

while loop

while loop is similar to for loop, i.e.
while loop is alternative to for loop,
People use as per their comfort.

e.g.:-

using for loop :-
 for (initialisation; condition; update)
 {
 body
 cout << i << " ";
 }
 to break loop

using while loop :-

syntax :-
 initialize int i = 1;
 while (break) while (i <= 10)
 { {
 body cout << i << " ";
 update i = i + 1;
 } }
 i = 1 print
 1 2 3 4 ... 10
 ... 10
 i <= 10
 false → out of loop

* WAP to print table using while loop.

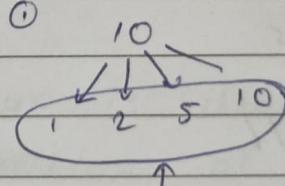
$n = 8$	\rightarrow	$8 \times 1 = 8$
		$8 \times 2 = 16$
<code>int i=1;</code>		$8 \times 3 = 24$
<code>while (i<=10)</code>		$8 \times 4 = 32$
<code>{</code>		$8 \times 5 = 40$
<code> cout << n << "x" << i << "=" << n * i << endl;</code>		$8 \times 6 = 48$
<code> i = i + 1;</code>		$8 \times 7 = 56$
<code>}</code>		$8 \times 8 = 64$
		$8 \times 9 = 72$
		$8 \times 10 = 80$

Refer code : 09-white and do-while loop in c++
 / Class code / Table.cpp.

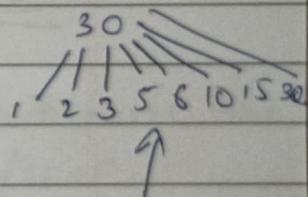
* WAP to print Factors of n.

Factors \leftarrow number that can divide n.

e.g.



factors of 10.



factors of 30.

```
int i=1;
while (i<=n)
{
    if (n % i == 0)
        cout << i << " ";
    i = i + 1;
}
```

Refer code: .../factors.cpp

* H/w odd > All 1 to n
even > using whole loop.

do-while loop

- (1) initialize
- (2) update
- (3) break condition

in do-while loop.

- (1) initialize
- (2) break condition
- (3) update

in for/while loop

In do-while loop first ~~point~~ execute the body then condition check, so even if condition is false initially then also loop will be executed once.

Syntax :-

do

 |

 || update

 } while (break);

e.g.:-

print 1 to n

int i=1;

do

cout << i << " " ;

i++;

} while (i <= n);

n = 5

i = 1

print

1 <= 5

true

i = 2

print

2 <= 5

true

i = 3

!

* Wap to print sum of n natural no.

$n = 10$

i to n

$sum = 0$

$sum = sum + i;$

~~$i \neq 1$~~

Program :

```
int i=1, sum=0;
do
    sum=sum+i → sum += i
    i++;
while(i<=10)
cout << sum;`
```

Sum = 0

$sum = sum + i \rightarrow$

1 → 1
3 → 2
6 → 3
10 → 4
15 → 5
21 → 6
28 → 7
36 → 8
45 → 9
55 → 10

Break, Continue

Break: Break is used to terminate the ~~loop~~ flow of program/loop.

Continue: Continue is used to skip the ~~current~~ execution and continue with next iteration.

e.g.: Suppose we want a program that will print 1 to n , but when $i=5$, ~~we~~ we don't want further to print anything.

```
i=1
while(i<=n)
{
    if(i==5)
        break;
    cout << i;
    i++;
}
```

Op: 1 2 3 4

e.g print 1 ton

if $x \neq n$ then don't print further.

$n = 10$

$x = 7$

$i = 1$

while ($i <= n$)

{

 if ($i == x$)

 break;

 }

 cout << i;

$i++$;

}

continue:-

skip current iteration.

e.g: how to print 1 ton, if n divide by 4 then skip the number.

