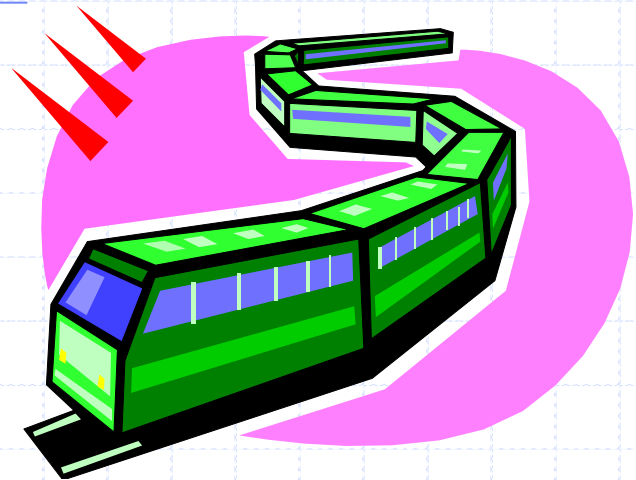


Lists



Position ADT

- ❑ The **Position** ADT models the notion of place within a data structure where a single object is stored
- ❑ It gives a unified view of diverse ways of storing data, such as
 - **a cell of an array**
 - **a node of a linked list**
- ❑ Just one method:
 - object **element()**: returns the element stored at the position

Node List ADT

- The **Node List** ADT models a sequence of positions storing arbitrary objects
- It establishes a before/after relation between positions
- Generic methods:
 - **size()**, **isEmpty()**

Accessor methods:

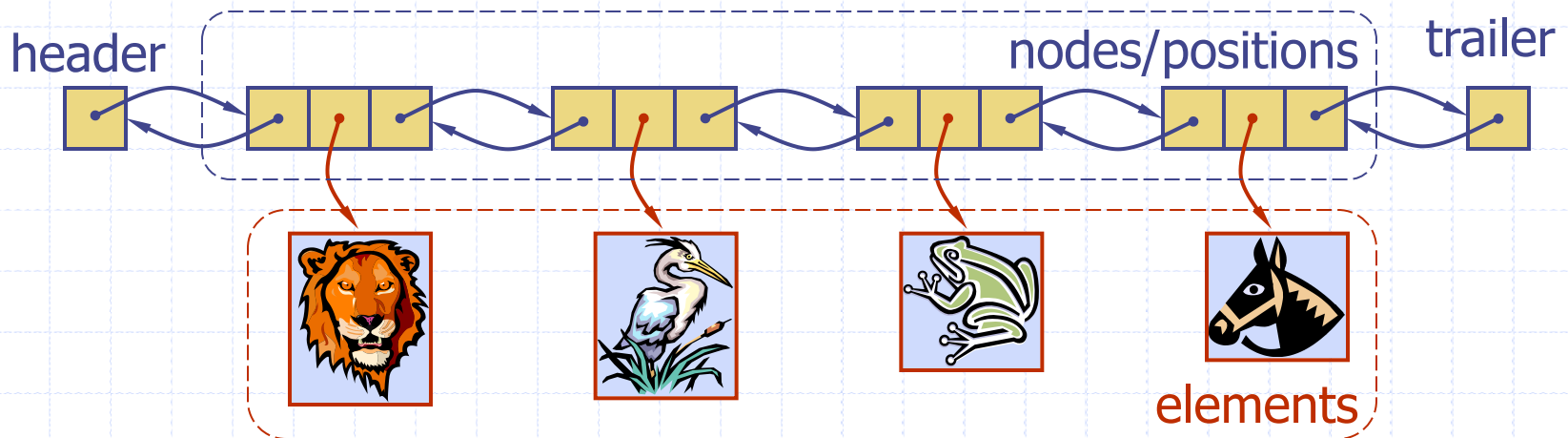
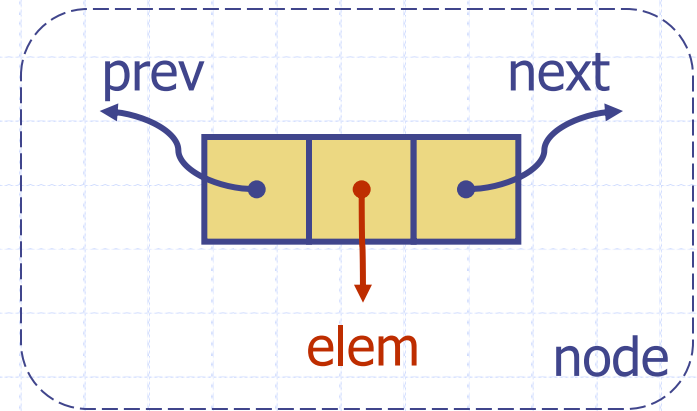
- **first()**, **last()**
- **prev(p)**, **next(p)**

