	This sheet is for 1 Mark questions						
S.r No	Question	Image	a	b	C	d	Correct Answer
1	What is randomized algorithms?		Used to solve many time consuming problems	Used to solve shotesh path algorithms	Both A and B	Used to solve tactable problems	a
2	What are the loop invarient propoerties?		Time complexity 2)     Space complexity 3)     Memory	1) RAM 2) ROM 3) Hard Disk	Both A and B	1) Initialization 2) Maintenance 3) Termination	d
3	Why correctness of algorithm is essential?		To check for efficiency	To check the execution time	To verify the space required	To check whether output produced by algorithm is correct	d
4	Examples of O(n2) algorithms are	img.jpg	Adding of two Matrices	Initializing all elements of matrix by zero	Both A and B	Neither A nor B	С
5	Two main measures for the efficiency of an algorithm are	img.jpg	Processor and memory	Complexity and capacity	Time and space	Data and space	Ċ
6	What are the main features that for algorithm works as technology?		Time Complexity	Space Complexity	Both A and B	no of the above	С
7	What is complexity theory?		study of algorithm is known as complexity theory	study of time and space complexity know as complexity theory	Study of tactable and non tactable problems is known as complextiy theory	no the above	С
8	What is the correctness of algorithm?		Error free code	Every instance will be producing correct result	No of lines is minimum	Time taken by steps is absolute	b
9	When determining the efficiency of algorithm the time factor is measured by	img.jpg	Counting microseconds	Counting the number of key operations	Counting the number of statements	Counting the kilobytes of algorithm	b
10	Examples of O(1) algorithms are	img.jpg	Multiplying two numbers.	Assigning some value to a variable	Displaying some integer on console	All of the above	d
11	What are the main features that for algorithm works as technology?		Time Complexity	Space Complexity	Both A and B	no of the above	с
12	Effectivity of writing algorithms includes		Referencing array 3) Late termination	Removing errors 2) Reducing lines of code.	Removing functions.     Removing errors	None of the above	a
13	Iterative algorithm design issues are ?		1) Initialization 2) Maintenance 3) Termination	Time complexity     Space complexity     Memory	Initail condition     Iterative construct	None of the above	С
14	When an operation typically takes no more than a fixed amount of time, we can say that its time is bounded by a		Constant	variable	function	cant masure	a
15	In a rcursion tree , each node reprsents a cost of a		Multiple sub problem	Single sub problem	whole problem	non of the abov	b
10	In Huffman coding, data in a tree always occur?		roots	leaves	left sub tree	right sub tree	b

2 Mark

	2 Marks						
S.r No	Question	Image	a	b	С	d	Correct Answer
1	Which of the following is not a property of an Algorithm?		Finitenss	Deifiniteness	Effectiveness	Incompleteness	d
2	The main measure for efficiency of an algorithm are:		Data and space	Complexity and capacity	Input and output	Time and space	d
	O(1) means that the number of executions of basic operations						i
3	is		Variable	Fixed	Not defined	polynomial	b
	In the iteration method we iteratively the recurrence						
4	until we see the pattern		substract	add	unfold	pack	c
5	Using the substitution method, it is easy to prove a		Exact bound	strong bound	weaker bound	none of the above	d
6	What is a principal of optimality?		An optimal policy has the property that whatever the initial state and initial decision are, the remaining decisions must constitute an optimal policy with regard to the state resulting from the first decision	Optimal solution from set	Generat optmal solution from the set of efficient optimum sets	All of the above	a
7	Following is true for understanding of a problem		Knowing the knowledgebase	Understanding the subject on which the problem is based	Communication with the client	All of the above	d
8	Which of the above is true		O(n) < O(log n) < O(n log n) < O(n) < O(n <sup>2</sup> ) < O(n <sup>3</sup> ) < O(2 <sup>n</sup> )	$O(n) < O(n) < O(\log n) < O(\log n) < O(n \log n) < O(n^2) < O(n^3) < O(2^n)$	$O(n) < O(\log n) < O(n) < O(n \log n) < O(n^2) < O(n^3) < O(2^n)$	$O(n) < O(\log n) < O(n) < O(n)$ $\log n) < O(n^2) < O(2^n) < O(n^3)$	¢
	What is the average case time complexity of binary search					[	i
9	using recursion?		O(Log n)	O(n Log n)	O(n)	O(n2)	a
10	In Huffman coding, data in a tree always occur?	·	roots	leaves	left sub tree	right sub tree	b

3 marks

Consider a set of 4 messages (M1 – M4) whose frequency of occurrences in the text is as given: (0.37, 0.51, 0.05, 0.07) Using frequency dependent Huffman Coding the codes of the messages M2 and M3 respectively.

	3 Marks MCQ Question										
S.r No	Question	Image	a	b	c	d	Correct Answer				
1	How many times is the comparison $i > -n$ performed in the following program? int $i = 200$ , $n = 80$ ; main() { while ( $i > -n$ ){ $i = i - 2$ ; $n = n + 1$ ; } }		20	30	42	50	c				
2	Which of the following time complexities best describes MaxMin approach		Θ(n)	Ω(n)	O(nlogn)	O(logn)	a				
3	Which one of the following is the recurrence equation for the worst case time complexity of the Quicksort algorithm for sorting n(22) numbers? In the recurrence equations given in the optionsbelow, c is a constant.		T(n) = 2T(n/2) + cn	T(n) = T(n-1) + T(1) + cn	T(n) = 2T(n-2) + cn	T(n) = T(n/2) + cn	b				
4	Write the pseudo code for finding the factorial of given number.		int Recursive_fact(int n) { return 1; } else else return (n*Recursive_fact(n-1)); } if (n==0) then {	int Recursive_fact(int n) { return 1; } ebe { return (n+Recursive_fact(n-1)); } if (n==0) then {	int Recursive_fact(int n) { return 1; } else { return (Recursive_fact(n-1)); } if (n==0) then {	none of the above is correct	a				

	This sheet is for 1 Mark questions	-					
S.r No	Question	Image	а	b	С	d	Correct Answer

