

泡泡猿 ACM 模板

Rand0w & REXWIND & Dallby

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1 头文件

1.1 头文件 (Rand0w)

```

1 #include <bits/stdc++.h>
2 // #include <bits/extc++.h>
3 // using namespace __gnu_pbds;
4 // using namespace __gnu_cxx;
5 using namespace std;
6 #pragma optimize(2)
7 // #pragma GCC optimize("Ofast,no-stack-protector")
8 // #pragma GCC target("sse,sse2,sse3,ssse3,sse4,popcnt,abm,mmx,avx,avx2,tune=native")
9 #define rbset(T) tree<T,null_type,less<T>,rb_tree_tag,tree_order_statistics_node_update>
10 const int inf = 0x7FFFFFFF;
11 typedef long long ll;
12 typedef double db;
13 typedef long double ld;
14 template<class T>inline void MAX(T &x,T y){if(y>x)x=y;}
15 template<class T>inline void MIN(T &x,T y){if(y<x)x=y;}
16 namespace FastIO
17 {
18     char buf[1 << 21], buf2[1 << 21], a[20], *p1 = buf, *p2 = buf, hh = '\n';
19     int p, p3 = -1;
20     void read() {}
21     void print() {}
22     inline int getc()
23     {
24         return p1 == p2 && (p2 = (p1 = buf) + fread(buf, 1, 1 << 21, stdin), p1 == p2) ? EOF : *p1++;
25     }
26     inline void flush()
27     {
28         fwrite(buf2, 1, p3 + 1, stdout), p3 = -1;
29     }
30     template <typename T, typename... T2>
31     inline void read(T &x, T2 &... oth)
32     {
33         int f = 0; x = 0; char ch = getc();
34         while (!isdigit(ch)){if (ch == '-')f = 1; ch = getc();}
35         while (isdigit(ch)){x = x * 10 + ch - 48; ch = getc();}
36         x = f ? -x : x; read(oth...);
37     }
38     template <typename T, typename... T2>
39     inline void print(T x, T2... oth)
40     {
41         if (p3 > 1 << 20) flush();
42         if (x < 0) buf2[++p3] = 45, x = -x;
43         do{a[++p] = x % 10 + 48;} while (x /= 10);
44         do{buf2[++p3] = a[p];} while (--p);
45         buf2[++p3] = hh;
46         print(oth...);
47     }
48 } // namespace FastIO
49 #define read FastIO::read
50 #define print FastIO::print
51 #define flush FastIO::flush
52 #define spt fixed<<setprecision
53 #define endl1 '\n'

```

```

54 #define mul(a,b,mod) (__int128)(a)*(b)%(mod)
55 #define pii(a,b) pair<a,b>
56 #define pow powmod
57 #define X first
58 #define Y second
59 #define lowbit(x) (x&-x)
60 #define MP make_pair
61 #define pb push_back
62 #define pt putchar
63 #define yx_queue priority_queue
64 #define lson(pos) (pos<<1)
65 #define rson(pos) (pos<<1|1)
66 #define y1 code_by_Rand0w
67 #define yn A_muban_for_ACM
68 #define j1 it_is_just_an_eastegg
69 #define lr hope_you_will_be_happy_to_see_this
70 #define int long long
71 #define rep(i, a, n) for (register int i = a; i <= n; ++i)
72 #define per(i, a, n) for (register int i = n; i >= a; --i)
73 const ll llinf = 4223372036854775851;
74 const ll mod = (0 ? 1000000007 : 998244353);
75 ll pow(ll a, ll b, ll md=mod) {ll res=1; a%=md; assert(b>=0); for(; b;b>>=1){if(b&1)res=mul(res,a,md); a=mul(a,a,md);} return res;}
76 const ll mod2 = 999998639;
77 const int m1 = 998244353;
78 const int m2 = 1000001011;
79 const int pr=233;
80 const double eps = 1e-7;
81 const int maxm= 1;
82 const int maxn = 510000;
83 void work()
84 {
85 }
86 }
87 signed main()
88 {
89     #ifndef ONLINE_JUDGE
90         // freopen("in.txt", "r", stdin);
91         // freopen("out.txt", "w", stdout);
92     #endif
93     // std::ios::sync_with_stdio(false);
94     // cin.tie(NULL);
95     int t = 1;
96     // cin>>t;
97     for(int i=1; i<=t; i++){
98         // cout<<"Case #"<<i<<": "<<endl1;
99         work();
100     }
101     return 0;
102 }

```

1.2 头文件 (REXWind)

```

1 #include<iostream>
2 #include<cstring>
3 #include<cstdio>
4 #include<algorithm>
5 #include<vector>
6 #include<map>
7 #include<queue>
8 #include<cmath>
9 using namespace std;
10
11 template<class T>inline void read(T &x){x=0;char o,f
    =1;while(o=getchar(),o<48)if(o==45)f=-f;do x=(x
    <<3)+(x<<1)+(o^48);while(o=getchar(),o>47);x*=f;}
12 int cansel_sync=(ios::sync_with_stdio(0),cin.tie(0)
    ,0);
13 #define ll long long
14 #define ull unsigned long long
15 #define rep(i,a,b) for(int i=(a);i<=(b);i++)
16 #define repb(i,a,b) for(int i=(a);i>=b;i--)
17 #define mkp make_pair
18 #define ft first
19 #define sd second
20 #define log(x) (31-__builtin_clz(x))
21 #define INF 0x3f3f3f3f
22 typedef pair<int,int> pii;
23 typedef pair<ll,ll> pll;
24 ll gcd(ll a,ll b){ while(b^=a^=b^=a%=b); return a; }
25 // #define INF 0x7fffffff
26
27 void solve(){
28
29 }
30
31 int main(){
32     int z;
33     cin>>z;
34     while(z-->0) solve();
35 }