Update methods:

- **set(p, e)**
- **addBefore(p, e)**, **addAfter(p, e)**,
- **addFirst(e)**, **addLast(e)**
- **remove(p)**

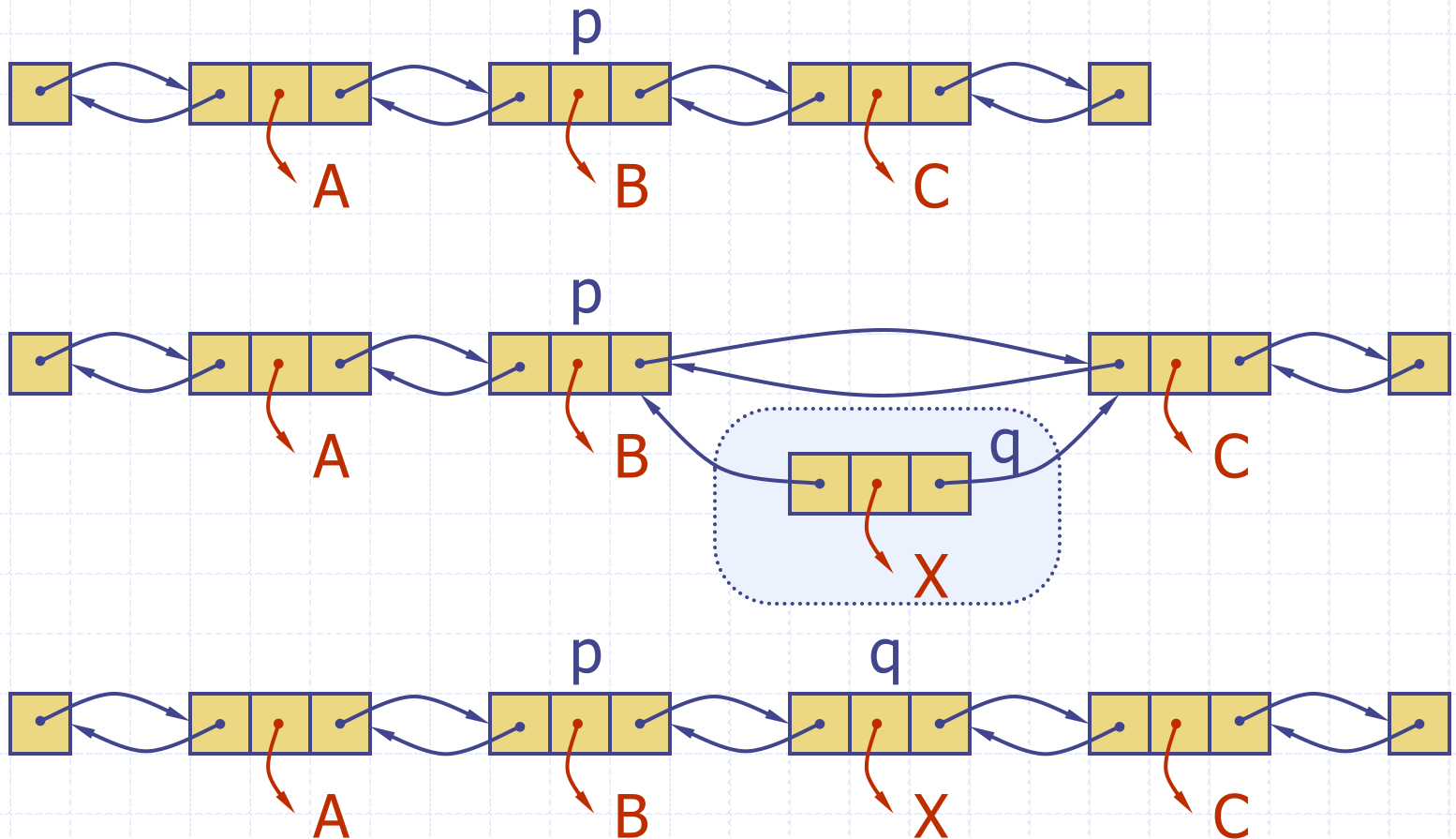
Doubly Linked List

- A doubly linked list provides a natural implementation of the Node List ADT
- Nodes implement Position and store:
 - element
 - link to the previous node
 - link to the next node
- Special trailer and header nodes



Insertion

- We visualize operation **insertAfter**(p, X), which returns position q



Insertion Algorithm

Algorithm `addAfter(p,e)`:

