Practical No.8

Implementation of Classifications Algorithms like Navie Bayes Theorem, K-Nearest Neighbour.

Implementing data analysis in R typically involves several key steps using various packages. Below is a simplified example using the popular `dplyr` and `ggplot2` packages for data manipulation and visualization. Assume you have a dataset called `my_data.csv`.

```
1. Loading Data:
 ```R
 # Install and load necessary packages
 install.packages(c("dplyr", "ggplot2"))
 library(dplyr)
 library(ggplot2)
 # Load data
 my data <- read.csv("my data.csv")
2. Data Exploration:
 # View the structure of the dataset
 str(my data)
 # Summary statistics
 summary(my data)
3. Data Cleaning:
 # Remove missing values
 my data <- na.omit(my data)
 # Filter or transform data as needed
 my data <- my_data %>% filter(column_name > 0)
4. Data Transformation:
 ```R
 # Create new variables
 my_data <- my_data %>% mutate(new variable =
some operation(existing variable))
5. Data Analysis:
 ```R
 # Use dplyr functions for analysis
 result <- my data %>%
 group by(category variable) %>%
 summarise(avg_value = mean(numeric_variable))
6. Data Visualization:
 # Create plots with ggplot2
```

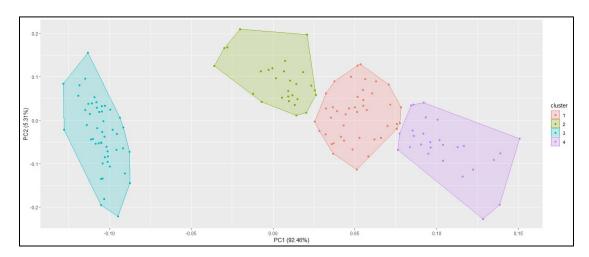
```
ggplot(my_data, aes(x = x_variable, y = y_variable, color = category_variable)) +
geom_point() +
geom_smooth(method = "lm") +
labs(title = "Scatter Plot with Linear Fit") +
theme_minimal()
```

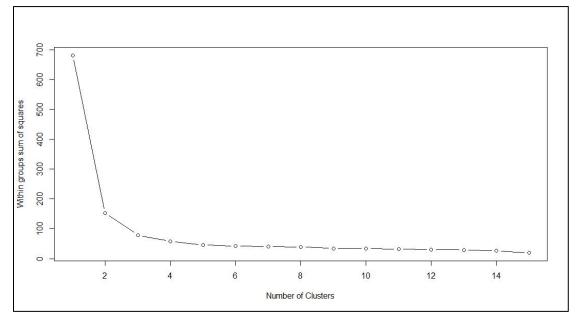
These are just basic examples. Depending on your specific analysis goals, you might perform more complex operations, statistical tests, or create more advanced visualizations. R offers a wide range of packages and functions tailored to different data analysis needs.

```
> library(e1071)
> NBdataset<-read.table("new_dataset.csv",header = TRUE,sep = ",")
> classifier<-naiveBayes(NBdataset[,1:4],NBdataset[,5])</pre>
> table(predict(classifier,NBdataset[,5]),NBdataset[,5],
 dnn= list('predicted', 'actual'))
 actual
predicted no yes
 no 0
 0
 yes 5
> classifier$tables
Soutlook
 Out look
NBdataset[, 5] Overcast Rainy Sunny
no 0.0000000 0.6000000 0.4000000
 yes 0.4444444 0.2222222 0.3333333
$Temp
 Temp
NBdataset[, 5] Cool Hot Mild
no 0.2000000 0.4000000 0.4000000
 yes 0.3333333 0.2222222 0.4444444
$Humidity
 Humidity
NBdataset[, 5] High Normal
no 0.8000000 0.2000000
 yes 0.3333333 0.6666667
SWindy
 Windy
NBdataset[, 5]
 no 0.4000000 0.6000000
 yes 0.6666667 0.3333333
> NBdataset[15,-5] <- as.factor(c(Outlook="Sunny", Temperature="Cool", Humidity="High", Wind="Strong"))
> print(NBdataset[15,-5])
 Outlook Temp Humidity Windy
 High Strong
 Sunny Cool
 > result<-predict(classifier,NBdataset[15,-5])</pre>
 > print(result)
 [1] yes
Levels: no yes
```