~~for~~ $i = 1$

~~for~~ for ($i = 1$; $i <= 10$; $i++$)

{ if ($i \% 4 == 0$)

 continue;

 cout << i << " ";

}

op: 1 2 3 5 6 7 9 10

switch

```
i = 1 → Rohit
i = 2 → Mohit
use → Sohit } →
if (i == 1)
    cout << "Rohit";
else if (i == 2)
    cout << "Mohit";
else
    cout << "Sohit";
```

Above program can also be written by using switch statement.

-i = +

Syntax

```
i = 1           variable
switch( i )
```

<pre>E case 1 : switch(i) case 1 :</pre>	<pre> cout << "Rohit"; break;</pre>
<pre>case 2 ; case 2 :</pre>	<pre> cout << "Mohit"; break;</pre>
<pre> "break;"</pre>	<pre> "break;"</pre>
<pre>default : default :</pre>	<pre> cout << "Sohit" break;</pre>
<pre> "break;"</pre>	<pre> "break;"</pre>

3

if we don't use break in case then "fall through" will happen, i.e. all the statements below case will also be executed

Refer code : .../switch.cpp.

e.g.:-

```

char name = ' ';
switch (name)
{
    case 'a':
        cout << "Hello";
        break;
    case 'b':
        cout << "Nope";
        break;
}

```

* default in switch is optional.

Refer code : ..\switch.cpp

on CeeSe we can use int, char but
can't use float or double type of value.

Scope of a Variable

- Block start from '{' and end at '}'.
- scope of a variable is within block only (curly braces).
- within a same block duplicate variable name is not valid, but in case of child block duplicate ^name is ~~valid~~.

child block < block within block .

e.g. ① int main()

{

```
int num=10
```

```
cout << num; // 10
```

int num=20; X not valid.

}

②

int main()

{

```
int num=10
```

```
cout << num; // 10
```

```
if( n == 10 )
```

{

int num = 20; ✓ Valid.

cout << num; // Here num's scope

3 cout << num; // 10.

"20"

is within if block
only outside if block
this num is not available.

O/P: 10 2010.

Refer code: ..\scope.cpp.

Code for Decimal to Binary And Vice-Versa.

Decimal	Binary	Base	Quotient	Rem
0	0			
1	1	2	13	
2	10	2	6	1
3	11	2	3	0
4	100	2	1	1
5	101		0	1↑
:				
			Decimal	Binary
			13	→ 1101

Total no. of unique digit in a number system is known as base of that number system.

Binary

0, 1 → base 2

e.g.

$$a = 2, b = 5, c = 8$$

258

$$\text{Ans} = 2 \times 10 + b$$

$$= 20 + 5 = 25$$

$$= 25 \times 10 + 8$$

$$= 250 + 8 = 258$$

i.e

$$\begin{array}{r}
 2 \ 5 \ 8 \\
 \downarrow \quad \uparrow \quad \rightarrow \\
 2 \times 10^2 + 5 \times 10^1 + 8 \times 10^0
 \end{array}$$

$$200 + 50 + 8 = 258.$$

e.g
11

3 6 2 4 5 ← num

$$\begin{array}{r} 3 \\ \times 10 + 6 \\ \hline 36 \end{array}$$

$$\text{Ans} \rightarrow 36 \times 10 + 2 = 362$$

$$\therefore 362 \times 10 + 4 = 3624$$

$$3624 \times 10 + 5 = 36245$$

int Ans = 0;

$$\text{Ans} = \text{Ans} \times 10 + \text{num}$$

★ if $a = 6, b = 9$, make 96.

$$b \times 10 + a$$

9 6

6492 → 2946

$$\text{num} \quad 2 \times 10^3 + 9 \times 10^2 + 4 \times 10^1 + 6 \times 10^0$$

