AttnTUL: Trajectory-User Linking via Hierarchical Spatio-Temporal Attention Networks

Anonymous

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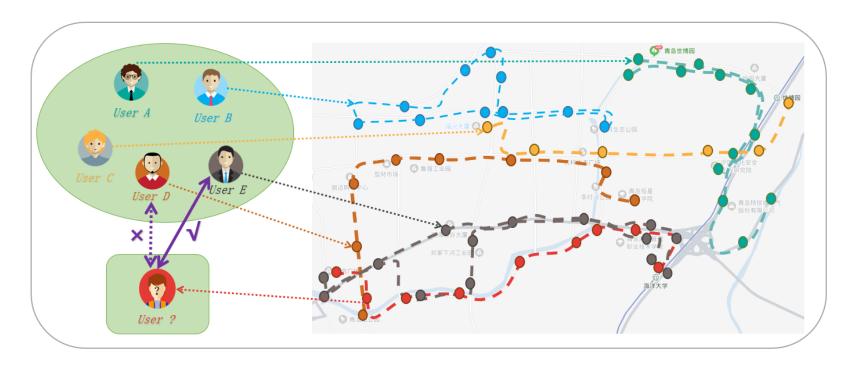
Outline

- Introduction
- Related work
- Challenges
- Preliminaries
- Solution
- Experiment Results
- Summary

Introduction

Define of Trajectory-User Linking (TUL)

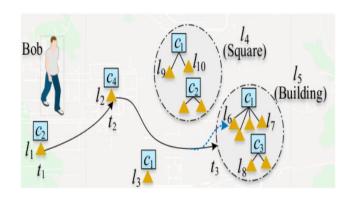
Linking the trajectory to the user who generated it



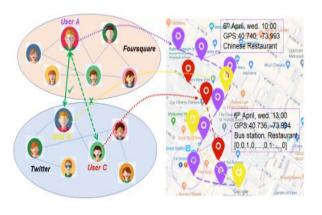
Describe of problem

Introduction

- Application of Trajectory-User Linking
 - Understand movement intentions, accurate and personalized travel recommendation [1]
 - Improve traffic safety, develop intelligent transportation systems [2]
 - Linking users cross-platform, obtain better business intelligence [3]







^[1] Chen et al. "Curriculum Meta-Learning for Next POI Recommendation". SIGKDD (2021).

^[2] Wang et al. "Spatiotemporal Representation Learning for Driving Behavior Analysis: A Joint Perspective of Peer and Temporal Dependencies." (TKDE)(2019).

^[3] Feng et al. "DPLink: User Identity Linkage via Deep Neural Network From Heterogeneous Mobility Data "WWW(2018)

Related work

- Traditional models:
 - Similarity measures: DTW, LCSS^[4], STLCD, SR^[5]
 - Sequence modeling and machine learning method: MC, HMM, LDA^[6], SVM, DT^[7]

Curse of dimension / Large amount of calculation / Poor robustness ...

- Deep neural network models:
 - RNN and its variant: TULER^[8](Bi-TULER, TULER-L, TULER-G)
 - Various methods based on RNN: TULVAE^[9], TULSN, TULAR, DeepTUL^[10], DPLink^[3]
 - Trajectory representation learning method: t2vec, NeuTraj, T3S^[11]

Limited mining information / Dense sequence forgetting / Focus more on trajectory similarity ...

- [4] Ying et al. "Mining user similarity from semantic trajectories." SIGSPATIAL (2010).
- [5] Jin et al. "Trajectory-Based Spatiotemporal Entity Linking". TKDE(2020).
- [6] Hamid et al. "Spectral-spatial feature extraction using orthogonal linear discriminant analysis for classification of hyperspectral data." European Journal of Remote Sensing (2017).
- [7] Jiang et al. "A survey on spatial prediction methods." TKDE(2018).
- [8] Gao et al. "Identifying Human Mobility via Trajectory Embeddings." IJCAI (2017)
- [9] Gao et al. "Trajectory-User Linking via Variational AutoEncoder." IJCAI (2018)
- [10] Miao et al. "Trajectory-User Linking with Attentive Recurrent Network. " AAMAS (2020)
- [11] Yang et al. "T3S: Effective Representation Learning for Trajectory Similarity Computation." TKDE(2021).

