

Machine learning

Introduction to ML and Linear Regression

- The goals of AI is to create a machine which can mimic a human mind and to do that it needs learning capabilities, but also more; knowledge representation , logical reasoning and event thigs like abstract thinking.
- Machine learning on the other hand focus on writing software or algorithms that can learn from past experience.

- Arthur Samuel (1959). Machine Learning: Field of study that gives computers the ability to learn without being explicitly programmed.

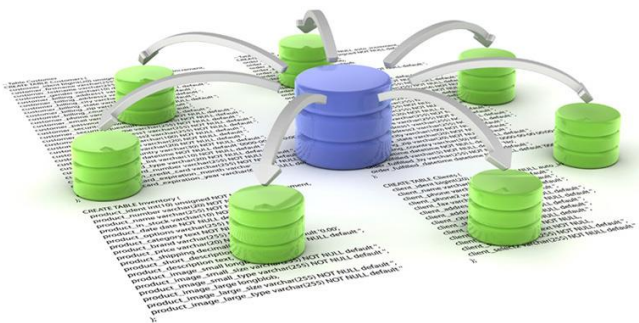
- Tom Mitchell (1998) definition “A computer program is said to learn from experience E with respect to some task T and some performance measure P , if its performance on T , as measured by P , improves with experience E ”.



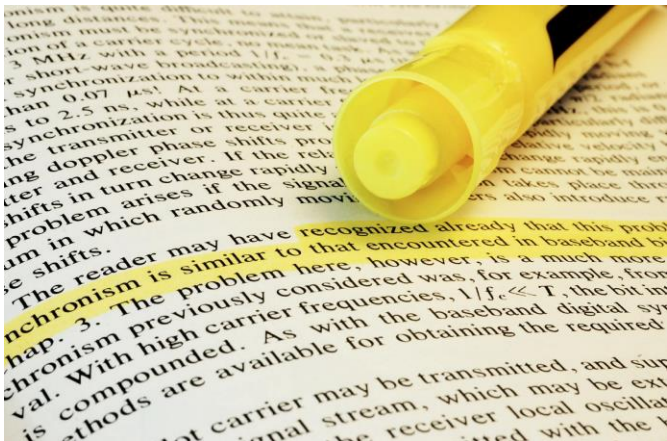
Outline

- Introduction.
- Machine learning paradigms.
 - Supervised learning
 - Unsupervised learning
 - Reinforcement learning
- Linear regression.
- Gradient decent.

