

Device A is sending frames to device C via another device B. Devices A and B use a Go-back-N Sliding window protocol with  $SWS = 3$ . Devices B and C use SR sliding window with  $SWS=RWS=4$ . There are a total of 7 frames (starting with  $F_0$  and ending with  $F_6$ ) generated at device A and destined to device C. The following information is given:

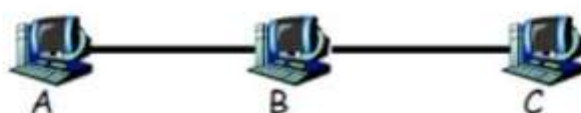
- Frame length = 1000 bits
- Frame Transmission Time = 1 sec
- One-way Propagation Delay (on each link) is 1 sec.
- Transmission Time for Acknowledgment = 0 (negligible)
- Processing/Queuing Delay = 0 (negligible, at any node)
- Time-out (at both devices A and B) is 4 seconds. The timer, for any frame, starts immediately after the device finish transmitting that frame.
- On the first link which employs Go-back-N ARQ, the sequence number of the ACK is that of the next frame the receiver expects to receive. On the second link (which uses SR ARQ, the sequence number of the ACK is the same as the frame just received. In addition, the receiver in SR can acknowledge out of order frames individually.
- No accumulative acknowledgements are used (i.e. each frame is acknowledged separately)

Sketch, side-by-side, the Timing diagram for frame transmissions over links A---> B and B---> C under the following scenario:

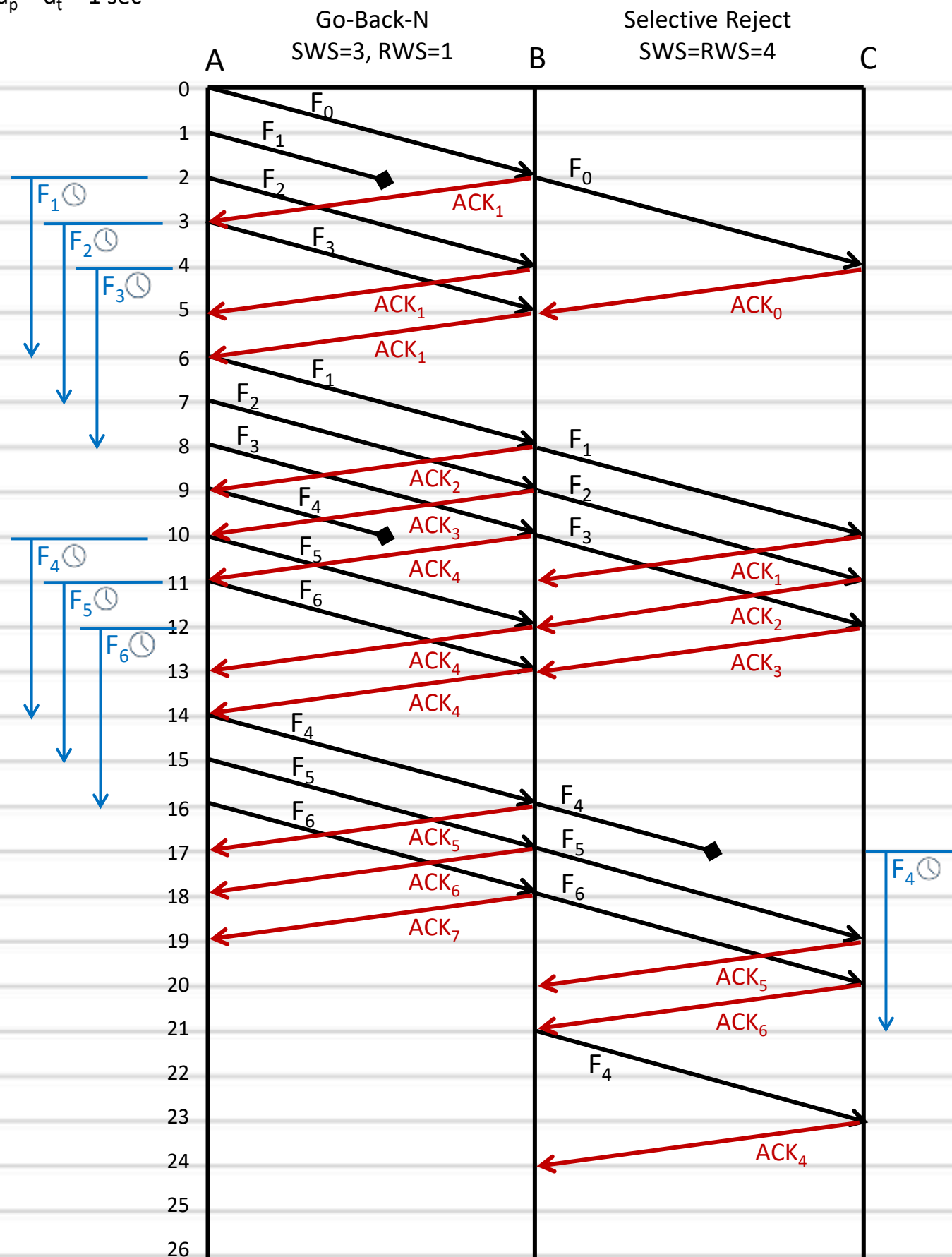
$F_1$  and  $F_4$  get lost in their first transmission from A---> B

