



Motivation

Data employed

Differences
among
observational
databases

Uncertainties
ranking models

Conclusions

Evaluation of Regional climate models: how much can we trust in gridded observational data sets?

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Motivation: We need to estimate uncertainty

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Accurate Climate Change projections demand assessing **uncertainties**, arising from:

- the coarse spatial resolution of global climate models (RCMs)
- uncertainties in the parametrization schemes
- the unpredictable evolution of socioeconomic factors: **scenarios**
- Etc.

A fairly common approach is the use of **ensembles** of simulations



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- A common way to validate (estimate the uncertainty) climate models is through their skills reproducing present climate
- The present climate is "known" through observations
- Observations are gridded (extrapolated) using statistical tools
- How much **uncertainty** do "observational databases" include?



Motivation: An important set of questions

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What makes a model better?

- How can we know which is the "best model" of the ensemble?
- Is the best model the closest to the observational database?
- Is it better to weight the model according to their skill to reproduce "observations"?



Simulations

Two independent ensembles were employed:

ESCENA project (Jiménez-Guerrero et al. 2012 submitted)

- 5 Members (1998-2008)
- ~ 25 km
- Driven by ERA Interim

PHYSICS ensemble (Jerez et al. 2012 submitted)

- 8 Members (1970-2000)
- MM5
- 30 km over the IP
- Driven by ERA40

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Observational databases

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Three gridded observational databases over Spain have been compared:

- E-OBS
- SPAIN02
- AEMET gridded

Which share:

- Overlap period: 1950-2008
- \sim resolution
- Variables: daily TMAX, TMIN and PRE



Temperature biases in Spring (1950-2008)

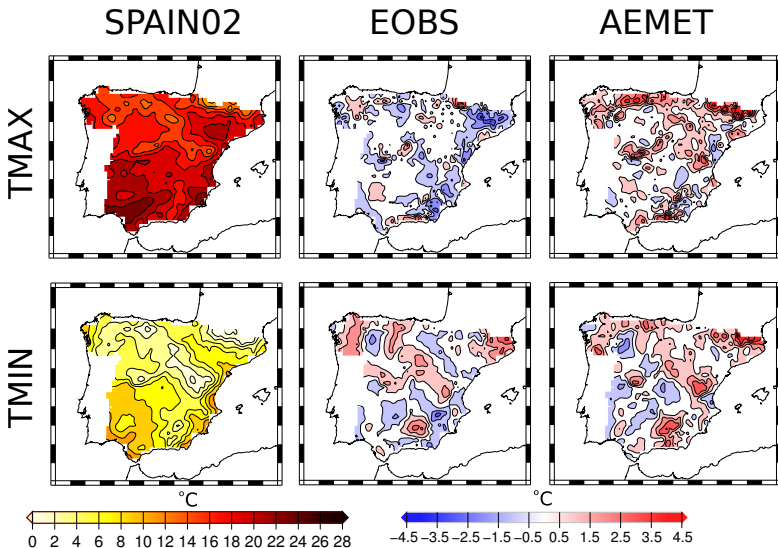
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Precipitation biases in Spring (1950-2008)

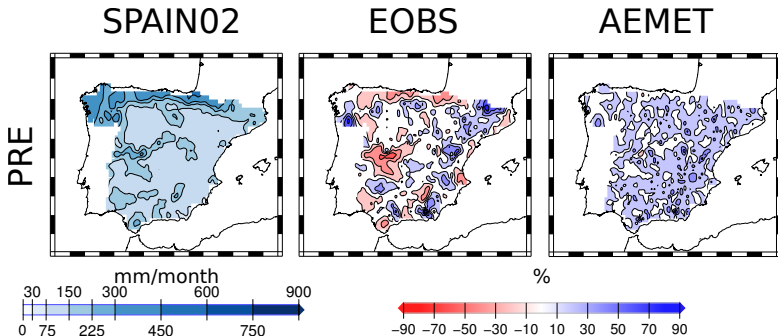
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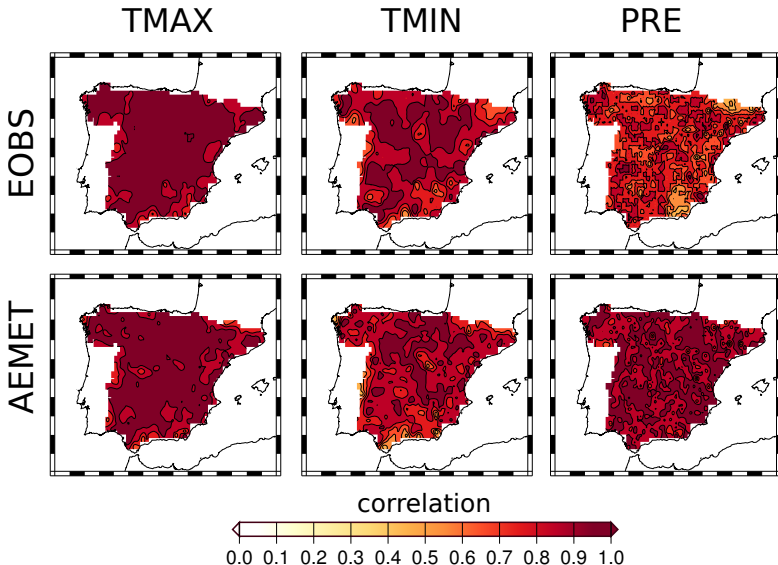
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Temporal correlation Spring (1950-2008)

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Assessing the skill of each model