Applications of machine learning

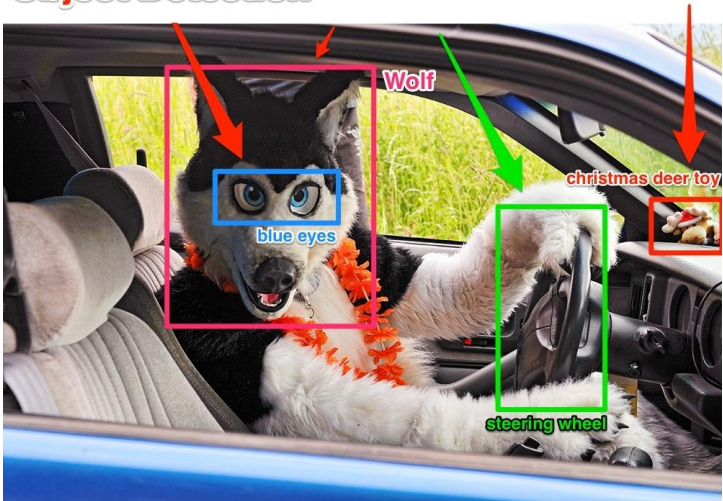


Database mining



Text analysis

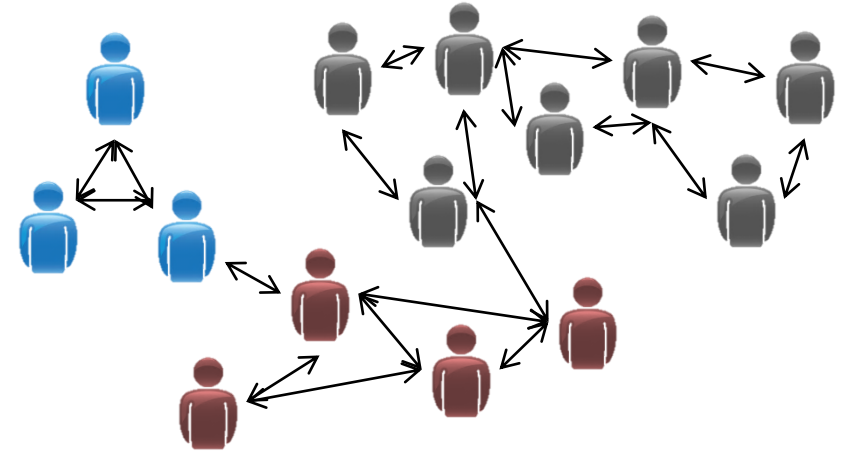
Object Detection



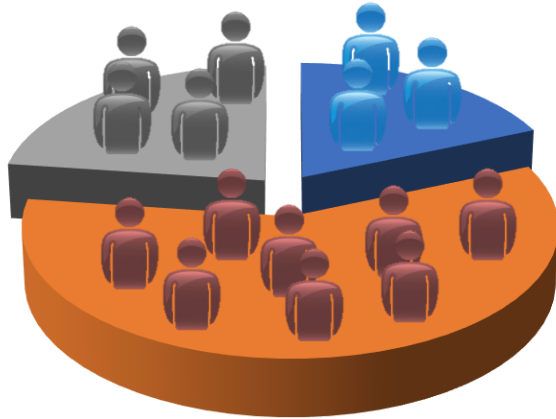
Speech Recognition



Astronomical data analysis



Social network analysis



Market segmentation



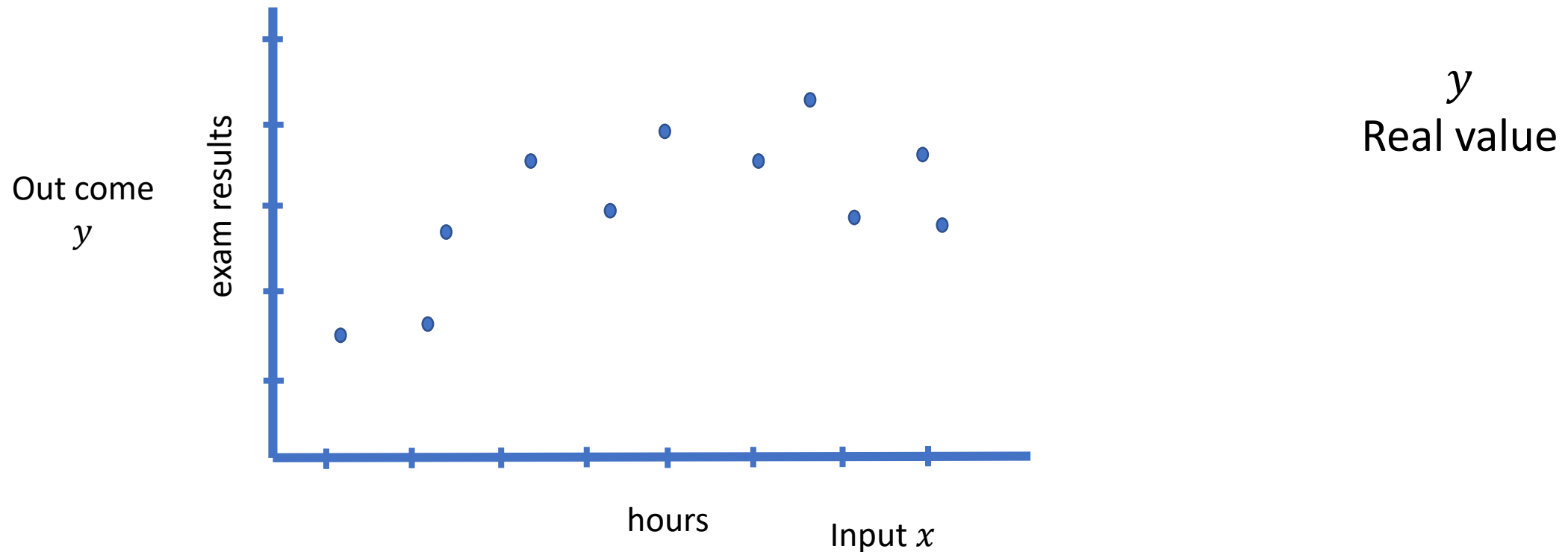
Genome classification

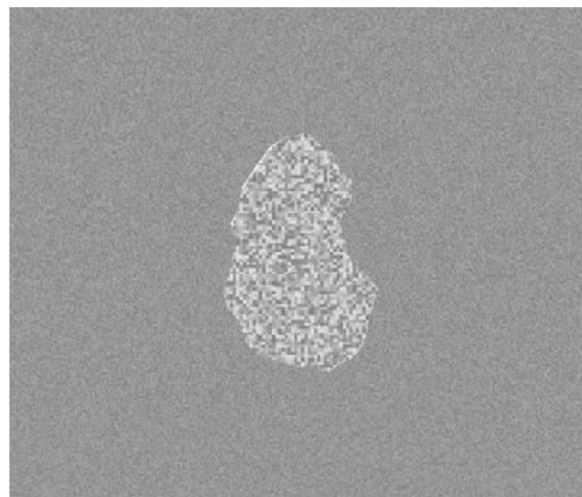
Machine learning algorithms

- Supervised learning
- Unsupervised learning
- Reinforcement learning

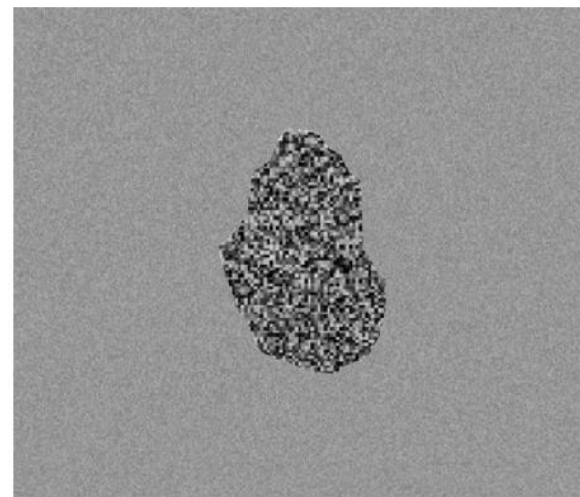
Supervised learning

- Supervised learning is the machine learning task of inferring a function from labelled training data.
- Predicting exam results

