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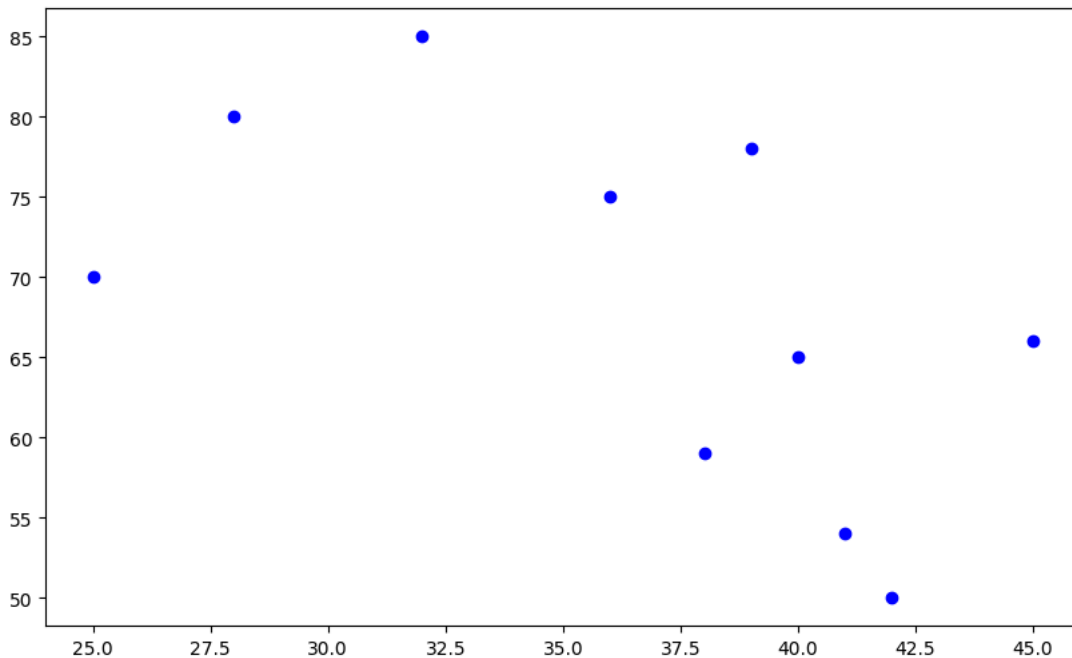
Q.1 For the following data set {(25,70), (28,80), (32,85), (36,75), (38,59), (40,65), (39,78), (42,50), (41,54), (45,66)}

- (i) Draw the scatter diagram
- (ii) Find the correlation coefficients
- (iii) Find both the regression line
- (iv) Plot both regression lines together
- (v) Find the error for both regression lines

```
import numpy as np
import matplotlib.pyplot as plt
```

```
data = [(25,70), (28,80), (32,85), (36,75), (38,59), (40,65), (39,78), (42,50), (41,54), (45,66)]
x = np.array([point[0] for point in data])
y = np.array([point[1] for point in data])
plt.figure(figsize=(10, 6))
plt.scatter(x, y, color='blue', label='Data Points')
```

↗ <matplotlib.collections.PathCollection at 0x7c29bb025490>



```
mean_x = np.mean(x)
mean_y = np.mean(y)
correlation_coefficient = np.corrcoef(x, y)[0,1]
print("Correlation Coefficient:", correlation_coefficient)
```

