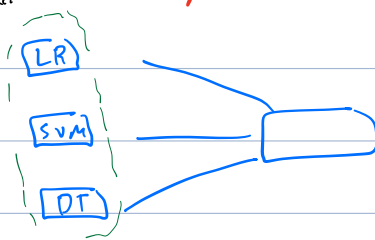


train different classifiers then combine them

weak learners
High bias, low variance

give better ^① than individuals (not always) ^② robust to overfitting



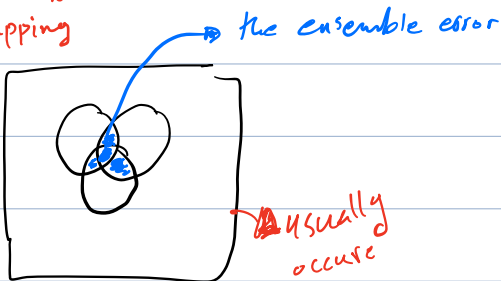
ways to combine:-

- ① majority voting (Regression = average)
- ② weighted majority voting classifier
- ③ add another classifier (second layer) train it using validation data → stacking

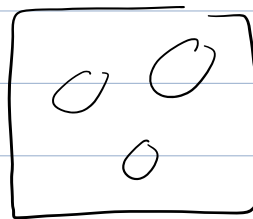
criteria:- (to achieve the goal)

- ① minimum acceptable error (better than random) → weak learner
- ② should these classifiers make error in different samples

we want to min.
overlapping



error for ensemble = 0%



hard to get that

hetero = SVM, DT...
homo = same classifier
with different
hyperparameters
or
with playing
with data

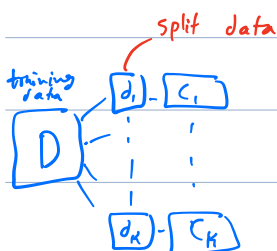
to get min. overlapping:-

- manipulating the given data to every classifier (different from each other)
- use different features for every classifier
- use different classifiers
- use same classifiers with different hyper-parameters

different features is better than different classifiers

to reduce variance (overfitting)

Bagging \rightarrow better than just partition the data
 \rightarrow very good for decision tree (since it's problem is easy overfit)
 \rightarrow with homo classifiers



D size = D_i size

take from D then remove and duplicate randomly

to reduce Bias (underfitting)

Boosting \rightarrow Sequential learning
 \rightarrow take high bias with low variance
 \rightarrow exponential loss fun.
AdaBoost

\rightarrow use weak classifier (high bias low variance)

\rightarrow used weighted samples

\rightarrow used weighted majority voting

S_1	0.1
S_2	0.6
S_3	0.9
S_4	0.5

$E = \frac{0.9}{2.1}$

Steps:-

① Assign w_i to every sample ($w_i = \frac{1}{m}$) \rightarrow weight

② Train classifier C_1 (weighted classifier + better than random)
 \rightarrow compute w.t. error for $C_1 = E$

③ compute w.t. of the classifier $= \frac{1}{2} \ln \left(\frac{1 - \text{error}}{\text{error}} \right)$

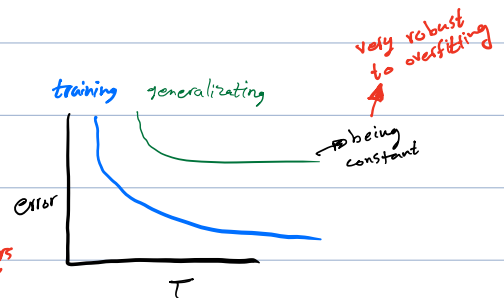
④ re wt the samples αe^{-wt} , αe^{+wt} (reduce the correct, increase the incorrect)
 $\alpha_i^{j+1} = \begin{cases} \alpha_i^j \cdot e^{-wt} & \text{if correct} \\ \alpha_i^j \cdot e^{+wt} & \text{if incorrect} \end{cases}$

⑤ after multiple classifiers, we normalize the weights of samples

$$\alpha_i^{j+1} = \frac{\alpha_i^j}{\sum_k \alpha_k^j}$$

⑥ repeat 2-5 until 'T' time

* of base learners "classifiers"



of class

$$\text{Predict} = \text{Sign} \left[\sum_{i=1}^T w_i f_i(x) \right]$$

trick

$$\begin{aligned} \sum \text{Correct} &= 0.5 \\ \sum \text{incorrect} &= 0.5 \end{aligned}$$

	1	2	
S_1	0.25	$\times 0.167$	0.25
S_2	0.25	0.167	$(\frac{0.167}{0.167+0.5}) \cdot 0.5$
$\times S_3$	0.25	0.5	$(\frac{0.5}{1.67+0.5}) \cdot 0.5$
S_4	0.25	$\times 0.167$	0.75

Random Forest → Can be used for feature selection

same as bagging (for samples)

randomly select features for each classifier $\sqrt{\# \text{ of original features}}$ usually

base learner are DTs decision trees

hyperparameter = DT hyperparameter and T and if the original is small
 * of classifiers

harder interpret than decision tree