

Chapter 4

Medium Access Control sublayer

The Channel Allocation Problem

- Static Channel Allocation in LANs and MANs
- FDM, TDM
- Let us start with the mean time delay, T , for a channel of capacity C bps, with an arrival rate of λ frames/sec, each frame having a length drawn from an exponential probability density function with mean $1/\mu$ bits/frame. With these parameters the arrival rate is λ frames/sec and the service rate is μC frames/sec

From queuing theory it can be shown that for Poisson arrival and service times,

$$T = \frac{1}{\mu C - \lambda}$$

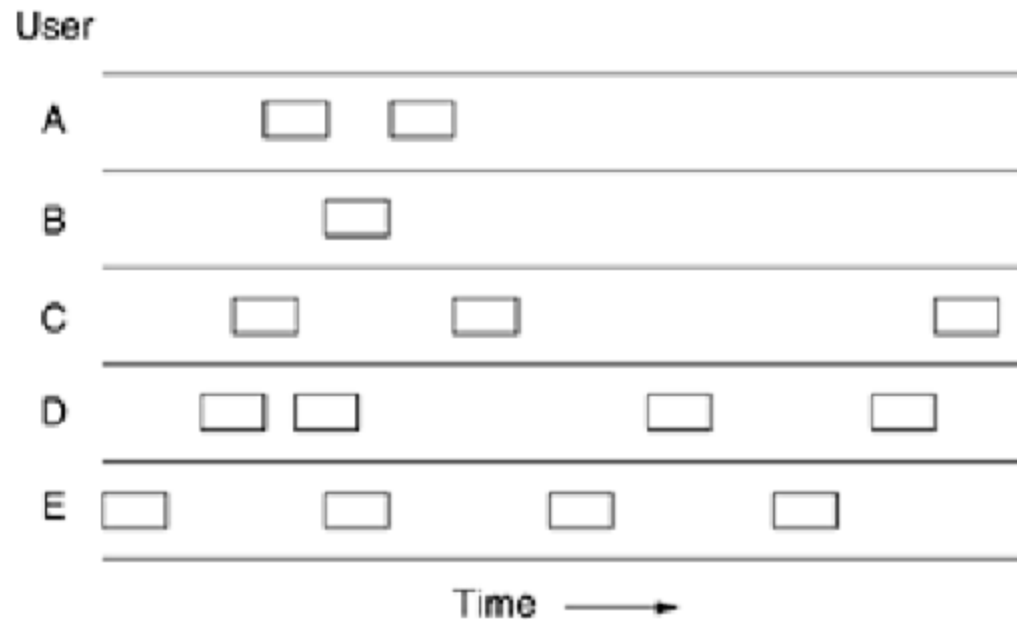
$$T_{\text{FDM}} = \frac{1}{\mu(C/N) - (\lambda/N)} = \frac{N}{\mu C - \lambda} = NT$$

Dynamic Channel Allocation in LANs and MANs

- Station Model.
- Single Channel Assumption.
- Collision Assumption.
- Continuous Time ; Slotted Time
- Carrier Sense; No Carrier Sense