Challenges

- Data sparsity :
 - All existing method do not work well for low-sampling trajectories.
- Fail to capture long-term dependencieses[9]:
 - The complicated long-term sequence transformation law is easy to forget.
- Ignoring the global modelings :
 - All existing works focus on the local spatial sequence modeling of trajectory data.
- Fail to utilize rich contextual featurese :
 - previous approaches only utilize spatial feature and/or temporal feature.

| | Dataset type | Track length | Mining mode | | |
|-----------|--------------|----------------------------|---------------------------------|--|--|
| Classical | LBSNs | Short Sequential / Spatial | | | |
| RNN-based | LBSNs | Short / Medium | Sequential / Spatial / Temporal | | |
| This work | LBSNs / LBS | Short / Medium / Long | Sequential / Temporal | | |
| | LDSINS / LDS | Short / Medium / Long | Multi-scale Spatial / State | | |

Table 1: Advantages compared with existing methods

Preliminaries

- Definition
 - Definition 1: Spatio-Temporal Point
 - < t, l >
 - Definition 2: Trajectory

•
$$Tr_{u_i}^{\tau} = (\langle t_1, l_1 \rangle, \langle t_2, l_2 \rangle, ..., \langle t_n, l_n \rangle)$$

- Definition 3: Linked trajectories
 - $Tr_u^{\tau} = \{Tr_{u_i}^{\tau} \mid u_i \in \mathcal{U} \land \tau \in T\}$

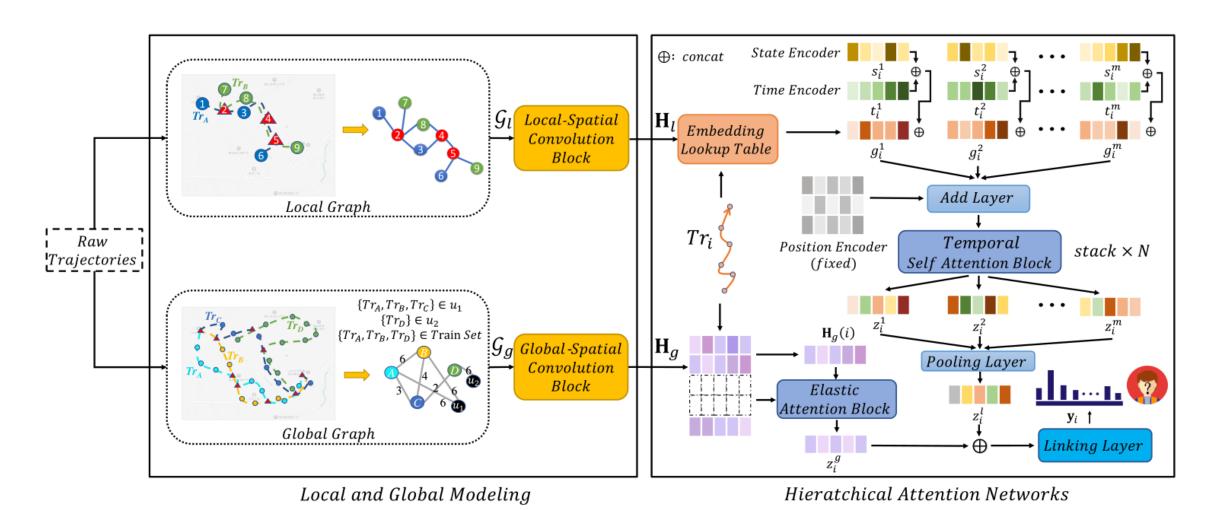
Preliminaries

Problem formulation

- Given:
 - unlinked trajectories \overline{Tr}
 - linked trajectories Tr_u
 - the set of user u

Goal:

provide a mapping function $f: \overline{Tr} \to U$ that links the unlinked trajectory to users