$F_4$  gets lost in its first transmission from B---> C

Calculate the Throughput over each link and the end-to-end throughput.



$d_p = d_t = 1 \text{ sec}$



A -> B Throughput =  $7 \times 1000 \text{ bits} / 19 \text{ sec} = 368.4 \text{ bps}$

B -> C Throughput =  $7 \times 1000 \text{ bits} / 22 \text{ sec} = 318.2 \text{ bps}$

A -> C Throughput =  $7 \times 1000 \text{ bits} / 24 \text{ sec} = 292 \text{ bps}$

Q2) Consider a link that uses Go-Back-N ARQ protocol with  $SWS=7$ . Suppose the transmission time of a frame is 1 second. **Each frame uses a time-out mechanism of 2 seconds (The time-out timer starts when you transmit the last bit of your frame)**. Assume that one-way propagation delay is 0.5 seconds. Neglect the processing delay. Upon receiving a frame, the receiver will wait 1 second and send an accumulative ACK for all frames received with no errors up to that point in time. Neglect the transmission time of the ACK frame. Assume that station A begins with frame  $F_0$ . Draw the frame-exchange-timing diagram for the following sequence of events (Hint: Divide the time-line into 0.5 seconds intervals). Be sure to label each data frame with a sequence number and each ACK with a sequence number indicating the next frame expected to be received. There is no NAK in this implementation of the protocol. Assume that each frame is 1000 bits long. Consider the following scenario:

- Station A sends 5 frames in a row, starting at  $t=0$ . **Frame  $F_2$  was received and detected to be in error and  $F_4$  was lost in transmission.** Calculate the throughput and the link utilization. Assume that node A has only those 5 frames to transmit.

Solution:

$$\text{Throughput} = 5000/10 = 500 \text{ bps}$$

$$\text{Link Utilization} = 5/10 = 50\%$$

Time	Action @ Transmitter	Action @ Receiver	Time
0	$F_0$ is transmitted		0
0.5			0.5
1	$F_1$ is transmitted		1
1.5		$F_0$ is received (No errors)	1.5
2	$F_2$ is transmitted		2
2.5		$F_1$ is received. ACK2 is sent	2.5
3	$F_3$ is transmitted, ACK2 is received		3
3.5		$F_2$ is received and detected to be in error. Receiver drop the frame	3.5
4	$F_4$ is transmitted. This frame is lost		4
4.5		$F_3$ is received but dropped (out of sequence). ACK2 is sent	4.5
5	$F_2$ is timed out and is retransmitted. ACK2 is received		5
5.5			5.5
6	$F_3$ is transmitted		6

6.5		F2 is received (No errors)	6.5
7	F4 is transmitted		7
7.5		F3 is received. ACK4 is sent	7.5
8	ACK4 is received		8
8.5		F4 is received (No errors)	8.5
9			9
9.5		ACK5 is sent	9.5
10	ACK5 is received. End of Transmission		10

1)

- Sender wants to transmit MSG=10011010  
MSG=10011010,  $n=8$  corresponds to  $M(x) = x^7 + x^4 + x^3 + x^1$   
Divisor=1101,  $k=3$  corresponds to  $G(x) = x^3 + x^2 + 1$
- Multiply  $M(x)$  by  $x^k$   
In this example, we get:  
 $M(x).x^3 = x^{10} + x^7 + x^6 + x^4 = 10011010000$
- Divide result by  $G(x) = 1101$  (Subtraction or addition is XOR in polynomial arithmetic)  
The remainder is  $E(x) = x^2 + 1 = 101$
- Send  $P(x) = M(x).x^k + E(x)$  which is exactly divisible by  $G(x)$   
i.e. Send  $10011010000 + 101 = 10011010101$ , since this is exactly divisible by  $G(x) = 1101$