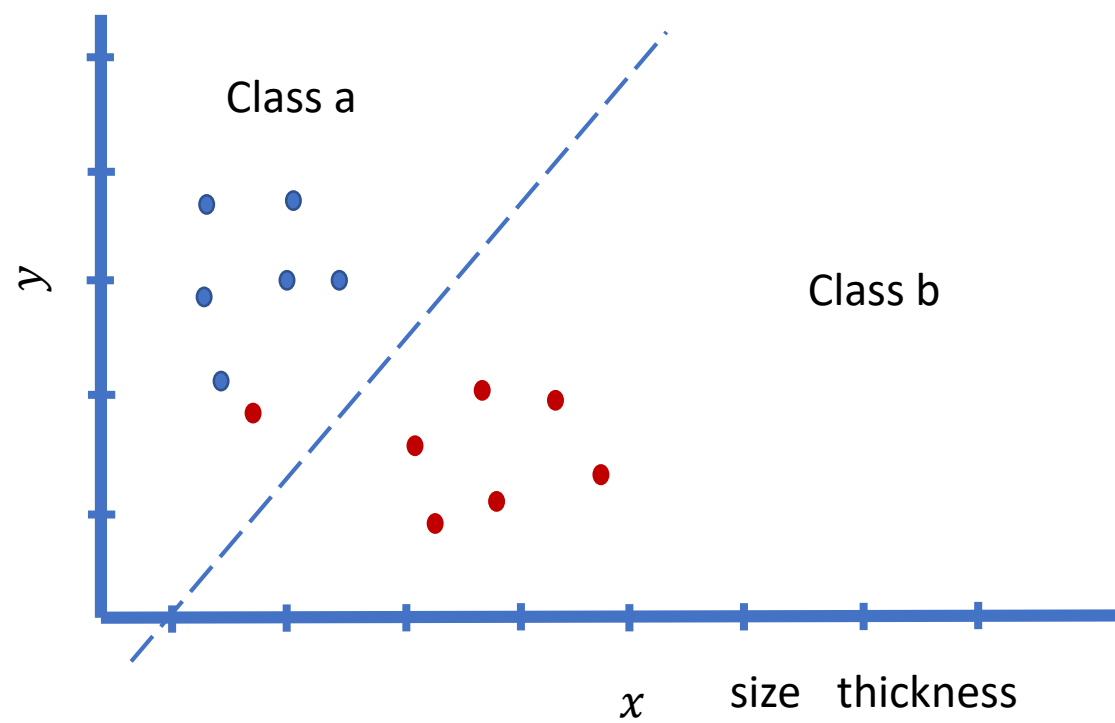




(a)



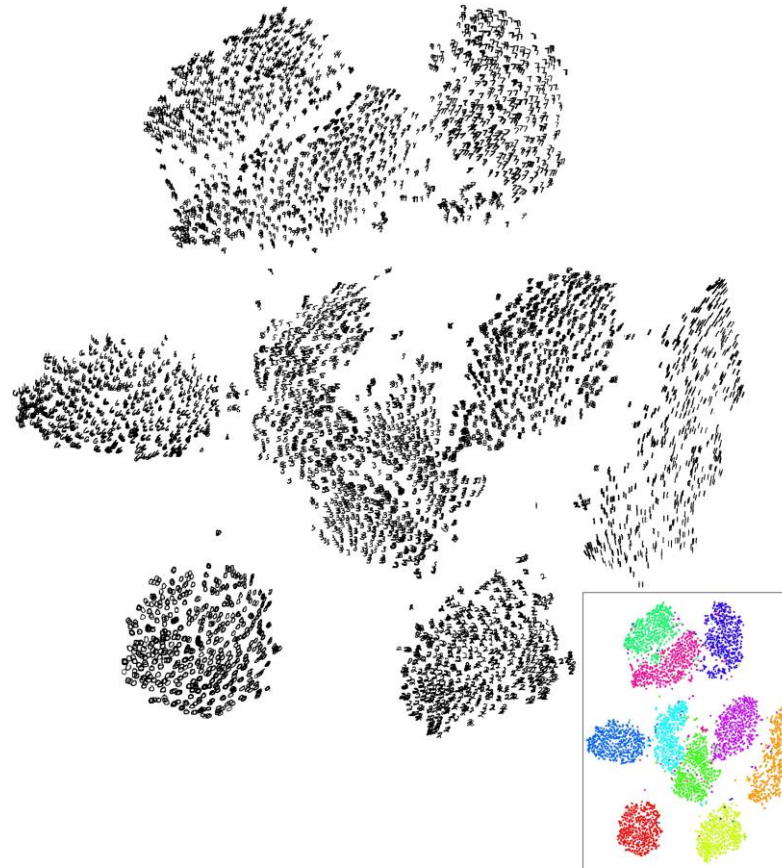
(b)