Multiple Access Protocols

- Pure ALOHA

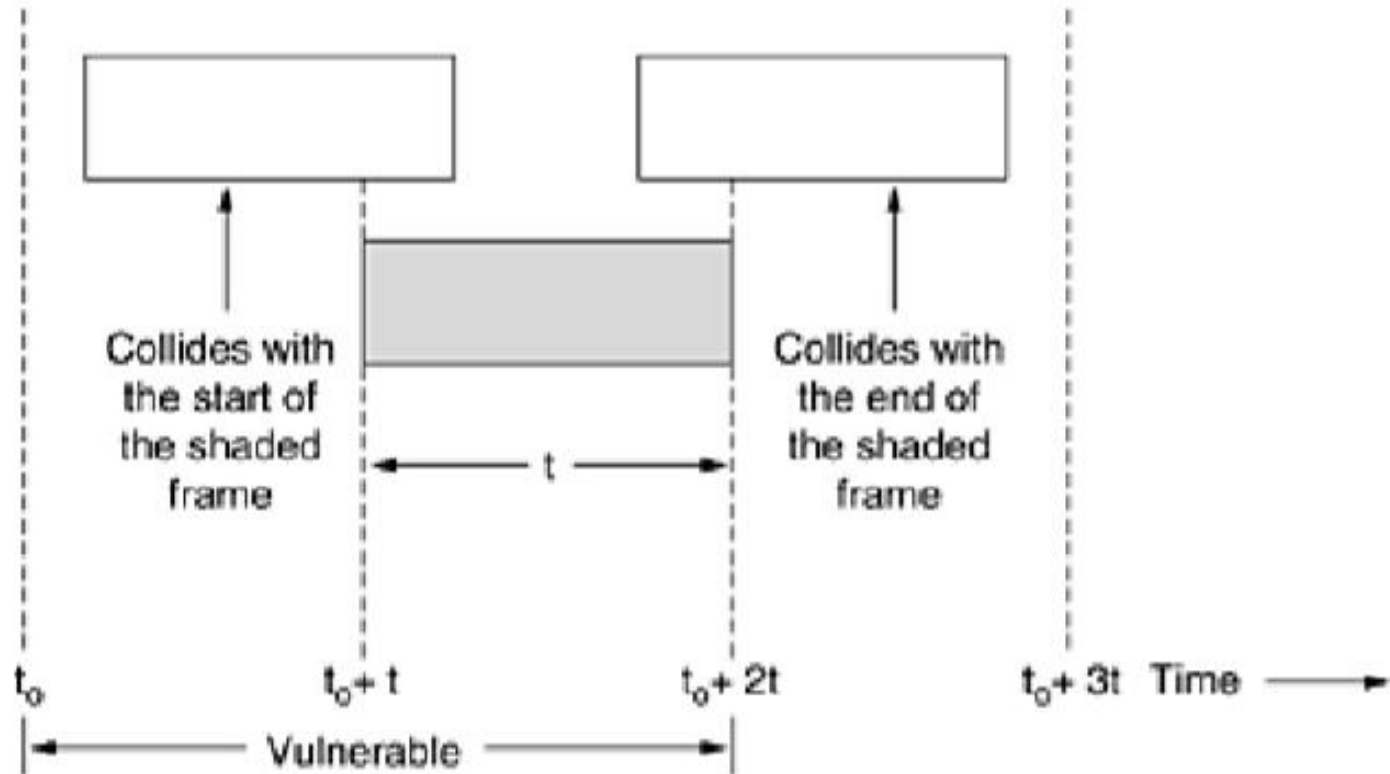


Pure aloha

- let users transmit whenever they have data to be sent.
- a sender can always find out whether its frame was destroyed **by listening to the channel**
- If listening while transmitting is not possible for some reason, **acknowledgements** are needed.
- If the frame was destroyed, the sender just waits **a random amount of time** and sends it again.
- Systems in which multiple users share a common channel in a way that can lead to conflicts are widely known as **contention systems**.

- A user is always in **one of two states**: typing or waiting. Initially, all users are in the typing state. When a line is finished, the user stops typing, waiting for a response.
- At this point we assume that the infinite population of users generates new frames according to a Poisson distribution **with mean N frames per frame time**.
- Let the "frame time" denote the amount of time needed to transmit the standard, fixed-length frame
- **The infinite-population assumption** is needed to ensure that N does not decrease as users become blocked.
- Let us further assume that the probability of k transmission attempts per frame time, old and new combined, is also Poisson, **with mean G per frame time**. Clearly, G is greater than or equal to N