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1	Solve the following recurrence using Master's theorem. T(n) = 4T $(n/2) + n2$	T(n) = O(n)	$T(n) = O(\log n)$	T(n) = O(n2log n)	T(n) = O(nz)	c -The given recurrence can be solved by using the second case of Master's theorem. T(n) = 0(nc log n) = Here nc = n2 So the solution becomes T(n) = 0(n2log n). C Explanation -The
2	What will be the recurrence relation of the following code? Int sum(int n) {	T(n) = T(n/2) + n	T(n) = T(n-1) + n	T(n) = T(n-1) + O(1)	T(n) = T(n/2) + O(1)	given recurrence can be solved by using the second case of Master's theorem. T(n) = O(nc log n) = Here nc = n2 So the solution becomes T(n) = O(n2log n).
3	Freactinal knpsack problem is	0/1 knapsack problem	continuous knapsack probl	Divisible knapsack proble	Non continuoue knapsack pro	b
4	The Huffman code length does not depend on the frequency of occurrence of characters	TRUE	FALSE	cant say	variabl length	b
5	What is tail recursion?	Recursiv explicite function	Dynamic function of execution	First function at execution know as tail recursion	A recursive function is tail recursive when recursive call is the last thing executed by the function	d
6	The time complexity of linear search is	O(1)	O(log n)	O(n)	O(n logn)	С
7	The concept of order Big O is important because	It can be used to decide the best algorithm that solves a given problem	It determines the maximum size of a problem that can be solved in a given amount of time	It is the lower bound of the growth rate of algorithm	All of the above	a
8	What is greedy approach for solving problems?	A greedy algorithm is an algorithmic paradigm that follows the problem solving heuristic of making the locally optimal choice at each stage with the hope of finding a global optimum.	An greedy algorithm is a sequence of unambiguous instructions for solving a problem, i.e., for obtaining a requiredoutput for any legitimate input in finite amount of time. An algorithm is step by step procedure to solve a problem	A straightforward approach, usually based directly on the problem, s statement and definitions of the concepts involved.	None of the above	а
9	The integer value i in the list of values name[i] is also known as?	Marker	index	condition	None of the above	b
10	The Big O notation defines anbound of an algorithm	upper	lower	middle	None of the above	a
11	How many cases are there in masters theoram	2	3	4	5	b
12	We can solve any type of recurrence relation	TRUE	FALSE	cant say	partially	b
13	Features of functional model	Primitive expression 2)     Defination of one function in terms of other         3) Defination of functions using conditions         4) Inductive defination of functions	Substitution of functions 2) Inductive defination of function	1) Initial condition model 2) Iterative construct model 3) Loop model	It does not represented using model	a
14	Identify which statement is correct related to recursion	Recursion is procedure oriented execution	Recursion is computational process and charactrise by chain of deferred oprations	Recursion is function to funtion call	Recursion is explicite call to functions	Ь
15	The time complexity of binary search is	O(1)	O(log n)	O(n)	O(n logn)	b
	This sheet is for 2 Mark questions					
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	This sheet is for 2 Mark questions						
S.r No	Question	Image	a	b	С	d	Correct Answer
1	Fractional knapsack problem is solved most efficently by which algorithm		Divide and Conqure	Dyanamic Programming	Greedy Algorithm	Backtracking	С
2	Fractional Knapsack approach computes		Weight per unit profit	Profit per unit weight	Product of profit and w	None of these	b
3	Usually a recurrence reflects the runtime of a		Non-recursive algorithm	Infinite algorithm	Recursive algorithm	None of the above	C
4	Following is true for understanding of a problem		Knowing the knowledgebase	Understanding the subject on which the problem is based	Communication with the client	All of the above	d
5	Huffman code generation can be effectively solved by which me	htod	Dynamin Programming	Branch and Bound	Greedy Algorithm	cant say	c
6	Locally declared variable can be accessed outside the function		TRUE	FALSE	cant say	no of the above	a
7	Globally declared variables can be accessed through out the pro-	gram	FALSE	TRUE	partially	cant say	b
8	An algorithm which is exponential will be practical only for values of n		large	very large	small	very small	b
9	The different cases of Master's theorem to solve recurrences are		exhaustive	non exhaustive	can not dfine	All of the above	a
10	Master theoraem is used for		solving recurrence	solving iterative relations	analysing loops	calculating time complexity of code	a
6	Usually a recurrence reflects the runtime of a		Non-recursive algorithm	Infinite algorithm	Recursive algorithm	None of the above	C
7	Fractional Knapsack approach computes		Weight per unit profit	Profit per unit weight	Product of profit and w	None of these	b
8	Huffman code generation can be effectively solved by which me	htod	Dynamin Programming	Branch and Bound	Greedy Algorithm	cant say	c
9	Locally declared variable can be accessed outside the function	·	TRUE	FALSE	cant say	no of the above	a
10	Globally declared variables can be accessed through out the pro-	gram	FALSE	TRUE	partially	cant say	b

10	Globally declared variables can be accessed through out the pro-	ogram	FALSE	TRUE	partially	cant say	b
S.r No	3 Marks MCQ Question Question	Image		h			Correct Answer
	The complexity of fractional knapsack problem	mage	O(n log n)	O(n)	O(n2)	O(nW)	a a
	Which of the following algorithms is the best approach for solving Huffman codes?			greedy algorithm	brute force algorithm	divide and conquer algorithm	b
	If two jobs J1 and J2 have same deadline but profit of J2 is more than profit of J1 which among the two jobs will achieve maximum deadline		J1	J2	either J1 or J2	Does not depend on profit and deadline	J2
	Which one of the following is the recurrence equation for the worst case time complexity of theQuicksort algorithm for sorting n(≥2) numbers? In the recurrence equations given in the optionsbelow, c is a constant.	img.jpg	T(n) = 2T(n/2) + cn	T(n) = T(n-1) + T(1) + cn	T(n) = 2T(n-2) + cn	T(n) = T(n/2) + cn	b
	From the following given tree, what is the computed codeword for 'c'?		_011	_010	_100	_101	a

## This sheet is for 1 Mark questions

S.r No	Question	Image	a	b	c	d	Correct Answer
		U	nit III				
1	Fractional knapsack problem is also known as		0/1 knapsack problem	Continuous knapsack problem	Divisible knapsack problem	Non continuous knapsack problem	b
2	Fractional knapsack problem is solved most efficiently by which of the following algorithm?		Divide and conquer	Dynamic programming	Greedy algorithm	Backtracking	с
3	What is the objective of the knapsack problem?		To get maximum total	To get minimum total	To get maximum	To get minimum weight in	a
4	Fractional knapsack problem can be solved in time O(n).		value in the knapsack TRUE	value in the knapsack  FALSE	weight in the knapsack	the knapsack	a
5	The result of the fractional knapsack is greater than or equal		TRUE	FALSE			a
6	to 0/1 knapsack.  The main time taking step in fractional knapsack problem is		Breaking items into	Adding items into	Sorting	Looping through sorted	c
	Which of the following algorithms is the best approach for		fraction	knapsack	Sorting	items divide and conquer	
7	solving Huffman codes?  How many printable characters does the ASCII character set		exhaustive search	greedy algorithm	brute force algorithm	algorithm	b
8	consists of?		120	128	100	98	c
9	Which bit is reserved as a parity bit in an ASCII set?		first	seventh	eighth	tenth	c
10	How many bits are needed for standard encoding if the size of the character set is X?		log X	X+1	2X	X <sup>2</sup>	a
11	The code length does not depend on the frequency of occurrence of characters.		TRUE	FALSE			b
12	In Huffman coding, data in a tree always occur?		roots	leaves	left sub trees	right sub trees	b
13	An optimal code will always be present in a full tree		TRUE	FALSE			a
14	The type of encoding where no character code is the prefix of another character code is called?		optimal encoding	prefix encoding	frequency encoding	trie encoding	b
15	What is the running time of the Huffman encoding algorithm?		O(C)	O(log C)	O(C log C)	O(N log C)	с
16	Which of the following is/are property/properties of a dynamic programming problem?		Optimal substructure	Overlapping subproblems	Greedy approach	Both optimal substructure and overlapping	d
17	When dynamic programming is applied to a problem, it takes far less time as compared to other methods that don't take advantage of overlapping subproblems.		TRUE	FALSE		euhnrohleme	ā
18	A greedy algorithm can be used to solve all the dynamic		TRUE	FALSE			b
19	programming problems.  Which of the following problems is NOT solved using dynamic		0/1 knapsack problem	Matrix chain	Edit distance problem	Fractional knapsack	d
20	programming? Which of the following problems should be solved using		Mergesort	multiplication problem  Binary search	Longest common	problem Quicksort	c
	dynamic programming?  The Knapsack problem is an example of			2D dynamic programming	Subsequence	Divide and conquer	b
21	Which of the following methods can be used to solve the					Brute force, Recursion	
22	Knapsack problem?		Brute force algorithm	Recursion	Dynamic programming	and Dynamic Programming	d
Sr. No.	Question	Image	a	b	¢	d	Correct Answer
1	Given items as {value,weight} pairs {{40,20},{30,10},{20,5}}. The capacity of knapsack=20. Find the maximum value output assuming items to be divisible.		60	80	100	40	a
2	Given items as {value,weight} pairs {{60,20},{50,25},{20,5}}. The capacity of knapsack=40. Find the maximum value output assuming items to be divisible and nondivisible respectively.		100,80	110,70	1,30,110	110,80	d
3	What will be the cost of the code if character ci is at depth di and occurs at frequency fi?	0	cifi	∫cifi	∑fidi	fidi	c
4	From the following given tree, what is the code word for the character 'a'?		11	10	100	101	a
5	Which of the following is true? (a) h(n) is O(f(n)) (b) h(n) is O(g(n)) (c) g(n) is not O(f(n)) (d) f(n) is O(g(n))		a	ь	c	d	d
6	The most common hamming codes are a generalized version of:		Hamming(7, 4) code	Hamming(8, 4) code	Hamming(6, 3) code	Hamming(5, 7) code	a

