PRACTICUM REPORT ALGORITHM AND DATA STRUCTURES

MODUL 11: Shortest Path Problem and Traveling Salesman Problem



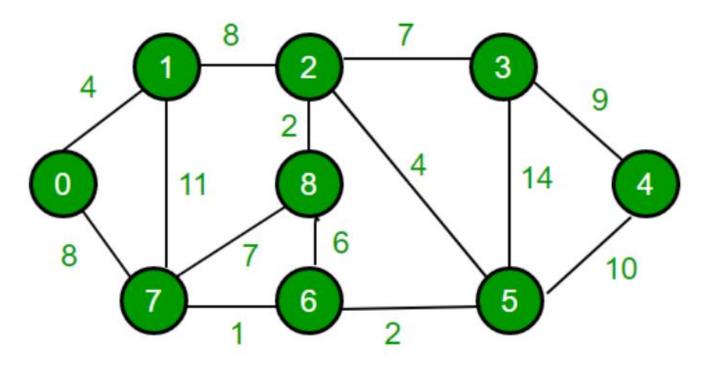
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1.11 Questions

1.



Solve the shortest path problem from the graph above using Dijkstra algorithm from node 0 to node 4 with Python.

- Program Code

```
import heapq

def dijkstra(graph, start):
    n = len(graph)
    distances = [float('inf')] * n
    distances[start] = 0
    priority_queue = [(0, start)]
    prev = [None] * n # Untuk menyimpan jalur terpendek

while priority_queue:
    current_distance, current_node = heapq.heappop(priority_queue)
    if current_distance > distances[current_node]:
```

```
continue
    for neighbor in range(n):
       if graph[current node][neighbor] != 0:
          distance = current distance + graph[current node][neighbor]
          if distance < distances[neighbor]:</pre>
             distances[neighbor] = distance
            prev[neighbor] = current node
             heapq.heappush(priority queue, (distance, neighbor))
  return distances, prev
graph = [
  [0, 4, 0, 0, 0, 0, 0, 8, 0], #0
  [4, 0, 8, 0, 0, 0, 0, 11, 0], #1
  [0, 8, 0, 7, 0, 4, 0, 0, 2], #2
  [0, 0, 7, 0, 9, 14, 0, 0, 0], #3
  [0, 0, 0, 9, 0, 10, 0, 0, 0], #4
  [0, 0, 4, 14, 10, 0, 2, 0, 0],#5
  [0, 0, 0, 0, 0, 2, 0, 1, 6], #6
  [8, 11, 0, 0, 0, 0, 1, 0, 7], #7
  [0, 0, 2, 0, 0, 0, 6, 7, 0] #8
start\ node = 0
end node = 4
distances, prev = dijkstra(graph, start node)
print(f"Jarak terpendek dari node {start node} ke node {end node}: {distances[end node]}")
```

This code implements **Dijkstra's algorithm** using **heapq** to find the shortest path from a starting node to all other nodes in a weighted graph represented as an adjacency matrix. By using a **priority queue**, the algorithm ensures that each node is processed in order of the shortest known distance, speeding up the search for the optimal solution.

- Practicum Result Screenshot

```
✓ import heapq …

... Jarak terpendek dari node 0 ke node 4: 21
```

Gambar 1.2 this picture display output form code above.

2. Modify the Dijkstra algorithm that has been given by adding code to print the shortest path passes using python.

- Program code

```
def get_path(prev, target):
    path = []
    while target is not None:
        path.append(target)
        target = prev[target]
    return path[::-1]

path = get_path(prev, end_node)
    print(f"Jalur terpendek: {path}")
```

Gambar 2.1 the code

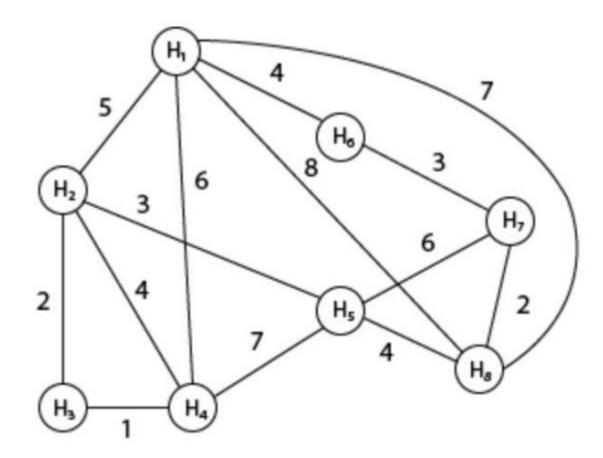
This code implements **Dijkstra's algorithm** to find the shortest path in a weighted graph, represented as an adjacency matrix. It uses a **priority queue** (heapq) to efficiently determine the shortest known distance to each node.

