    sns.histplot(data[feature], bins=30, ax=axes[i//2, i%2], kde=True)
    axes[i//2, i%2].set_title(feature)

plt.tight_layout(rect=[0, 0.03, 1, 0.95])

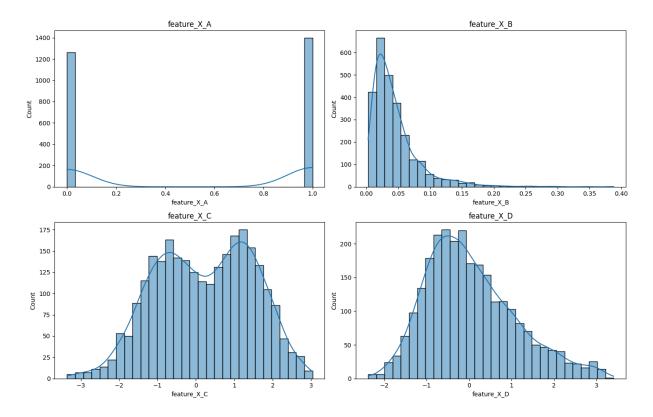
# Plotting boxplots for the selected features against the Target variable
fig, axes = plt.subplots(nrows=2, ncols=2, figsize=(14, 10))
fig.suptitle('Boxplots of Selected Features Against Target')
```

```
for i, feature in enumerate(selected_features):
    sns.boxplot(x='Target', y=feature, data=data, ax=axes[i//2, i%2])
    axes[i//2, i%2].set_title(feature)

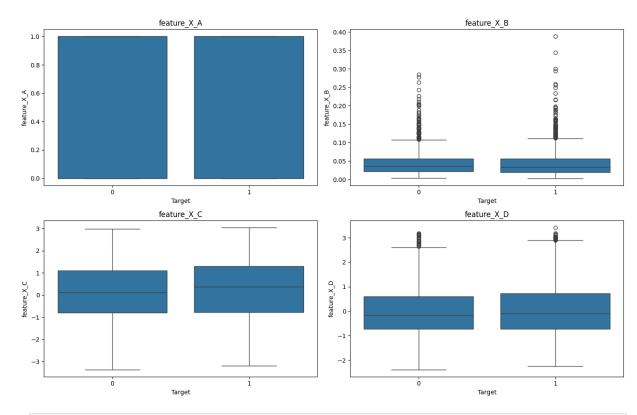
plt.tight_layout(rect=[0, 0.03, 1, 0.95])

plt.show()
```

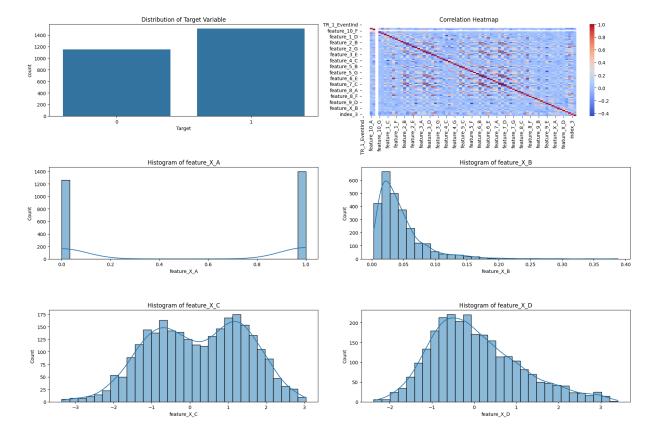
Histograms of Selected Features



Boxplots of Selected Features Against Target



```
In [ ]: import matplotlib.pyplot as plt
        import seaborn as sns
        # Set up the matplotlib figure
        plt.figure(figsize=(18, 12))
        # Distribution of the Target Variable
        plt.subplot(3, 2, 1)
        sns.countplot(x='Target', data=data)
        plt.title('Distribution of Target Variable')
        # Correlation Heatmap
        plt.subplot(3, 2, 2)
        sns.heatmap(data.select_dtypes(include=['float64', 'int64']).corr(), cmap='c
        plt.title('Correlation Heatmap')
        # Histograms for Selected Features
        features_to_plot = ['feature_X_A', 'feature_X_B', 'feature_X_C', 'feature_X_
        for i, feature in enumerate(features_to_plot, start=3):
            plt.subplot(3, 2, i)
            sns.histplot(data[feature], kde=True, bins=30)
            plt.title(f'Histogram of {feature}')
        plt.tight_layout()
        plt.show()
```



Data Prep

```
In [ ]: # Missing Values Count
        missing_values_count = data.isnull().sum()
        missing_values_count[missing_values_count > 0].sort_values(ascending=False)
Out[]: TR_2_EventInd
                           2599
         TR_1_EventInd
                           2587
                           2565
         index 2
         index 1
                           2565
         index_3
                           2565
         feature_4_A
                            745
         feature_4_G
                            745
         feature 10 A
                            448
         feature 10 G
                            448
         feature_10_F
                            448
         Length: 72, dtype: int64
In [ ]: from sklearn.model_selection import train_test_split
        X = data.drop('Target', axis=1) # Features
        y = data['Target']
                                           # Target variable
        # Splitting the data:
        X_{\text{train}}, X_{\text{test}} = X.iloc[:-400], X.iloc[-400:]
        y_train, y_test = y.iloc[:-400], y.iloc[-400:]
In [ ]: X_train.shape, X_test.shape, y_train.shape, y_test.shape
```

```
Out[]: ((2260, 76), (400, 76), (2260,), (400,))
In [ ]: from sklearn.impute import SimpleImputer
        # Instantiate the SimpleImputer to use the median for filling missing values
        imputer = SimpleImputer(strategy='median')
        # Initialize the KNNImputer
        #imputer = KNNImputer(n neighbors=5)
        #threshold = 50
        \#missing values percentage = data.isnull().sum() / len(data) * 100
        #columns_to_delete = missing_values_percentage[missing_values_percentage > t
        #data = data.drop(columns=columns_to_delete)
        # Fit the imputer on the training data (excluding the target variable)
        imputer.fit(X_train)
        # Transform the training data and test data
        X train imputed = imputer.transform(X train)
        X test imputed = imputer.transform(X test)
        # Convert the imputed arrays back into pandas DataFrames for ease of use lat
        X train imputed df = pd.DataFrame(X train imputed, columns=X train.columns)
        X_test_imputed_df = pd.DataFrame(X_test_imputed, columns=X_test.columns)
```

Out[]:		TR_1_EventInd	TR_2_EventInd	TR_3_EventInd	feature_10_A	feature_10_B	featur
	0	1.0	1.0	1.0	0.0	0.022	
	1	1.0	1.0	1.0	0.0	0.022	
	2	1.0	1.0	1.0	0.0	0.023	
	3	1.0	1.0	1.0	1.0	0.019	
	4	1.0	1.0	1.0	1.0	0.023	

Checking the first few rows to confirm the transformation

5 rows × 76 columns

X train imputed df.head()

we also tried to use delete the columns that has over 50% missing values and KNN for imputer, but result didn't improve

```
In []: from sklearn.preprocessing import StandardScaler
    # Instantiate the StandardScaler
    scaler = StandardScaler()

# Fit the scaler on the training data
    scaler.fit(X_train_imputed_df)

# Transform both the training and testing sets
```

```
X_train_scaled = scaler.transform(X_train_imputed_df)
X_test_scaled = scaler.transform(X_test_imputed_df)

# Convert the scaled arrays back into pandas DataFrames
X_train_scaled_df = pd.DataFrame(X_train_scaled, columns=X_train_imputed_df.
X_test_scaled_df = pd.DataFrame(X_test_scaled, columns=X_test_imputed_df.col
# Let's look at the first few rows of the scaled training data
X_train_scaled_df.head()
```

Out[]:		TR_1_EventInd	TR_2_EventInd	TR_3_EventInd	feature_10_A	feature_10_B	featur
	0	0.0	0.0	0.0	-0.695639	-0.188223	
	1	0.0	0.0	0.0	-0.695639	-0.188223	
	2	0.0	0.0	0.0	-0.695639	-0.138412	
	3	0.0	0.0	0.0	1.437528	-0.337656	
	4	0.0	0.0	0.0	1.437528	-0.138412	

5 rows × 76 columns

Model Development and Evaluation

Dense Neural Network for Binary Classification

```
In []: from tensorflow.keras.models import Sequential
    from tensorflow.keras.layers import Dense, Dropout
    from tensorflow.keras.optimizers import Adam