The overview of the proposed framework

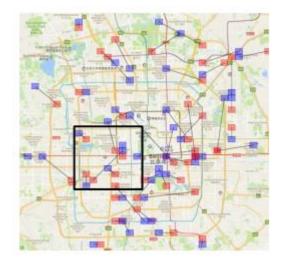
Local and Global Graph Modeling

Step1: Preprocessing

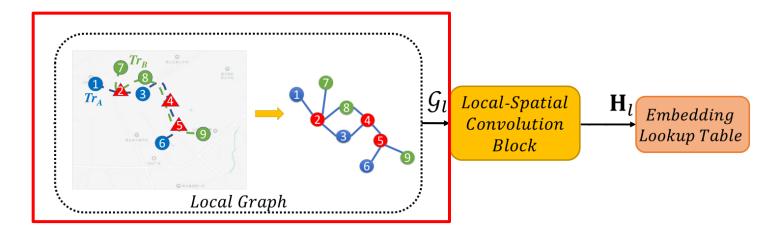
```
Algorithm 1: Trajectories to Grids
Input:
    The set of trajectory: T
    The set area: Lon_{min}, Lon_{max}, Lat_{min}, Lon_{max}
    The size of grid: d
Output:
    Grid sequence corresponding to trajectory T: L
 1: // Compute the distance of area by Haversine formula
2: length = Haversine(Lon_{min}, Lat_{min}, Lon_{max}, Lat_{min})
3: width = Haversine(Lon_{min}, Lat_{min}, Lon_{min}, Lat_{max})
 4: // Compute the number of grids in longitude/latitude
 5: N_{lon} = \frac{length}{d}
 6: N_{lat} = \frac{width}{d}
 7: // Compute the gap of a grid in longitude/latitude
8: g_{lon} = \frac{Lon_{max} - Lon_{min}}{N_{lon}}
9: g_{lat} = \frac{Lat_{max} - Lat_{min}}{N_{lat}}
10: for < lon, lat > in T do
11: id = \frac{(lat - Lat_{min}) * N_{lon}}{g_{lat}} + \frac{lon - Lon_{min}}{g_{lon}}
       add id to list V
13: end for
14: List V drops duplicates and sorts to get a new list V_{new}
15: for v in V do
       find the index idx of v in the list V_{new}
       add idx to list L
18: end for
19: return L
```

grid mapping function $f_g: l_i \rightarrow g_i$





- Local and Global Graph Modeling
 - Step2: Local Spatial Graph Construction

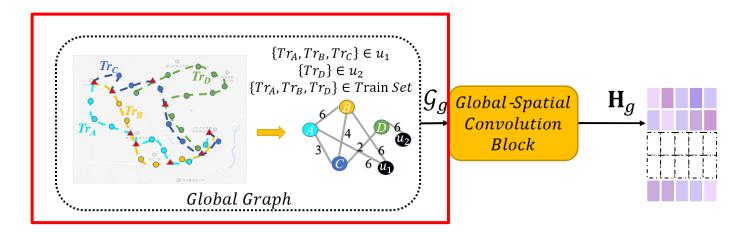


we first construct a local spatial graph $G_l = (V_l, \mathcal{E}_l)$

- grid is a node in \mathcal{V}_l
- $e_{i,j} \in \mathcal{E}_l$ is defined as the number of trajectories that contains the consecutive snippet

we use A_l and X_l to denote the adjacency matrix and feature matrix of local spatial graph, respectively.

- Local and Global Graph Modeling
 - Step3: Global Spatial Graph Construction

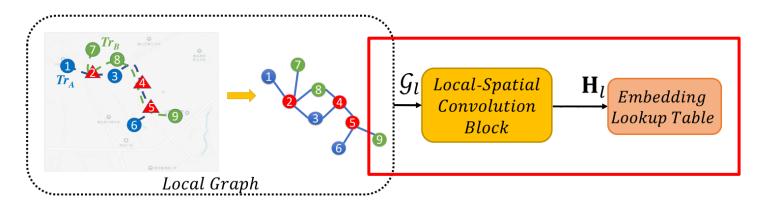


we next construct a global spatial graph $\mathcal{G}_g = (\mathcal{V}_g, \mathcal{E}_g)$

- each trajectory and user are treated as a node in \mathcal{V}_g
- $e_{i,j} \in \mathcal{E}_l$ is defined as shared grids in two trajectories/maximum weight between trajectory nodes

we use A_g and X_g to denote the adjacency matrix and feature matrix of global spatial graph, respectively.

