



DETAILS:

Number System Conversions

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Lab Task 1/Assignment 1:

Information and Communication Technology

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BINARY TO DECIMAL CONVERSION

Binary	Decimal
1101_2	13_{10}
1010101_2	85_{10}

o- Binary to Decimal :

$$\text{o- } 1101_2 : \begin{array}{ccccccc} & & & & 1 & \times & 2^0 = 1 \\ & & & & 0 & \times & 2^1 = 0 \\ & & & & 1 & \times & 2^2 = 4 \\ & & & & 1 & \times & 2^3 = 8 \end{array}$$

$$1 + 0 + 4 + 8 \\ 1101 = [13_{10}]$$

$$1101 = [13_{10}]$$

o- 1010101_2 :

$$\begin{array}{ccccccc} & & & & 1 & \times & 2^0 = 1 \\ & & & & 0 & \times & 2^1 = 0 \\ & & & & 1 & \times & 2^2 = 4 \\ & & & & 0 & \times & 2^3 = 0 \\ & & & & 1 & \times & 2^4 = 16 \\ & & & & 0 & \times & 2^5 = 0 \\ & & & & 1 & \times & 2^6 = 64 \end{array}$$

$$1010101 = 1 + 0 + 4 + 0 + 16 + 0 + 64 \\ 1010101 = [85_{10}]$$

DECIMAL TO BINARY CONVERSION

Decimal	Binary
45_{10}	101101_2
103_{10}	1100111_2

o- Decimal : to Binary :

o- 45 :

The diagram shows the conversion of decimal 45 to binary. It uses successive division by 2, starting from 45. The remainders are written below each division step: -1, -0, -1, -1, -0, -1. The quotient for the first division is 2, and for the last division is 1. An arrow points from the remainders to the result: $45_{10} = \boxed{101101}_2$.

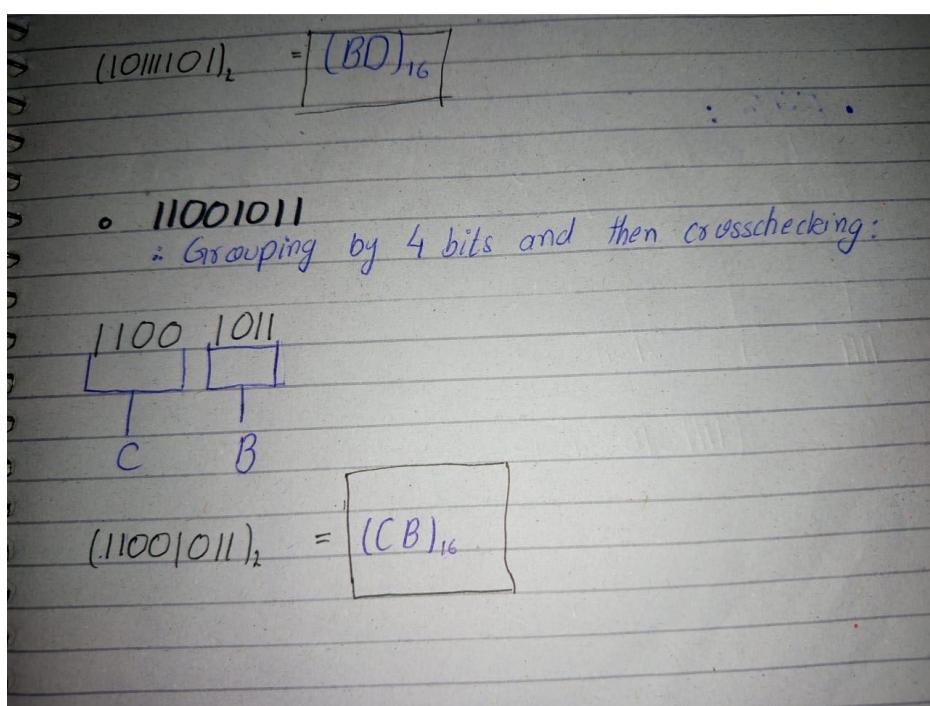
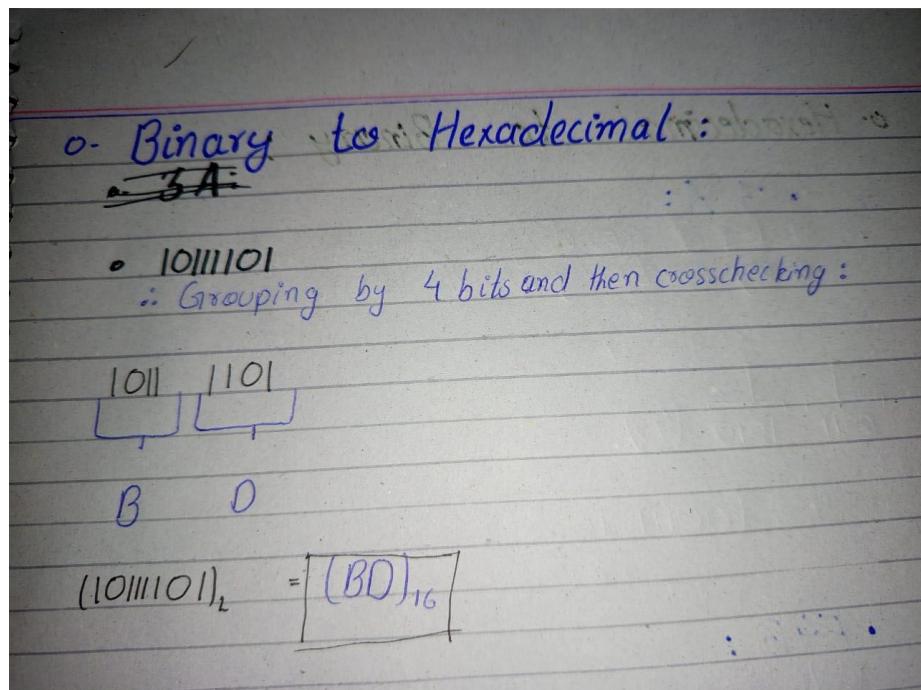
o- 103 :

