

3D Computer Graphics and Animation

Graphics Pipeline Time to take some shade

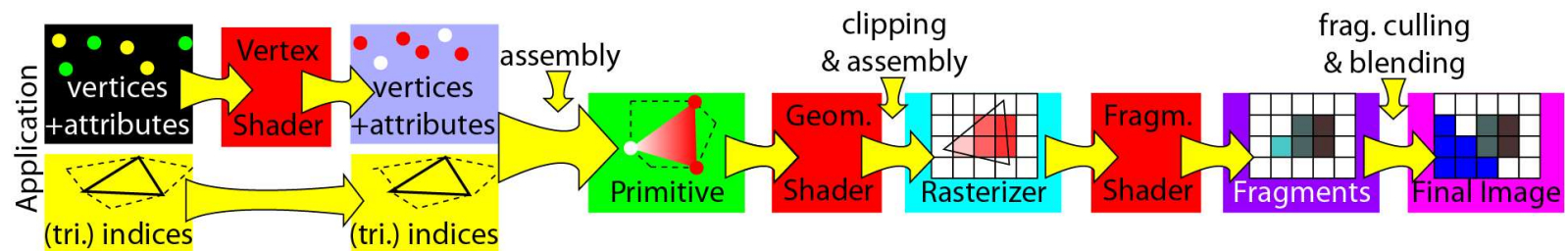
Elmar Eisemann

Delft University of Technology



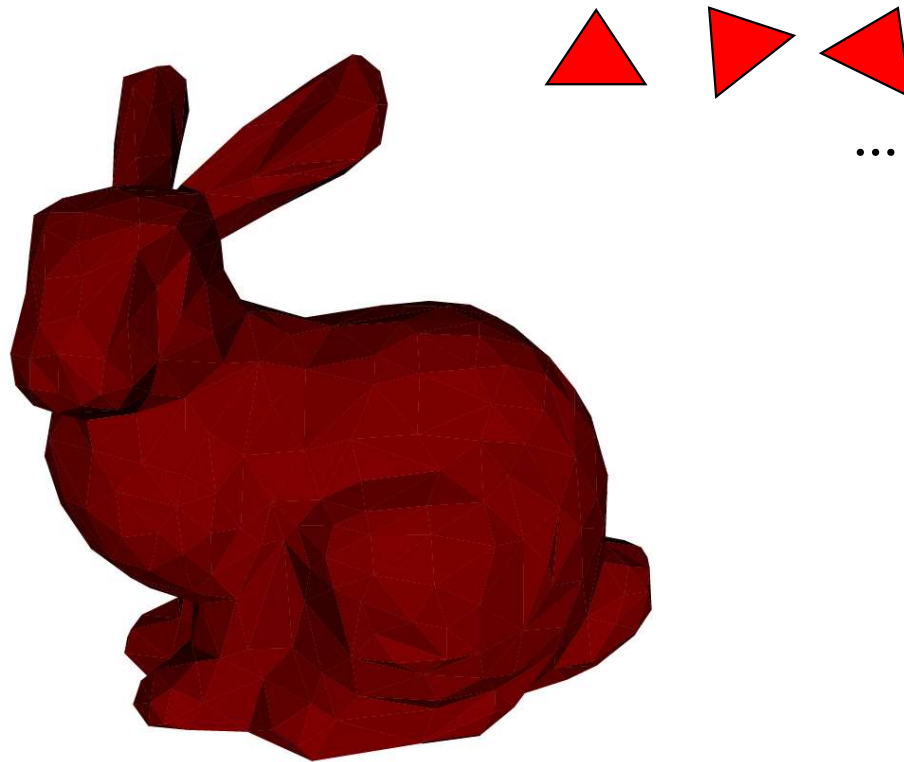
Rasterization

Rasterization via the Graphics Pipeline



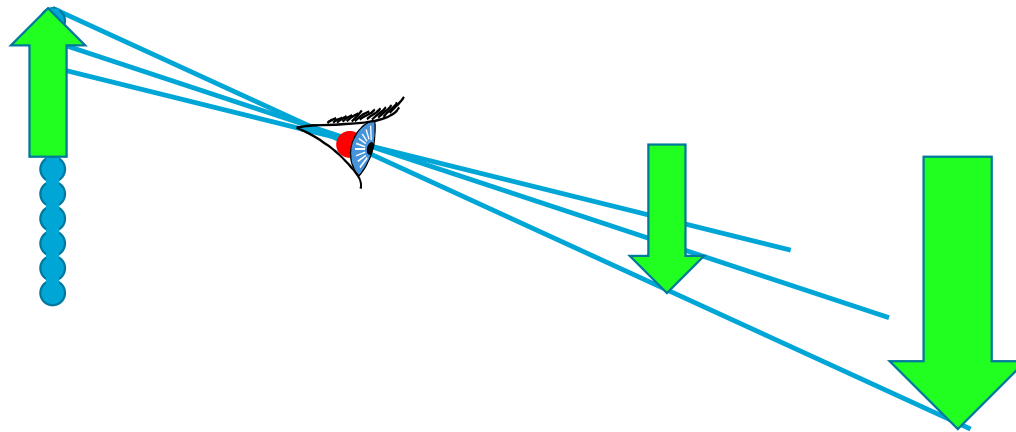
Simplified Graphics Pipeline

- Models are typically lists of **triangles**



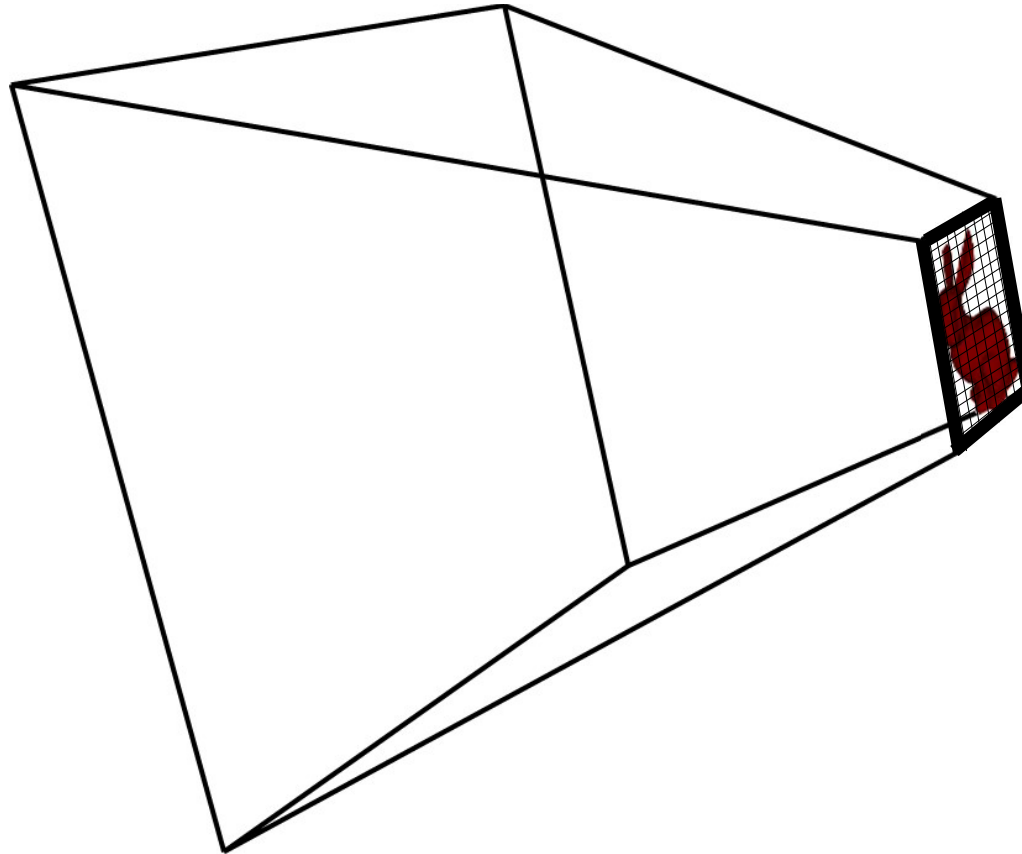
Virtual Camera

- Camera Plane in front of the eye



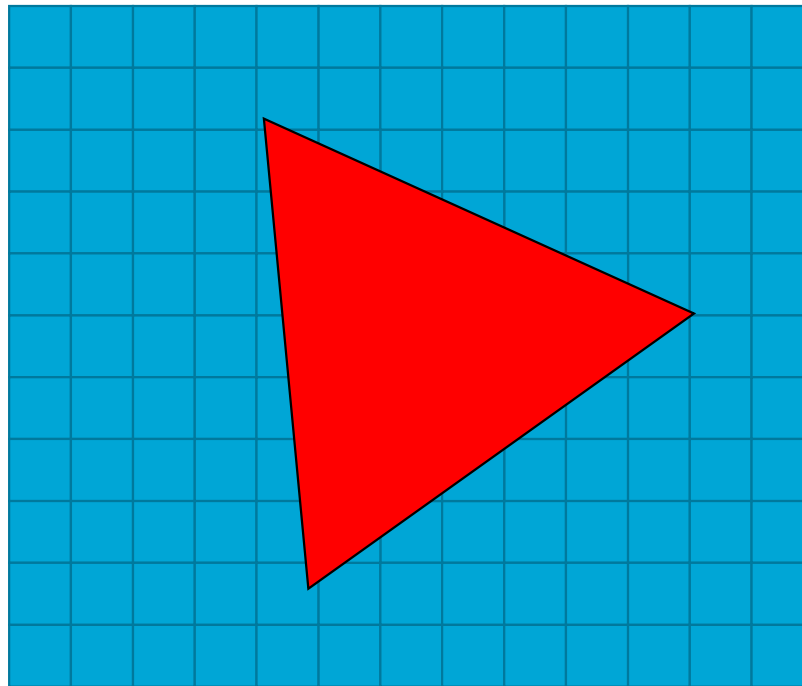
Simplified Graphics Pipeline

- **Projection:** Transform coordinates to screen



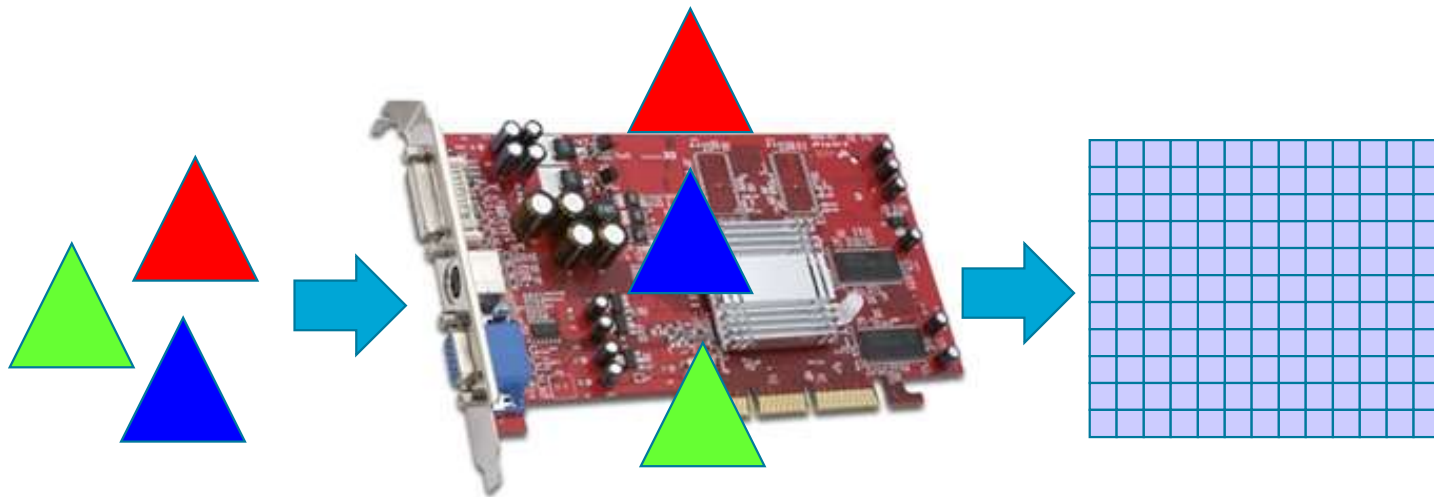
Simplified Graphics Pipeline

- **Rasterization:** Fill screen pixels



Simplified Graphics Pipeline

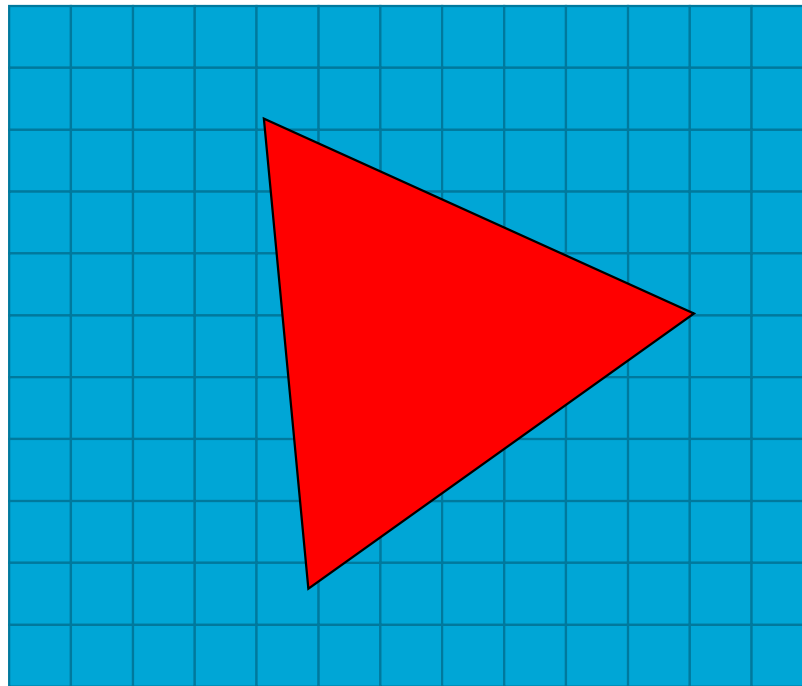
- Highly parallelizable GPUs



...NVIDIA RTX 3080 Ti has around 10240 cores...

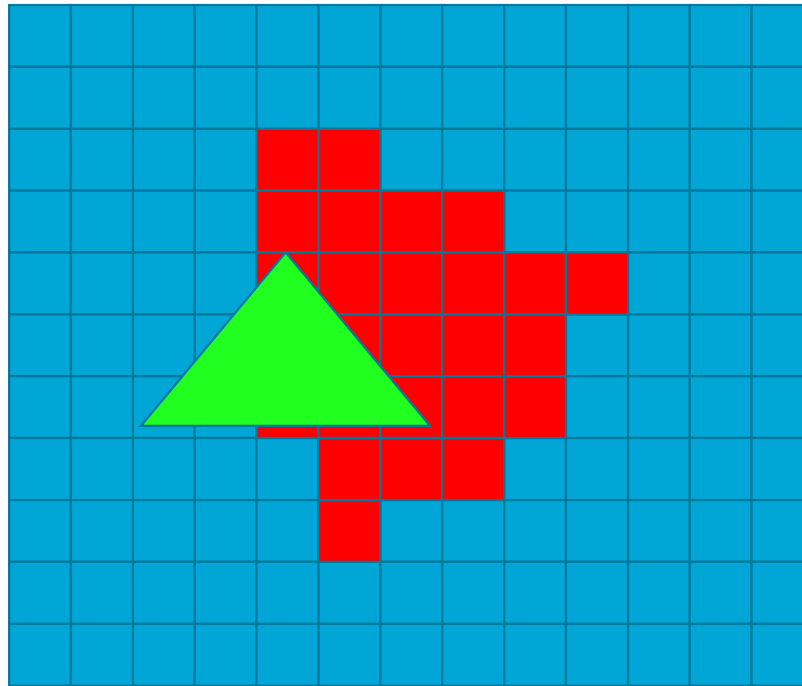
Simplified Graphics Pipeline

- **Catch:** Let's look at a second triangle...



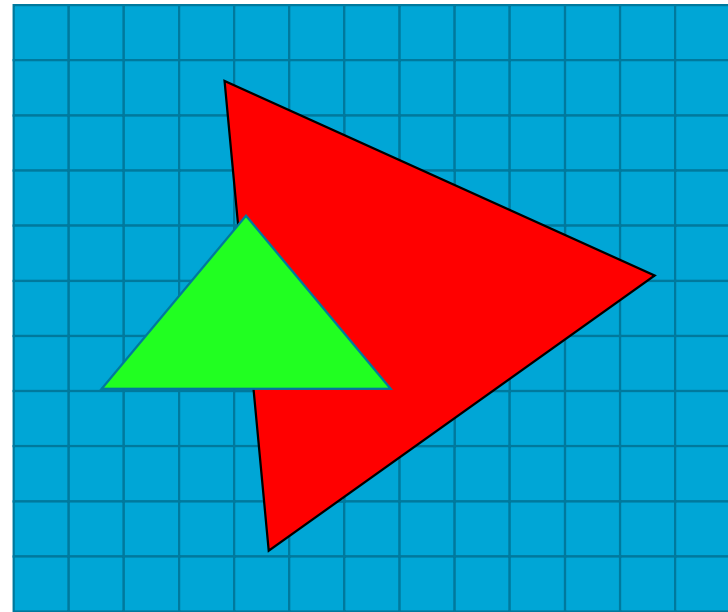
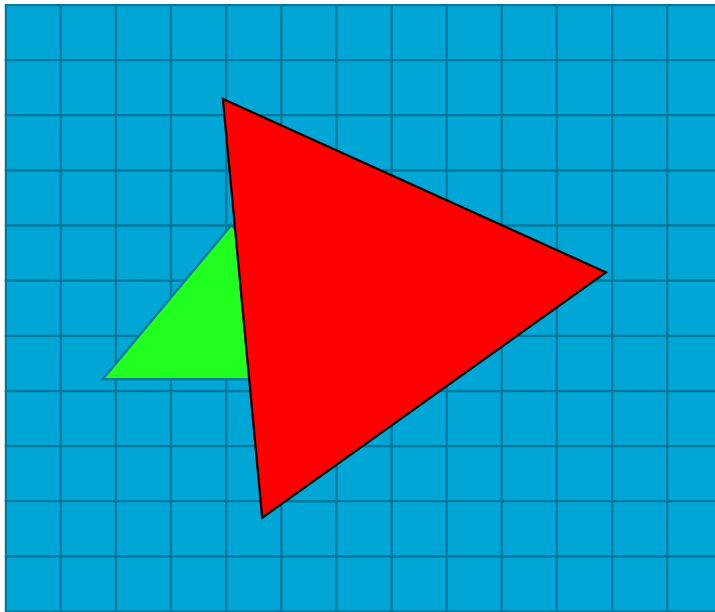
Simplified Graphics Pipeline

- **Catch:** Let's look at a second triangle...