- Spatial Graph Convolutional Networks
 - Step1: Local Graph Convolution



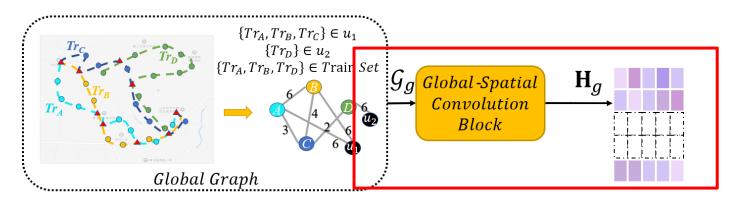
•
$$\mathbf{H}_{l}^{(i+1)} = \text{ReLU}(\widetilde{\mathbf{D}}_{l}^{-\frac{1}{2}}\widetilde{\mathbf{A}}_{l}\widetilde{\mathbf{D}}_{l}^{-\frac{1}{2}}\mathbf{H}_{l}^{(i)}\mathbf{W}_{l}^{(i)})$$

$$\bullet \quad \widetilde{\mathbf{A}}_l = \mathbf{A}_l + I$$

$$\stackrel{\sim}{\mathbf{A}}_{l} = \mathbf{A}_{l} + I
\stackrel{\sim}{\mathbf{D}}_{lii} = \sum_{j} \widetilde{\mathbf{A}}_{lij}$$

•
$$\mathbf{H}_{l}^{(0)} = \mathbf{X}_{l}$$
 — one hot encode

- Spatial Graph Convolutional Networks
 - Step2: Global Graph Convolution



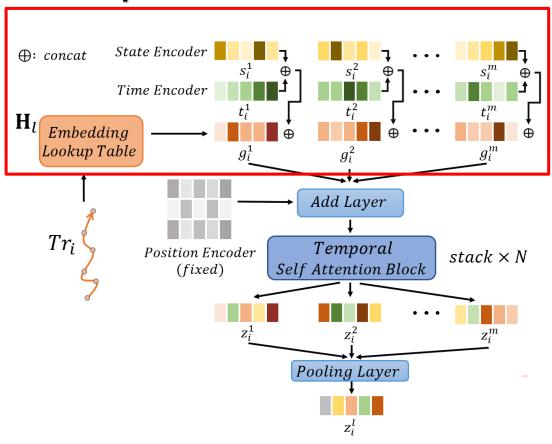
•
$$\mathbf{H}_g^{(i+1)} = \text{ReLU}(\mathbf{\tilde{D}}_g^{-\frac{1}{2}} \mathbf{\tilde{A}}_g \mathbf{\tilde{D}}_g^{-\frac{1}{2}} \mathbf{H}_g^{(i)} \mathbf{W}_g^{(i)})$$

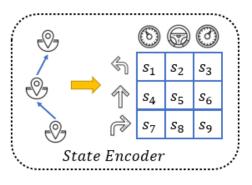
•
$$\tilde{\mathbf{A}}_g = \mathbf{A}_g + I$$

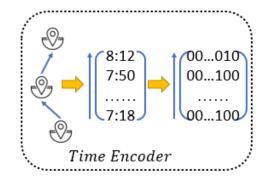
$$\overset{\sim}{\mathbf{A}}_{g} = \mathbf{A}_{g} + I \\
\overset{\sim}{\mathbf{D}}_{g_{ii}} = \sum_{j} \overset{\sim}{\mathbf{A}}_{g_{ij}}$$

•
$$\mathbf{H}_{g}^{(0)} = \mathbf{X}_{g}$$
 — multi hot encode

- Hierarchical Spatio-Temporal Attention Networks
 - Step1: Location Encoder



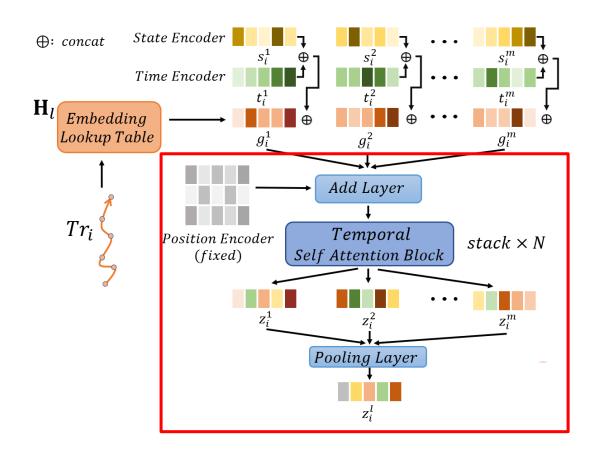




Location representation:

$$x_i = \operatorname{Tanh}(FC([\mathbf{W}_t t_i + b_t; \mathbf{W}_s s_i + b_s; \mathbf{H}_l(g_i)]))$$