```
> library(ggplot2)
> library(ggfortify)
> View(iris)
> mydata <- select(iris,c(1,2,3,4))</pre>
> View(iris)
> wssplot <- function(data, nc=15, seed=1234){</pre>
 wss <- (nrow(data)-1)*sum(apply(data,2,var))
 for (i in 2:nc){
 set.seed(seed)
 wss[i] <- sum(kmeans(data, centers=i)$withinss)}
plot(1:nc, wss, type="b", xlab="Number of Clusters",
 ylab="Within groups sum of squares")</pre>
 WSS
+ }
> wssplot(mydata)
 [1] 681.37060 152.34795 78.85144 57.26562 46.46117 41.70442 40.66047 39.03110
> KM = kmeans(mydata,4)
> autoplot(KM, mydata, frame=TRUE)
> KM$centers
 Sepal.Length Sepal.Width Petal.Length Petal.Width
 6.264444
 2.884444
 4.886667
 1.666667
1
2
 5.532143
 2.635714
 3.960714
 1.228571
3
 5.006000
 3.428000
 1.462000
 0.246000
 3.096296
 5.918519
4
 7.014815
 2.155556
>
```

#### Digram:

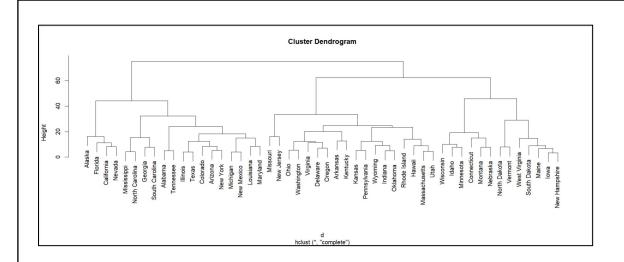




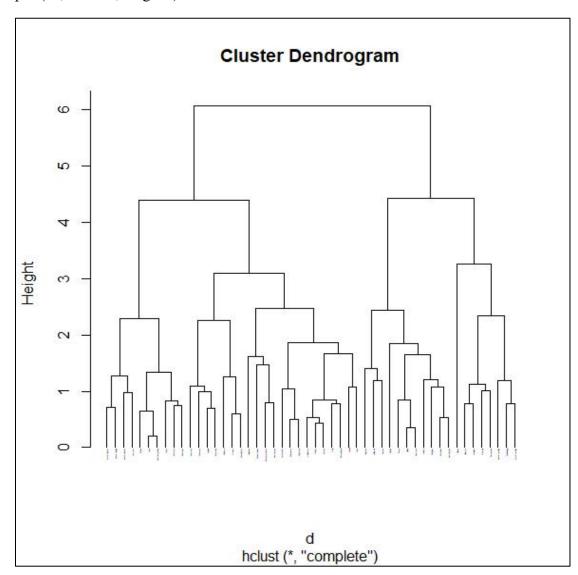
| *  | Sepal.Length | Sepal.Width + | Petal.Length <sup>‡</sup> | Petal.Width | Species |
|----|--------------|---------------|---------------------------|-------------|---------|
| 1  | 5.1          | 3.5           | 1.4                       | 0.2         | setosa  |
| 2  | 4,9          | 3.0           | 1.4                       | 0.2         | setosa  |
| 3  | 4.7          | 3.2           | 1.3                       | 0.2         | setosa  |
| 4  | 4.6          | 3.1           | 1.5                       | 0.2         | setosa  |
| 5  | 5.0          | 3.6           | 1.4                       | 0.2         | setosa  |
| 6  | 5.4          | 3.9           | 1.7                       | 0.4         | setosa  |
| 7  | 4.6          | 3.4           | 1.4                       | 0.3         | setosa  |
| 8  | 5.0          | 3.4           | 1.5                       | 0.2         | setosa  |
| 9  | 4.4          | 2.9           | 1.4                       | 0.2         | setosa  |
| 10 | 4,9          | 3.1           | 1.5                       | 0.1         | setosa  |
| 11 | 5.4          | 3.7           | 1.5                       | 0,2         | setosa  |
| 12 | 4.8          | 3.4           | 1.6                       | 0.2         | setosa  |
| 13 | 4.8          | 3.0           | 1.4                       | 0.1         | setosa  |
| 14 | 4.3          | 3.0           | 1.1                       | 0.1         | setosa  |
| 15 | 5.8          | 4.0           | 1.2                       | 0.2         | setosa  |
| 16 | 5.7          | 4.4           | 1.5                       | 0.4         | setosa  |