7	An Extended hamming code is also called as	SEDDEC	SEDDED	SECDED	SECDEC	с
8	The following sequence is a fibonacci sequence: 0, 1, 1, 2, 3, 5, 8, 13, 21, Which technique can be used to get the nth fibonacci term?	Recursion	Dynamic programming	A single for loop	Recursion, Dynamic Programming, For loops	d
9	Consider the recursive implementation to find the nth fibonacci number: int fibo(int n) int fibo(int n) if $n <= 1$ return n return Which line would make the implementation complete?	$\mathrm{fibo}(n) + \mathrm{fibo}(n)$	fibo(n) + fibo(n-1)	fibo(n-1) + fibo(n+1)	fibo(n-1) + fibo(n-2)	d
10	What is the time complexity of the following for loop method used to compute the nth fibonacci term?  What is the time complexity of the following for loop method used to compute the nth fibonacci term? int fibo(int n) if n = 0 return 0 else prevFib = 0 curFib = 1 for i: 1 to n-1 nextFib = prevFib + curFib prevFib = curFib curFib return curFib return curFib return curFib	O(1)	O(n)	$O(n^{+}n)$	Exponential	b

		This sheet is for	3 Mark questions				
S.r No	Question	Image	a	b	с	d	Correct Answer
		Uı	iit III				
1	You are given a knapsack that can carry a maximum weight of 60. There are 4 items with weights [20, 30, 40, 70] and values {70, 80, 90, 200}. What is the maximum value of the items you can carry using the knapsack?		160	200	170	90	a
2	Consider the problem of searching an element $x$ in an array 'arr[]' of size $n$ . The problem can be solved in $O(Logn)$ time if. 1) Array is sorted 2) Array is sorted and rotated by $k$ . $k$ is given to you and $k <= n$ 3) Array is sorted and rotated by $k$ . $k$ is NOT given to you and $k <= n$ 4) Array is not sorted		1 Only	1 & 2 only	1, 2 and 3 only	1, 2, 3 and 4	c
3	Consider the following three claims 1. $(n + k)m = T(nm)$ , where k and m are constants $2. 2n + 1 = O(2n)$ $3. 22n + 1 = O(2n)$ Which of these claims are correct?		1 and 2	1 and 3	2 and 3	All	a
4	Consider a situation where you don't have function to calculate power (pow() function in C) and you need to calculate x'n where x can be any number and n is a positive integer. What can be the best possible time complexity of your power function?		O(n)	O(nLogn)	O(LogLogn)	O(Logn)	d
5	Maximum Subarray Sum problem is to find the subarray with maximum sum. For example, given an array {12, -13, -5, 25, -20, 30, 10}, the maximum subarray sum is 45.  The naive solution for this problem is to calculate sum of all subarrays starting with every element and return the maximum of all. We can solve this using Divide and Conquer, what will be the worst case time complexity using Divide and Conquer		O(n)	O(nLogn)	O(Logn)	O(n^2)	ь

		This sheet is for	1 Mark questions							
S.r No	Question	Image	a	b	с	d	Correct Answer			
	UNIT IV									
1	The worst-case efficiency of solving a problem in polynomial time is?		O(p(n))	O(p( n log n))	O(p(n <sub>2</sub> ))	O(p(m log n))	а			
2	Problems that can be solved in polynomial time are known as?		intractable	tractable	decision	complete	b			
3	The sum and composition of two polynomials are always polynomials.		TRUE	FALSE			a			
4	is the class of decision problems that can be solved by non-deterministic polynomial algorithms?		NP	P	complete	Hard	а			
5	Problems that cannot be solved by any algorithm are called?		tractable problems	intractable problems	undecidable problems	decidable problems	С			
6	Halting problem is an example for?		decidable problem	undecidable problems	complete	tractable problems	b			
7	How many stages of procedure does a non-deterministic algorithm consist of?		1	2	3	4	b			
8	A non-deterministic algorithm is said to be non-deterministic polynomial if the time-efficiency of its verification stage is		TRUE	FALSE			а			
9	To which of the following class does a CNF-satisfiability problem belong?		NP class	P class	NP complete	NP hard	с			
10	Which of the following problems is not NP complete?		Hamiltonian circuit	Bin packing	Partition problem	Halting problem	d			

11	Which of the following algorithm can be used to solve the Hamiltonian path problem efficiently?	branch and bound	iterative improvement	divide and conquer	greedy algorithm	a
12	The problem of finding a path in a graph that visits every vertex exactly once is called?	Hamiltonian path problem	Hamiltonian cycle problem	Subset sum problem	Turnpike reconstruction problem	a
13	Hamiltonian path problem is	NP problem	N class problem	P class problem	NP complete problem	d
14	There is no existing relationship between a Hamiltonian path problem and Hamiltonian circuit problem.	TRUE	FALSE			b
15	Which of the following problems is similar to that of a Hamiltonian path problem?	knapsack problem	closest pair problem	travelling salesman problem	assignment problem	С
16	in graphs, in which an vertices have an ood degree, the number of Hamiltonian cycles through any fixed edge is	TRUE	FALSE			a
17	Which of the following case does not exist in complexity theory?	Best case	Worst case	Average case	Null case	d
18	The complexity of Binary search algorithm is	O(n)	O(log n )	O(n log n)	O(n*n)	b
19	QuickSort can be categorized into which of the following?	Brute Force technique	Divide and conquer	Greedy algorithm	Dynamic programming	b
20	The approach of dynamic programming is similar to	parcing	Hash Table	Divide and conquer	Greedy algorithm	С
21	If for an algorithm time complexity is given by O(1) then complexityof it is:	constant	polynomial	exponential	none of the mentioned	а
22	If for an algorithm time complexity is given by O(logzn) then complexity will:	constant	polynomial	exponential	none of the mentioned	d