$$6 \times 10^0 \Rightarrow 6 \leftarrow \text{Ans}$$

$$4 \times 10^1 + 6 \Rightarrow 46 \leftarrow \text{Ans}$$

$$9 \times 10^2 + 46 \Rightarrow 946 \leftarrow \text{Ans}$$

$$2 \times 10^3 + 946 \Rightarrow 2946 \leftarrow \text{Ans}$$

Ans = 0

$$\text{Ans} = \text{num} \times 10^i + \text{ans}$$

num		
→	2	1 3
	6	1
	3	0
	1	1
	0	1

$$\text{Ans} = 0$$

$$\text{Ans} = \text{rem} \times 10 + \text{ans}$$

$$= 1 \times 10^0 + 0 = 1$$

$$= 0 \times 10^1 + 1 = 01$$

$$= 1 \times 10^2 + 1 = 101$$

$$1 \times 10^3 + 101 = 1101$$

1101 ↴

↑

```
int n = 13
```

```
int rem, ans = 0, mul = 1;
```

```
while (n > 0)
```

{

```
    rem = n % 2;
```

```
    n = n / 2;
```

```
    ans = rem * mul + ans
```

```
    mul = mul * 10;
```

}

```
cout << ans;
```

refer code: ..\DecimalToBinary.cpp

Debug/Dry Run

n = 13 13 > 0

Ans = 0 true

mul = 1

i) rem = 13 % 2 = 1

ans = 1 * 1 + 0 = 1

ii) n = 6 6 > 0

ans = 1 true

mul = 10

rem = 6 % 2 = 0

ans = 0 * 10 + 1 = 1

iii) n = 3 3 > 0

ans = 1 true

mul = 100

rem = 3 % 2 = 1

ans = 1 * 100 + 1 = 101

iv) n = 1 1 > 0

ans = 101

mul = 1000

rem = 1 % 2 = 1

ans = 1 * 1000 + 101

= 1101

v) n = 0 0 > 0

n > 0 false

↑
false

↑
loop break

Ans = 1101

A
Z.

Binary To Decimal

101

$$\hookrightarrow 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

~~100~~

$$4 + 0 + 1 = 5$$

1101

$$\hookrightarrow 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0$$

$$8 + 4 + 0 + 1 = 13$$

$$\text{ans} = \text{rem} \times 2^i + \text{ans}$$

$$\text{rem} = \text{num} \% 10;$$

$$\text{num} = \text{num} / 10;$$

$$\hookrightarrow 1 \times 2^0 + 0 = 1$$

$$0 \times 2^1 + 1 = 1$$

$$1 \times 2^2 + 1 = 5$$

$$1 \times 2^3 + 5 = 13$$

10	1101	rem
10	110	1
10	11	0
10	1	1
10	0	1

```
int num = 1101;
int ans = 0, rem, mul = 1;
```

```
while (num > 0)
```

```
    rem = num % 10;
```

```
    num = num / 10;
```

```
    ans = rem * mul * ans;
```

```
    num = 2;
```

3

```
cout << ans;
```

Refer code: .. / BinaryToDecimal.cpp

Day Run	
(I) n = 1101	(II) n = 11 11 > 0 true rem = 11 % 10 = 1
	num = 1 ans = 1 * 1 + 0 = 1 mul = 8
	(III) n = 110 110 > 0 true rem = 110 % 10 = 0 num = 0 ans = 1 * 8 + 5 = 13 mul = 16
	(IV) n = 110 110 > 0 true rem = 110 % 10 = 0 num = 0 ans = 1 * 16 + 0 = 16 mul = 1
	(V) n = 0 0 > 0 false.

Decimal to Octal.

$$\begin{array}{r}
 13 \\
 \hline
 8 | 1 \quad 5 \\
 \hline
 0 \quad 1 \quad \uparrow
 \end{array}$$

$$(13)_{10} \Rightarrow (15)_8$$

Octal to Decimal.

$$(15)_8$$

$$\begin{aligned}
 & 1 \times 8^1 + 5 \times 8^0 \\
 & 8 + 5 = (13)_{10}
 \end{aligned}$$