↗ Correlation Coefficient: -0.5764311756246667

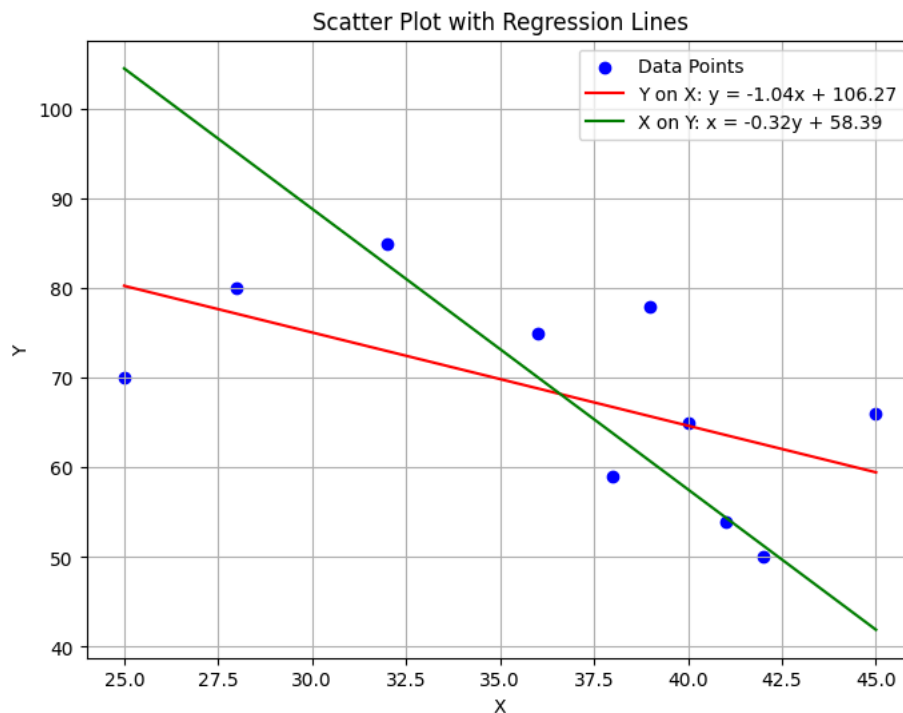
```
b_yx = np.sum((x - mean_x) * (y - mean_y)) / np.sum((x - mean_x)**2)
c_yx = mean_y - b_yx * mean_x
b_xy = np.sum((x - mean_x) * (y - mean_y)) / np.sum((y - mean_y)**2)
c_xy = mean_x - b_xy * mean_y
print(f"Regression line Y on X: y = {b_yx:.2f}x + {c_yx:.2f}")
print(f"Regression line X on Y: x = {b_xy:.2f}y + {c_xy:.2f}")
```

↗ Regression line Y on X: y = -1.04x + 106.27
Regression line X on Y: x = -0.32y + 58.39

```
x_vals = np.linspace(min(x), max(x), 100)
y_vals_yx = b_yx * x_vals + c_yx
y_vals_xy = (x_vals - c_xy) / b_xy
def plot_regression():
    plt.figure(figsize=(8, 6))
    plt.scatter(x, y, color='blue', label='Data Points')
    plt.plot(x_vals, y_vals_yx, color='red', label='Y on X: y = {:.2f}x + {:.2f}'.format(b_yx, c_yx))
    plt.plot(x_vals, y_vals_xy, color='green', label='X on Y: x = {:.2f}y + {:.2f}'.format(b_xy, c_xy))
```

```
plt.xlabel('X')
plt.ylabel('Y')
plt.title('Scatter Plot with Regression Lines')
plt.legend()
plt.grid()
plt.show()

plot_regression()
```



```
import pandas as pd
n = len(data)
predicted_y = b_yx * x + c_yx
errors_yx = (y - predicted_y)**2
mss_yx_values = errors_yx / n
predicted_x = b_xy * y + c_xy
errors_xy = (x - predicted_x)**2
mss_xy_values = errors_xy / n
data_table = {
    "X": x,
    "Y": y,
    "Predicted Y (Y on X)": predicted_y,
    "Error (Y on X)^2": errors_yx,
    "MSS (Y on X)": mss_yx_values,
    "Predicted X (X on Y)": predicted_x,
    "Error (X on Y)^2": errors_xy,
    "MSS (X on Y)": mss_xy_values,
}

results_df = pd.DataFrame(data_table)
print(results_df)
Total_MSS_y_on_x = np.sum(mss_yx_values)
Total_MSS_x_on_y = np.sum(mss_xy_values)
print("Total MSS (Y on X) :", Total_MSS_y_on_x)
print("Total MSS (X on Y) :", Total_MSS_x_on_y)
```



	X	Y	Predicted Y (Y on X)	Error (Y on X)^2	MSS (Y on X)	\
0	25	70	80.266015	105.391068	10.539107	
1	28	80	77.145494	8.148204	0.814820	
2	32	85	72.984799	144.365052	14.436505	
3	36	75	68.824104	38.141689	3.814169	
4	38	59	66.743757	59.965769	5.996577	
5	40	65	64.663409	0.113293	0.011329	
6	39	78	65.703583	151.201870	15.120187	
7	42	50	62.583062	158.333447	15.833345	
8	41	54	63.623236	92.606664	9.260666	
9	45	66	59.462541	42.738374	4.273837	
			Predicted X (X on Y)	Error (X on Y)^2	MSS (X on Y)	
0			36.025008	121.550809	12.155081	
1			32.830610	23.334795	2.333479	
2			31.233411	0.587658	0.058766	
3			34.427809	2.471784	0.247178	
4			39.538846	2.368048	0.236805	

5	37.622207	5.653898	0.565390
6	33.469490	30.586543	3.058654
7	42.413805	0.171234	0.017123
8	41.136045	0.018508	0.001851
9	37.302768	59.247387	5.924739

