

```

1  package math.number_theory;
2
3  public class ExtendedEuclid {
4
5      /*
6       * Extended Euclid Algorithm for Solving Linear Diophantine Equation
7       * Solve:  $ax + by = c$ . Let  $d = \gcd(a, b)$ .
8       * If  $d \mid c$ , then it has infinite number of solutions. Otherwise, it has no
9       * solution.
10      * The following algorithm derives one solution  $(x_0, y_0)$ . Other solutions
11      * can be driven by:
12      *  $x = x_0 + n * (b / d)$ ,  $y = y_0 - n * (a / d)$ 
13      */
14
15      static int x, y, d;
16
17      void extendedEuclid(int a, int b)
18      {
19          if(b == 0) { x = 1; y = 0; d = a; return; }
20          extendedEuclid(b, a % b);
21          int x1 = y;
22          int y1 = x - a / b * y;
23          x = x1; y = y1;
24      }
25  }

```

```

1 // find n! mod p
2 int factmod (ll n, ll p) {
3     ll res = 1;
4     while (n > 1) {
5         res = (res * ((n/p) % 2ll ? (p-1) : 1ll)) % p;
6         for (ll i=2; i<=n%p; ++i)
7             res = (res * i) % p;
8         n /= p;
9     }
10    return res % p;
11 }

```