Simplified Graphics Pipeline

- **Catch:** Triangle drawing order changes result



As for ray tracing: we need to know the closest triangle in a pixel

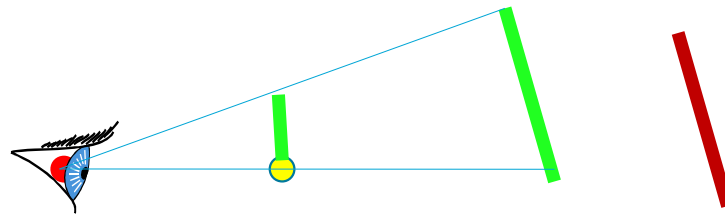
Simplified Graphics Pipeline

- **Depth Test:** Avoid sorting!
- Store a depth in each pixel



Simplified Graphics Pipeline

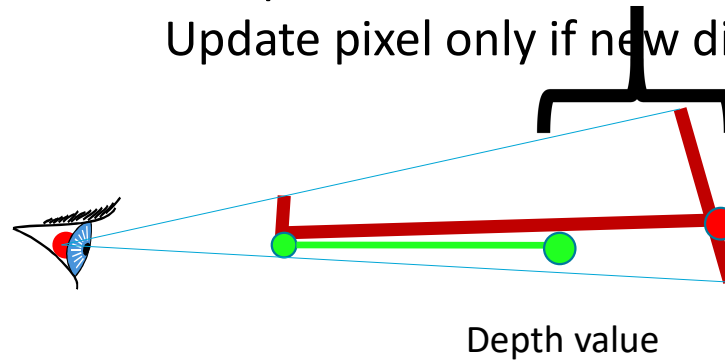
- **Depth Test:** Avoid sorting!
- Store a depth in each pixel



Simplified Graphics Pipeline

- **Depth Test:** Avoid sorting!
- Store a depth in each pixel

Compare new distance to stored distance
Update pixel only if new distance is nearer



Simplified Graphics Pipeline

- **Depth Test:** Avoid sorting!
- Store a depth in each pixel



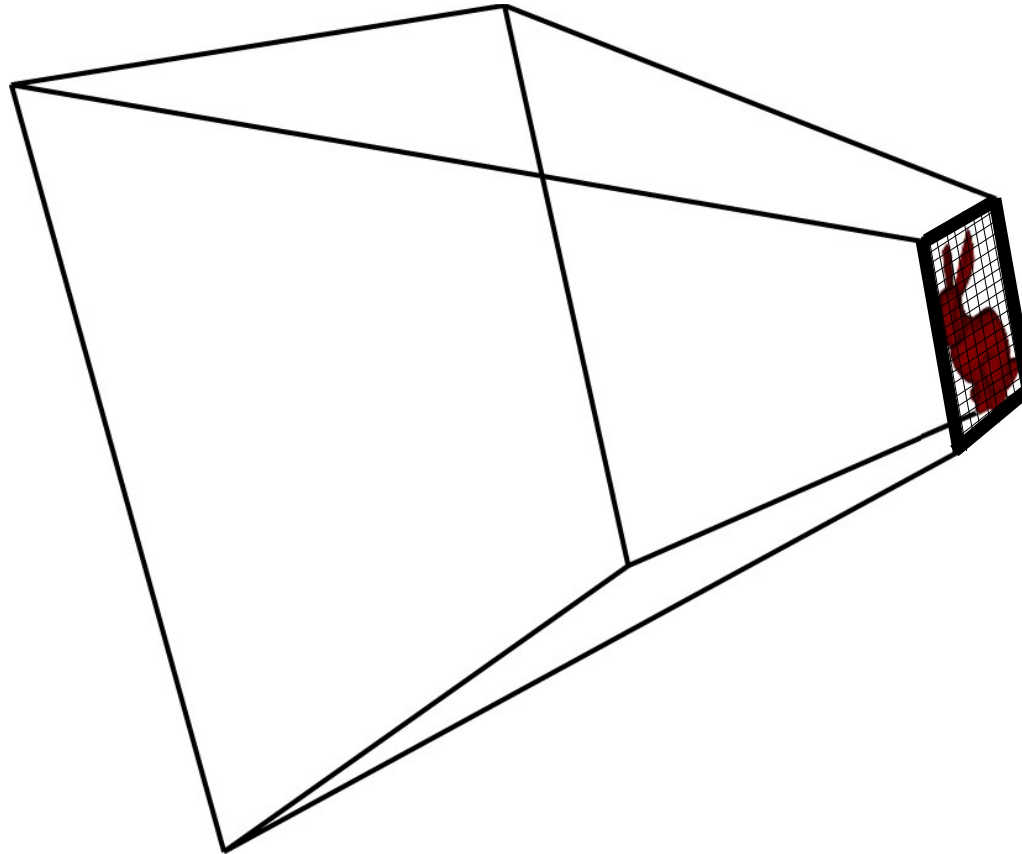
Creating a virtual camera model

- Given a 3D point, we should find a function that results in the point's projection in the photo.



Simplified Graphics Pipeline

- **Projection:** Transform coordinates to screen



Virtual Camera Model

Projecting a scene point with the camera:

- Apply camera position (adding an offset)
- Apply rotation (matrix multiplication)
- Apply projection (non-linear scaling)

Our camera starts to become complicated
and not well adapted to a hardware solution...

There has to be a better way...



Homogenous Coordinates - Definition

- **N-D** projective space P^n
is represented by **N+1** coordinates, has no null vector,
but a special equivalence relation:

Two points p, q are **equal**

iff (if and only if)

exists $a \neq 0$ such that $p \cdot a = q$

Examples in a 2D projective space P^2 :

$$(2,2,2) = (3,3,3) = (4,4,4) = (\pi, \pi, \pi)$$

$$(2,2,2) \neq (3,1,3)$$

$$(0,1,0) = (0,2,0)$$

$(0,0,0)$ not part of the space

Homogeneous Coordinates

To embed a standard vector space R^n in an n -D projective space P^n , we can map:

$(x_0, x_1, \dots, x_{n-1})$ in R^n to $(x_0, x_1, \dots, x_{n-1}, 1)$ in P^n

Typically, the last coordinate in a
projective space is denoted with w .

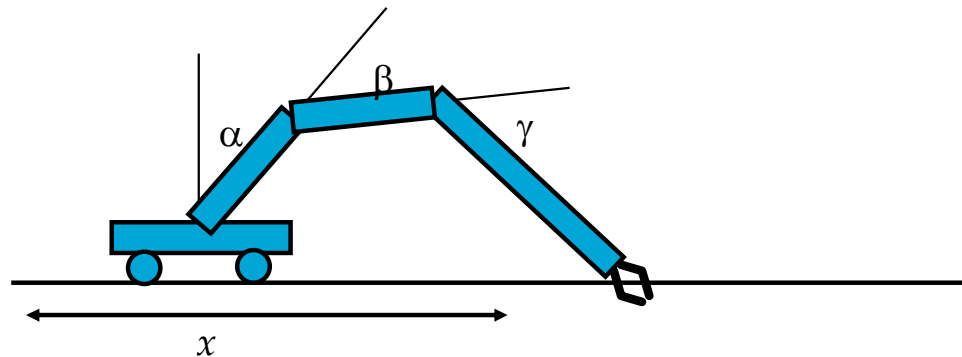


Homogeneous Coordinates

- We have seen that many operations in \mathbb{R}^n can be represented by matrices in \mathbb{P}^n
- Transformations can be concatenated by multiplying the matrices together

Complex Objects

- Objects are often defined via many components
 - E.g., wheels of cars, fingers on hands on arms ...
- Concatenate matrices to place objects relative to each other
 - Changing one matrix affects everything hereafter



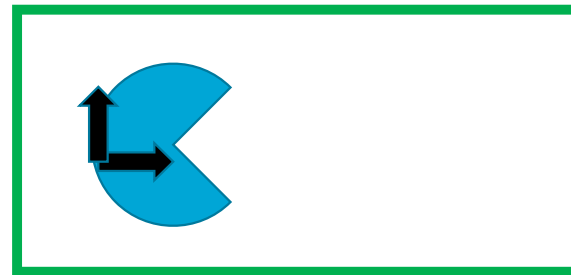
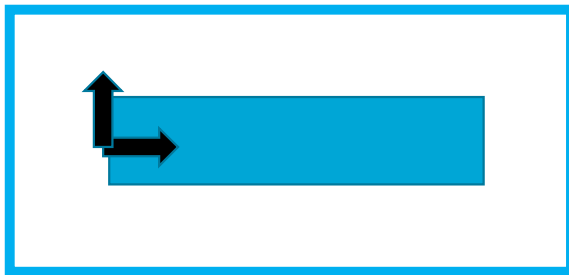
Complex Objects

Example:

We make a “complex” robot arm consisting of two parts:

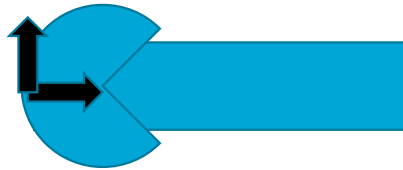
The **arm** itself and a **hand**

Both are designed independently
and are at the origin (shown below)



Complex Objects

- Using the coordinates as is, you get:



- That does not look right!
- Instead: Let's define a matrix to shift the objects to the wanted relative location

Complex Objects

- Concatenate and apply matrices
 - $S := \text{Translation matrix to position of arm (Shoulder)}$



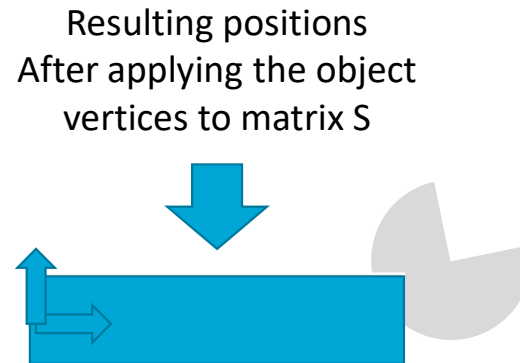
Complex Objects

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Complex Objects

- Concatenate and apply matrices
 - $S := \text{Translation matrix to position of arm (Shoulder)}$
 - Apply S to all vertices of arm



Complex Objects

- Concatenate and apply matrices
 - S :=Translation matrix to position of arm (**S**houlder)
 - Apply S to all vertices of arm
 - T :=translation along arm (to the **J**oint of the hand)
 - $J = S T$



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Complex Objects

- Concatenate and apply matrices
 - $S := \text{Translation matrix to position of arm (Shoulder)}$
 - $S := SN$, with N a new rotation matrix
 - Apply S to all vertices of arm
 - $T := \text{translation along arm (to the Joint of the hand)}$
 - $J = S T$
 - $R = \text{Rotation (for Hand)}$
 - $H := J R$
 - Apply H to all vertices of the hand



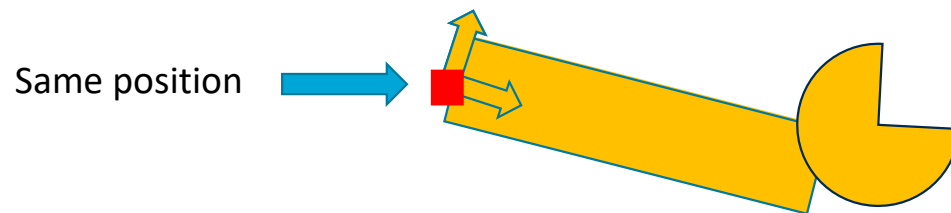
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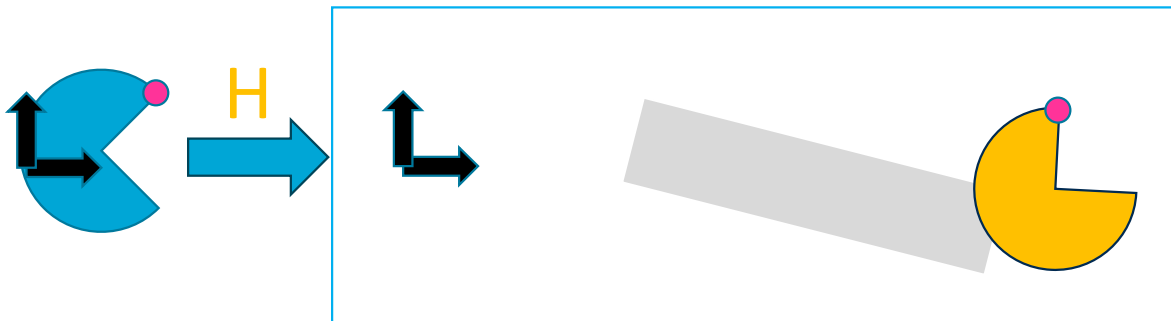
Complex Objects

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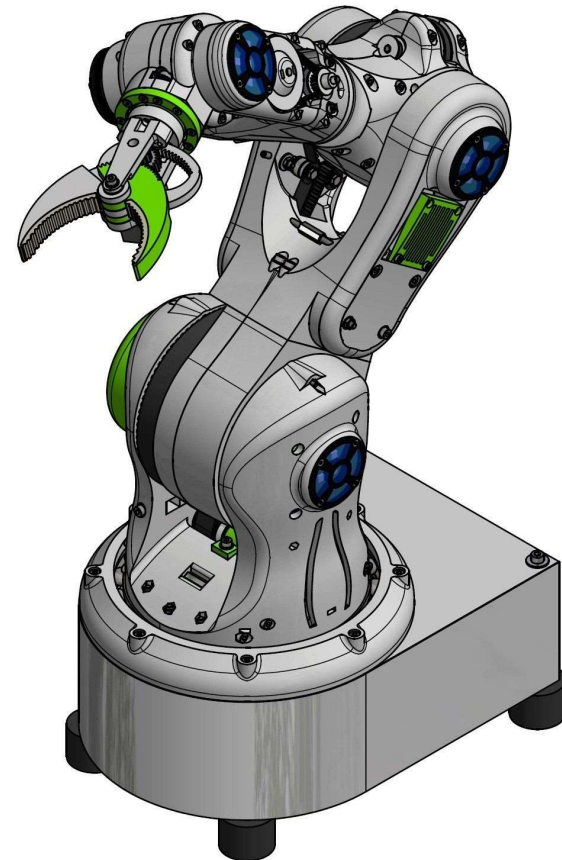
Complex Objects

We found a matrix H to transform the vertices from the original hand definition into the wanted position relative to the arm!



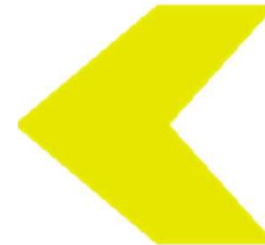
Let's try it out!

- Professional Robot Arm:

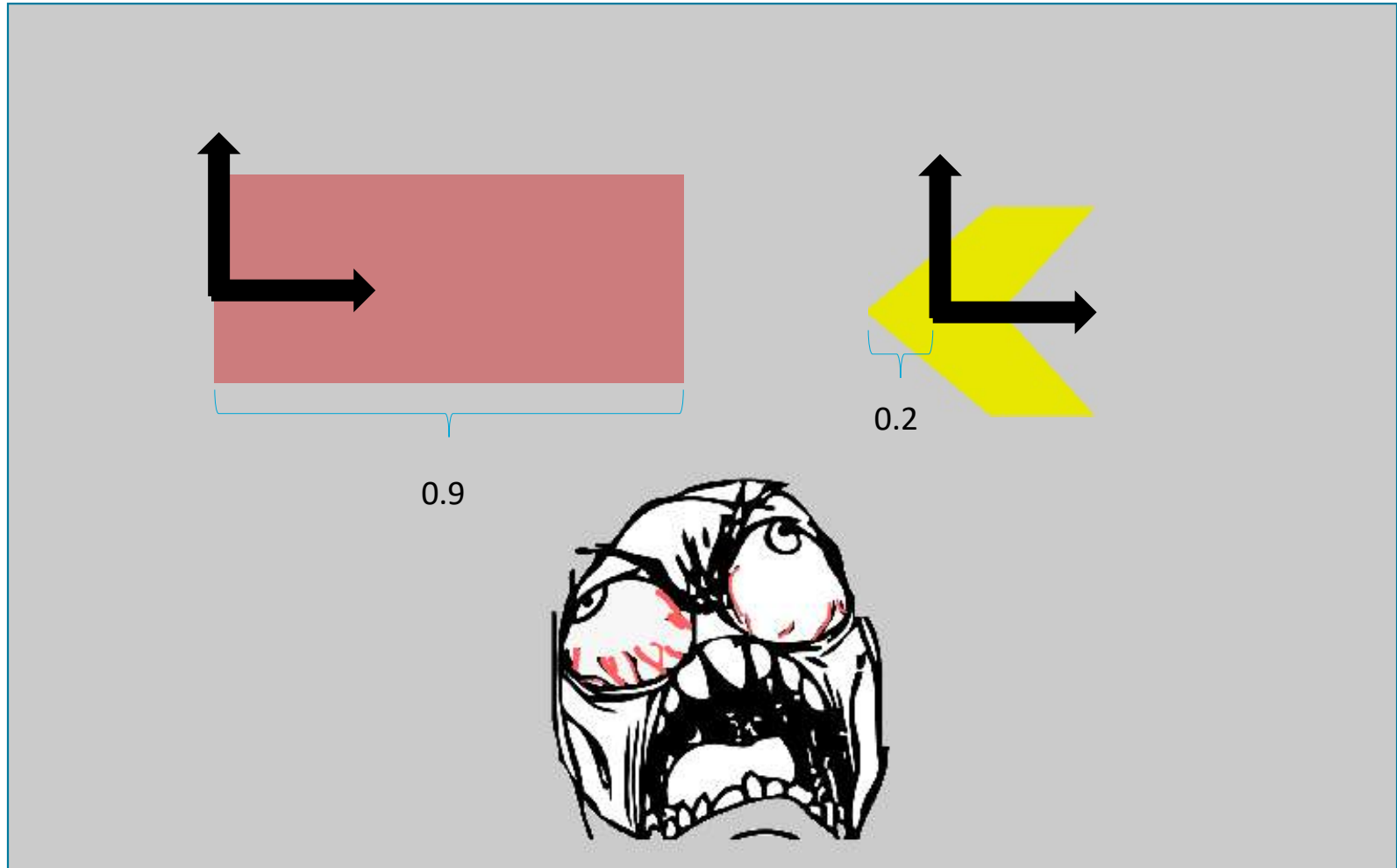


Let's try it out!