Sr. No.	Question	Image	a	b	c	d	Correct Answer
		Un	it IV			11	
1	For a graph of degree three, in what time can a Hamiltonian path be found?		O(0.251 <sup>n</sup> )	O(0.401 <sup>n</sup> )	O(0.167 <sup>n</sup> )	O(0.151 <sup>n</sup> )	a
2	What is the time complexity for finding a Hamiltonian path for a graph having N vertices (using permutation)?		O(N!)	O(N! * N)	O(log N)	O(N)	
3	How many Hamiltonian paths does the following graph have?	a b d e	1	2	3	4	a
4	How many Hamiltonian paths does the following graph have?		1	2	0	3	c
5	In many problems the path to goal is irrelevant, this class of problems can be solved using		Informed Search Techniques	Uninformed Search Techniques	Local Search Techniques	Informed & Uninformed Search Techniques	¢
6	Which of the Following problems can be modeled as CSP?		8-Puzzle problem	8-Queen problem	Map coloring problem	All	d
7	To measure Time complexity of an algorithm Big O notation is used which:		describes limiting behaviour of the function	characterises a function based on growth of function	upper bound on growth rate of the function	all of the mentioned	d
8	What is the time, space complexity of following code: $\begin{aligned} &\text{int } a = 0, \ b = 0; \\ &\text{for } (i = 0; \ i < N; \ i \leftrightarrow i) \end{aligned}$ $\begin{aligned} &a = a + rand(); \\ &a = a + rand(); \\ &a = b + rand(); \\ &b = b + rand(); \end{aligned}$		O(N * M) time, O(1) space	O(N + M) time, O(N + M) space	O(N + M) time, O(1) space	O(N * M) time, O(N + M) space	c
9	What is the time complexity of following code: $\begin{array}{l} \text{th } a=0;\\ \text{for } (i=0;i< N;i+i) \ \{\\ \text{for } (j=N;j>i;j-i) \ \{\\ a=a+i+j;\\ \}\\ \} \end{array}$		O(N)	O(N*log(N))	O(N * Sqrt(N))	O(N*N)	đ
10	What is the time complexity of following code: int $a=0, i=N$ ; while $(i>0)$ { $a+i$ ; $i/=2$ ; }		O(N)	O(N * Sqrt(N))	O(N / 2)	O(log N)	d

	This sheet is for 3 Mark questions								
S.r No	Question	Image	a	b	с	d	Correct Answer		
	Unit IV								
1	What is time complexity of fun()? int fun(int n) {		O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c		

2	The time complexity of the following C function is (assume n $> 0$ int recursive (mt n) { if if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }	0(n)	0(nlogn)	0(n^2)	0(2^n)	d
3	Consider the matrices P, Q and R which are $10 \times 20$ , $20 \times 30$ and $30 \times 40$ matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?	18000	12000	24000	32000	a
4	What does it mean when we say that an algorithm X is asymptotically more efficient than Y?	X will always be a better choice for small inputs	X will always be a better choice for large inputs	Y will always be a better choice for small inputs	X will always be a better choice for all inputs	ь
5	What is the time complexity of following code: int $a=0, i=N$ ; while $(i>0)$ { $a+=i$ ; $i/=2$ ; }	O(N)	O(Sqrt(N))	O(N / 2)	O(log N)	d
6	Consider the following graph., If b is the source vertex, what is the minimum cost to reach f vertex?	8	q		6	D.
	a 2 8 4 6					
	(f) 1 (e)					
4	What is time complexity of fun()? int fun(int n) { int ount = 0; for fun $i = n$ ; $i > 0$ ; $i \neq 2$ } The time complexity of the rottowing C. function is (assume n)	O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
5	int recursive (mt n)  {     if (n = 1)     return (1);	O(n)	O(nlogn)	O(n^2)	O(2^n)	d

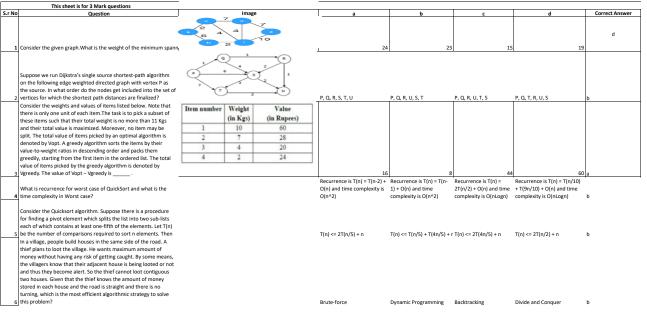
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	3 Marks MCQ Question						
S.r Ne	Question	Image	а	b	С	d	Correct Answer
1	Which one of the following is the recurrence equation for the worst case time complexity of the Quicksort algorithm for sorting n(22) numbers? In the recurrence equations given in the optionsbelow, c is a constant.	img.jpg	T(n) = 2T(n/2) + cn	T(n) = T(n-1) + T(1) + cn	T(n) = 2T(n-2) + cn	T(n) = T(n/2) + cn	b
2	Write the pseudo code for finding the factorial of given number.		int Recursive_fact(int n) { return 1; } else { return (n) return (	{     return 1;     }     else     {         return (n+Recursive_fact(n-1));     }     If (n=0) then     {         return (n+Recursive_fact(n-1));     }	{ return r; } else { return (Recursive_fact(n-1); } } If (n==0) then {	none of the above is correct	a
3	How many times is the comparison $i >= n$ performed in the following program? int $i = 200$ , $n = 80$ ; main(){ while $(i >= n)$ { $i = k \ge 2$ ; $n = n + 1$ ; }}		20	30	42	50	c
4	Which of the following time complexities best describes MaxMin approach		Θ(n)	Ω(n)	O(nlogn)	O(logn)	a
5	Consider a set of 4 messages (M1 – M4) whose frequency of occurrences in the text is as given: (0.37, 0.51, 0.05, 0.07) Using frequency dependent Huffman Coding the codes of the messages M2 and M3 respectively.		0, 110	0, 011	1,000	1,001	c

	This sheet is for 2 Mark questions						
S.r N	Question	Image	a	b	c	d	Correct Answer
	The characters a to h have the set of frequencies based						
	on the first 8 Fibonacci numbers as followsa: 1, b: 1,						
	c: 2, d: 3, e: 5, f: 8, g: 13, h: 21/A Huffman code is						a
	used to represent the characters. What is the sequence						
	of characters corresponding to the following						
1	code?110111100111010		(A) fdheg	(B) ecgdf	(C) dchfg	(D) fehdg	