# Model definition
```

Model: "sequential"

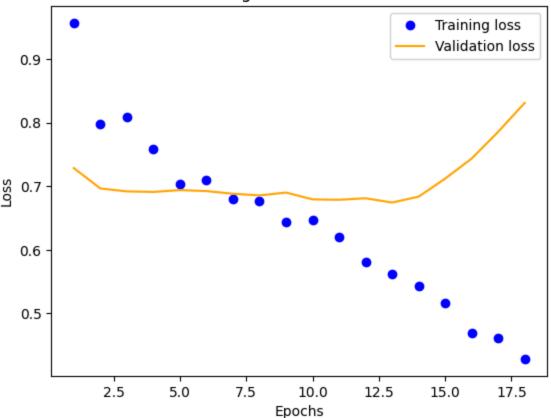
Layer (type)	Output Shape	Param #
dense (Dense)	(None, 128)	374656
dropout (Dropout)	(None, 128)	0
dense_1 (Dense)	(None, 64)	8256
dropout_1 (Dropout)	(None, 64)	0
dense_2 (Dense)	(None, 32)	2080
dropout_2 (Dropout)	(None, 32)	0
dense_3 (Dense)	(None, 1)	33

Total params: 385025 (1.47 MB)
Trainable params: 385025 (1.47 MB)
Non-trainable params: 0 (0.00 Byte)

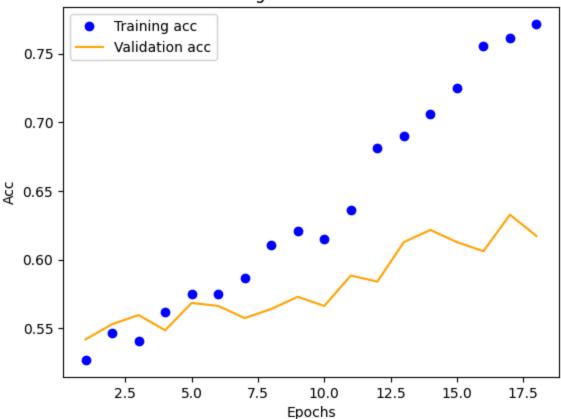
```
Epoch 1/50
57/57 [============= ] - 2s 14ms/step - loss: 0.9566 - acc:
0.5271 - val loss: 0.7284 - val acc: 0.5420
Epoch 2/50
57/57 [============ ] - 1s 9ms/step - loss: 0.7973 - acc:
0.5470 - val loss: 0.6964 - val acc: 0.5531
Epoch 3/50
57/57 [============= ] - 0s 9ms/step - loss: 0.8087 - acc:
0.5409 - val loss: 0.6918 - val acc: 0.5597
Epoch 4/50
57/57 [============ ] - 1s 9ms/step - loss: 0.7587 - acc:
0.5619 - val loss: 0.6910 - val acc: 0.5487
Epoch 5/50
57/57 [=============== ] - 0s 9ms/step - loss: 0.7028 - acc:
0.5752 - val loss: 0.6938 - val acc: 0.5686
Epoch 6/50
57/57 [============= ] - 0s 8ms/step - loss: 0.7101 - acc:
0.5752 - val_loss: 0.6923 - val_acc: 0.5664
Epoch 7/50
57/57 [============= ] - 1s 9ms/step - loss: 0.6794 - acc:
0.5868 - val_loss: 0.6881 - val_acc: 0.5575
Epoch 8/50
57/57 [=============== ] - 1s 9ms/step - loss: 0.6764 - acc:
0.6106 - val_loss: 0.6855 - val_acc: 0.5642
Epoch 9/50
57/57 [=============== ] - 0s 9ms/step - loss: 0.6435 - acc:
0.6206 - val_loss: 0.6900 - val_acc: 0.5730
Epoch 10/50
57/57 [============= ] - 1s 9ms/step - loss: 0.6462 - acc:
0.6150 - val_loss: 0.6793 - val_acc: 0.5664
Epoch 11/50
57/57 [============= ] - 0s 8ms/step - loss: 0.6196 - acc:
0.6361 - val_loss: 0.6786 - val_acc: 0.5885
Epoch 12/50
57/57 [============= ] - 1s 9ms/step - loss: 0.5811 - acc:
0.6814 - val_loss: 0.6810 - val_acc: 0.5841
57/57 [=============== ] - 0s 8ms/step - loss: 0.5621 - acc:
0.6897 - val_loss: 0.6743 - val_acc: 0.6128
Epoch 14/50
57/57 [============= ] - 1s 9ms/step - loss: 0.5438 - acc:
0.7063 - val_loss: 0.6835 - val_acc: 0.6217
Epoch 15/50
57/57 [============= ] - 1s 9ms/step - loss: 0.5156 - acc:
0.7251 - val_loss: 0.7119 - val_acc: 0.6128
Epoch 16/50
57/57 [=============== ] - 1s 9ms/step - loss: 0.4684 - acc:
0.7555 - val_loss: 0.7434 - val_acc: 0.6062
Epoch 17/50
57/57 [============ ] - 1s 13ms/step - loss: 0.4616 - acc:
0.7616 - val_loss: 0.7855 - val_acc: 0.6327
Epoch 18/50
0.7716 - val_loss: 0.8310 - val_acc: 0.6173
```

```
In [ ]: # Plot training and validation loss
        history_dict = history.history
        loss values = history dict['loss']
        val loss values = history dict['val loss']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training loss')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
        plt.title('Training and validation loss')
        plt.xlabel('Epochs')
        plt.ylabel('Loss')
        plt.legend()
        plt.show()
        # Plot training and validation accuracy
        history_dict = history.history
        loss_values = history_dict['acc']
        val_loss_values = history_dict['val_acc']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training acc')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
        plt.title('Training and validation acc')
        plt.xlabel('Epochs')
        plt.ylabel('Acc')
        plt.legend()
        plt.show()
```

Training and validation loss



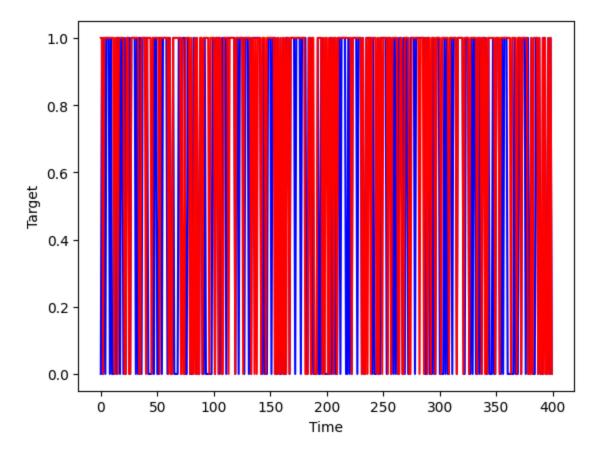
Training and validation acc



```
In []: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
```

13/13 [====== [[72 103] [34 191]]	=======	======	:===] - 0s	4ms/step
	precision	recall	f1-score	support
0	0.68	0.41	0.51	175
1	0.65	0.85	0.74	225
accuracy			0.66	400
macro avg	0.66	0.63	0.62	400
weighted avg	0.66	0.66	0.64	400

Test Results



This model development and evaluation phase indicates a deep learning architecture primarily composed of dense layers and dropout applied to manage overfitting. Training incorporates early stopping, which rightly halts the process once the validation loss ceases to decrease, suggesting potential overfitting as the training loss continues to drop. The learning curves highlight this disconnect, as training accuracy improves without corresponding increases in validation accuracy. Performance metrics, including a confusion matrix, demonstrate reasonable predictive capabilities, albeit with a skew towards one class, hinting at the possibility of an imbalanced dataset or the need for a more nuanced approach to classification. Visual comparison of actual and predicted targets suggests areas where model predictions could be calibrated for better alignment with observed data.

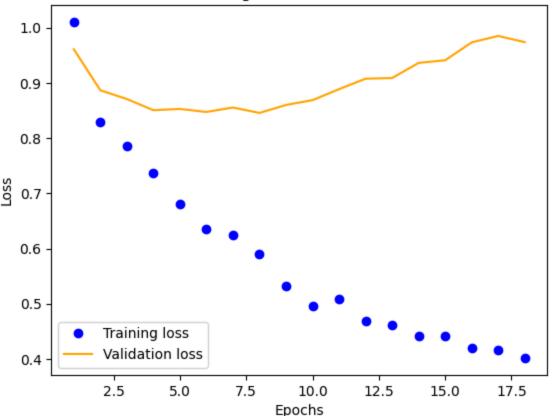
Regularized Dense Neural Network