Binary To Octal

$$(1101)_2 \rightarrow (\quad)_8$$

$$(1101)_2 \rightarrow (\quad)_{10}$$

$$(\quad)_{10} \rightarrow (\quad)_8$$

OCTA to Binary

$$()_8 \rightarrow ()_2$$

$$()_8 \rightarrow ()_{10}$$

$$()_{10} \rightarrow ()_2$$

LeetCode Problem① Add digit (#258)e.g ① 27

$$2+7=9$$

$$\begin{array}{r} 11 \\ \hline 10 & 62 \\ 10 & \overline{6} \\ \hline & 0 \\ & 6 \end{array}$$

$$\text{ans} = 0 \quad 2+6 = 8$$

$$\text{Ans} = \text{rem} + \text{ans}$$

$$= 2+0 = 2$$

$$0+2 = 8.$$

③ 249

$$2+4+9 = 17$$

$$= 8$$

we need single digit ans only.

```

int num;
while (num > 9)
{
    int num, ans=0, rem;
    while (num != 0)
    {
        rem = num % 10;
        num = num / 10;
        ans = ans + rem;
    }
}

```

3

```
num = ans;
```

3

```
cout << ans;
```

② Leap year (HCF)

1600 ✓

① year which divides by
400 then that year
is leap year.

1700 X

1800 X

1900 X

2000 ✓

2004 ✓

② year which divides by
4 but not with 100.
is also leap year.

int year

if (year % 400 == 0)

cout << "Leap year";

else if (year % 4 == 0 & & year % 100 != 0)

cout << "Leap year";

else

cout << "Not leap year";

③ Reverse Integer

① i/p = 234

② i/p 476

o/p = 432

o/p 674

$$\text{rem} = 234 \% 10 = 4$$

$$\text{ans} = 0 \times 10 + \text{rem}$$

$$= 0 \times 10 + 4 = 4$$

$$= 4 \times 10 + 3 = 43$$

$$= 43 \times 10 + 2 = 432.$$

```
int ans=0, rem;
while( num>0 )
{
    int ans=0, rem;
    rem = num%10; ← last digit.
    num = num/10;
    ans = ans*10+rem;
}
```

3

cout << ans;

①

→ integer overflow

INT-MAX

INT-MIN

$ans \times 10 + rem > INT_MAX$

$ans > \frac{INT_MAX - rem}{10}$

$ans > \frac{INT_MAX}{10}$

$if (ans > \frac{INT_MAX}{10})$

return 0;

②

$ans \times 10 + rem < INT_MIN$

$if (ans < \frac{INT_MIN}{10})$

return 0;

(4) Power of 2

$$2^1 \rightarrow 2 \quad \text{yes}$$

$$2^2 \rightarrow 4 \quad \text{yes}$$

$$2^3 \rightarrow 8 \quad \text{yes}$$

$$15 \rightarrow \text{NO}$$

$\text{num} < 1 \leftarrow \text{NO} \leftarrow \text{Negative number.}$

(1)

1	-	1 0	$\leftarrow 2^0$
2	-	1 0	$\leftarrow 2^1$
4	-	1 0 0	$\leftarrow 2^2$
8	-	1 0 0 0	$\leftarrow 2^3$
16	-	1 0 0 0 0	$\leftarrow 2^4$
32		1 0 0 0 0 0	$\leftarrow 2^5$

(11)

2

31

4

✓

8

16

64

32

divide num by power of 2 till
num exided or reached that
num.

while ($x \neq 1$)

ε

if ($x \% 2 == 1$)

return 0;

$x /= 2$;

3

return 1;

(5)

Sqrt x

N / w

$4 \rightarrow \sqrt{16}$

$\sqrt{25} \rightarrow 5$

(6) Pallindrome

121
X
121

naman
X
nolman

63
36
int x, rem

→ Same.
←

ans = 0
num = x;
while (num > 0)
{

 rem = num % 10;

 num = num / 10;

 ans = ~~rem~~ ans * 10 + rem;

}

 if (x == ans)

 return 1;

)

 if (ans > INT_MAX || ans < INT_MIN)

 return 0;

⑦ Complement of a no.