y
 $\{0,1\}$
Binary value

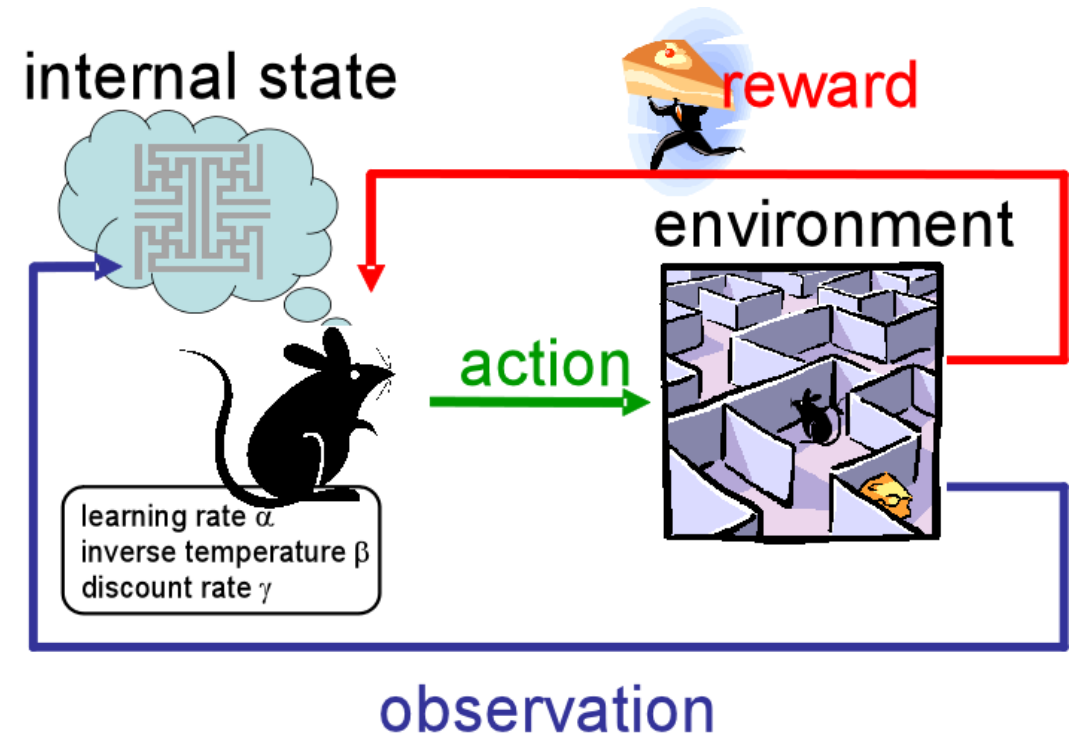
Unsupervised learning

- Unsupervised learning is the machine learning task of inferring a function to describe hidden structure from "unlabelled" data.



Reinforcement learning

- Is an area of machine learning inspired by behaviourist psychology, concerned with how software agents ought to take actions in an environment so as to maximize some notion of cumulative reward.



