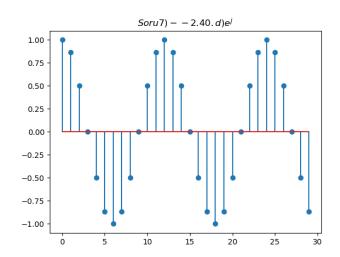
ELM 367 Ödev1 BİL - Ömer Konan 171024085

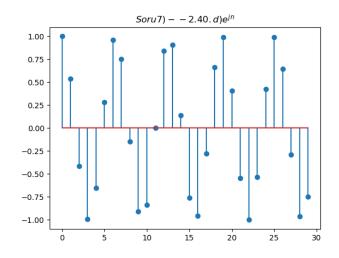
Soru 7-2.7.a)

```
In [27]: import math
   import matplotlib.pyplot as plt
   import numpy as np
   # Jupyter Notebook'ta şekillerin görünmesini sağlamak için gerekli:
   %matplotlib notebook

#2.7 a için çizim
   pi = np.pi
   angle_a = n*math.pi/6
   n_a = np.arange(0,30)
   x_a = np.exp(1j*angle_a)
   plt.stem(n_a, x_a, use_line_collection=True)
   plt.title('$Soru7)--2.7.a) e^{{j(ni*n/6)}$')
   plt.show()
```



Soru7-2.40.d)

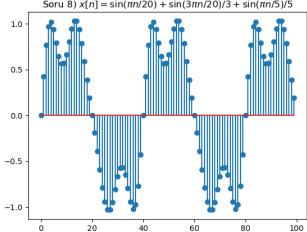


Soru 8)

```
In [29]: import numpy as np import math
                import matplotlib.pyplot as plt
                # Jupyter Notebook'ta şekillerin görünmesini sağlamak için gerekli:
%matplotlib notebook
               pi = np.pi
n_ = np.arange(0,99)
x = (np.sin(pi*n/20)) \
+ (np.sin(3*pi*n/20)/3) \
+ (np.sin(pi*n/5)/5)
               plt.figure() plt.stem(n,x, use line collection=True) plt.title("Soru 8) x[\bar{n}] = \sin(\pi/20) + \sin(3 \pi/20)/3 + \sin(\pi/5)/5") plt.show()
                                                                                                                                          ტ
```

Soru 8) $x[n] = \sin(\pi n/20) + \sin(3\pi n/20)/3 + \sin(\pi n/5)/5$

Figure 1



Soru 9

```
In [110]: import math
    import numpy as np
    import matplotlib.pyplot as plt
                                       pi = np.pi
                                     x1 = (2 + 3j) / (4 - 5j)

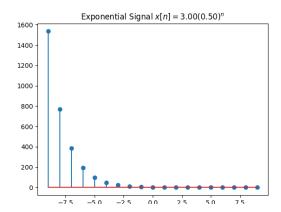
x2 = (2 + 3j) + (4 - 5j)

x3 = (2 + 3j) * (4 - 5j)

x4 = (2 + 3j) * (np.exp(1j*0.75*pi))

x5 = (2 + 3j) + (np.exp(1j*1.25*pi))
                                       print(x1)
                                       print(x2)
                                       print(x3)
                                       print(x4)
                                       print(x5)
                                       (-0.17073170731707318+0.5365853658536587j)
                                       (6-2j)
(23+2j)
                                        (-3.5355339059327378-0.7071067811865472i)
                                        (1.2928932188134523+2.2928932188134525j)
     In [111]: p1 = np.angle(x1)
p2 = np.angle(x2)
p3 = np.angle(x3)
p4 = np.angle(x4)
p5 = np.angle(x5)
                                     print(p1, p2, p3, p4, p5)
                                       1.8788491078186729 \; -0.3217505543966422 \; 0.08673833867598511 \; -2.9441970937399127 \; 1.057366922568183 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.9441970937399127 \; -2.94419709379917 \; -2.94419709379917 \; -2.94419709379917 \; -2.94419709379917 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.9441970977 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.9441970977 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.9441970979 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.944197097 \; -2.94419709 \; -2.94419709 \; -2.94419709 \; -2.94419709 \; -2.94419709 \;
     In [112]: r1 = np.abs(x1)
    r2 = np.abs(x2)
    r3 = np.abs(x3)
    r4 = np.abs(x4)
    r5 = np.abs(x5)
    print(r1, r2, r3, r4, r5)
                                     0.5630925063714731 6.324555320336759 23.08679276123039 3.605551275463989 2.6322864943114617
print(x6)
                                 print(x7)
print(x8)
                                 print(x9)
print(x10)
                                  (-0.18965517241379312+0.27586206896551724j)
                                  (29+11i)
                                   (4.292893218813452+3.7071067811865475j)
                                 (3.292893218813452+4.292893218813452j)
print(p1, p2, p3, p4, p5)
                                 1.8788491078186729 -0.3217505543966422 0.08673833867598511 -2.9441970937399127 1.057366922568183
0.5630925063714731 6.324555320336759 23.08679276123039 3.605551275463989 2.6322864943114617
```