_								T	T.			
2	The basic idea behind Huffman coding is to							expand data by using fewer bits to encode more frequently occuring characters	compress data by using more bits to encode more frequently occuring characters b) Recursive	compress data by using fewer bits to encode fewer frequently occuring characters	compress data by using fewer bits to encode more frequently occuring characters	a
3	Which of these is false about recursion?							a) Recursive function can be replaced by a non-recursive function	functions usually take more memory space than non- recursive function	c) Recursive functions run faster than non-recursive function	d) Recursion makes programs easier to understand	с
4	What is tail recursion?							a) A recursive function that has two base cases	b) A function where the recursive functions leads to an infinite loop	c) A recursive function where the function doesn't return anything and just prints the values	d) A function where the recursive call is the last thing executed by the function	d
5	What happens if the base condition isn't defined in recursive programs?							a) Program gets into an infinite loop	b) Program runs once	c) Program runs n number of times where n is the argument given to the function	d) An exception is thrown	a
6	Which of these describes stepwise refinement?							a) Nicklaus Wirth described the first software engineering method as stepwise refinement	b) Stepwise refinement follows its existence from 1971	c) It is a top down approach	d) All of the mentioned	d
7	Programming based on stepwise refinement process.							a) Structural	b) C programming	c) Procedural	d) Fine	a
								Nicklaus Wirth described the first software engineering method as stepwise	Stepwise refinement follows its existence	It is a top down		-
	Which of these describes stepwise refinement?							refinement	from 1971	approach	All of the mentioned	d
9	Recursion is similar to which of the following?							a) Switch Case	b) Loop	c) If-else	d) if elif else	b
10	In recursion, the condition for which the function will stop calling itself is							a) Best case	b) Worst case	c) Base case	d) There is no such condition	c
	Which of the following statements is true?							a) Recursion is always better than iteration	b) Recursion uses more memory compared to iteration	c) Recursion uses less memory compared to iteration	d) Iteration is always better and simpler than recursion	b
		Item	X1	X2	Х3	X4	X5					
	Consider the following instance of knapsack problem:The maximum weight of 12 is allowed in the knapsack. Find the value of maximum profit with the	Profit Weight	15	12	9	16	17					
12	optimal solution of the fractional knapsack problem.							(A) 31	<b>(B)</b> 40.2	(C) 48.5	(D) None of these	c
13	Which of the following methods can be used to solve the Knapsack problem?							a) Brute force algorithm	b) Recursion	c) Dynamic programming	d) Brute force, Recursion and Dynamic Programming	d
14	You are given a knapsack that can carry a maximum weight of 60. There are 4 items with weights {20, 30, 40, 70} and values {70, 80, 90, 200}. What is the maximum value of the items you can carry using the knapsack?							a) 160	ь) 200	c) 170	d) 90	a
	What is the time complexity of the brute force algorithm used to solve the Knapsack problem?							a) O(n)	b) O(n!)	c) O(2 <sup>n</sup> )	d) O(n <sup>3</sup> )	c

	This sheet is for 3 Mark questions						
r No	Question	Image	a	b	c	d	Correct Answer
1	A message is made up entirely of characters from the set $X = \{P,Q,R,S,T\}$ . The table of probabilities of each character is shown below:  A message of 100 characters over $X$ is encoded using Huffman coding. Then the excepted length of the encoded message in bits is	Character   Probability   P   0.22	(A) 225	( <b>B</b> ) 226	(C) 227	( <b>D</b> ) 228	a
2	Suppose the letters a, b, c, d, e, f have probabilities 1/2, 1/4, 1/8, 1/16, 1/32, 1/32 respectively. What is the average length of Huffman codes?		(A) 3	<b>(B)</b> 2.1875	(C) 2.25	<b>(D)</b> 1.9375	d
3	Given items as {value,weight} pairs {{40,0},{30,10},{20,5}}. The capacity of knapsack=20. Find the maximum value output assuming items to be divisible.		a) 60	b) 80	c) 100	d) 40	a
4	Given items as {value,weight} pairs { {60,20},{50,25},{20,5}}. The capacity of knapsack=40. Find the maximum value output assuming items to be divisible and nondivisible respectively.		a) 100, 80	b) 110, 70	c) 130, 110	d) 110, 80	d
5	An alphabet consist of the letters A, B, C and D. The probability of occurrence is $P(A) = 0.4$ , $P(B) = 0.1$ , $P(C) = 0.2$ and $P(D) = 0.3$ . The Huffman code is		A = 01 B = 111 C = 110 D = 10	A=0 B=11 C= 10 D=111	A = 0 B = 111 C = 110 D = 10	A = 0 B = 111 C = 11 D = 101	

Consider the weights and values of items listed below.  Note that there is only one unit of each item. The task	Item number		Value	1					
is to pick a subset of these items such that their total		(in Kgs)	(in Rupees)						
weight is no more than 11 Kgs and their total value is	1	10	60	1					
maximized. Moreover, no item may be split. The total value of items picked by an optimal algorithm is	2	7	28	1					
denoted by Vopt. A greedy algorithm sorts the items	3	4	20	-					
by their value-to-weight ratios in descending order and packs them greedily, starting from the first item in the		4	77.7	-					
6 ordered list. The total value of items picked by the	4	2	24	(A) 16	<b>(B)</b> 8	(C) 44	<b>(D)</b> 60	a	
Consider the following code snippet:void my_recursive_function() {     my_recursive_function(); } int main() {     my_recursive_function();     return 0; } What will happen when the above snippet is 7 executed?  What is the output of the following code?void				a) The code will be executed successfully and no output will be generated	b) The code will be executed successfully and random output will be generated	c) The code will show a compile time error	d) The code will run for some time and stop when the stack overflows	d	
my_recursive_function(int n)  {     if(n == 0)     return;     printf("%d ",n);     my_recursive_function(n-1);     }     int main()     {         my_recursive_function(10);         return 0;     }				a) 10	ь) 1	c) 10 9 8 1 0	d) 10 9 8 1	d	
How many times is the recursive function called, when					′	,	,		
the following code is executed?void my_recursive_function(int n) {     if(n == 0)     return;     printf("%d ",n);     my_recursive_function(n-1); }									
int main() {									
my_recursive_function(10);									
return 0;				a) 9	b) 10	c) 11	d) 12	c	
What will be the output of the following code?int cnt=0; void my_recursive_function(int n) {     if(n == 0)     return;     cnt++;     my_recursive_function(n/10);								-	
iny_rectisive_runerion(n/10),									
int main()									
my_recursive_function(123456789); printf("%d",cnt);									
return 0; 10 }				a) 123456789	b) 10	c) 0	d) 9	d	
This sheet is for 3 Mark questions					•				
S.r No Question		Image		a	b	с	d	Correct Answer	
	2	4	<b>Z</b>						



