# HW10 Omair Shafi Ahmed

## 15.1

a) Mean p-growth is 0.24 and the standard deviation is 0.95.

db tsset

tsset time, monthly

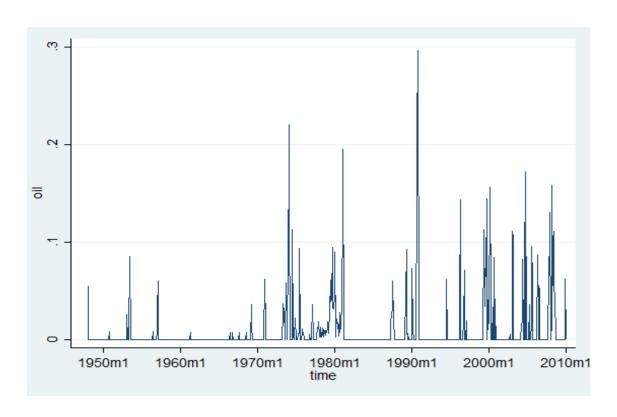
time variable: time, 1947m1 to 2009m12

delta: 1 month

sum ip\_growth if tin(1952m1,2009m12)

ip growth	696	.2384907	. 9481538	-4.035854	6.232524
Variable	Obs	Mean	Std. Dev.	Min	Max

b)  $O_r$  represents the monthly value of oil price shocks.  $O_t$  being 0 represents the lack of a price shock. The lack of negative values could be explained by increasing global demand for oil from 1950 to 2010.



## C) HAC standard truncation parameter m = 7 as t = 726

#### . newey ip\_growth oil L(1/18).oil, lag(7)

Regression with Newey-West standard errors Number of obs = 726 maximum lag: 7 F( 19, 706) = 1.74 Prob > F = 0.0261

in growth	Coef.	Newey-West Std. Err.	t	P> t	[95% Conf.	Intervall
ip_growth	COEI.	sta. EII.	C	F>  C	[93% COIII.	Interval
oil						
	.1553645	.8532191	0.18	0.856	-1.519786	1.830515
L1.	9760318	. 9558845	-1.02	0.308	-2.852748	.9006848
L2.	-1.403049	.7917996	-1.77	0.077	-2.957613	.1515146
L3.	8315492	.929517	-0.89	0.371	-2.656498	.9933992
L4.	4064367	.8823552	-0.46	0.645	-2.138791	1.325918
L5.	4202242	.7929388	-0.53	0.596	-1.977024	1.136576
L6.	-2.555034	1.471512	-1.74	0.083	-5.444098	.3340307
L7.	2285943	.9797301	-0.23	0.816	-2.152128	1.694939
L8.	.8799747	1.008319	0.87	0.383	-1.099689	2.859638
L9.	-1.639278	1.028495	-1.59	0.111	-3.658553	.3799971
L10.	-3.923345	1.872146	-2.10	0.036	-7.598984	2477057
L11.	-2.607406	1.953949	-1.33	0.182	-6.443652	1.22884
L12.	2247669	1.292092	-0.17	0.862	-2.761569	2.312035
L13.	-1.554671	1.131039	-1.37	0.170	-3.775274	.6659327
L14.	-1.48314	.9119497	-1.63	0.104	-3.273598	.3073182
L15.	-1.478823	.8443121	-1.75	0.080	-3.136487	.1788397
L16.	1001869	.9036636	-0.11	0.912	-1.874377	1.674003
L17.	.4980588	.7492753	0.66	0.506	9730157	1.969133
L18.	.0096007	.9699487	0.01	0.992	-1.894729	1.91393
_cons	. 4275474	.0674593	6.34	0.000	.2951025	.5599923

D) The null hypothesis can be rejected at the 5% significance level as the p value is 0.026.

```
. test oil L.oil L2.oil L3.oil L4.oil L5.oil L6.oil L7.oil L8.oil L9.oil L10.oil L11.oil L12.oil L13.oil L14.oil L15.oi
> L16.oil L17.oil L18.oil
(1) oil = 0
 ( 2) L.oil = 0
 (3) L2.oil = 0
 ( 4) L3.oil = 0
 ( 5) L4.oil = 0
 ( 6) L5.oil = 0
 (7) L6.oil = 0
 ( 8) L7.oil = 0
 (9) L8.oil = 0
 (10) L9.oil = 0
 (11) L10.oil = 0
 (12) L11.oil = 0
 (13) L12.oil = 0
 (14) L13.oil = 0
 (15) L14.oil = 0
 (16) L15.oil = 0
 (17) L16.oil = 0
 (18) L17.oil = 0
 (19) L18.oil = 0
      F(19, 706) = 1.74

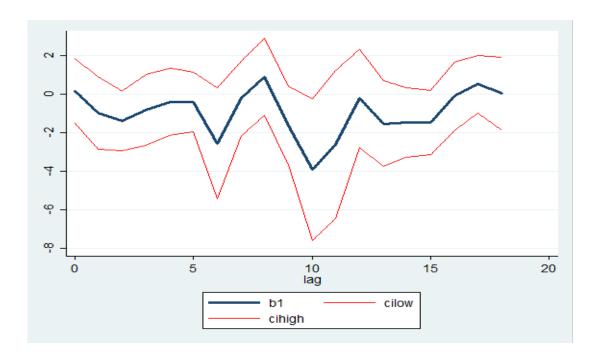
Prob > F = 0.0261
```