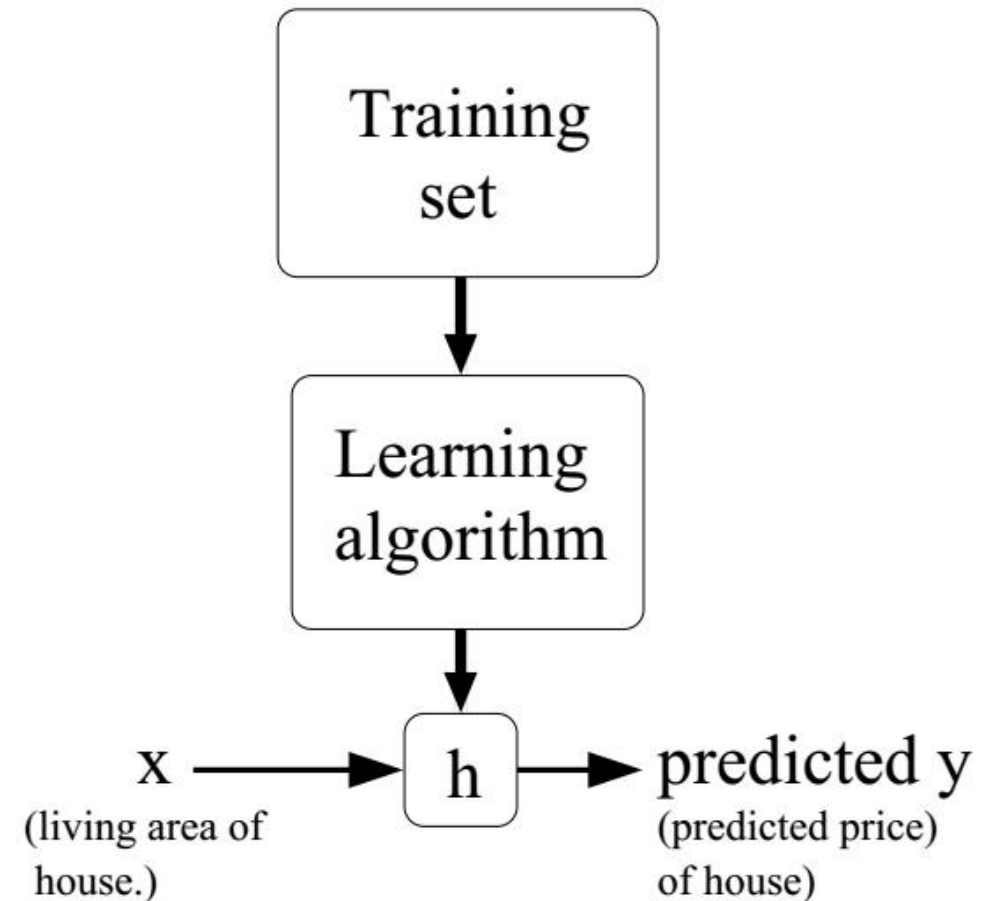
Machine learning basic terminology

X s variables \equiv features

θ s \equiv model parameter, the constant we are learning them

$h_{\theta}(x)$ model \equiv hypothesis

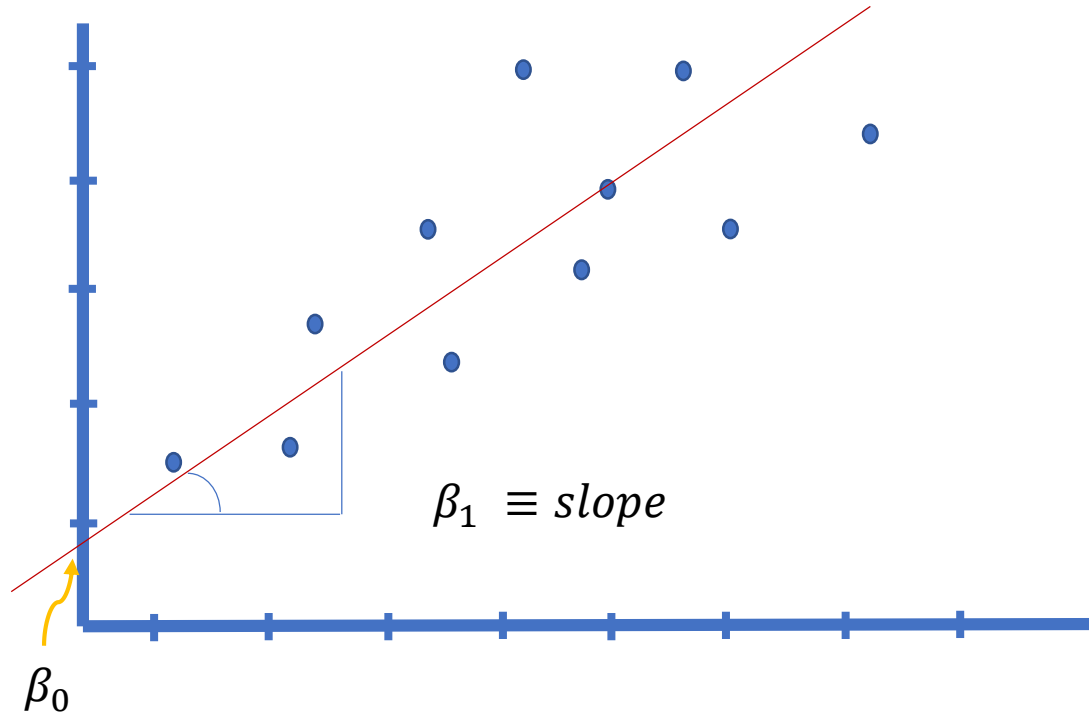
Cost function $J(\theta)$ \equiv the evaluation criteria



Linear Regression

- The simplest version of regression is when x_i is simple (one-dimensional) and $h(x)$ is assumed to be linear.

$$h(x) = \beta_0 + \beta_1 x$$



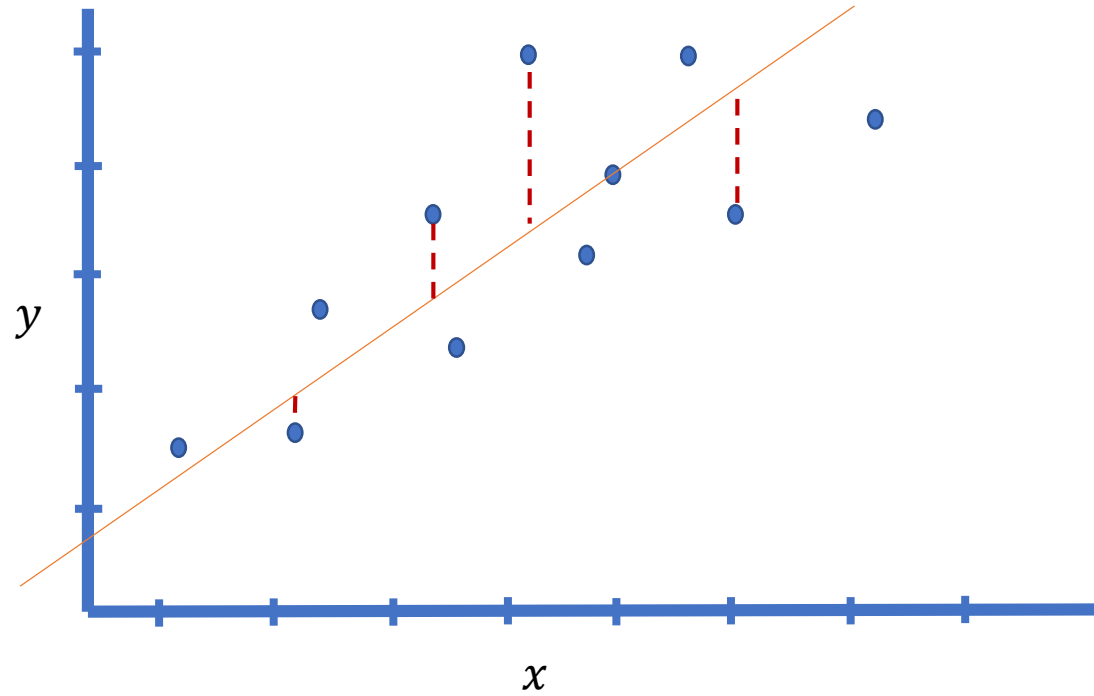
$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