$$5 \rightarrow 101$$

$$010 = \textcircled{2} A$$

$$13 \rightarrow 1101$$

$$0010 = \textcircled{2} A$$

$$27 \rightarrow 11011$$

$$00100 = \textcircled{4} L$$

2	27	rem	0	
2	13	1	2^0	0
2	6	1 - 0	2^1	0
2	3	0 - 1	2^2	4
2	1	1 - 0	2^3	0
	0	1 - 1	2^4	0
				(4)

2	13	rem		
2	6	1 - 0	2^0	6
2	3	0 - 1	2^1	2
2	1	1 - 0	2^2	0
	0	1 - 0	2^3	0
				(2)

ans = 0, rem, mul = 1

while (n)

{

rem = n % 2 ;

$n / 2$

rem = rem * 1;

ans = ans + rem * mul;

mul *= 2 ;

}

return ans;

→ edge cases

n = 0, return 1

if (n == 0)

return 1;

function in C++

problem statement

Let
 $a = 6$
 $b = 8$

Suppose we have to calculate

- (i) prime or not for a
- (ii) factorial of a
- (iii) prime or not for b
- (iv) factorial of b
- (v) prime no. $b-a$
- (vi) factorial $b-a$

int main()

{

 int a, b;

 cin >> a >> b;

 [prime] - a

 [factorial] - a

 [prime] - b

 [factorial] b

:

}

In above problem,

for prime no. we

have to write 3

times with different

number, in the same

way we have to write

factorial program

three times, for the

same work we have

to write same

code for multiple

times, so here function

came into picture.

Function :

function says don't write some piece of code multiple times, write once and reuse it whenever required.

- Reusability .
- Code Readability .

Syntax:

```
return_type Function_name (parameters)
{
```

// code

return value;

}

Return Type

- int
- float
- char
- double
- void

e.g

```
bool prime(int n)
```

```
{ if(n <= 2)
```

```
    return 0;
```

```
    for(i = 2; i < n; i++)
```

```
{     if(n % i == 0)
```

```
        return 0;
```

```
    }
```

```
    return 1;
```

Arguments

int factorial (int n) // declaration

{

int ans = 1;

for (int i = 1; i <= n; i++)

ans = ans * i;

return ans;

}

function

definition

int main()

{

int a, b;

cin >> a >> b;

cout << prime(a);

cout << factorial(a);

cout << prime(b);

cout << factorial(b);

cout << prime(b - a);

cout << factorial(b - a);

}

function call

e.g. 11

int Sum (int a, int b)

{

int ans = a + b;

return ans;

}

int main()

{ int m = 4, n = 5;

cout << sum(m, n);

}

#

```
int fact (int n=3) // Default parameter
{
    // code
}
```

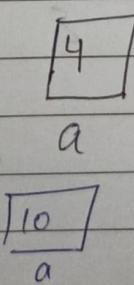
3

in case of function call of default parameterized function. if you we pass some parameter during function call then that function will work on passed parameter, but if we do not pass any parameter that that function will do operation on default parameter which was given during function declaration definition.

Pass by value

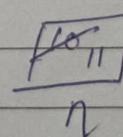
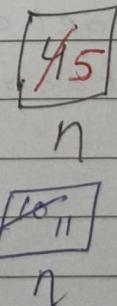
```
int main()
{
    int a=10;
    incr(a);
    cout<<a; // a=10
}
```

3



```
void incr(int n)
{
    n++;
}
```

3



Pass by reference

int incr(int &n)

{

n++;

{

int main()

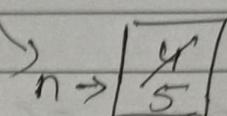
{

int a = 4;

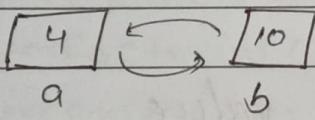
incr(a);

cout << a; // 5

{

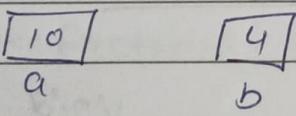


A diagram illustrating pointer assignment. On the left, there is a curly brace under the code block. An arrow points from the variable 'a' in the code to a memory location represented by a box containing '45'. The label 'a' is above the box, and an arrow labeled 'a →' points to the top-left corner of the box.