- Professional Robot Arm:



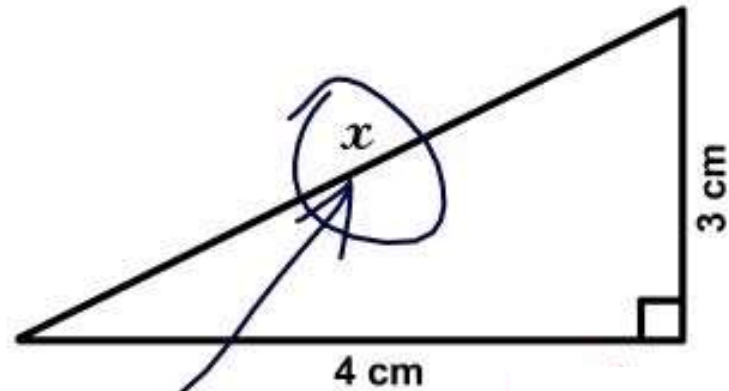
Let's try it out!



Questions?

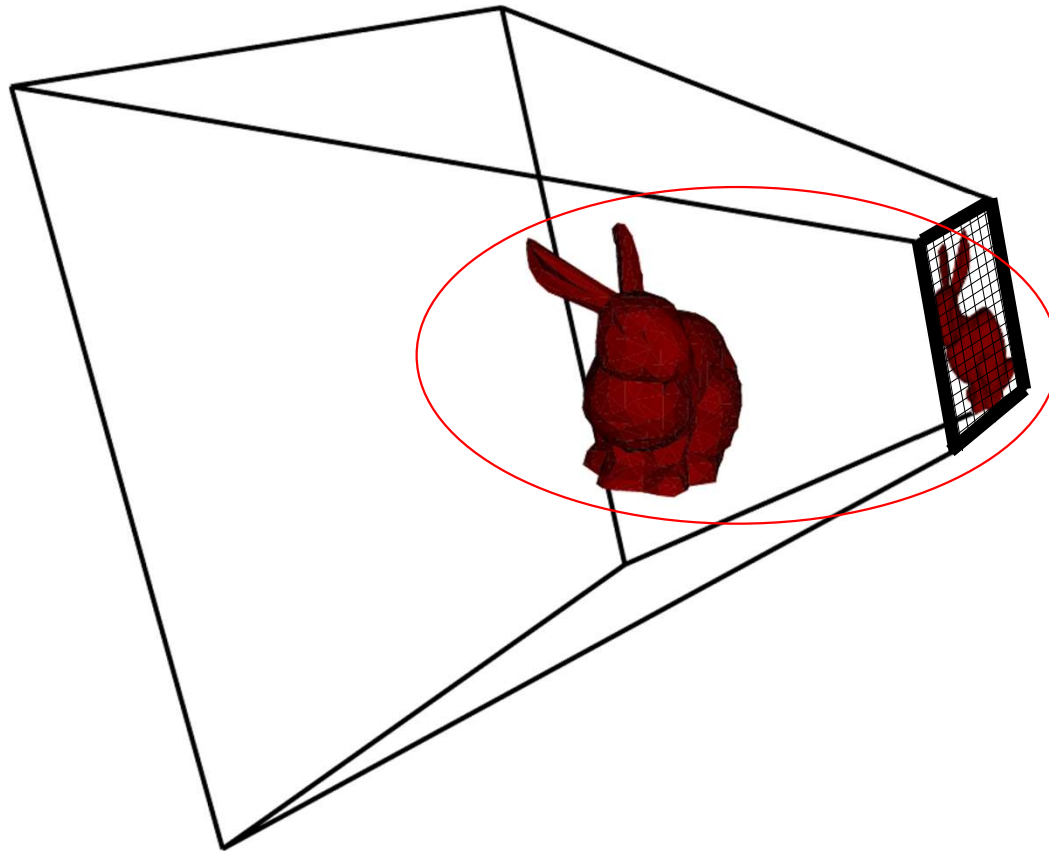


Find x .



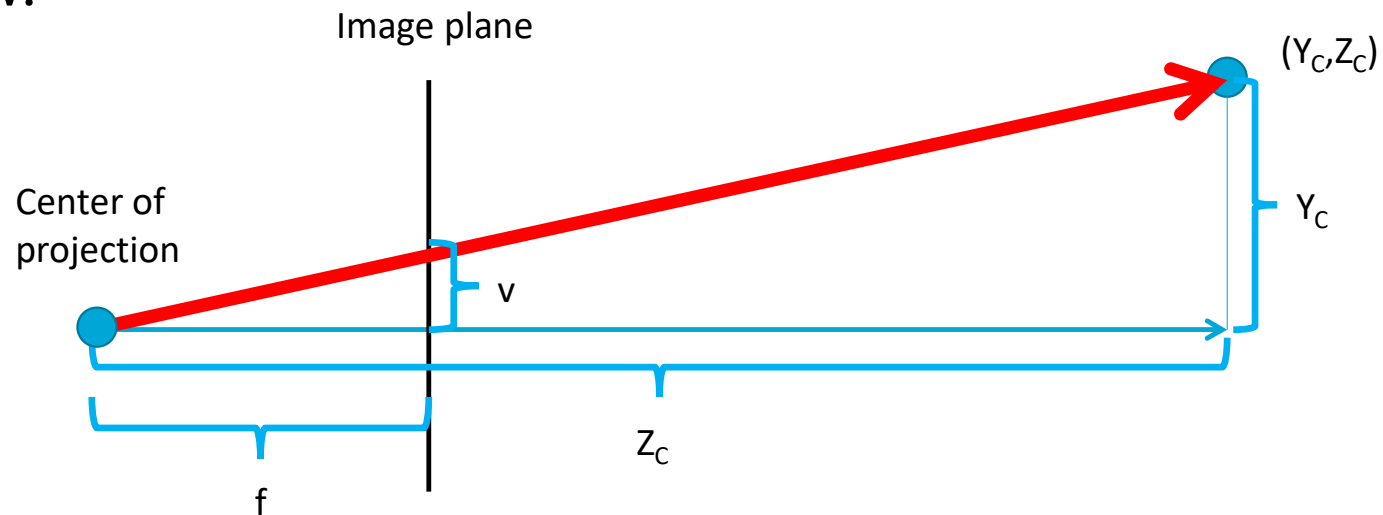
Here it is

One pipeline step is still missing...



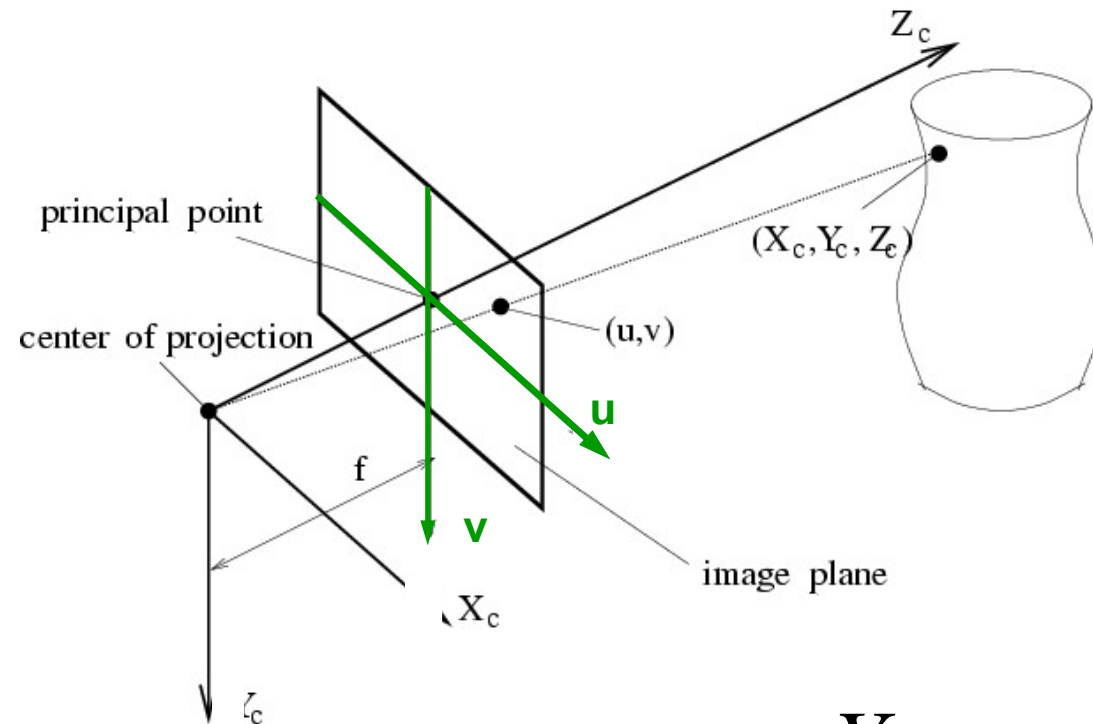
Perspective Projection

- sideview:



Similar triangles: $v / f = Y_C / Z_C$

Perspective Projection



$$u = f \frac{X}{Z} \quad v = f \frac{Y}{Z}$$

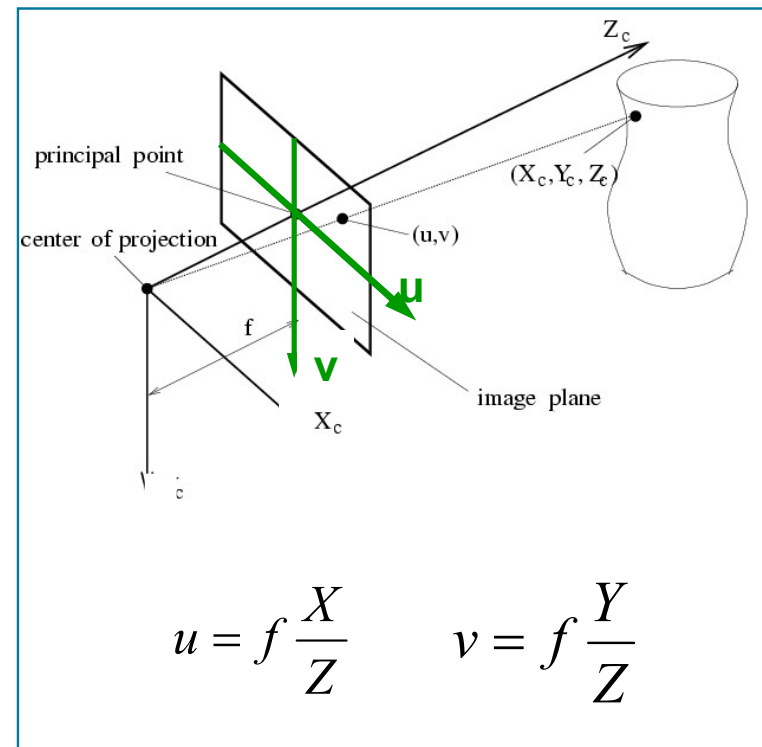
Perspective Projection

- “Homogenize” the points

$$P = \begin{pmatrix} X \\ Y \\ Z \end{pmatrix} \Rightarrow \tilde{P} = \begin{pmatrix} X \\ Y \\ Z \\ 1 \end{pmatrix}$$

- Look for M such that:

$$M\tilde{P} = \begin{pmatrix} u \\ v \\ 1 \end{pmatrix} = \begin{pmatrix} fX/Z \\ fY/Z \\ 1 \end{pmatrix}$$



Perspective Projection

- Hint: Think projective!

$$M\tilde{P} = \begin{pmatrix} fX / Z \\ fY / Z \\ 1 \end{pmatrix} \Rightarrow M\tilde{P} = \begin{pmatrix} fX \\ fY \\ Z \end{pmatrix}$$

Perspective Projection

- Solution:

$$M = \begin{pmatrix} f & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$

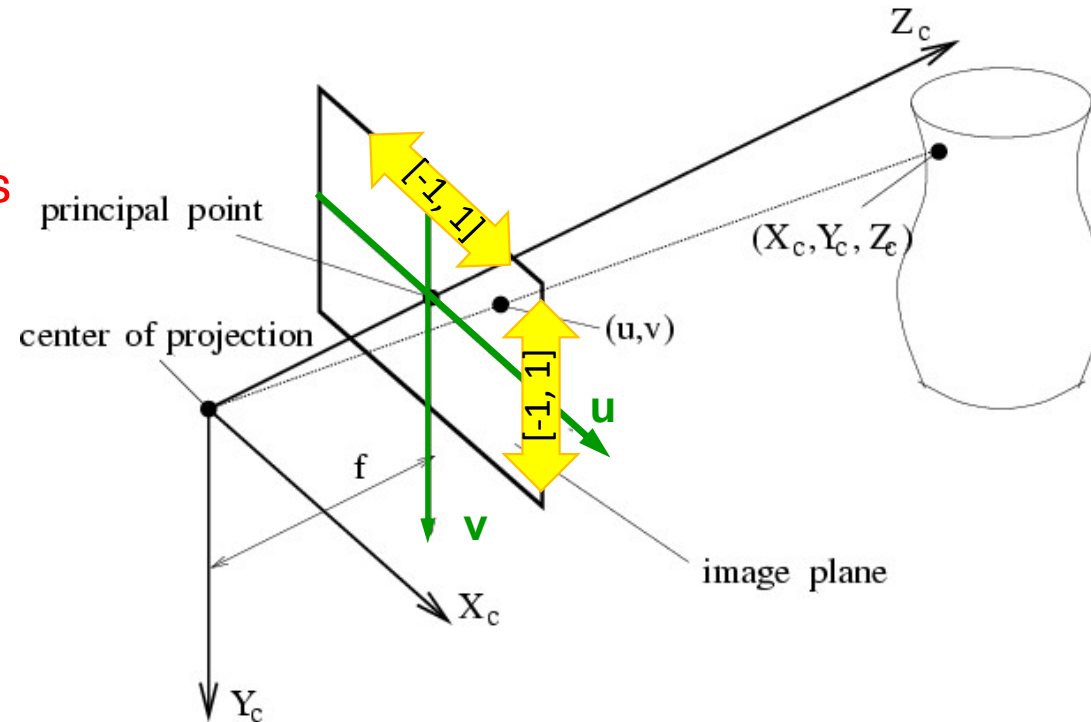
Perspective Projection

- Solution:

$$M = \begin{pmatrix} f & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$

Adding Image Space to Camera Model

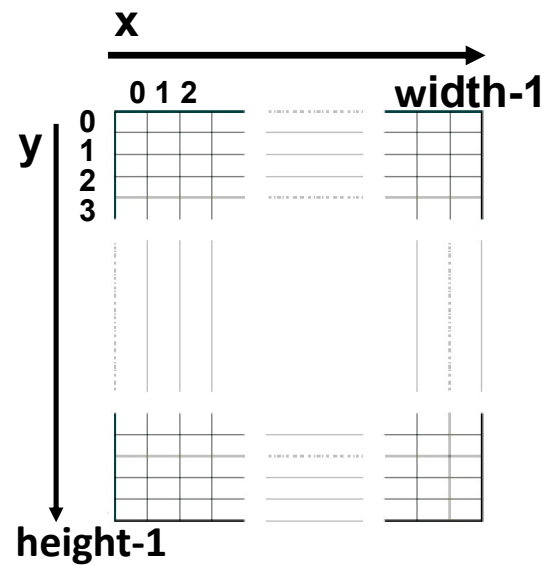
- Transform u, v into **pixel positions**



$$u = f \frac{X}{Z} \quad v = f \frac{Y}{Z}$$

Internal Camera Parameters

- $(-1,1)^2 \rightarrow (0, \text{width}-1) \times (0, \text{height}-1)$
- Homework: Find a matrix to do this mapping

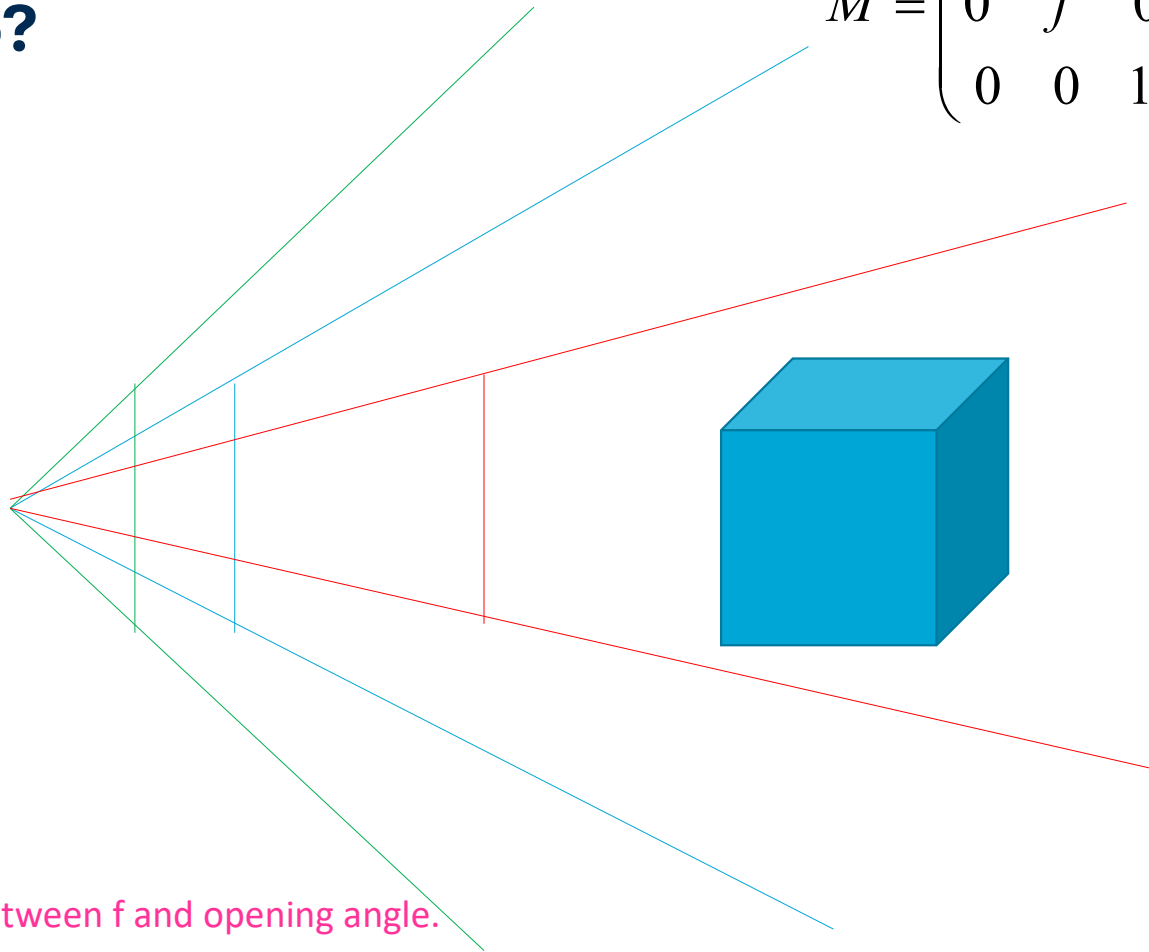


$$\begin{cases} x = k_x u + x_0 \\ y = k_y v + y_0 \end{cases}$$

$$\begin{pmatrix} k_x & 0 & x_0 \\ 0 & k_y & y_0 \\ 0 & 0 & 1 \end{pmatrix}$$

What does f do?

$$M = \begin{pmatrix} f & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$



Nice exercise:
Find the link between f and opening angle.