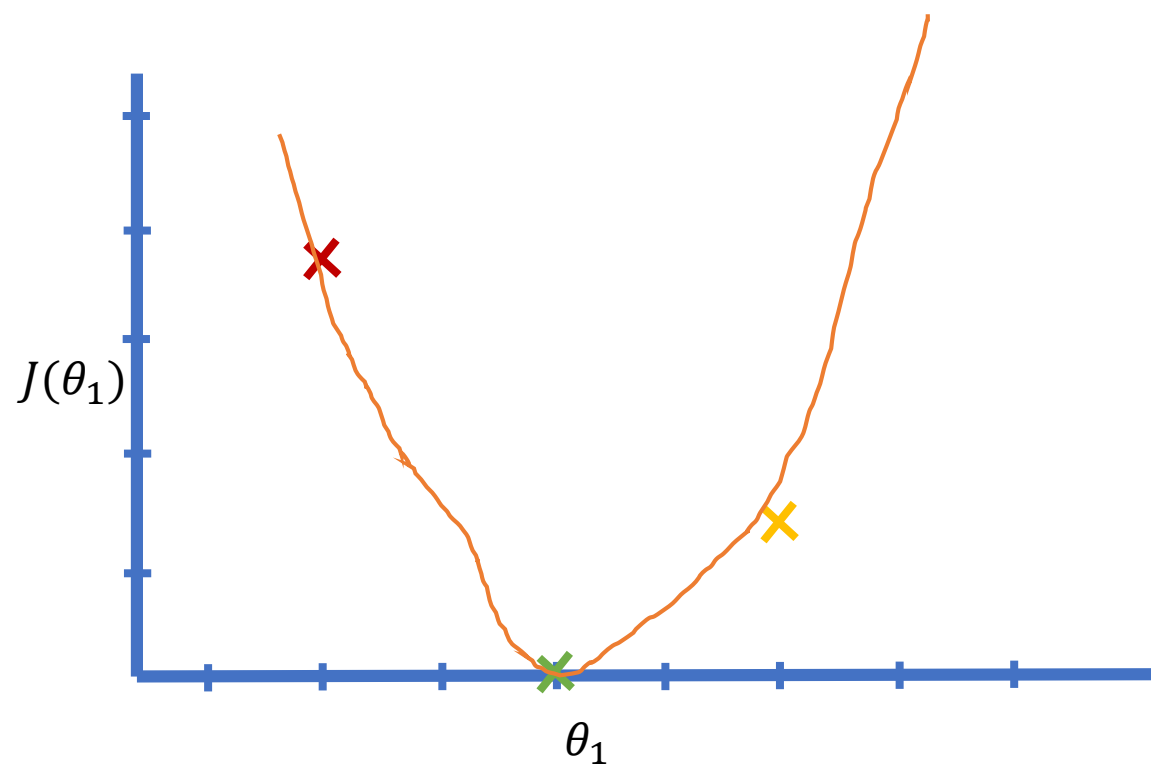
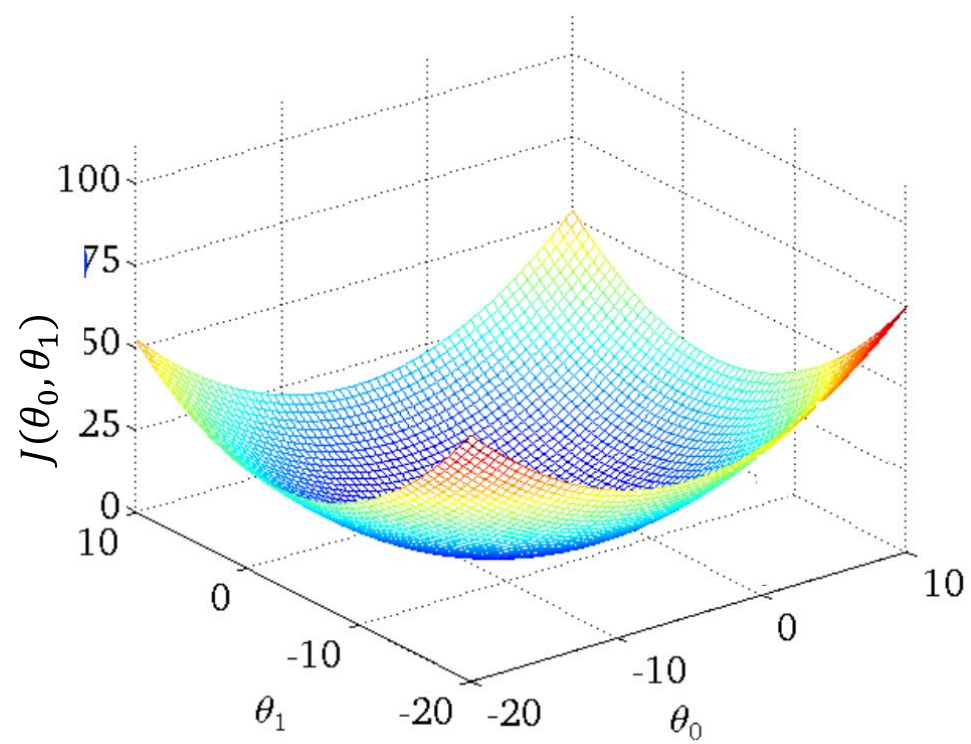
Cost function:

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x_i) - y_i)^2$$

Goal:

$$\text{Min}_{\theta_0, \theta_1}: J(\theta_0, \theta_1)$$





Summary

Hypothesis: $h_{\theta}(x) = \theta_0 + \theta_1 x$

Parameters: θ_0, θ_1

Cost function: $J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x_i) - y_i)^2$