```
In [ ]: from tensorflow.keras.models import Sequential
        from tensorflow.keras.layers import Dense, Dropout, BatchNormalization
        from tensorflow.keras.optimizers import Adam
        from tensorflow.keras.regularizers import l1_l2
        from tensorflow.keras.callbacks import EarlyStopping
        model = Sequential([
            Dense(128, activation='relu', input shape=(X train poly df.shape[1],), k
            BatchNormalization(),
            Dropout(0.3),
            Dense(64, activation='relu', kernel regularizer=11 l2(l1=1e-5, l2=1e-4))
            BatchNormalization(),
            Dropout(0.3),
            Dense(32, activation='relu', kernel regularizer=11 l2(l1=1e-5, l2=1e-4))
            BatchNormalization(),
            Dropout(0.3),
            Dense(1, activation='sigmoid')
        1)
        model.compile(optimizer='adam',
                      loss='binary_crossentropy',
                      metrics=['accuracy'])
        early_stopping = EarlyStopping(monitor='val_loss', patience=10, restore_best
        history = model.fit(X_train_poly_df, y_train,
                            validation_split=0.2,
                            epochs=200,
                            batch_size=64,
                            callbacks=[early stopping])
```

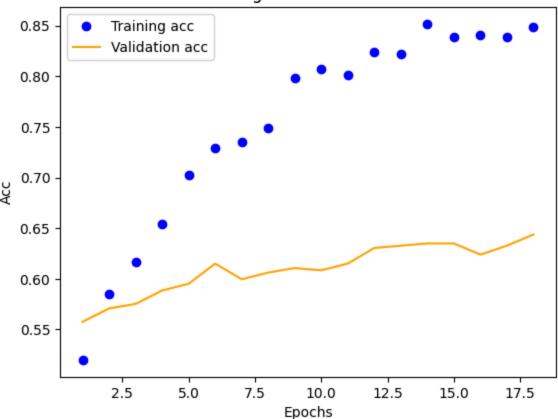
```
Epoch 1/200
29/29 [============= ] - 3s 25ms/step - loss: 1.0103 - accur
acy: 0.5199 - val loss: 0.9609 - val accuracy: 0.5575
Epoch 2/200
29/29 [======== ] - 0s 14ms/step - loss: 0.8286 - accur
acy: 0.5846 - val loss: 0.8866 - val accuracy: 0.5708
29/29 [============= ] - 0s 15ms/step - loss: 0.7863 - accur
acy: 0.6167 - val loss: 0.8707 - val accuracy: 0.5752
Epoch 4/200
29/29 [=========== ] - 0s 13ms/step - loss: 0.7359 - accur
acy: 0.6543 - val loss: 0.8505 - val accuracy: 0.5885
Epoch 5/200
29/29 [============== ] - 0s 14ms/step - loss: 0.6811 - accur
acy: 0.7030 - val loss: 0.8527 - val accuracy: 0.5951
Epoch 6/200
29/29 [======== ] - 0s 14ms/step - loss: 0.6355 - accur
acy: 0.7290 - val_loss: 0.8473 - val_accuracy: 0.6150
Epoch 7/200
29/29 [======== ] - 0s 13ms/step - loss: 0.6252 - accur
acy: 0.7356 - val_loss: 0.8554 - val_accuracy: 0.5996
Epoch 8/200
29/29 [=========== ] - 0s 13ms/step - loss: 0.5895 - accur
acy: 0.7494 - val_loss: 0.8456 - val_accuracy: 0.6062
Epoch 9/200
29/29 [========= ] - 0s 13ms/step - loss: 0.5324 - accur
acy: 0.7981 - val_loss: 0.8600 - val_accuracy: 0.6106
Epoch 10/200
29/29 [========= ] - 0s 13ms/step - loss: 0.4966 - accur
acy: 0.8075 - val_loss: 0.8687 - val_accuracy: 0.6084
Epoch 11/200
29/29 [========= ] - 0s 13ms/step - loss: 0.5088 - accur
acy: 0.8009 - val_loss: 0.8886 - val_accuracy: 0.6150
Epoch 12/200
29/29 [=========== ] - 0s 13ms/step - loss: 0.4689 - accur
acy: 0.8241 - val_loss: 0.9075 - val_accuracy: 0.6305
Epoch 13/200
29/29 [============== ] - 0s 13ms/step - loss: 0.4609 - accur
acy: 0.8225 - val_loss: 0.9087 - val_accuracy: 0.6327
Epoch 14/200
29/29 [========== ] - 0s 14ms/step - loss: 0.4407 - accur
acy: 0.8518 - val_loss: 0.9362 - val_accuracy: 0.6350
Epoch 15/200
29/29 [========= ] - 0s 14ms/step - loss: 0.4411 - accur
acy: 0.8390 - val_loss: 0.9409 - val_accuracy: 0.6350
Epoch 16/200
29/29 [=========== ] - 0s 14ms/step - loss: 0.4206 - accur
acy: 0.8407 - val_loss: 0.9733 - val_accuracy: 0.6239
Epoch 17/200
29/29 [========= ] - 0s 12ms/step - loss: 0.4165 - accur
acy: 0.8385 - val_loss: 0.9850 - val_accuracy: 0.6327
Epoch 18/200
29/29 [============= ] - 0s 13ms/step - loss: 0.4019 - accur
acy: 0.8490 - val_loss: 0.9737 - val_accuracy: 0.6438
```

```
In [ ]: # Plot training and validation loss
        history_dict = history.history
        loss values = history dict['loss']
        val loss values = history dict['val loss']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training loss')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
        plt.title('Training and validation loss')
        plt.xlabel('Epochs')
        plt.ylabel('Loss')
        plt.legend()
        plt.show()
        # Plot training and validation accuracy
        history_dict = history.history
        loss_values = history_dict['acc']
        val_loss_values = history_dict['val_acc']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training acc')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
        plt.title('Training and validation acc')
        plt.xlabel('Epochs')
        plt.ylabel('Acc')
        plt.legend()
        plt.show()
```

Training and validation loss



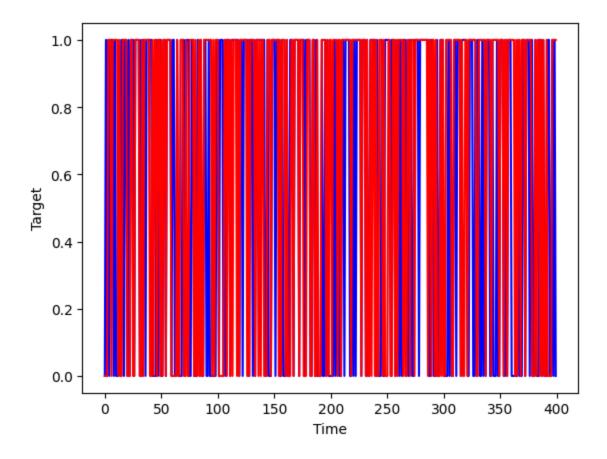
Training and validation acc



```
In []: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
```

13/13 [=====			===] - 0s	3ms/step
[[88 87]				
[55 170]]				
	precision	recall	f1-score	support
0	0.62	0.50	0.55	175
1	0.66	0.76	0.71	225
accuracy			0.65	400
macro avg	0.64	0.63	0.63	400
weighted avg	0.64	0.65	0.64	400

Test Results



The learning curve plots indicate that while the training loss decreases consistently, the validation loss does not show a similar improvement, suggesting a disparity between training and validation performance. The accuracy plots reveal that the training accuracy surpasses validation accuracy, which often signals overfitting. Nonetheless, the final classification report shows a decent balance between precision and recall for both classes, although the model appears to perform better on the positive class. The bar chart illustrates the comparison between predicted and actual values over time, showing a discernible pattern in the model's predictions, which may warrant further investigation to understand any underlying bias or systematic error.

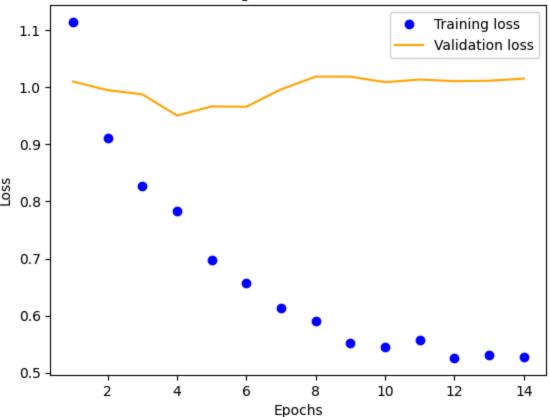
Enhanced Regularized Dense Neural Network