- Hierarchical Spatio-Temporal Attention Networks
 - Step2: Temporal Self-Attention Encoder



Add Layer:

$$\mathbf{P}_{pos,j} = \begin{cases} \sin(pos/10000^{j/d}) & \text{if } j\%2 = 0\\ \cos(pos/10000^{j-1/d}) & \text{else} \end{cases}$$

Multi Head Self-Attention:

$$(\mathbf{Q}_{i}, \mathbf{K}_{i}, \mathbf{V}_{i})^{\mathsf{T}} = \mathbf{M}_{i} (\mathbf{W}^{Q}, \mathbf{W}^{K}, \mathbf{W}^{V})^{\mathsf{T}}$$

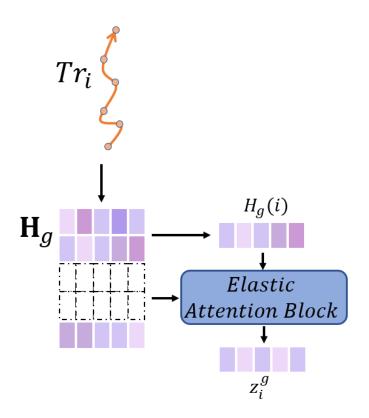
$$\mathbf{Z}_{i} = \operatorname{Softmax}(\frac{\mathbf{Q}_{i} \mathbf{K}_{i}^{\mathsf{T}}}{\sqrt{d}}) \mathbf{V}_{i}$$

$$\mathbf{Z}_{i} = FC(\operatorname{concat}(\mathbf{Z}_{i}^{(1)}, \mathbf{Z}_{i}^{(2)}, ..., \mathbf{Z}_{i}^{(\#head)}))$$

Pooling Layer:

$$z_i^l = \text{Pooling}(z_i^1, z_i^2, \dots, z_i^m)$$

- Hierarchical Spatio-Temporal Attention Networks
 - Step3: Global Elastic Attention Encoder



Score calculation:

$$a_{i,j}^{s} = \frac{\mathbf{H}_{g}(i)\mathbf{H}_{g}(j)^{\mathsf{T}}}{\parallel \mathbf{H}_{g}(i) \parallel \parallel \mathbf{H}_{g}(j)^{\mathsf{T}} \parallel}$$
$$\mathbf{A}_{i}^{s} = \{a_{i,1}^{s}, a_{i,2}^{s}, \dots, a_{i,\parallel Tr\parallel}^{s}\}$$

Weight calculation:

$$\mathbf{W}_{i}^{g} = \operatorname{Sparsemax}(\mathbf{A}_{i}^{s})$$

• Simple:

$$SparseMax(x_i) = \begin{cases} \frac{e^{s_i}}{\sum_{j \in \Omega_k} e^{s_j}}, i \in \Omega_k & \Omega_k = top_k(s_1, s_2, ..., s_n) \\ 0, i \notin \Omega_k \end{cases}$$

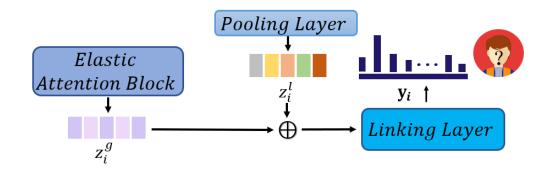
Complex:

$$\operatorname{Sparsemax}(\boldsymbol{x}) = \underset{\boldsymbol{p} \in \Delta^d}{\operatorname{argmin}} \parallel \boldsymbol{p} - \boldsymbol{x} \parallel^2 \Delta^d = \{ p \in \mathbb{R}^d \colon p \geq 0 \parallel p \parallel_1 = 1 \}$$

Weight summation :

$$z_i^g = \mathbf{W}_i^g \mathbf{H}_g$$

- Linking Layer
 - hierarchical information fusion and classification



Information Fusion:

$$\mathbf{y}_i = \left(W_c \begin{bmatrix} z_i^l \\ z_i^g \end{bmatrix} + b_c \right)$$