Goal: $\text{Min}_{\theta_0, \theta_1} J(\theta_0, \theta_1)$

Gradient decent

- We have

We have a function $J(\theta_0, \theta_1)$

We want $\text{Min}_{\theta_0, \theta_1} J(\theta_0, \theta_1)$

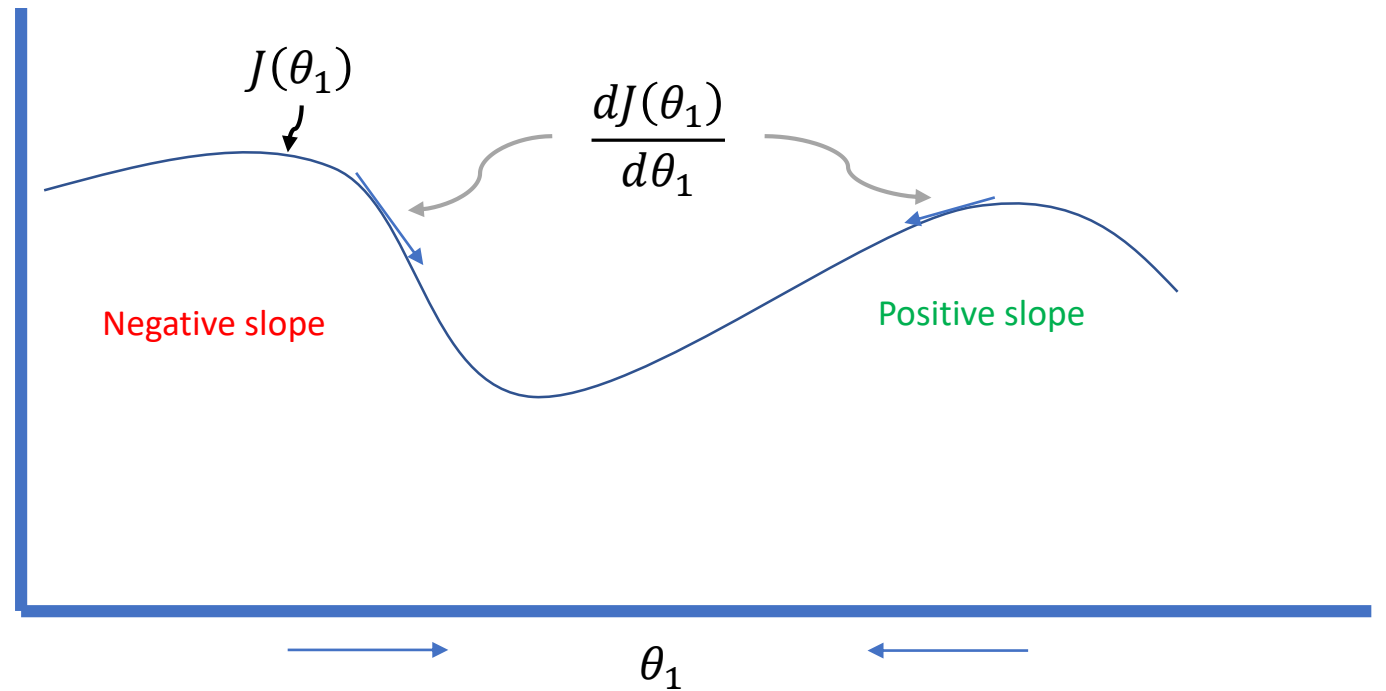
- Outline:
 - Start with initial θ_0, θ_1
 - Keep changing θ_0, θ_1 to reduce $J(\theta_0, \theta_1)$

Recall form calculus

$$\theta_i := \theta_i - \alpha \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_i}$$

(for $i = 1, 0$)

As we approach a local minimum, gradient descent will automatically take smaller steps. So, no need to decrease α over time.



Gradient descent algorithm

repeat until convergence {
 $\theta_i := \theta_i - \alpha \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_i}$
 (for $i = 1, 0$)
}

$$\frac{\partial J(\theta_0, \theta_1)}{\partial \theta_i} =$$

$$i = 0 : \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_i} =$$

$$i = 1 : \frac{\partial J(\theta_0, \theta_1)}{\partial \theta_i} =$$

Linear Regression Model

$$h_{\theta}(x) = \theta_0 + \theta_1 x$$

$$J(\theta_0, \theta_1) = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x_i) - y_i)^2$$

repeat until convergence {

$$\theta_0 := \theta_0 - \alpha \frac{1}{2m} \sum_{i=1}^m ((\theta_0 + \theta_1 x) - y_i)$$

$$\theta_1 := \theta_1 - \alpha \frac{1}{2m} \sum_{i=1}^m ((\theta_0 + \theta_1 x) - y_i) x_i$$