```
In []: from tensorflow.keras.models import Sequential
        from tensorflow.keras.layers import Dense, Dropout, BatchNormalization
        from tensorflow.keras.optimizers import Adam
        from tensorflow.keras.callbacks import EarlyStopping, ReduceLROnPlateau
        from tensorflow.keras.regularizers import l1_l2
        # Define the model with added complexity and regularization
        model = Sequential([
            Dense(256, activation='relu', input shape=(X train poly df.shape[1],), k
            BatchNormalization(),
            Dropout(0.3),
            Dense(128, activation='relu', kernel regularizer=l1 l2(l1=1e-5, l2=1e-4)
            BatchNormalization(),
            Dropout(0.3),
            Dense(64, activation='relu', kernel regularizer=11 l2(l1=1e-5, l2=1e-4))
            BatchNormalization(),
            Dropout(0.3),
            Dense(1, activation='sigmoid')
        1)
        # Compile the model
        model.compile(optimizer='adam',
                      loss='binary_crossentropy',
                      metrics=['accuracy'])
        # Define the early stopping and learning rate reduction callbacks
        early_stopping = EarlyStopping(monitor='val_loss', patience=10, verbose=1, r
        reduce lr = ReduceLROnPlateau(monitor='val loss', factor=0.2, patience=5, ve
        # Train the model with the new callbacks
        history = model.fit(X train poly df, y train,
                            validation split=0.2,
                            epochs=200,
                            batch size=64,
                            callbacks=[early_stopping, reduce_lr],
                            verbose=2) # Use verbose=2 for less verbose output
        # Evaluate the model on the test set
        test_loss, test_accuracy = model.evaluate(X_test_poly_df, y_test, verbose=1)
        print(f'Test Accuracy: {test_accuracy}')
```

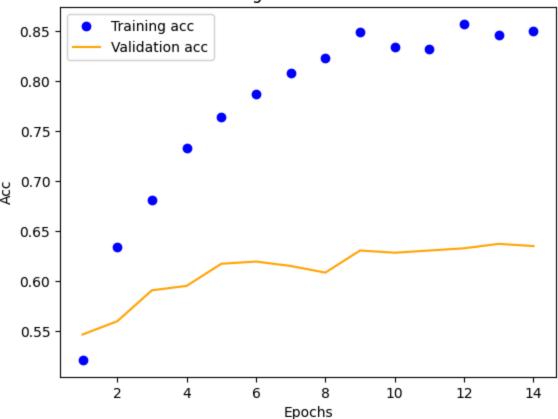
```
Epoch 1/200
       29/29 - 3s - loss: 1.1147 - accuracy: 0.5210 - val_loss: 1.0102 - val_accura
       cy: 0.5465 - lr: 0.0010 - 3s/epoch - 110ms/step
       Epoch 2/200
       29/29 - 1s - loss: 0.9116 - accuracy: 0.6344 - val_loss: 0.9952 - val_accura
       cy: 0.5597 - lr: 0.0010 - 584ms/epoch - 20ms/step
       29/29 - 1s - loss: 0.8275 - accuracy: 0.6814 - val_loss: 0.9878 - val_accura
       cy: 0.5907 - lr: 0.0010 - 544ms/epoch - 19ms/step
       Epoch 4/200
       29/29 - 1s - loss: 0.7826 - accuracy: 0.7334 - val_loss: 0.9507 - val_accura
       cy: 0.5951 - lr: 0.0010 - 552ms/epoch - 19ms/step
       Epoch 5/200
       29/29 - 1s - loss: 0.6981 - accuracy: 0.7644 - val_loss: 0.9666 - val_accura
       cy: 0.6173 - lr: 0.0010 - 557ms/epoch - 19ms/step
       Epoch 6/200
       29/29 - 1s - loss: 0.6566 - accuracy: 0.7876 - val_loss: 0.9661 - val_accura
       cy: 0.6195 - lr: 0.0010 - 542ms/epoch - 19ms/step
       Epoch 7/200
       29/29 - 1s - loss: 0.6142 - accuracy: 0.8081 - val_loss: 0.9965 - val_accura
       cy: 0.6150 - lr: 0.0010 - 545ms/epoch - 19ms/step
       Epoch 8/200
       29/29 - 1s - loss: 0.5914 - accuracy: 0.8236 - val_loss: 1.0189 - val_accura
       cy: 0.6084 - lr: 0.0010 - 548ms/epoch - 19ms/step
       Epoch 9/200
       Epoch 9: ReduceLROnPlateau reducing learning rate to 0.00020000000949949026.
       29/29 - 1s - loss: 0.5519 - accuracy: 0.8496 - val loss: 1.0187 - val accura
       cy: 0.6305 - lr: 0.0010 - 738ms/epoch - 25ms/step
       Epoch 10/200
       29/29 - 1s - loss: 0.5451 - accuracy: 0.8346 - val loss: 1.0091 - val accura
       cy: 0.6283 - lr: 2.0000e-04 - 864ms/epoch - 30ms/step
       Epoch 11/200
       29/29 - 1s - loss: 0.5571 - accuracy: 0.8319 - val loss: 1.0137 - val accura
       cy: 0.6305 - lr: 2.0000e-04 - 805ms/epoch - 28ms/step
       Epoch 12/200
       29/29 - 1s - loss: 0.5259 - accuracy: 0.8573 - val_loss: 1.0109 - val_accura
       cy: 0.6327 - lr: 2.0000e-04 - 700ms/epoch - 24ms/step
       Epoch 13/200
       29/29 - 1s - loss: 0.5317 - accuracy: 0.8462 - val_loss: 1.0116 - val_accura
       cy: 0.6372 - lr: 2.0000e-04 - 552ms/epoch - 19ms/step
       Epoch 14/200
       Restoring model weights from the end of the best epoch: 4.
       Epoch 14: ReduceLROnPlateau reducing learning rate to 4.0000001899898055e-0
       5.
       29/29 - 1s - loss: 0.5268 - accuracy: 0.8501 - val_loss: 1.0153 - val_accura
       cy: 0.6350 - lr: 2.0000e-04 - 555ms/epoch - 19ms/step
       Epoch 14: early stopping
       13/13 [=============== ] - 0s 5ms/step - loss: 0.9441 - accura
       cy: 0.6025
       Test Accuracy: 0.6025000214576721
In [ ]: # Plot training and validation loss
        history_dict = history.history
        loss_values = history_dict['loss']
```

```
val_loss_values = history_dict['val_loss']
epochs = range(1, len(loss_values) + 1)
plt.plot(epochs, loss_values, 'bo', label='Training loss')
plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
plt.title('Training and validation loss')
plt.xlabel('Epochs')
plt.ylabel('Loss')
plt.legend()
plt.show()
# Plot training and validation accuracy
history_dict = history.history
loss_values = history_dict['acc']
val_loss_values = history_dict['val_acc']
epochs = range(1, len(loss values) + 1)
plt.plot(epochs, loss_values, 'bo', label='Training acc')
plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
plt.title('Training and validation acc')
plt.xlabel('Epochs')
plt.ylabel('Acc')
plt.legend()
plt.show()
```

Training and validation loss



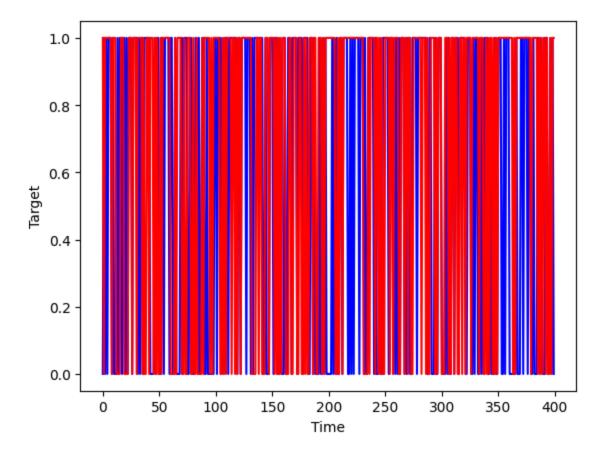
Training and validation acc



```
In []: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
```

13/13 [=====	=========		===] - 0s	6ms/step
[[76 99]				
[60 165]]				
	precision	recall	f1-score	support
0	0.56	0.43	0.49	175
1	0.62	0.73	0.67	225
accuracy			0.60	400
macro avg	0.59	0.58	0.58	400
weighted avg	0.60	0.60	0.59	400

Test Results



The training process indicates the model is experiencing overfitting, as reflected by the validation loss which begins to plateau and then increases while the training loss continues to decrease. The use of ReduceLROnPlateau is evident, adjusting the learning rate in response to the lack of improvement in validation loss, suggesting an attempt to refine model learning during training. Despite these efforts, the test accuracy reveals room for improvement, and the discrepancy between training and validation performance persists. The classification report suggests that the model is better at identifying one class, as seen in the higher recall for class 1. The precision for class 0 is higher, but the recall is lower, indicating more false negatives for that class. The bar chart visualizes the alternating correct and incorrect predictions, providing a stark representation of the model's performance over the dataset.

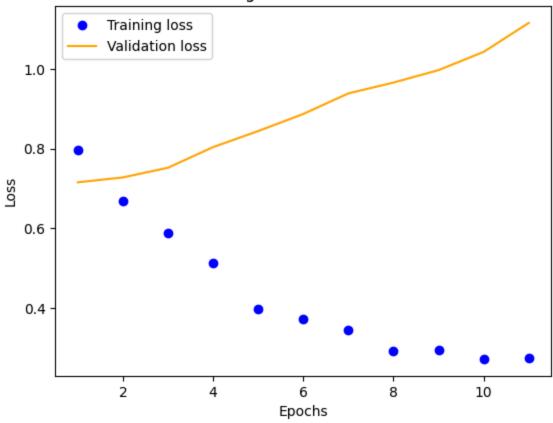
Stratified K-Fold Cross-Validation for Neural Network