```

1.3 头文件 (Dallby)

```

1 #include<bits/stdc++.h>
2 cout<<"hello<<endl;

```

2 数论

2.1 欧拉筛

$O(n)$ 筛素数

```

1 int primes[maxn+5],tail;
2 bool is_prime[maxn+5];
3 void euler(){
4     is_prime[1] = 1;
5     for (int i = 2; i < maxn; i++)
6     {
7         if (!is_prime[i])
8             primes[++tail]=i;
9         for (int j = 0; j < primes.size() && i * primes[
10             j] < maxn; j++)
11         {

```

```

11         is_prime[i * primes[j]] = 1;
12         if ((i % primes[j]) == 0)
13             break;
14     }
15 }
16 }

```

2.2 Exgcd

求出 $ax + by = \gcd(a, b)$ 的一组可行解 $O(\log n)$

```

1 void Exgcd(ll a,ll b,ll &d,ll &x,ll &y){
2     if(!b){d=a;x=1;y=0;}
3     else{Exgcd(b,a%b,d,y,x);y-=x*(a/b);}
4 }

```

2.3 ExCRT 扩展中国剩余定理

$$\text{求解同余方程组} \begin{cases} x \% b_1 \equiv a_1 \\ x \% b_2 \equiv a_2 \\ \vdots \\ x \% b_n \equiv a_n \end{cases}$$

```

1 int exCRT(int a[],int b[],int n){
2     int lc=1;
3     for(int i=1;i<=n;i++){
4         lc=lcm(lc,a[i]);
5         for(int i=1;i<=n;i++){
6             int p,q,g;
7             g=exgcd(a[i],a[i+1],p,q);
8             int k=(b[i+1]-b[i])/g;
9             q=-q;p*=k;q*=k;
10            b[i+1]=a[i]*p%lc+b[i];
11            b[i+1]%=lc;
12            a[i+1]=lcm(a[i],a[i+1]);
13        }
14        return (b[n]%lc+lc)%lc;
15    }

```

2.4 线性求逆元

```

1 void init(int p){
2     inv[1] = 1;
3     for(int i=2;i<=n;i++){
4         inv[i] = (ll)(p-p/i)*inv[p%i]%p;
5     }
6 }

```

2.5 组合数

预处理阶乘，并通过逆元实现相除

```

1 ll jc[MAXN];
2 ll qpow(ll d,ll c){快速幂
3     ll res = 1;
4     while(c){
5         if(c&1) res=res*d%med;
6         d=d*d%med;c>>=1;
7     }return res;
8 }
9 inline ll niyuan(ll x){return qpow(x,med-2);}

```

```

10 void initjc(){//初始化阶乘
11     jc[0] = 1;
12     rep(i,1,MAXN-1) jc[i] = jc[i-1]*i%med;
13 }
14 inline int C(int n,int m){//n是下面的
15     if(n<m) return 0;
16     return jc[n]*niyuan(jc[n-m])%med*niyuan(jc[m])%med
17     ;
18 }
19 int main(){
20     initjc();
21     int n,m;
22     while(cin>>n>>m) cout<<C(n,m)<<endl;
}

```

2.6 矩阵快速幂

```

1 struct Matrix{
2     ll a[MAXN][MAXN];
3
4     Matrix(ll x=0){//感觉是特别好的初始化,从hjt那里学(抄)来的
5         for(int i=0;i<n;i++){
6             for(int j=0;j<n;j++){
7                 a[i][j]=x*(i==j);//这句特简洁
8             }
9         }
10    }
11
12    Matrix operator *(const Matrix &b)const{//通过重载运算符实现矩阵乘法
13        Matrix res(0);
14        for(int i=0;i<n;i++){
15            for(int j=0;j<n;j++){
16                for(int k=0;k<n;k++){
17                    ll &ma = res.a[i][j];
18                    ma = (ma+a[i][k]*b.a[k][j])%mod;
19                }
20            }
21        }
22        return res;
23    }
24 };
25
26 Matrix qpow(Matrix d,ll m){//底数和幂次数
27     Matrix res(1);//构造E单位矩阵
28     while(m){
29         if(m&1){
30             m--;//其实这句是可以不要的
31             res=res*d;
32         }
33         d=d*d;
34         m>>=1;
35     }
36     return res;
37 }

```

2.7 高斯消元

待补充

2.8 三点求圆心

```

1 struct point{
2     double x;
3     double y;
4 };
5
6 point cal(point a,point b,point c){
7     double x1 = a.x;double y1 = a.y;
8     double x2 = b.x;double y2 = b.y;
9     double x3 = c.x; double y3 = c.y;
10    double a1 = 2*(x2-x1); double a2 = 2*(x3-x2);
11    double b1 = 2*(y2-y1); double b2 = 2*(y3-y2);
12    double c1 = x2*x2 + y2*y2 - x1*x1 - y1*y1;
13    double c2 = x3*x3 + y3*y3 - x2*x2 - y2*y2;
14    double rx = (c1*b2-c2*b1)/(a1*b2-a2*b1);
15    double ry = (c2*a1-c1*a2)/(a1*b2-a2*b1);
16    return point{rx,ry};
17 }

```