}

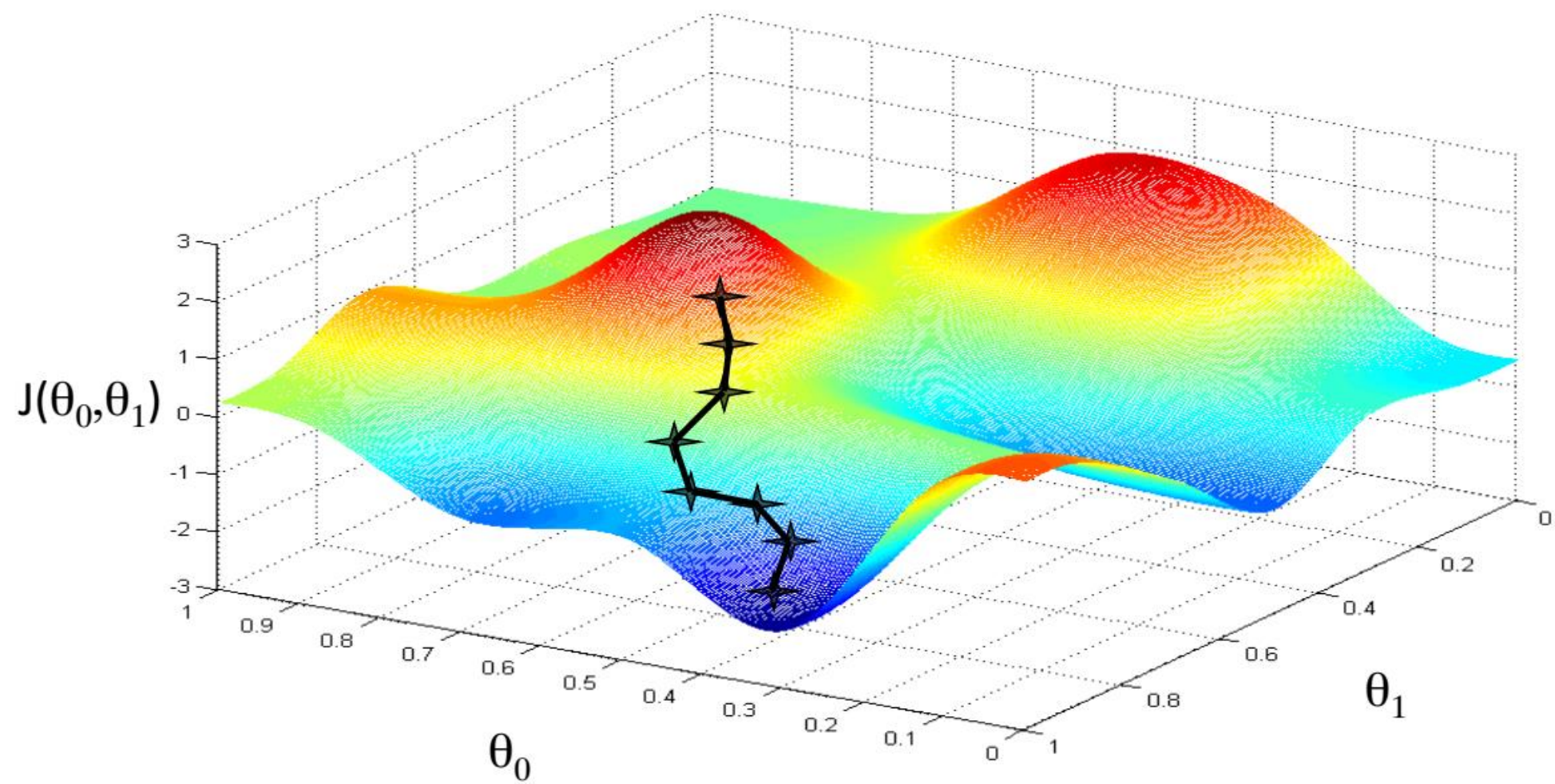
*Update θ_0, θ_1
simultaneously*

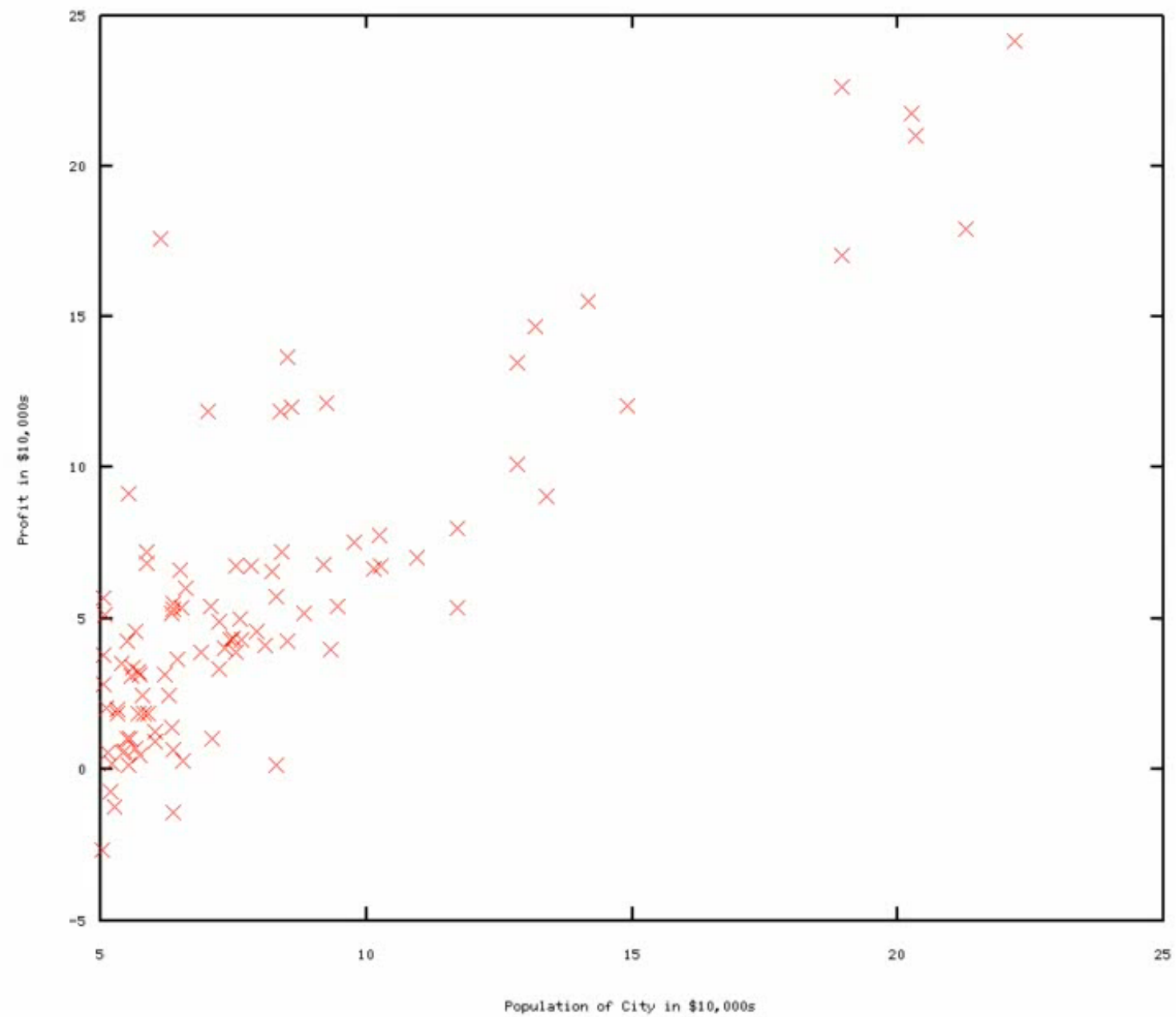


If α is too small, gradient descent can be slow.

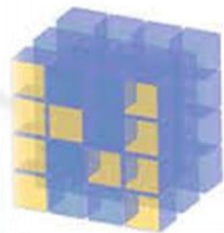


If α is too large, gradient descent can overshoot the minimum. It may fail to converge, or even diverge.





1,78538, 12,1441



NumPy



Pandas



matplotlib