Vulnerable time

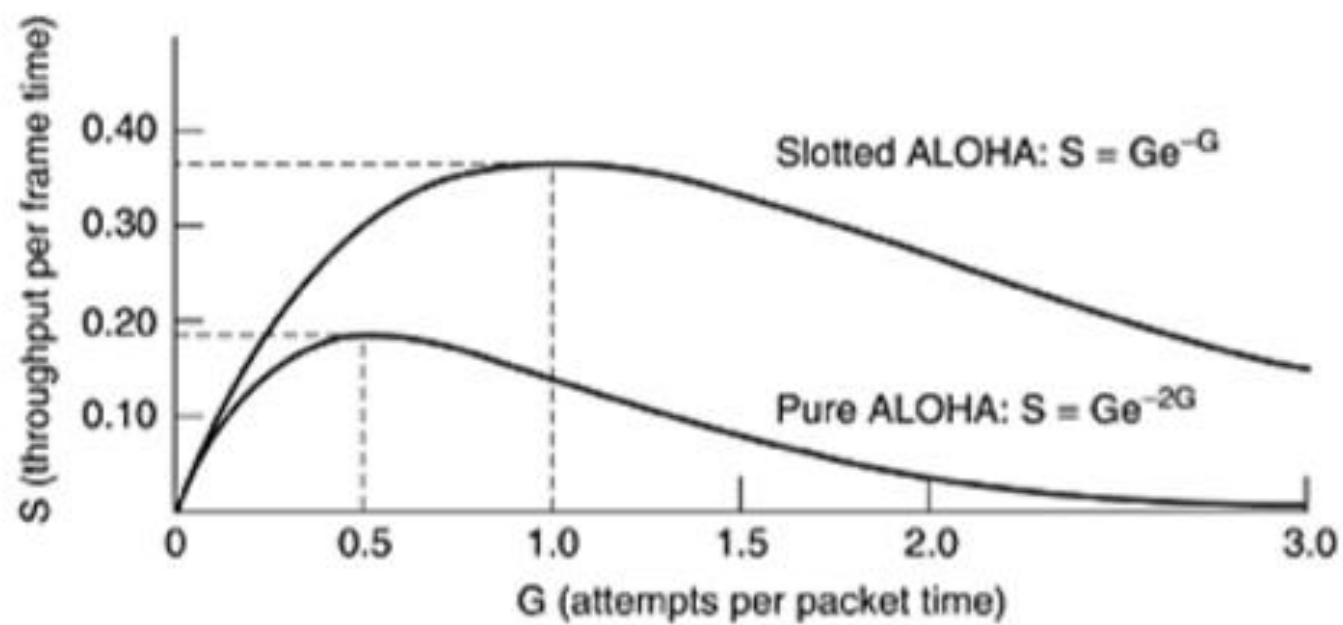


$$\Pr[k] = \frac{G^k e^{-G}}{k!}$$

$$P_0 = e^{-2G}.$$

$$S = GP_0,$$

$$S = Ge^{-2G}$$