Object function: (negative log-likelihood+L2 regularization):

$$\mathcal{L}(\Theta) = -\frac{1}{ll} \sum_{i=1}^{ll} c_i \log(\sigma(\mathbf{y}_i)) + \frac{\lambda}{2} \|\Theta\|^2$$

Dataset:

Table 1: Statistics of the datasets. \overline{len} : average length of trajectories, H: hour.

| Datasets | #users | #traj. | #points | #POIs | τ | \overline{len} |
|------------|--------|--------|---------|--------|--------|------------------|
| Gowalla | 109 | 6,242 | 23,501 | 8,400 | 6Н | 4 |
| Gowana | 83 | 5,102 | 19,794 | 7,610 | 6H | 4 |
| PrivateCar | 71 | 4,178 | 135,085 | 10,493 | 1H | 32 |
| PrivateCar | 42 | 2,797 | 87,719 | 7,514 | 1H | 31 |
| GeoLife | 90 | 6,035 | 945,971 | 23,369 | 3Н | 157 |
| GeoLife | 56 | 4,064 | 768,533 | 19,384 | 3Н | 189 |

Metric:

$$ACC@K = \frac{\left|\left\{Tr_{i} \in \overline{Tr}: u^{*}(Tr_{i}) \in \mathcal{U}_{K}(Tr_{i})\right\}\right|}{\left|\overline{Tr}\right|} \qquad Macro_P = \frac{1}{n} \sum_{1}^{n} P_{i}$$

$$Macro_R = \frac{1}{n} \sum_{1}^{n} R_{i} \qquad Macro_F1 = \frac{1}{n} \sum_{1}^{n} \frac{2 \times P_{i} \times R_{i}}{P_{i} + R_{i}}$$

- Baseline:
 - Traditional methods:
 - LCSS [4] , SR [5]
 - LDA^[6], DT^[7]
 - Deep neural network models:
 - TULER-L / TULER-G / Bi-TULER[8]
 - TULVAE^[9], DeepTUL^[10], DPLink^[3]
 - T3S^[11]

Performance comparison with deep neural networks:

Table 2: Performance comparison with deep neural network models on three real-world datasets.