Swap

// call by value

swap(int a, int b)



int c;

c = a;

a = b;

b = c;

int main()

{

int a, b;

cin >> a >> b;

swap(a, b)

cout << a << b;

{

} // will not swap.

// pass by reference.

swap(int &a, int &b)

{ int c;

c = a;

a = b

Address →

	1	2	3	4	5
1					
2					84
3			16		
4					
5					

f
↑
Address of

a
b

function overloading

function with ^{same} name but with different parameters.

```
void swap ( int fa , int fb )
{
```

}

```
void swap ( float fx , float fy )
{
```

}

Inbuilt. function

Already defined function in c++.

like -

swap() ;

sqrt() ... etc.

pow() -

MAP to convert 'a' - 'z' to 'A' - 'Z' .

I/P : {a, b, c, ... }

O/P : {A, B, C, D, ... }

int main()

{

char name;

cin >> name;

cout << convert(name);

}

char convert(char ch)

{

char ans;

ans = ch - 'a' + 'A';

return ans;

}

①

ans = name - 'a' + 'A';

A → 65

a → 97

let

name = C

'C' - 'a' + 'A';

2 + 'A';

ans = C;

Armstrong no.

2 3

2 digit

$$2^2 + 3^2 = 4 + 9 = 13$$

23 == 13

2^3
is not Armstrong no.

if yes → Armstrong no.

No → Not Armstrong no.

(11)

153

3 digit

$$1^3 + 5^3 + 3^3 = 1 + 125 + 27 = 153$$

$$\underline{153 = 153}$$

Yes & 153 is Armstrong No.

```

int countDigit(int num)           int main()
{
    int count = 0;                int n;
    while (num)                  cin >> n;
    {                           int digit = countDigit(n);
        count++;                 cout << Armstrong(n, digit);
        n /= 10;                  }
    return count;                }
}

```

bool Armstrong(int num, int digit)

```

{
    int n = num, ans = 0, rem;

```

while (n)

```

{
    rem = n % 10;

```

n /= 10;

ans += pow(rem, digit) // (rem ^ digit).

}

if (ans == num)

return 1;

else

return 0;

}

Find Trailing zero in a fact (utg)
o/p

$$\text{P.g} \quad 6! = 720 \rightarrow 1$$

$$8! = 40320 \rightarrow 1$$

(1)

$$6! = 1 \times 2 \times 3 \times 4 \times 5 \times 6$$

$$\begin{matrix} & 1 \\ & 2 \\ 2 & \end{matrix} \quad \begin{matrix} & 1 \\ & 2 \times 3 \\ 2 \times 3 & \end{matrix}$$

$$2 \times 3 \times 2^2 + 5 \times 2 \times 3$$

$$2^4 \times 3^2 \times 5$$

$$5 \times 2 = 10$$

(11)

$$\frac{2^4 \times 3^2 \times 5^2}{2^2 \times 5^2} = \underline{100}$$

$$\overbrace{\begin{matrix} & 1 \\ & 6 \\ 5 \times 2 & \end{matrix}}$$

No. of 2's and 5's

(11)

$$\frac{2^4 \times 5^3}{2^2 \times 5^2} = \underline{10^3} \rightarrow \underline{000}$$

No. of 5 if $n!$

$$2^n \times 3^r \times 5^s$$

$$\underline{n > r > s} \rightarrow$$

$$1 \times 2 \times 3 \times 4 \times 5 \times \dots \times 10 \times \dots \times 15 \times \dots \times 20$$

$$\begin{matrix} & & & 1 \\ & & & / \\ 15/5 = 1 & & & 1 \\ & & & | \\ & & & 5 \end{matrix} \quad \begin{matrix} & & & 1 \\ & & & / \\ 15/5 = 3 & & & 1 \\ & & & | \\ & & & 5 \end{matrix}$$

$$\begin{matrix} & 25 \\ & \swarrow \\ x \dots & \dots \\ \begin{matrix} & 5 \\ & \swarrow \\ 5 & \end{matrix} \end{matrix}$$