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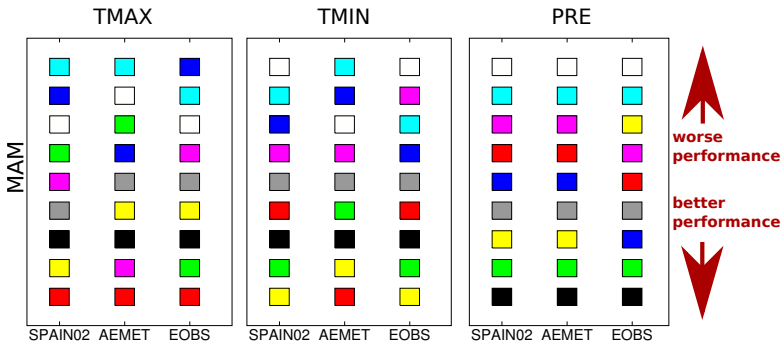
- For the next ranking exercises, we focus on the **spatial correlation** of the climatological mean values of TMAX, TMIN and PRE.
- A similar assessment can be reproduced with analogous results for **RMSE**



There is no "best" model (in the PHYSICS ensemble)

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Only Spring results are shown. Each color represents an ensemble member

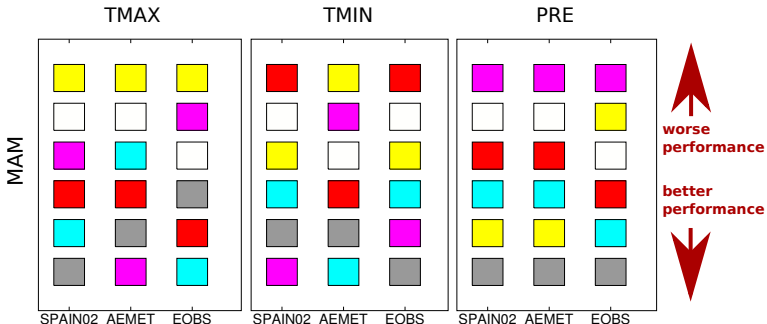




There is no "best" model (in the ESCENA ensemble)

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Measuring the spreads

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Fixed a database, there is a spread in the model ensemble...

Spread among models

$$\Delta_{\text{mod}} = \frac{1}{N_{\text{obs}}} \sum_i \left[\max_i \{\rho_{i,j}\} - \min_i \{\rho_{i,j}\} \right] \forall j \text{ in models}$$

... and fixed a model, there is a spread in the observations

Spread among databases

$$\Delta_{\text{obs}} = \frac{1}{N_{\text{mod}}} \sum_j \left[\max_j \{\rho_{i,j}\} - \min_j \{\rho_{i,j}\} \right] \forall i \text{ in databases}$$



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$$\Delta_{\text{obs}} = \frac{1}{N_{\text{mod}}} \sum_j \left[\max_j \{\rho_{i,j}\} - \min_j \{\rho_{i,j}\} \right] \forall i \text{ in databases}$$

If $\Delta_{\text{obs}} > \Delta_{\text{mod}}$, uncertainties in observational database are as important as in ensembles!



Spreads in the PHYSICS ensemble

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| | | COR ($\times 100$) | | RMSE | |
|------|-------|----------------------|--------------|--------------|--------------|
| Var. | Seas. | Δ mod | Δ obs | Δ mod | Δ obs |
| TMAX | DJF | 1.53 | 3.45 | 1.88 | 0.66 |
| | MAM | 1.42 | 3.73 | 1.49 | 0.95 |
| | JJA | 3.92 | 4.23 | 1.56 | 1.20 |
| | SON | 1.77 | 2.99 | 1.60 | 0.90 |
| TMIN | DJF | 1.86 | 4.71 | 1.51 | 0.46 |
| | MAM | 2.50 | 4.07 | 0.76 | 0.44 |
| | JJA | 1.87 | 4.50 | 0.46 | 0.56 |
| | SON | 1.32 | 4.49 | 0.94 | 0.53 |
| PRE | DJF | 3.83 | 1.71 | 10.73 | 9.97 |
| | MAM | 6.94 | 8.21 | 9.39 | 17.05 |
| | JJA | 16.6 | 3.64 | 51.94 | 11.81 |
| | SON | 11.09 | 6.99 | 17.06 | 15.87 |



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| | | COR ($\times 100$) | | RMSE | |
|------|-------|----------------------|--------------|--------------|--------------|
| Var. | Seas. | Δ mod | Δ obs | Δ mod | Δ obs |
| TMAX | DJF | 3.19 | 5.16 | 1.84 | 0.57 |
| | MAM | 3.52 | 3.27 | 1.85 | 0.58 |
| | JJA | 2.51 | 2.57 | 1.70 | 0.62 |
| | SON | 2.02 | 3.08 | 1.39 | 0.57 |
| TMIN | DJF | 4.02 | 4.89 | 1.12 | 0.41 |
| | MAM | 3.91 | 5.14 | 1.17 | 0.38 |
| | JJA | 4.54 | 5.55 | 2.28 | 0.64 |
| | SON | 3.56 | 4.77 | 1.84 | 0.45 |
| PRE | DJF | 7.74 | 4.95 | 38.69 | 10.84 |
| | MAM | 11.50 | 4.23 | 60.76 | 10.66 |
| | JJA | 8.74 | 4.46 | 53.03 | 9.85 |
| | SON | 10.55 | 6.79 | 46.78 | 16.30 |



Take home messages

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- Observations are fundamental to validate climate models
- We should not forget the uncertainties inherent to these data sets
- A perfect model could not match perfectly observations
- Weighting models according to a given (unique) database is potentially dangerous