# IE425 Data Mining Homework 3



01.06.2023

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# **Initial Codes to Modify the Data**

```
library(readxl)
library(data.table)
library(ggplot2)
library(cluster)
library(dplyr)
data = read_excel("EastWestAirlines.xlsx") #reading the data
data = data[c(-1)] # removing ID variable from the data
setDT(data) # converting categorical miles data into numerical data based on
given ranges and their mean values
data$cc1_miles = ifelse(data$cc1_miles==1,2500,
                        ifelse(data$cc1_miles==2,7500,
                                ifelse(data$cc1_miles==3,17500,
                                       ifelse(data$cc1_miles==4,32500,
                                              ifelse(data$cc1 miles==5,50000,0)
))))
data$cc2 miles = ifelse(data$cc2 miles==1,2500,
                        ifelse(data$cc2_miles==2,7500,
                                ifelse(data$cc2_miles==3,17500,
                                       ifelse(data$cc2 miles==4,32500,
                                              ifelse(data$cc2 miles==5,50000,0)
))))
data$cc3_miles = ifelse(data$cc3_miles==1,2500,
                        ifelse(data$cc3_miles==2,7500,
                                ifelse(data$cc3_miles==3,17500,
                                       ifelse(data$cc3 miles==4,32500,
                                              ifelse(data$cc3_miles==5,50000,0)
))))
summary(data) # checking if there is any problem
data_sc <- (scale(data)) # scaling the data</pre>
summary(data_sc) # checking if there is any problem
dist mat <- dist(data sc, method = 'euclidean') # distance matrix</pre>
```

### **PART A**

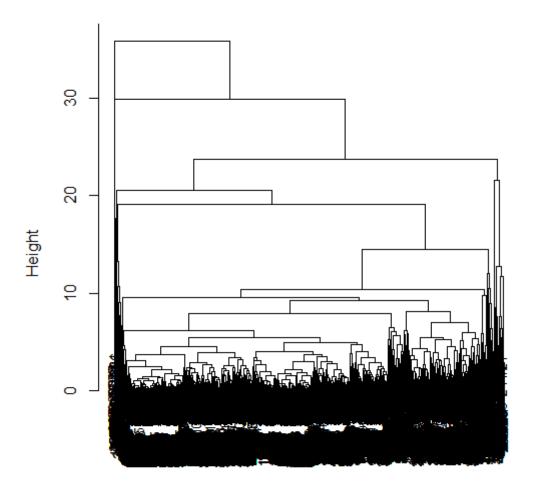
**Question:** Apply hierarchical clustering with Euclidean distance and complete linkage. How many clusters appear to be appropriate? Use silhoutte index.

## Code:

```
hc_complete=hclust(dist_mat, method="complete") # Hierarchical Clustering with
plot(hc_complete,main="Complete Linkage", xlab="", cex=.9) #Euclidean distance
and complete linkage
# finding the best k values based on silhoutte index
silhout=c()
for (k in 2:8){
  clust=cutree(hc_complete,k=k)
  X_sil=silhouette(clust, dist_mat)
  silhout[k-1]=mean(X_sil[,3])
data.frame(k=2:8,silhout) # making it a dataframe
Best k = which.max(silhout) + 1 # obtaining the best k value
cat("Appropriate # of clusters:", Best_k)
# Clusters:
best_set = cutree(hc_complete,k=Best_k)
best_set = table(best_set)
best set
```

# **Output:**

# **Complete Linkage**



hclust (\*, "complete")

**Comment:** According to the silhouette index, 2 clusters appear to be appropriate. At k=2 the index takes the maximum value which is 0.8383266.

### **PART B**

**Question:** Compare the cluster centroids to characterize the different clusters and try to give each cluster a label.

## Code:

# **Output:**

```
[,2]
                                   [,1]
Cluster
                                   1.00
Observations_in_this_cluster 3997.00
                               73584.78 106673.0
Balance
Qual_miles
                                           694.0
                                 143.84
cc1_miles
                                         17500.0
                                         2500.0
cc2_miles
                               2591.32
                              2623.22
17115.23
                                          2500.0
cc3_miles
Bonus_miles
                                         76325.0
Bonus_trans
                                  11.57
                                 447.05
Flight_miles_12mo
                                   1.35
Flight_trans_12
Days_since_enroll
                                4119.32
                                          2602.0
                                   0.37
Award
```

**Comment:** According to our output, customers in the  $2^{nd}$  cluster use airlines more frequently than the  $1^{st}$  cluster. Thus:

1<sup>st</sup> cluster: Irregular Customers

2<sup>nd</sup> cluster: Premium Customers

### **PART C**

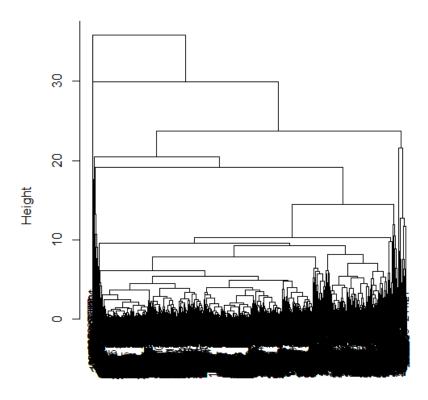
**Question:** To check the stability of the clusters, remove a random 5% of the data (by taking a random sample of 95% of the records, namely 200 records), and repeat the analysis. Does the same picture emerge? Use 425 as the seed.