| Dataset | Methods | ACC@1 | ACC@5 | Macro-P | Macro-R | Macro-F1 | ACC@1 | ACC@5 | Macro-P | Macro-R | Macro-F1 |
|------------|----------|----------------------|--------|---------|----------------|-----------------------|--------|---------|---------|---------|----------|
| | | $ \mathcal{U} = 83$ | | | | $ \mathcal{U} = 109$ | | | | | |
| Constitu | TULER-L | 39.15% | 58.77% | 29.83% | 30.08% | 27.47% | 37.36% | 57.86% | 31.10% | 29.94% | 27.88% |
| | TULER-G | 41.27% | 60.76% | 36.15% | 32.74% | 31.16% | 39.54% | 59.13% | 35.04% | 31.55% | 30.47% |
| | Bi-TULER | 42.29% | 61.14% | 38.91% | 34.14% | 33.50% | 41.92% | 60.56% | 37.76% | 33.97% | 31.77% |
| | TULVAE | 42.86% | 62.99% | 38.76% | 35.53% | 34.76% | 42.44% | 60.07% | 39.49% | 34.27% | 35.06% |
| Gowalla | DeepTUL | 43.05% | 63.17% | 36.37% | 38.31% | 36.24% | 42.13% | 61.78% | 37.66% | 38.08% | 37.24% |
| | DPLink | 44.53% | 64.32% | 41.03% | 38.60% | 37.49% | 45.26% | 63.71% | 39.98% | 38.03% | 37.18% |
| | T3S | 45.30% | 64.76% | 43.83% | 39.25% | 39.22% | 45.44% | 63.45% | 44.82% | 39.98% | 40.00% |
| | AttnTUL | 52.75% | 70.16% | 54.42% | 48.98% | 48.45% | 50.61% | 68.53% | 49.67% | 46.26% | 46.12% |
| | | $ \mathcal{U} = 42$ | | | | | | U = 71 | | | |
| | TULER-L | 21.92% | 44.90% | 19.41% | 21.05% | 18.42% | 15.43% | 32.12% | 15.20% | 12.47% | 12.16% |
| | TULER-G | 21.92% | 45.94% | 19.35% | 19.61% | 18.01% | 16.13% | 32.77% | 15.96% | 14.37% | 13.29% |
| DeimataCon | Bi-TULER | 22.46% | 47.79% | 21.52% | 21.54% | 19.76% | 16.57% | 36.62% | 15.76% | 15.14% | 13.80% |
| PrivateCar | TULVAE | 23.98% | 50.44% | 25.34% | 20.34% | 20.45% | 16.89% | 31.81% | 16.92% | 15.38% | 14.59% |
| | DeepTUL | 22.99% | 49.71% | 22.95% | 22.53% | 20.16% | 17.65% | 33.09% | 15.68% | 16.97% | 14.24% |
| | DPLink | 23.47% | 47.12% | 25.36% | 23.32% | 22.23% | 20.71% | 41.79% | 19.14% | 16.83% | 15.27% |
| | T3S | <u>26.53</u> % | 47.90% | 31.30% | <u>25.07</u> % | <u>25.59</u> % | 21.28% | 39.45% | 24.13% | 20.05% | 20.01% |
| | AttnTUL | 35.11% | 60.40% | 33.24% | 32.80% | 31.49% | 31.25% | 54.74% | 32.25% | 32.24% | 30.21% |
| GeoLife | | U = 56 | | | | $ \mathcal{U} = 90$ | | | | | |
| | TULER-L | 41.79% | 71.81% | 33.78% | 34.94% | 31.70% | 36.84% | 60.28% | 32.91% | 30.41% | 29.32% |
| | TULER-G | 43.93% | 70.08% | 37.09% | 36.50% | 33.33% | 35.51% | 61.24% | 33.88% | 31.73% | 30.25% |
| | Bi-TULER | 44.50% | 74.09% | 38.14% | 35.82% | 33.76% | 37.99% | 61.85% | 35.82% | 33.16% | 32.12% |
| | TULVAE | 46.04% | 70.99% | 42.32% | 39.73% | 36.87% | 39.27% | 64.30% | 36.23% | 33.83% | 32.31% |
| | DeepTUL | 51.23% | 79.19% | 45.84% | 41.82% | 39.36% | 44.92% | 69.93% | 38.19% | 38.35% | 35.99% |
| | DPLink | 53.80% | 80.03% | 48.23% | 46.63% | 45.03% | 47.83% | 73.95% | 43.93% | 40.80% | 39.63% |
| | T3S | 51.10% | 77.40% | 45.47% | 43.84% | 43.13% | 44.33% | 70.65% | 40.18% | 39.52% | 38.18% |
| | AttnTUL | 61.37% | 85.87% | 59.20% | 59.59% | 58.53% | 53.92% | 79.47% | 49.94% | 50.29% | 48.24% |

- STAN achieves the best performance in terms of all metrics on three different categories of trajectories, especially in dense datasets.
- STAN achieves average gains of 25.73% ACC@1 and 40.75% Macro-F1 score in comparison to the best performed baseline across all datasets. This performance improvement is significant.

Performance comparison with classical models:

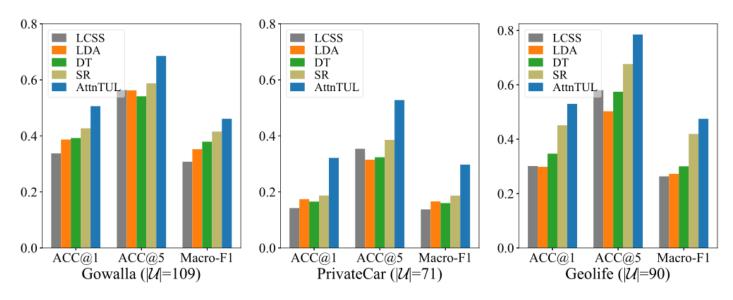


Figure 2: Performance comparison with classic models.