It could have been so simple...

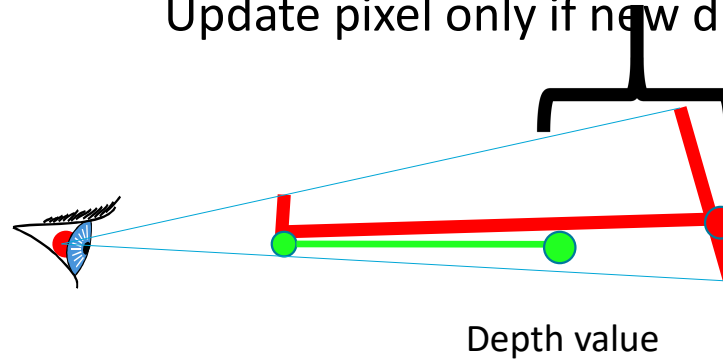
- What is the problem of this matrix for the Graphics Pipeline?

$$M = \begin{pmatrix} f & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & 1 & 0 \end{pmatrix}$$

We need a depth value!

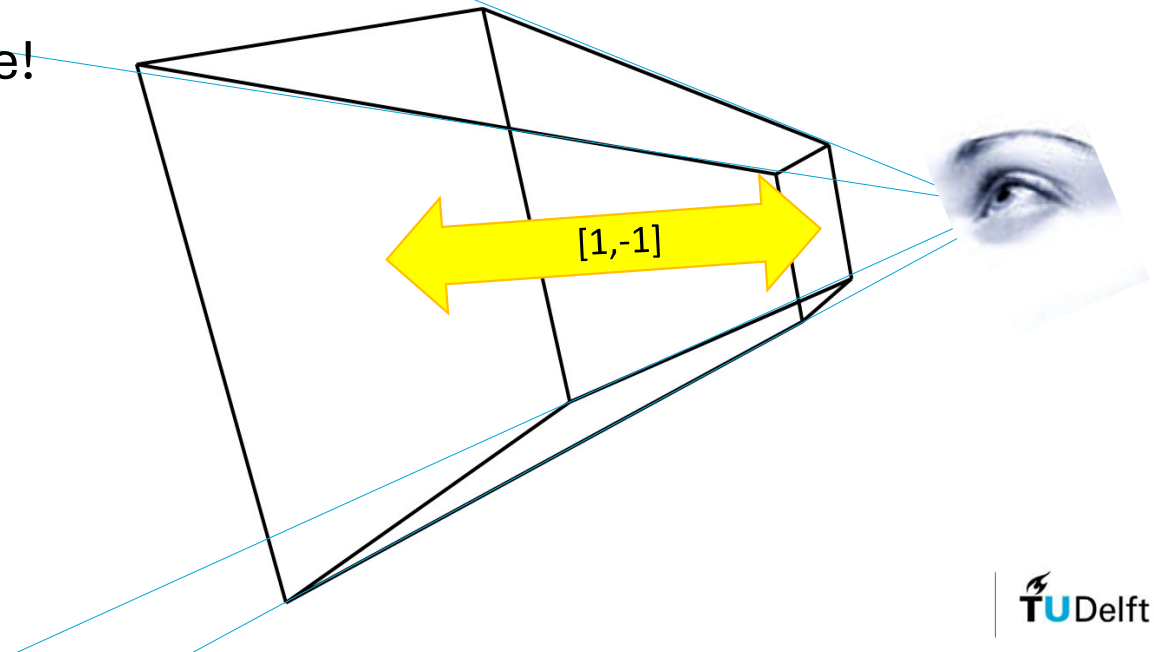
- We need to keep a Z coordinate!

Compare new distance to stored distance
Update pixel only if new distance is nearer



Problem:

- A 3D scene is infinite...
- How do we represent Z?
- Solution:
Add a near and far clipping plane!



Camera in Matrix Representation

- Projection matrix:

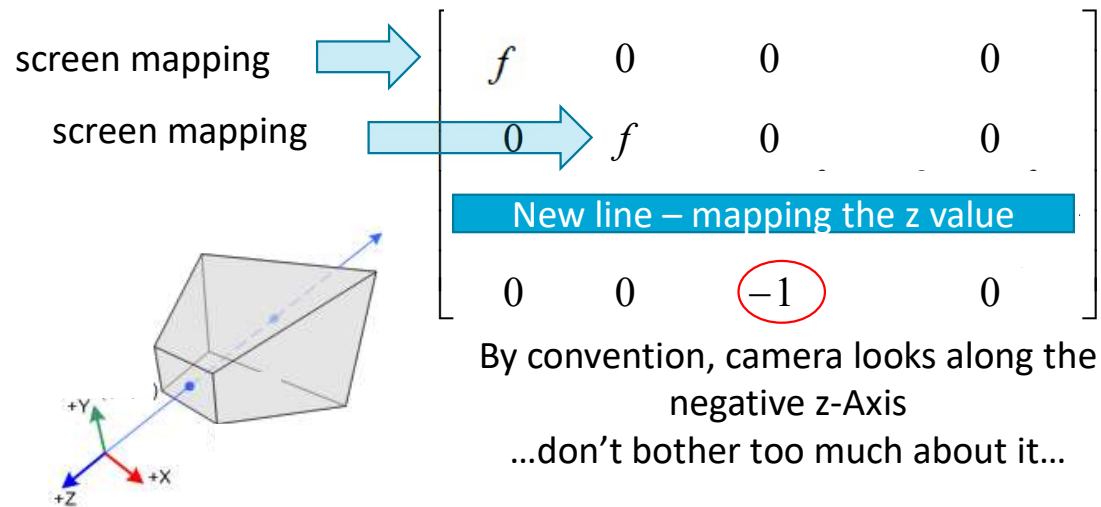
screen mapping →

screen mapping →

$$\begin{bmatrix}
 f & 0 & 0 & 0 \\
 0 & f & 0 & 0 \\
 \text{New line – mapping the z value} \\
 0 & 0 & 1 & 0
 \end{bmatrix}$$

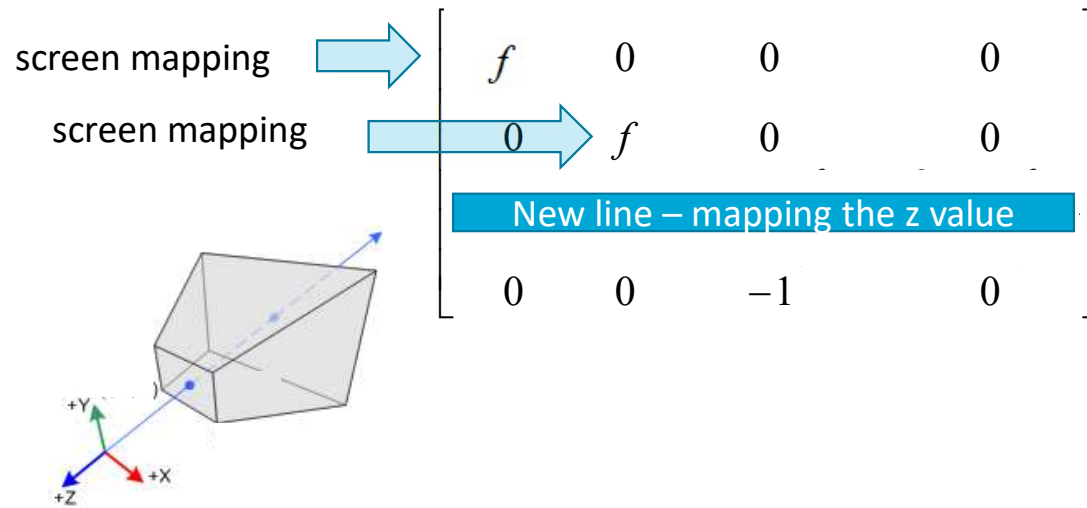
Camera in Matrix Representation

- Projection matrix:



Camera in Matrix Representation

- Projection matrix:



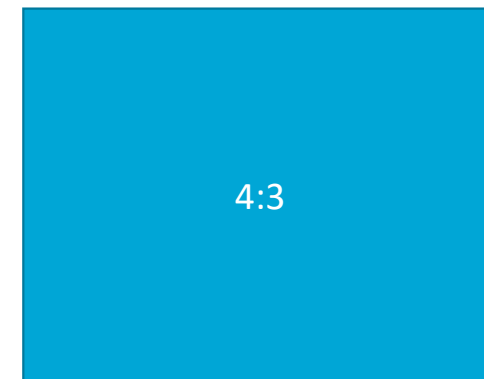
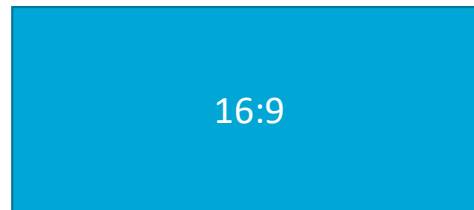
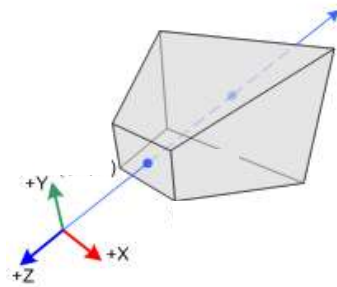
Camera in Matrix Representation

- Projection matrix:

screen mapping →

screen mapping →

$$\begin{bmatrix} \frac{f}{\text{aspect}} & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ \text{New line – mapping the z value} \\ 0 & 0 & -1 & 0 \end{bmatrix}$$



Camera in Matrix Representation

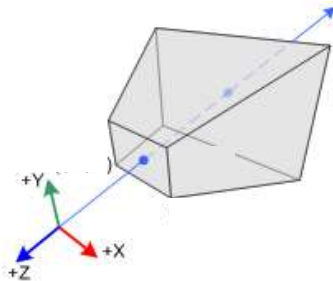
- Projection matrix:

screen mapping →

screen mapping →

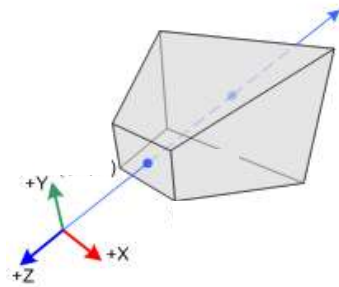
$$\begin{bmatrix}
 \frac{f}{\text{aspect}} & 0 & 0 & 0 \\
 0 & f & 0 & 0 \\
 0 & 0 & \frac{\text{near} + \text{far}}{\text{near} - \text{far}} & \frac{2\text{near}\text{far}}{\text{near} - \text{far}} \\
 0 & 0 & -1 & 0
 \end{bmatrix}$$

← Z mapping



Camera in Matrix Representation

- Projection matrix:

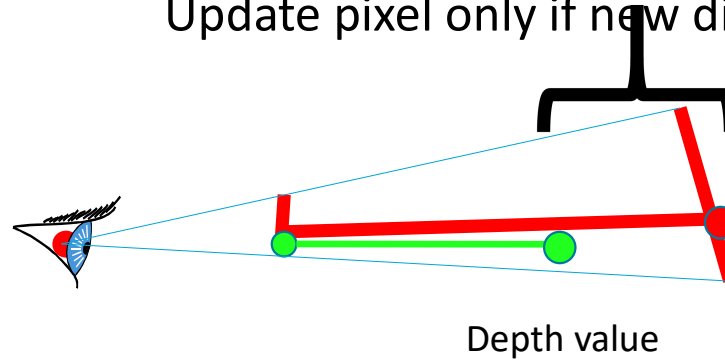


$$\begin{bmatrix} \frac{f}{\text{aspect}} & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & \frac{\text{near} + \text{far}}{\text{near} - \text{far}} & \frac{2\text{near}\text{far}}{\text{near} - \text{far}} \\ 0 & 0 & -1 & 0 \end{bmatrix}$$

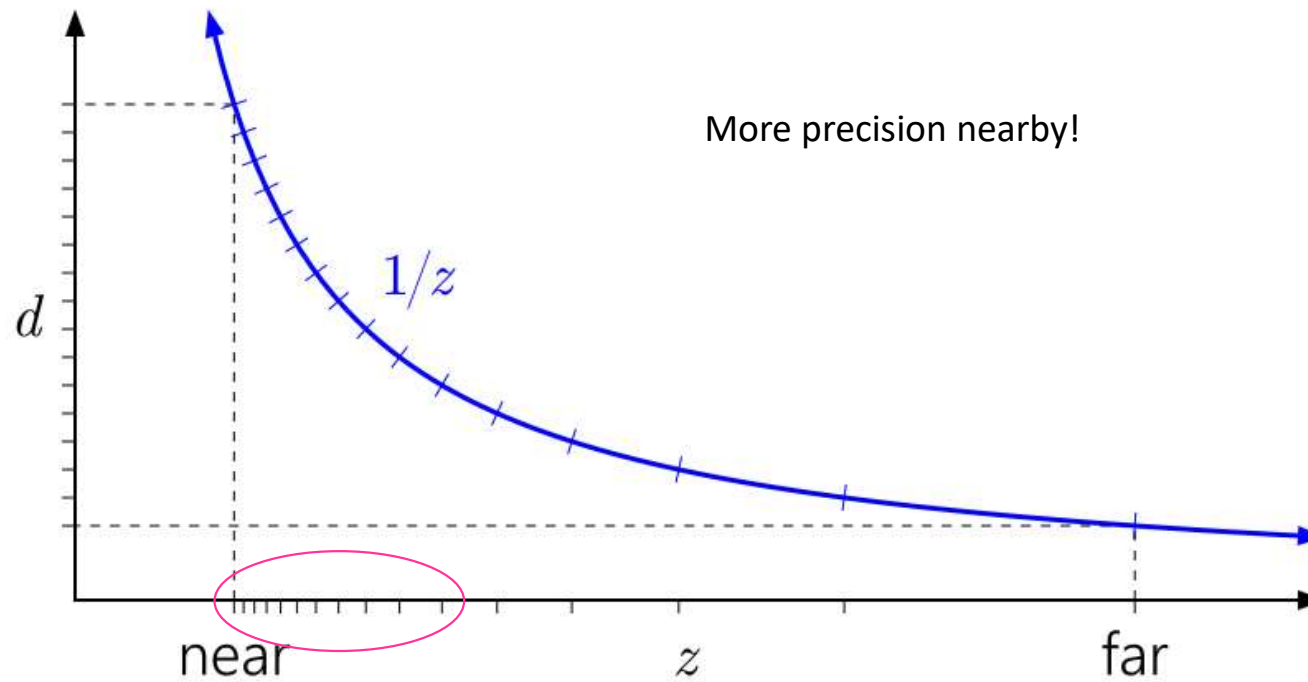
- Verify: (0,0,-near,1) maps to depth -1, and (0,0,-far,1) to 1
- What depth does (0,0,-(far+near)/2,1) map to? **Z-Buffer is not linear!**

Is z-Buffer non-linearity a problem?

Compare new distance to stored distance
Update pixel only if new distance is nearer

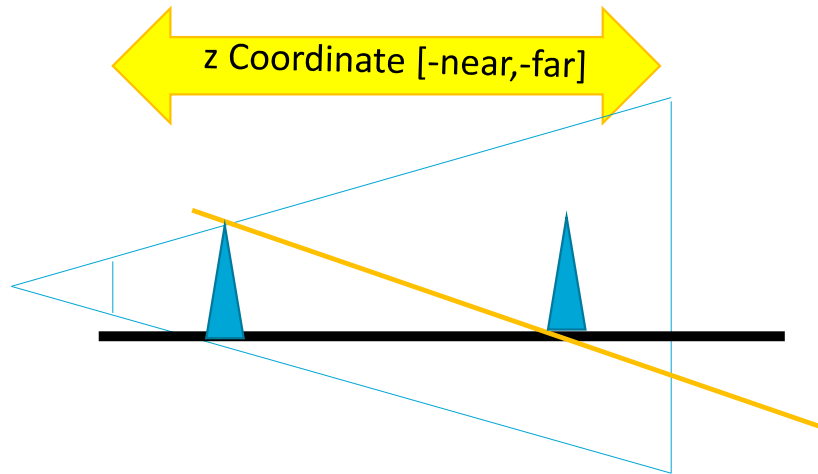


Z-Buffer Visualization



<https://developer.nvidia.com/content/depth-precision-visualized>

Illustration of the Camera Mapping



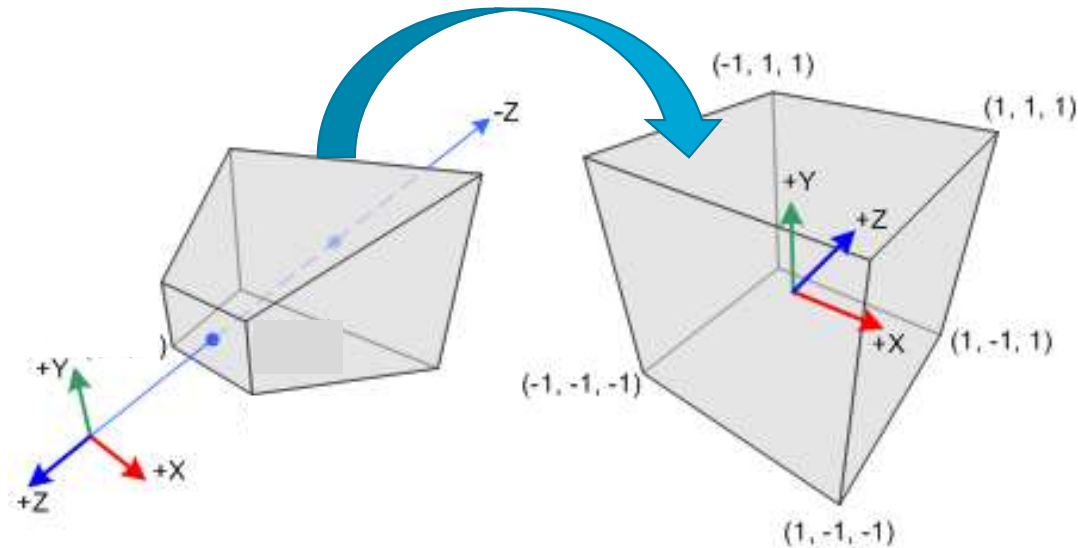
$$\begin{bmatrix} \frac{f}{\text{aspect}} & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & \frac{\text{near} + \text{far}}{\text{near} - \text{far}} & \frac{2\text{near}\text{far}}{\text{near} - \text{far}} \\ 0 & 0 & -1 & 0 \end{bmatrix}$$