```
> df<-na.omit(df)
> d<-scale(df)
> head(d)
 Murder Assault UrbanPop
Alabama
 1.24256408 0.7828393 -0.5209066
Alaska 0.50786248 1.1068225 -1.2117642
Arizona 0.07163341 1.4788032 0.9989801
Arkansas 0.23234938 0.2308680 -1.0735927
California 0.27826823 1.2628144 1.7589234
Colorado 0.02571456 0.3988593 0.8608085
 Rape
Alabama -0.003416473
 2.484202941
Alaska
Arizona
 1.042878388
Arkansas -0.184916602
California 2.067820292
Colorado 1.864967207
```

```
> d<-dist(d,method="euclidean")
> hc<-hclust(d,method = "complete")
>
> plot(hc)
> d<-dist(d,method="euclidean")
> hc<-hclust(d,method = "complete")
>
```



plot(hc,cex=0.5,hang=-1)



```
KNN alogorithm
rm(list = ls())
install.packages("class",dependencies = TRUE)
library(class)
install.packages("caret")
library(caret)
diabetics=read.csv('pima-indians-diabetes.csv')
class(diabetics$mass)
 [1] "numeric"
str(diabetics)
 > str(diabetics)
 768 obs. of 9 variables:
 'data.frame':
 6 1 8 1 0 5 3 10 2 8 ...
 $ preg : int
 $ plas : int 148 85 183 89 137 116 78 115 197 125 ...
 $ pres : int 72 66 64 66 40 74 50 0 70 96 ...
 $ skin : int 35 29 0 23 35 0 32 0 45 0 ...
 $ test : int 0 0 0 94 168 0 88 0 543 0 ...
 $ mass : num 33.6 26.6 23.3 28.1 43.1 25.6 31 35.3 30.5 0 ...
 $ pedi : num 0.627 0.351 0.672 0.167 2.288 ...
 $ age : int 50 31 32 21 33 30 26 29 53 54 ...
 $ class: int 1010101011...
diabetics[,'class']=factor(diabetics[,'class'])
str(diabetics)
 > str(diabetics)
 'data.frame':
 768 obs. of 9 variables:
 $ preg : int 6 1 8 1 0 5 3 10 2 8 ..
 $ plas : int 148 85 183 89 137 116 78 115 197 125 ...
$ pres : int 72 66 64 66 40 74 50 0 70 96 ...
 $ skin : int 35 29 0 23 35 0 32 0 45 0 ...
 $ test : int 0 0 0 94 168 0 88 0 543 0 ..
 $ mass : num 33.6 26.6 23.3 28.1 43.1 25.6 31 35.3 30.5 0 ...
 $ pedi : num 0.627 0.351 0.672 0.167 2.288 ...
 $ age : int 50 31 32 21 33 30 26 29 53 54 ..
 $ class: Factor w/ 2 levels "0","1": 2 1 2 1 2 1 2 1 2 2 ...
test = diabetics[501:768,]
train=diabetics[1:500,]
pred test=knn(train[,-9],test[,-9],train$class,k=2)
 > pred_test
 \begin{smallmatrix} 133 \end{smallmatrix}] \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 0 \hspace{.1cm} 1 \hspace{.1cm} 1 \hspace{.1cm} 0 \hspace{.
 [265] 0 0 1 0
 Levels: 0 1
```

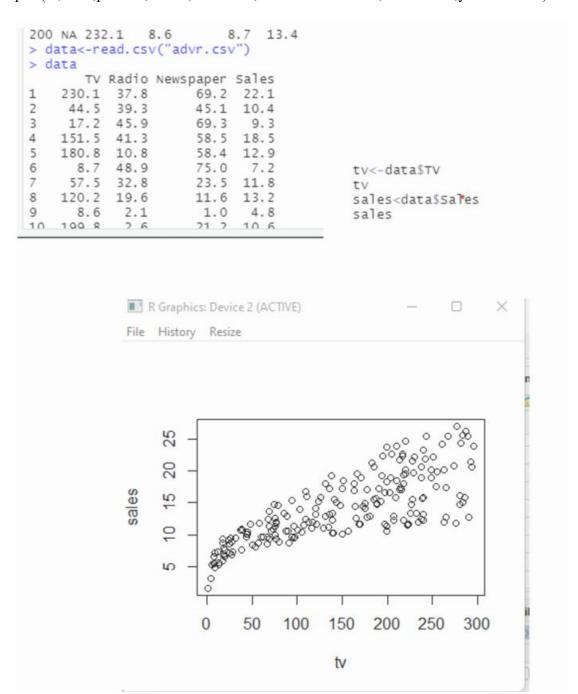
```
pred test
 pred_test
 0
 0 129 33
 1 53 53
confusion=table(pred test,test$class)
Confusion
 pred_test
 0
 1
 0 129 33
 1 53 53
sum(diag(confusion))/nrow(test)
> sum(diag(confusion))/nrow(test)
 [1] 0.6791045