## Code:

```
# removing 5% of the data randomly
set.seed(425)
rem_indices <- sample(1:nrow(data), 200) #since 200 is the 5% of the data</pre>
data_c <- data[-rem_indices,]</pre>
summary(data_c)
# scaling the data
data_scaled_c <- (scale(data_c))</pre>
summary(data_scaled_c)
# distance matrix
dist_matrix_c <- dist(data_scaled_c, method = 'euclidean')</pre>
# Hierarchical Clustering with Euclidean distance and complete linkage for
part c
hc_complete_c=hclust(dist_matrix_c, method="complete")
plot(hc_complete,main="Complete Linkage", xlab="", cex=.8)
silhoutc=c()
for (k in 2:8){
  clustc = cutree(hc complete c,k=k)
  Sil = silhouette(clustc, dist matrix c)
  silhoutc[k-1] = mean(Sil[,3])
data.frame(k=2:8,silhoutc)
#finding the best k
best k = which.max(silhoutc) + 1
cat("Suitable number of clusters for part c:", best_k)
#obtaining the table for the best clustering set
best clust set = cutree(hc complete c,k=best k)
best_clust_set = table(best_clust_set)
best clust set
hc_cluster_c = cutree(hc_complete_c,k=best_k) #Finding the mean of all the
```

# **Output:**

# **Complete Linkage**



# Centroids of the new clusters:

## and the previous ones:

	[,1]	[,2]	[,1]	[,2]
Cluster	1.00	2.00	1.00	2.0
Observations_in_this_cluster	3795.00	4.00	3997.00	2.0
Balance	73612.02	131999.50	73584.78	106673.0
Qual_miles	144.23	347.00	143.84	694.0
cc1_miles	12565.88	17500.00	12511.26	17500.0
cc2_miles	2588.27	2500.00	2591.32	2500.0
cc3_miles	2617.26	2500.00	2623.22	2500.0
Bonus_miles	17103.51	65634.25	17115.23	76325.0
Bonus_trans	11.53	69.25	11.57	75.5
Flight_miles_12mo	437.92	19960.00	447.05	26458.5
Flight_trans_12	1.31	49.25	1.35	49.0
Days_since_enroll	4122.56	2200.25	4119.32	2602.0
Award	0.37	1.00	0.37	1.0

**Comment:** In this question, 5% of the data is randomly deleted to obtain new clusters. The results for these new clusters are given above.

When these two different clustering results are compared, we can see that the new one is almost the same as the previous one. As in previous clusters, the 1<sup>st</sup> cluster continues to represent "Irregular Customers" and the 2<sup>nd</sup> cluster continues to represent "Premium Customers".

Thus, we can say that these clusters are reasonably stable.

#### PART D

**Question:** Use k-means algorithm with the number of clusters you found in part (a). Does the same picture emerge?

## Code:

```
best_km = kmeans(x=data_sc,centers=2,nstart=20)
best_km$size # the cluster distribution
km_centroid = aggregate(data,list(best_km$cluster),mean)
vec = c(sum(best_km$cluster==1), sum(best_km$cluster==2))
hc_cluster = cutree(hc_complete,k=the_best_k_value)
#Finding the mean of all the values
Cluster_centroid <- aggregate(data,list(hc_cluster),mean)</pre>
#Appending the size of clusters with the mean of all other values
df =
data.frame(Cluster=km_centroid[,1],Observations_in_this_cluster=vec,km_centroi
d[,-1])
trans_df = t(df)
df_round <- function(x, digits) {</pre>
  numeric_columns <- sapply(x, class) == 'numeric'</pre>
  x[numeric_columns] <- round(x[numeric_columns], digits)</pre>
km_centroids = df_round(trans_df, 2)
km centroids
```

# **Output:**

	KNN		Hierarchical
Cluster Observations_in_this_cluster Balance Qual_miles cc1_miles cc2_miles cc3_miles Bonus_miles Bonus_trans Flight_miles_12mo Flight_trans_12 Days_since_enroll Award	[,1] 1.00 2906.00 46727.89 85.53 5548.86 2601.51 2501.72 6423.26 8.03 213.66 0.64 3776.18 0.24	[,2] 2.00 1093.00 145050.74 299.87 31031.56 2564.04 2946.02 45650.72 21.09 1115.15 3.33 5028.85 0.72	[,1] [,2] 1.00 2.0 3997.00 2.0 73584.78 106673.0 143.84 694.0 12511.26 17500.0 2591.32 2500.0 2623.22 2500.0 17115.23 76325.0 11.57 75.5 447.05 26458.5 1.35 49.0 4119.32 2602.0 0.37 1.0

**Comment:** The clusters obtained by 2 different methods are compared in the table above. According to these data, the clusters obtained with KNN seem to be more inclusive than hierarchical clustering because the number of observations in KNN is more balanced. According to the clusters obtained by KNN, the members of the 2<sup>nd</sup> cluster have more balance, earned more miles, flied more, used their cards more and enrolled for a longer time. Thus, the label "Premium Customers" is still valid for this cluster. On the other side, the members of the 1<sup>st</sup> cluster have less balance, earned less miles, flied less, used their cards less and enrolled for a shorter time. Thus, the label "Irregular Customers" is still valid for this cluster.

Overall, KNN and Hierarchical Clustering algorithms provided similar results on the "EastWestAirlines" dataset. In both algorithms, the clusters represented premium and irregular customers. However, since KNN has more evenly distributed clusters, the clusters it provides are seemed to be more reliable.

#### **PART E**

**Question:** Which clusters would you target for offers, and what type of offers would you target to customers in that cluster?

**Comment:** I would target the cluster of "Irregular Customers" for offers and promotions. This group do not use the airline as frequently as "Premium Customers". Therefore, with offers and promotions, there is an opportunity to attract their attention and encourage them to develop a greater loyalty to the airline. By offering targeted discounts or promotional codes for future flights, we can increase the engagement of these customers and inspire them to choose this airline more often.