

29/2/20 29<sup>th</sup> February 2020

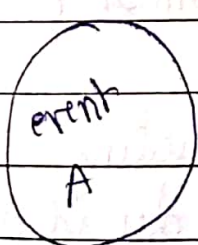
## Probability of single and more events.

### Single event

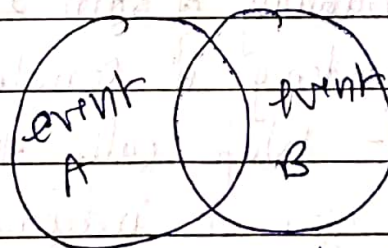
- Probability of 6 on die
- Probability of sum '6' for 2 dice

### Multiple event

- Probability of getting 3 in first 2 die throw & 1 in second die
- Probability of getting spade and ace while picking 2 cards



Mutually  
exclusive



Not mutually  
exclusive

## Example for mutually exclusive

- Event 1 - Probability of 9 AM - 12 PM in USA right now -  
Event 2 - Probability of 9 AM - 12 PM in India right now

## Example for mutually inclusive / mutually not exclusive

- Event 1 Probability of event of traffic at ABC street.  
Event 2 Probability event of rain at DEF nagar.

## \* Dependent and Independent events.

- 1) Dependent - has a cause effect of drinking coffee because it is raining

$$P(A) + P(B) - P(A \cap B)$$

Mutually not exclusive

$$P(A) + P(B) \text{ - Mutually exclusive}$$

- 2) Independent events.

Probability of rain in Hyderabad & traffic jam in Bangalore  
Dependency is sometimes a perception

Eg - Wife calls just before you leave for meeting

For you it's independent event, for wife it's dependent events.



Union - exclusiveness  
Intersection - dependency.

classmate

Date \_\_\_\_\_

Page \_\_\_\_\_

Dependency and exclusiveness.

Dependency is more logical - it cannot be put on paper

Exclusiveness is mathematical - it can be shown on paper

g) Independent events.

a)  $P(A \cap B) = P(A) * P(B)$

b)  $P(B|A) = P(B)$

→  $P(\text{Kid drinking milk} | \text{milk is given to him})$   
 $= P(\text{Kid drinking milk})$

Kid will drink milk once it is kept in front of him, the probability won't come into picture if the milk is not kept.

g) Dependent events.

a)  $P(A \cap B) = P(A) * P(B|A)$

→ Here B event is dependent of A happening.

$P(\text{Getting into final round given you clear Technical round})$

If technical round is not cleared, you cannot proceed to final round.

g) What is probability of not getting '1' on 1<sup>st</sup> & 2<sup>nd</sup> throw of die.

→  $\frac{5}{6} \times \frac{5}{6} = \frac{25}{36}$

IMP

Influence

whether one event influences another should be seen.

CLASSMATE  
Date \_\_\_\_\_  
Page \_\_\_\_\_

8) There is a drawer with 15 green, 12 blue and 16 yellow balls. The task is to go on picking balls and place them in a bag till you get a pair of balls of same colour in your bag.

→ 4 → G R Y G/R/Y

9) What should the coach do? go for 2 point or 3 point?  
A basket ball team is down by 2 points.

Chance of 2 point shot = 80%.

Chance of winning in overtime = 50%.

Chance of making 3 point shot to win = 30%.

→ Chance of 2 point →  $\frac{1}{2}$

Chance of winning in overtime -  $\frac{1}{2}$

$$\text{i.e. } \frac{1}{2} \times \frac{1}{2} = \frac{1}{4} = 0.25$$

Chance of winning with 3 pointer - 30%, or 0.3  
hence go with 3 pointer