Total MSS (Y on X) : 80.10054288816502
Total MSS (X on Y) : 24.599066355451814

Q2 If X is Binomial Distribution B(n,p) where n=15 p=0.45. Write program to evaluate and print

(i) $P(X=10)$

(ii) $P(X \leq 12)$

(iii) $P(X \geq 9)$

```
from scipy.stats import binom
n = 15
p = 0.45
a = binom.pmf(10, n, p)
b = binom.cdf(12, n, p)
c = 1 - binom.cdf(9, n, p)
print(f"P(X=10) = {a}")
print(f"P(X≤12) = {b}")
print(f"P(X≥9) = {c}")
```

```
↩ P(X=10) = 0.051462859925538375
P(X≤12) = 0.998892975853391
P(X≥9) = 0.07692871333818019
```

Q3 If X is Poisson Distribution with mean 5. Write program to evaluate and print

(i) $P(X=2)$

(ii) $P(X \leq 4)$

(iii) $P(1 \leq X \leq 3)$

```
from scipy.stats import poisson
m = 5
a = poisson.pmf(2, m)
b = poisson.cdf(4, m)
c = poisson.cdf(3, m) - poisson.cdf(0, m)
print(f"P(X=2) = {a}")
print(f"P(X≤4) = {b}")
print(f"P(1≤X≤3) = {c}")
```

```
↩ P(X=2) = 0.08422433748856832
P(X≤4) = 0.44049328506521257
P(1≤X≤3) = 0.2582879682982761
```

Q.4 If X is Uniform Distribution over the range (10,90). Write programme to evaluate and print

(i) $P(X < 29)$

(ii) $P(X > 34)$

(iii) $P(70 < X < 80)$

```
from scipy.stats import uniform
a = 10
b = 90
p1 = uniform.cdf(29, loc=a, scale=b-a)
p2 = 1 - uniform.cdf(34, loc=a, scale=b-a)
p3 = uniform.cdf(80, loc=a, scale=b-a) - uniform.cdf(70, loc=a, scale=b-a)
print(f"P(X < 29) = {p1}")
print(f"P(X > 34) = {p2}")
print(f"P(70 < X < 80) = {p3}")
```

```
↩ P(X < 29) = 0.2375
P(X > 34) = 0.7
P(70 < X < 80) = 0.125
```

Q.5 If X is Exponential Distribution with mean 20. Write programme to evaluate and print

(i) $P(X < 10)$

(ii) $P(X > 7)$

(iii) $P(11 < X < 16)$.

Find value of k such that $P(X < k) = 0.6$.

```
from scipy.stats import expon
mean = 20
lambda_param = 1 / mean
```

```
# Calculations
a = expon.cdf(10, scale=1/lambda_param)
b = 1 - expon.cdf(7, scale=1/lambda_param)
c = expon.cdf(16, scale=1/lambda_param) - expon.cdf(11, scale=1/lambda_param)
k = expon.ppf(0.6, scale=1/lambda_param)
```

```
# Print results
print(f"P(X < 10) = {a}")
print(f"P(X > 7) = {b}")
print(f"P(11 < X < 16) = {c}")
print(f"The value of k is {k}")
```

```
↗ P(X < 10) = 0.3934693402873666
P(X > 7) = 0.7046880897187133
P(11 < X < 16) = 0.1276208462632651
The value of k is 18.3258146374831
```

Q6 If X is Normal Distribution with mean 40 and standard deviation 10. Write programme to evaluate and print

(i) $P(X < 38)$

(ii) $P(X > 55)$

(iii) $P(20 < X < 70)$.

Find value of k_1 such that $P(X < k_1) = 0.3$. Also find k_2 such that $P(X > k_2) = 0.8$

```
from scipy.stats import norm
mean = 40
std_dev = 10
a = norm.cdf(38, loc=mean, scale=std_dev)
b = 1 - norm.cdf(55, loc=mean, scale=std_dev)
c = norm.cdf(70, loc=mean, scale=std_dev) - norm.cdf(20, loc=mean, scale=std_dev)
k1 = norm.ppf(0.3, loc=mean, scale=std_dev)
k2 = norm.ppf(0.8, loc=mean, scale=std_dev)
print(f"P(X < 38) = {a}")
print(f"P(X > 55) = {b}")
print(f"P(20 < X < 70) = {c}")
print(f"Value of k1 such that P(X < k1) = 0.3 is {k1}")
print(f"Value of k2 such that P(X > k2) = 0.8 is {k2}")
```

```
↗ P(X < 38) = 0.42074029056089696
P(X > 55) = 0.06680720126885809
P(20 < X < 70) = 0.9758999700201907
Value of k1 such that P(X < k1) = 0.3 is 34.755994872919594
Value of k2 such that P(X > k2) = 0.8 is 48.41621233572914
```