		Suppose the letters $a, b, c, d, e, f$ have probabilities $1/2, 1/4, 1/8, 1/16, 1/32, 1/32$ respectively. Which of the following is the hulfman code for the letter $a, b, c, d, e, f$ ? Consider $a$ job scheduling problem with $4$ jobs $1_3, 1_2, 1_3, 1_4$ and with corresponding deadlines: $(d_1, d_2, d_3, d_4) = (4, 2, 4, 2)$ . Which of the following is not a feasible schedule without violating any job		0, 10, 110, 1110, 11110, 11111	11, 10, 011, 010, 001, 000	11, 10, 01, 001, 0001, 00001, 0000	110, 100, 010, 000, 001, 111	a
		schedule?  consider two strings A="qpqrr" and B="pqprqrp".Let x be the length of longest common subsequence( not necessarily contiguous) between A and B and let y be no of sunch longest		J <sub>2</sub> , J <sub>4</sub> , J <sub>1</sub> , J <sub>3</sub>	J <sub>4</sub> , J <sub>1</sub> , J <sub>2</sub> , J <sub>3</sub>	J <sub>4</sub> , J <sub>2</sub> , J <sub>1</sub> , J <sub>3</sub>	J <sub>4</sub> , J <sub>2</sub> , J <sub>3</sub> , J <sub>1</sub>	b
		common subsequences between A and B. Then x+10y= Consider the undirected graph below: Using Prim's algorithm to construct a minimum spanning tree starting with node A, which one of the following sequences of edges represents a possible order in which the edges would be added to construct the minimum spanning tree?	10 22 10 10 10 10 10 10 10 10 10 10 10 10 10	34 (E, G), (C, F), (F, G), (A, D), (A, B), (A, C)	24 (A, D), (A, B), (A, C), (C, F), (G, E), (F, G)		(A, D), (A, B), (D, F), (F, C), (F, G), (G, E)	a d
F	S.r No	This sheet is for 2 Mark questions  Question	- Image	a	b	с	d	Correct Answer
		which of the following is / are propert/properties of Dynamic	img.jpg		2 Overlapping		Both optimal substructure	d
L		prims algorith is a		1 Optimal substructure Divide and conquer	subproblem Greedy method b) pivot position can be	3 Greedy aproach  Dynamic programming c) adaptive sorting	and overlapping substructure Approximation algorithm d) can be implemented as a	b
ı	3	Which of the following is not true about QuickSort? consider the following statement "A localy optimal choice is		a) in-place algorithm	changed	algorithm		b
L	4	globally optimal " Which of the following sorting algorithms has the lowest worst-		True	FALSE			a
		case complexity? Which of the following standard algorithms is not Dynamic Program	ming based.	(A) Merge sort Bellman–Ford Algorithm for s	(B) Bubble sort Floyd Warshall Algorithm f	(C) Quick sort 0-1 Knapsack problem	(D) Selection sort Prim's Minimum Spanning Tre	a d
		We use dynamic programming approach when Merge sort uses which of the following technique to implement sort	ting?	We need an optimal solution backtracking	The solution has optimal so b) greedy algorithm	The given problem can b c) divide and conquer		b c
ſ	9	Which of the following statement about 0/1 knapsack and fractional	knapsack problem is correct?	In 0/1 knapsack problem item	Huffman Codes may not	In Huffman coding, no	d) In 0/1 knapsack problem ite	d
L		Which of the following is true about Huffman Coding. which of the following statements are True		Huffman coding may become lossy in some cases		code is prefix of any other code.	All of the above	b
		statement 1: Subgraph of shortest path is a shortest path statement 2: If a graph contains a negative weight cycle then some shortest path may not be exist.		statement 1 is True but statement 2 is False	statement 1 is False but 2 is True	both are True	Both are False	
		Let G be an undirected connected graph with distinct edge weight. Let emax be the edge with maximum weight and emin		Statement 2 is raise	If emax is in a minimum spanning tree, then its	both are inde	botti di e raise	C
		the edge with minimum weight. Which of the following statements is false?		Every minimum spanning tree of G must contain emin	removal must disconnect	No minimum spanning tree contains emax	G has a unique minimum spanning tree	c
	_				(B) If e is not in a minimum spanning tree			
		Let w be the minimum weight among all edge weights in an			T, then in the cycle	(C) Every minimum		
	13	undirected connected graph. Let e be a specific edge of weight w . Which of the following is FALSE?		(A) There is a minimum spanning tree containing e.	all edges have the same weight.	spanning tree has an edge of weight w .	(D) e is present in every minimum spanning tree.	d
		The minimum number of comparisons required to find the minimum and the maximum of 100 numbers is		146	148	152	150	b
		Match the following: List 1 (P)						
		Prim's algorithm for minimum spanning tree (Q) Floyd-Warshall algorithm for all pairs shortest paths (R) Mergesort						
		(S) Hamiltonian circuit List 2						
		(i) Backtracking (ii) Greedy method						
	15	(iii) Dynamic programming (iv) Divide and conquer		P-III,Q-II,R-IV,S-I	P-I,Q-II,R-IV,S-III	P-II,Q-III,R-IV,S-I	P-II,Q-I,R-IV,S-III	b
ſ		This sheet is for 1 Mark questions	•					
ļ	S.r No	Question  The algorithms like merge sort, quick sort and binary search are	Image img.jpg	a 1. Greedy algorithm	b 2. Divide and Conquer	c 3. Hash table	d 4. Parsing	Correct Answer b
		QuickSort can be categorized into which of the following?	5770	Brute Force technique Greedy approach	b) Divide and conquer Divide and conquer	c) Greedy algorithm Dynamic programming	d) Dynamic programming None of the above	b
Γ		Which of the following uses memoization? What is the best case complexity of QuickSort?		a) O(nlogn)	approach b) O(logn)	approach c) O(n)	d) O(n <sup>2</sup> )	c a
	5	The complexity of linear search algorithm is The complexity of Binary search algorithm is		O(n) O(n)	O(log n) O(log n)	O(n2) O(n2)	O(n log n) O(n log n)	a b
		Which data structure is used for implementing a LIFO branch and bound strategy?		a) stack	b) queue	c) array	d) linked list	a
[	9	What are the two main features of Genetic Algorithm? What is the time complexity of Huffman Coding? Which one of the following algorithm design techniques is used in		a) Fitness function & Crossov O(N)	b) Crossover techniques & O(NlogN)	c) Individuals among the O(N(logN)^2)	d) Random mutation & Fitnes O(N^2)	a b
L		finding all pairs of shortest distances in a graph? What is the time complexity of Bellman-Ford single-source		dynamic programming	backtracking	greedy	divide & conquer	a
		shortest path algorithm on a complete graph of n vertices? which of the following is the most commonly used data structure		(A) Θ(n <sub>2</sub> )	(B) $\Theta(n 2 \log n)$	(c) Θ(n₃)	(D) Θ(n₃log n)	c
[	13	for implementing Dijkstras algorithm. What is the worst case complexity of QuickSort?		max priority queue a) O(nlogn)	stack b) O(logn)	circular queue c) O(n)	min priority queue d) O(n²)	d d
	14	how many times the for loop gets executed in Belman ford algorithm What is the time complexity of the above dynamic programming		V times	V-1 times	E times	E-1 Times	b
		implementation of the longest common subsequence problem where length of one string is "m" and the length of the other						
		string is "n"?		A. O(n)	B. O(m)	C. O(m + n)	D. O(mn)	d
	S.r No	This sheet is for 3 Mark questions Question	Image	a	b	c	d	Correct Answer
		The time complexity of the following C function is (assume $n > 0$ ) int recursive (int $n$ ) { if( $n == 1$ ) return (1); else return (recursive ( $n$ -	img.jpg					d
Į		1) + recursive (n-1)); } The running time of an algorithm is given by $\;$ Then what should be		O(n)	O(n log n)	O(n <sup>2</sup> )	O(2 <sup>n</sup> )	
	2	the relation between T(1), T(2) and T(3), so that the order of the algorithm is constant?		T(1) = T(2) = T(3)	T(1) - T(3) = T(2)	T(1) + T(3) = 2 * T(2)	T(1) + T(3) = 2 * T(2)	a
		Time complexity of an algorithm $T(n)$ , where n is the input size is given by $T(n)=T(n-1)+1/n$ , if $n>1=1$ , otherwise The order of this				2		
ſ		algorithm is An algorithm is made up of two modules M1 and M2. If order of		Logn	N	N <sup>2</sup>	N <sup>n</sup>	a
L		M1 is f(n) and M2 is g(n) then the order of algorithm is Two alternative packages A and B are available for processing a		Max(f(n),g(n))	Min(f(n),g(n))	F(n)+g(n)	F(n) * g(n)	a
		database having 10k records. Package A requires 0.0001n <sup>2</sup> time units and package B requires 10nlog <sub>10</sub> n time units to process n						
	5	records. What is the smallest value of k for which package B will be preferred over A?		12	10	6	5	с
		The running time of an algorithm $T(n)$ ,where 'n' is the input size, is given by $T(n)=8T(n/2)+qn$ , if $n>1=p$ , if $n=1$ Where $p,q$ are		**2	N/I	3		
ſ	6	constants. The order of this algorithm is  Consider the following three claims		N <sup>2</sup>	N <sup>n</sup>	N <sup>3</sup>	N	c
		1. (n + k)m = Θ(nm), where k and m are constants 2.  2n + 1 = O(2n) 3. 22n + 1 = O(2n)						
L	<b>7</b>	3. 22n + 1 = O(2n) Which of these claims are correct? which one of the following correctly determines the solution of the recu	urrence relation with T(1)=1 T(n)=2T(n/2)+ log n	(A) 1 and 2 Θ(n)	(B) 1 and 3 ⊖(nlog n)	(C) 2 and 3 Θ(n2)		a a