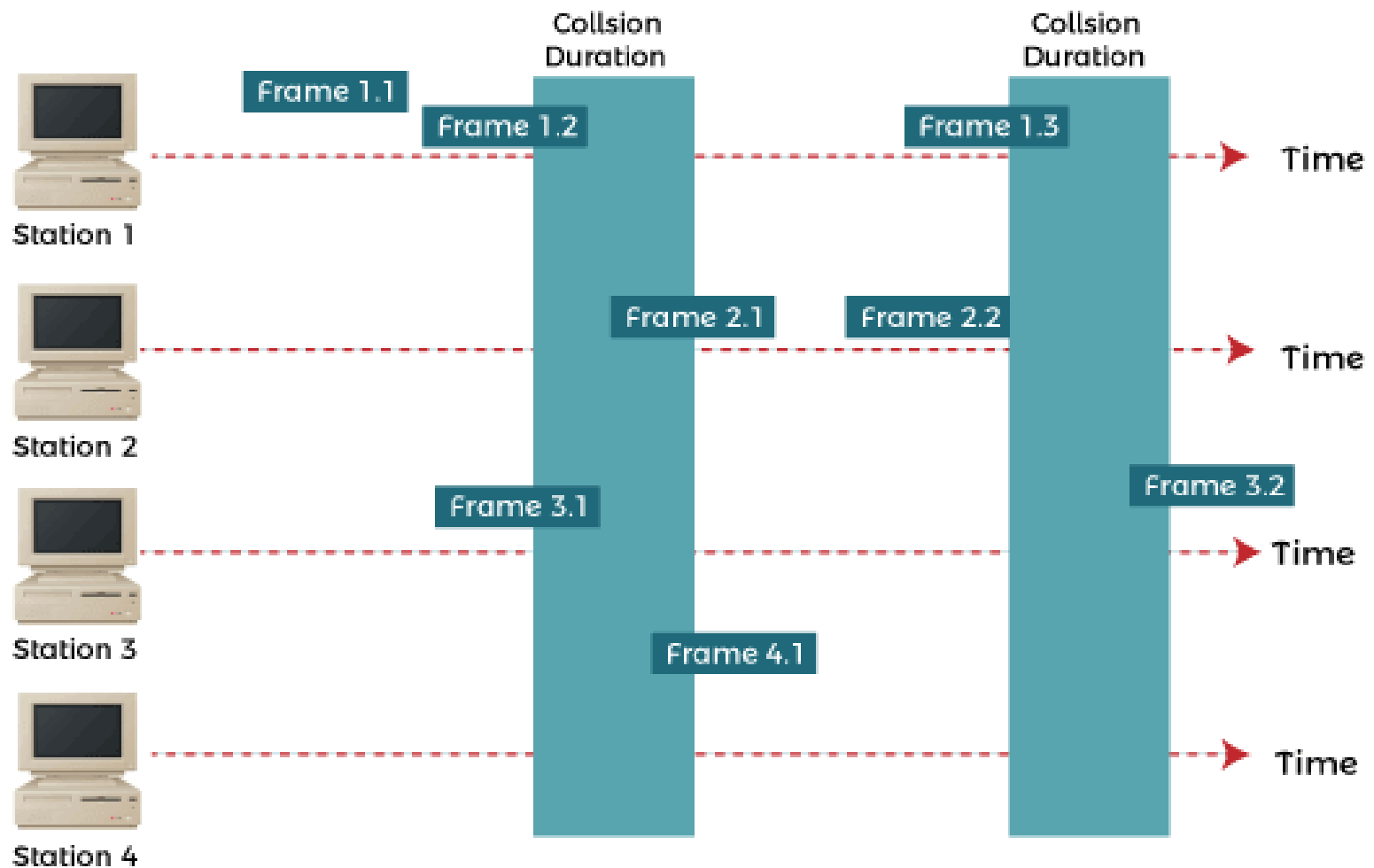
A pure ALOHA network transmits 200-bit frames on a shared channel of 200 kbps. What is the throughput if the system (all stations together) produces