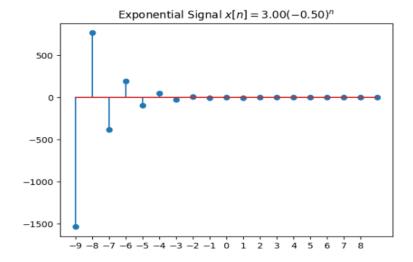
Soru 10 -a)



Soru 10-b)

```
In [16]: # her n değeri için x[n]'i hesapla
for k in range(len(n)):
    x[k] = A * (alpha_b**n[k])

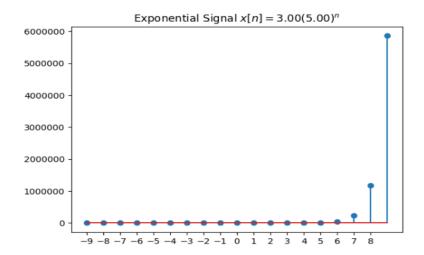
# B seçeneğinin çizdirilmesi
plt.figure()
plt.stem(n,x, use_line_collection=True)
plt.xticks(np.arange(n[0],n[-1],1))
plt.title('Exponential Signal $x[n]=%4.2f (%4.2f)^n$' %(A, alpha_b))
```



Soru 10 -c)

```
In [17]: # her n değeri için x[n]'i hesapla
for k in range(len(n)):
    x[k] = A * (alpha_c**n[k])

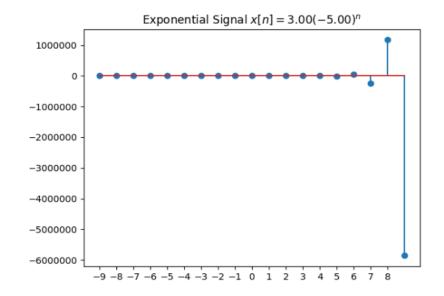
plt.figure()
# C seçeneğinin çizdirilmesi
plt.stem(n,x, use_line_collection=True)
plt.xticks(np.arange(n[0],n[-1],1))
plt.title('Exponential Signal $x[n]=%4.2f (%4.2f)^n$' %(A, alpha_c))
```



Soru 10-d)

```
In [18]: # her n değeri için x[n]'i hesapla
for k in range(len(n)):
    x[k] = A * (alpha_d**n[k])

# D seçeneğinin çizdirilmesi
plt.figure()
plt.stem(n,x, use_line_collection=True)
plt.xticks(np.arange(n[0],n[-1],1))
plt.title('Exponential Signal $x[n]=%4.2f (%4.2f)^n$' %(A, alpha_d))
```



Soru 11-a)

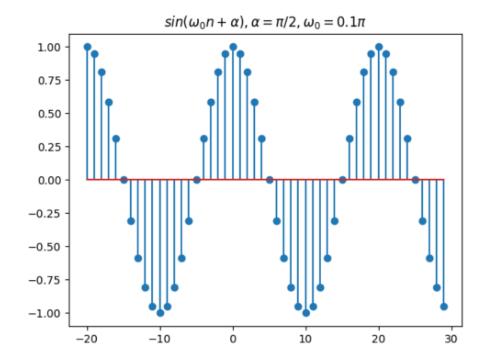
```
# Jupyter Notebook'ta şekillerin görünmesini sağlamak için gerekli:
%matplotlib notebook

alpha = math.pi/2

In [3]:

n_a = np.arange(-20,30,1)
x_a = np.zeros(len(n_a)) # a şıkkı için hafıza x'e n adedince yer ayrıl
wo_a = 0.1*math.pi # a şıkkı için wo değeri

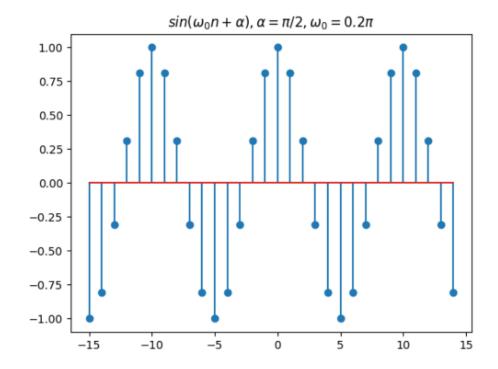
for k in range(len(n_a)):
    x_a[k] = math.sin(wo_a*n_a[k] + alpha)
    #A seçeneğinin çizdirilmesi
plt.figure()
plt.stem(n_a,x_a, use_line_collection=True)
plt.title("$sin(\omega_0n+\\alpha),\\alpha= \pi/2, \omega_0 = 0.1\pi$"
plt.show()
```