The diagram shows the conversion of decimal 103 to binary. It uses successive division by 2, starting from 103. The remainders are written below each division step: -1, -1, -1, -1, -0, -0, -1, -1. The quotient for the first division is 2, and for the last division is 1. An arrow points from the remainders to the result: $103_{10} = \boxed{1100111}_2$.

BINARY TO HEXADECIMAL

(HEXADECIMAL TO BINARY EQUIVALENT TABLE IS PROVIDED AFTER 1 PAGE)

Binary	Hexadecimal
10111101_2	BD_{16}
11001011_2	CB_{16}



HEXADECIMAL TO BINARY

(HEXADECIMAL TO BINARY EQUIVALENT TABLE IS PROVIDED IN THE NEXT PAGE)

Hexadecimal	Binary
3A	00111010_2
F4B	111101001011_2

o- Hexadecimal to Binary :

• 3A:

∴ Write each separately and then write its equivalent binary number from the chart.

So:

$$(3A)_6 = [00111010]_2$$

So:

$$(3A)_6 = [00111010]_2$$

• F4B:

∴ Write each separately and then write its equivalent binary number from the chart.

So:

$$(F4B)_6 = [(111101001011)]_2$$

HEXADECIMAL TO BINARY EQUIVALENT TABLE

<u>Binary Equivalent</u>	<u>Hexadecimal</u>
0000	0
0001	1
0010	2
0011	3
0100	4
0101	5
0110	6
0111	7
1000	8
1001	9
1010	A
1011	B
1100	C
1101	D
1110	E
1111	F

Referred to This table for conversion:

1. Binary to Hexadecimal.
2. Hexadecimal to Binary.

OCTAL TO DECIMAL CONVERSION

Octal	Decimal
57_8	47_{10}
244_8	164_{10}

o. Octal to Decimal :

• 57 :

$$\begin{array}{r}
 7 \times 8^0 = 7 \\
 5 \times 8^1 = 40 \\
 \hline
 \end{array}$$

Now add both:

$$(57)_8 = 40 + 7$$

$$(57)_8 = \boxed{(47)_{10}}$$

• 244 :

$$\begin{array}{r}
 4 \times 8^0 = 4 \\
 4 \times 8^1 = 32 \\
 2 \times 8^2 = 128 \\
 \hline
 \end{array}$$

Now add all :

$$(244)_8 = 128 + 32 + 4$$

$$(244)_8 = \boxed{(164)_{10}}$$

DECIMAL TO OCTAL CONVERSION

Decimal	Octal
156_{10}	234_8
73_{10}	111_8

o Decimal to Octal:

o 156:

$$\begin{array}{r} 156 \\ \hline 8 | 19 \quad -4 \\ \hline 8 | 2 \quad -13 \\ \hline 8 | 0 \quad -2 \\ \hline \end{array} \quad (156)_{10} = [234]_8$$

o 73:

$$\begin{array}{r} 73 \\ \hline 8 | 9 \quad -1 \\ \hline 8 | 1 \quad -1 \\ \hline 8 | 0 \quad -1 \\ \hline \end{array} \quad (73)_{10} = [111]_8$$