	9 Let X be a problem that belongs to the class NP. Then which one of 0 Which of the following statements are TRUE? (1) The problem of de		Let X be a problem that below 1, 2 and 3	If X can be solved determined and 3	r If X is NP-hard, then it is 2 and 3	X may be undecidable. 1 and 2	c a
	This sheet is for 2 Mark questions						
S.r No	O Question What is the time, space complexity of following code:	Image	a	b	с	d	Correct Answer
	int a = 0, b = 0;						
	for (i = 0; i < N; i++) {						
	a = a + rand(); }	img.jpg					c
	for (j = 0; j < M; j++) { b = b + rand();						
1	1 }		1. O(N * M) time, O(1) sp	2. O(N + M) time, O(N	3. O(N + M) time, O(	4. O(N * M) time, O(N + N	
	<del>-</del>	a b d e	_			•	
		\/					
		(6)					
	2 How many Hamiltonian paths does the following graph have? 3 The second smallest of n elements can be found with comp	parisons in worst case.	1 N + ceil(lg n) -2	N-1	: 3 Len	3n/1	a
	4 In general, in a recursive and non-recursive implementation of a pro					Space complexity is better in r	c
5	5 The solution of the recurrence relation T(m)=T(3m/4)+1 is :		Θ(lg m)	Θ(m)	Θ(mlg m)	Θ(lglg m)	a
	6 If there is in NP-Complete language L whose complement is in NP, ti 7 Of the following sorting algorithms, which has a running time that is		P merge sort	NP insrtion sort	Both (A) and (B) selection sort	None of these quick sort	b
	The running time of quick sort algorithm depends heavily on the sel		No. of inputs	Arrangement of elements		Pivot element	d
	9 The problems 3-SAT and 2-SAT are		Both NP-complete	Both in P		: Undecidable and NP-complete	c
	o Is it possible for a problem to be in both P and NP?		TRUE	FALSE	***	, 2,	a
	<ol> <li>Indicate constant time complexity in terms of Big-O notation</li> <li>Let S be an NP-complete problem and Q and R be two other problem</li> </ol>	ms not known to be in NP. O is polynomial time reducible to	O(n) R is NP-complete	O(1) R is NP-hard	O(log n) Q is NP-complete	o(n <sup>2</sup> ) Q is NP-hard	b h
	What is the time complexity of adding an item in front of a LinkedLis		O(log n)	0(1)	o(n ²)		b
	4 What is the time complexity of recursive Binary Search algorithm?		O(n)	O(2 <sup>n</sup> )	O(log n)		с
15	Assuming P != NP, which of the following is true ?		(A) NP-complete = NP	(B) NP-complete and P=∅	(C) NP-hard = NP	(D) P = NP-complete	
	This sheet is for 1 Mark questions	•					
S.r No	o Question	Image	a	b	С	d	Correct Answer
1	1 The upper bound for the growth of the Algorithms running time is	img.jpg	Big Oh (O)	2. Big Omega (Ω)	3. Big Theta (O)	4. Exponential growth	а
,	Big Theta (0) indicates that the Upper and Lower bounds of an 2 algorithm are the same.	TRUE	FALSE				a
2	An algorithm that breaks a file to be sorted in smaller files called	oc	· · · LJL				-
	runs which are sorted and eventually put back together resulting						
3	3 in a sorted file is called: The lower bound for the growth of the Algorithms running time is		Quicksort algorithm	b. Replacement sort algori	il c. An indexed key sort al	d. Mergesort algorithm	d
4	4 represented by		Big Oh (O)	2. Big Omega (Ω)	3. Big Theta (Θ)	4. Exponential growth	b
5	5 Asymptotic Algorithm Analysis is primarily concerned with:		a. The size of the constant in	b. The speed of the compu	c. The speed of the comp	d. The growth rate demonstra	d
	Consider the following three claims 1. $(n + k)^m = \Theta(n^m)$ , where k and m are constants 2. $2^{n+1}$						
	$= O(2^n)$ 3. $2^{2n+1} =$						
6	6 O(2 <sup>n</sup> )		1 and 2	(B) 1 and 3	(C) 2 and 3	(D) 1, 2, and 3	
	7 Problems that can be solved in polynomial time are known as?		a) intractable	b) tractable	c) decision		b
8	8 is the class of decision problems that can be solved by no 9 Problems that cannot be solved by any algorithm are called?	on-deterministic polynomial algorithms?	a) NP a) tractable problems	b) P b) intractable problems	<ul> <li>c) Hard</li> <li>c) undecidable problems</li> </ul>	d) Complete	a c
	Halting problem is an example for?		a) decidable problem	b) undecidable problem	c) complete problem	d) trackable problem	b
	1 To which of the following class does a CNF-satisfiability problem bel	ong?	a) NP class	b) P class	c) NP complete	d) NP hard	c
	What is vertex coloring of a graph?     Minimum number of unique select required for vertex selecting of a	graph is called?		<ul> <li>b) A condition where any t</li> <li>b) chromatic index</li> </ul>	t c) A condition where all t c) chromatic number	<ul> <li>d) A condition where all vertic</li> <li>d) color number</li> </ul>	a
	3 Minimum number of unique colors required for vertex coloring of a 4 Vertex coloring and chromatic number are one and the same.	graph is called?	a) vertex matching     a) True	b) False	c) ciriomatic number		b
15	5 The concept of order Big O is important because:		It can be used to decide the b		e It determines the maxim	Both (A) and (B)	a
16	6 The Statement "Fibonacci heap has better amortized running time i	n compare to a binomial heap".	a) True	b) False			a
19	9 A randomized algorithm uses random bits as input inorder to achiev	e agood performance over all possible cho	a) worst case	b) best case	c) average case	d) none of the mentioned	c
20	Unix sort command uses as its sorting technique.		a) Quick Sort	b) Bucket Sort	c) Radix Sort	d) Merge Sort	a
			a) Quick Soi t				
S.r		_					
S.r No	Question	Image	a	b	с	d	Correct Answer
		Image		b	с	d	Correct Answer
	What is time complexity of fun()?	Image		b	c	d	Correct Answer
	What is time complexity of fun()? int fun(int n) {	Image		b	c	d	Correct Answer
No	What is time complexity of fun()? int fun(int n) {   int count = 0;	Image	a				
	What is time complexity of fun()? int fun(int n) {  int count = 0;  for (int i = n; i > 0; i /= 2)	Image		b O(nLogn)	C O(n)	d O(nLognLogn)	Correct Answer
No	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j++) count += 1;	Image	a				
No	What is time complexity of fun()? int fun(int n) { { int fun(int n) { { int out = 0;} } } for (int i = n; i > 0; i / = 2) for (int j = 0; j < i; j $\mapsto$ }	Image	a				
No	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j++) count += 1;	Image	a				
No	What is time complexity of fun()?  int fun(int n) {  int count = 0;  for (int i = n; i > 0; i /= 2)  for (int j = 0; j < i; j ++)  count += 1;  return count; }	Image	a				
No	What is time complexity of fun()? int fun(int n) $ \begin{cases} & \text{int fun(int n)} \\ & \text{int count} = 0; \\ & \text{for (int } i = n; i > 0; i / = 2) \\ & \text{for (int } j = 0; j < i; j + +) \\ & \text{count} + = 1; \\ & \text{return count}; \end{cases} $ The time complexity of the following C function is (assume n	Image	a				
No	What is time complexity of fun()?  int fun(int n) {  int count = 0;  for (int i = n; i > 0; i /= 2)  for (int j = 0; j < i; j ++)  count += 1;  return count; }	Image	a				
No	What is time complexity of fun()? int fun(int n) $ \begin{cases} & \text{int fun(int n)} \\ & \text{int count} = 0; \\ & \text{for (int } i = n; i > 0; i / = 2) \\ & \text{for (int } j = 0; j < i; j + +) \\ & \text{count} + = 1; \\ & \text{return count}; \end{cases} $ The time complexity of the following C function is (assume n	Image	a				
No	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j++) count = 1; return count; }	Image	a				
1 1	What is time complexity of fun()? int fun(int n) $ \begin{cases} & \text{int count} = 0; \\ & \text{int count} = 0; \\ & \text{for (int } i = n; i > 0; i / = 2) \\ & \text{for (int } j = 0; j < i; j + +) \\ & \text{count} + = 1; \\ & \text{return count}; \end{cases} $ The time complexity of the following C function is (assume n > 0 int recursive (mt n) $ \begin{cases} & \text{if } n = 1 \end{cases} $	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