confusionMatrix(pred_test,test$class)
 > confusionMatrix(pred_test,test$class)
 Confusion Matrix and Statistics
 Reference
 Prediction
 0
 1
 0 129 33
 1 53 53
 Accuracy: 0.6791
 95% CI: (0.6196, 0.7346)
 No Information Rate: 0.6791
 P-Value [Acc > NIR] : 0.52917
 Kappa: 0.3063
 Mcnemar's Test P-Value: 0.04048
 Sensitivity: 0.7088
 Specificity: 0.6163
 Pos Pred Value: 0.7963
 Neg Pred Value: 0.5000
 Prevalence: 0.6791
 Detection Rate: 0.4813
 Detection Prevalence: 0.6045
 Balanced Accuracy: 0.6625
 'Positive' Class: 0
```

#### I. Linear Regression in R

- ▶ Regression analysis is a very widely used statistical tool to establish a relationship model between two variables.
- ▷ One of these variable is called predictor variable whose value is gathered through experiments.
- ▶ The other variable is called response variable whose value is derived from the predictor variable.
- ▷ Linear regression is used to predict the value of an outcome variable Y based on one or more input predictor variables X.
- ▶ Mathematically a linear relationship represents a straight line when plotted as a graph.
- ▶ The general mathematical equation for a linear regression is −
- $\Rightarrow =b0 + b1 *$
- ▶ Following is the description of the parameters used –
- oy is the response variable.
- ox is the predictor variable.
- $\circ$ b1 slope
- ∘b0 intercept
- oCollectively, they are called regression coefficients.
- $\triangleright$  For example, we want to predict weight (y) from height (x), the linear regression model can be represented by the following equation
- $\triangleright$  Weight= b0 + b1 \* height
- ob1 is called slope because it defines the slope of the line or how x translates into a y i.e by how much y is affected by change in x
- ▶ The goal is to find best estimates for the coefficients to minimize the error in predicting y from x

Download marshall adv. csv Dataset to perform operations

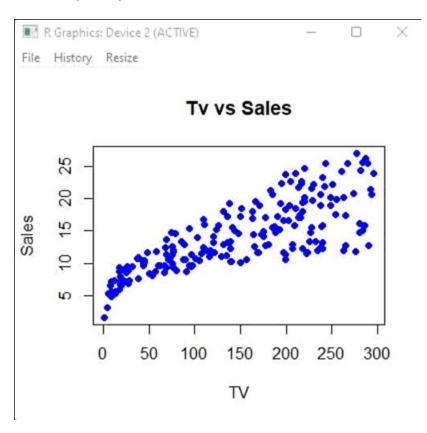
plot(tv,sales,pch=16,cex=1,col='blue',main='Tv vs Sales',xlab = 'TV',ylab = 'Sales')



model<-lm

summary(model)

## attributes(model)



### coefficients(model)

## abline(model)

```
> attributes(model)
Snames
[1] "coefficients" "residuals" "effects" "rank" "fitted.values" "assign" "qr"
[8] "df.residual" "xlevels" "call" "terms" "model"

Sclass
[1] "lm"
```

```
> coefficients(model)
(Intercept) tv
7.03259355 0.04753664
> |

> coefficients(model)
(Intercept) tv
7.03259355 0.04753664
> |

> coef(model)
(Intercept) tv
7.03259355 0.04753664
> |
```