Soru 11-b)

```
In [4]: n_b = np.arange(-15,15,1)
x_b = np.zeros(len(n_b)) # b şıkkı için hafıza x'e n adedince yer ayrıl
wo_b = 0.2*math.pi # b şıkkı için wo değeri

for k in range(len(n_b)):
    x_b[k] = math.sin(wo_b*n_b[k] + alpha)
#B seçeneğinin çizdirilmesi
plt.figure()
plt.stem(n_b,x_b, use_line_collection=True)
plt.title("$sin(\omega_0n+\\alpha),\\alpha = \pi/2, \omega_0 = 0.2\pi$"
plt.show()
```

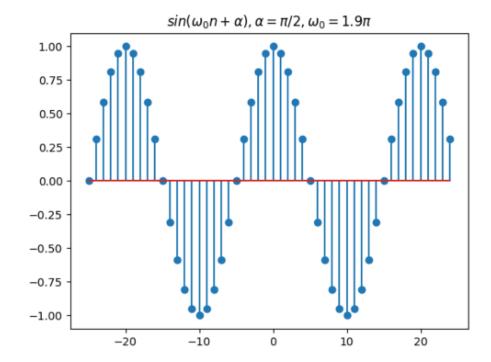


Soru 11-c)

```
In [5]: n_c = np.arange(-25,25,1)
x_c = np.zeros(len(n_c)) # c şıkkı için hafıza x'e n adedince yer ayrıl
wo_c = 1.9*math.pi # c şıkkı için wo değeri

for k in range(len(n_c)):
    x_c[k] = math.sin(wo_c*n_c[k] + alpha)

#C seçeneğinin çizdirilmesi
plt.figure()
plt.stem(n_c,x_c, use_line_collection=True)
plt.title("$sin(\omega_0n+\\alpha),\\alpha = \pi/2, \omega_0 = 1.9\pi$"
plt.show()
```

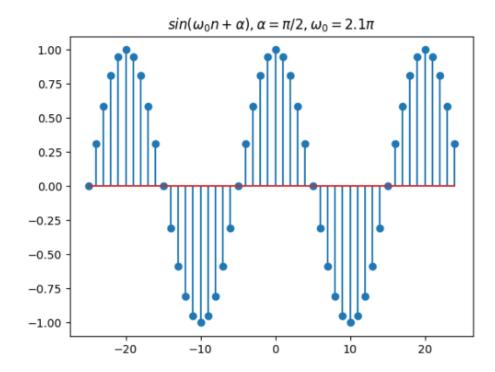


Soru 11 -d)

```
In [6]: n_d = np.arange(-25,25,1)
    x_d = np.zeros(len(n_d)) # d şıkkı için hafıza x'e n adedince yer ayrıl
    wo_d = 2.1*math.pi # d şıkkı için wo değeri

for k in range(len(n_d)):
        x_d[k] = math.sin(wo_d*n_d[k] + alpha)

#D seçeneğinin çizdirilmesi
    plt.figure()
    plt.stem(n_d,x_d, use_line_collection=True)
    plt.title("$sin(\omega_0n+\\alpha),\\alpha = \pi/2, \omega_0 = 2.1\pi$"
    plt.show()
```



Soru 11-e)

```
In [7]: n_e = np.arange(-25,25,1)
    x_e = np.zeros(len(n_e)) # d sikki için hafiza x'e n adedince yer ayrıl
    wo_e = 4.1*math.pi # d sikki için wo değeri

    for k in range(len(n_e)):
        x_e[k] = math.sin(wo_e*n_e[k] + alpha)

#E seçeneğinin çizdirilmesi
    plt.figure()
    plt.stem(n_e,x_e, use_line_collection=True)
    plt.title("$sin(\omega_0n+\\alpha),\\alpha| = \pi/2, \omega_0 = 4.1\pi$"
    plt.show()
```