After normalization
(division by w)

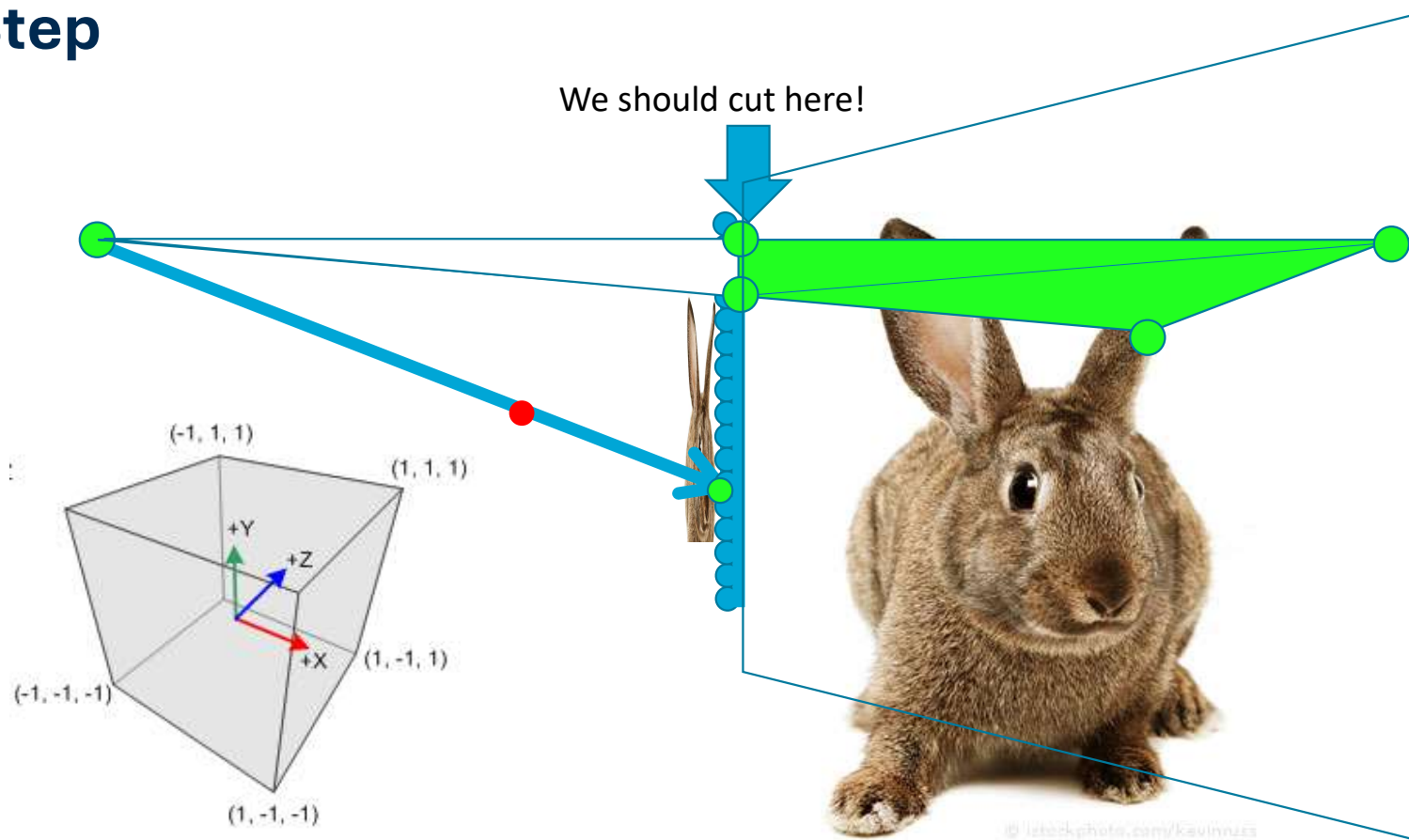
Camera Space

- Perspective Frustum is mapped on a cube

$$\begin{bmatrix} \frac{f}{\text{aspect}} & 0 & 0 & 0 \\ 0 & f & 0 & 0 \\ 0 & 0 & \frac{\text{near} + \text{far}}{\text{near} - \text{far}} & \frac{2\text{near}\text{far}}{\text{near} - \text{far}} \\ 0 & 0 & -1 & 0 \end{bmatrix}$$



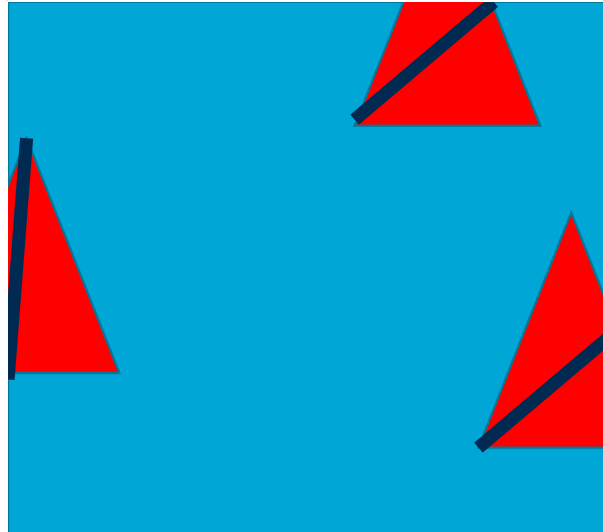
Final Step



- Test if triangle lies in the cube!

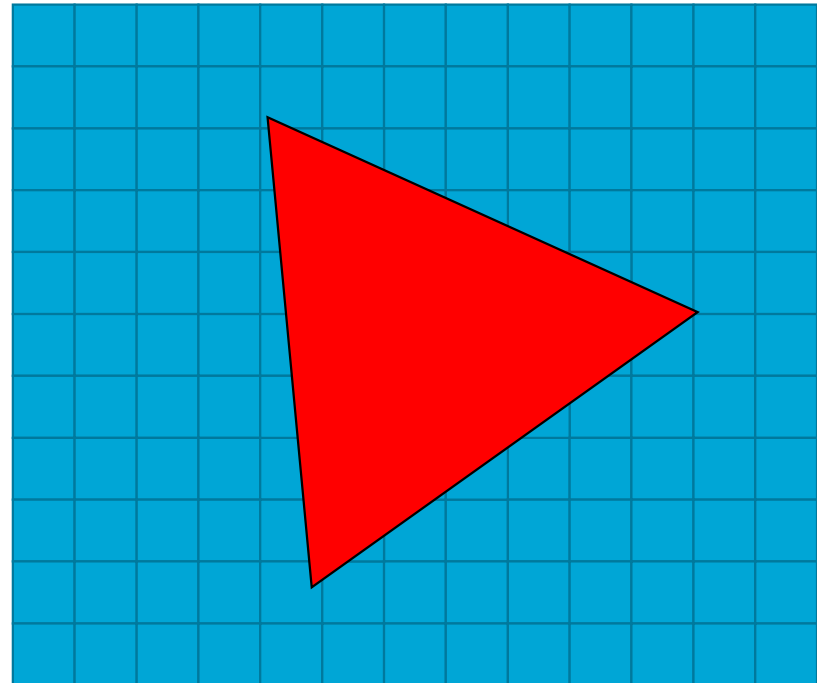
Clip Space

- Create clipped triangles



Last pipeline step: Rasterization

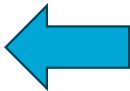
- Now, all primitives are clipped and projected on the screen.
- Pixel filling +
- Depth Buffer



Last pipeline step: Rasterization

- Now, all primitives are clipped and projected on the screen.

- Pixel filling +

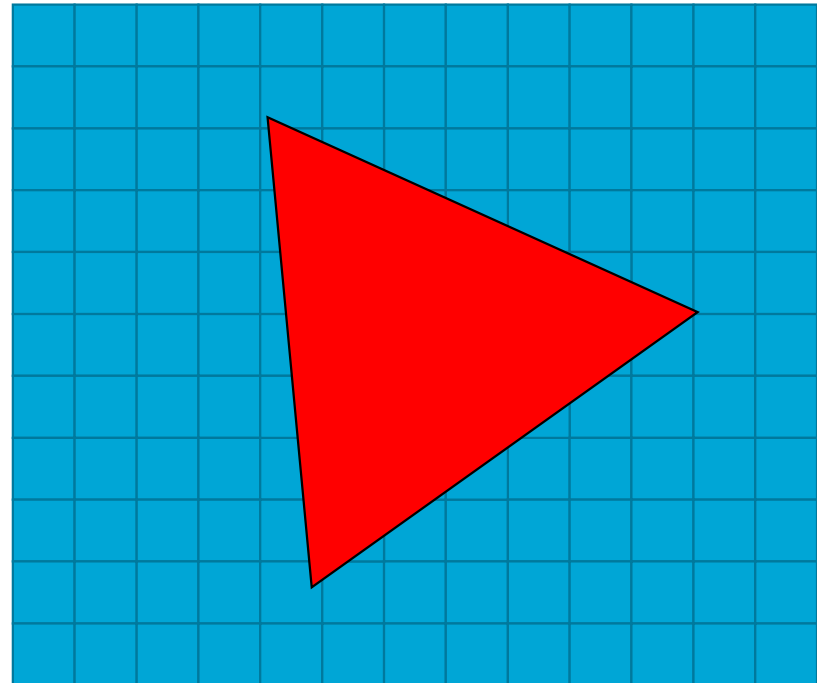


Remark 1: Complex rules to avoid ambiguities, but if pixel center is inside the triangle, the pixel is filled

- Depth Buffer



Remark2: The projection delivers depth d in $[-1,1]$, d is stored using $(d+1)/2$, thus in $[0,1]$



Graphics Pipeline

Object Transformation

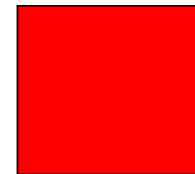
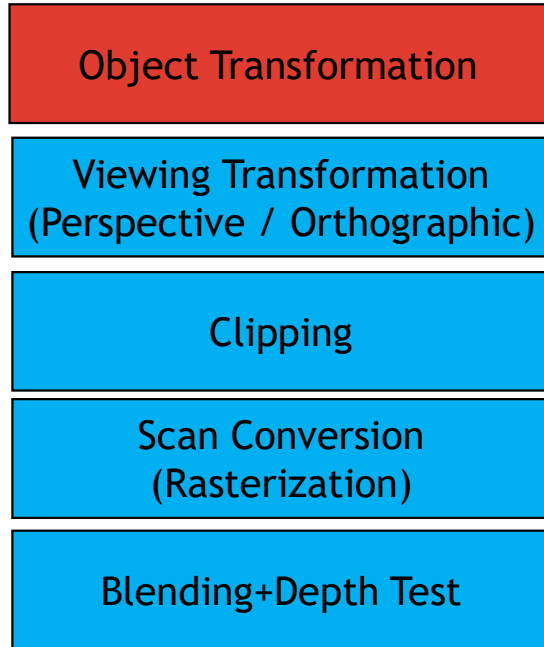
Viewing Transformation
(Perspective / Orthographic)

Clipping

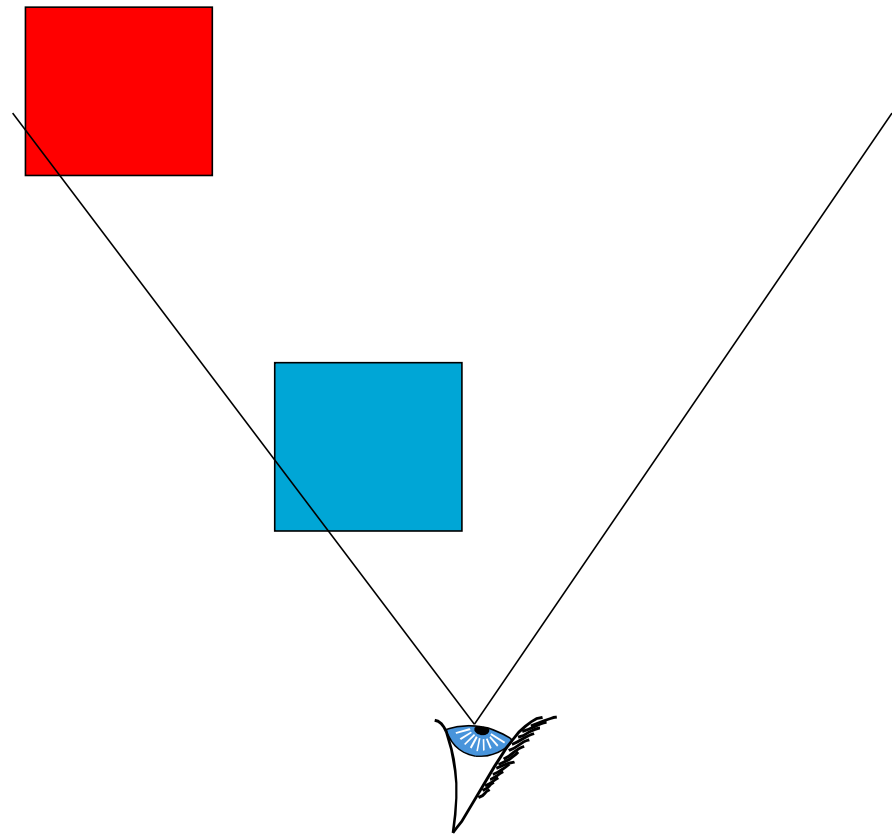
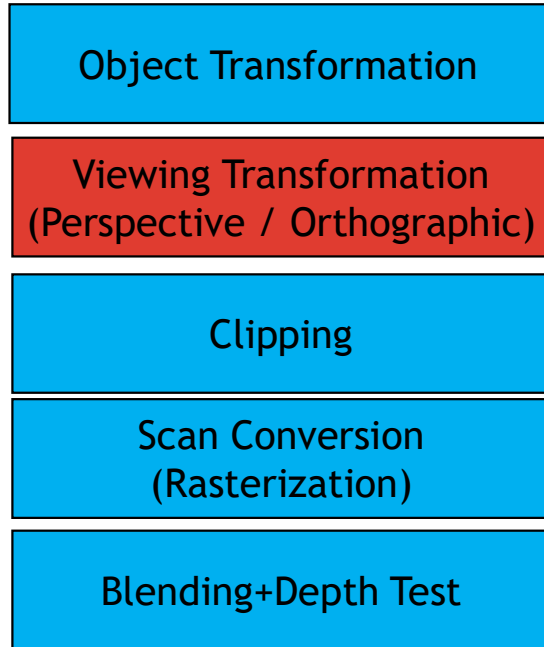
Scan Conversion
(Rasterization)

Blending+Depth Test

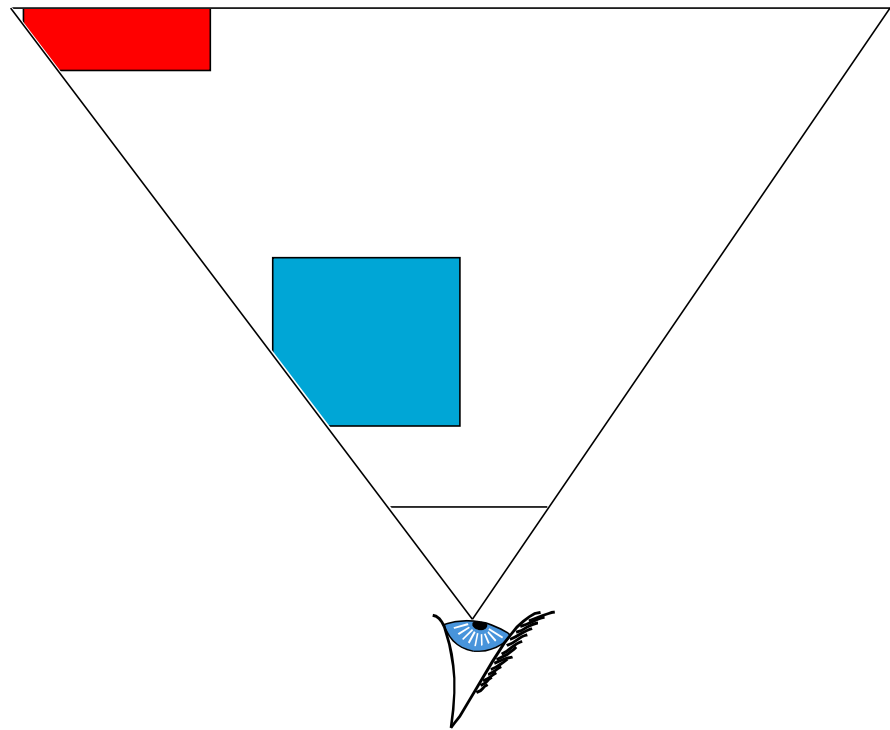
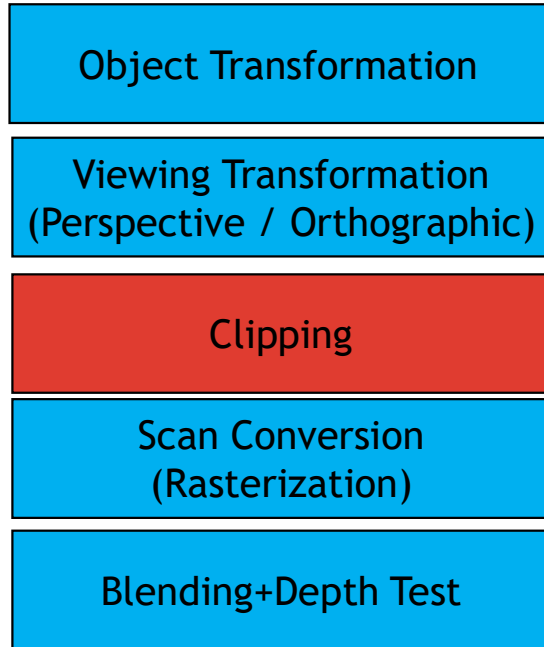
Graphics Pipeline



