

### 3.

$$(1) (25.8125)_{10} = (11001.1101)_2 = (31.64)_8 = (19.D)$$

$$(2) (101101.011)_2 = (45.375)_{10} = (55.3)_8 = (2D.6)_{16} = (01000101.001101110101)_{8421}$$

$$(3) (010110010110.0011)_{8421} = (596.3)_{10} = (1001010100.010011001100 \cdots)_2 = (254.4CC \cdots)_{16}$$

$$(4) (4E.C)_{16} = (78.75)_{10} = (01001110.101)_2$$

### 4.

0.1001000, 1.1001000, 00000000, 10000000, 0.0101000, 1.0101000, 00000000, 10000000

### 5.

$$(1) +1001 \Rightarrow \text{补码: } 00001001, \text{移码: } 10001001$$

$$(2) -1001 \Rightarrow \text{补码: } 11110111, \text{移码: } 01110111$$

$$(3) +1 \Rightarrow \text{补码: } 00000001, \text{移码: } 10000001$$

$$(4) -1 \Rightarrow \text{补码: } 11111111, \text{移码: } 01111111$$

$$(5) +10100 \Rightarrow \text{补码: } 00010100, \text{移码: } 10010100$$

$$(6) -10100 \Rightarrow \text{补码: } 11101100, \text{移码: } 01101100$$

$$(7) +0 \Rightarrow \text{补码: } 00000000, \text{移码: } 10000000$$

$$(8) -0 \Rightarrow \text{补码: } 00000000, \text{移码: } 10000000$$

### 6.

$$(1) x = (-00011001)_2 = -25$$

$$(2) x = (-10000000)_2 = -128$$

- (3)  $x = (1010010)_2 = 82$
- (4)  $x = (-00101101)_2 = -45$

## 8.

- (1) 0xFFFF8000
- (2) 0x020A
- (3) 0x0000FFFA
- (4) 0x40
- (5) 1 01111111 00011001100110011001100 => 0xBF8CCCCC
- (6) 0 01000000010 0101 0000... => 0x2025000000000000

## 9.

- (1) -65530
- (2) -8195
- (3) 4294967290
- (4) '\*'
- (5) -800.0
- (6) -10.25

## 17.

Addr	100	101	102	103	...	108	109	110	111	112	113
Big Endian	BE	00	00	00	...	40	F0	00	00	00	64
Little Endian	00	00	00	BE	...	00	00	F0	40	64	00