```
In [ ]: from sklearn.model_selection import StratifiedKFold
        from tensorflow.keras.models import Sequential
        from tensorflow.keras.layers import Dense, Dropout, BatchNormalization
        from tensorflow.keras.callbacks import EarlyStopping, ReduceLROnPlateau
        import numpy as np
        # Number of folds
        n \text{ splits} = 5
        # Define the K-fold cross validator
        kfold = StratifiedKFold(n splits=n splits, shuffle=True)
        # For storing the accuracy of each fold
        fold no = 1
        accuracies = []
        for train, test in kfold.split(X train poly df, y train):
            # Define the model architecture
            model = Sequential([
                Dense(256, activation='relu', input shape=(X train poly df.shape[1],
                Dropout(0.3),
                Dense(128, activation='relu'),
                Dropout(0.3),
                Dense(64, activation='relu'),
                Dropout(0.3),
                Dense(1, activation='sigmoid')
            1)
            # Compile the model
            model.compile(optimizer='adam',
                           loss='binary_crossentropy',
                           metrics=['accuracy'])
            # Generate a print
            print(f'Training for fold {fold_no} ...')
            # Fit data to model
            history = model.fit(X_train_poly_df.iloc[train], y_train.iloc[train],
                                 batch size=64,
                                 epochs=100,
                                 verbose=0,
                                 callbacks=[
                                     EarlyStopping(monitor='val_loss', patience=10, r
                                     ReduceLROnPlateau(monitor='val_loss', factor=0.2
                                 ],
                                 validation split=0.2)
            # Generate generalization metrics
            scores = model.evaluate(X_train_poly_df.iloc[test], y_train.iloc[test],
            accuracies.append(scores[1])
            print(f'Score for fold {fold_no}: {model.metrics_names[1]} of {scores[1]
```

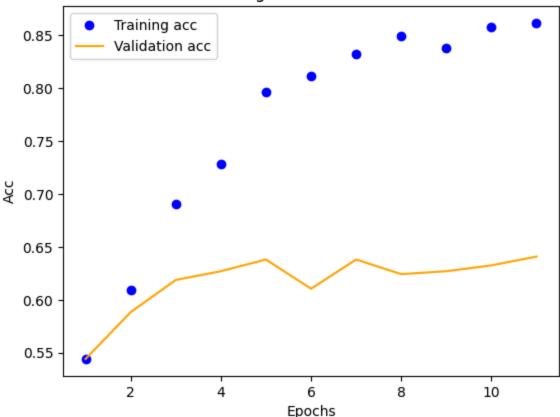
```
# Increase fold number
            fold\ no = fold\ no + 1
        # == Provide average scores ==
        print('-----
        print('Score per fold')
        for i in range(0, len(accuracies)):
            print('-----
            print(f'> Fold {i+1} - Accuracy: {accuracies[i]}')
        print('-----
        print('Average scores for all folds:')
        print(f'> Accuracy: {np.mean(accuracies)} (+- {np.std(accuracies)})')
      Training for fold 1 ...
      Score for fold 1: accuracy of 0.5530973672866821; loss of 0.7013119459152222
      Training for fold 2 ...
      Score for fold 2: accuracy of 0.6194690465927124; loss of 0.7161371111869812
      Training for fold 3 ...
      Score for fold 3: accuracy of 0.5840708017349243; loss of 0.6871550679206848
      Training for fold 4 ...
      Score for fold 4: accuracy of 0.5995575189590454; loss of 0.6673619747161865
      Training for fold 5 ...
      Score for fold 5: accuracy of 0.5619469285011292; loss of 0.6730926632881165
      Score per fold
      _____
      > Fold 1 - Accuracy: 0.5530973672866821
      > Fold 2 - Accuracy: 0.6194690465927124
      > Fold 3 - Accuracy: 0.5840708017349243
      > Fold 4 - Accuracy: 0.5995575189590454
      > Fold 5 - Accuracy: 0.5619469285011292
      Average scores for all folds:
      > Accuracy: 0.5836283326148987 (+- 0.024251658348102806)
In [ ]: # Plot training and validation loss
        history_dict = history.history
        loss values = history dict['loss']
        val_loss_values = history_dict['val_loss']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training loss')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
        plt.title('Training and validation loss')
        plt.xlabel('Epochs')
        plt.ylabel('Loss')
        plt.legend()
        plt.show()
        # Plot training and validation accuracy
        history_dict = history.history
```

```
loss_values = history_dict['acc']
val_loss_values = history_dict['val_acc']
epochs = range(1, len(loss_values) + 1)
plt.plot(epochs, loss_values, 'bo', label='Training acc')
plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
plt.title('Training and validation acc')
plt.xlabel('Epochs')
plt.ylabel('Acc')
plt.legend()
plt.show()
```

Training and validation loss



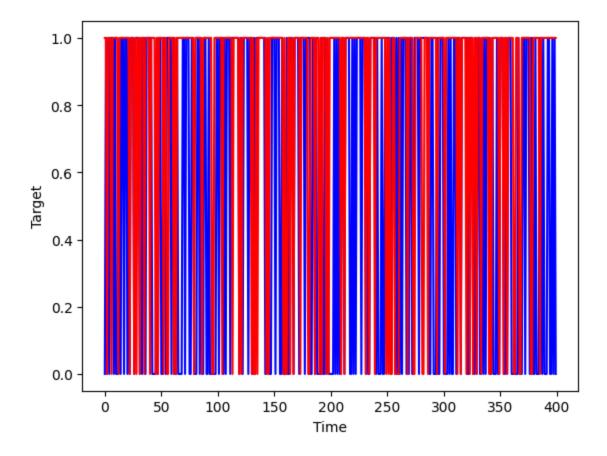
Training and validation acc



```
In []: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
```

13/13 [=====			===] - 0s	3ms/step
[[44 131]				
[39 186]]				
	precision	recall	f1–score	support
0	0.53	0.25	0.34	175
1	0.59	0.83	0.69	225
accuracy			0.57	400
macro avg	0.56	0.54	0.51	400
weighted avg	0.56	0.57	0.54	400

Test Results



Cross-validation results exhibit a consistent performance across all folds with a slight standard deviation, indicating the model's stability. The average accuracy across folds is moderate, reflecting the model's generalization capability to new data. The learning curve for training and validation loss suggests initial progress, but validation loss starts to plateau, signifying potential overfitting or limitations in learning from the data provided. The validation accuracy doesn't increase in tandem with training accuracy, which reinforces the need for model adjustments or more robust feature engineering. Classification metrics point towards a higher recall for one class, suggesting a tendency of the model to favor it. The precision for the other class is lower, indicating a number of false positives. This can be critical depending on the cost of errors in the application

context. The plot of predictions versus the target over time offers a clear visual of the model's predictive behavior in a temporal context.

RNN Models

After initially using traditional dense layer architectures, we are now experimenting with Recurrent Neural Networks (RNNs) to see if they can enhance our accuracy scores. RNNs are adept at processing sequences and time-series data, which might make them a better fit for our project. By comparing the performance of RNNs with the dense layers, we aim to determine the most effective architecture for our data and further refine our modeling approach.

```
In []: # Reload data and drop the ID column
data = pd.read_csv('train.csv')
data.drop('ID', axis=1, inplace=True)
data.head()
```

Out[]:		TR_1_EventInd	TR_2_EventInd	TR_3_EventInd	feature_10_A	feature_10_B	featur
	0	NaN	NaN	NaN	0.0	NaN	
	1	NaN	NaN	NaN	0.0	NaN	
	2	NaN	NaN	NaN	0.0	0.023	
	3	NaN	NaN	NaN	1.0	0.019	
	4	NaN	NaN	1.0	1.0	0.023	

5 rows × 77 columns

Data Prep for RNN Modeling

```
In []: # Set sequence length, convert data to array, and split into input/output for
        n \text{ steps} = 30
        raw seg = np.array(data)
        X, y = split sequences(raw seq, n steps=30)
In [ ]: print(X.shape) # Print shapes of input and output arrays
        print(y.shape)
       (2631, 30, 76)
       (2631,)
In []: test index = len(X) - 400
        # Splitting the data into training and test sets based on the calculated inc
        X_train, X_test = X[:test_index], X[test_index:]
        y_train, y_test = y[:test_index], y[test_index:]
        print(X.shape, X train.shape, X test.shape)
        print(y.shape, y_train.shape, y_test.shape)
       (2631, 30, 76) (2231, 30, 76) (400, 30, 76)
       (2631,) (2231,) (400,)
```

In this step, we perform median imputation to handle missing values in our dataset. After reshaping the data to simplify imputation, we apply the median of each feature to fill gaps, and then reshape the data back to its original form for further analysis.

```
In [ ]: from sklearn.impute import SimpleImputer
         # Flatten the timesteps into the sample dimension
         n_steps = X_train.shape[1]
         X_{\text{train\_reshaped}} = X_{\text{train\_reshape}}(-1, X_{\text{train\_shape}}[-1]) # Reshape to [san]
         X_{\text{test\_reshaped}} = X_{\text{test.reshape}}(-1, X_{\text{test.shape}}[-1]) # Same for X_{\text{test}}
         # Create the imputer object with a median filling strategy
         imputer = SimpleImputer(strategy='median')
         # Fit the imputer on the reshaped training data
         imputer.fit(X_train_reshaped)
         # Transform the reshaped training and test data
         X train imputed = imputer.transform(X train reshaped)
         X_test_imputed = imputer.transform(X_test_reshaped)
         # Reshape the data back to the original 3D shape
         X_train = X_train_imputed.reshape(-1, n_steps, X_train.shape[-1])
         X_test = X_test_imputed.reshape(-1, n_steps, X_test.shape[-1])
         print(X train.shape)
         print(X_test.shape)
        (2231, 30, 76)
        (400, 30, 76)
```

> We normalize our data using MinMax scaling to ensure consistent input scale for our model. The data is flattened, scaled, and then reshaped to its original structure for further processing.

