RBSE BOARD CLASS - X

SHARMA TUTION CLASSES Let's Rule it PROBABILITY [PREVIOUS YEAR 2015-19]

1 One could is drawn from a well shuffled deck of 52 cauds. Calculate the probability that the cord will not be an ace. [RBSE 2015]

riven that,

Total no lef cauds = 52 Total no. cef aces = 4

So, $P(gething an ace) = No \cdot (ef ace) = \frac{4}{52} = \frac{1}{13}$

Then, P(not getting an ace) = 1 - P(get an ace) $= 1 - \frac{1}{13} = \frac{12}{13}$

- 2 Noonaj and Dueraj are fuiends. Final the probability of their birthdays when (1) Birthdays are different (ii) Birthdays are some.
- Let A denote the event that they have same birthday and B denote the event that they have different birthday ("i) If they have same birthday

```
Therefore, the no of cases in four wable of event A = 1

Required probability, P(A) = \frac{1}{365}

As, we know that,

P(A) + P(B) = 1
\frac{1}{365} + P(B) = 1
\frac{1}{365} = \frac{364}{365}

Then P(B) = \frac{364}{365}

A coin is tossed once. Find the probability that it is not a tail.

[ RBSE 2016]

Given that,

A coin is tossed once
then event will be \{H, T\}

Total event = 2
P(E) = \frac{1}{100} \cdot \omega_{1}^{2} = \frac{1}{100} \cdot \omega_{2}^{2} = \frac{1}{100} \cdot \omega_{1}^{2} = \frac{1}
```

801

```
1 A piggy bank contain hundred wins of RS 1, 25 wins of RS 2, 15 wins
    of RS 5, 10 coins of RS 10. If it is equally likely that one coin will
    fall, when the bank is turned upside down, what is probability that
   the coin - (i) will be a RS 2 coin (ii) will not be a RS 5 coin [RBSE 2016]
        Given that,
                      No. of 1 Rs on = 100
<u> 801</u>
                      No of 2 Rs coin = 25
                      No. of 5 Rs con = 15
                      No of 10 RS con = 150, Total coins = 150
        (1) P(E) = faw. event
                         total event
               uill le a Rs 2 vin, p(\xi) = \frac{25}{150} = \frac{1}{6}
            will not be a 5 Rs coin = \frac{15}{150} = \frac{1}{10}, P(E) = \frac{1}{10}
                 know that
                             P(E) + P( no+ E) = 1
                              \frac{1}{10} + P(\text{not } E) = 1
P(\text{not } E) = 1 - \frac{1}{10} = \frac{9}{10}
```

```
sol. Simplify probability expression,
        use know that,
                  P(E) + P(E) = 1
                      P(E) = 0.95
                     P(E)= 1- P(E)
                          = 1-0-95 = 0.05
(6) A box contain 7 red maubles, 10 white maubles and 5 green maubles. One
   maubles 95 taken out of the box at random, what is the probability that
   the manble taken out will be. [RBSE 2017] (i) Not red, (ii) White, (iii) areen?
      Simplify the expression,
801
              Total no af all possible outcomes = 10+7+5 = 22
       (i) Total no. of not red ball = 10+5=15
                Probability (getting a ball which is not = 15 22
     (11) No raf white ball = 10
                                        (iii) No cet green ball = 5
```

3 If probability of not E = 0.95, then find P(E) [RBSE 2017]

P(white ball) = 10

 $P(green ball) = \frac{5}{22}$

A die is theorem once. Find the probability of getting an odd solution [RBSE-2018]

30]. Total outcomes that can occur are 1,2,3,4,5,6

no of possible outcome of a dice = 6

no which are odd = 1,3,5

$$P(\xi) = \frac{3}{6} = \frac{1}{2}$$

- (8) In a bag one white ball, two black ball and there red balls of the same size are placed. A ball is therewer at random from this bag. Find the probability (1) the ball is white (1) the ball is not black (111) the ball is red.
 - Total no cet all possible outcome = 1+2+3=6

 $P(\text{getfing a white ball}) = \frac{1}{6}$

- (ii) the ball that are not black = 1+3=4P(not getting a black ball) = $\frac{4}{6} = \frac{2}{3}$
- (iii) Mo. of red balls = 3 $P(gething a red ball) = \frac{3}{6} = \frac{1}{2}$

(a) Thus players A and B played a chess match It is given that the probability of winning the match by A is 5/6. Final the probability of winning the match by B. [RBSE 2019]

301. Oilven, P(winning the match by A) = $\frac{5}{6}$ P(A) + P(B) = 1

P(B) = 1-P(A) = 1- $\frac{5}{6}$ = $\frac{1}{6}$ P(B) = $\frac{1}{6}$ O A bag contains 15 cauds. The no. 1,2,3,4...15 are printed on them. A caud is duarun at random from the bag. Find the probability that we on the card is

deraun at random from the bag. Find the probability that no on the card is

(i) a prime no. (ii) a no diresible by 2.

Total no cof cards = 15

Probability of event four prime w. 61w 1.to 15 -Prime w. (2, 3, 5, 7, 11, 13)

Aus. dinsible by 2 (2,4,6,8,10,12,14)

(i)
$$P(prime no.) = \frac{6}{15} = \frac{2}{5}$$
 (ii) $P(getting a no. divisible by 2) = $\frac{7}{15}$$