Graphics Pipeline

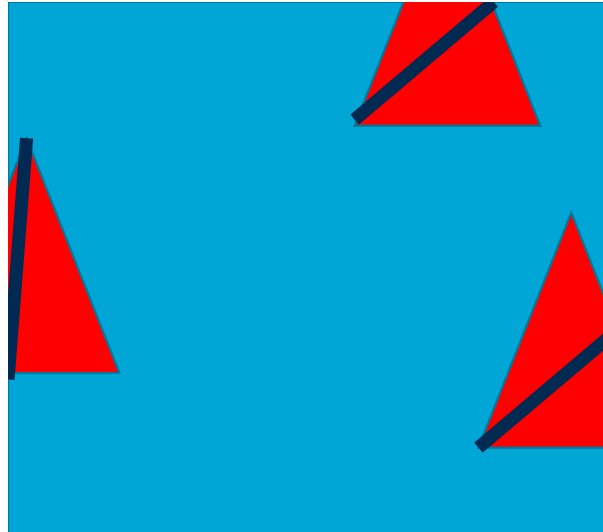


Graphics Pipeline

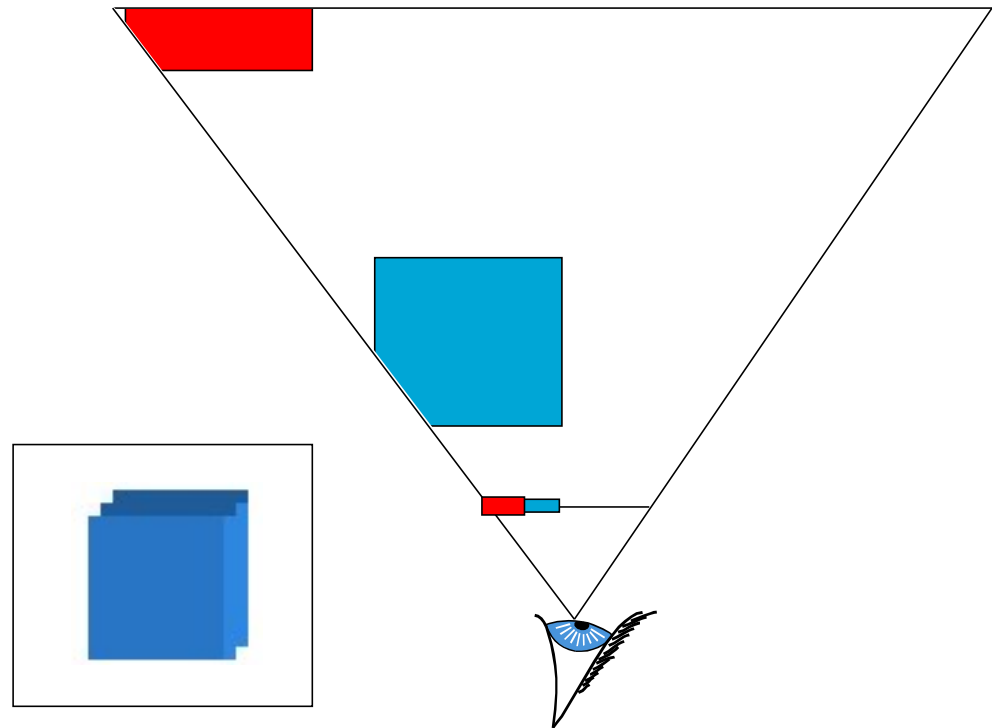
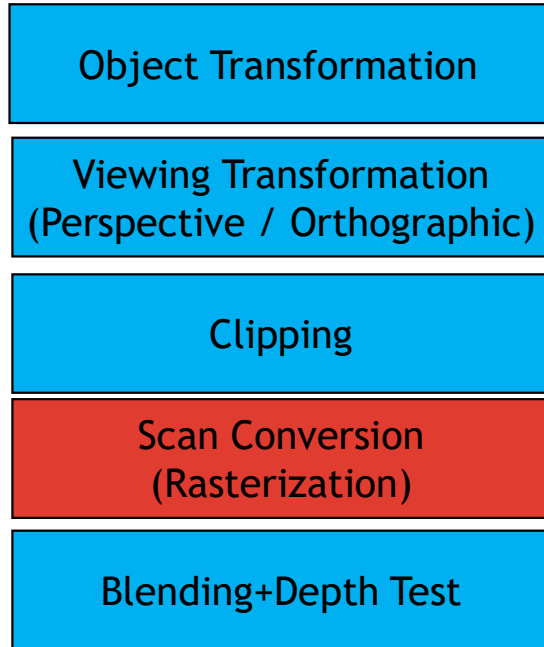


Clip Space

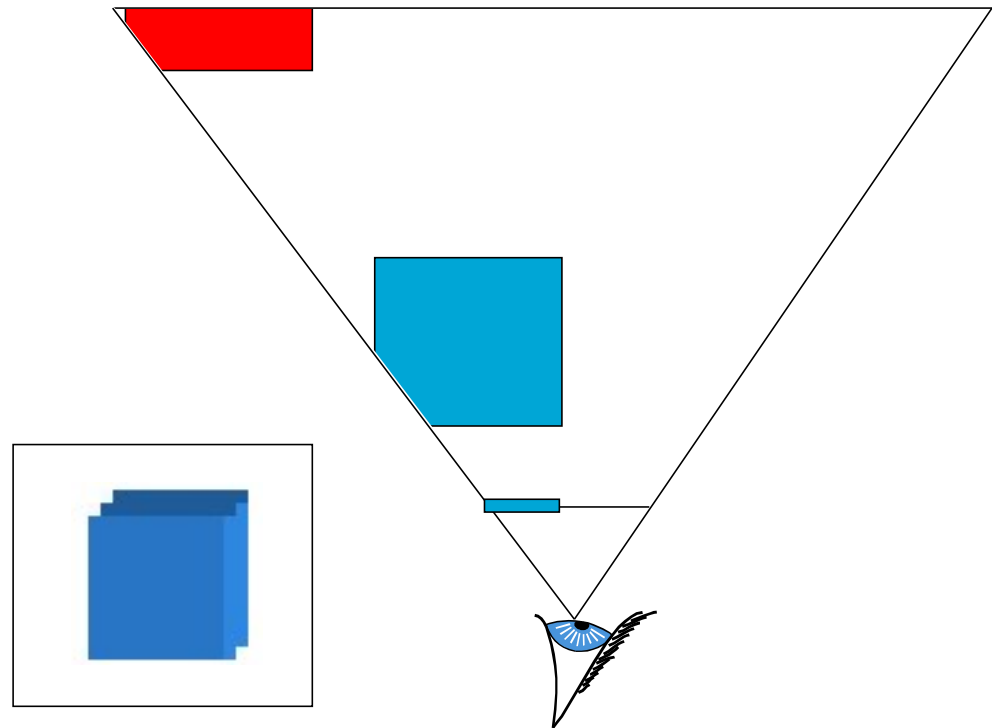
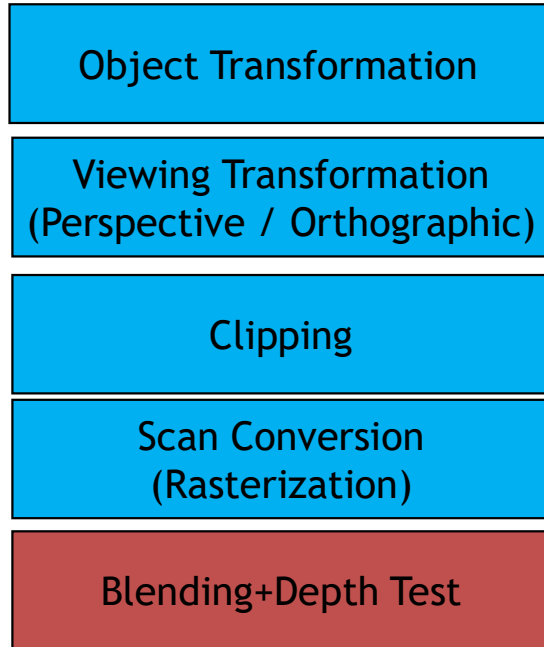
- Create clipped triangles



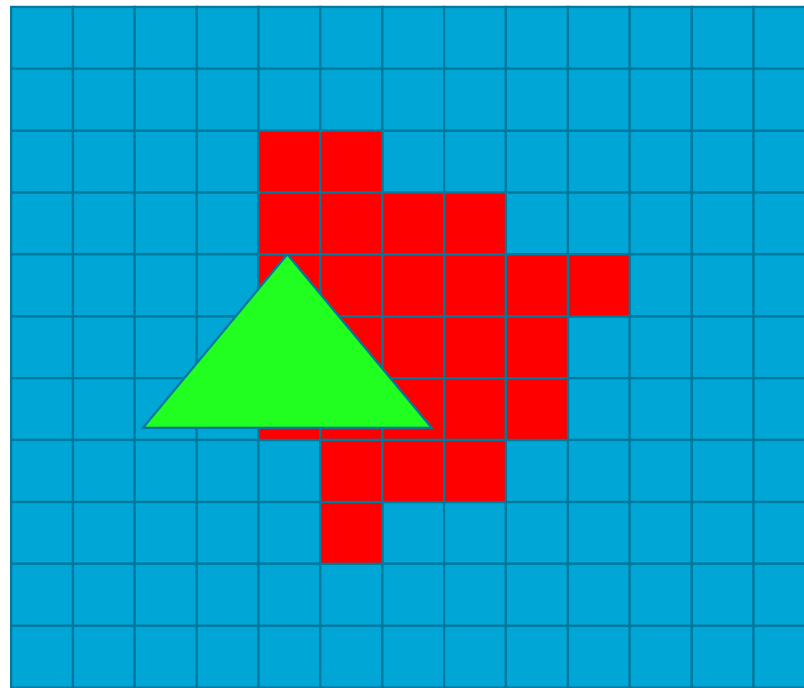
Graphics Pipeline



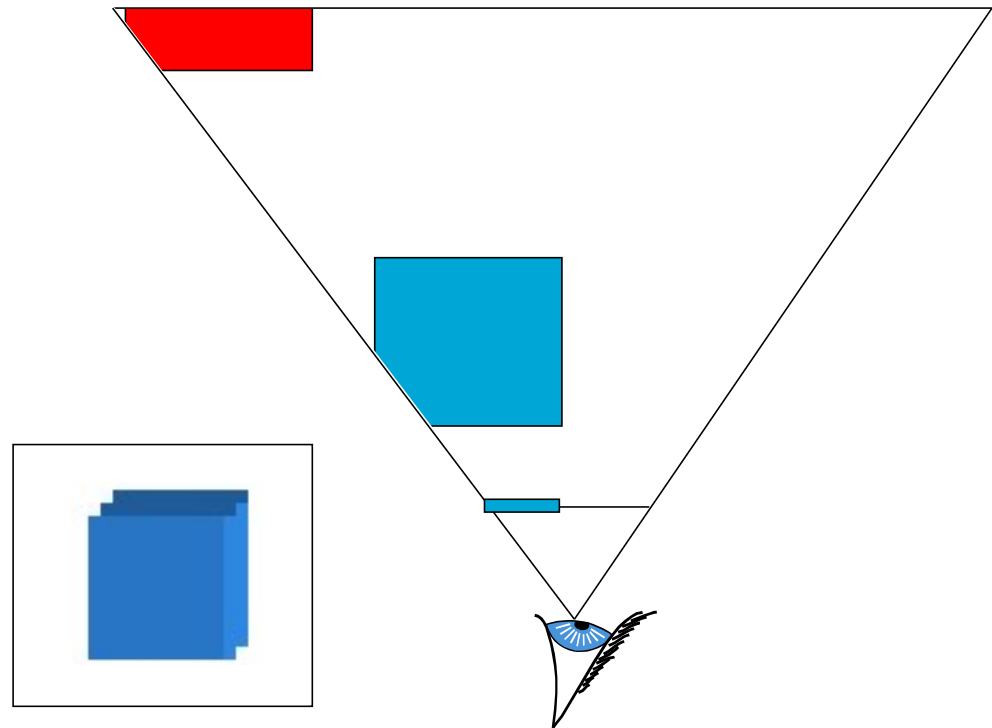
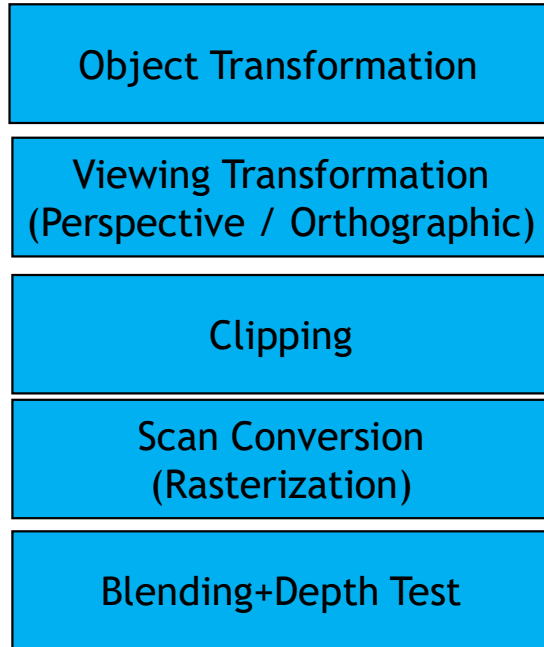
Graphics Pipeline



Blending and Depth Test



Graphics Pipeline

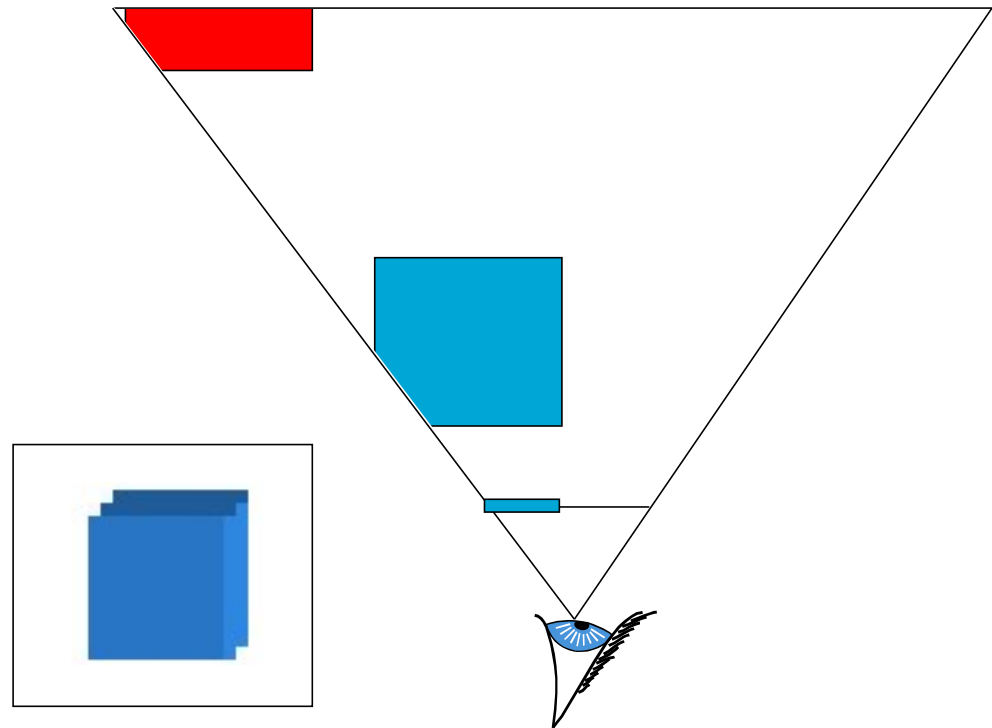
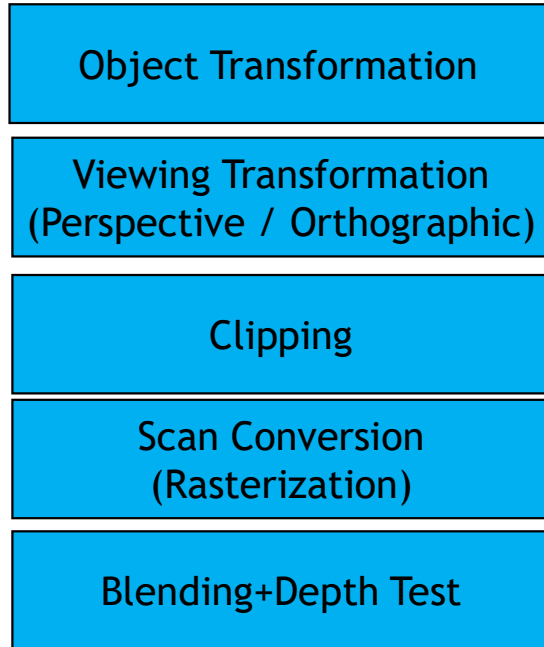


Questions?

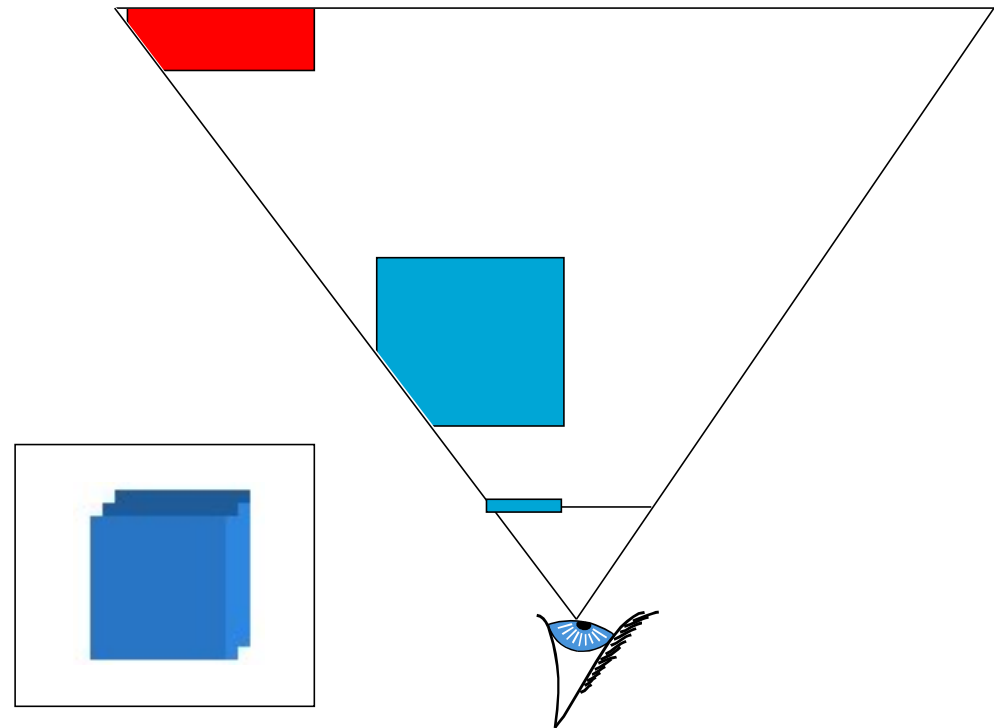
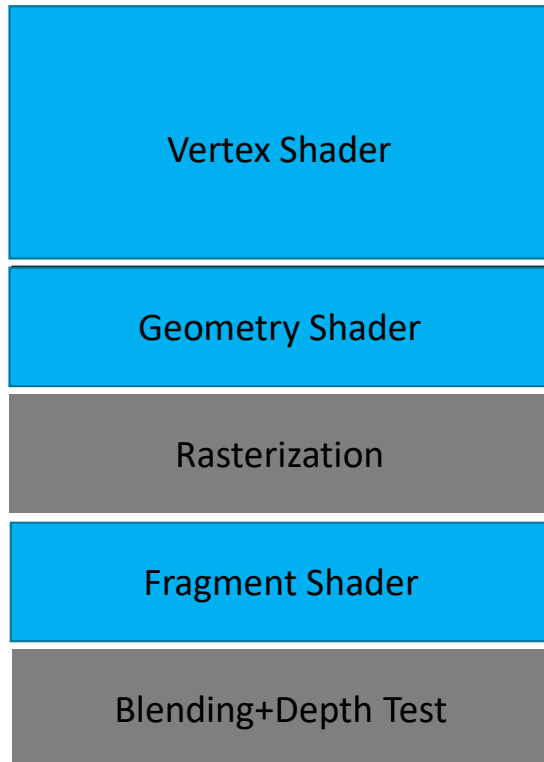
	To warm my head
	To warm my feet
	To warm my hands
	To warm my House

Based on <https://steemit.com/dmania/@m2nnari/cpu-memes-zg1hbmlh-2htsm>

Standard Graphics Pipeline



Today's Modern/Programmable Graphics Pipeline



Programmable Graphics Pipeline

On today's GPUs stages are customizable (programmable)

- **Vertex shader:** Computations on vertices
- **Geometry shader:** Computations on primitives
(primitives = triangles, quads...)
- **Fragment shader:** Computations on pixels
(Fragment=pixel+attributes)

Graphics API

- To communicate and control the graphics card, we can make use of special APIs.
- The most famous APIs are
 - Direct X
 - OpenGL
 - Vulkan
- In this course, we will focus on OpenGL
- To program the shaders, we will use GLSL (OpenGL shading language)

What makes a GPU fast?