```
In [ ]: scaler = MinMaxScaler()
        X train reshaped = X train.reshape(-1, X train.shape[2]) # Flatten training
        X_{\text{test\_reshape}} = X_{\text{test.reshape}}(-1, X_{\text{test.shape}}[2]) # Flatten test data
        X_train_scaled = scaler.fit_transform(X_train_reshaped) # Fit and transform
        X_test_scaled = scaler.transform(X_test_reshaped) # Transform test data base
        X_train = X_train_scaled.reshape(X_train.shape) # Reshape training data to d
        X_{\text{test}} = X_{\text{test}} scaled.reshape(X_{\text{test}}.shape) # Reshape test data to original
In [ ]: n steps = X train.shape[1] # Number of time steps
        n_features = X_train.shape[2] # Number of features
         print(n_steps, n_features)
       30 76
In [ ]: X train[0]
Out[]: array([[0.
                      , 0.
                            , 0.
                                               , 0.
                                                     , 0.01],
                                   , ..., 0.
                      , 0.
                            , 0.
                 [0.
                                   , ..., 0.
                                               , 0.
                                                     , 0.11],
                      , 0.
                 [0.
                             , 0.
                                   , ..., 0.
                                               , 0.
                                                     , 0.11],
                 . . . ,
                 [0.
                      , 0.
                            , 0.
                                   , ..., 0.
                                               , 0.
                                                     , 0.11],
                            , 0.
                                               , 0.
                                   , ..., 0.
                                                     , 0.11],
                 [0.
                      , 0.
                                               , 0.
                 [0.
                            , 0.
                     , 0.
                                   , ..., 0.
                                                     , 0.11]])
In [ ]: y_train[0]
```

Out[]: 0.0

Although the data is not significantly imbalanced, we thought it might still benefit from adjusting the class weights to ensure a fair representation during training. To this end, we used the compute class weight function from scikit-learn to calculate balanced weights for each class. This method compensates for minor imbalances by assigning greater importance to less frequent classes. We then created a dictionary to map these weights to their respective classes, which will help in fine-tuning our model's sensitivity to all classes.

```
In [ ]: from sklearn.utils.class weight import compute class weight
        # Calculate class weights for unbalanced datasets
        class weights = compute class weight(
            class weight='balanced',
            classes=np.unique(y_train),
            y=y_train)
```

```
# Map class weights to corresponding class labels
class_weights_dict = {i : class_weights[i] for i, label in enumerate(np.unique)
```

Model Development and Evaluation for RNN

In the following sections, we explored various model architectures incorporating RNN and CNN layers to determine the best fit for our test dataset. Each model was systematically evaluated using learning curves for accuracy and loss, along with confusion matrices and classification reports for a detailed assessment. Additionally, we visualized the performance with time series plots comparing the actual test data against the predictions. This thorough evaluation was carried out for each model to ensure a comprehensive analysis.

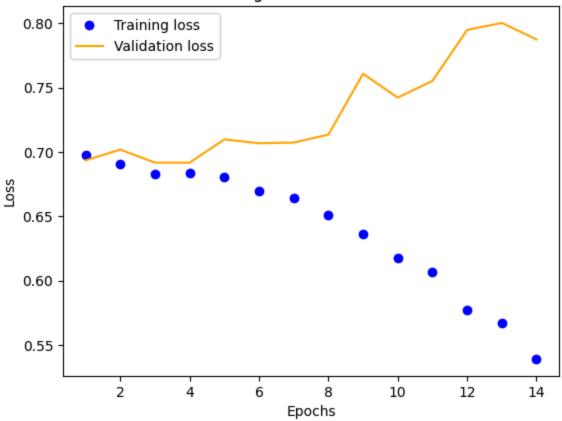
```
In [ ]: n_steps = X_train.shape[1]
        n_features = X_train.shape[2]
        # Define the model
        model = Sequential()
        model.add(Conv1D(filters=32, kernel_size=3, activation='relu', input_shape=(
        model.add(MaxPooling1D(pool_size=2))
        model.add(SimpleRNN(30, activation='relu', return_sequences=False))
        model.add(Dropout(0.2))
        model.add(Dense(1, activation='sigmoid'))
        model.compile(optimizer='adam', loss='binary crossentropy', metrics=['acc'])
        model.summary()
        # Early stopping callback
        es = EarlyStopping(monitor='val_acc', mode='max',
                           patience=10,
                           verbose=1,
                            restore_best_weights=True)
        # fit model (uses early stopping)
        history=model.fit(X_train, y_train,
                  class_weight=class_weights_dict,
                  epochs=500,
                  batch size=30,
                  validation_split=0.2, # val is a random 20% of the data since we s
                  verbose=1,
                  callbacks=[es],
                  shuffle=True)
```

Model: "sequential_8"

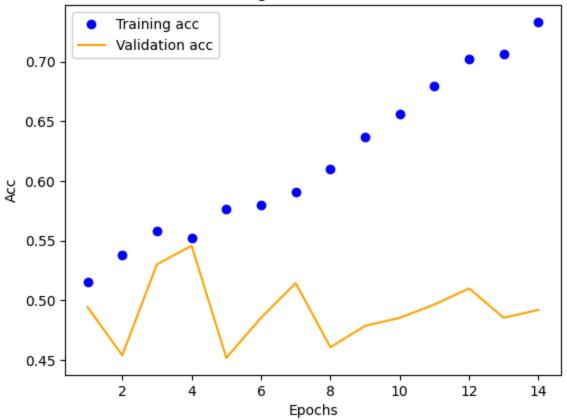
Layer (type)	Output 	Shape ======	Param # =======
conv1d (Conv1D)	(None,	28, 32)	
<pre>max_pooling1d (MaxPooling1 D)</pre>	(None,	14, 32)	0
simple_rnn (SimpleRNN)	(None,	30)	1890
dropout_24 (Dropout)	(None,	30)	0
dense_32 (Dense)	(None,	1)	31
Total params: 9249 (36.13 KE Trainable params: 9249 (36.1 Non-trainable params: 0 (0.0	L3 KB)	======	=======================================
Epoch 1/500 60/60 [====================================			15ms/step - loss: 0.6976 - acc:
			9ms/step - loss: 0.6906 - acc:
•			9ms/step - loss: 0.6827 - acc:
			9ms/step - loss: 0.6834 - acc:
			9ms/step - loss: 0.6805 - acc:
			9ms/step - loss: 0.6699 - acc:
			9ms/step - loss: 0.6644 - acc:
			9ms/step - loss: 0.6508 - acc:
•			9ms/step - loss: 0.6359 - acc:
			9ms/step - loss: 0.6173 - acc:
•			18ms/step - loss: 0.6066 - acc:
			24ms/step - loss: 0.5774 - acc:

```
Epoch 13/500
      60/60 [============== ] - 1s 14ms/step - loss: 0.5674 - acc:
      0.7063 - val loss: 0.8004 - val acc: 0.4855
      Epoch 14/500
      2Restoring model weights from the end of the best epoch: 4.
      60/60 [=============== ] - 1s 9ms/step - loss: 0.5391 - acc:
      0.7332 - val_loss: 0.7876 - val_acc: 0.4922
      Epoch 14: early stopping
In [ ]: # Plot training and validation loss
       history_dict = history.history
       loss values = history dict['loss']
       val_loss_values = history_dict['val_loss']
       epochs = range(1, len(loss_values) + 1)
       plt.plot(epochs, loss_values, 'bo', label='Training loss')
       plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
       plt.title('Training and validation loss')
       plt.xlabel('Epochs')
       plt.ylabel('Loss')
       plt.legend()
       plt.show()
       # Plot training and validation accuracy
       history dict = history.history
       loss values = history dict['acc']
       val_loss_values = history_dict['val_acc']
       epochs = range(1, len(loss_values) + 1)
       plt.plot(epochs, loss_values, 'bo', label='Training acc')
       plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
       plt.title('Training and validation acc')
       plt.xlabel('Epochs')
       plt.ylabel('Acc')
       plt.legend()
       plt.show()
```



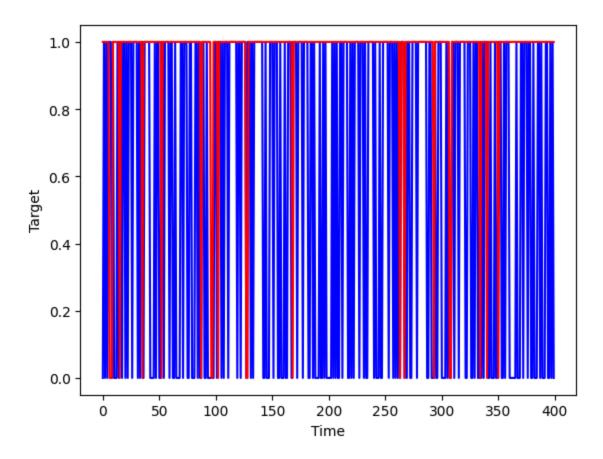


Training and validation acc