1 1	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j++) count = 1; return count; }	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
1 1	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count = 1; return count; } } The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); } }	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
1 1	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; } } The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
No 1	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; } } The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
No 1	What is time complexity of fun()? int fun(int n) { int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; } }   The time complexity of the following C function is (assume n > 0 int recursive (mt n) { int (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
1 2	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)       count += 1;   return count; }  The time complexity of the following C function is (assume n > 0   int recursive (mt n)   {     if (n = 1)     return (1);     else     return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30	Image	a O(n^2) 0(n)	O(nLogn) O(nlogn)	O(n) 0(n^2)	O(nLognLogn)  O(2^n)	c d
1 1	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)     count += 1;   return count; }  The time complexity of the following C function is (assume n > 0   int recursive (mt n)   {     if (n = 1)     return (1);     else     return (recursive (n-1) + recursive (n-1));     }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30     and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three	Image	a O(n^2)	O(nLogn)	O(n)	O(nLognLogn)	c
1 2	What is time complexity of fun()?  int fun(int n) {  int count = 0;  for (int i = n; i > 0; i /= 2)  for (int j = 0; j < i; j ++)  count += 1;  return count;  }  The time complexity of the following C function is (assume n > 0  int recursive (mt n) {  if (n == 1)  return (1);  else  return (recursive (n-1) + recursive (n-1));  }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum	Image	a O(n^2) 0(n)	O(nLogn) O(nlogn)	O(n) 0(n^2)	O(nLognLogn)  O(2^n)	c d
1 2	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)     count += 1;   return count; }  The time complexity of the following C function is (assume n > 0   int recursive (mt n)   {     if (n = 1)     return (1);     else     return (recursive (n-1) + recursive (n-1));     }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30     and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three	Image	a O(n^2) 0(n)	O(nLogn) O(nlogn)	O(n) 0(n^2)	O(nLognLogn)  O(2^n)	c d
1 2	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)       count = 1;   return count;   }  The time complexity of the following C function is (assume n > 0   int recursive (mt n) {   if (n = 1)   return (i);   else   return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30   and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?	Image	a O(n^2) 0(n)	O(nLogn)  O(nlogn)	O(n) 0(n^2) 24000	O(nLognLogn)  O(2^n)	c d
1 2 3	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; }  The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is	Image	a O(n^2)  0(n)  18000  X will always be a better	O(nLogn)  O(nlogn)  12000  X will always be a	O(n)  O(n^2)  24000  Y will always be a	O(nLognLogn)  O(2^n)  32000  X will always be a better	d d
1 2	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)       count = 1;   return count;   }  The time complexity of the following C function is (assume n > 0   int recursive (mt n) {   if (n = 1)   return (i);   else   return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30   and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?	Image	a O(n^2) 0(n)	O(nLogn)  O(nlogn)	O(n) 0(n^2) 24000	O(nLognLogn)  0(2^n)  32000	c d
1 2 3	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; }  The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is	Image	a O(n^2)  0(n)  18000  X will always be a better	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large	O(n)  O(n^2)  24000  Y will always be a better choice for small	O(nLognLogn)  O(2^n)  32000  X will always be a better	d d
2 3	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j++) count += 1; return count; }  The time complexity of the following C function is (assume n > 0 int recursive (int n) { if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is asymptotically more efficient than Y?	Image	a O(n^2)  0(n)  18000  X will always be a better	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large	O(n)  O(n^2)  24000  Y will always be a better choice for small	O(nLognLogn)  O(2^n)  32000  X will always be a better	d d
2 3	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; }  The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is asymptotically more efficient than Y?  What is the time complexity of following code: int a = 0, i = N;	Image	a O(n^2)  0(n)  18000  X will always be a better	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large	O(n)  O(n^2)  24000  Y will always be a better choice for small	O(nLognLogn)  O(2^n)  32000  X will always be a better	d d
2 3	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)       count = 1;   return count; }  The time complexity of the following C function is (assume n > 0   int recursive (mt n) {   if (n = 1)   return (i);   else   return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30   and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is asymptotically more efficient than Y?  What is the time complexity of following code:   int a = 0, i = N;   while (i > 0) {	Image	a O(n^2)  0(n)  18000  X will always be a better	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large	O(n)  O(n^2)  24000  Y will always be a better choice for small	O(nLognLogn)  O(2^n)  32000  X will always be a better	d d
1 2 3 4	What is time complexity of fun()? int fun(int n) { int count = 0; for (int i = n; i > 0; i /= 2) for (int j = 0; j < i; j ++) count += 1; return count; }  The time complexity of the following C function is (assume n > 0 int recursive (mt n) { if (n = 1) return (1); else return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30 and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is asymptotically more efficient than Y?  What is the time complexity of following code: int a = 0, i = N; while (i > 0) { a += i;	Image	a  O(n^2)  O(n)  18000  X will always be a better choice for small inputs	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large inputs	O(n)  O(n^2)  24000  Y will always be a better choice for small inputs	O(nLognLogn)  O(2^n)  32000  X will always be a better choice for all inputs	d d
1 2 3 4	What is time complexity of fun()? int fun(int n) {   int count = 0;   for (int i = n; i > 0; i /= 2)   for (int j = 0; j < i; j ++)       count = 1;   return count; }  The time complexity of the following C function is (assume n > 0   int recursive (mt n) {   if (n = 1)   return (i);   else   return (recursive (n-1) + recursive (n-1)); }  Consider the matrices P, Q and R which are 10 x 20, 20 x 30   and 30 x 40 matrices respectively. What is the minimum number of multiplications required to multiply the three matrices?  What does it mean when we say that an algorithm X is asymptotically more efficient than Y?  What is the time complexity of following code:   int a = 0, i = N;   while (i > 0) {	Image	a  O(n^2)  O(n)  18000  X will always be a better choice for small inputs	O(nLogn)  O(nlogn)  12000  X will always be a better choice for large inputs	O(n)  O(n^2)  24000  Y will always be a better choice for small inputs	O(nLognLogn)  O(2^n)  32000  X will always be a better choice for all inputs	d d