- Very high parallel throughput
- The data typically resides on the GPU and is streamed through specialized programs
- To illustrate parallel processing:
imagine a stream of vertices,
groups of vertices are processed in parallel
(e.g., each vertex is multiplied by a matrix)
result is put back into a stream

Flat Mesh Representation

- Simply store vertices in order

Vertex Positions: $[x_0, y_0, z_0, x_1, y_1, z_1, x_2, y_2, z_2, \dots, x_n, y_n, z_n]$

T0

- What about attributes like color?

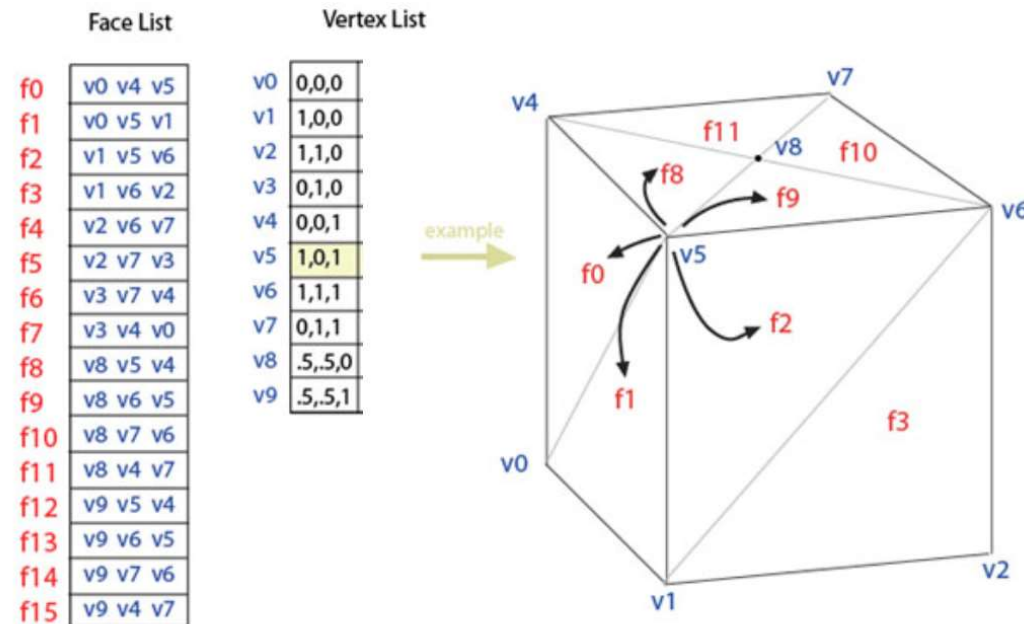
Colors: $[r_0, g_0, b_0, r_1, g_1, b_1, c_2, c_2, c_2, \dots, c_n, c_n, c_n]$

Color of
first vertex

- What is suboptimal about this?

Optimized Mesh Representation

- Indexed Face Set



Mesh with attributes GPU-ready

- Data stored in arrays containing all vertices **and attributes**
- Triangles are defined by an index array: consecutive indices in this array define faces
- Advantage: Shared vertices only stored once

Vertex Positions: $[x_0, y_0, z_0, x_1, y_1, z_1, \dots, x_5, y_5, z_5]$

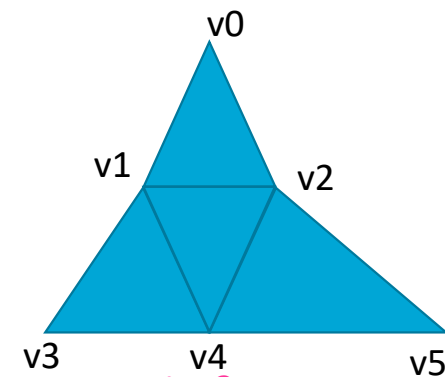
Attributes (can be several): $[r_0, g_0, b_0, r_1, g_1, b_1, \dots, r_5, g_5, b_5]$

IndexBuffer: $[0, 2, 1, 1, 3, 4, 1, 4, 2, 2, 4, 5]$

T0 T1 T2 T3

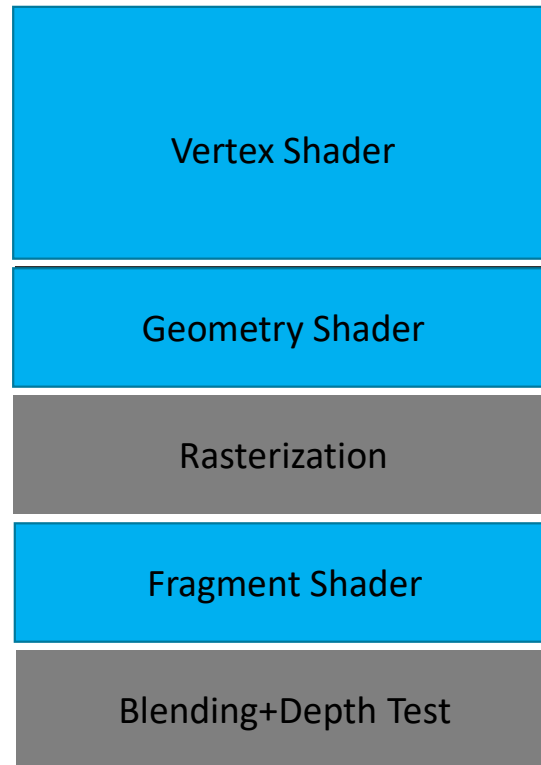
e.g., T0 uses indices 0, 2, 1 meaning it uses vertices v_0 , v_2 , and v_1 .

Given an index, we can retrieve the data of the vertex from the other arrays. For v_0 : x_0, y_0, z_0 and r_0, g_0, b_0

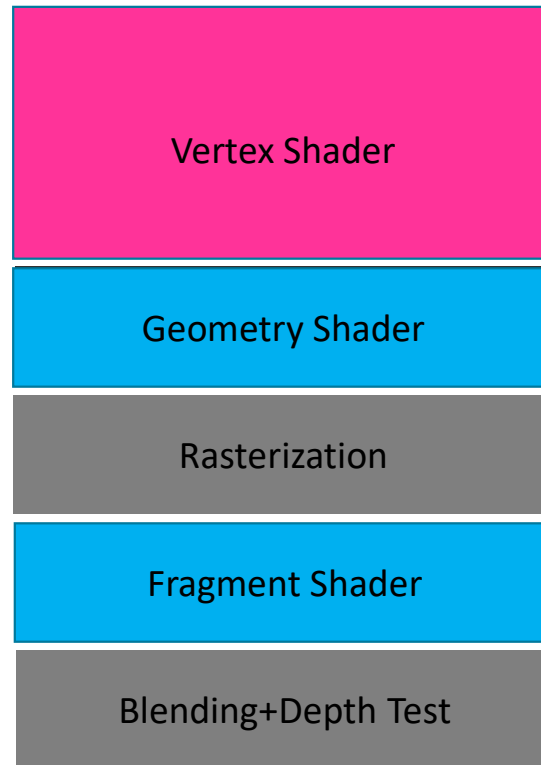


How often would all attributes of v_1 be stored if not using this representation?

Today's Standard Graphics Pipeline

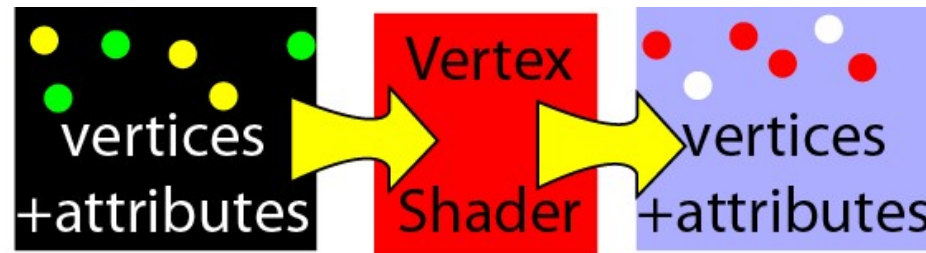


Today's Standard Graphics Pipeline



Vertex Shader

- Input: Vertex with attributes
- Output: Vertex with attributes



- What operation is done in standard pipeline?

Usually camera projection / object placement!

Vertex Shader Example (GLSL 4.3)



```
#version 430
```

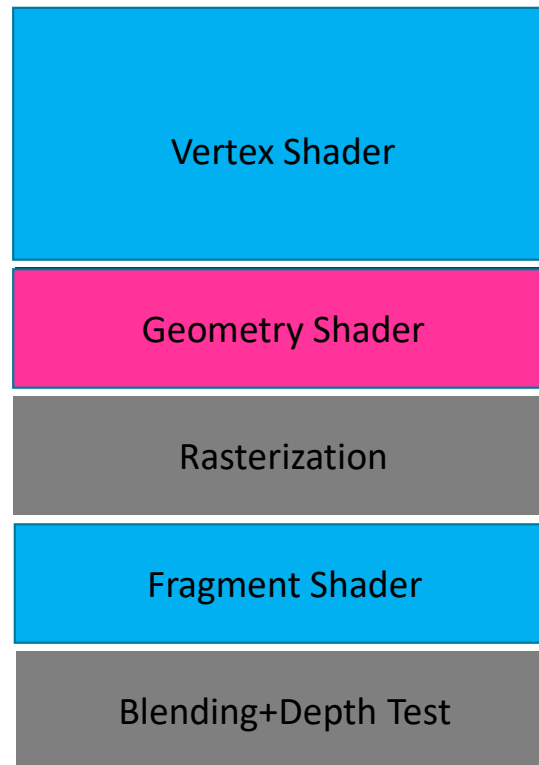


Constant for all vertices

```
layout(location=0) uniform mat4 ModelViewMatrixValue;  
  
layout(location=0) in vec4 pos; //world-space position  
layout(location=1) in vec3 normal; //world-space normal  
  
//Data to be passed to geometry shader  
  
out vec3 gColor;  
  
void main(){  
  
    gl_Position = ModelViewMatrixValue * pos;  
  
    gColor = vec3(normal.x,0,0); //normal.x used as color  
  
}
```

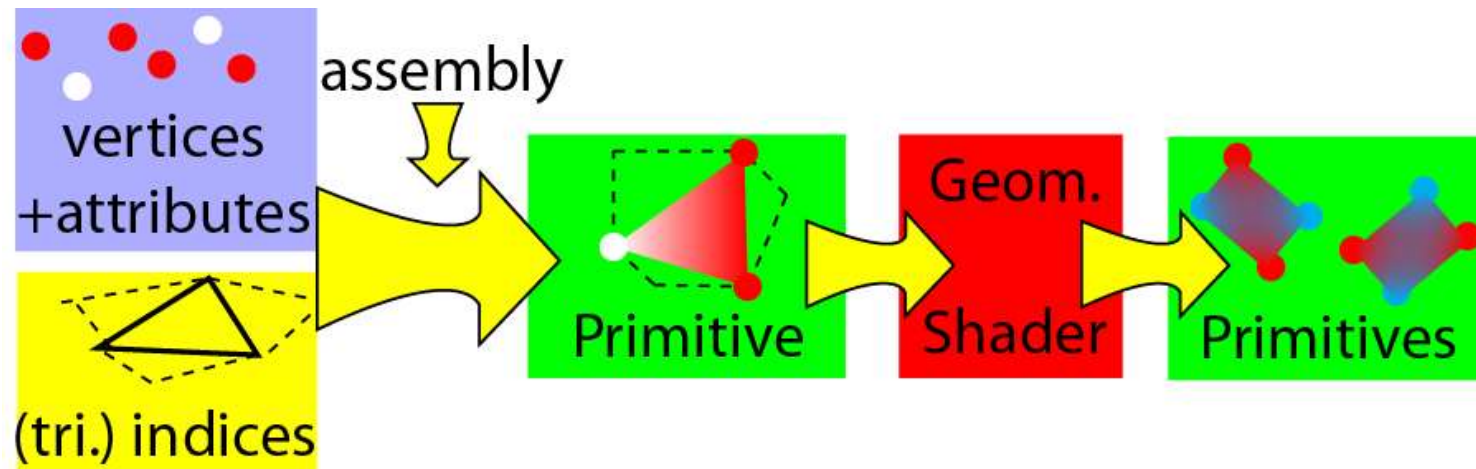
Example applications?

Today's Standard Graphics Pipeline



Geometry Shader

- Input: Vertex/Attribute **array** of current primitive (e.g., triangle or its immediate neighborhood)
- Output: Several primitives (vertices + attributes)

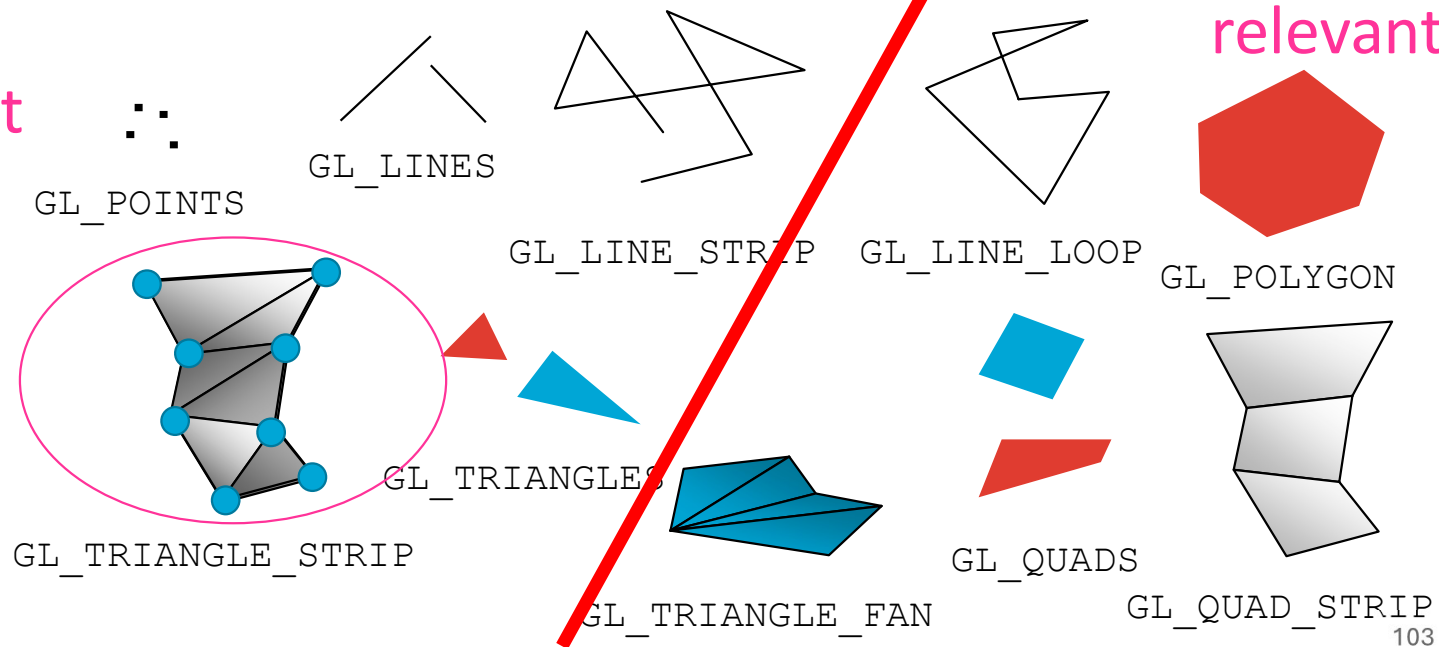


Primitives?