E) The dynamic multipliers are smaller relative to the cumulative multipliers as shown below.

```
. newey ip_growth do L(1/17).do L18.oil, lag(7)
```

```
Regression with Newey-West standard errors Number of obs = 726 maximum lag: 7 F( 19, 706) = 1.74 Prob > F = 0.0261
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	Newey-West						
ip_growth	Coef.	Std. Err.	t	P> t	[95% Conf.	<pre>Interval]</pre>	
do							
	.1553646	.8532191	0.18	0.856	-1.519786	1.830515	
L1.	8206671	1.150363	-0.71	0.476	-3.079209	1.437875	
L2.	-2.223716	1.391207	-1.60	0.110	-4.955114	.5076811	
L3.	-3.055266	1.786077	-1.71	0.088	-6.561924	.4513927	
L4.	-3.461702	1.963938	-1.76	0.078	-7.31756	.3941559	
L5.	-3.881926	2.297547	-1.69	0.092	-8.392768	. 6289158	
L6.	-6.43696	2.884133	-2.23	0.026	-12.09946	7744559	
L7.	-6.665554	2.813156	-2.37	0.018	-12.18871	-1.1424	
L8.	-5.78558	2.707561	-2.14	0.033	-11.10142	4697437	
L9.	-7.424857	2.903328	-2.56	0.011	-13.12505	-1.724666	
L10.	-11.3482	3.579162	-3.17	0.002	-18.37528	-4.321127	
L11.	-13.95561	3.917229	-3.56	0.000	-21.64642	-6.264795	
L12.	-14.18038	4.258571	-3.33	0.001	-22.54135	-5.819397	
L13.	-15.73505	4.472011	-3.52	0.000	-24.51508	-6.955013	
L14.	-17.21819	4.682394	-3.68	0.000	-26.41127	-8.025102	
L15.	-18.69701	4.653306	-4.02	0.000	-27.83298	-9.561035	
L16.	-18.7972	4.493093	-4.18	0.000	-27.61862	-9.975773	
L17.	-18.29914	4.441049	-4.12	0.000	-27.01838	-9.579894	
oil							
L18.	-18.28954	4.478201	-4.08	0.000	-27.08172	-9.497352	
_cons	.4275474	.0674593	6.34	0.000	.2951025	.5599923	

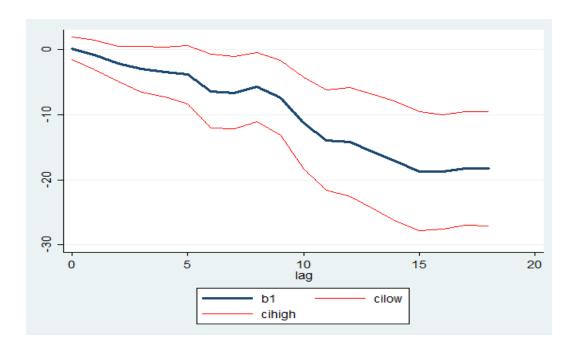


#### . newey ip\_growth do L(1/17).do L18.oil, lag(7)

Regression with Newey-West standard errors maximum lag:  ${\bf 7}$ 

Number of obs = 726F( 19, 706) = 1.74Prob > F = 0.0261

		Newey-West				
ip_growth	Coef.	Std. Err.	t	P> t	[95% Conf.	Interval
do						
	.1553646	.8532191	0.18	0.856	-1.519786	1.83051
L1.	8206671	1.150363	-0.71	0.476	-3.079209	1.43787
L2.	-2.223716	1.391207	-1.60	0.110	-4.955114	.507681
L3.	-3.055266	1.786077	-1.71	0.088	-6.561924	. 451392
L4.	-3.461702	1.963938	-1.76	0.078	-7.31756	.394155
L5.	-3.881926	2.297547	-1.69	0.092	-8.392768	. 628915
L6.	-6.43696	2.884133	-2.23	0.026	-12.09946	774455
L7.	-6.665554	2.813156	-2.37	0.018	-12.18871	-1.142
L8.	-5.78558	2.707561	-2.14	0.033	-11.10142	469743
L9.	-7.424857	2.903328	-2.56	0.011	-13.12505	-1.72466
L10.	-11.3482	3.579162	-3.17	0.002	-18.37528	-4.32112
L11.	-13.95561	3.917229	-3.56	0.000	-21.64642	-6.26479
L12.	-14.18038	4.258571	-3.33	0.001	-22.54135	-5.81939
L13.	-15.73505	4.472011	-3.52	0.000	-24.51508	-6.95501
L14.	-17.21819	4.682394	-3.68	0.000	-26.41127	-8.02510
L15.	-18.69701	4.653306	-4.02	0.000	-27.83298	-9.56103
L16.	-18.7972	4.493093	-4.18	0.000	-27.61862	-9.97577
L17.	-18.29914	4.441049	-4.12	0.000	-27.01838	-9.57989
oil						
L18.	-18.28954	4.478201	-4.08	0.000	-27.08172	-9.49735
_cons	.4275474	.0674593	6.34	0.000	.2951025	. 559992



F) The disturbance term being related to the  $O_t$  makes  $O_t$  endogenous. This makes it likely that the multiples are biased.