Create a new node `v`

`v.setElement(e)`

`v.setPrev(p)` {link `v` to its predecessor}

`v.setNext(p.getNext())` {link `v` to its successor}

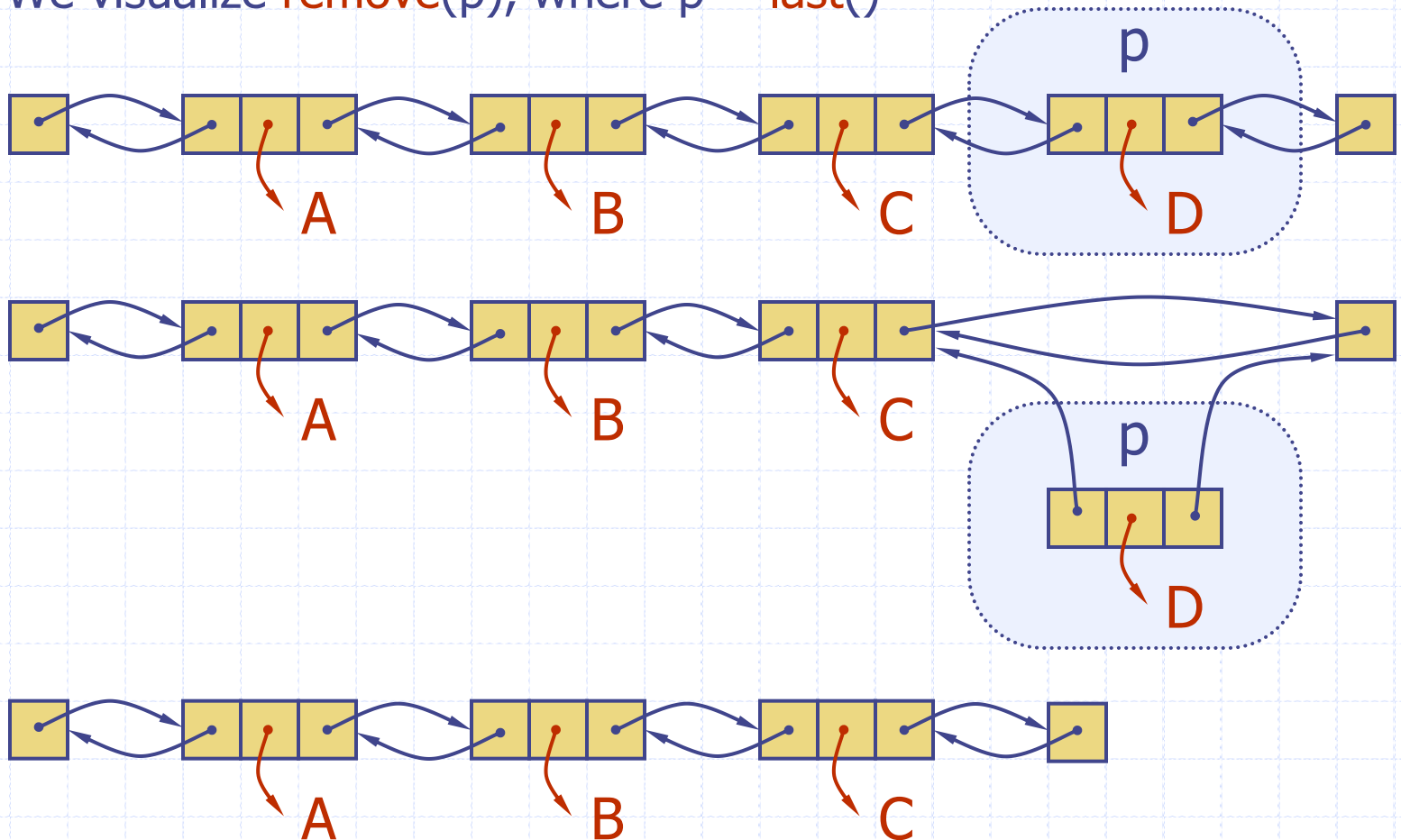
`(p.getNext()).setPrev(v)` {link `p`'s old successor to `v`}

`p.setNext(v)` {link `p` to its new successor, `v`}

return `v` {the position for the element `e`}

Deletion

- We visualize `remove(p)`, where $p = \text{last}()$



Deletion Algorithm

Algorithm **remove**(p):

t = p.element {a temporary variable to hold the
return value}

(p.getPrev()).setNext(p.getNext()) {linking out p}

(p.getNext()).setPrev(p.getPrev())

p.setPrev(**null**) {invalidating the position p}

p.setNext(**null**)

return t

Performance

- In the implementation of the List ADT by means of a doubly linked list
 - The space used by a list with n elements is $O(n)$
 - The space used by each position of the list is $O(1)$
 - All the operations of the List ADT run in $O(1)$ time (assuming positions are used, not indices)
 - Operation `element()` of the Position ADT runs in $O(1)$ time

Applications

- ❑ Implementing a Stack
- ❑ <http://www.cs.usfca.edu/~galles/visualization/StackLL.html>
- ❑ Implementing a Queue
- ❑ <http://www.cs.usfca.edu/~galles/visualization/QueueLL.html>