- Primitives are specified by vertices
(These are the traditional OpenGL primitives – some can be considered outdated)

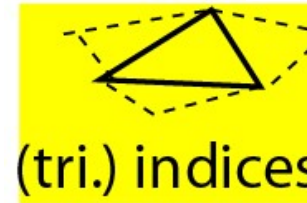
More
relevant

Less
relevant



Geometry Shader: Input

- Geometry shader interprets input as:
Points, lines, lines with adjacency, triangles or triangles with adjacency
- Default usage: **current triangle's vertices are accessible**
 - Works like for the indexed face set, with indices 0,1,2
- Per extension: triangles/lines + neighbors  (tri.) indices
(this requires special data formatting, just using strips does not work)

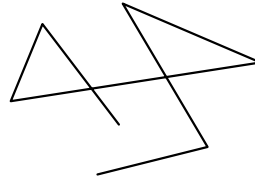


Geometry Shader: Output

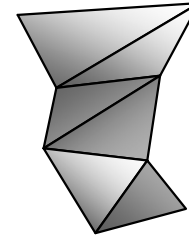
- Geometry shader supports **points**, **line_strip** and **triangle_strip** as output



GL_POINTS



GL_LINE_STRIP



GL_TRIANGLE_STRIP

Geometry Shader Example



```
#version 430

layout (triangles) in;
layout (triangle_strips, max_vertices=3) out;
in vec3 gColor[3];
out vec3 fColor;

void main(void){
    for (int i=0;i<3;++i) {
        gl_Position=gl_in[i].gl_position;
        fColor=gColor[i];
        EmitVertex();
    }
    EndPrimitive();
}
```


Geometry Shader Example



```
#version 430

layout (triangles) in;

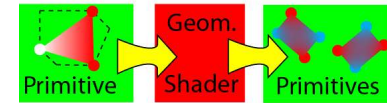
layout (triangle_strips, max_vertices=3) out;

in vec3 gColor[3];
out vec3 fColor;

void main(void){
    for (int i=0;i<3;++i) {
        gl_Position=gl_in[i].gl_position;
        fColor=gColor[i];
        EmitVertex();
    }
    EndPrimitive();
}
```

← Arrays coming from vertex shader containing the data of the current triangle

Geometry Shader Example



```
#version 430
```

```
layout (triangles) in;
```

```
layout (triangle_strips, max_vertices=3) out;
```

```
in vec3 gColor[3];
```

← Arrays coming from vertex shader containing the data of the current triangle

```
out vec3 fColor;
```

```
void main(void){
```

```
    for (int i=0;i<3;++i) {
```

```
        gl_Position=gl_in[i].gl_position;
```

← Use current primitive's data (position and color) and store them

```
        fColor=gColor[i];
```

```
        EmitVertex();
```

← Create a vertex

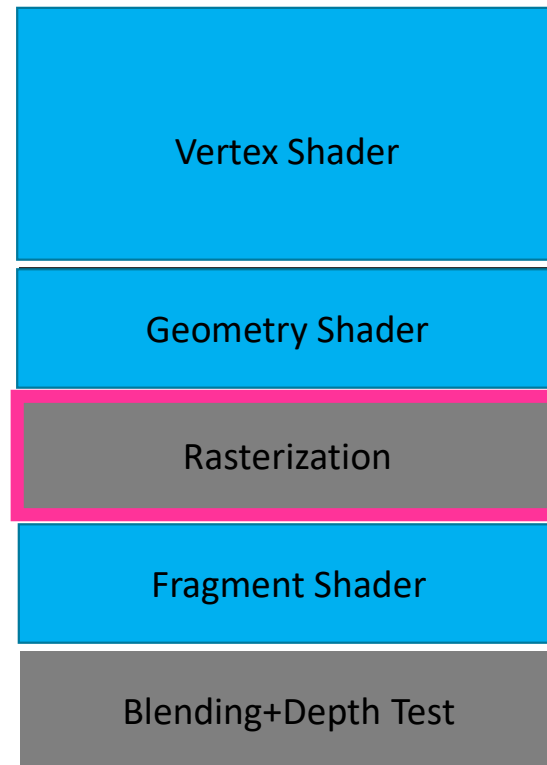
```
    }
```

```
    EndPrimitive();
```

← Build a primitive (here a triangle) out of the created vertices

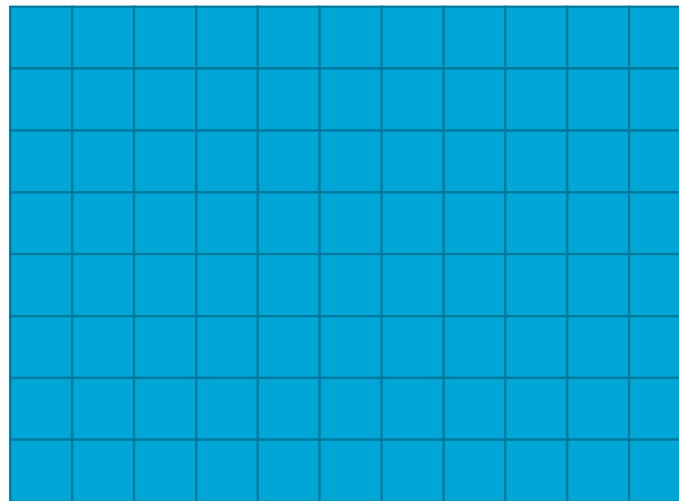
```
}
```

Today's Standard Graphics Pipeline



Rasterization

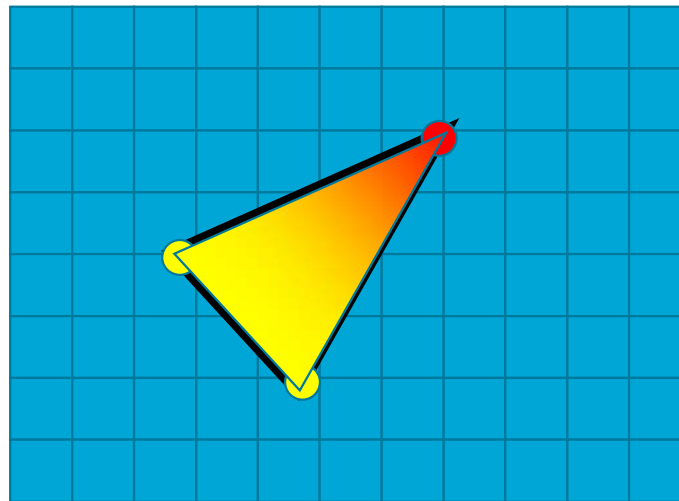
- Triangles into fragments (pixels+attributes)



- Fragment data determined by interpolation
- Values are extracted at pixel centers

Rasterization

- Triangles into fragments (pixels+attributes)



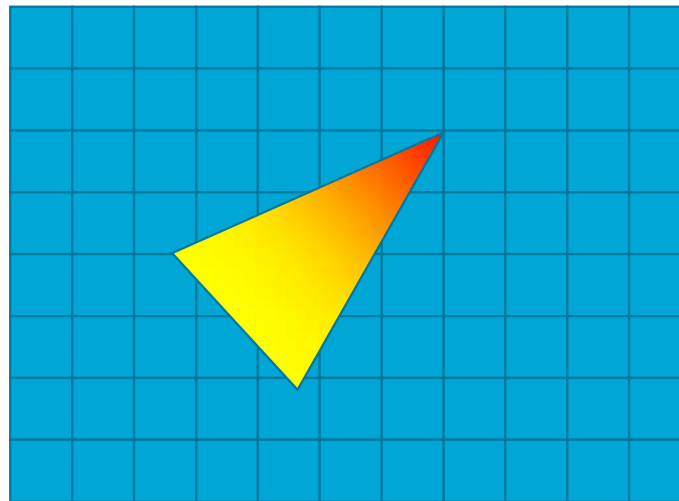
Two yellow,
one red vertex

Colors are
interpolated over
triangle

- Fragment data determined by interpolation
- Values are extracted at pixel centers

Rasterization

- Triangles into fragments (pixels+attributes)



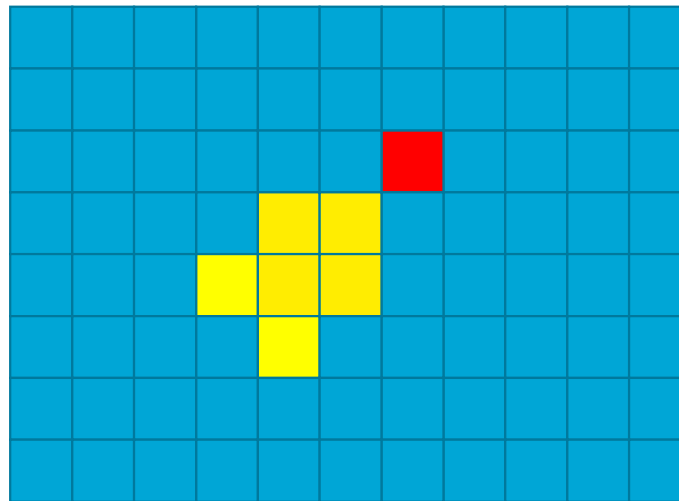
Two yellow,
one red vertex

Colors are
interpolated over
triangle

- Fragment data determined by interpolation
- Values are extracted at pixel centers

Rasterization

- Triangles into fragments (pixels+attributes)

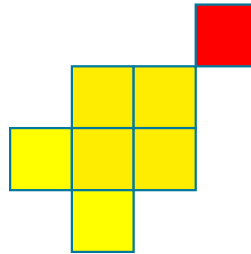


Colors sampled
at pixel centers

- Fragment data determined by interpolation
- Values are extracted at pixel centers

Rasterization

- Triangles into fragments (pixels+attributes)

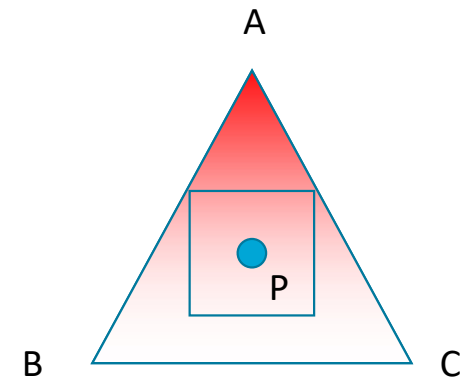


The input to
the fragment
shader

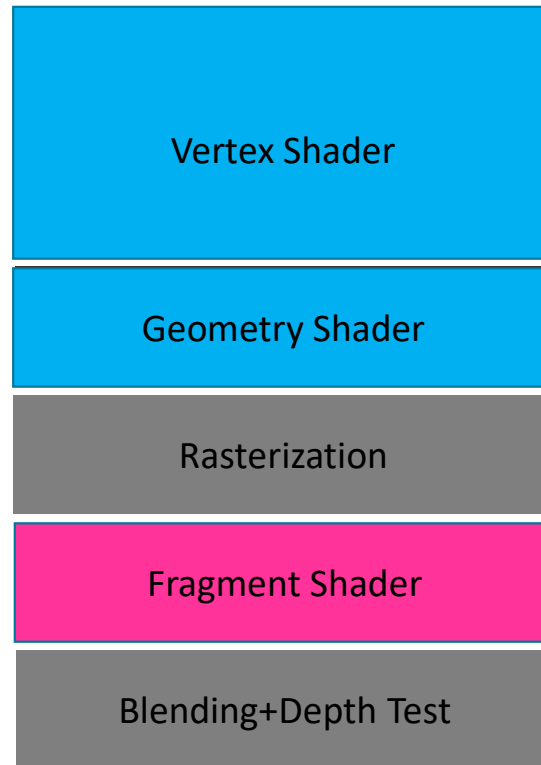
- Fragment data determined by interpolation
- Values are extracted at pixel centers

Example: Interpolation

- What are “interpolated” vertex attributes in each Fragment?
- Imagine $P = \frac{1}{3} A + \frac{1}{3} B + \frac{1}{3} C$
- If the colors at A, B, C are red (1,0,0), white (1,1,1), white (1,1,1) respectively
- The interpolated color at P would be:
 $(1, \frac{2}{3}, \frac{2}{3})$, which is pink

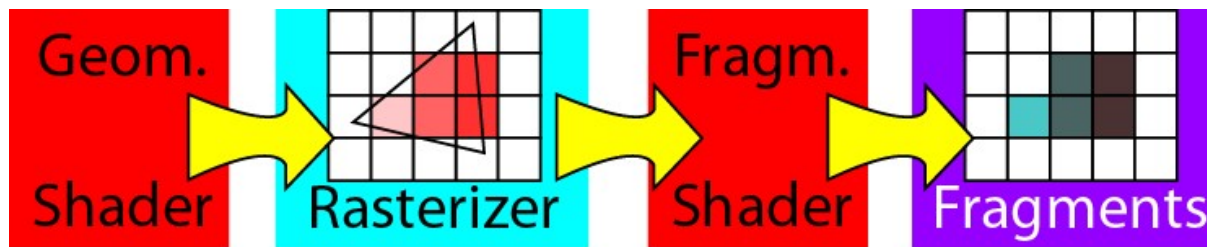


Today's Standard Graphics Pipeline



Fragment Shader

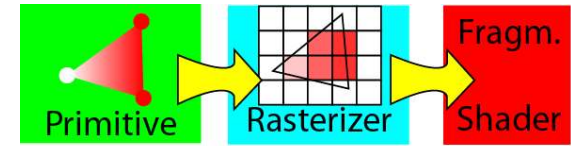
- Input: “Pixel” with interpolated vertex/attributes
- Output: New fragment for this position
 - Typically a new pixel color is computed



Fragment Shader

- Fragment = colors + depth at a pixel location
- Two fragments can fall in the same pixel (e.g., two overlapping triangles)
- Fragments **cannot** be moved in the Fragment shader, their location on the screen is fixed

Fragment Shader Example



Vertex values are interpolated!!!

```
#version 430
```

```
in vec3 fColor;
```



Interpolated attributes (was specified on primitive vertices in the geometry shader)

```
layout(location=0) out vec4 outColor;
```

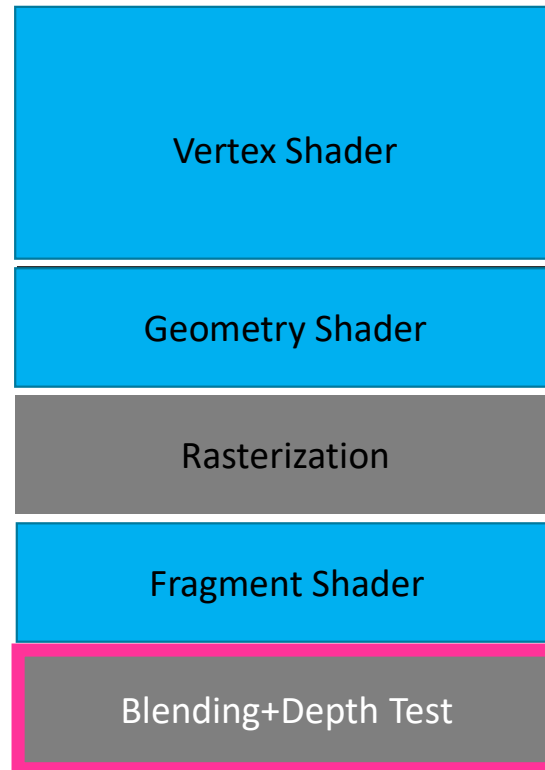
```
void main()
```

```
{
```

```
    outColor = vec4(fColor,1.0);
```

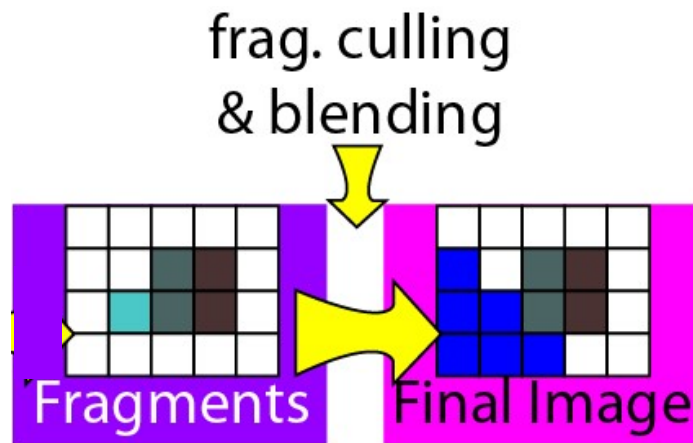
```
}
```

Today's Standard Graphics Pipeline



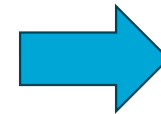
Blending Stage

- Blending stage cannot be programmed.
- It takes the produced fragment and combines it with the current image.



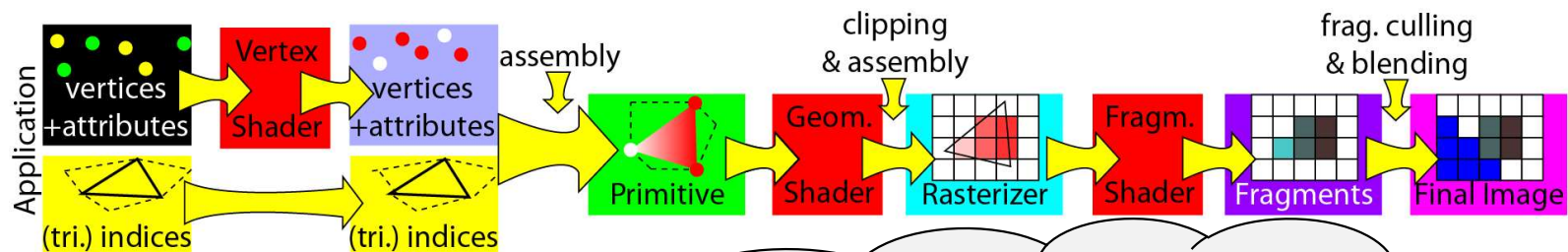
Blending Stage

- Typically two choices exist:
- Culling:
Do not produce an output
e.g., depth test failed or fragment is discarded in the code
- Blending:
Combine background and new fragment
e.g., sum current and incoming value
(there are a few operations to choose from)



To be continued...

Programmable Graphics Pipeline



Who taught that guy
how to visualize things?...

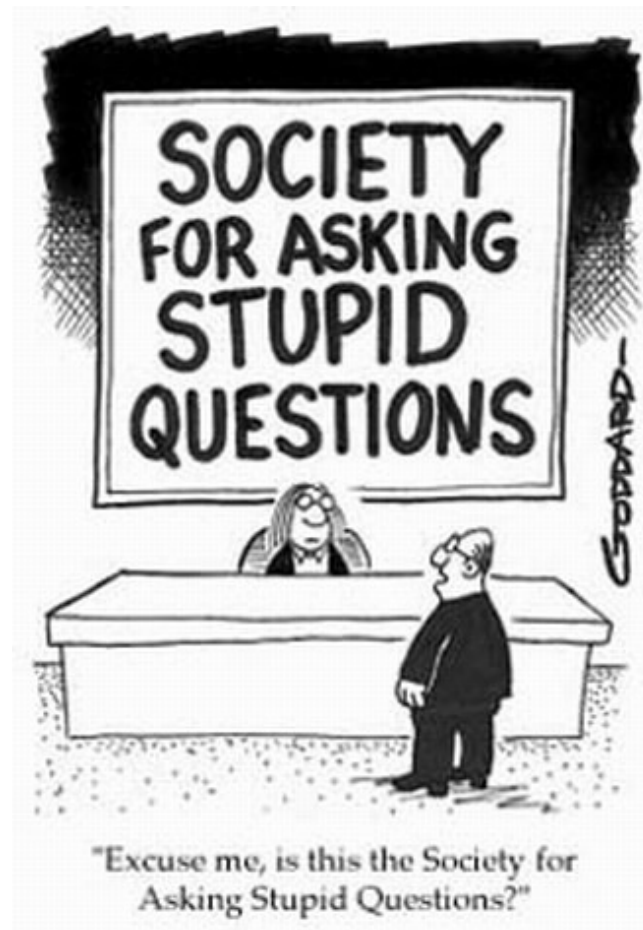




Cool stuff in the fragment shader!

- Similar means as in my demo:
- <https://www.shadertoy.com/view/3lyBDw>
- Using textures (a little outlook):
- <https://www.shadertoy.com/view/XcXXzS>
- <https://www.shadertoy.com/view/XltGRX>

Questions?





**Thank you very much
for your attention!**

