



**Cairo University**  
Faculty of Engineering  
Credit Hours System  
**Communications and Computer Engineering Department**

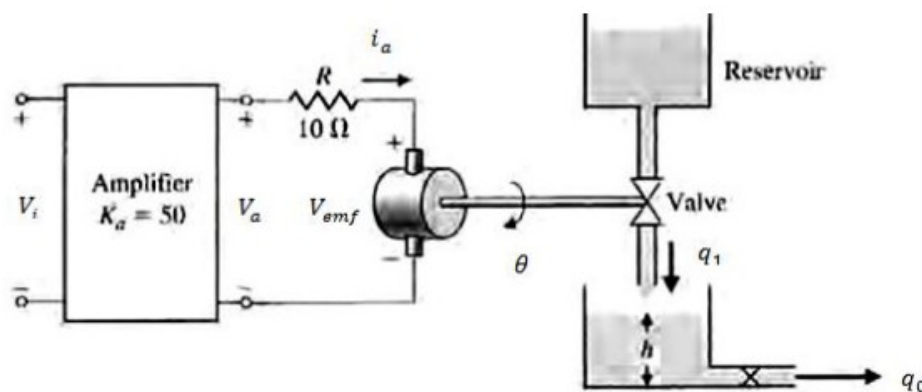
Fall Semester 2021

Course Code: ELCN304  
Course Title: Control-1  
Course Instructors: Dr. Ragia Badr – Dr. Meena Elia  
Course TA: Eng. Hassan El-Menier

**Project: Due on Firday, 31<sup>st</sup> of December, 2021 at 11:59 PM**

### Question (1):

For the system shown below, neglect the motor inductance ( $L_m=0$ ), the torque constant is  $K_T=9.5$ , the back-EMF constant is  $K_b=0.0704$ . The motor inertia equals the valve inertia,  $J=0.0058$ , and the area of the tank is  $51\text{ m}^2$ . Assume that  $q_1=82\theta$ , where  $\theta$  is the motor shaft angle. The output flow is  $q_0=51h(t)$ :



1. Write the dynamic equations of the system and use it to build a state space representation for the system (hand analysis).
2. Check the Controllability and the Observability of the system using MATLAB.
3. Use MATLAB/Simulink to enter your state space representation and then use MATLAB

commands to obtain the transfer function  $\frac{H(s)}{V_i(s)}$ .

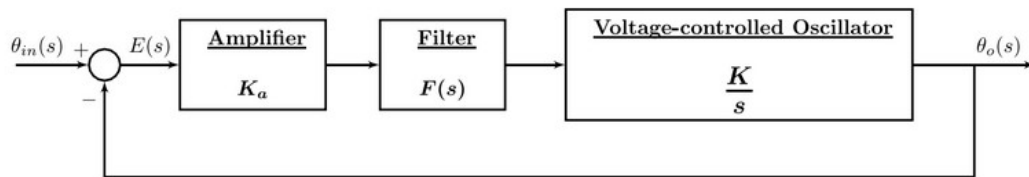
4. Study the stability of the system (using poles location).
5. The system is then operated by applying a fixed input voltage of  $1V$ . Simulate the system response under this value of input voltage, also from the resulting response, calculate the steady state value of the output signal. Comment on your results.
6. Suggest a modification to the system such that: the system input is a certain desired level  $h_d$  (reference input) and the liquid level in the tank  $h$  is required to follow this desired level  $h_d$ .
7. Study the effect of adding the following controller  $\frac{G_c(s)}{s+1000}$ , where  $G_c(s)=1$ , to the

system. Plot the step response of the output  $\mathbf{h}$ , then calculate the value of the rise time, peak time, max peak, settling time and the value of  $\mathbf{e}_{ss}$ . Comment on your results.

8. Suggest a controller  $G_c(s)$  to satisfy settling time less than 3 sec and maximum overshoot less than 15%.

### Question (2):

The linear model of a phase detector (phase-lock loop) can be represented by the following figure:



The phase-lock systems are designed to maintain zero difference in phase between the input carrier signal, and a local voltage-controlled oscillator. Phase-lock loops find application in color television, missile tracking, and space telemetry. The filter for a particular application is chosen as:

$$\frac{10(s+10)}{(s+1)(s+100)}$$

We want to minimize the steady-state error of the system for a ramp change in the phase information signal. Using MATLAB/Simulink answer the following:

1. Determine the limiting value of the gain  $K_v = K_a K$  in order to maintain a stable system.
2. Plot the ramp response and measure the steady-state error.
3. Plot the step response, and measure the maximum overshoot, the rise time, and the settling time.

### Guidelines:

1. The number of group members is 4 students.
2. The groups can be formed independent of the registration whether in lectures or tutorials.
3. You can use either MATLAB or Simulink for your simulations.
4. Delivery requirements:
  - a) Include all the hand analysis and MATLAB/Simulink simulations with its results and your analysis in a .pdf file.
  - b) The format of the pdf file is ELCN304\_Project\_1\_Group\_[#Group No.]
  - c) Only one soft copy to be submitted on Blackboard per group.
5. The deadline is **Friday 31<sup>st</sup> of December, 2021 at 11:59 PM**.
6. Duplicated assignments will receive **ZERO** mark.

**Good Luck!**