- Practicum Results Report

```
✓ import heapq ...
... Jarak terpendek dari node 0 ke node 4: 21
Jalur terpendek: [0, 7, 6, 5, 4]
```

Gambar 2.1 the results code

3.



Solve the traveling salesman problem for the graph above using a greedy algorithm with Python.

- Program code

```
def greedy_tsp(graph, start):

n = len(graph)

visited = [False] * n
```

```
path = [start]
  total \ cost = 0
  current = start
  visited[current] = True
 for _ in range(n - 1):
     next node = None
     min \ dist = float('inf')
    for j in range(n):
       if not visited[j] and 0 < graph[current][j] < min \ dist:
          min dist = graph[current][j]
          next node = j
     if next node is not None:
       path.append(next node)
       total\ cost += min\ dist
       visited[next node] = True
       current = next \ node
  # Kembali ke titik awal
  if graph[current][start] > 0:
    path.append(start)
     total cost += graph[current][start]
  else:
     # Tidak bisa kembali ke awal (bukan siklus Hamiltonian)
     return path, float('inf')
  return path, total cost
# Matriks adjacency sesuai gambar
graph = \int
  # H1 H2 H3 H4 H5 H6 H7 H8
  [0, 5, 0, 6, 8, 4, 0, 7], #H1
```

```
[ 5, 0, 2, 4, 3, 0, 0, 0], #H2
  [ 0, 2, 0, 1, 0, 0, 0, 0], #H3
  [ 6, 4, 1, 0, 7, 0, 0, 0], #H4
  [8, 3, 0, 7, 0, 0, 6, 4], #H5
  [4, 0, 0, 0, 0, 0, 3, 0], #H6
  [ 0, 0, 0, 0, 6, 3, 0, 2], #H7
  [7, 0, 0, 0, 4, 0, 2, 0] #H8
start\ node = 0\ \#H1
path, cost = greedy tsp(graph, start node)
node names = ['H1', 'H2', 'H3', 'H4', 'H5', 'H6', 'H7', 'H8']
path names = [node names[i] for i in path]
print(f"Greedy TSP dari {node names[start node]}:")
print(f"Jalur: {' -> '.join(path names)}")
print(f"Total jarak: {cost}")
```

Gambar 3.1 the $\overline{\text{code.}}$

This code implements a **Greedy Algorithm** for solving the **Traveling Salesperson Problem (TSP)** using an adjacency matrix representation of a weighted graph.

- Practicum Results Report

```
··· Greedy TSP dari H1:

Jalur: H1 -> H6 -> H7 -> H8 -> H5 -> H2 -> H3 -> H4 -> H1

Total jarak: 25
```

Gambar 3.2 the results.

4. Implement a modified greedy algorithm to complete the TSP starting from all starting points. Run the greedy algorithm from every possible starting node, then compare and choose the resulting path with the shortest total distance using Python

- Program code

```
#nomer 4
#Kita masih menggunakan fungsi greedy tsp dan graph h dari Latihan 3
# Inisialisasi variabel untuk menyimpan hasil terbaik
best path = None
min \ cost = float('inf')
n \ nodes = len(graph)
print("\n--- Hasil Latihan 4 (Mencoba semua titik awal) ---")
# 1. Jalankan algoritma dari setiap node sebagai titik awal
for i in range(n nodes):
  current path, current cost = greedy tsp(graph, i)
  print(f"Mencoba mulai dari node {i}: Biaya = {current cost}, Jalur = {current path}")
  # 2. Bandingkan dan pilih jalur dengan biaya terpendek
  if current cost < min cost:
    min cost = current cost
    best path = current path
# 3. Cetak hasil terbaik setelah semua kemungkinan dicoba
print("\n-----")
print("Hasil Greedy TSP Terbaik setelah mencoba semua titik awal:")
print(f"Jalur Terpendek: {best_path}")
print(f"Total Biaya Minimum: {min cost}")
```

Gambar 4.1 the code.

This code enhances the Greedy Traveling Salesperson Problem (TSP) algorithm by testing every possible starting node to find the best path with the lowest cost.

- Practicum Results Report

Gambar 4.2 the results.