- a. 1000 frames per second
- b. 500 frames per second
- c. 250 frames per second

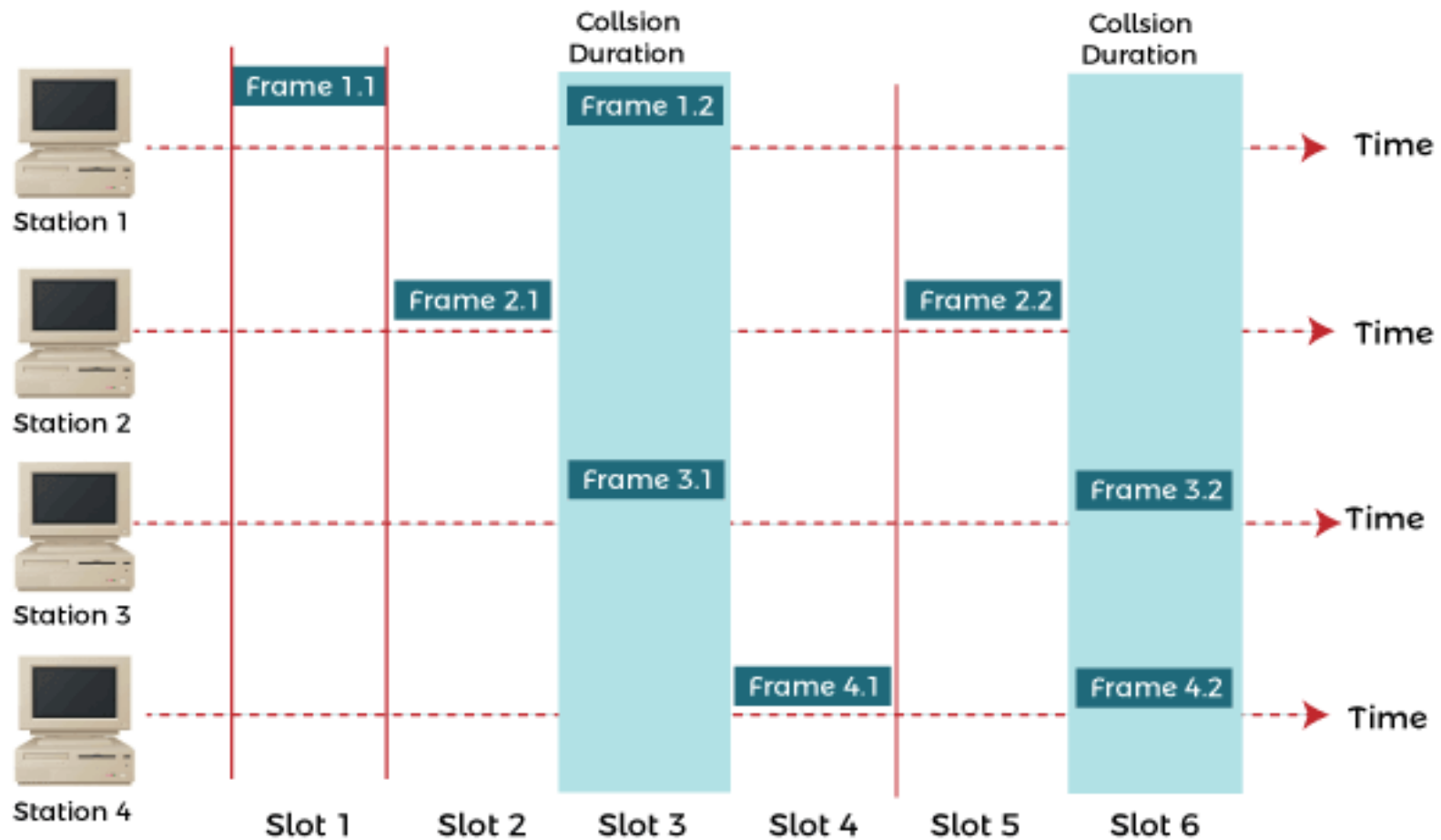
Solution

This situation is similar to the previous exercise except that the network is using slotted **ALOHA** instead of pure **ALOHA**. The frame transmission time is $200/200$ kbps or 1 ms.

- In this case G is 1. So $S = G \times e^{-G}$ or $S = 0.368$ (36.8 percent). This means that the throughput is $1000 \times 0.368 = 368$ frames. Only 368 out of 1000 frames will probably survive. Note that this is the maximum throughput case, percentagewise.
- Here G is $\frac{1}{2}$. In this case $S = G \times e^{-G}$ or $S = 0.303$ (30.3 percent). This means that the throughput is $500 \times 0.303 = 151$. Only 151 frames out of 500 will probably survive.
- Now G is $\frac{1}{4}$. In this case $S = G \times e^{-G}$ or $S = 0.195$ (19.5 percent). This means that the throughput is $250 \times 0.195 = 49$. Only 49 frames out of 250 will probably survive.



Frames in Pure ALOHA



Frames in Slotted ALOHA

Slotted ALOHA

$$S = Ge^{-G}$$

The expected number of transmissions, E , per carriage return typed is then

$$E = e^G$$

- 1000 airline reservation stations are competing for the use of a single slotted ALOHA channel. The average station makes 36 requests per hour. A slot is 100 μ sec. What is the approximate total channel load?
- Each terminal makes one request every 3600 sec / 36 request = 100 sec. Total load is 1000 requests per 100 sec or 10 requests per sec. There are 1 sec / 100 μ sec = 1000000 μ sec / 100 μ sec = 10000 slots in one second. Hence,
 $G = 10 / 10000 = 1 / 1000 = 0.1\%$

Example

- Measurement of Slotted ALOHA channel with an infinite number of users show that 10% of slots are idle. Find
 - 1) What is channel load?
 - 2) What is throughput?
 - 3) Is channel under load or overload?

a) What is the channel load, G?

Ans: When a slot is idle, there is 0 frame generated in that frame time.

Therefore $P[\text{succ}] = 0.1$.

$$P[\text{succ}] = e^{-G} = 0.1;$$

$$-G = \ln(0.1);$$

$$G = 2.303.$$

(b) What is the throughput?

Ans: $S = Ge^{-G} = 2.303 * 0.1 = 0.2303$.

(c) Is the channel underloaded or overloaded?

Ans: When $G=1$, the slotted Aloha obtains the optimal throughput. $G>1$, we have too many generated frame in a slot. It is a overloaded situatoin. Here we have $G=2.303$; $S=0.2303 < S_{\text{max}}=0.368$. $G>S$. Therefore the channel is overloaded.

You can check here about