STAN presents significant performance improvement over classic methods

Ablation experiment:

Table 3: Experimental results of ablation study.

| Data | Methods | ACC@1 | ACC@5 | Mac-P | Mac-R | Mac-F1 |
|---------------------------|---------|----------------|----------------|----------------|----------------|----------------|
| (60 | TUL-L | 50.37% | 67.71% | 47.58% | 42.40% | 42.14% |
| (1/2 =109) | TUL-G | 45.37% | 62.58% | 43.74% | 40.00% | 39.24% |
| <u>Z</u> | TUL-SA | 50.22% | 67.38% | 47.59% | 41.57% | 41.02% |
| | TUL-EA | 44.39% | 61.77% | 43.04% | 37.42% | 37.08% |
| Gowalla | TUL-TS | 51.45% | <u>68.45</u> % | 50.70% | 46.42% | 46.50% |
| Ğ | AttnTUL | <u>50.61</u> % | 68.53% | <u>49.67</u> % | 46.26% | 46.12% |
| 71) | TUL-L | 19.83% | 44.74% | 18.26% | 20.86% | 16.01% |
| (1/=11) | TUL-G | 30.09% | 53.14% | 27.50% | 31.05% | 27.16% |
| 2) . | TUL-SA | 28.31% | 53.92% | 27.40% | 27.67% | 24.97% |
| PrivateCar | TUL-EA | 28.49% | 52.12% | 28.36% | 24.54% | 23.64% |
| | TUL-TS | 30.58% | 53.20% | 26.96% | 31.52% | <u>27.41</u> % |
| | AttnTUL | 31.25% | 54.74% | 32.25% | 32.24% | 30.21% |
| (0 | TUL-L | 49.51% | 78.43% | 45.49% | 45.48% | 43.04% |
| GeoLife (<i>U</i> =90) | TUL-G | 48.97% | 75.46% | 43.82% | 43.61% | 42.03% |
| | TUL-SA | 51.06% | 78.65% | 47.01% | 47.15% | 44.01% |
| | TUL-EA | 46.38% | 74.35% | 41.98% | 40.56% | 38.59% |
| | TUL-TS | <u>52.07</u> % | 79.25% | 47.58% | <u>47.41</u> % | 45.02% |
| | AttnTUL | 53.92% | 79.47% | 49.94% | 50.29% | 48.24% |

- our key components all contribute to performance improvement of the proposed model.
- Compared to STAN, STAN-L and STAN-G perform much worse demonstrating the importance of both local and global modelling in our model.
- Compared to STAN-L, STAN-SA achieves better performance on PrivateCar and GeoLife, indicating that our designed temporal self-attention block could capture long-term dependencies for long sequence trajectories.
- Compared to STAN-G, STAN-EA producing worse results demonstrates the crucial role of elastic attention of global module in extracting relevant global representation

Model robustness:

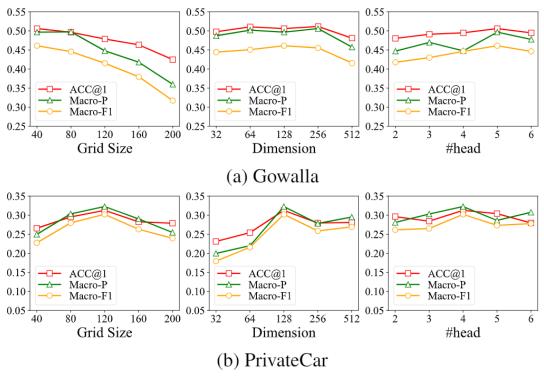


Figure 3: Parameter sensitivity w.r.t. s, d and #head.

 If the grid is too large, the spatial information would be lost, which is reflected more obvious on sparse Gowalla than on dense PrivateCar. If the grid is too small, some spatial interaction among trajectories would not be reflected, which affects the prediction performance.

Gowalla is very sparse, and thus few grids are involved. The lower embedding dimensionality has little effect on it, while PrivateCar is denser. When the dimensionality is very low, it has a greater impact.

Summary

We propose AttnTUL

 Our AttnTUL simultaneously model both local and globalspatial characteristics of users' mobility trajectories to realize high predictability.

We design a hierarchical attention network

 a temporal self-attention encoder to learn the local sequential dependencies in intratrajectory, and global elastic attention encoder to capture the complex correlations among inter-trajectory.

We conduct extensive experiments

• Results show that our model significantly outperforms state-of-the-art baselines by 11.82%~50.89% and 21.73%~97.84% improvements interms of ACC@1 and Macro-F1.

Thanks for watching!

Anonymous