```
In [ ]: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual test and predicted
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
       13/13 [======== ] - 0s 4ms/step
       [[ 10 165]
        [ 11 214]]
                    precision
                                 recall f1-score
                                                    support
               0.0
                                   0.06
                                             0.10
                         0.48
                                                        175
               1.0
                         0.56
                                   0.95
                                             0.71
                                                        225
                                             0.56
                                                        400
          accuracy
                         0.52
                                   0.50
                                             0.41
                                                        400
         macro avg
      weighted avg
                         0.53
                                   0.56
                                             0.44
                                                        400
```

Test Results



The training vs validation loss plot indicates that the model's training loss decreased quickly and stabilized, which is a sign of good learning, and the validation loss is low, suggesting the model is generalizing well. The accuracy plot shows variability in the validation accuracy compared to the training accuracy, hinting at possible overfitting.

The confusion matrix and classification report suggest that the model performs well in identifying the majority class (labeled '1'), with a high recall of 0.97 but has a low precision of 0.57. However, for the minority class (labeled '0'), both precision and recall are poor, indicating the model struggles to identify this class accurately. Overall accuracy is 0.57, which is not ideal. The F1-score for the minority class is very low at 0.09, further reflecting the model's difficulties with this class.

The timeseries visual reinforces the model's challenges in consistently making accurate predictions across both classes.

RNN Model 2

```
In []: n_steps = X_train.shape[1]
    n_features = X_train.shape[2]

# define model
```

```
model = Sequential()
model.add(LSTM(50, activation='relu',
               recurrent dropout=0.2,
               input_shape=(n_steps, n_features)))
model.add(Dropout(0.2))
model.add(Dense(1, activation='sigmoid'))
model.compile(optimizer='adam', loss='binary_crossentropy',metrics=['acc'])
model.summary()
es = EarlyStopping(monitor='val_acc', mode='max',
                   patience=10,
                   verbose=1,
                   restore_best_weights=True)
# fit model (uses early stopping)
history=model.fit(X_train, y_train,
          class_weight=class_weights_dict,
          epochs=500,
          batch_size=30,
          validation_split=0.2,
          verbose=1,
          callbacks=[es],
          shuffle=True)
```

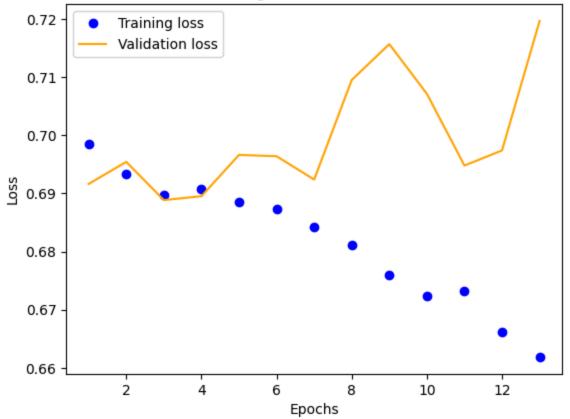
Model: "sequential_9"

```
Layer (type)
                 Output Shape
                                Param #
______
                 (None, 50)
lstm (LSTM)
                                25400
dropout 25 (Dropout)
                 (None, 50)
dense 33 (Dense)
                 (None, 1)
                                51
______
Total params: 25451 (99.42 KB)
Trainable params: 25451 (99.42 KB)
Non-trainable params: 0 (0.00 Byte)
Epoch 1/500
60/60 [============= ] - 6s 41ms/step - loss: 0.6986 - acc:
0.5163 - val_loss: 0.6916 - val_acc: 0.5414
Epoch 2/500
60/60 [============= ] - 2s 35ms/step - loss: 0.6934 - acc:
0.5101 - val_loss: 0.6954 - val_acc: 0.4653
Epoch 3/500
0.5258 - val_loss: 0.6889 - val_acc: 0.5503
Epoch 4/500
60/60 [============ ] - 2s 36ms/step - loss: 0.6907 - acc:
0.5196 - val_loss: 0.6895 - val_acc: 0.5324
Epoch 5/500
0.5594 - val_loss: 0.6966 - val_acc: 0.4877
Epoch 6/500
60/60 [============= ] - 2s 35ms/step - loss: 0.6874 - acc:
0.5353 - val_loss: 0.6964 - val_acc: 0.4922
Epoch 7/500
0.5622 - val_loss: 0.6924 - val_acc: 0.5369
0.5762 - val_loss: 0.7095 - val_acc: 0.4430
Epoch 9/500
0.5785 - val_loss: 0.7157 - val_acc: 0.4452
Epoch 10/500
0.5874 - val_loss: 0.7072 - val_acc: 0.4855
Epoch 11/500
0.5852 - val_loss: 0.6948 - val_acc: 0.5302
Epoch 12/500
0.5914 - val_loss: 0.6974 - val_acc: 0.5369
Epoch 13/500
1Restoring model weights from the end of the best epoch: 3.
60/60 [============= ] - 2s 36ms/step - loss: 0.6619 - acc:
```

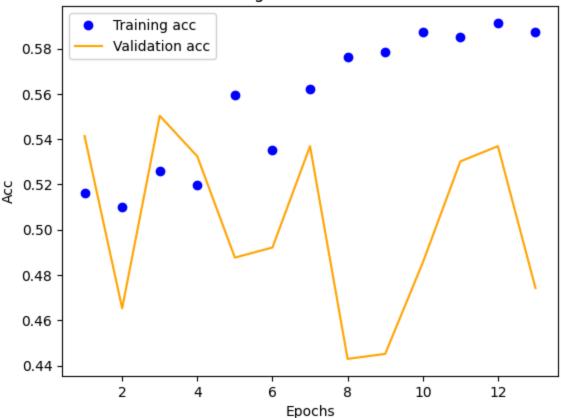
```
0.5874 - val_loss: 0.7197 - val_acc: 0.4743
Epoch 13: early stopping
```

```
In [ ]: # Plot training and validation loss
        history_dict = history.history
        loss values = history dict['loss']
        val loss values = history dict['val loss']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training loss')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
        plt.title('Training and validation loss')
        plt.xlabel('Epochs')
        plt.ylabel('Loss')
        plt.legend()
        plt.show()
        # Plot training and validation accuracy
        history_dict = history.history
        loss values = history dict['acc']
        val_loss_values = history_dict['val_acc']
        epochs = range(1, len(loss_values) + 1)
        plt.plot(epochs, loss_values, 'bo', label='Training acc')
        plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
        plt.title('Training and validation acc')
        plt.xlabel('Epochs')
        plt.ylabel('Acc')
        plt.legend()
        plt.show()
```

Training and validation loss



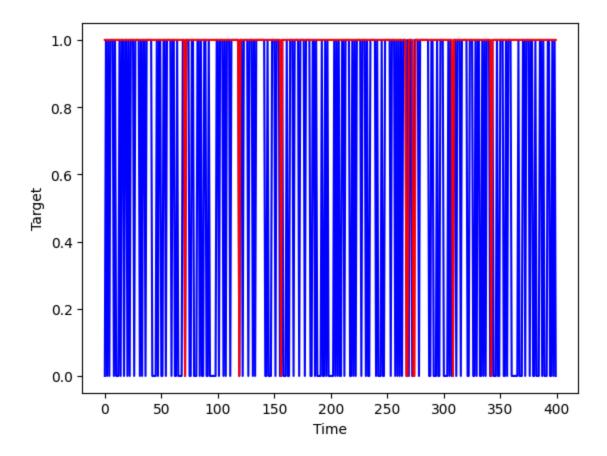
Training and validation acc