$$\begin{matrix} & 50 \\ & \swarrow \\ 5 \times 5 \times 2 & \end{matrix}$$

$$\begin{matrix} & 25 \\ & \swarrow \\ \frac{25}{5} = 5 & \end{matrix} \quad \begin{matrix} & 5 \\ & \swarrow \\ 5+1 = 6 \end{matrix}$$

$$\begin{matrix} & 50 \\ & \swarrow \\ \frac{50}{5} = 10 & \end{matrix} \quad \begin{matrix} & 5 \\ & \swarrow \\ 10+2 = 12 \end{matrix}$$

$$100! \rightarrow \frac{100}{5} = \frac{20}{5} = 4$$

$$20 + 4 = 24$$

$$148! \Rightarrow \frac{148}{5} = \frac{29}{5} + \frac{5}{5} = 1$$

$$29 + 5 + 1 = 35$$

int trailingZero(int n)

{

int count=0;

while(n>=5)

{

count += n/5;

n /= 5;

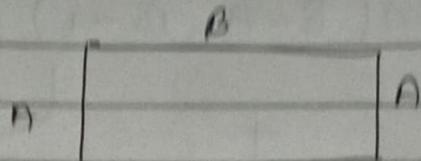
{

return count;

{

Rectangle (interviewBit)

a, b, c, d



Goal Rectangle (intB, intb, intc, intd)

Σ

```
if ((a == b) && (c == d)) ||
(a == c) && (b == d) ||
(a == d) && (b == c))
```

return 1;

else

return 0;

3

Bishop (interviewBit)

A	B
3	4

11

Total = 8 * 4

(R, D)

↓
3 4

8 8

5 , 4

↓ min 4

1	2	3	4	5	6	7	8
1		X					.
2		.					.
3							.
4							.
5		.					.
6							.
7							.
8							.

Right, Down

8 , 1

3 4

(5 , 3)

③ → (Left, Down)

$$\min(\delta - A, \delta - B)$$

+

→ Right, Down.

$$\min(\delta - A, B - 1)$$

+

→ (Left, Down)

$$\min(A - 1, B - 1)$$

+

→ (Left, Up)

$$\min(A - 1, \delta - B)$$

→ (Right, Up)

$$\text{Total} = \min(\delta - A, \delta - B) + \min(\delta - A, B - 1) \\ + \min(A - 1, B - 1) + \min(A - 1, \delta - B).$$

```
int Bishop( int A, int B )
```

```
    int count = 0
```

```
    int ans = max(2, 3)
```

```
    count += min(δ - A, δ - B);
```

```
    count += min(δ - A, B - 1);
```

```
    count += min(A - 1, B - 1);
```

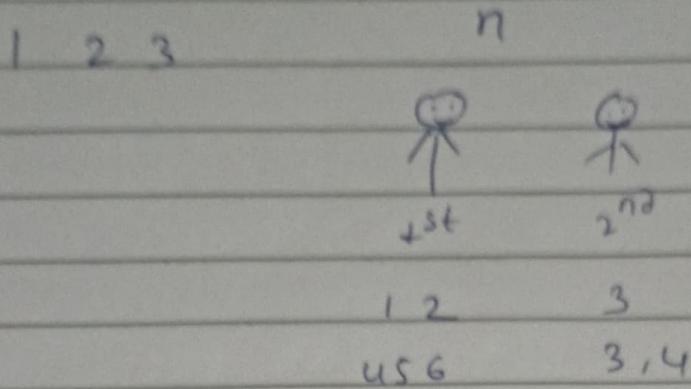
```
    count += min(A - 1, δ - B);
```

```
return count;
```

3

Nim Game (leetcode)

we can take 1 to 3 step.



\downarrow^{st} make always factor of 4, I will always win, but if no. i's already in 4 factor then I will loose.

$$n = 4, 8, 12, 16, 20$$

\hookrightarrow loose.

```

if ( $n \% 4 != 0$ )
  return 1; // win
else
  return 0; // loose.

```