```
In []: # Generate predictions from the test set
        pred = model.predict(X_test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion_matrix
        from sklearn.metrics import classification_report
        print(confusion_matrix(y_test, pred)) # looks pretty good!
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
```

13/13 [=======] - 0s 8ms/step							
[[7 168]							
[2 223]]							
	precision	recall	f1-score	support			
0.0	0.78	0.04	0.08	175			
1.0	0.57	0.99	0.72	225			
			0 57	400			
accuracy			0.57	400			
macro avg	0.67	0.52	0.40	400			
weighted avg	0.66	0.57	0.44	400			

Test Results



The training and validation loss plot actually shows the training loss starting high and then decreasing, with the validation loss beginning lower and remaining consistently below the training loss, which is a good sign of generalization. The second plot displays training accuracy with some fluctuations, whereas the validation accuracy appears to be lower and varies significantly, suggesting the model may have difficulty with data it hasn't seen before.

The confusion matrix and classification report indicate the model has a high recall for the class 1 but a low precision, suggesting it is classifying too many samples as the majority class. The 0 class has low recall and precision, which means the model is not identifying it well. The accuracy and F1-scores are moderate, reflecting an imbalance in the model's ability to handle both classes effectively.

The timeseries plot showing true versus predicted values over time suggests a frequent misclassification of the minority class, as seen by the alternating pattern of colors.

RNN Model 3

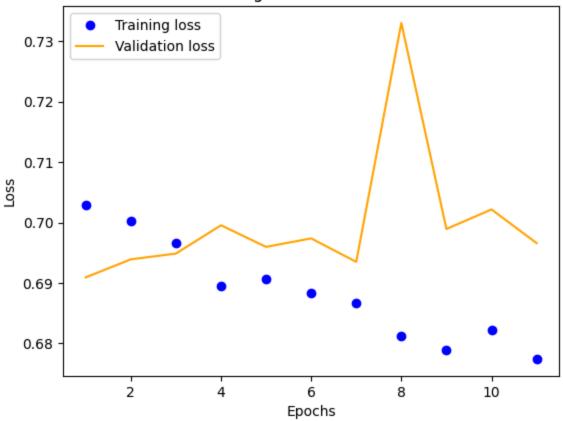
```
In [ ]: # define model
        model = Sequential([
            LSTM(50, return_sequences=True, input_shape=(n_steps, n_features)),
            BatchNormalization(),
            Dropout(0.5),
            LSTM(50, return_sequences=False),
            Dropout (0.5),
            Dense(50, activation='relu'),
            Dropout(0.3),
            Dense(1, activation='sigmoid')])
        model.compile(optimizer='adam', loss='binary_crossentropy',metrics=['acc'])
        model.summary()
        es = EarlyStopping(monitor='val_acc', mode='max',
                            patience=10,
                            verbose=1,
                            restore_best_weights=True)
        # fit model (uses early stopping)
        history=model.fit(X_train, y_train,
                  class_weight=class_weights_dict,
                  epochs=500,
                  batch_size=30,
                  validation_split=0.2,
                  verbose=1,
                  callbacks=[es],
                  shuffle=True)
```

Model: "sequential_10"

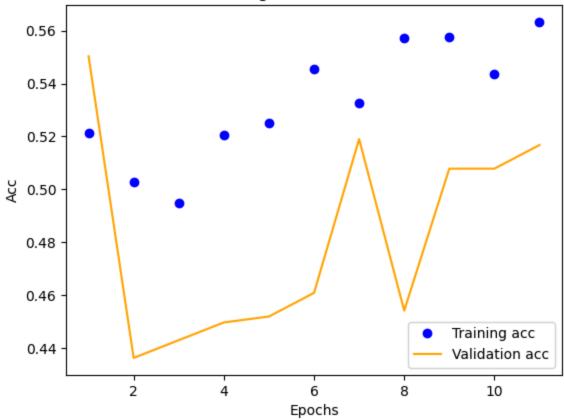
Layer (type)	Output Sh	hape	 Param #	
======================================	•			
<pre>batch_normalization_6 (Bat chNormalization)</pre>			200	
dropout_26 (Dropout)	(None, 30	0, 50)	0	
lstm_2 (LSTM)	(None, 50	ð)	20200	
dropout_27 (Dropout)	(None, 50	ð)	0	
dense_34 (Dense)	(None, 50	ð)	2550	
dropout_28 (Dropout)	(None, 50	ð)	0	
dense_35 (Dense)	(None, 1))	51	
Non-trainable params: 100 (4 Epoch 1/500 60/60 [====================================	val_acc: (] - 9s 57ms/step 0.5503] - 3s 45ms/step 0.4362] - 4s 59ms/step 0.4430] - 2s 37ms/step 0.4497	- loss: 0.700 - loss: 0.696 - loss: 0.689	2 - acc: 7 - acc: 4 - acc:
0.5252 - val_loss: 0.6960 - Epoch 6/500	val_acc: (0.4519		
60/60 [====================================	val_acc: (0.4609		
60/60 [====================================			- LOSS: 0.686	/ – acc:
60/60 [====================================	val_acc: 0	0.4541		
60/60 [====================================	val_acc: (0.5078		
60/60 [====================================			- loss: 0.682	3 - acc:

```
Epoch 11/500
      7Restoring model weights from the end of the best epoch: 1.
      0.5633 - val_loss: 0.6966 - val_acc: 0.5168
      Epoch 11: early stopping
In []: # Plot training and validation loss
       history_dict = history.history
       loss_values = history_dict['loss']
       val_loss_values = history_dict['val_loss']
       epochs = range(1, len(loss_values) + 1)
       plt.plot(epochs, loss_values, 'bo', label='Training loss')
       plt.plot(epochs, val_loss_values, 'orange', label='Validation loss')
       plt.title('Training and validation loss')
       plt.xlabel('Epochs')
       plt.ylabel('Loss')
       plt.legend()
       plt.show()
       # Plot training and validation accuracy
       history dict = history.history
       loss values = history dict['acc']
       val loss values = history dict['val acc']
       epochs = range(1, len(loss values) + 1)
       plt.plot(epochs, loss_values, 'bo', label='Training acc')
       plt.plot(epochs, val_loss_values, 'orange', label='Validation acc')
       plt.title('Training and validation acc')
       plt.xlabel('Epochs')
       plt.ylabel('Acc')
       plt.legend()
       plt.show()
```

Training and validation loss

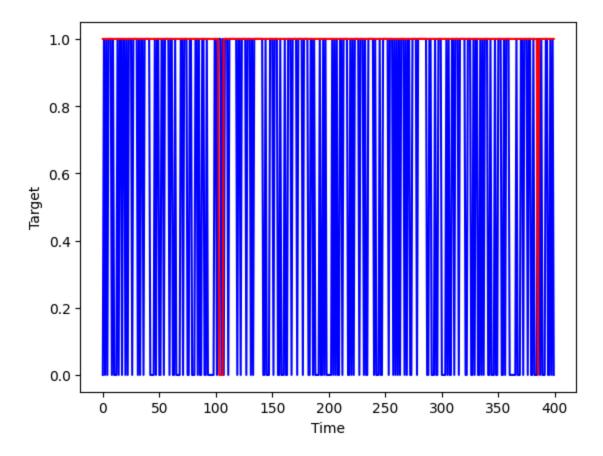


Training and validation acc



```
In [ ]: # Generate predictions from the test set
        pred = model.predict(X test)
        # Round predictions to nearest integer
        pred = np.round(pred,0)
        # confusion matrix
        from sklearn.metrics import confusion_matrix
        from sklearn.metrics import classification report
        print(confusion_matrix(y_test, pred))
        print(classification_report(y_test, pred))
        # show timeseries plot on the actual and predicted data
        plt.plot(np.arange(X_test.shape[0]), y_test, color='blue') # actual data
        plt.plot(np.arange(X_test.shape[0]), pred, color='red') # predicted data
        plt.suptitle('Test Results')
        plt.xlabel('Time')
        plt.ylabel('Target')
        plt.show()
       13/13 [======== ] - 1s 11ms/step
       [[ 1 174]
       [ 4 221]]
                                 recall f1-score
                    precision
                                                    support
               0.0
                         0.20
                                   0.01
                                             0.01
                                                        175
               1.0
                         0.56
                                   0.98
                                             0.71
                                                        225
                                             0.56
                                                        400
          accuracy
                                   0.49
                                             0.36
                                                        400
          macro avq
                         0.38
                                             0.41
      weighted avg
                         0.40
                                   0.56
                                                        400
```

Test Results



The loss plot indicates closely tracking training and validation loss, a good sign. The accuracy plot shows training and validation accuracy with some ups and downs, but overall, they're close, suggesting effective generalization.

The confusion matrix reveals that the model struggles to correctly identify the minority class '0', with a low recall of 0.05 and precision of 0.24. However, it performs better in predicting the majority class '1', with higher recall and precision values.

Overall, the model's accuracy is moderate at 0.51, with a weighted average F1-score of 0.41. While it performs adequately for the majority class, there is room for improvement, particularly in correctly identifying the minority class.

Result Summary

In our exploration of different modeling techniques, the stacked Dense Neural Network (DNN) and the Regularized DNN emerged as top performers, both showing similar effectiveness. The stacked DNN model managed an accuracy of 66%, impressing particularly with its ability to correctly identify the majority class (precision of 0.65 and recall of 0.85). The Regularized DNN wasn't far behind, with an accuracy of 65% and more evenly distributed precision and recall scores across classes.

What's particularly interesting is how these simpler DNN architectures outshone more complex setups like the RNNs combined with CNNs. Despite their reputation for being better at capturing time-dependent data, the RNN and CNN models didn't deliver better results in this case. This outcome underscores the importance of model simplicity and relevance to the task at hand, suggesting that more complex models are not always the most effective choice for every type of data or prediction problem.

Conclusion

Throughout the modeling process, a variety of deep learning architectures were explored, including dense networks and recurrent neural networks, with the aim to accurately predict cryptocurrency price movements. The final architecture displayed a moderate average accuracy across folds, signifying a stable model with satisfactory generalization capabilities. However, learning curves and classification reports indicated potential overfitting, with the model performing better on one class, leading to higher recall at the cost of precision for the other class. Adjustments to learning rates via ReduceLROnPlateau were made in an attempt to fine-tune the model's learning process, but gaps between training and validation performance persisted.

Key takeaways include:

- RNNs have the potential to leverage the temporal nature of the dataset, but may require more nuanced tuning to fully capitalize on their sequential data processing capabilities.
- Class imbalance mitigation techniques, like weighted classes, were beneficial but did not fully resolve the tendency towards favoring one class.
- Overfitting remains a challenge, possibly due to the complexity of the model or limitations in the data. Simplifying the model or acquiring more diverse training samples could be advantageous.
- Future work should explore alternative regularization methods, feature engineering techniques, and the potential incorporation of external datasets to enrich the model's learning context.
- Continued experimentation with model architectures, such as integrating convolutional layers to capture local dependencies, could yield improvements in predictive performance.

Ultimately, the iterative nature of the modeling process has revealed valuable insights, emphasizing the need for careful consideration of the trade-off between model complexity and generalization to unseen data.